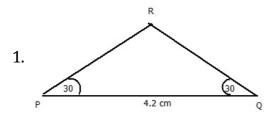


## CBSE Worksheet-1 CLASS –VII Mathematics (Practical Geometry)

- 1. Construct an isosceles triangle PQR where the non-equal side PQ = 4.2 cm and base angles are 30° each.
- 2. If  $\triangle$  ABC exactly coincides with  $\triangle$  PQR then the triangles are\_\_\_\_\_.
- 3. In  $\triangle$  ABC, BC = CA. Which of its two angles are equal?
- 4. If AB = QP, AC = QR, BC = PR, then  $\triangle$  ABC  $\cong$   $\triangle$  QPR, state the congruence criterion involved here.
- 5. State true or false: The total measure of all the three angles of a triangle is 360°.
- 6. If we have PQ = 5 cm,  $\angle$ PQR= 115° and  $\angle$ QRP = 30°, can we construct a  $\triangle$  PQR with these measurements?
- 7. Construct a  $\triangle$  LMN, in which MN = 6cm, ML= 4.5 cm and  $\angle$ M = 30°.
- 8. Construct a right triangle PQR in which  $\angle Q = 90^{\circ}$ , PR = 6 cm and QR = 4 cm.



# CBSE Worksheet-1 CLASS –VII Mathematics (Practical Geometry) Answer key



2. congruent.

#### **Explanation:**

If three sides and three angles of one triangle are equal to three sides and three angles of second triangle then the two triangles are said to be congruent.

3. 
$$\angle A = \angle B$$
.

#### **Explanation:**

In an isosceles triangle, the angles opposite to equal sides are equal.

In  $\triangle$  ABC, the angle opposite to side BC is  $\angle$ A and the angle opposite to side CA is  $\angle$ B. Hence, if BC = CA, then  $\angle$ A =  $\angle$ B.

4. SSS.

#### **Explanation:**

If three sides of a triangle are equal to three corresponding sides of another triangle, then the two triangles are said to be congruent according to SSS congruency criterion.

Given, in  $\triangle$  ABC and  $\triangle$  QPR,

$$AB = QP$$
,  $AC = QR$ ,  $BC = PR$ 

Therefore,  $\triangle$  ABC  $\cong$   $\triangle$  QPR , by SSS congruency criterion.

5. False.

### **Explanation:**

According to angle sum property of a triangle, sum of 3 angles of a triangle should be 180°.

6. Yes.

#### **Explanation:**

Given, in 
$$\triangle$$
 PQR, PQ = 5 cm,  $\angle$  PQR= 115° and  $\angle$  QRP = 30°

We can locate point R, by constructing the third  $\angle$ QPR = 35° [180°- (115° + 30°)] from the point P, which meets  $\angle$ PQR at R