
Assignment 7

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2 Polynomial Multiplication:

This multiplication of polynomials is carried out by 3 methods:

1. School Method
2. Karatsuba's Algorithm
3. FFT divide and conquer

System Settings

All tests were done on **Intel(R) Core(TM) i3-5005U CPU @ 2.00GHz** processor. This computer is **dual core** where each core has **2 threads**. Also during each experiment it was insured that **no other applications** were running in the background, so that we don't have any biased readings.

Implementations

We have 2 polynomials, say a and b with $n-1$ max power, i.e., the total number of elements in each polynomial is n .

School Method

This is a naive way of multiplying 2 polynomials. We multiply each element of b with all elements of a and get the output. This takes $O(n)$ time complexity.

To do the same in parallel and to distribute almost the same amount of work to each processor, we tell each processor to get the answer of each mod p , which has value equal to processor id, coefficient of final array. If p divides n , then it can be shown that the same amount of work is done by all the threads.

Karatsuba's Algorithm

FFT Divide and Conquer

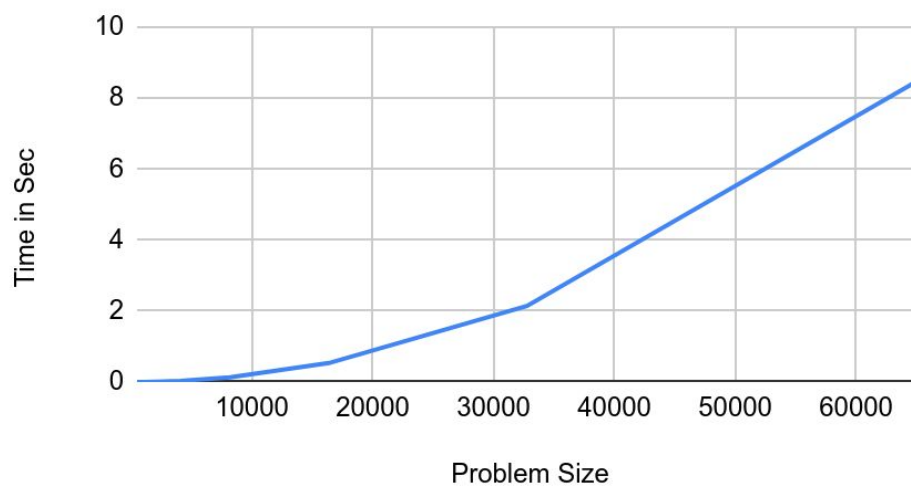
Observations

School Method:

1. Changing problem size and using 4 threads:

Problem Size	Time in Sec
512	0.000733229
1024	0.00241978
2048	0.00911779
4096	0.0333559
8192	0.13334
16384	0.535747
32768	2.14428
65536	8.57661

Time in Sec vs. Problem Size



2. Changing Number of threads keeping size = 65536:

Num Threads	Time (in sec)
1	18.8415
2	9.44706
4	8.56408
8	8.54682
16	8.5623

Time (in sec) vs. Num Threads

