

Today's Agenda :- (4 Problems)

→ Pick from both sides

→ Alternating Subarrays

→ Row to Column Zero

→ Spiral Matrix - 2

Q1) Given an integer array A of size N. You can pick B elements from either left or right end of the array A to get maximum sum. Find & return this maximum possible sum.

Eg:- $[5, \underline{-2}, \underline{3}, \underline{1}, 2]$, $B = 3$, $\text{ans} = 8$

Case 1: Select first 3 elements : $\text{sum} = 6$.

$$[5, \underline{-2}, \underline{3}, \underline{1}, 2]$$

Case 2: Select last 3 elements : $\text{sum} = 6$

$$[5, \underline{-2}, \underline{3}, \underline{1}, 2]$$

Case 3: Select 1 element from start, 2 elements from end.
 $\therefore \text{sum} = 8$

$$[5, \underline{-2}, \underline{3}, \underline{\underline{1}}, \underline{2}]$$

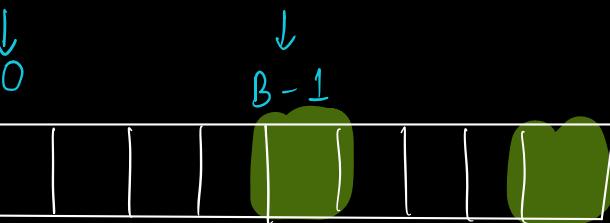
Case 4: $\text{sum} = 5$

$$[\underline{5}, \underline{-2}, \underline{3}, \underline{1}, \underline{2}]$$

B elements:

$$= S_1$$

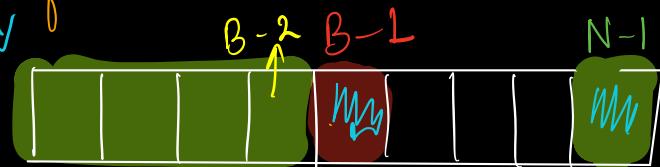
Sum



$\hookrightarrow 0$ elements

Select B elements

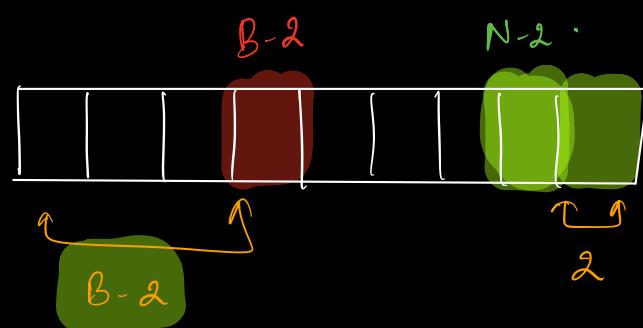
from start



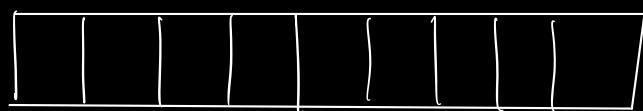
$$= S_2$$

Select $B-1$ elements from start

Select 1 element from end



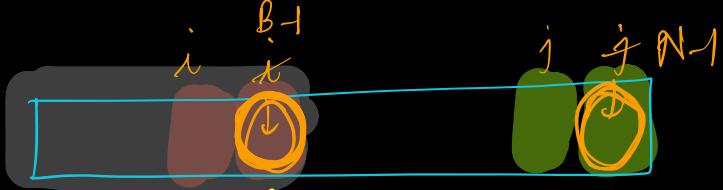
$$S_B$$



↑
0

↑
 B elements

sum end.



ll found sum of first B elements $[0, B-1]$. \Rightarrow sum.

```

sum = 0
for(i=0; i < B; i++) {
    sum = sum + A[i];
}
ans = sum;
i = B-1, j = 0N-1

```

$B \leq N$

TC : $O(B) \approx O(N)$

SC : $O(1)$

```

while(i >= 0) {
    sum = sum - Aarr[i] + Aarr[1]
    i--;
    j--;
    if(sum > ans) {
        ans = sum;
    }
}
return ans;

```


Q3) You are given a 2D integer matrix A, make all the elements in a row or column zero if $A[i][j] = 0$. Specifically, make entire i th row and j th column zero.

Eg

$$\begin{array}{c}
 \begin{matrix} & 0 & 1 & 2 & 3 \\
 0 & \left[\begin{matrix} 1 & 2 \\ 5 & 6 \end{matrix} \right] & \left[\begin{matrix} 3 & 4 \\ 7 & 0 \end{matrix} \right] & \rightarrow & \left[\begin{matrix} 1 & 2 & 0 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \end{matrix} \right] \\
 1 & & & & \\
 2 & \left[\begin{matrix} 9 & 2 & 0 & 4 \end{matrix} \right] & & &
 \end{matrix}
 \end{array}$$

Eg

$$\begin{array}{c}
 \begin{matrix} & 1 & 0 & 2 \\
 1 & \left[\begin{matrix} 1 & 1 & 1 \\ 1 & 0 & 1 \end{matrix} \right] & \xrightarrow{\text{Auxiliary matrix}} & \left[\begin{matrix} -1 & -1 & -1 \\ 1 & 0 & 1 \\ -1 & -1 & -1 \end{matrix} \right] & \xrightarrow{\quad} & \left[\begin{matrix} 0 & 0 & 0 \\ 1 & 0 & 1 \\ 0 & 0 & 0 \end{matrix} \right] \\
 0 & & & & &
 \end{matrix}
 \end{array}$$

if $A[i][j] = 0$

↳ entire i th row should be 0 in the o/p.

↳ entire j th col. should be 0 in the o/p.

1/ Best Approach

TC: $O(N * M)$

SC: $O(1)$

$$\frac{-S_0 - S_0}{S_1} = -\frac{S_0}{S_1}$$

↳ bool row[N], col[M] // filled with false.
 ↳ for(i=0; i < N; i++) {
 row[i] = false; }
 ↳ for(i=0; i < M; i++) {
 col[i] = false; }
 ↳ for(i=0; i < N; i++) {
 for(j=0; j < M; j++) {
 if(A[i][j] == 0) {
 // entire ith row & jth col should become 0.
 row[i] = true;
 col[j] = true; }
 }
 }
 }
 }
 }
 }
 }
 }

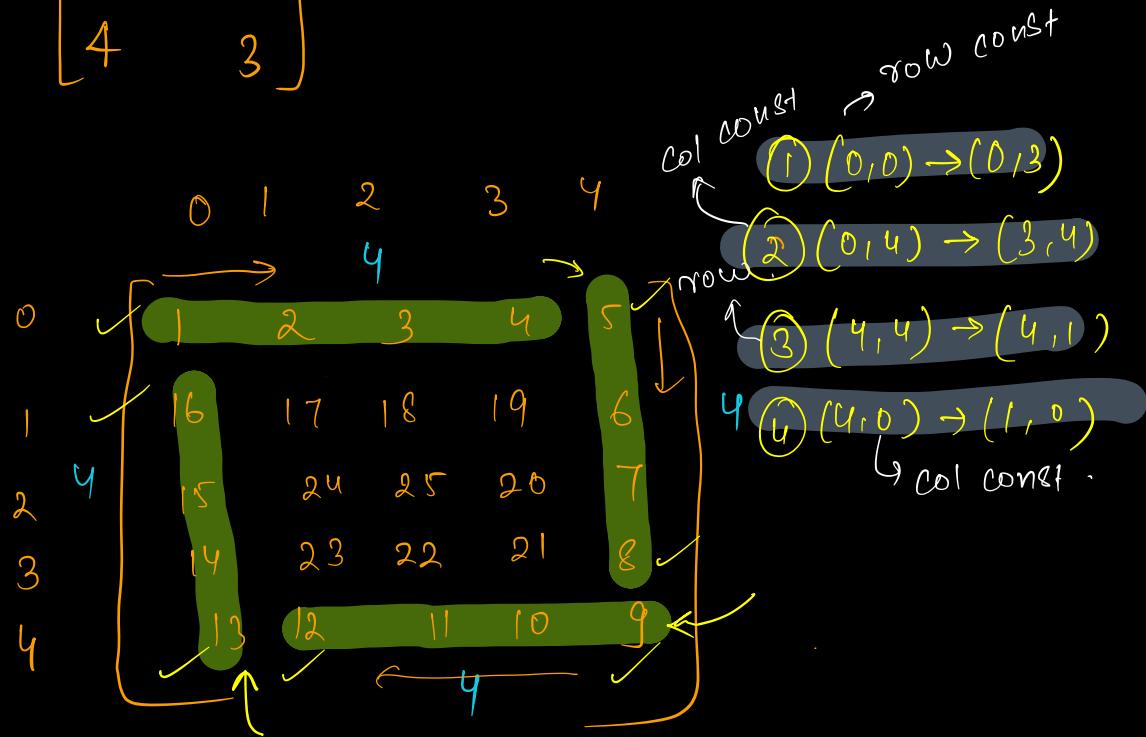
TC : O(N * M)
 SC : O(N + M) \rightarrow O(1)
 = \uparrow

Q4) Given an integer A, generate a square matrix filled with elements from 1 to A^2 in spiral order.

Eg $A=2$ \Rightarrow

$$\begin{bmatrix} 1 & 2 \\ 4 & 3 \end{bmatrix}$$

Eg $A=5$



Direction 1 (left to right)

Direction 2 (Top to Bottom)

Direction 3 (Right to left)

Direction 4 (Bottom to top)

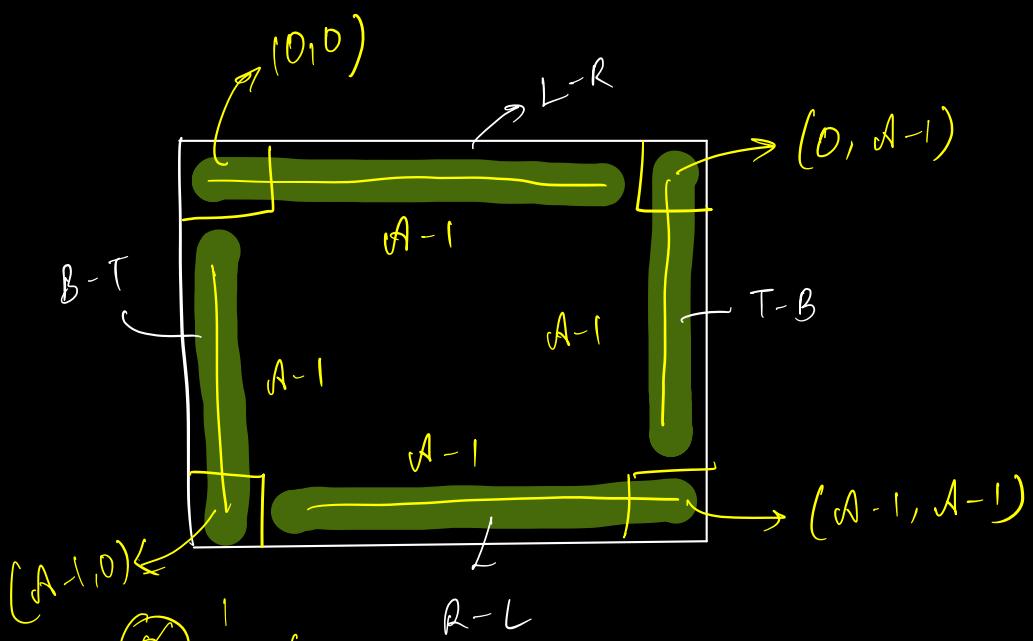
Row const

Col const

Row const

Col const

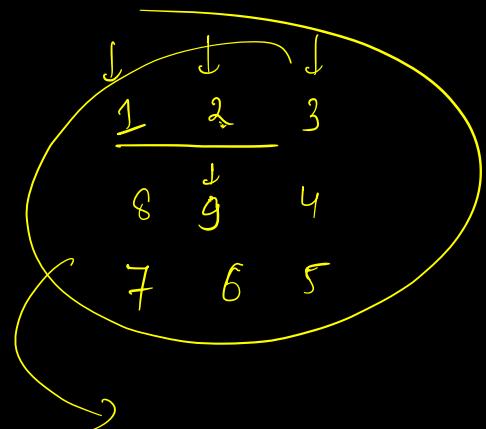
$A-1$ times



A=3

$i=0$ $c=1$
 $j=0$ x^2 x^6
 $j=1$ x^2 x^1

$(0,0) \rightarrow (1,1)$



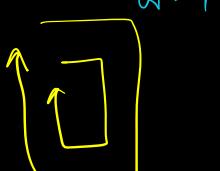
A=1

$\frac{A=5}{A=3}$ $\textcircled{A=1}$

1	2	3	4	5
16	17	18	19	6
15	14	25	20	7
13	12	11	21	8
13	12	11	10	9

1	2	3	4
12	13	14	5
11	16	15	6
10	9	8	7

$\frac{A=4}{A=2}$ $\textcircled{A=0}$



$A=4$

```

int mat[A][A];
counter = 1
i = 0
j = 0
while(A > 1) {
    // Left to right A-1 times
    for(k=1; k < A; k++) {
        mat[i][j] = counter
        counter++
        j++
    }
}

```

// Top to Bottom

```

for(k=1; k < A; k++) {
    mat[i][j] = counter;
    counter++;
    i++
}

```

// Right to left

```

for(k=1; k < A; k++) {
    mat[i][j] = counter;
    counter++;
    j--;
}

```

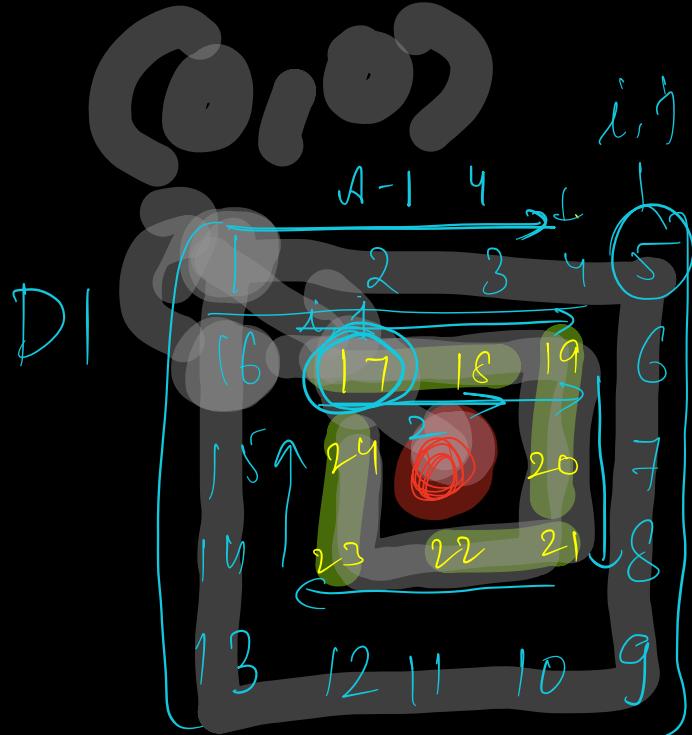
// Bottom to Up

```

for(k=1; k < A; k++) {
    mat[i][j] = counter;
    counter++;
    i--;
}

```

A = A - 2; i++; j++



D2

✓ A is changing
✓ i, j is changing
i, j = (2, 2)
A = 1

D3

TC: $O(A \times A)$
SC: $O(1)$

D4

if (A == 1)
mat[i][j] = counter;
return mat;

Q2) You are given an integer array A of length N comprising of 0's and 1's and an integer B.

O/P
array

You have to tell all indices of the array A that can act as centre of $2*B+1$ length

0-1 alternating Subarrays.

$2B+1$

// 0-1 Alternating Subarray.

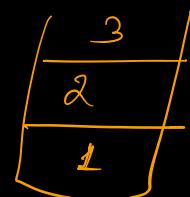
Eg : [1 0 0 1] { 0 1 0 1 0 } \downarrow

{ 0 1 0 0 1 ...
1 0 1 0 1 ... }

Eg arr : [1 0 1 0 1 0 1] $\frac{B=1}{K=\frac{2*B+1}{2} = 3}$

\Downarrow

ans = [1, 2, 3] ↗



Eg :- [0 1 2 3 4 5 6], B = 0

[0]
[1]

ans = [0, 1, 2, 3, 4, 5, 6]

$$2*B+1 = 1$$

list ans;

$$K = 2*B + 1$$

$$\left[\begin{smallmatrix} & [& [&] &] \\ 0 & | & K-1 & K \\ S & S & e & e \end{smallmatrix} \right] \quad \text{Alt. } \frac{s+e}{2}$$

$$[S \nearrow e]$$

$$\underline{s+b}$$

$$S = 0, e = \underline{K-1} \rightarrow || s \leq N-K$$

N
↑
N-K while (end < N) {

T C : O(N * K)

S C : O(1) $\frac{s-e+1}{\downarrow}$

|| [s, e]
if (isAlternating(arr, s, e)) {
 ans.add(s+b);
}
}

$$\left[\begin{smallmatrix} \downarrow & \downarrow \\ s & e \end{smallmatrix} \right]$$

$$\left[\begin{smallmatrix} \downarrow & \downarrow \\ s & e \end{smallmatrix} \right]$$

$$\underline{s+b}$$

$$\left[\begin{smallmatrix} \downarrow & \downarrow \\ s & e \end{smallmatrix} \right]$$

$$2B+1$$

{
 s++;
 e++;

} return ans;

|| Given a start and end index, you need to return
true if the subarray [s.. e] is alternating, else
return false .

→ bool isAlternating (int arr[], int s, int e) {

for (i = s+1; i <= e; i++) {

 if (arr[i] == arr[i-1]) {

 return false;

} }

} return true;

$$\left[\begin{smallmatrix} \downarrow & \downarrow & \downarrow \\ s & s+1 & e \end{smallmatrix} \right]$$

Doubts

$$S[7] = "167" \quad C = 0$$

$$87 \text{ or } 2 = 11 \downarrow 7 8 (9^{\circ} \text{ C}) \downarrow j$$

$$S_3 = \text{colib}(i >= 0 \& j >= 0 \& (S_1[i])^{-1} \circ (S_2[j])^{-1} \circ \dots) \quad j < 0$$

$$\underline{\text{sum}} = \underline{(S1[i] + S2[j])} + \text{carry}$$

$$83[\dot{\lambda}] = \left(\text{sum } \forall 10; \right) + '0' ,$$

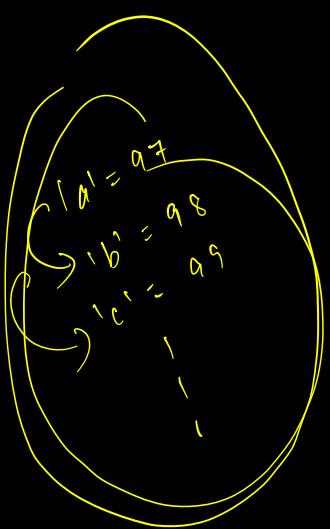
$$\text{Carry} = \lfloor \frac{\text{Sum}}{10} \rfloor;$$

A diagram illustrating the intersection of two curves. One curve is drawn in yellow and the other in blue. The intersection point is marked with a small circle. The label "alpha" is placed near the yellow curve, and the label "beta" is placed near the blue curve.

$$\begin{array}{r}
 & \text{sum} | 10 \\
 & \nearrow \\
 C = & (1) \boxed{1} (0) \\
 \\
 81 = & (1) \boxed{6} (\boxed{7}) \\
 \\
 62 = & \underline{(7) \boxed{8} (\boxed{9})} \\
 \\
 & \underline{9 \ 5 \ \boxed{6}} \\
 & \text{sum} // 10
 \end{array}$$

while($i \geq 0$ or $j \geq 0$ or carry > 0) {

1



$x \quad x+1$

'0' '1' '2' '3' '4'

$$\boxed{'0' - '0'} = 0$$

$$('1' - '0') = 1$$

$$\underline{'4' - '0'} = 4$$

if ($B > N$) {
return -1;
}