Training Autoencoder For Image Compression

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Abstract

Image contains abundant amount of information therefore its quite challenging to store this as it requires huge amount of space and memory. At the same time, if the size of the data is very big then it takes far-reaching to propagate to the receiver. Thus, the alternative solution to handle such problem is to compress the images as compressed images automatically reflects in less memory consumption and less time to propagate to the receiver. In this paper, we attempt to compress the image using autoencoder so that information content in the images are not compromised. We trained an auto encoder by down sampling and up sampling the input data to achieve promising results.

1. Introduction

In the era of Internet, we exchange images every day either to socialize or for personal or business purpose and majority of Internet byte content consists of still images [1]. The images are compressed and used in various applications such as communication and medical applications. It is aimed to eliminate the redundancy from image in such a way that receiver will be able to construct the same image at his end. Few image compression techniques are lossy and few are lossless. Medical images such as X-ray, CT-Scan images etc. are compressed by using lossless compression techniques since each bit of medical image data is important, whereas, digital images are compressed by using lossy compression techniques [2][3][4]. For such compression techniques, transform coding techniques are used and image data is processed in serial manner which is time consuming [5]. These lossy compression algorithms transfer the image data at low bitrates. Such algorithms are generally analyzed by looking at rate-distortion trade-offs [6]. If image is lossy compressed at extreme low bit rates, it results in low quality image at the time of reconstruction [7][8][9]. Thus, such lossy compression technique is desirable which cannot only produce high quality image quickly at the time of reconstruction but also lower down the transmission bandwidth and data storage costs. Thus, research on image compression techniques is a promising topic for various researchers in the field of image processing. Conventional algorithms used for image compressions such as JPEG [10] and JPEG2000 [11] are based on codec (encoder/decoder). In these algorithms, discrete cosine transform (DCT) and wavelet transform are used to compress the image. These algorithms may not be optimal compression solution for each type of image content and format. Deep learning based image compression approach overcomes this limitation and it can be used with new image content and format, such as 360° image [12]. Moreover, deep learning processes the image data in parallel and takes less time to compress. Since deep learning has the potential to improve the performance of image compression and neural networks seems to be a favorable option due to their flexibility to learn complex transformations needed to capture the image data properly and reconstruct the image in a considerable way [13] [14] [15]. Thus, deep learning based image compression methodology is expected to be more efficient. Autoencoder can be used to reduce the dimensionality compress the images with minimum loss, and is expected to achieve better compression performance than existing image compression standards including JPEG and JPEG2000. Thus Auto-encoders is considered to be powerful tool for reducing the dimensionality of data. The objective of the paper is to design an autoencoder using neural network to compress

Remaining sections of the paper are organized as follows: Section 2 presents the related literature work and section 3 presents the methodology adopted in this study. Remaining sections of the paper is organized as follows: section 2 presents the related literature work, section 3 presents the proposed system. Section 4 discusses the results of different methodologies adopted for image compression. Finally, section 5 discusses the conclusion remark and presents the future work.

2. Related work

Many studies have been carried out in this field using different techniques and on different dataset [16-24].

In [16] author designed a Convolution Autoencoder and trained with multiple down sampling, up sampling units and approximated rate-distortion function to achieve high coding efficiency and utilized PCA to rotate and applied quantization and entropy coder to generate codes. Which resulted conventional traditional image coding algorithms and achieves a 13.7% BD-rate (computed as a difference in bit rate or a difference in quality based on interpolating curves from the tested data points) decrement compared to JPEG2000 on the Kodak database images.

Thierry Dumas [17] Proposed SWTA AE (Stochastic Winner-Take-All Auto Encoder) and strided convolution where max pooling to input representation with down sampling using stride >1 with Semi-sparse bottle neck and bit stream generation also implemented WTA OMP (Winner-Take-All Orthogonal Matching Pursuit) for comparison and training encoder. SWTA AE is more adapted to image compression than autoencoders as it performs variable rate image compression for any size of image after a single training and provides better rate-distortion trade-offs [2].

Many studies have been carried out in this field using different techniques and on different dataset [16-24]. In [16] author designed Convolution Autoencoder (CAE) and trained with multiple down sampling, up sampling units and approximated rate-distortion function to achieve high coding efficiency and utilized PCA to rotate and applied quantization and entropy coder to generate codes. They used conventional traditional image coding algorithms and achieves a 13.7% (BD-rate) decrement compared to JPEG2000 on the Kodak database images. Thierry Dumas, on the other hand, proposed Stochastic Winner-Take-All Auto Encoder (SWTA AE) and strided convolution [17] where max pooling to input representation with down sampling using stride >1 with Semi-sparse bottle neck and bit stream generation also implemented Winner-Take-All Orthogonal Matching Pursuit (WTA OMP) for comparison and training encoder. SWTA AE is more adapted to image compression than auto-encoders as it performs variable rate image compression for any size of image after a single training and provides better rate-distortion trade-offs [2].

In another work, author used trained neural network with feed forward and back propagation and implemented PCA to explain the variance-covariance structure of a set of variables through linear combinations [18]. They used Bi-Polar Coding Technique with linear scaling and LM algorithm (Levenberg - Marquardt). They found that Bipolar Coding Technique and LM algorithm yield better results as compared to PCA technique. In another work authors have implemented Kohenen's network learning algorithm and generalized the method of multi-layer mapping and applied Multi layered network to compress SAR Images [19].

In [20] authors have applied bottleneck autoencoder and sparse coding approaches to compress images and used them to subjective, pixel-level, feature based criteria for evaluating reconstructed image. It was found that the reconstructed images from sparse coding with either random or checkerboard mask exhibit less noise, has a smoother background, and results in more natural looking reconstructions than images reconstructed from the bottleneck autoencoder. Also, sparse image compression with checkerboard and random masks provides subjectively superior visual quality of reconstructed images, on average 2.7% and 1.6% higher classification accuracy and 18.06% and 3.74% lower feature perceptual loss, respectively, compared to bottleneck autoencoders.

Authors in [21] introduced Hierarchical Quantized Autoencoder (HQA) and trained Vector Quantized-Variational Autoencoder (VQ VAE) using HQA with quantized and decoded data outputs. Images for HQA were found to be sharper and accurate. Also, it was observed that the images after training VQ VAE using HQA are having less MSE than VQ VAE without trained. In another study input image patch reduced to low dimensions and then binarized with the help of stochastic binarization function used during training and sliding window applied across decoder network [22]. Thus patch-based compression method allows for parallelized inpainting from a full-context region without access to original image data. BINet results in fewer block remains at limited bitrates compared to standard image codecs, resulting in smoother image reconstructions.

In present research [23] author used Multiscale Autoencoder (MSAE) with Generative Adversarial Networks (GAN) for image compression to generate spatial scalable bitstreams as well as to perform the end-to-end trainable rate-distortion optimization. They compared their proposed method on the public Cityscapes, ADE20K and Kodak datasets and yielding significant perceptual quality margins over the existing JPEG2000 and BPG.

3. Methodology

3.1.Dataset

To test the proposed system, the Kodak dataset is used which is lossless full color RGB images by Eastman Kodak Company for unrestricted usage [25]. It is usually used for testing reconstructed or compression of images. These images are previewed only if downloaded over ftp. PNG format is integrated into all the major browsers. Since PNG supports 24-bit lossless color, unlike the GIF and JPEG, it become possible to offer browser-friendly access to these images

3.2. Experimental setup and Architecture of the model

The proposed autoencoder framework consists of mainly three layers: Encoder with a pair of layers comprising of: Input layer, Convolution layer, Max pooling and followed similarly with vice versa for decoder model. The encoder will compress the data into lower dimensions and then the output is sent to the network where it can be decoded using decoder.

The propose autoencoder model was trained and validated on kodak dataset [25]. Initially all the images were converted into YC_bC_r color space for image compression. Then, the images were rescaled into corresponding size of the dataset. Thereafter, we normalized the entire dataset in range (0-1).

After preprocessing the dataset was divided into training and testing set. Then the model was trained and validated on training set. Finally, the trained model was tested using test set.

Above procedure is demonstrated as a flow chart as illustrated in Fig. (1).

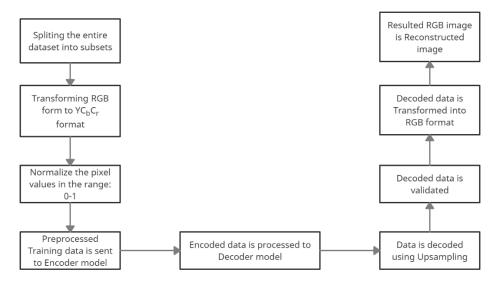


Figure 1 Outline of the proposed framework

Before training process, the data was preprocessed. First the data was converted into YC_bC_r which is then normalized. We used rectified linear unit (ReLU) activation function as it overcomes vanishing gradient problem [27]. The normalized data is sent to input layer which further down samples the data and the up sampling it and decoded it using decoder. As illustrated in Fig. (2).

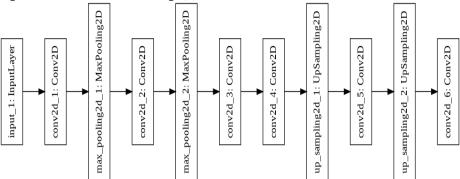


Figure 2 Layers involved in the proposed autoencoder model

Mean square error (MSE) was used as cost function for the model training. as it has squared order power equation as compare to other evaluation metrics such as MAE, RMSE, MAPE (Mean Absolute Percentage Error) and RMSLE (Root Mean Square Log Error) which have higher order power equation. The reason behind choosing squared order power function is that the optimizer (gradient descent) performs a partial derivative on a function. If the result is in single order equation then it has only one minimum point which can be called both local as well as global and slope is still a function of x so, gradient descent can proceed to find the minimum point. But if the result is in higher order equation, then it generates more than one local minima thus make it difficult to locate the global minima.

So, the optimizer finds the global minima to reduce the cost function to get more accurate result. And the distortion between original image and reconstructed image is calculated by PSNR [26].

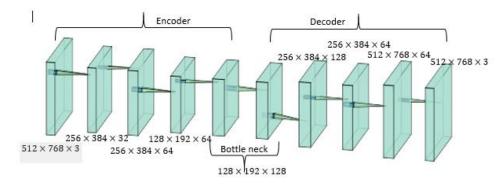


Figure 3 Architecture of proposed autoencoder model

Initially a single image is processed into the model of size 512×768 of channel $3(YC_bC_r)$. Then this input data is further processed to convolution layer which will increases the number of channels of 512×768 image data from 3 to 32. After that we apply max pooling which reduces the shape of the image produced by convolution layer into 256×384 of 32 channels.

After 6^{th} layer, the shape of the data produced by convolution layer is $128 \times 192 \times 128$ of channel 3. The reconstructed image is trained by autoencoder model by updating those weights and back propagation.

The architecture of the proposed autoencoder model is illustrated in Fig. (3). And explanation of each layer with respective to shape and parameters are illustrated in Fig. (4).

Layer (type)	Output	Shap	e		Param #
input_1 (InputLayer)	(None,	512,	768,	3)	0
conv2d_1 (Conv2D)	(None,	512,	768,	32)	896
max_pooling2d_1 (MaxPooling2	(None,	256,	384,	32)	0
conv2d_2 (Conv2D)	(None,	256,	384,	64)	18496
max_pooling2d_2 (MaxPooling2	(None,	128,	192,	64)	0
conv2d_3 (Conv2D)	(None,	128,	192,	128)	73856
conv2d_4 (Conv2D)	(None,	128,	192,	128)	147584
up_sampling2d_1 (UpSampling2	(None,	256,	384,	128)	0
conv2d_5 (Conv2D)	(None,	256,	384,	64)	73792
up_sampling2d_2 (UpSampling2	(None,	512,	768,	64)	0
conv2d_6 (Conv2D)	(None,	512,	768,	3)	1731
Total params: 316,355 Trainable params: 316,355					

Figure 4 Output shape and parameters trained for each layer

3.3. Evaluation Parameter: Peak Signal to Noise Ratio

PSNR is used to as a standard measure for quantifying the accuracy of reconstructed image [26]. Higher in PSNR is better in image quality. For 16-bit data typical values for the PSNR are between 60 and 80 dB. Minimum of 20 dB to 25 dB are acceptable values for wireless propagation [28][29]. PSNR can be calculated with the help of mean squared error using formula.

$$PSNR = 20 \cdot log_{10}(MAX) - 10 \cdot log_{10}(MSE)$$

Where.

MAX is maximum value of the pixel in an image *MSE* is Mean of Squared Error.

The MSE can be written as the sum of the variance of the estimator and the squared bias of the estimator, providing a useful way to calculate the MSE and implying that in the case of unbiased estimators, the MSE and variance are equivalent [30]. The MSE of an estimator $\hat{\theta}$ with respect to an unknow parameter θ is defined as [23]:

$$MSE(\widehat{\boldsymbol{\theta}}) = E_{\boldsymbol{\theta}} \left[\left(\widehat{\boldsymbol{\theta}} - \boldsymbol{\theta} \right)^2 \right].$$

The MSE can be written as the sum of the variance of the estimator and the squared bias of the estimator, providing a useful way to calculate the MSE and implying that in the case of unbiased estimators, the MSE and variance are equivalent [30].

$$MSE(\widehat{\theta}) = Var_{\theta}(\widehat{\theta}) + Bias(\widehat{\theta}, \theta)^{2}$$

3.4. Results and discussion

We Compared the results of the proposed model with JPEG compression using kodak dataset. Further, the comparison was done in terms of PSNR and it was found that PSNR was high in case of proposed model in comparison to JPEG model.

The results of the proposed model are compared with the original images is illustrated in Figure 5

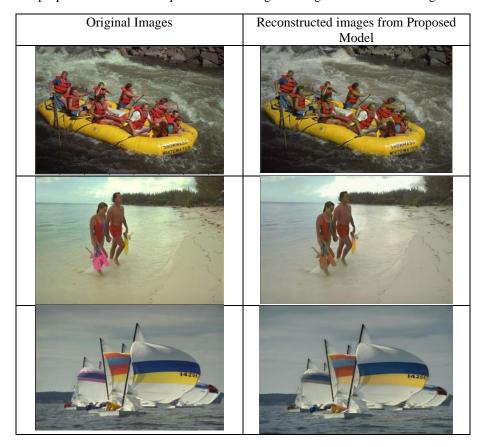


Figure 5 Comparison of reconstructed images from proposed model to original images

3.4.1. Analysis and Comparison

The highlight of the proposed model is that the test images are reconstructed with minimum amount of error, which is illustrated in the Fig. (6). Where loss of cost function for training and validation set is nearly zero.

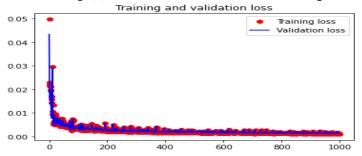


Figure 6 Plot for the loss function values over each iteration for Training and Validation set

The proposed model Is also compared with JPEG2000 and BPG compression methods in addition to JPEG compression. We were used Kodak dataset to produce reconstructed images using JPEG, JPEG2000, BPG compression techniques as illustrated in Figure 7.

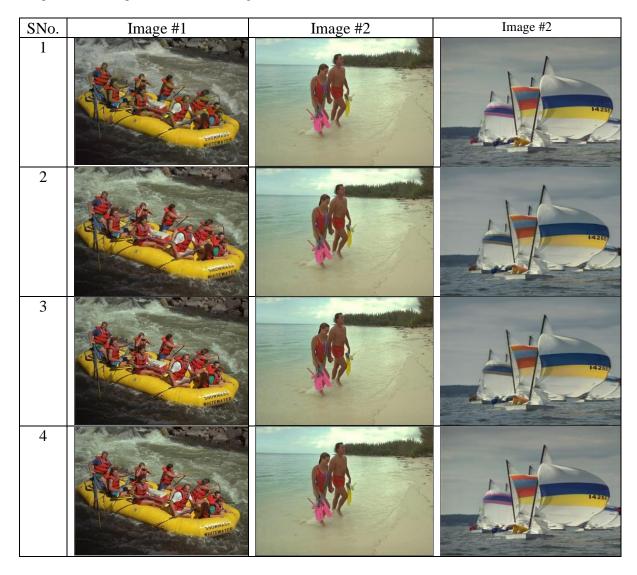


Figure 7 Compression Techniques used (1) proposed method, (2) JPEG, (3) JPEG 2000, and (4) BPG compression technique

PSNR values are calculated for the reconstructed images of the test data from kodak dataset and table 1 illustrates the PSNR values of proposed model and other compression techniques used for comparison.

Table 1 Calculated PSNR for	proposed, JPEG, JPEG2000,	BPG compressed techniques

Image#	PSNR values of original image with reconstructed image of Proposed model	PSNR values of original image with reconstructed image of JPEG compression	PSNR values of original image with reconstructed image of JPEG2000 compression	PSNR values of original image with reconstructed image of BPG compression
1	24.97723	9.003919	12.656721	13.656495
2	27.05327	11.538549	12.354865	12.408018
3	28.8848	9.139331	7.6641064	7.667928
4	22.46803	10.525949	12.627939	12.643165
5	24.89617	11.688374	11.03956	11.067859
6	26.27813	12.680623	11.393139	12.656573
7	24.62789	12.724757	12.895276	12.916949

Figure 8 shows the graphical representation of the result obtained and it shows witness the same that PNSR is higher using proposed method for all the tested images.

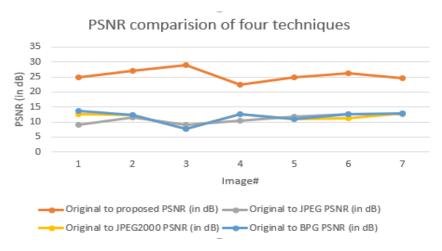


Figure 8 PSNR curves for all images over four technique

4. Conclusion

We have developed a compression framework using convolution autoencoder structure. First, we transformed the data into YC_bCr and normalized it and sent to the convolution autoencoder model. Then, we trained the model with the help of training data and validated and tested with testing data. Further we calculated the PSNR values of the proposed model and other compression techniques which are used to compare. Experimental studies have demonstrated that our method has provided subjective as well as objective (using PSNR) quality improvement over existing JPEG, JPEG2000 and BPG on Kodak public dataset. This method can also be further developed using Huffman coding for higher compression. Besides, the generative adversarial network (GAN) shows more promising performance than using autoencoders only; therefore, we may use and utilize GAN to improve the coding efficiency further.

5. References

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