

Hybrid Belief Pruning with Guarantees for Viewpoint-Dependent Semantic SLAM

Tuvy Lemberg and Vadim Indelman



ANPL

Autonomous Navigation
and Perception Lab



TECHNION
Israel Institute
of Technology

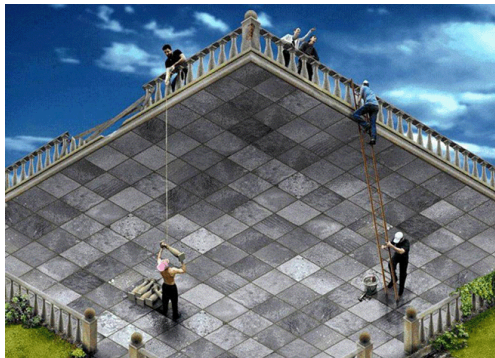
Introduction

- ▶ Today, robots performing complex tasks.
- ▶ Semantic maps are often needed.
- ▶ Advances in object recognition and classification enable the mapping.
- ▶ Usually it is assumed semantic observations are viewpoint independent $p(z^s \mid c_n)$.

Class- and Viewpoint-Dependent

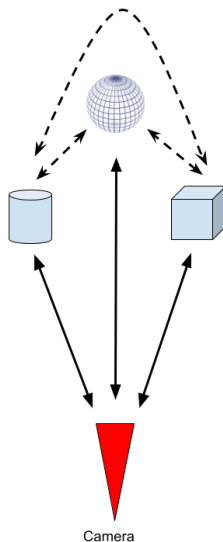
A viewpoint-dependent observation model is more natural.

- ▶ Looking on the people below - it's a floor
- ▶ Looking on the people above - it's a roof.



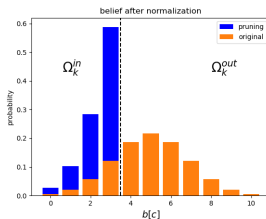
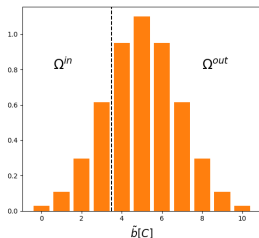
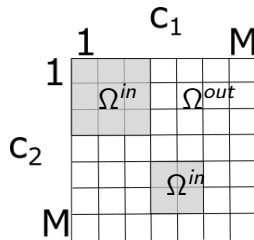
Problem Formulation

- ▶ View-dependent observation model $p(z^s \mid c_n, x^r)$.
- ▶ Classes and camera pose are dependent.
- ▶ Classes of different objects are dependent.
- ▶ $\# \text{classes}^{\# \text{objects}}$ hypotheses.
- ▶ Pruning hypotheses is essential.



Problem Formulation - Continuation

- ▶ $\Omega^{in}, \Omega^{out}$ - maintained and pruned sets
- ▶ $\tilde{b}[C]$ - unnormalized belief.
- ▶ $\eta = \left(\sum_{C \in \mathcal{C}} \tilde{b}[C]\right)^{-1}$ - normalizer.
- ▶ $\eta_{prun} = \left(\sum_{C \in \Omega^{in}} \tilde{b}[C]\right)^{-1}$ - after pruning.
- ▶ $b[C] = \eta \tilde{b}[C] \leq \eta_{prun} \tilde{b}[C]$.
- ▶ No indication about pruned hypotheses.



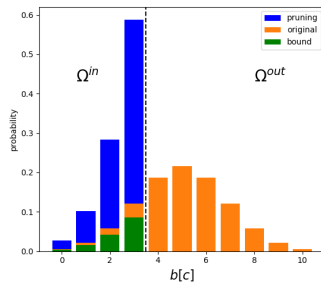
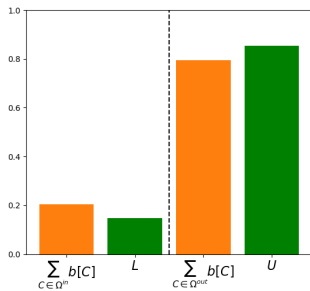
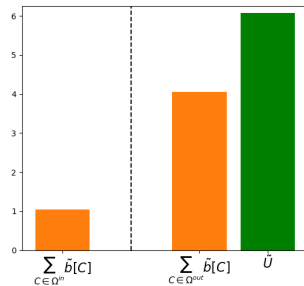
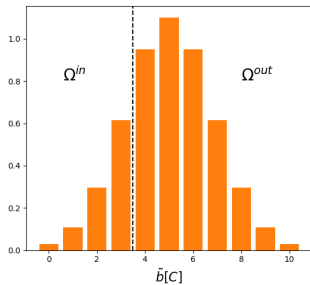
Approach

We consider two cases:

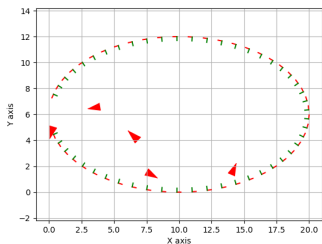
- ▶ Independent prior: $\mathbb{P}_0(C) = \prod_{n=1}^N \mathbb{P}_0(c_n)$.
- ▶ Dependent prior: $\mathbb{P}_0(C) \neq \prod_{n=1}^N \mathbb{P}_0(c_n)$.

By obtaining the normalization factor/lower bound, we

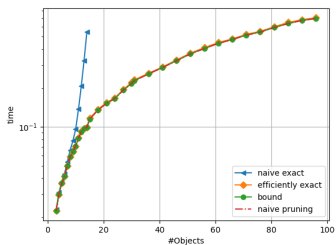
- ▶ Probabilities/lower bounds.
- ▶ Indication of pruned hypotheses.
- ▶ Conservative belief.



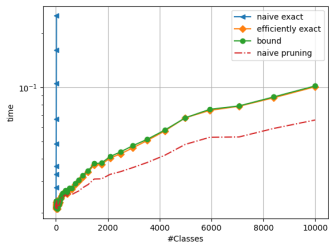
Experiments



simulated environment

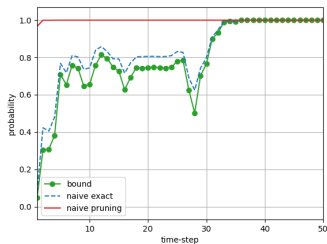


running time vs #objects



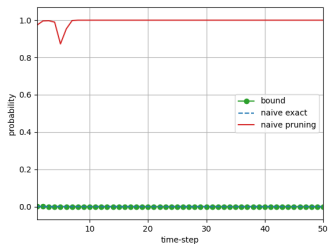
running time vs #classes

Experiments

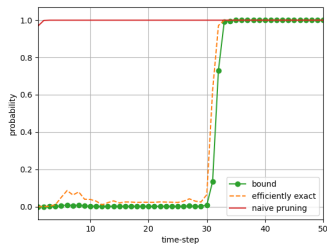


$$C^{(t)} \in \Omega^{in}$$

Dependent prior

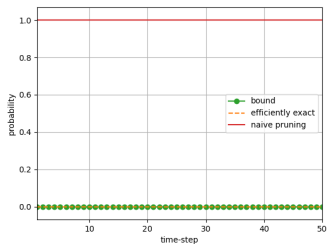


$$(a) C^{(t)} \notin \Omega^{out}$$



$$C^{(t)} \in \Omega^{in}$$

Independent prior



$$C^{(t)} \notin \Omega^{out}$$

Conclusions

- ▶ View-dependent model - coupling.
- ▶ Exponential number of hypotheses.
- ▶ Naive pruning - overconfident.
- ▶ The proposed alternatives:
 - ▶ Guarantee confidence in classification.
 - ▶ Runtime nearly same.
 - ▶ More accurate.