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97. Boruvka's Algorithm
PROGRAM:-
class DisjointSet:
  def _init_(self, n):
    self.parent = list(range(n))
    self.rank = [0] * n
  def find(self, u):
    if self.parent[u] != u:
      self.parent[u] = self.find(self.parent[u])
    return self.parent[u]
  def union(self, u, v):
    root_u = self.find(u)
    root_v = self.find(v)
    if root u != root v:
      if self.rank[root_u] > self.rank[root_v]:
         self.parent[root_v] = root_u
      elif self.rank[root u] < self.rank[root v]:
         self.parent[root u] = root v
      else:
         self.parent[root_v] = root_u
         self.rank[root_u] += 1
def boruvka(n, edges):
  disjoint_set = DisjointSet(n)
  mst = []
  mst_cost = 0
  num components = n
  while num_components > 1:
    # Step 2: Find the smallest edge for each component
    cheapest = [-1] * n
    for u, v, weight in edges:
      set u = disjoint set.find(u)
      set_v = disjoint_set.find(v)
      if set_u != set_v:
         if cheapest[set_u] == -1 or cheapest[set_u][2] > weight:
           cheapest[set_u] = (u, v, weight)
         if cheapest[set_v] == -1 or cheapest[set_v][2] > weight:
           cheapest[set_v] = (u, v, weight)
    # Step 3: Add the smallest edges to the MST and merge components
    for edge in cheapest:
      if edge != -1:
         u, v, weight = edge
         set_u = disjoint_set.find(u)
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set_v = disjoint_set.find(v)
       if set_u != set_v:
         disjoint_set.union(set_u, set_v)
         mst.append((u, v, weight))
         mst_cost += weight
         num components -= 1
 return mst, mst_cost
# Example usage:
n = 4
edges = [
 (0, 1, 10),
 (0, 2, 6),
 (0, 3, 5),
 (1, 3, 15),
 (2, 3, 4)
]
mst, mst_cost = boruvka(n, edges)
print("Edges in MST:", mst)
print("Total cost of MST:", mst_cost)
OUTPUT:-
 Edges in MST: [(0, 3, 5), (0, 1, 10), (2, 3, 4)]
 Total cost of MST: 19
 === Code Execution Successful ===
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TIME COMPLEXITY:-O(E log V)