

School of Computing and Information Systems  
The University of Melbourne  
COMP90049 INTRODUCTION to MACHINE LEARNING  
(Semester 2, 2020)

Tutorial exercises: Week 4

**NOTE:** Questions marked *OPTIONAL* will only be covered during the workshop if time permits. They are added to the workshop as an additional opportunity for individual practice. The solution to all questions and a recorded sample workshop will be published on Fridays after the last workshop.

1. A **confusion matrix** is a summary of the performance of a (supervised) classifier over a set of development (“test”) data, by counting the various instances:

		Actual			
		<i>a</i>	<i>b</i>	<i>c</i>	<i>d</i>
Classified	<i>a</i>	10	2	3	1
	<i>b</i>	2	5	3	1
	<i>c</i>	1	3	7	1
	<i>d</i>	3	0	3	5

- (i). Calculate the classification **accuracy** of the system. Find the **error rate** for the system.
  - (ii). Calculate the **precision**, **recall** and **F-score** (where  $\beta = 1$ ), for class *d*. (Why can't we do this for the whole system? How can we consider the whole system?)
2. For the following dataset:

<i>ID</i>	<i>Outl</i>	<i>Temp</i>	<i>Humi</i>	<i>Wind</i>	<i>PLAY</i>
TRAINING INSTANCES					
A	s	h	n	F	N
B	s	h	h	T	N
C	o	h	h	F	Y
D	r	m	h	F	Y
E	r	c	n	F	Y
F	r	c	n	T	N
TEST INSTANCES					
G	o	m	n	T	?
H	?	h	?	F	?

- (i). Classify the test instances using the method of **0-R**.
  - (ii). [OPTIONAL] Classify the test instances using the method of **1-R**. (for H assume *Outl* = *s*)
3. Given the above dataset, build a Naïve Bayes model for the given training instances.
  4. Using the Naïve Bayes model that you developed in question 4, classify the given test instances.
    - (i). No smoothing.
    - (ii). Using the “epsilon” smoothing method.
    - (iii). [OPTIONAL] Using “Laplace” smoothing ( $\alpha = 1$ )
  5. [OPTIONAL] How is **holdout** evaluation different to **cross-validation** evaluation? What are some reasons we would prefer one strategy over the other?