```
ln[453]:= (*Kurtosis Gradient Laplace*)
       x = RandomVariate[LaplaceDistribution[0, 1], 10 000];
       y = RandomVariate[LaplaceDistribution[0, 1], 10 000];
       A = \{\{5, 10\}, \{10, 2\}\};
       mt = A.\{x, y\};
       mt = mt - Mean[Transpose[mt]];
In[458]:= ma = Transpose[mt];
       ListPlot[\{ma[[All]]\}, PlotRange \rightarrow \{\{-30, 30\}, \{-30, 30\}\}\}];
In[460]:= Covariance[Transpose[mt]]
Out[460]= \{\{240.227, 136.593\}, \{136.593, 205.368\}\}
In[461]:= Eigenvalues[Covariance[Transpose[mt]]]
Out[461]= \{360.498, 85.0971\}
In[462]:= Eigenvectors[Covariance[Transpose[mt]]]
Out[462]= \{\{-0.750525, -0.660842\}, \{0.660842, -0.750525\}\}
In[463]:= d12 = 1 / Sqrt[Eigenvalues[Covariance[Transpose[mt]]][[1]]]
       d22 = 1 / Sqrt[Eigenvalues[Covariance[Transpose[mt]]][[2]]]
       dmat = DiagonalMatrix[{d12, d22}]
Out[463]= 0.0526682
Out[464]= 0.108403
Out[465]= \{\{0.0526682, 0.\}, \{0., 0.108403\}\}
In[466]:= emat = Transpose[Eigenvectors[Covariance[Transpose[mt]]]]
\text{Out}[466] = \; \left\{ \, \left\{ \, -\, 0.750525 \, , \, \, 0.660842 \, \right\} \, , \, \, \left\{ \, -\, 0.660842 \, , \, \, -\, 0.750525 \, \right\} \, \right\}
In[467]:= vmat = emat.dmat.Transpose[emat]
Out[467]= \{\{0.0770084, -0.0276434\}, \{-0.0276434, 0.0840631\}\}
In[468]:= x = RandomVariate[LaplaceDistribution[0, 1], 10 000];
       y = RandomVariate[LaplaceDistribution[0, 1], 10000];
       mt = A.\{x, y\};
       mt = mt - Mean[Transpose[mt]];
In[472]:= zmat = vmat.mt;
In[473]:= za = Transpose[zmat];
       ListPlot[\{za[[All]]\}, PlotRange \rightarrow \{\{-3, 3\}, \{-3, 3\}\}\};
```

```
2 whiteing_kurt_grad_laplace1.nb
 ln[475]:= \mathbf{w} = \{1, 0\};
       (*w={2,20};/N*)
       (*w=w/Norm[w]//N*)
       epsilon = 0.00001;
       n = Length[x];
       cnt = 1;
       wbefore = w;
       While cnt < n,
        wbefore = w;
        w = w + (a / (a + cnt)) * (Sign[Kurtosis[w.zmat] - 3] *
               (1/n) * Sum[((w.zmat[[All, i]])^3) * zmat[[All, i]], {i, 1, n}]);
        w = w / Norm[w];
        Print["cnt=", cnt];
        Print["w=", w];
        ++cnt;
        If[1 - epsilon <= Abs[w.wbefore] && Abs[w.wbefore] <= 1 + epsilon,</pre>
          Print["収束した:"];
         Print["w=", w];
          Print["cnt=", cnt];
          Print["Abs[w.wbefore] = ", Abs[w.wbefore]];
          cnt = n;
        1
       Kurtosis[w.zmat] - 3
       cnt=1
       w = \{0.997837, -0.0657397\}
       cnt=2
       w = \{0.994378, -0.105888\}
       cnt=3
       w = \{0.99156, -0.12965\}
       cnt=4
       w = \{0.989634, -0.143613\}
       w = \{0.988408, -0.15182\}
       cnt=6
       w = \{0.987654, -0.156653\}
       w = \{0.987197, -0.159506\}
```

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cnt=8

Out[481]= 2.72264

 $w = \{0.987197, -0.159506\}$

Abs[w.wbefore] = 0.999996

```
In[482]:= (* True Value*)
      tmat = vmat.A;
      truemat = {};
      i = 1;
       While [i \le 2,
         truemat = Append[truemat, tmat[[All, i]] / Norm[tmat[[All, i]]]];
         i++;
       ];
       truemat = Transpose[truemat];
       MatrixForm[truemat]
Out[487]//MatrixForm=
       (0.152805 0.988714
       0.988256 -0.149813
       Kurtosis[NormalDistribution[]]
```