

Z/EVES dialect of Z in LaTeX (z-eves.sty)

Z Paragraphs, Declarations		
L ^A T _E X input	Output	Meaning
[X]	[X]	given set
\begin{axdef}		
D	D	axiomatic box
\where P	P	
\end{axdef}		
\begin{schema}{S}		
D	D	schema box
\where P	P	
\end{schema}		
\begin{gendef}[X]		
D	D	generic box
\where P	P	
\end{gendef}		
S \defs T	$S \hat{=} T$	horizontal schema definition
X == e	$X == e$	abbreviation definition
T ::=	$T ::=$	free type definition
A	$A $	
B\data E\rdata	$B\langle\langle E \rangle\rangle$	

also like "\", but additional vertical space

Expressions		
L ^A T _E X input	Output	Meaning
(a, b)	(a, b)	tuple
\{a, b\}	$\{a, b\}$	set display
\power X	$\mathbb{P} X$	power set
X \cross Y	$X \times Y$	cross product
\{~D P @ E~\}	$\{ D \mid P \bullet E \}$	set comprehension
(\lambda ST @ E)	$(\lambda ST \bullet E)$	lambda expression
(\mu ST @ E)	$(\mu ST \bullet E)$	definite description
(\let V==E1 @ E2	$E1$ $\bullet E2$	local definition
E1~E2	$E1 E2$	function application
a.b	$a.b$	selection
\theta S	θS	binding formation
\IF P	if P	conditional
\THEN E1 \ELSE E2	then $E1$ else $E2$	
\langle\langle E \rangle\rangle	$\langle E \rangle$	sequence display
\lbag E \rbag	$\llbracket E \rrbracket$	bag display
\neg n	\bar{n}	negative numeral
\lblet D \rblet	$\langle D \rangle$	binding
x!	$x!$	decoration
x?	$x?$	decoration
x'	x'	decoration
x_n	x_n	decoration (n a digit)
_	$-$	underscore (in opnames)

Predicates		
L ^A T _E X input	Output	Meaning
x = y	$x = y$	equality
x \in S	$x \in S$	membership
\lnot P	$\neg P$	negation
P \land Q	$P \wedge Q$	conjunction
P \lor Q	$P \vee Q$	disjunction
P \implies Q	$P \Rightarrow Q$	implication
P \iff Q	$P \Leftrightarrow Q$	equivalence
\forall ST @ P	$\forall ST \bullet P$	universal quantification
\exists ST @ P	$\exists ST \bullet P$	existential quantification
\exists_1 ST @ P	$\exists_1 ST \bullet P$	unique quantification
\LET V==E @ P	let $V ==$ E $\bullet P$	local definition
\pre S	pre S	schema pre-condition
a \inrel{R} b	$a R b$	infix relation
\IF P	if P	conditional
\THEN Q \ELSE R	then Q else R	

Schema Expressions		
L ^A T _E X input	Output	Meaning
\Delta S	ΔS	schema name prefix
\Xi S	ΞS	schema name prefix
\lnot S	$\neg S$	negation
S \land T	$S \wedge T$	conjunction
S \lor T	$S \vee T$	disjunction
S \implies T	$S \Rightarrow T$	implication
S \iff T	$S \Leftrightarrow T$	equivalence
\forall ST @ S	$\forall ST \bullet S$	universal quantification
\exists ST @ S	$\exists ST \bullet S$	existential quantification
\exists_1 ST @ S	$\exists_1 ST \bullet S$	unique quantification
S \hide (a)	$S \setminus (a)$	hiding
S \project T	$S \upharpoonright T$	projection
\pre S	pre S	pre-condition
S \semi T	$S \circ T$	sequential composition
S \pipe T	$S \gg T$	piping

Sets		
L ^A T _E X input	Output	Meaning
x \neq y	$x \neq y$	inequality
x \notin S	$x \notin S$	non-membership
\emptyset	\emptyset	empty set
S \subteq T	$S \subseteq T$	subset
S \subset T	$S \subset T$	proper subset
\power_1 X	$\mathbb{P}_1 X$	non-empty powerset
S \cup T	$S \cup T$	set union
S \cap T	$S \cap T$	set intersection
S \setminusminus T	$S \setminus T$	set difference
\bigcup S	$\bigcup S$	generalized union
\bigcap S	$\bigcap S$	generalized intersection
first~x	$first\ x$	first component of ordered pair
second~x	$second\ x$	second component of ordered pair

Relations		
L ^A T _E X input	Output	Meaning
$X \backslash \text{rel } Y$	$X \leftrightarrow Y$	relation
$x \backslash \text{mapsto } y$	$x \mapsto y$	maplet (ordered pair)
$\backslash \text{dom } X$	$\text{dom } X$	domain
$\backslash \text{ran } X$	$\text{ran } X$	range
$\backslash \text{id } X$	$\text{id } X$	identity relation
$Q \backslash \text{comp } R$	$Q \circ R$	relational composition
$R \backslash \text{circ } Q$	$R \circ Q$	backward relational composition
$S \backslash \text{dres } R$	$S \triangleleft R$	domain restriction
$R \backslash \text{rres } T$	$R \triangleright T$	range restriction
$S \backslash \text{ndres } R$	$S \triangleleft R$	domain anti-restriction
$R \backslash \text{nrres } T$	$R \triangleright T$	range anti-restriction
$R \backslash \text{inv}$	R^\sim	relational inversion
$R \backslash \text{ling } S \backslash \text{rimg}$	$R[S]$	relational image
$Q \backslash \text{oplus } R$	$Q \oplus R$	overriding
$R \backslash \text{plus}$	R^+	transitive closure
$R \backslash \text{star}$	R^*	reflexive transitive closure

Functions		
L ^A T _E X input	Output	Meaning
$X \backslash \text{pfun } Y$	$X \twoheadrightarrow Y$	partial function
$X \backslash \text{fun } Y$	$X \rightarrow Y$	total function
$X \backslash \text{pinj } Y$	$X \rightarrowtail Y$	partial injection
$X \backslash \text{inj } Y$	$X \hookrightarrow Y$	total injection
$X \backslash \text{psurj } Y$	$X \twoheadrightarrowtail Y$	partial surjection
$X \backslash \text{surj } Y$	$X \twoheadrightarrow Y$	total surjection
$X \backslash \text{bij } Y$	$X \xrightarrow{\sim} Y$	bijection

Sequences		
L ^A T _E X input	Output	Meaning
$\backslash \text{seq } X$	$\text{seq } X$	finite sequence
$\backslash \text{seq}_1 X$	$\text{seq}_1 X$	non-empty finite sequence
$\backslash \text{iseq } X$	$\text{iseq } X$	injective sequence
$s \backslash \text{cat } t$	$s \frown t$	concatenation
$\text{rev} \sim s$	$\text{rev } s$	reversal
$\text{head} \sim s$	$\text{head } s$	first element
$\text{last} \sim s$	$\text{last } s$	last element
$\text{tail} \sim s$	$\text{tail } s$	all but the first element
$\text{front} \sim s$	$\text{front } s$	all but the last element
$U \backslash \text{extract } s$	$U \upharpoonright s$	extraction
$s \backslash \text{filter } V$	$s \upharpoonright V$	filter
$\text{squash} \sim f$	$\text{squash } f$	compaction
$s \backslash \text{prefix } t$	$s \text{ prefix } t$	prefix relation
$s \backslash \text{suffix } t$	$s \text{ suffix } t$	suffix relation
$s \backslash \text{inseq } t$	$s \text{ in } t$	segment relation
$\backslash \text{dcat } q$	\frown / q	distributed concatenation
$\backslash \text{disjoint } S$	$\text{disjoint } S$	disjointness
$S \backslash \text{partition } T$	$S \text{ partition } T$	partition

Numbers and Finiteness		
L ^A T _E X input	Output	Meaning
$\backslash \text{nat}$	\mathbb{N}	natural numbers
$\backslash \text{num}$	\mathbb{Z}	integers
$a + b$	$a + b$	addition
$a - b$	$a - b$	subtraction
$a * b$	$a * b$	multiplication
$a \backslash \text{div } b$	$a \text{ div } b$	division
$a \backslash \text{mod } b$	$a \bmod b$	modulus
$a < b$	$a < b$	less than
$a \backslash \text{leq } b$	$a \leq b$	less than or equal to
$a \backslash \text{geq } b$	$a \geq b$	greater than or equal to
$a > b$	$a > b$	greater than
$\backslash \text{nat}_1$	\mathbb{N}_1	positive integers
$\text{succ} \sim a$	$\text{succ } a$	successor
$a \backslash \text{upto } b$	$a \dots b$	number range
$R \sim \{k\}$	R^k	iteration
$R \backslash \text{bsup } k \backslash \text{esup}$	R^k	iteration
$\backslash \text{finset}$	\mathbb{F}	finite set
$\backslash \text{finset}_1$	\mathbb{F}_1	non-empty finite set
$\backslash \# X$	$\# X$	number of members of a finite set
$X \backslash \text{ffun } Y$	$X \twoheadrightarrowtail Y$	finite partial function
$X \backslash \text{finj } Y$	$X \twoheadrightarrowtail Y$	finite partial injection
$\text{min} \sim S$	$\text{min } S$	minimum of a set of numbers
$\text{max} \sim S$	$\text{max } S$	maximum of a set of numbers

Bags		
L ^A T _E X input	Output	Meaning
$\backslash \text{bag}$	bag	bags
$\text{count} \sim B \sim x$	$\text{count } B \ x$	multiplicity
$B \backslash \text{bcount } x$	$B \# x$	multiplicity
$n \backslash \text{otimes } B$	$n \otimes B$	bag scaling
$x \backslash \text{inbag } B$	$x \text{ in } B$	bag membership
$B \backslash \text{subbageq } C$	$B \sqsubseteq C$	sub-bag relation
$B \backslash \text{uplus } C$	$B \uplus C$	bag union
$B \backslash \text{uminus } C$	$B \upharpoonright C$	bag difference
$\text{items} \sim s$	$\text{items } s$	bag of sequence elements

Miscellaneous, Spacing		
L ^A T _E X input	Output	Meaning
$\backslash \text{spot}, @$	•	separator
$\backslash \text{mid}, $		separator
$p \backslash \text{bind } x$	$p \leadsto x$	variable binding
$\backslash \backslash$		newline
$\backslash !$	$\! \! \!$	negative thin space
\sqcup (a space)	$\! \! \!$	normal space
$\backslash ,$	$\! \! \!$	thin space
\sim	$\! \! \!$	thin space
$\backslash :$	$\! \! \!$	medium space
$\backslash ;$	$\! \! \!$	thick space
$\backslash \sqcup$ (a space)	$\! \! \!$	interword space
$\backslash \text{tn}$	$\! \! \! x \quad x$	n quad spaces (n a digit)