



# Functional Programming Paradigm CS315

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# Reference

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- Chapter 15 – Functional Programming Languages
  - Concepts of Programming Languages by Sebesta

# Topics

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- Introduction
- Mathematical Functions
- Fundamentals of Functional Programming Languages
- The First Functional Programming Language: LISP
- Support for Functional Programming in Primarily Imperative Languages
- Comparison of Functional and Imperative Languages

# Imperative vs Functional

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- The design of the imperative languages is based directly on the *von Neumann architecture*
  - Efficiency is the primary concern, rather than the suitability of the language for software development
- The design of the functional languages is based on *mathematical functions*
  - A solid theoretical basis that is also closer to the user, but relatively unconcerned with the architecture of the machines on which programs will run

# Mathematical Functions

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- A mathematical function is a *mapping* of members of one set, called the *domain set*, to another set, called the *range set*
- Function definitions are often written as a function name, followed by a list of parameters in parentheses, followed by the mapping expression

$$\text{cube}(x) \equiv x * x * x, \text{ where } x \in \mathbb{R}$$

- A *lambda expression* specifies the parameter(s) and the mapping of a function in the following form

$$\lambda(x) \quad x * x * x$$

for the function  $\text{cube}(x) = x * x * x$

# Lambda Expressions

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- Lambda expressions describe nameless functions
- Lambda expressions are applied to parameter(s) by placing the parameter(s) after the expression

e.g.,  $(\lambda (x) \ x * x * x) (2)$

which evaluates to 8

# More examples:

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## Square of a number

- Function form:  $\text{square}(x) \equiv x * x$ 
  - This means the function takes a number  $x$  and returns  $x$  squared (i.e., multiplied by itself).
- Lambda expression:  $\lambda(x) x * x$ 
  - This means "take  $x$  and return  $x$  squared."

## Add two numbers

- Function form:  $\text{add}(x, y) \equiv x + y$ 
  - This function takes two numbers,  $x$  and  $y$ , and returns their sum.
- Lambda expression:  $\lambda(x, y) x + y$ 
  - This means "take  $x$  and  $y$ , and return their sum."

# Functional Forms

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- A higher-order function, or *functional form*, is one that either takes functions as parameters or yields a function as its result, or both
- Common kinds:
  - function composition
  - apply-to-all



# Function Composition

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- A functional form that takes two functions as parameters and yields a function whose value is the first actual parameter function applied to the application of the second

Form:  $h \equiv f \circ g$

which means  $h(x) \equiv f(g(x))$

For  $f(x) \equiv x + 2$  and

$g(x) \equiv 3 * x,$

$h \equiv f \circ g$  yields

$(3 * x) + 2$

# Apply-to-all

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- A functional form that takes a single function as a parameter and yields a list of values obtained by applying the given function to each element of a list of parameters

Form:  $\alpha$

For  $h(x) \equiv x * x$

$\alpha(h, (2, 3, 4))$  yields (4, 9, 16)

# Fundamentals of Functional Programming Languages

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- The objective of the design of a FPL is to mimic mathematical functions to the greatest extent possible
- The basic process of computation is fundamentally different in a FPL than in an imperative language
  - In an imperative language, operations are done and the results are stored in variables for later use
  - Management of variables is a constant concern and source of complexity for imperative programming

# Fundamentals of Functional Programming Languages

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- In an FPL, variables are not necessary, as is the case in mathematics
- Iterative constructs are not possible
  - alternative: **recursion**
- Programs are function definitions and function application specifications
  - execution consists of evaluating function applications

# Fundamentals of Functional Programming Languages

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- **Referential Transparency**

- in an FPL, the evaluation of a function always produces the same result given the same parameters
- in purely functional programming language, semantics are far simpler

# Fundamentals of Functional Programming Languages

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- Functional languages provide:
  - a set of primitive functions
  - a set of functional forms to construct complex functions
  - structure to represent data

# Fundamentals of Functional Programming Languages

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- First functional language: LISP
  - **LIS**t **P**rocessing
    - syntax used for data and code not similar to imperative languages
- Other functional languages
  - Haskell
  - Scheme
  - Common LISP
  - ML
  - F#

# Support for Functional Programming in Primarily Imperative Languages

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- Support for functional programming is increasingly creeping into imperative languages
- Most important restriction:
  - support for higher-order functions



# Support for Functional Programming in Primarily Imperative Languages

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```
javascript
```

```
function add(a, b) {  
    return a + b;  
}
```

Regular Function  
Definition:

# Support for Functional Programming in Primarily Imperative Languages

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- To create an **anonymous function** in JavaScript, you simply remove the function's name:

javascript

```
(function(a, b) {  
    return a + b;  
});
```

javascript

```
let add = function(a, b) {  
    return a + b;  
};  
console.log(add(2, 3)); // Output: 5
```

Anonymous Function (Lambda Expression):

# Support for Functional Programming in Primarily Imperative Languages

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- Anonymous functions (lambda expressions)
  - In C#, the syntax for a lambda expression is:

```
csharp
```

```
(parameter) => expression
```

# Support for Functional Programming in Primarily Imperative Languages

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- Anonymous functions (lambda expressions)

- the lambda expression:

```
i => (i % 2) == 0
```

- checks whether a number is even or odd
    - returns true or false depending on whether the parameter is even or odd

# Support for Functional Programming in Primarily Imperative Languages

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- Python supports the higher-order functions `filter` and `map` (often use lambda expressions as their first parameters)

```
map(lambda x : x ** 3, [2, 4, 6, 8])
```

- Returns `[8, 64, 216, 512]`

# Comparing Functional and Imperative Languages

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- Functional Languages:
  - Simple syntax
  - Simple semantics
  - Less efficient execution
- Imperative Languages:
  - Complex syntax
  - Complex semantics
  - Efficient execution

# Comparing Functional and Imperative Languages

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- Readability:
- C (Imperative)

```
int sum_cubes(int n) {  
    int sum = 0;  
    for(int i = 1; i <= n; i++)  
        sum += i * i * i;  
    return sum;  
}
```

- Haskell (Functional)

```
sumCubes n = sum (map (^3) [1..n])
```

# Comparing Functional and Imperative Languages

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# Attendance:

[https://forms.gle/CSorA  
tJCbzSLLpUZ6](https://forms.gle/CSorAtJCbzSLLpUZ6)

