Exercise 2 (6.2)

Data

```
Variance reduction for delta = 10.0

Mean with propor. allocation + CV = 55.650

Variance with propor. allocation + CV = 207.017

Variance reduction for delta = 1.0

Mean with propor. allocation + CV = 6.270

Variance with propor. allocation + CV = 15.704

Variance reduction for delta = 0.1

Mean with propor. allocation + CV = 0.638

Variance with propor. allocation + CV = 1.607
```

Conclusion

So I used the (a + c) synchronization for the CRNs, the same as for exercise 1. If we check the results for exercise 1:

```
CRNs with the (a + c) synchronization
delta = 10.0 avg = 55.84410000000003 var = 2113.079303120312
delta = 1.0 avg = 6.25429999999966 var = 38.38847035703572
delta = 0.1 avg = 0.643300000000003 var = 2.013266436643664
```

We can see that the variance was reduced quite a bit compared to exercise 1:

```
\delta = 10: 2113.079 \rightarrow 207.017

\delta = 1: 38.388 \rightarrow 15.704

\delta = 0.1: 2.013 \rightarrow 1.607
```

The ratio grows bigger as δ grows so the control variable helps a lot when the difference between the two systems gets bigger (although at some point, I expect it to make not much of a difference if δ gets too big, because the estimate would be pretty useless for both I guess).

If delta is small (0.1), the extra work might not make much sense, but for bigger values, it sure does.

This is a sad conclusion, since programming these things tends to give me headaches.