

Name: M. Imran Butt  
Reg no: L1F-24BSCS0596  
Section: C8

Lab #1

(a)  $(1010011.0)_2 = (?)_{10}$

$$\begin{aligned} & 2^6 \times 1 + 2^5 \times 0 + 2^4 \times 1 + 2^3 \times 0 + 2^2 \times 0 + 2^1 \times 1 + 2^0 \times 0 \\ & = (166)_{10} \end{aligned}$$

(b)  $(1110101)_2 = (?)_8$

0 1 1   1 0 1   0 1 1

$$= (353)_8$$

(c)  $(00110111)_2 = (?)_{16}$

$$\begin{array}{r} 0 0 1 1 \quad 0 1 1 1 \\ \hline = (37)_{16} \end{array}$$

(d)  $(3741)_8 = (?)_{10}$

$$= (2017)_{10}$$

(e)  $(7372)_8 = (?)_{16}$

it's binary  $\rightarrow$  3-bit

1 1 1   0 1 1   1 1 1   0 1 0

$$(11101111010)_2$$

now divide into 4-bit

$$(FFA)_{16}$$

$$2) \cancel{(71532)_10} = (?)_8$$

$$b) (4B2CA)_{16} = (?)_{10}$$

$$\begin{aligned} & 1 \times 16^4 + 11 \times 16^3 + 2 \times 16^2 + 12 \times 16^1 + 10 \times 16^0 \\ & = (111306)_{10} \end{aligned}$$

$$c) (7E5E2)_{16} = (?)_2$$

$$(0111\ 1110\ 0101\ 1110\ 0010)_2$$

$$d) (853325)_{10} = (?)_2$$

$$\begin{array}{r} 853325 \\ \hline 2 | 426662 - 1 \\ \hline 2 | 213331 - 0 \\ \hline 2 | 106665 - 1 \\ \hline 2 | 53332 - 1 \\ \hline 2 | 26666 - 0 \\ \hline 2 | 13333 - 0 \\ \hline 2 | 6666 - 1 \\ \hline 2 | 3333 - 0 \\ \hline 2 | 1666 - 1 \\ \hline 2 | 833 - 0 \\ \hline 2 | 416 - 1 \\ \hline 2 | 208 - 0 \\ \hline 2 | 104 - 0 \\ \hline 2 | 52 - 0 \\ \hline 2 | 26 - 0 \\ \hline 2 | 13 - 0 \\ \hline 2 | 6 - 1 \\ \hline 2 | 3 - 0 \end{array}$$

$$(1101\ 0000\ 0101\ 0100\ 1101)_2$$

2)

i)  $(71552)_{10} = (?)_8$

$$\begin{array}{r} 8 | 71552 \\ \hline 8 | 8944 - 0 \\ \hline 8 | 1118 - 0 \\ \hline 8 | 139 - 6 \\ \hline 3 | 17 - 3 \\ \hline 12 - 1 \end{array}$$

So  $(213600)_2$

Task-2:

(a)  $(1010010)_2 + (1011011)_2$

$$\begin{array}{r} 1010010 \\ + 1011011 \\ \hline 10101101 \end{array}$$

$= (10101101)_2$

b)  $(1101001)_2 \times (101)_2$

$$1101001$$

$$101$$

$$\begin{array}{r} 1101001 \\ \times 101 \\ \hline 1101001 \\ 0000000X \\ 1101001XX \\ \hline 1000001101 \end{array}$$

$(1000001101)_2 \rightarrow$

~~(←) →~~

(c)  $(110011)_2 / (11)_2$

$$\begin{array}{r} \underline{0100110} \\ 11 \longdiv{1110011} \\ \underline{-11} \\ \underline{01} \\ -11 \\ \underline{001} \\ -00 \\ \underline{0010} \\ -00 \\ \underline{00100} \\ -11 \\ \underline{00011} \\ -11 \\ \underline{000001} \\ 000000 \\ \hline 0000001 \end{array}$$

$$(110011)_2 / (11)_2 = (0100110)_2$$

$$d) \underbrace{(BCD)}_{(1011 \quad 1100 \quad 1101)_2} + \underbrace{(386)}_{(0011 \quad 1000 \quad 0110)_2} = (10111100 \quad 1101)_2$$

$$\begin{array}{r} 10111100 \quad 1101 \\ + 00111000 \quad 0110 \\ \hline 011 \end{array}$$

$$\begin{array}{cccc} ① & D & & \\ B & C & D & \\ 3 & 8 & 6 & \\ \hline F & 5 & 3 & \end{array}$$

$$13+6=19 \\ 15 > 18$$

$$18-16=2 \quad \underline{\quad 9}$$

$$12+9=21$$

$$21-16=$$

$$=(F53)_2$$

$$e) (4737)_8 + (121)_8$$

$$\begin{array}{r} 4737 \\ 121 \\ \hline 5060 \end{array}$$

$$8-8=1$$

$$= (5060)_8$$

3)

Task 3:

(a)  $57 + (-38)$

Using sign magnitude:

$57 = (00111001)_2$

$38 = 100110$

$38 = 00100110$

$\boxed{58 = 10100110}$

~~Ans~~

$$\begin{array}{r}
 00111001 \\
 00111001 \text{ (57)} \\
 + 10100110 \text{ (-38)} \\
 \hline
 11011111_2 = (223)_{10}
 \end{array}$$

Signed magnitude doesn't support binary arithmetic well due to sign handling. Must compare magnitude and assign separately.

Using One's Complement:

$57 = 00111001$

 $-38 = \text{invert bits of } 38 = 11011001$ 

Add

$$\begin{array}{r}
 00111001 \\
 11011001 \\
 \hline
 100010010 = \text{(224)}_{10} \quad \text{by adding carry bit}
 \end{array}$$

it's also invalid.

Using two's complement:

$38 \text{'s 1's complement} = 11011001$

$$\begin{array}{r}
 11011001 \\
 + 1 \\
 \hline
 11011010_2
 \end{array}$$

$$\begin{array}{r}
 00111001 \\
 + 11011010 \\
 \hline
 100010011
 \end{array}$$

Now the result is 9 bit but the final bit is discarded because we are working on 8-bit system.

$so\ 00010011 = (19)_{10}$  which is correct

(b)  $100 + (-51)$

$$(100)_{10} (01100100)$$

$$-51 \text{ in sign-magnitude} = 10110011$$

$$\text{One's Complement} = 11001100$$

$$\text{Two's Complement} = 11001101$$

Now let's addition

1) Sign Magnitude:

$$\begin{array}{r}
 01100100 (100) \\
 + 10110011 (-51) \\
 \hline
 11111111
 \end{array}$$

but if we consider sign-magnitude then ~~11111111~~ it would be ~~-23~~ which is invalid.

2) One's Complement Addition

$$\begin{array}{r}
 01100100 \\
 11001100 \\
 \hline
 10011000
 \end{array}$$

~~(01100100) so it is incorrect~~

adding the carry out bit

$$\begin{array}{r} 00110000 \\ + \quad \quad \quad 1 \\ \hline 00110001 \end{array}$$

$(00110001)_2 = (49)_{10}$ , which is ~~incorrect~~

### 3) Two's Complement Addition

$$\begin{array}{r} \overset{1}{0}1\overset{1}{1}\overset{1}{0}0100 \text{ (100)} \\ + 11001101 \text{ (-51)} \\ \hline 100110001 \end{array}$$

Discarding the carry out the result is

$(00110001)_2 = (49)_{10}$ , which is correct

$$(C) (-42) + (-84)$$

-42:

Sign-magnitude : 10101010

One's magnitude : 11010101

Two's Complement: 11010110

-84

Sign-Magnitude: 11010100

One's magnitude: 10101011

Two's complement: 10101100

Addition

i) Sign-magnitude:

$$\begin{array}{r} 10101010 \\ + 11010100 \\ \hline 10211110 \end{array}$$

- 126 correct

b) ii) One's Complement

$$\begin{array}{r} 00000001 \\ 11010101 \\ 20101011 \\ + \hline 11000000 \end{array}$$

iv) 2) Adding carry out

$$\begin{array}{r} 10000000 \\ \hline 10000001 \end{array}$$

129 incorrect

### 3) 2's Complement:

$$\begin{array}{r} \textcircled{1} \textcircled{1} \textcircled{1} \textcircled{0} \\ 11010110 \\ + 10101100 \\ \hline 11000010 \end{array}$$

Discarding carry-out bit the result  
is  $(10000010)_2 = +30$  invalid.

so first bit is 1 which means its negative  
let's find its value, performing two's complement

adding 1:

$$\begin{array}{r} 01111101 \\ \underline{+ 1} \\ \cancel{0} \cancel{1} \cancel{1} \cancel{1} \cancel{1} \cancel{0} \cancel{1} \\ \hline 01111101 \\ \underline{+ 1} \\ (01111101)_2 = 126 \end{array}$$

so it's correct.

# Task-4

a)  $(6178)_{BCD} + (4933)_{BCD}$

$$\begin{array}{r} 6178 \\ + 4933 \\ \hline \end{array}$$

so add digits

$$\cancel{3(1000)} + \cancel{3(0011)} = \cancel{11(00)}$$

$$\begin{array}{r} 000 \\ 6178 \\ + 4933 \\ \hline 1111 \end{array}$$

$$11 - 10 = 1$$

$$\boxed{(6178)_{BCD} + (4933)_{BCD} = 1111}$$

(b)  $(2901)_{BCD} + (4734)_{BCD}$

$$\begin{array}{r} 2901 \\ + 4734 \\ \hline 7635 \end{array}$$

$$(2901)_{BCD} + (4734)_{BCD} = (7635)_{BCD}$$