

# Combined Object Categorization and Segmentation with an Implicit Shape Model

Bastian Leibe  
Ales Leonardis  
Bernt Schiele

Slides/images sourced off:

<http://crcv.ucf.edu/courses/CAP5415/Fall2012/Lecture-4-Harris.pdf>

Leibe et al. Combined Object Categorization and Segmentation with an Implicit Shape Model

Leibe et al. Interleaved Object Categorization and Segmentation

[http://www.cse.psu.edu/~rtc12/CSE598G/introMeanShift\\_6pp.pdf](http://www.cse.psu.edu/~rtc12/CSE598G/introMeanShift_6pp.pdf)

Presented by:

Mukul Sati

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# Combined Object Categorization and Segmentation with an Implicit Shape Model

- Traditionally (back then), no object information used in segmentation.
- Segmentation done primarily on low level features in an unsupervised setting.
- Human vision - object recognition is intertwined with segmentation.

# Overview

- Goal – object categorization and segmentation in the wild.
- Steps:
  - Training:
    - Learn a code-book of local appearance for each object class.
    - Learn implicit shape model for the object classes using the local code-books.
  - Object Detection:
    - Extract test image patches and match them to code-book entries for each object.
    - Each “activated” code-book entry votes for the object and the object’s center.
  - Segmentation:
    - Per object segmentation masks + per-pixel confidence estimate for segmentation.

# Overview

Input

Training



Training images



Segmentations

Car

Object Labels

+ Perhaps  
object centers

Testing



Novel Image  
(ignore bounding  
boxes)

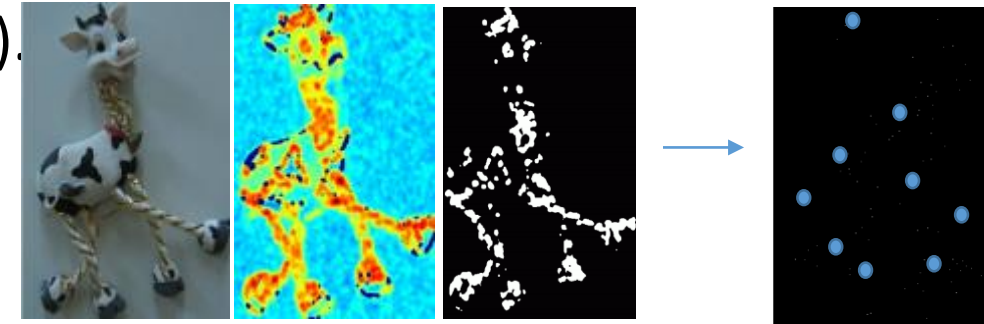
Output



Object Hypotheses +  
Per pixel  
background /  
foreground estimate

# Local code-book creation – Interest Point Detection

- First, detect interest points using Harris detectors
  - Compute sample covariance matrix  $M$  for (2D) intensity gradient at each pixel.
  - Compute corner response ( $C = f(\text{EigenVals}(M))$ ).
  - Interest points – maxima of thresholded  $C$ .
  - Take 25X25 pixel patches.

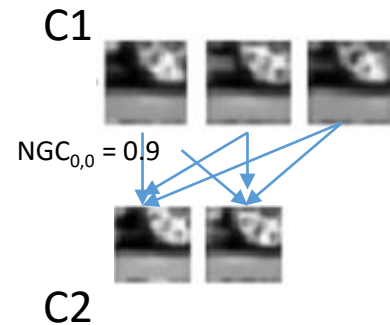


# Local code-book creation – Agglomerative Clustering

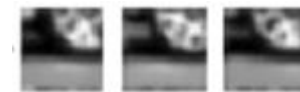
For a pair of patches (p,q): Normalized Grayscale correlation =  $NGC(p,q) = \frac{\sum_i (p_i - \bar{p})(q_i - \bar{q})}{\sqrt{\sum_i (p_i - \bar{p})^2 \sum_i (q_i - \bar{q})^2}}$



Start with each patch as a separate cluster. Merge two clusters if they are similar.  $similarity(C_1, C_2) = \frac{\sum_{p \in C_1, q \in C_2} NGC(p,q)}{|C_1| \times |C_2|} > t$   
 (Average of pair-wise NGCs of each pair in  $C_1 \times C_2$ .  $t = 0.7$  for their experiments)

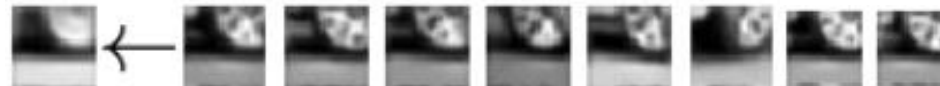


Similarity(C1, C2) = 0.85  
 (C1 and C2 will be merged)



Similarity = 0.4

When no more clustering possible, average patches in each cluster to obtain representative patch for each cluster.



# Local code-book creation: Input => Output



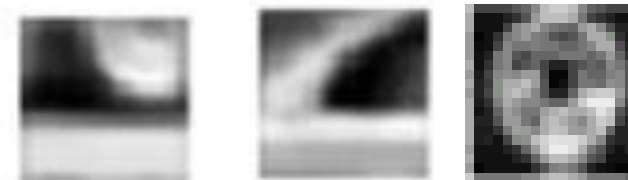
Car

Training images +  
Labels (object categories)

**Object centers??**



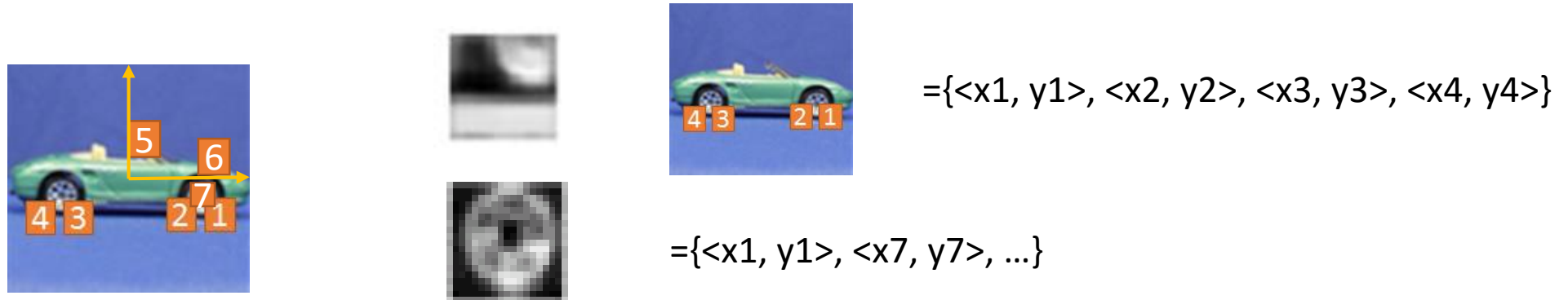
Interest Point Patches



Per object class code-book

# Implicit Shape Model creation from local code-book

- For all training images, match codebook entries to interest point image patches using the similarity measure.
- Activate all entries whose similarity is above threshold 't'.
- For each activated entry, store positions it was activated in wrt. object center.

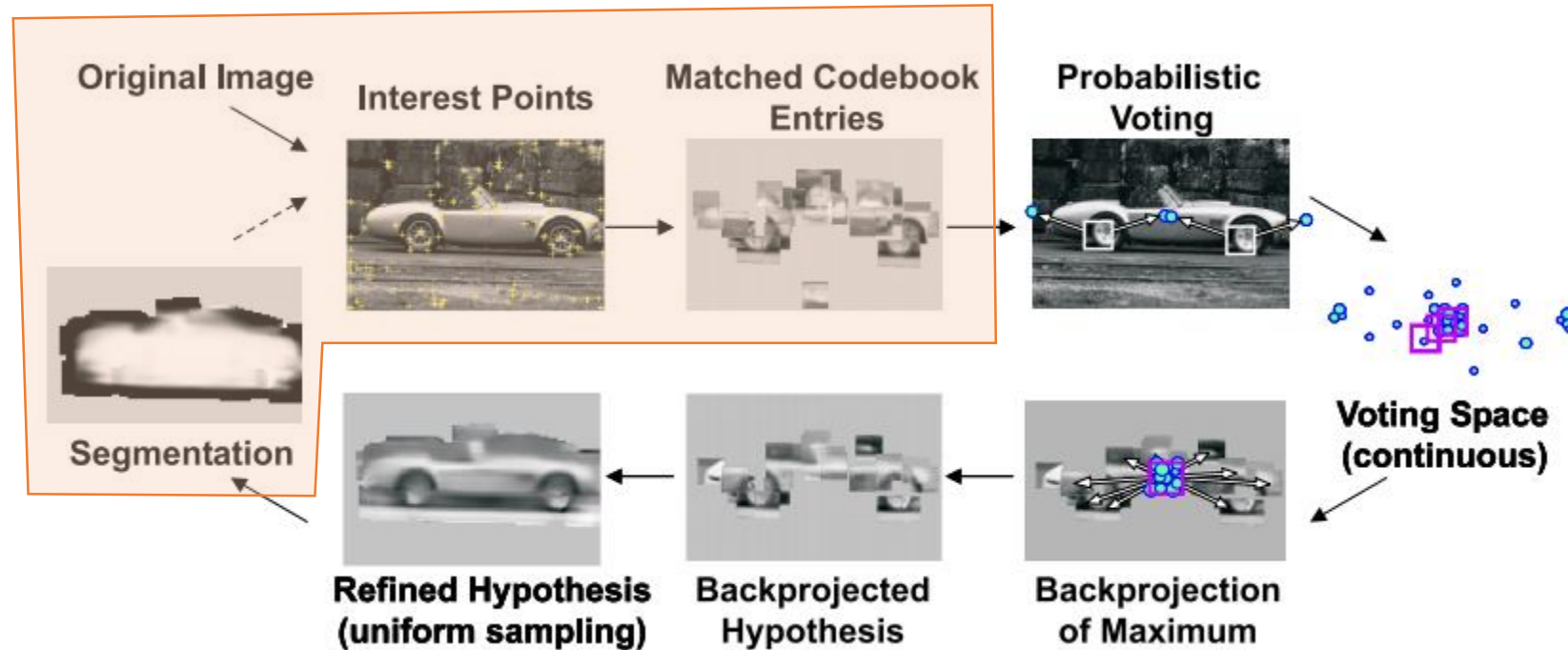


- **Output: one Implicit model per object class (encoding spatial locations of code-book entries)**





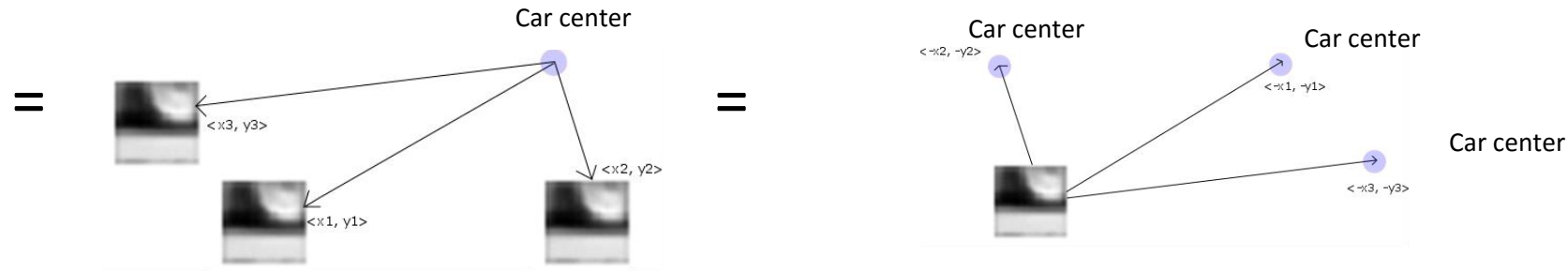
# Image Recognition at a glance



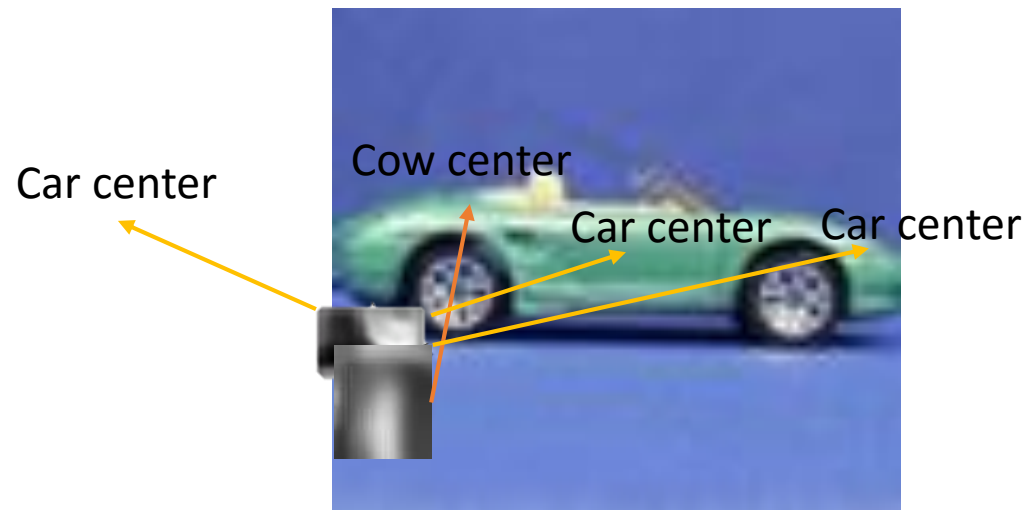
For a given image, find interest points and match against all code-book entries for all classes to find activated code-book entries. *Note – each image patch can match multiple code-book entries, even across object code-books.*

# Generalized Hough Transform / patch voting

- Implicit Shape Model:  = {<Object, x1, y1>, ...}. This is the same info as:

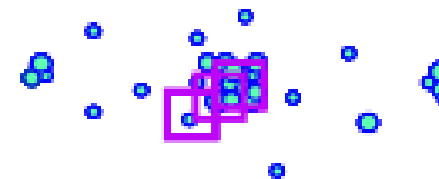
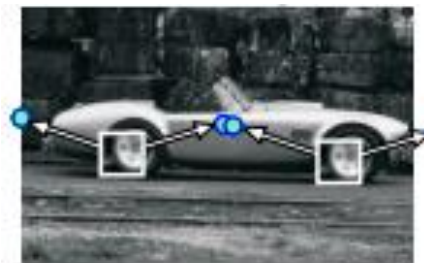
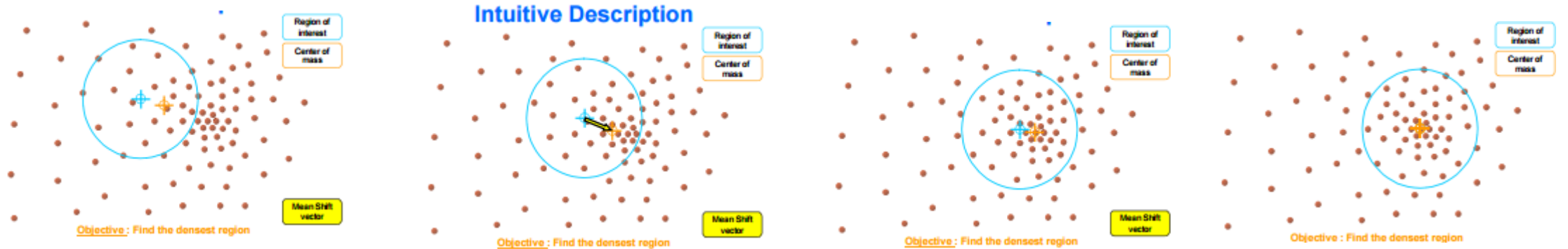


- Each matched code-book entry for each Harris detected image-patch makes votes for **objects** & their **centers**



# Mean-shift Mode estimation for maxima in *continuous* voting space

- The object centers would concentrate at valid hypothesized object centers.
- Mean-shift mode estimation - non-parametric way of finding mode(s) of the probability density function from discrete samples.



**Voting Space**

# Probabilistic Interpretation of the voting scheme

- Given an image patch  $\mathbf{e}$ , at location  $\ell$ , it activates a set  $\{I_i\}$  of code-book entries. The contribution of each entry will be weighted by  $p(I_i|\mathbf{e},\ell)$ .
- An activated entry casts its vote for its object  $o_n$  at multiple positions  $x$ .

$$\begin{aligned}
 p(o_n, x|\mathbf{e}, \ell) &= \sum_i p(o_n, x|\mathbf{e}, I_i, \ell) p(I_i|\mathbf{e}, \ell). \\
 &\quad \text{Once } I \text{ is known, independent of } \mathbf{e} \quad \text{Matching is location agnostic} \\
 p(o_n, x|\mathbf{e}, \ell) &= \sum_i p(o_n, x|I_i, \ell) p(I_i|\mathbf{e}). \\
 &\quad \text{Hough vote} \quad \text{Quality of patch match with code-book entry} \\
 &= \sum_i p(x|o_n, I_i, \ell) p(o_n|I_i, \ell) p(I_i|\mathbf{e}). \\
 score(o_n, x) &= \sum_k \sum_{x_j \in W(x)} p(o_n, x_j|\mathbf{e}_k, \ell_k). \\
 &\quad \text{Confidence code-book entry is a foreground patch}
 \end{aligned}$$

- Mean-shift search corresponds to a Parzen window density estimate of the object center.

# Category Specific object Segmentation – per pixel foreground / background estimates

- From the voting – Hypothesis -  $p(o_n, x)$ .
- Want  $p(p = \text{figure} \mid o_n, x)$  for each pixel  $p$ , given a hypothesis – *category specific*.
- Each patch detected in training images has a  $p(\text{figure})$  segmentation mask. Each code-book entry stores mask of matched patch as well along with its location in the object. Gives  $p(p = \text{figure} \mid o_n, x, l, \ell)$



# Category Specific object Segmentation – per pixel foreground / background estimates



Each pixel belongs to interest patches that are matched to multiple code-book entries that each have the segmentation mask assigned to them.

# Probabilistic formulation

$$p(\mathbf{e}, \ell | o_n, x) = \frac{p(o_n, x | \mathbf{e}, \ell) p(\mathbf{e}, \ell)}{p(o_n, x)} = \frac{\sum_I p(o_n, x | I, \ell) p(I | \mathbf{e}) p(\mathbf{e}, \ell)}{p(o_n, x)}$$

Influence of patch 'e' on a particular hypothesis

Bayes

Accumulate over constituent code-book entries

$$p(\mathbf{p} = \textit{figure} | o_n, x) = \sum_{\mathbf{p} \in (\mathbf{e}, \ell)} p(\mathbf{p} = \textit{figure} | o_n, x, \mathbf{e}, \ell) p(\mathbf{e}, \ell | o_n, x)$$

Consider each image interest patch overlapping pixel 'p'

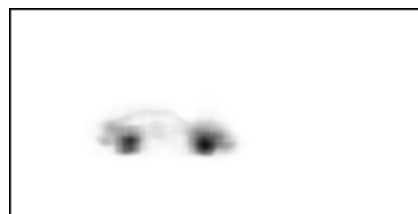
$$p(\mathbf{p} = \textit{figure} | o_n, x) = \sum_{\mathbf{p} \in (\mathbf{e}, \ell)} \sum_I p(\mathbf{p} = \textit{fig.} | o_n, x, \mathbf{e}, I, \ell) p(\mathbf{e}, I, \ell | o_n, x)$$

Split each patch into contributions of code-book entries

$$= \sum_{\mathbf{p} \in (\mathbf{e}, \ell)} \sum_I p(\mathbf{p} = \textit{fig.} | o_n, x, I, \ell) \frac{p(o_n, x | I, \ell) p(I | \mathbf{e}) p(\mathbf{e}, \ell)}{p(o_n, x)}$$

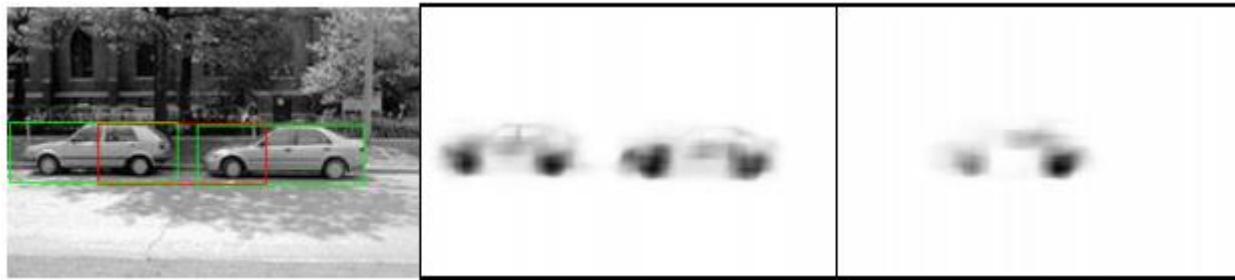
Resolve into code-book entries (like last time)

$$L = \frac{p(\mathbf{p} = \textit{figure} | o_n, x)}{p(\mathbf{p} = \textit{ground} | o_n, x)}$$

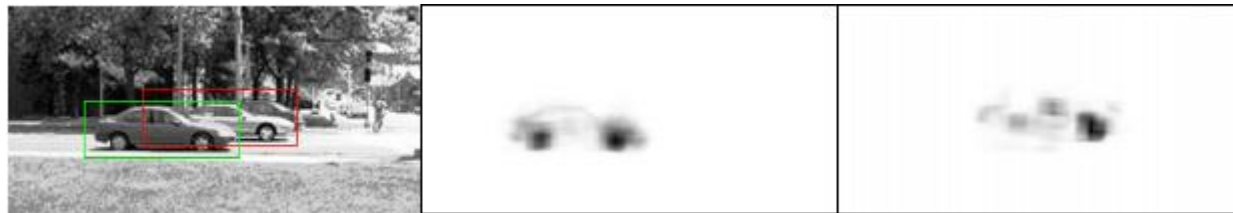


# Reducing false positives / Handling multiple objects

- Matching is done via local patches, with global structure enforced through voting.
- Large number of false positives due to secondary hypothesis



- Bounding boxes based rejection (if two hypothesis bounding boxes intersect, keep the one which is stronger)
- solves above case. Bounding boxes may actually intersect due to occlusion.



- **So, when do we combine report the weaker hypothesis as well, and when not?**



# Hypothesis set selection based on Min Descriptor Length

- Describe image: We can explain away a pixel as belonging to an object or we have to encode its grayscale value. We “save” on description length if we explain away  $S_{area}$  pixels due to an object. However, we subtract model complexity – prefer low number of objects, and penalize explaining away a pixel as object when segmentation says it is background.

$$S_h = K_0 S_{area} - K_1 S_{model} - K_2 S_{error} \rightarrow \sum_{\mathbf{p} \in Seg(h)} (1 - p(\mathbf{p} = \textit{figure} | h))$$

- For overlapping hypotheses  $h_1$  and  $h_2$  consider the “savings” made by combined hypotheses. Select overlapping hypothesis if +ve.

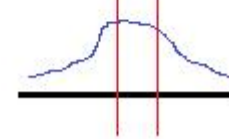
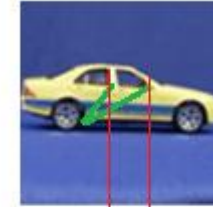
$$S_{h_1 \cup h_2} = S_{h_1} + S_{h_2} - S_{area}(h_1 \cap h_2) + S_{error}(h_1 \cap h_2)$$

# Potential discussion topics

- Articulated objects – interpolation across different types of objects
  - Votes made by patches from different training images and continuous voting space.  
Disadvantages?



Training



Testing

- Invariances in the matching?
- Non-rigid articulations / soft body deformations.
- Statistical issues in the use of per frame snapshots of videos for analysis.
- Category independent code-books – bag of visual words type?