

- (22) In the opposite figure :

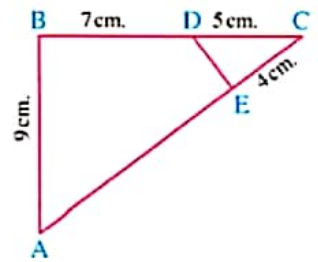
If $\triangle CBA \sim \triangle CED$

using the lengths shown on the figure ,

then $ED + EA = \dots\dots\dots$ cm.

- (a) 12 (b) 13 (c) 14

(d) 15



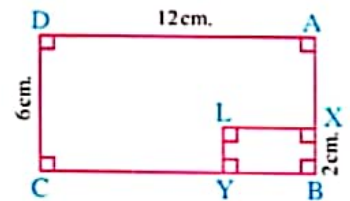
- (23) In the opposite figure :

Rectangle ABCD \sim rectangle XBYL ,

then the length of $\overline{YC} = \dots\dots\dots$ cm.

- (a) 6 (b) 8 (c) 10

(d) 11

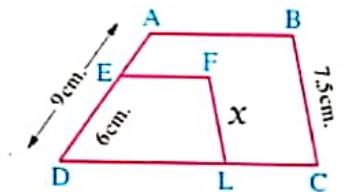


- (24) In the opposite figure :

Polygon ABCD \sim polygon EFLD

then $x = \dots\dots\dots$ cm.

- (a) 5 (b) 3
(c) 7.5 (d) 6



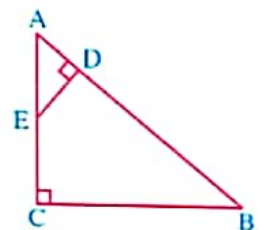
- (25) In the opposite figure :

If $\triangle ABC \sim \triangle AED$,

$m(\angle B) = 3x + 10^\circ$, $m(\angle AED) = x + 30^\circ$,

then $m(\angle A) = \dots\dots\dots$

- (a) 50° (b) 40° (c) 30° (d) 60°



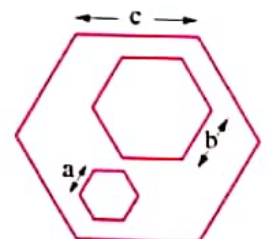
- (26) The opposite figure shows three regular hexagons , the ratio between their sides lengths is as follows

$a : b = 1 : 2$, $b : c = 3 : 8$

if the length of the side of the greatest hexagon = 32 cm.

, then the perimeter of the smallest hexagon = $\dots\dots\dots$ cm.

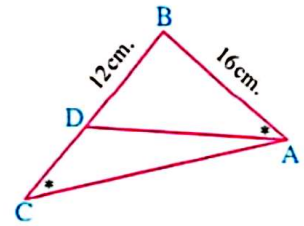
- (a) 12 (b) 6 (c) 36 (d) 48



(18) In the opposite figure :

$m(\angle BAD) = m(\angle C)$, $AB = 16$ cm.
 $BD = 12$ cm. , then $DC = \dots\dots\dots$ cm.

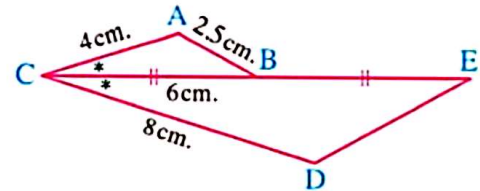
- (a) 16 (b) 12
 (c) $9\frac{1}{3}$ (d) $23\frac{1}{3}$



(19) In the opposite figure :

If B is the midpoint of \overline{CE}
 , then $DE = \dots\dots\dots$ cm.

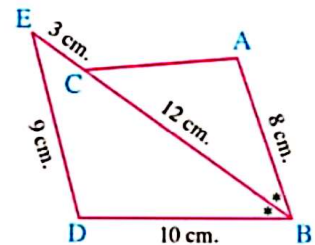
- (a) 4 (b) 5
 (c) 6 (d) 7



(20) In the opposite figure :

$AC = \dots\dots\dots$ cm.

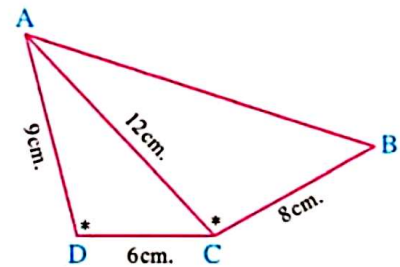
- (a) 6.2 (b) 6
 (c) 7.2 (d) 7



(21) In the opposite figure :

If $m(\angle ADC) = m(\angle ACB)$
 , then $AB = \dots\dots\dots$ cm.

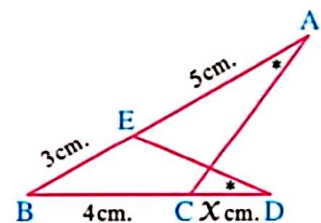
- (a) 12 (b) 16
 (c) 18 (d) 20



(22) In the opposite figure :

If $m(\angle A) = m(\angle D)$
 , then $x = \dots\dots\dots$

- (a) 5 (b) 4
 (c) 3 (d) 2



(23) In the opposite figure :

If $\overline{AB} \parallel \overline{EC}$
 , then $\frac{ED}{BC} = \dots\dots\dots$

- (a) $\frac{4}{3}$ (b) $\frac{3}{4}$
 (c) $\frac{2}{3}$ (d) $\frac{1}{2}$

