

Compiler Design

Fatemeh Deldar

Isfahan University of Technology

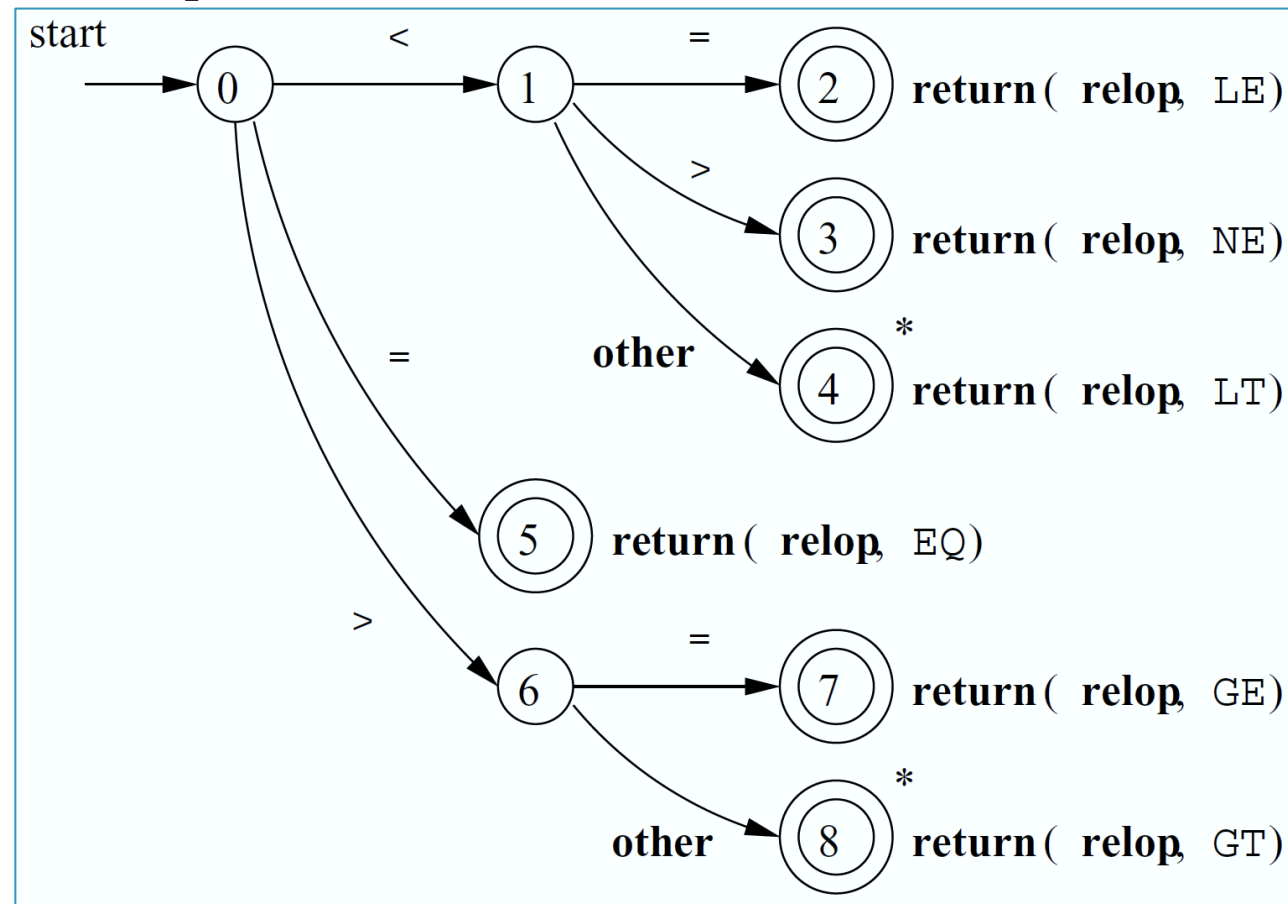
1402-1403

Transition Diagrams

- Transition diagrams have a collection of **nodes** or circles, called **states**
- **Edges** are directed from one state of the transition diagram to another
 - **Accepting or final states** indicate that a lexeme has been found
 - If it is necessary to retract the forward pointer one position, a ***** is placed near that accepting state
 - One state is designated the start state, or **initial state**

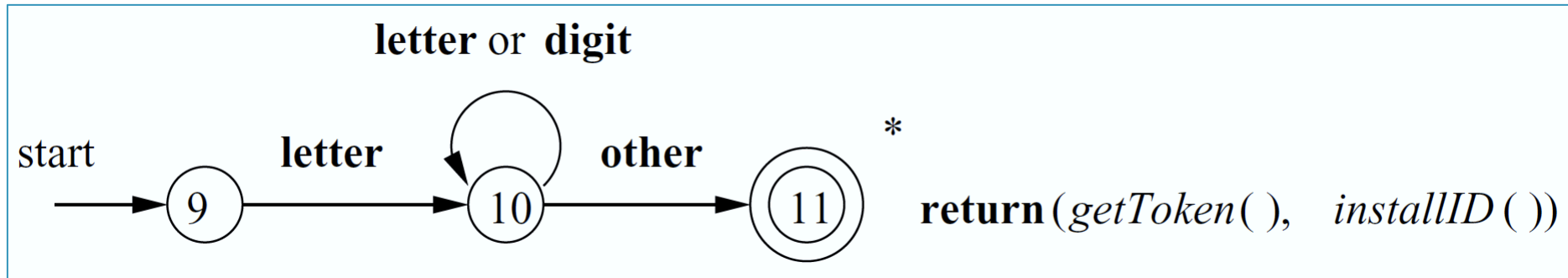
Transition Diagrams

- **Example:** A transition diagram that recognizes the lexemes matching the token `relop`



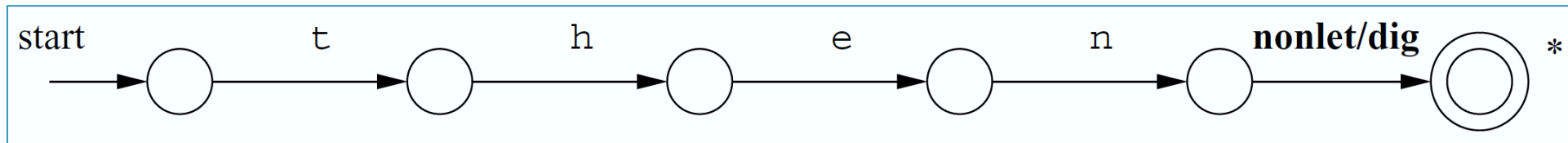
Transition Diagrams

- **Example:** Recognition of Reserved Words and Identifiers



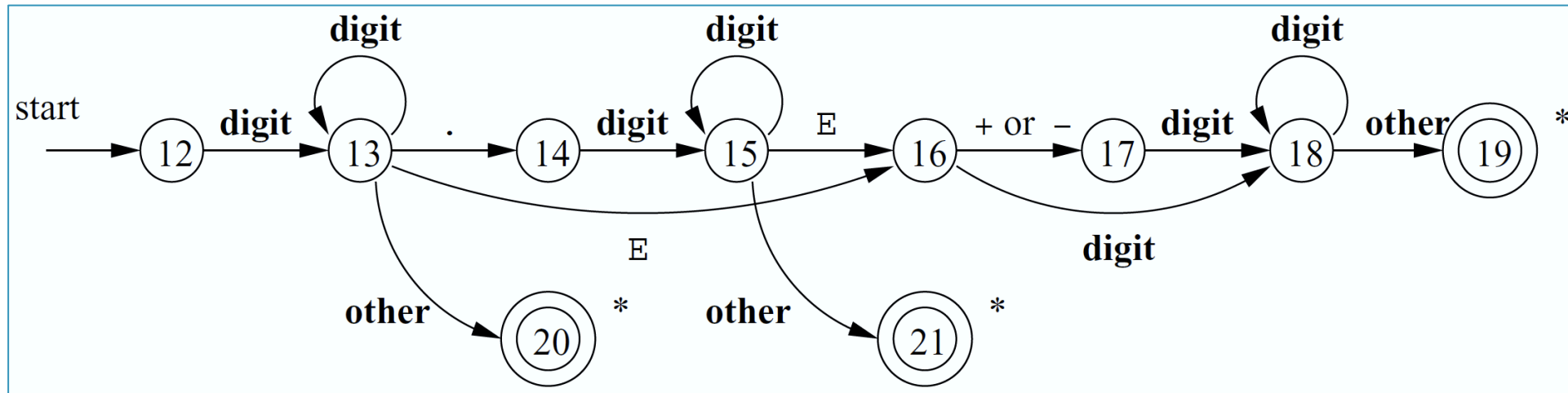
Transition Diagrams

- There are two ways that we can handle reserved words that look like identifiers:
 1. *Install the reserved words in the symbol table initially*
 - When an identifier is found, a call to **installID** places it in the symbol table if it is not already there
 2. *Create separate transition diagrams for each keyword*
 - In this method we must prioritize the tokens so that the reserved-word tokens are recognized in preference to id

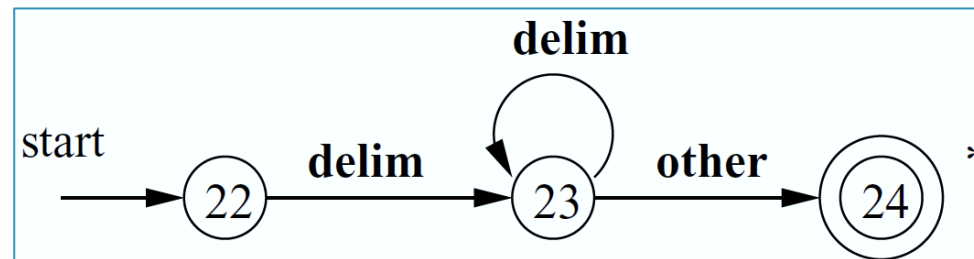


Transition Diagrams

- **Example:** The transition diagram for token number



- **Example:** The transition diagram for whitespace



Finite Automata

- Finite automata are recognizers
 - They simply say "yes" or "no" about each possible input string
- Finite automata come in two flavors
 - **Nondeterministic Finite Automata (NFA)**
 - It has no restrictions on the labels of their edges
 - A symbol can label several edges out of the same state, and ϵ is a possible label
 - **Deterministic Finite Automata (DFA)**
 - It has, for each state, and for each symbol of its input alphabet exactly one edge with that symbol leaving that state
- Both deterministic and nondeterministic finite automata are capable of recognizing the same languages, **called the regular languages**

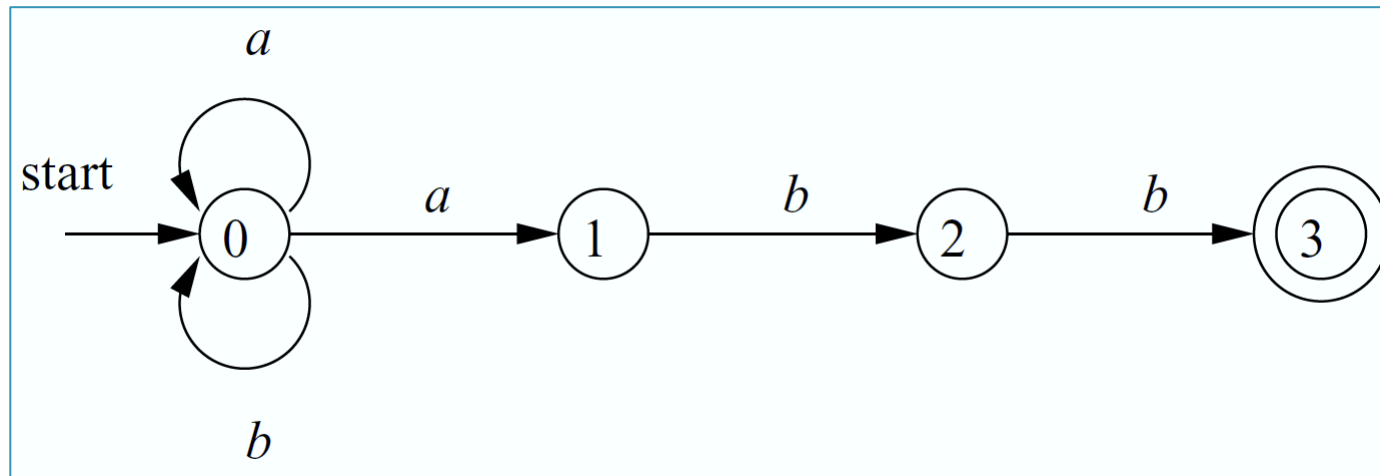
Nondeterministic Finite Automata

- **A nondeterministic finite automaton (NFA) consists of:**
 1. A finite set of states S
 2. A set of input symbols Σ , the input alphabet
 3. A transition function that gives, for each state, and for each symbol in $\Sigma \cup \{\epsilon\}$ a set of next states
 4. A state s_0 from S that is distinguished as the start state (or initial state)
 5. A set of states F , a subset of S , that is distinguished as the accepting states (or final states)

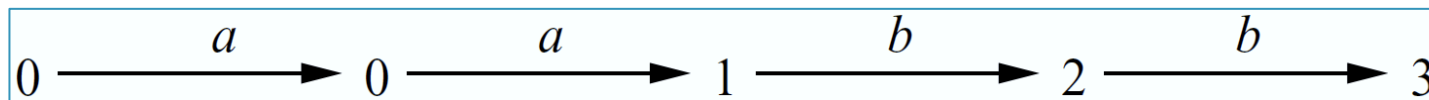
Nondeterministic Finite Automata

- **Example**

- The transition graph for an NFA recognizing the language of regular expression $(a|b)^*abb$



- The string **aabb** is accepted by the above NFA



Nondeterministic Finite Automata

- **Transition Tables**

- An NFA can also be represented by a transition table, whose rows correspond to states and columns correspond to the input symbols and ϵ

| STATE | a | b | ϵ |
|-------|-------------|-------------|-------------|
| 0 | $\{0, 1\}$ | $\{0\}$ | \emptyset |
| 1 | \emptyset | $\{2\}$ | \emptyset |
| 2 | \emptyset | $\{3\}$ | \emptyset |
| 3 | \emptyset | \emptyset | \emptyset |

Deterministic Finite Automata

- A deterministic finite automaton (DFA) is a special case of an NFA where:
 1. There are no moves on input ϵ
 2. For each state s and input symbol a , there is exactly one edge out of s labeled a
- Every regular expression and every NFA can be converted to a DFA accepting the same language

Simulating a DFA

```
s = s0;  
c = nextChar();  
while ( c != eof ) {  
    s = move(s, c);  
    c = nextChar();  
}  
if ( s is in F ) return "yes";  
else return "no";
```

Conversion of an NFA to a DFA

- The general idea
 - Each state of the constructed DFA corresponds to a set of NFA states
- Operations on NFA states

| OPERATION | DESCRIPTION |
|------------------------------|--|
| $\epsilon\text{-closure}(s)$ | Set of NFA states reachable from NFA state s on ϵ -transitions alone. |
| $\epsilon\text{-closure}(T)$ | Set of NFA states reachable from some NFA state s in set T on ϵ -transitions alone; $= \cup_{s \text{ in } T} \epsilon\text{-closure}(s)$. |
| $\text{move}(T, a)$ | Set of NFA states to which there is a transition on input symbol a from some state s in T . |