```
ln[388]:= (*FastICA Negentropy Laplace *)
       x = RandomVariate[LaplaceDistribution[0, 1], 10 000];
       y = RandomVariate[LaplaceDistribution[0, 1], 10 000];
       A = \{\{5, 10\}, \{10, 2\}\};
       mt = A.\{x, y\};
In[437]:= ma = Transpose[mt];
       ListPlot[\{ma[[All]]\}, PlotRange \rightarrow \{\{-50, 50\}, \{-50, 50\}\}\}];
In[394]:= mt = mt - Mean[Transpose[mt]];
In[395]:= Covariance[Transpose[mt]]
\mathsf{Out}[\mathsf{395}] = \; \{\, \{\, 248.34\,,\,\, 141.216\,\}\,,\,\, \{\, 141.216\,,\,\, 215.299\,\}\,\}
In[396]:= Eigenvalues[Covariance[Transpose[mt]]]
Out[396]= \{373.998, 89.641\}
In[397]:= Eigenvectors[Covariance[Transpose[mt]]]
Out[397]= \{\{-0.74706, -0.664757\}, \{0.664757, -0.74706\}\}
{\tt d22 = Eigenvalues[Covariance[Transpose[mt]]][[2]] \land (-1 \ / \ 2)}
       dmat = DiagonalMatrix[{d12, d22}]
Out[398]= 0.0517089
Out[399]= 0.10562
Out[400]= \{\{0.0517089, 0.\}, \{0., 0.10562\}\}
In[401]:= emat = Transpose[Eigenvectors[Covariance[Transpose[mt]]]]
 \text{Out} [401] = \ \left\{ \ \left\{ \ -0.74706 \,, \, \, 0.664757 \right\} \,, \, \, \left\{ \ -0.664757 \,, \, \, -0.74706 \right\} \, \right\} 
In[402]:= vmat = emat.dmat.Transpose[emat]
Out[402]= \{\{0.0755323, -0.026773\}, \{-0.026773, 0.0817967\}\}
In[403]:= x = RandomVariate[LaplaceDistribution[0, 1], 10 000];
       y = RandomVariate[LaplaceDistribution[0, 1], 10 000];
       mt = A.\{x, y\};
       mt = mt - Mean[Transpose[mt]];
In[407]:= zmat = vmat.mt;
In[439]:= za = Transpose[zmat];
       ListPlot[\{za[[All]]\}, PlotRange \rightarrow \{\{-3, 3\}, \{-3, 3\}\}\};
```

```
ln[410]:= \mathbf{w} = \{1, 0\};
       w = w / Norm[w];
       epsilon = 0.0001;
       n = Length[x];
       cnt = 1;
       wbefore = w;
       While cnt < n,
        wbefore = w;
        w = (1/n) * Sum[Tanh[w.zmat[[All, i]]] * zmat[[All, i]], {i, 1, n}] -
           (1/n) * Sum[1 - (Tanh[w.zmat[[All, i]]])^2, {i, 1, n}] * w;
        w = w / Norm[w];
        Print["cnt=", cnt];
        Print["w=", w];
        If[1 - epsilon <= Abs[w.wbefore] && Abs[w.wbefore] <= 1 + epsilon,</pre>
         Print["収束した:"];
         Print["w=", w];
         Print["Abs[w.wbefore]=", Abs[w.wbefore]];
       Kurtosis[w.zmat] - 3
       cnt=1
       w = \{-0.98548, 0.169793\}
       cnt=2
       w = \{0.976347, -0.216212\}
       cnt=3
       w = \{-0.973826, 0.227295\}
       収束した:
       w = \{-0.973826, 0.227295\}
       Abs[w.wbefore] = 0.999935
Out[417]= 2.1857
 In[423]:= (* True Value*)
       tmat = vmat.A;
       truemat = {};
       i = 1;
       While[i \le 2,
         truemat = Append[truemat, tmat[[All, i]] / Norm[tmat[[All, i]]]];
         i++;
        ];
       MatrixForm[truemat]
Out[427]//MatrixForm=
        0.158659 0.987333
        0.989169 -0.146783
```

```
ln[428]:= w = RandomReal[{-1/2, 1/2}, 2];
       w = w / Norm[w];
       epsilon = 0.0001;
       n = Length[x];
       cnt = 1;
       wbefore = w;
       While cnt < n,
        wbefore = w;
        w = (1/n) * Sum[Tanh[w.zmat[[All, i]]] * zmat[[All, i]], {i, 1, n}] -
           (1/n) * Sum[1 - (Tanh[w.zmat[[All, i]]])^2, {i, 1, n}] * w;
        w = w / Norm[w];
        Print["cnt=", cnt];
        Print["w=", w];
        If[1 - epsilon <= Abs[w.wbefore] && Abs[w.wbefore] <= 1 + epsilon,</pre>
         Print["収束した:"];
         Print["w=", w];
         Print["Abs[w.wbefore]=", Abs[w.wbefore]];
       Kurtosis[w.zmat] - 3
       cnt=1
       w = \{0.974672, -0.223641\}
       cnt=2
       w = \{-0.973367, 0.229253\}
       収束した:
       w = \{-0.973367, 0.229253\}
       Abs[w.wbefore] = 0.999983
Out[435]= 2.18498
 In[436]:= MatrixForm[truemat]
Out[436]//MatrixForm=
        (0.158659 0.987333
        0.989169 -0.146783
```