

CS5560 Knowledge Discovery and Management

Problem Set 4

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I. N-Gram

Consider a mini-corpus of three sentences

<s> I am Sam </s>

<s> Sam I am </s>

<s> I like green eggs and ham </s>

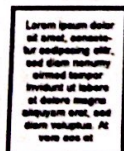
- 1) Compute the probability of sentence "I like green eggs and ham" using the appropriate bigram probabilities.
- 2) Compute the probability of sentence "I like green eggs and ham" using the appropriate trigram probabilities.

II. Word2Vec

Word2Vec reference: <https://blog.acolyer.org/2016/04/21/the-amazing-power-of-word-vectors/>

Consider the following figure showing the Word2Vec model.

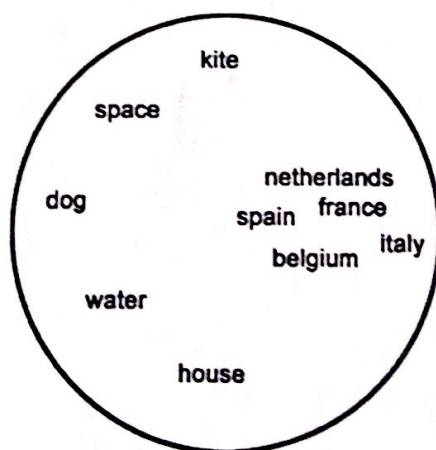
Input:
one document



word
vectors

word2vec

Model:



vector space

most_similar('france'):

spain	0.678515
belgium	0.665923
netherlands	0.652428
italy	0.633130

highest cosine
distance values
in vector space
of the nearest
words

- a. Describe the word2vec model

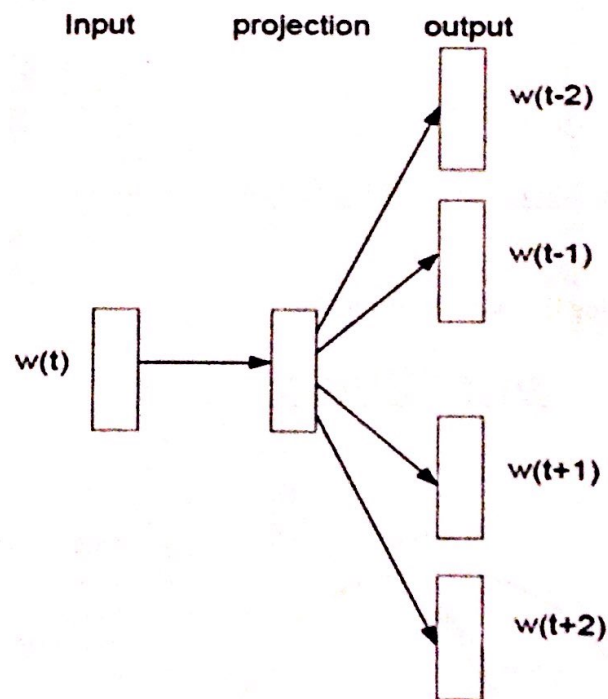
- b. Describe How to extend this model for multiple documents. Also draw a similar diagram for the extended model.

Describe the differences of the following approaches

- Continuous Bag-of-Words model,
- Continuous Skip-gram model

For the sentence “morning fog, afternoon light rain,”

- Place the words on the skip-gram Word2Vec model below.
- Draw a CBOW model using the same words.



①.

N-Gram: N-gram includes encoding of key words and also word ordering automatically.

1) Bi-gram probabilities:

Calculation:

$$P(w_i/w_{i-1}) = \text{Count}(w_{i-1}, w_i) / \text{Count}(w_{i-1})$$

Probability that word $i-1$ is followed by word $i =$

$$\frac{[\text{No. of times we saw word } i-1 \text{ followed by word } i]}{[\text{No. of times we saw word } i-1]}$$

$$[\text{No. of times we saw word } i-1]$$

S - beginning of sentence

E - end of sentence

$$P(2/S) = 2/3$$

$$P(\text{like}/E) = 1/3$$

$$P(\text{green/like}) = \frac{1}{1} = 1$$

$$P(\text{eggs/green}) = \frac{1}{1} = 1$$

$$P(\text{and/eggs}) = \frac{1}{1} = 1$$

$$P(\text{ham/and}) = \frac{1}{1} = 1$$

$$P(\text{is/ham}) = \frac{1}{1} = 1$$

2) Tri-gram probabilities:

Calculation:

$$P(w_i / w_{i-1}, w_{i-2}) = \text{Count}(w_i, w_{i-1}, w_{i-2}) / \text{Count}(w_{i-1}, w_{i-2})$$

Probability that we saw word w_{i-1} followed by word w_{i-2} followed by word w_i = $\frac{\text{Num times we saw the 3 words in order}}{\text{Num times we saw word } w_{i-1} \text{ followed by word } w_{i-2}}$

$$P(\text{green} / \text{I like}) = \text{Count}(\text{green I like}) / \text{Count}(\text{I like}) = \frac{0}{1} = 0$$

$$P(\text{eggs} / \text{like green}) = \text{Count}(\text{eggs like green}) / \text{Count}(\text{like green}) = \frac{0}{1} = 0$$

$$P(\text{and} / \text{green eggs}) = \text{Count}(\text{and green eggs}) / \text{Count}(\text{green eggs}) = \frac{0}{1} = 0$$

$$P(\text{ham} / \text{eggs and}) = \text{Count}(\text{ham eggs and}) / \text{Count}(\text{eggs and}) = \frac{0}{1} = 0$$

II Word 2 Vec:

a) Description: It is a two layer neural network that processes the text. The input is a text corpus.

Output which we receive is a set of vectors: feature vectors for words in that corpus.

W2V is not a deep neural network but a numerical form that deep nets can understand. There is no similarity as expressed 90° angle,

$$\text{Similarity} = \cos(\theta) = \frac{A \cdot B}{\|A\| \|B\|} = \frac{\sum_{i=1}^n A_i B_i}{\sqrt{\sum_{i=1}^n A_i^2} \sqrt{\sum_{i=1}^n B_i^2}}$$

In the representation, the input document is used to build a word 2 vec model contains word in the document and found the nearest words using cosine similarity.

b) Description of the Extension of W2V for multiple documents:

An extension of w2v model to construct embeddings from entire documents is called paragraph2vec or doc2vec.

Doc2vec is an unsupervised algorithm to generate vectors for sentence / paragraphs / documents. This algorithm is an adaptation of W2V model which generates vectors for words.

The vectors generated by doc2vec can be used for tasks like finding similarity between sentence / paragraphs / documents.

Doc2vec sentence vectors are word order independent. It generates word vectors constructed from character n grams and adding up the word vectors to compose a sentence vector.

It generates vector where the vector for a sentence is generated by predicting the adjacent sentences, that are assumed to be semantically related.

Model:

Input

'n' no. of doc



'1, 2, 3, ...'

training a word
vector for each
word and each
document gets a
Id/ty with a vector
while training.



most-similar ('france')

paris 0.5
louvre 0.7
normandy 0.6

highest cosine distance
values in vector space
with consideration of the
document vectors.

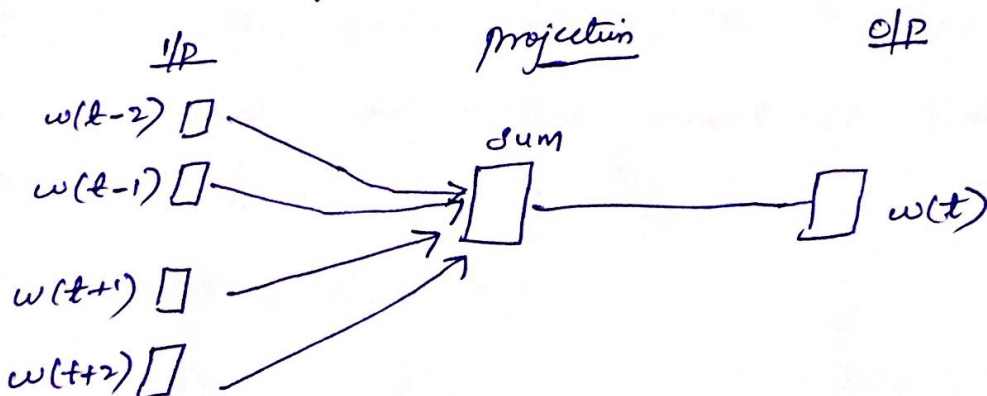
Vector space: Consists of word vectors for each word
by additional document vectors.

W2V model can utilize either of two model architectures to
produce a distributed representation of words

- Continuous Bag of words (CBOW)
- Continuous skip-gram

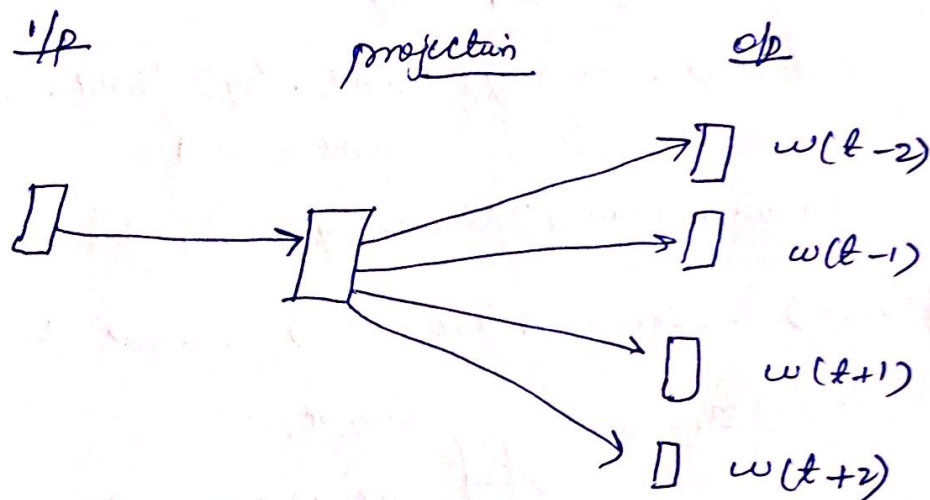
CBOW:

In the CBOW architecture, the model predicts the current
word from a window of surrounding context words.
The order of context words does not influence prediction.



Continuous skip-gram:

In this architecture, the model uses the current word to predict the surrounding window of context words. The skip-gram architecture weights nearby context words more heavily than more distant context words.

Diff b/w CBOW & Continuous skip gram:

- ① In CBOW, we need to think task as "predicting the word" where as 'we think predicting given a word'
- ② skip gram suits small amount of training data.
- ③ CBOW is faster to train, & slightly has a better accuracy
- ④ In skip-gram we need to create a lot more training instances from limited amount of data & for CBOW, we need more since the Conditioning on context, which can get exponentially huge.

" Morning fog , afternoon light rain "

I/P

Morning

fog

afternoon

light

rain

training samples

(morning , fog) , (morning , afternoon)

(fog , morning) (fog , afternoon) (fog , light)

(after noon , morning) (afternoon , fog) (afternoon , light)

(afternoon , rain)

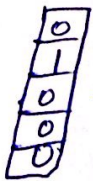
(light , morning) (light , fog) (light , afternoon),

(light , rain)

(rain , morning) (rain , fog) (rain , afternoon) (rain , light)

morning $\therefore (1, 0, 0, 0, 0)$ afternoon: $(0, 0, 1, 0, 0)$, light $(0, 0, 0, 1, 0)$

I/P



projection



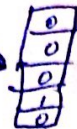
output



$w(t-1)$ (morning)



$w(t+1)$ (afternoon)



$w(t+2)$ (light)

• CBOW model:

