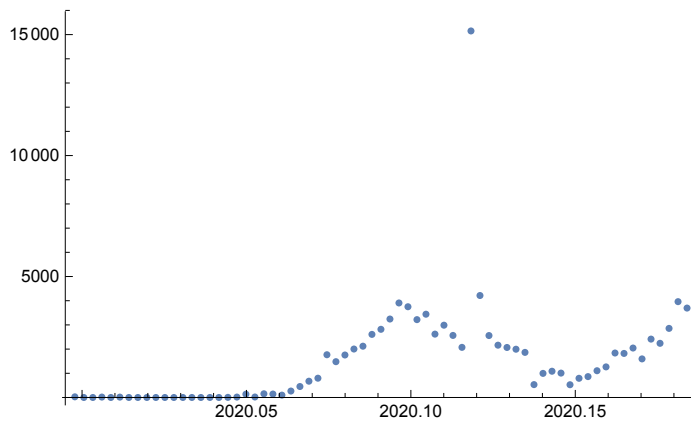


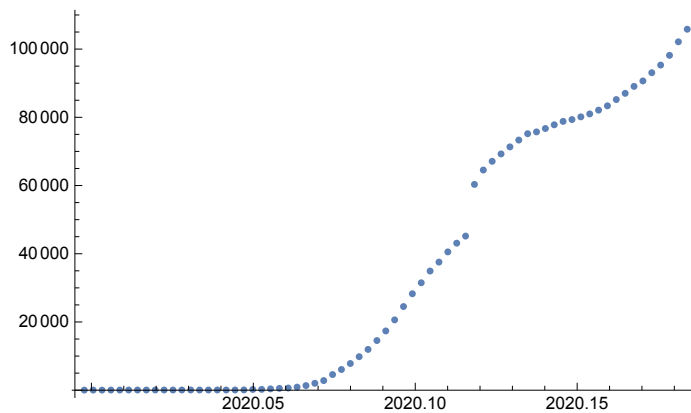
data is from here

<https://www.ecdc.europa.eu/en/geographical-distribution-2019-ncov-cases>

```
data = {1900 +  $\frac{\text{FromDate}[\text{DateList}[\#[[1]]]]}{365.24 * 3600 * 24}$ , #[[3]], #[[2]], #[[6]]} & /@  
Drop[Import["C:\\Users\\Jason  
Smith\\Desktop\\ECONDATA\\COVID-19-geographic-disbtribution-  
worldwide-2020-03-08.xls"][[1]], 1];  
  
totals = {#[[1, 1]], Total#[[All, 2]]} & /@  
Split[Sort[data[[All, {1, 2}]]], #1[[1]] == #2[[1]] &];  
  
accumulated = Transpose[{totals[[All, 1]], Accumulate[totals[[All, 2]]]}];  
  
ListPlot[totals, PlotRange -> All]
```



```
ListPlot[accumulated, PlotRange -> All]
```



```

fitData = Cases[accumulated, x_ /; x[[1]] ≤ 2020.116]
nlm = NonlinearModelFit[fitData,  $\frac{a_0}{1 + \text{Exp}[-(t - t_0)/b_0]}$ ,
{
  {a0, 50 000}, {b0, 0.05}, {t0, 2020.1}
}, t]
{{2020., 27.}, {2020., 27.}, {2020., 27.}, {2020.01, 44.}, {2020.01, 44.},
{2020.01, 59.}, {2020.01, 59.}, {2020.02, 59.}, {2020.02, 59.}, {2020.02, 59.},
{2020.03, 59.}, {2020.03, 59.}, {2020.03, 59.}, {2020.03, 60.}, {2020.04, 60.},
{2020.04, 61.}, {2020.04, 61.}, {2020.04, 66.}, {2020.05, 83.}, {2020.05, 219.},
{2020.05, 239.}, {2020.06, 392.}, {2020.06, 534.}, {2020.06, 631.},
{2020.06, 897.}, {2020.07, 1350.}, {2020.07, 2023.}, {2020.07, 2820.},
{2020.07, 4587.}, {2020.08, 6067.}, {2020.08, 7823.}, {2020.08, 9826.},
{2020.09, 11 946.}, {2020.09, 14 554.}, {2020.09, 17 372.}, {2020.09, 20 615.},
{2020.1, 24 522.}, {2020.1, 28 273.}, {2020.1, 31 491.}, {2020.1, 34 933.},
{2020.11, 37 552.}, {2020.11, 40 540.}, {2020.11, 43 105.}, {2020.12, 45 177.}}

```

FittedModel[$\frac{51721.8}{1 + e^{103.155(\ll 19 \gg - t)}}$]

```
fitData2 = Cases[accumulated, x_ /; x[[1]] > 2020.116]
nlm2 = NonlinearModelFit[Drop[fitData2, 1],
  
$$\frac{a_0}{1 + \text{Exp}[-(t - t_0)/b_0]} + \frac{a_1}{1 + \text{Exp}[-(t - t_1)/b_1]},$$

  {
    {a0, 75666.14697988438`},
    {b0, 1/112.7406242528004`}, {t0, 2020.1065903285187`},
    {a1, 158316.10070185905`}, {b1, 1/59.02618015129843`}, {t1, 2020.20856169607`},
    t]

```

```
transitions = {t0, t1} /. nlm2["BestFitParameters"]
{{2020.12, 60328.}, {2020.12, 64543.}, {2020.12, 67103.},
 {2020.13, 69265.}, {2020.13, 71332.}, {2020.13, 73327.},
 {2020.13, 75191.}, {2020.14, 75723.}, {2020.14, 76719.}, {2020.14, 77804.},
 {2020.15, 78812.}, {2020.15, 79339.}, {2020.15, 80132.}, {2020.15, 80995.},
 {2020.16, 82101.}, {2020.16, 83365.}, {2020.16, 85203.}, {2020.16, 87024.},
 {2020.17, 89068.}, {2020.17, 90663.}, {2020.17, 93076.}, {2020.18, 95315.},
 {2020.18, 98171.}, {2020.18, 102132.}, {2020.18, 105828.}}
```

```
FittedModel[
$$\frac{76273.3}{1 + e^{106.075(\ll 19 \gg - t)}} + \frac{129360.}{1 + e^{62.6001(\ll 19 \gg - t)}}]$$

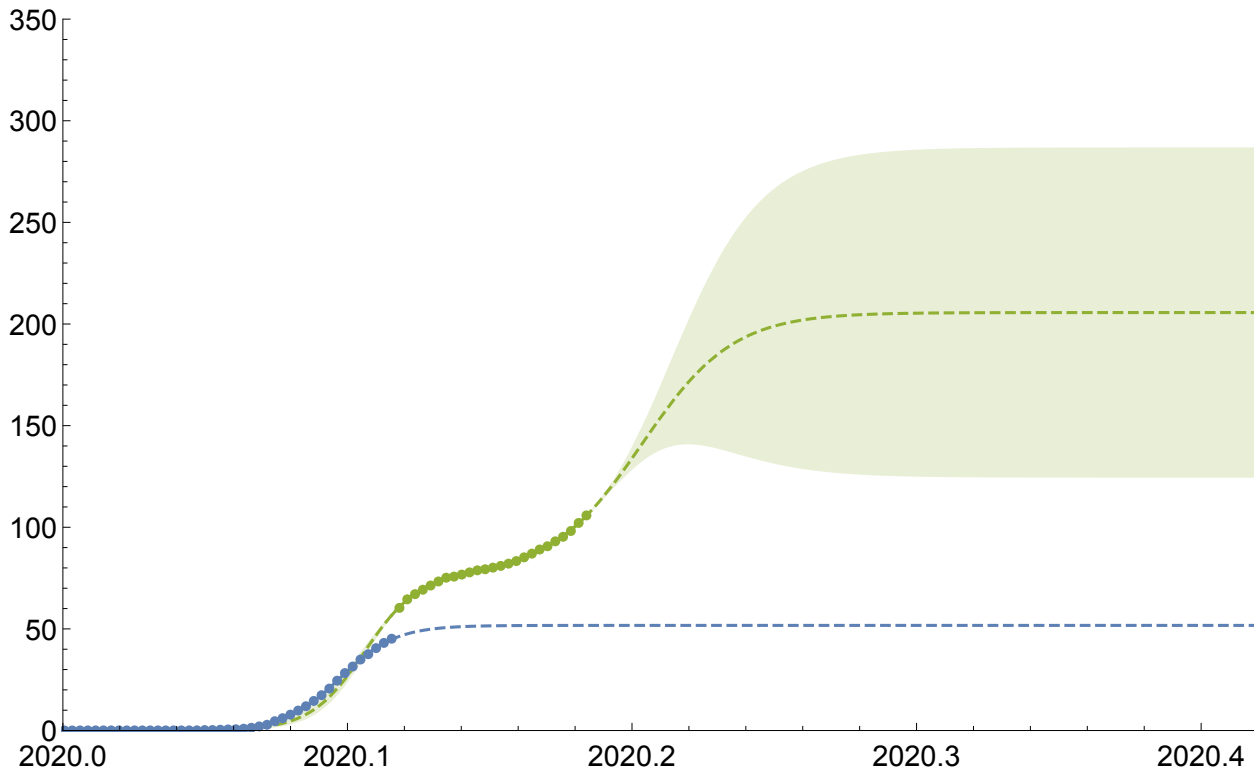
{2020.11, 2020.2}
```

```
bands90 = nlm2["SinglePredictionBands", ConfidenceLevel -> 0.5];
```

```

scale = 0.001;
graphLimit = 350 000;
Show[
  Plot[scale Normal[nlm], {t, 2020, fitData[[-1, 1]]},
    PlotRange → {{2020, 2020.5}, {0, scale * graphLimit}},
  Plot[scale Normal[nlm], {t, fitData[[-1, 1]], 2021},
    PlotRange → {0, scale * 150 000}, PlotStyle → Dashed],
  Plot[scale Normal[nlm2], {t, fitData[[-1, 1]], fitData2[[-1, 1]]},
    PlotRange → {0, scale * 150 000}, PlotStyle → Directive[ColorData[97][3]]],
  Plot[scale Normal[nlm2], {t, 2020, 2020.5}, PlotRange → All,
    PlotStyle → Directive[Dashed, ColorData[97][3]]],
  Plot[Evaluate[scale bands90], {t, 2020, 2020.5}, PlotRange → All, PlotStyle → None,
    FillingStyle → Directive[Opacity[0.2], ColorData[97][3]], Filling → {1 → {2}}],
  ListPlot[{{#[[1]], scale #[[2]]} & /@ fitData, PlotStyle → PointSize[0.007]},
  ListPlot[{{#[[1]], scale #[[2]]} & /@ Cases[accumulated, x_ /; x[[1]] > 2020.116],
    PlotStyle → Directive[PointSize[0.007], ColorData[97][3]]],
  ImageSize → 11 * 72, AspectRatio → 1 / 2, BaseStyle → FontSize → 15,
  Frame → {True, True, False, False}]

```



1 / 365.24

0.00273793

```
Differences[totals[[All, 1]]]
```

[illegible]
$$\text{funcA} = \frac{a0}{1 + \text{Exp}\left[-\left(t - t0\right) / b0\right]} \text{ /. nlm["BestFitParameters"]};$$

```
funcAtotals = Table[{totals[[ii, 1]], (funcA /. t → totals[[ii, 1]]) -  
  (funcA /. t → totals[[ii - 1, 1]])}, {ii, 2, Length[totals]}];
```

$$\text{func0} = \frac{a0}{1 + \text{Exp}\left[-(t - t0) / b0\right]} \quad /. \text{nlm2}["\text{BestFitParameters}"];$$

```
func0totals = Table[{totals[[ii, 1]], (func0 /. t → totals[[ii, 1]]) -  
  (func0 /. t → totals[[ii - 1, 1]])}, {ii, 2, Length[totals]}];
```

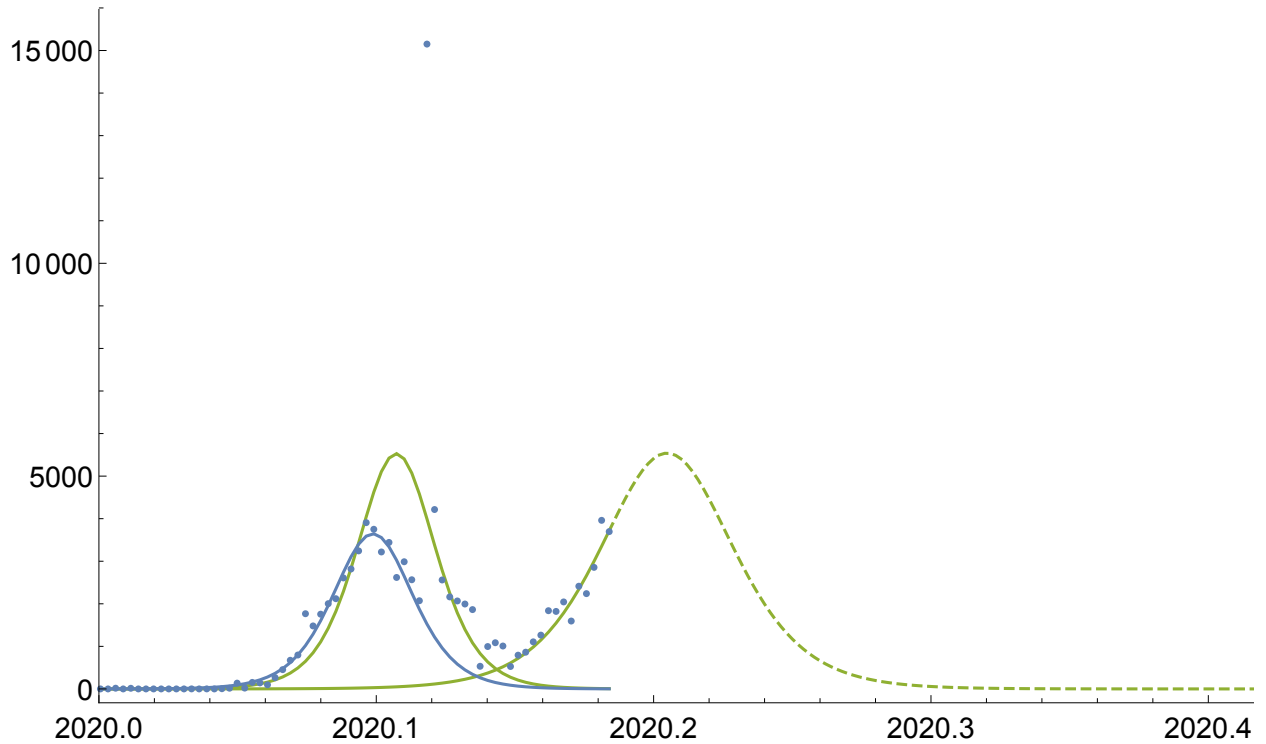
$$\text{func1} = \frac{a1}{1 + \text{Exp}\left[-(t - t1) / b1\right]} \text{ /. nlm2["BestFitParameters"] ;}$$

```
func1totals = Table[{totals[[ii, 1]], (func1 /. t → totals[[ii, 1]]) -  
  (func1 /. t → totals[[ii - 1, 1]])}, {ii, 2, Length[totals]}];
```

```
func1atotals = Table[{tt, (func1 /. t -> tt) - (func1 /. t -> (tt - 1 / 365.24))},
  {tt, totals[[-1, 1]], 2020.5, 0.002}];
```

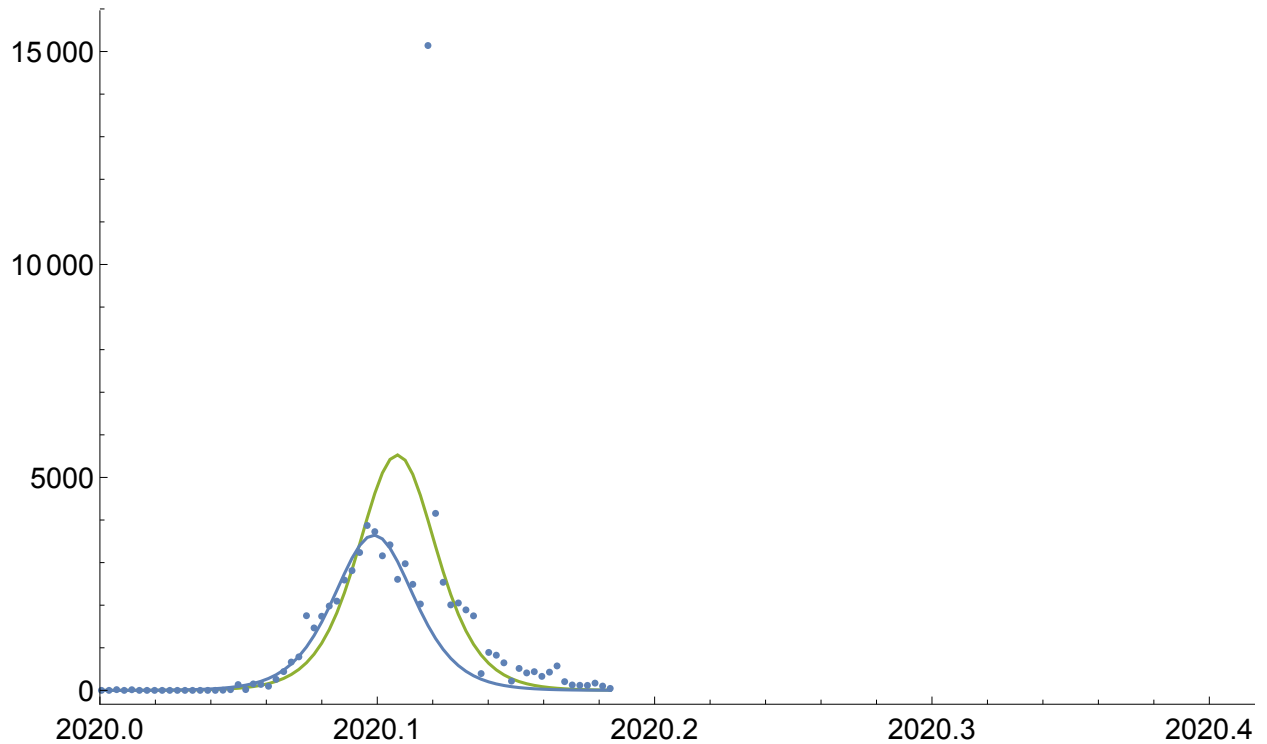
```
ListPlot[{totals, func0totals, func1totals, func1attotals, funcAttotals},
  PlotRange → {{2020, 2020.5}, All}, Joined → {False, True, True, True, True},
  PlotStyle → {PointSize[0.005], ColorData[97][3], ColorData[97][3],
    Directive[Dashed, ColorData[97][3]], ColorData[97][1]},

  ImageSize → 11 * 72, AspectRatio → 1/2,
  BaseStyle → FontSize → 15, Frame → {True, True, False, False}]
```



```
totalsChina = Cases[data, x_ /; x[[3]] == "China"][[All, {1, 2}]];
dataNotChina = DeleteCases[data, x_ /; x[[3]] == "China"];
totalsNotChina = {#[[1, 1]], Total[#[[All, 2]]]} & /@
  Split[Sort[dataNotChina[[All, {1, 2}]]], #1[[1]] == #2[[1]] &];
```

```
ListPlot[{totalsChina, func0totals, funcAtotals},
  PlotRange -> {{2020, 2020.5}, All}, Joined -> {False, True, True},
  PlotStyle -> {PointSize[0.005], ColorData[97][3], ColorData[97][1]},
  ImageSize -> 11 * 72, AspectRatio -> 1/2, BaseStyle -> FontSize -> 15,
  Frame -> {True, True, False, False}]
```



```
{a1, b1, t1} /. nlm2["BestFitParameters"]
```

```
{129360., 0.0159744, 2020.2}
```

```
fitFunc = D[
$$\frac{a1}{1 + \text{Exp}[-(t - t1)/b1]}$$
, t]
```

```
nlmD = NonlinearModelFit[totalsNotChina, fitFunc,
  {{a1, 129359.8148811039`},
  {b1, 0.015974419434485302`}, {t1, 2020.2034983782537`}},
  t]
```

$$\frac{a1 e^{\frac{-t+t1}{b1}}}{b1 \left(1 + e^{\frac{-t+t1}{b1}}\right)^2}$$

```
FittedModel[
$$\frac{22665.6 e^{76.8442 (\ll 19 \gg - t)}}{(1 + e^{\ll 18 \gg (\ll 19 \gg - t)})^2}$$
]
```

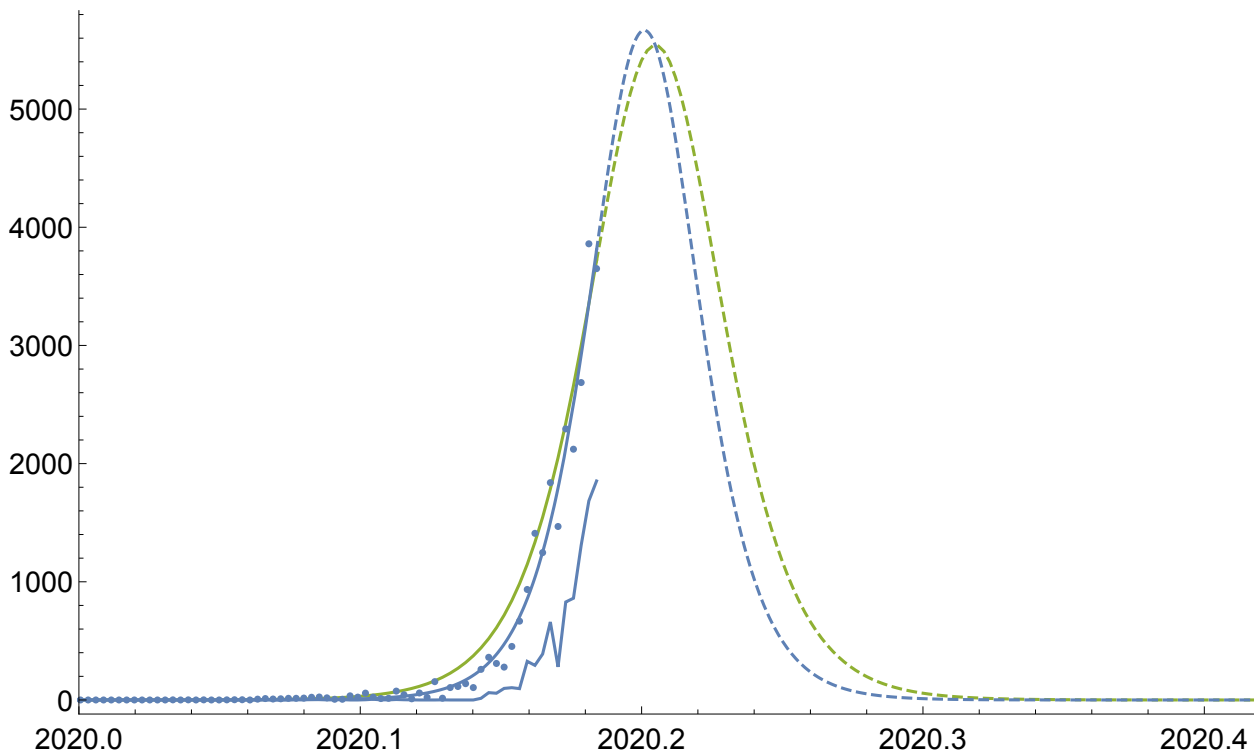
```

dataEU = Cases[data, x_ /; x[[4]] == "EU"];
totalsEU = {#[[1, 1]], Total#[[All, 2]]} & /@
  Split[Sort[dataEU[[All, {1, 2}]]], #1[[1]] == #2[[1]] &];

Show[
  ListPlot[{totalsNotChina, func1totals, func1atotals, totalsEU},
    PlotRange → {{2020, 2020.5}, All}, Joined → {False, True, True, True, True},
    PlotStyle → {PointSize[0.005], ColorData[97][3],
      Directive[Dashed, ColorData[97][3]], ColorData[97][1]},

    ImageSize → 11 * 72, AspectRatio → 1/2,
    BaseStyle → FontSize → 15, Frame → {True, True, False, False}],
  Plot[Normal[nlmd], {t, 2020, totals[[-1, 1]]}, PlotRange → All],
  Plot[Normal[nlmd], {t, totals[[-1, 1]], 2020.5},
    PlotRange → All, PlotStyle → Dashed]

```



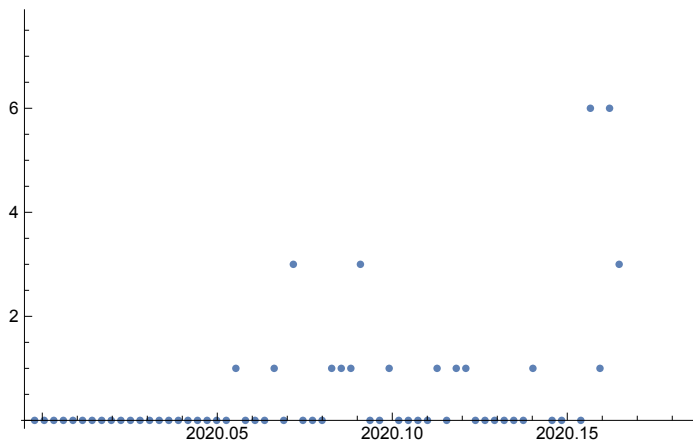
```

totalsUSA = Cases[data, x_ /; x[[3]] == "United States of America"][[All, {1, 2}]];

```



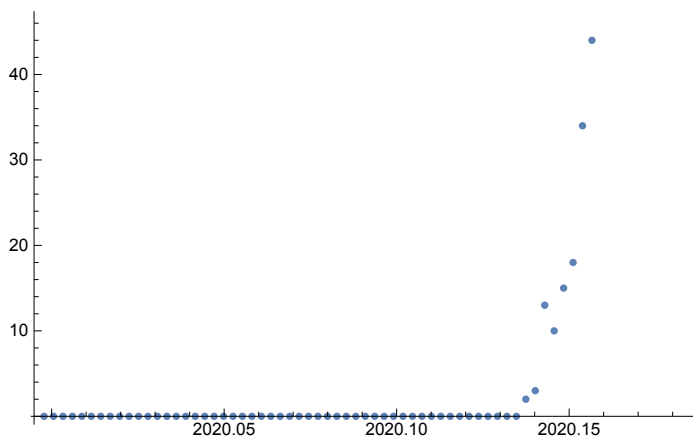
```
ListPlot[totalsUSA]
```



```
totalsIran = Cases[data, x_ /; x[[3]] == "Iran"][[All, {1, 2}]]
```

```
ListPlot[%]
```

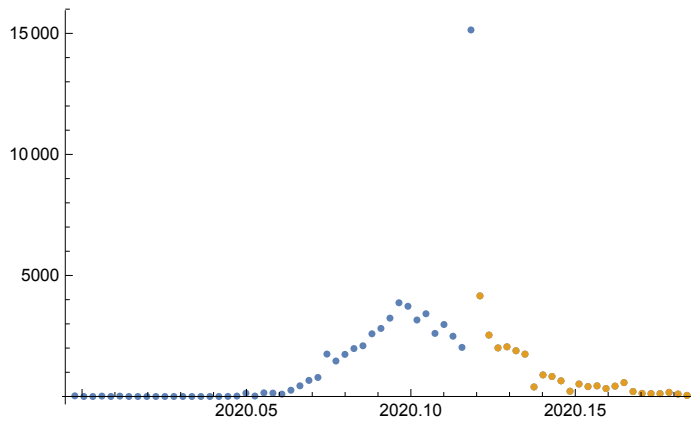
```
{ {2020.18, 1076.}, {2020.18, 1234.}, {2020.18, 591.}, {2020.18, 586.},
  {2020.17, 835.}, {2020.17, 523.}, {2020.17, 385.}, {2020.16, 205.},
  {2020.16, 143.}, {2020.16, 106.}, {2020.16, 44.}, {2020.15, 34.}, {2020.15, 18.},
  {2020.15, 15.}, {2020.15, 10.}, {2020.14, 13.}, {2020.14, 3.}, {2020.14, 2.},
  {2020.13, 0.}, {2020.13, 0.}, {2020.13, 0.}, {2020.13, 0.}, {2020.12, 0.},
  {2020.12, 0.}, {2020.12, 0.}, {2020.12, 0.}, {2020.11, 0.}, {2020.11, 0.},
  {2020.11, 0.}, {2020.1, 0.}, {2020.1, 0.}, {2020.1, 0.}, {2020.1, 0.},
  {2020.09, 0.}, {2020.09, 0.}, {2020.09, 0.}, {2020.09, 0.}, {2020.08, 0.},
  {2020.08, 0.}, {2020.08, 0.}, {2020.07, 0.}, {2020.07, 0.}, {2020.07, 0.},
  {2020.07, 0.}, {2020.06, 0.}, {2020.06, 0.}, {2020.06, 0.}, {2020.06, 0.},
  {2020.06, 0.}, {2020.05, 0.}, {2020.05, 0.}, {2020.05, 0.}, {2020.04, 0.},
  {2020.04, 0.}, {2020.04, 0.}, {2020.03, 0.}, {2020.03, 0.}, {2020.03, 0.},
  {2020.03, 0.}, {2020.02, 0.}, {2020.02, 0.}, {2020.02, 0.}, {2020.02, 0.},
  {2020.01, 0.}, {2020.01, 0.}, {2020.01, 0.}, {2020., 0.}, {2020., 0.},
  {2020., 0.} }
```



various countries

China

```
totalsChina = Sort[Cases[data, x_ /; x[[3]] == "China"][[All, {1, 2}]]];
ListPlot[{totalsChina, Cases[totalsChina, x_ /; x[[1]] > 2020.119]}, PlotRange -> All]
```



```

fitDataD0 = totalsChina;
fitFuncD0 = D[ $\frac{aD}{1 + \text{Exp}[-(t - tD) / bD]}$ , t];
nlmD0 = NonlinearModelFit[fitDataD0, fitFuncD0,
  {{aD, 50 000}, {bD, 0.01}, {tD, 2020.15}},
  t]
Show[ListPlot[fitDataD0, PlotRange → {{2020, 2020.5}, All}],
  Plot[Normal[nlmD0], {t, 2020, totals[[-1, 1]]}, PlotRange → All],
  Plot[Normal[nlmD0], {t, totals[[-1, 1]], 2020.5},
  PlotRange → All, PlotStyle → Dashed]]

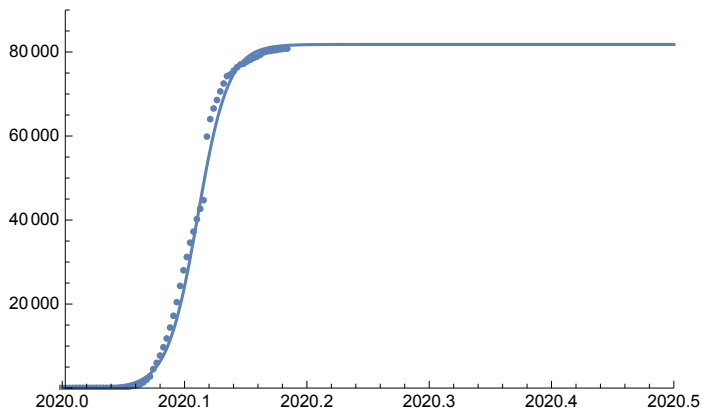
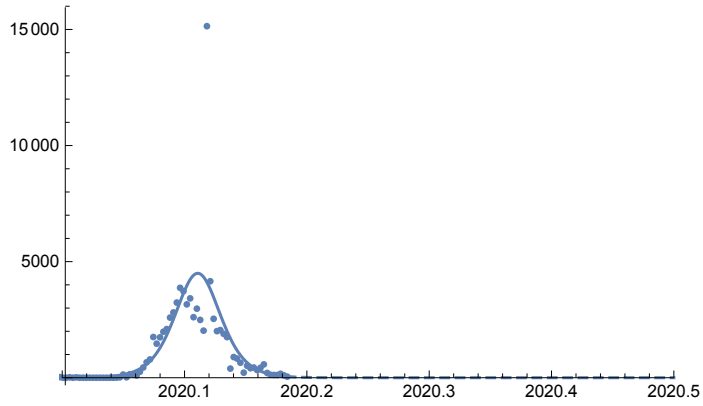
accumulatedD0 = Transpose[{fitDataD0[[All, 1]], Accumulate[fitDataD0[[All, 2]]]}];

tempfunc = 365.24  $\frac{aD}{1 + \text{Exp}[-(t - tD) / bD]}$  /. nlmD0["BestFitParameters"];
Show[ListPlot[accumulatedD0,
  PlotRange → {{2020, 2020.5}, {0, 1.1 tempfunc /. t → 2020.5}}],
  Plot[tempfunc, {t, 2020, 2020.5}]]

temp = Cases[accumulatedD0, x_ /; x[[1]] > 2020.119]
nlmChina = NonlinearModelFit[temp,  $\frac{aD}{1 + \text{Exp}[-(t - tD) / bD]}$ ,
  {{aD, 50 000}, {bD, 0.01}, {tD, 2020.15}}, t]
Show[Plot[{Normal[nlmChina], tempfunc}, {t, 2020, 2020.5}], ListPlot[temp]]
tempD =
  Evaluate[(1 / 365.24) {D[Normal[nlmChina], t] /. t → tt, D[tempfunc, t] /. t → tt}]
Show[ListPlot[totalsChina], Plot[tempD, {tt, 2020, 2020.5}, PlotRange → All]]

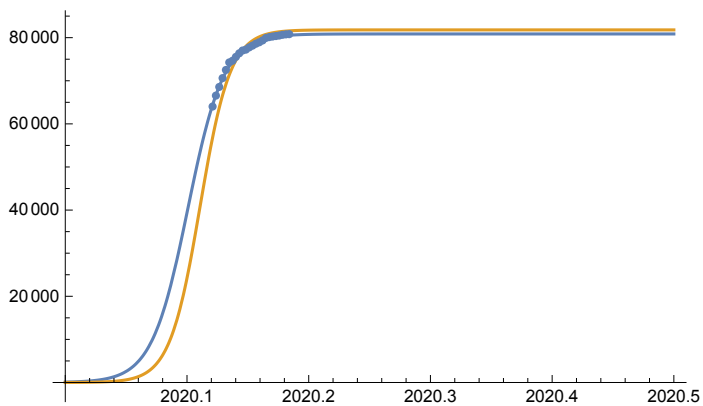
funcChina = Normal[nlmChina]
FittedModel[ $\frac{17989.1 e^{80.3171 (\ll 19 \gg - t)}}{(1 + e^{\ll 18 \gg (\ll 19 \gg - t)})^2}$ ]

```

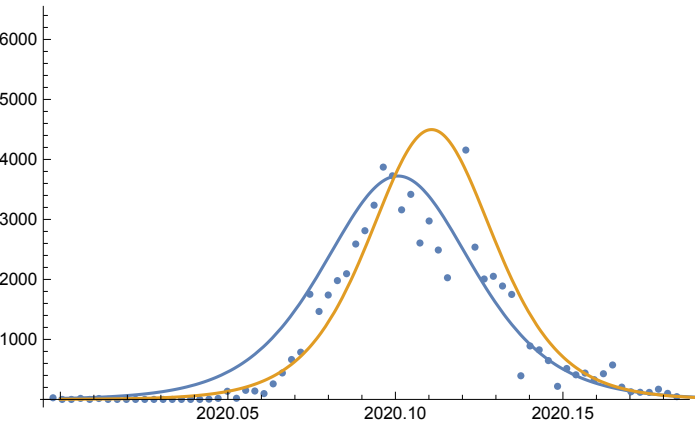


```
{{2020.12, 64 021.}, {2020.12, 66 559.}, {2020.13, 68 566.}, {2020.13, 70 618.},
  {2020.13, 72 508.}, {2020.13, 74 258.}, {2020.14, 74 652.}, {2020.14, 75 543.},
  {2020.14, 76 369.}, {2020.15, 77 016.}, {2020.15, 77 234.}, {2020.15, 77 749.},
  {2020.15, 78 159.}, {2020.16, 78 598.}, {2020.16, 78 927.}, {2020.16, 79 355.},
  {2020.16, 79 929.}, {2020.17, 80 134.}, {2020.17, 80 261.}, {2020.17, 80 380.},
  {2020.18, 80 497.}, {2020.18, 80 667.}, {2020.18, 80 768.}, {2020.18, 80 814.}}
```

FittedModel[
$$\frac{80862.6}{1 + e^{67.2714 (\ll 19 \gg - t)}}$$
]



$$\left\{ \frac{14\,893.6\,e^{67.2714\,(2020.1-tt)}}{\left(1+e^{67.2714\,(2020.1-tt)}\right)^2}, \frac{17\,989.1\,e^{80.3171\,(2020.11-tt)}}{\left(1+e^{80.3171\,(2020.11-tt)}\right)^2} \right\}$$



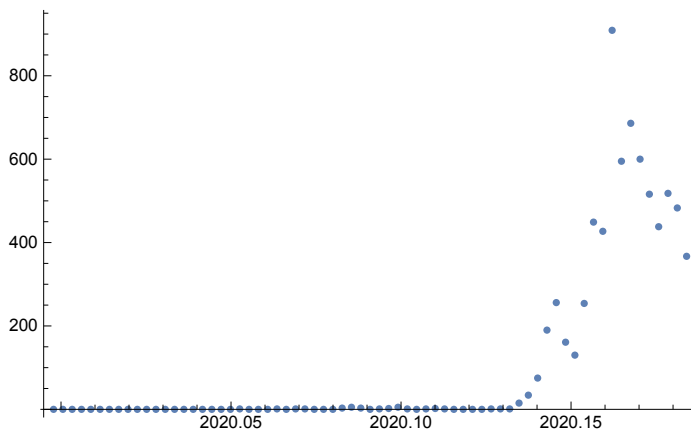
$$\frac{80\,862.6}{1+e^{67.2714\,(2020.1-t)}}$$

Korea

```

totalsKorea = Cases[data, x_ /; x[[3]] == "South Korea"][[All, {1, 2}]]
ListPlot[%, PlotRange -> All]
{{2020.18, 367.}, {2020.18, 483.}, {2020.18, 518.}, {2020.18, 438.}, {2020.17, 516.},
 {2020.17, 600.}, {2020.17, 686.}, {2020.16, 595.}, {2020.16, 909.},
 {2020.16, 427.}, {2020.16, 449.}, {2020.15, 254.}, {2020.15, 130.},
 {2020.15, 161.}, {2020.15, 256.}, {2020.14, 190.}, {2020.14, 75.}, {2020.14, 34.},
 {2020.13, 15.}, {2020.13, 1.}, {2020.13, 1.}, {2020.13, 1.}, {2020.12, 0.},
 {2020.12, 0.}, {2020.12, 0.}, {2020.11, 1.}, {2020.11, 2.},
 {2020.11, 1.}, {2020.1, 0.}, {2020.1, 1.}, {2020.1, 5.}, {2020.1, 2.},
 {2020.09, 1.}, {2020.09, 0.}, {2020.09, 3.}, {2020.09, 5.}, {2020.08, 3.},
 {2020.08, 0.}, {2020.08, 0.}, {2020.07, 0.}, {2020.07, 1.}, {2020.07, 1.},
 {2020.07, 0.}, {2020.06, 1.}, {2020.06, 0.}, {2020.06, 0.}, {2020.06, 0.},
 {2020.05, 1.}, {2020.05, 0.}, {2020.05, 0.}, {2020.04, 0.}, {2020.04, 0.},
 {2020.04, 0.}, {2020.04, 0.}, {2020.03, 0.}, {2020.03, 0.}, {2020.03, 0.},
 {2020.03, 0.}, {2020.02, 0.}, {2020.02, 0.}, {2020.02, 0.}, {2020.02, 0.},
 {2020.01, 0.}, {2020.01, 0.}, {2020.01, 0.}, {2020., 0.}, {2020., 0.}, {2020., 0.}}

```



```

fitDataD0 = Sort[totalsKorea];
fitFuncD0 = D[ $\frac{aD}{1 + \text{Exp}[-(t - tD) / bD]}$ , t];
nlmD0 = NonlinearModelFit[fitDataD0, fitFuncD0,
  {{aD, 50 000}, {bD, 0.01}, {tD, 2020.15}},
  t]
Show[ListPlot[fitDataD0, PlotRange → {{2020, 2020.5}, All}],
  Plot[Normal[nlmD0], {t, 2020, totals[[-1, 1]]}, PlotRange → All],
  Plot[Normal[nlmD0], {t, totals[[-1, 1]], 2020.5},
  PlotRange → All, PlotStyle → Dashed]]

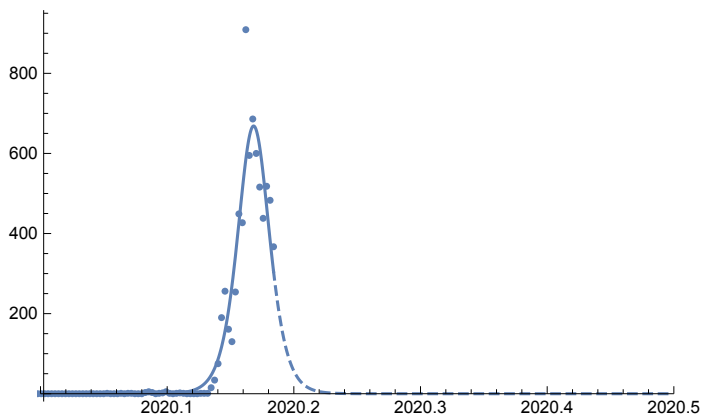
accumulatedD0 = Transpose[{fitDataD0[[All, 1]], Accumulate[fitDataD0[[All, 2]]]};

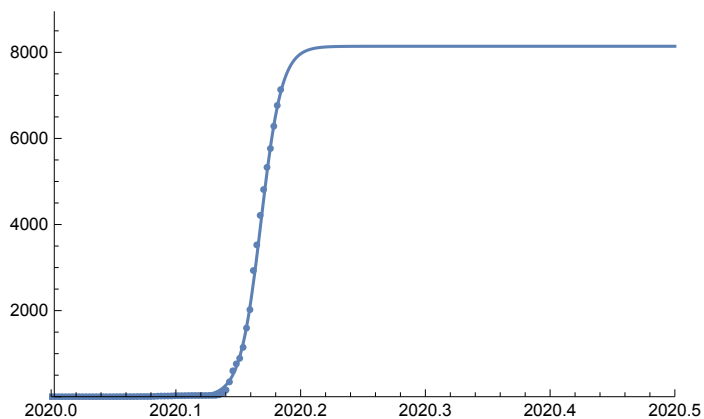
tempfunc = 365.24  $\frac{aD}{1 + \text{Exp}[-(t - tD) / bD]}$  /. nlmD0["BestFitParameters"];
Show[ListPlot[accumulatedD0,
  PlotRange → {{2020, 2020.5}, {0, 1.1 tempfunc /. t → 2020.5}}],
  Plot[tempfunc, {t, 2020, 2020.5}]]

funcKorea = tempfunc;

```

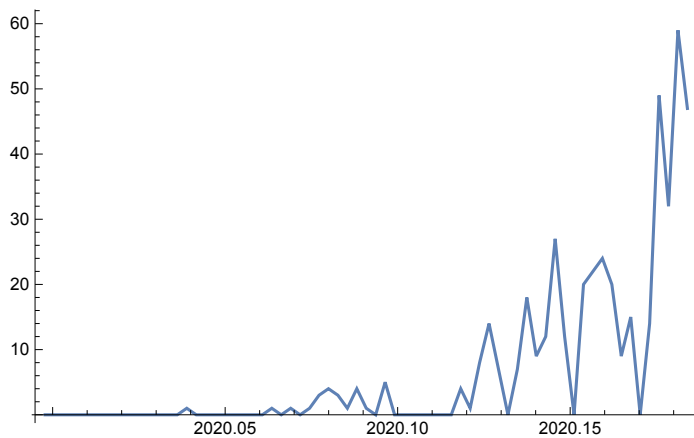
FittedModel[
$$\frac{2673.96 e^{119.965 (\ll 19 \gg - t)}}{(1 + e^{\ll 19 \gg (\ll 19 \gg - t)})^2}$$
]





Japan

```
totalsJapan = Cases[data, x_ /; x[[3]] == "Japan"][[All, {1, 2}]];
(*totalsJapan=
  {#[[1,1]],Total[#[[All,2]]]}&/@ (Split[Sort[totalsJapan],#1[[1]]==#2[[1]]&]);*)
ListPlot[%, PlotRange -> All, Joined -> True]
```




```

fitDataD0 = Sort[totalsJapan];
fitFuncD0 = D[ $\frac{aD}{1 + \text{Exp}[-(t - tD) / bD]}$ , t];
nlmD0 = NonlinearModelFit[fitDataD0, fitFuncD0,
  {{aD, 50 000}, {bD, 0.01}, {tD, 2020.15}},
  t]
Show[ListPlot[fitDataD0, PlotRange → {{2020, 2020.5}, All}],
  Plot[Normal[nlmD0], {t, 2020, totals[[-1, 1]]}, PlotRange → All],
  Plot[Normal[nlmD0], {t, totals[[-1, 1]], 2020.5},
  PlotRange → All, PlotStyle → Dashed]]

accumulatedD0 = Transpose[{fitDataD0[[All, 1]], Accumulate[fitDataD0[[All, 2]]]}];

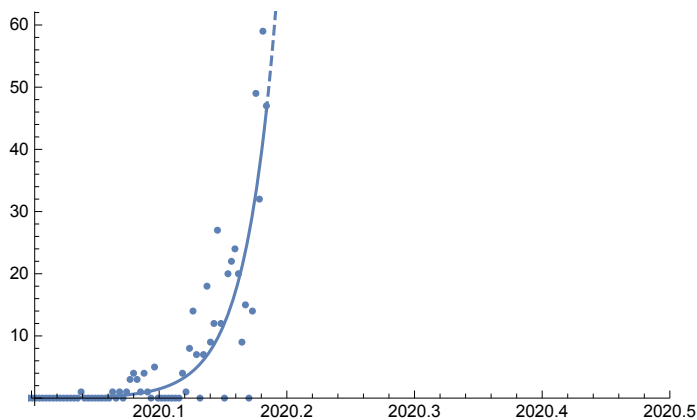
tempfunc = 365.24  $\frac{aD}{1 + \text{Exp}[-(t - tD) / bD]}$  /. nlmD0["BestFitParameters"];
Show[ListPlot[accumulatedD0,
  PlotRange → {{2020, 2020.5}, {0, 1.1 tempfunc /. t → 2020.5}}],
  Plot[tempfunc, {t, 2020, 2020.5}]]

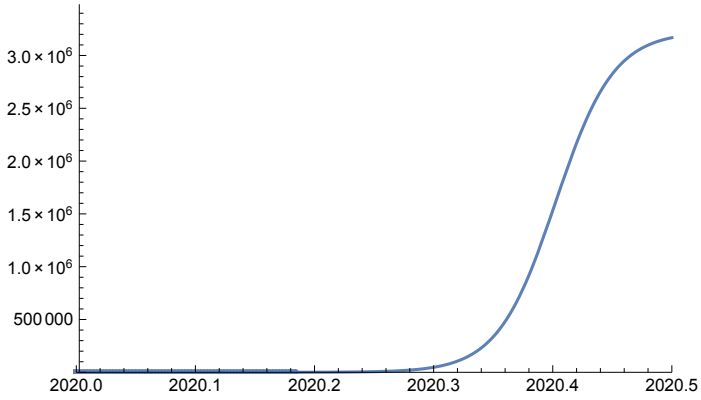
funcJapan = tempfunc;

```

NonlinearModelFit::cvmit: Failed to converge to the requested accuracy or precision within 100 iterations. >>

FittedModel[$\frac{362540.e^{41.0427(\ll 18 \gg - t)}}{(1 + e^{\ll 18 \gg (\ll 18 \gg - t)})^2}$]

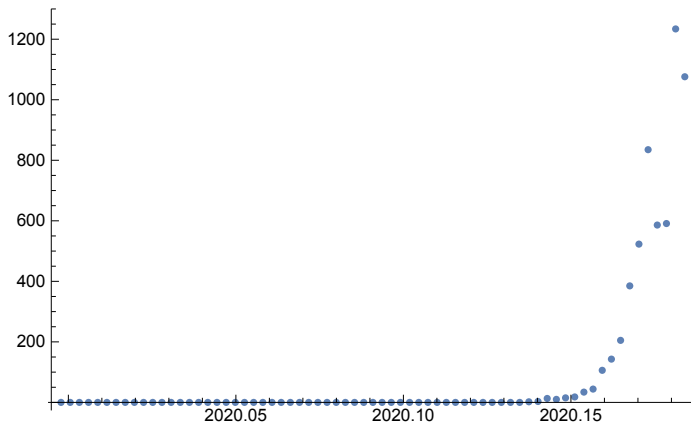




Iran

```
totalsIran = Cases[data, x_ /; x[[3]] == "Iran"][[All, {1, 2}]]
ListPlot[%, PlotRange -> All]

{{2020.18, 1076.}, {2020.18, 1234.}, {2020.18, 591.}, {2020.18, 586.},
{2020.17, 835.}, {2020.17, 523.}, {2020.17, 385.}, {2020.16, 205.},
{2020.16, 143.}, {2020.16, 106.}, {2020.16, 44.}, {2020.15, 34.}, {2020.15, 18.},
{2020.15, 15.}, {2020.15, 10.}, {2020.14, 13.}, {2020.14, 3.}, {2020.14, 2.},
{2020.13, 0.}, {2020.13, 0.}, {2020.13, 0.}, {2020.13, 0.}, {2020.12, 0.},
{2020.12, 0.}, {2020.12, 0.}, {2020.12, 0.}, {2020.11, 0.}, {2020.11, 0.},
{2020.11, 0.}, {2020.1, 0.}, {2020.1, 0.}, {2020.1, 0.}, {2020.1, 0.},
{2020.09, 0.}, {2020.09, 0.}, {2020.09, 0.}, {2020.09, 0.}, {2020.08, 0.},
{2020.08, 0.}, {2020.08, 0.}, {2020.07, 0.}, {2020.07, 0.}, {2020.07, 0.},
{2020.07, 0.}, {2020.06, 0.}, {2020.06, 0.}, {2020.06, 0.}, {2020.06, 0.},
{2020.05, 0.}, {2020.05, 0.}, {2020.05, 0.}, {2020.04, 0.}, {2020.04, 0.},
{2020.04, 0.}, {2020.04, 0.}, {2020.03, 0.}, {2020.03, 0.}, {2020.03, 0.},
{2020.03, 0.}, {2020.02, 0.}, {2020.02, 0.}, {2020.02, 0.}, {2020.02, 0.},
{2020.01, 0.}, {2020.01, 0.}, {2020.01, 0.}, {2020.01, 0.}, {2020., 0.}, {2020., 0.}, {2020., 0.}}
```



```

fitDataD0 = Sort[totalsIran];
fitFuncD0 = D[ $\frac{aD}{1 + \text{Exp}[-(t - tD) / bD]}$ , t];
nlmD0 = NonlinearModelFit[fitDataD0, fitFuncD0,
  {{aD, 50 000}, {bD, 0.01}, {tD, 2020.15}},
  t]
Show[ListPlot[fitDataD0, PlotRange → {{2020, 2020.5}, All}],
  Plot[Normal[nlmD0], {t, 2020, totals[[-1, 1]]}, PlotRange → All],
  Plot[Normal[nlmD0], {t, totals[[-1, 1]], 2020.5},
  PlotRange → All, PlotStyle → Dashed]]

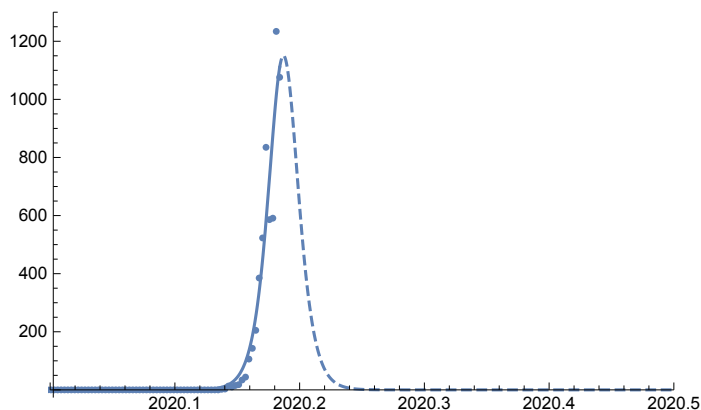
accumulatedD0 = Transpose[{fitDataD0[[All, 1]], Accumulate[fitDataD0[[All, 2]]]}];

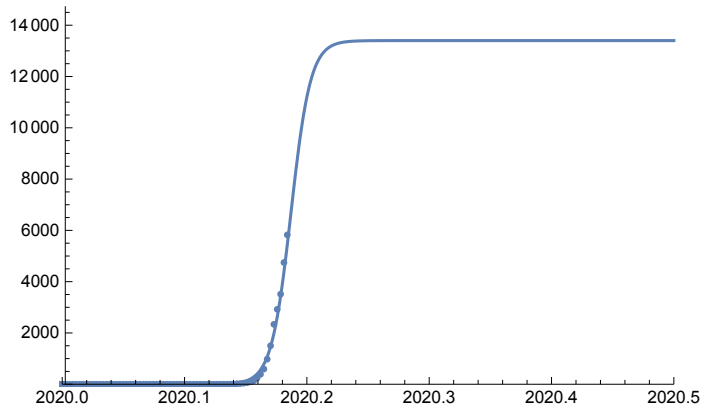
tempfunc = 365.24  $\frac{aD}{1 + \text{Exp}[-(t - tD) / bD]}$  /. nlmD0["BestFitParameters"];
Show[ListPlot[accumulatedD0,
  PlotRange → {{2020, 2020.5}, {0, 1.1 tempfunc /. t → 2020.5}}],
  Plot[tempfunc, {t, 2020, 2020.5}]]

funcIran = tempfunc;

```

FittedModel[
$$\frac{4601.71 e^{125.426 (\ll 19 \gg - t)}}{(1 + e^{\ll 19 \gg (\ll 19 \gg - t)})^2}$$
]



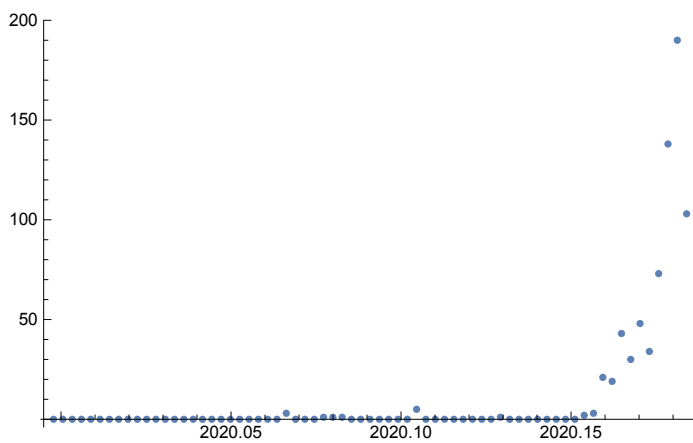


France

```
totalsFrance = Cases[data, x_ /; x[[3]] == "France"][[All, {1, 2}]]
```

```
ListPlot[%, PlotRange -> All]
```

```
{{2020.18, 103.}, {2020.18, 190.}, {2020.18, 138.}, {2020.18, 73.},
 {2020.17, 34.}, {2020.17, 48.}, {2020.17, 30.}, {2020.16, 43.}, {2020.16, 19.},
 {2020.16, 21.}, {2020.16, 3.}, {2020.15, 2.}, {2020.15, 0.}, {2020.15, 0.},
 {2020.15, 0.}, {2020.14, 0.}, {2020.14, 0.}, {2020.14, 0.}, {2020.13, 0.},
 {2020.13, 0.}, {2020.13, 1.}, {2020.13, 0.}, {2020.12, 0.}, {2020.12, 0.},
 {2020.12, 0.}, {2020.12, 0.}, {2020.11, 0.}, {2020.11, 0.}, {2020.11, 0.},
 {2020.1, 5.}, {2020.1, 0.}, {2020.1, 0.}, {2020.1, 0.}, {2020.09, 0.},
 {2020.09, 0.}, {2020.09, 0.}, {2020.09, 0.}, {2020.08, 1.}, {2020.08, 1.},
 {2020.08, 1.}, {2020.07, 0.}, {2020.07, 0.}, {2020.07, 0.}, {2020.07, 3.},
 {2020.06, 0.}, {2020.06, 0.}, {2020.06, 0.}, {2020.06, 0.}, {2020.05, 0.},
 {2020.05, 0.}, {2020.05, 0.}, {2020.04, 0.}, {2020.04, 0.}, {2020.04, 0.},
 {2020.04, 0.}, {2020.03, 0.}, {2020.03, 0.}, {2020.03, 0.}, {2020.03, 0.},
 {2020.02, 0.}, {2020.02, 0.}, {2020.02, 0.}, {2020.01, 0.}, {2020.01, 0.},
 {2020.01, 0.}, {2020.01, 0.}, {2020., 0.}, {2020., 0.}, {2020., 0.}}
```



```

fitDataD0 = Sort[totalsFrance];
fitFuncD0 = D[ $\frac{aD}{1 + \text{Exp}[-(t - tD) / bD]}$ , t];
nlmD0 = NonlinearModelFit[fitDataD0, fitFuncD0,
  {{aD, 50 000}, {bD, 0.01}, {tD, 2020.15}},
  t]
Show[ListPlot[fitDataD0, PlotRange → {{2020, 2020.5}, All}],
  Plot[Normal[nlmD0], {t, 2020, totals[[-1, 1]]}, PlotRange → All],
  Plot[Normal[nlmD0], {t, totals[[-1, 1]], 2020.5},
  PlotRange → All, PlotStyle → Dashed]]

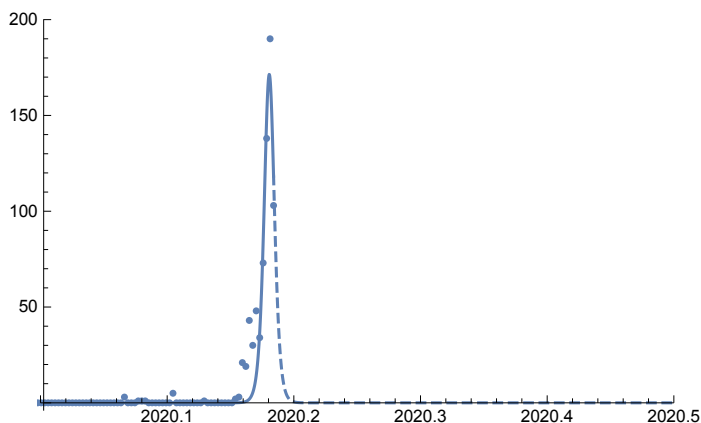
accumulatedD0 = Transpose[{fitDataD0[[All, 1]], Accumulate[fitDataD0[[All, 2]]]}];

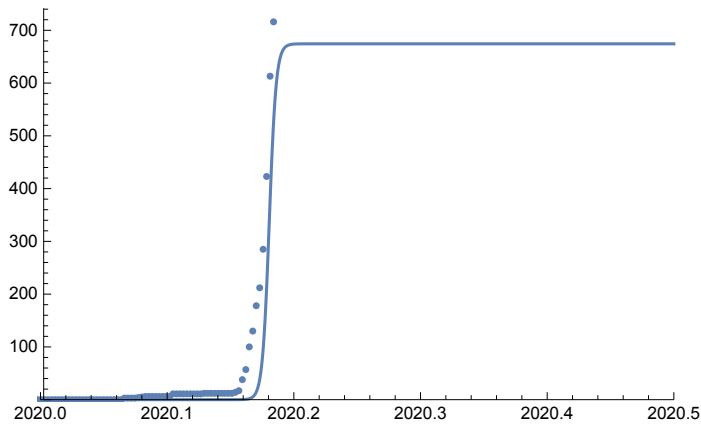
tempfunc = 365.24  $\frac{aD}{1 + \text{Exp}[-(t - tD) / bD]}$  /. nlmD0["BestFitParameters"];
Show[ListPlot[accumulatedD0,
  PlotRange → {{2020, 2020.5}, {0, 1.1 tempfunc /. t → 2020.5}}],
  Plot[tempfunc, {t, 2020, 2020.5}]]

funcFrance = tempfunc;

```

FittedModel[
$$\frac{685.39 e^{371.207 (\ll 19 \gg - t)}}{(1 + e^{\ll 18 \gg (\ll 19 \gg - t)})^2}$$
]



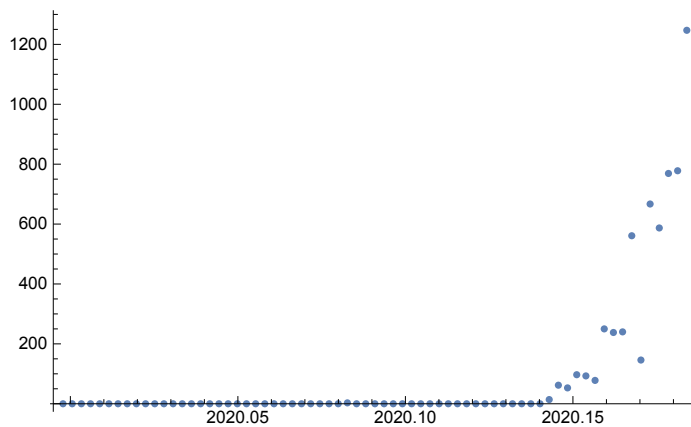


Italy

```
totalsItaly = Cases[data, x_ /; x[[3]] == "Italy"][[All, {1, 2}]]
```

```
ListPlot[%, PlotRange -> All]
```

```
{2020.18, 1247.}, {2020.18, 778.}, {2020.18, 769.}, {2020.18, 587.}, {2020.17, 667.},
{2020.17, 146.}, {2020.17, 561.}, {2020.16, 240.}, {2020.16, 238.},
{2020.16, 250.}, {2020.16, 78.}, {2020.15, 93.}, {2020.15, 97.}, {2020.15, 53.},
{2020.15, 62.}, {2020.14, 14.}, {2020.14, 0.}, {2020.14, 0.}, {2020.13, 0.},
{2020.13, 0.}, {2020.13, 0.}, {2020.12, 0.}, {2020.12, 0.},
{2020.12, 0.}, {2020.12, 0.}, {2020.11, 0.}, {2020.11, 0.}, {2020.11, 0.},
{2020.1, 0.}, {2020.1, 0.}, {2020.1, 0.}, {2020.1, 0.}, {2020.09, 0.},
{2020.09, 0.}, {2020.09, 0.}, {2020.09, 0.}, {2020.08, 3.}, {2020.08, 0.},
{2020.08, 0.}, {2020.07, 0.}, {2020.07, 0.}, {2020.07, 0.}, {2020.07, 0.},
{2020.06, 0.}, {2020.06, 0.}, {2020.06, 0.}, {2020.06, 0.}, {2020.05, 0.},
{2020.05, 0.}, {2020.05, 0.}, {2020.04, 0.}, {2020.04, 0.}, {2020.04, 0.},
{2020.04, 0.}, {2020.03, 0.}, {2020.03, 0.}, {2020.03, 0.}, {2020.03, 0.},
{2020.02, 0.}, {2020.02, 0.}, {2020.02, 0.}, {2020.01, 0.}, {2020.01, 0.},
{2020.01, 0.}, {2020.01, 0.}, {2020., 0.}, {2020., 0.}, {2020., 0.}}
```



```

fitDataD0 = Sort[totalsItaly];
fitFuncD0 = D[ $\frac{aD}{1 + \text{Exp}[-(t - tD) / bD]}$ , t];
nlmD0 = NonlinearModelFit[fitDataD0, fitFuncD0,
  {{aD, 50 000}, {bD, 0.01}, {tD, 2020.15}},
  t]
Show[ListPlot[fitDataD0, PlotRange → {{2020, 2020.5}, All}],
  Plot[Normal[nlmD0], {t, 2020, totals[[-1, 1]]}, PlotRange → All],
  Plot[Normal[nlmD0], {t, totals[[-1, 1]], 2020.5},
  PlotRange → All, PlotStyle → Dashed]]

accumulatedD0 = Transpose[{fitDataD0[[All, 1]], Accumulate[fitDataD0[[All, 2]]]}];

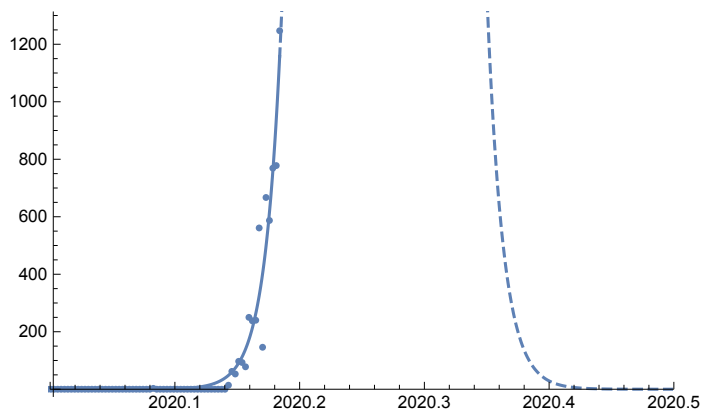
tempfunc = 365.24  $\frac{aD}{1 + \text{Exp}[-(t - tD) / bD]}$  /. nlmD0["BestFitParameters"];
Show[ListPlot[accumulatedD0,
  PlotRange → {{2020, 2020.5}, {0, 1.1 tempfunc /. t → 2020.5}}],
  Plot[tempfunc, {t, 2020, 2020.5}]]

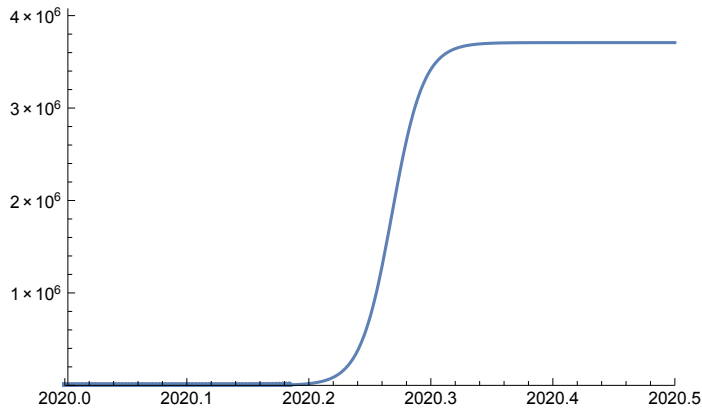
funcItaly = tempfunc;

```

NonlinearModelFit::cvmit: Failed to converge to the requested accuracy or precision within 100 iterations. >>

FittedModel[$\frac{786275.e^{77.4488(\ll 19 \gg - t)}}{(1 + e^{\ll 18 \gg (\ll 19 \gg - t)})^2}$]



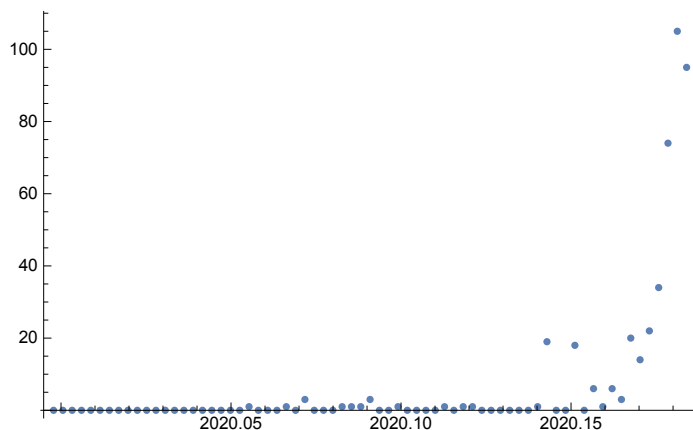


USA (fit cumulative)

```
totalsUSA = Cases[data, x_ /; x[[3]] == "United States of America"][[All, {1, 2}]]
```

```
ListPlot[%, PlotRange -> All]
```

```
{ {2020.18, 95.}, {2020.18, 105.}, {2020.18, 74.}, {2020.18, 34.},
  {2020.17, 22.}, {2020.17, 14.}, {2020.17, 20.}, {2020.16, 3.}, {2020.16, 6.},
  {2020.16, 1.}, {2020.16, 6.}, {2020.15, 0.}, {2020.15, 18.}, {2020.15, 0.},
  {2020.15, 0.}, {2020.14, 19.}, {2020.14, 1.}, {2020.14, 0.}, {2020.13, 0.},
  {2020.13, 0.}, {2020.13, 0.}, {2020.12, 0.}, {2020.12, 1.},
  {2020.12, 1.}, {2020.12, 0.}, {2020.11, 1.}, {2020.11, 0.}, {2020.11, 0.},
  {2020.1, 0.}, {2020.1, 0.}, {2020.1, 1.}, {2020.1, 0.}, {2020.09, 0.},
  {2020.09, 3.}, {2020.09, 1.}, {2020.09, 1.}, {2020.08, 1.}, {2020.08, 0.},
  {2020.08, 0.}, {2020.07, 0.}, {2020.07, 3.}, {2020.07, 0.}, {2020.07, 1.},
  {2020.06, 0.}, {2020.06, 0.}, {2020.06, 0.}, {2020.06, 1.}, {2020.05, 0.},
  {2020.05, 0.}, {2020.05, 0.}, {2020.04, 0.}, {2020.04, 0.}, {2020.04, 0.},
  {2020.04, 0.}, {2020.03, 0.}, {2020.03, 0.}, {2020.03, 0.}, {2020.03, 0.},
  {2020.02, 0.}, {2020.02, 0.}, {2020.02, 0.}, {2020.01, 0.}, {2020.01, 0.},
  {2020.01, 0.}, {2020.01, 0.}, {2020., 0.}, {2020., 0.}, {2020., 0.}}
```




```

(* estimate saturation using China *)
funcChina /. t -> 2020.5
% / (1.386 * 10^9)
caseSatUS = 327.2 * 10^6 * %

(* estimate saturation using Korea *)
funcKorea /. t -> 2020.5
% / (51.47 * 10^6)
caseSatUS = 327.2 * 10^6 * %

80862.6

0.0000583424

19089.6

8141.

0.00015817

51753.2

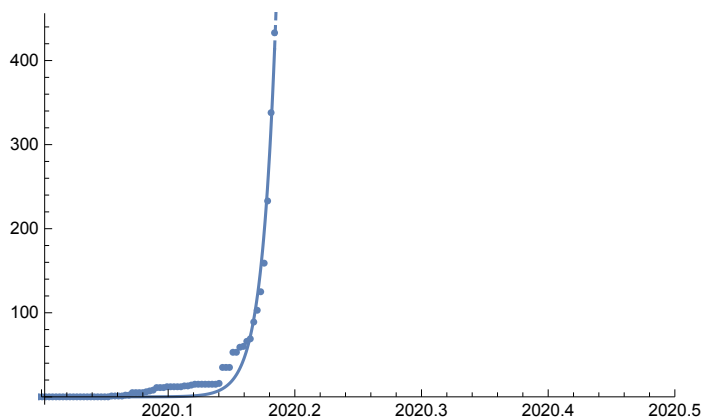
fitDataD0 = Sort[totalsUSA];
accumulatedD0 =
  Transpose[{fitDataD0[[All, 1]], Accumulate[fitDataD0[[All, 2]]]}];
fitFuncD0 = 
$$\frac{\text{caseSatUS}}{1 + \text{Exp}[-(t - tD) / bD]}$$
;
nlmD0 = NonlinearModelFit[accumulatedD0, fitFuncD0,
  {{bD, 0.01}, {tD, 2020.15}},
  t]
Show[ListPlot[accumulatedD0, PlotRange -> {{2020, 2020.5}, All}],
  Plot[Normal[nlmD0], {t, 2020, totals[[-1, 1]]}, PlotRange -> All],
  Plot[Normal[nlmD0], {t, totals[[-1, 1]], 2020.5},
  PlotRange -> All, PlotStyle -> Dashed]]

tempfunc = Normal[nlmD0]
Show[ListPlot[accumulatedD0,
  PlotRange -> {{2020, 2020.5}, {0, 1.1 tempfunc /. t -> 2020.5}}],
  Plot[tempfunc, {t, 2020, 2020.5}]]

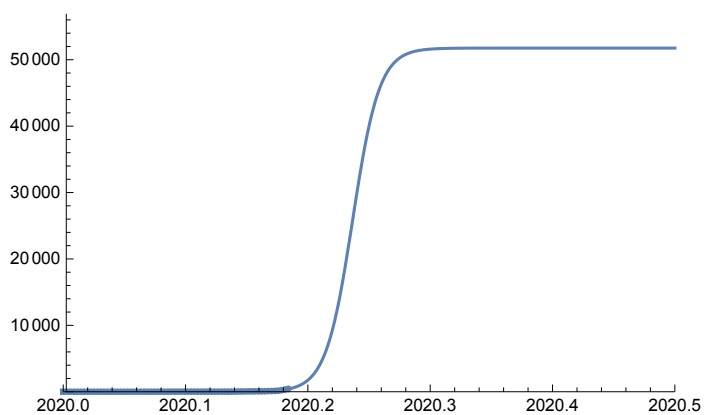
funcUSA = tempfunc;

FittedModel[
$$\frac{51753.2}{1 + e^{91.6403(2020.24 - t)}}$$
]

```

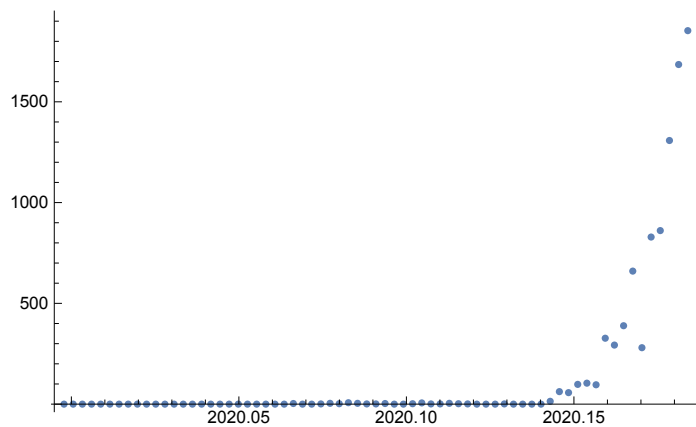


$$\frac{51753.2}{1 + e^{91.6403(2020.24-t)}}$$



EU

```
dataEU = Cases[data, x_ /; x[[4]] == "EU"];
totalsEU = {#[[1, 1]], Total#[[All, 2]]} & /@
  Split[Sort[dataEU[[All, {1, 2}]]], #1[[1]] == #2[[1]] &];
ListPlot[%, PlotRange -> All]
```



```

(* estimate saturation using Korea *)
funcKorea /. t -> 2030.5
% / (51.47 * 106)
caseSatEU = (512.4 * 106 * %) / 365.24
8141.
0.00015817
221.899

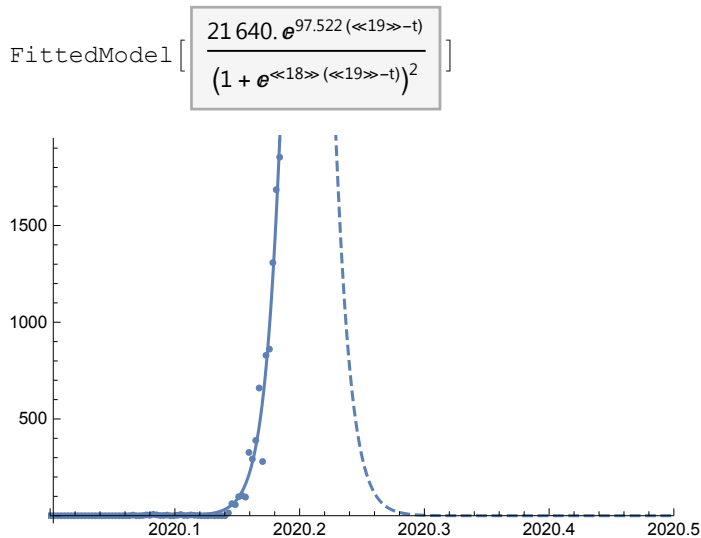
fitDataD0 = Sort[totalsEU];
fitFuncD0 = D[ $\frac{\text{caseSatEU}}{1 + \text{Exp}[-(t - tD) / bD]}$ , t];
nlmD0 = NonlinearModelFit[fitDataD0, fitFuncD0,
  {({aD, 50000}, *) {bD, 0.01}, {tD, 2020.15}},
  t]
Show[ListPlot[fitDataD0, PlotRange -> {{2020, 2020.5}, All}],
  Plot[Normal[nlmD0], {t, 2020, totals[[-1, 1]]}, PlotRange -> All],
  Plot[Normal[nlmD0], {t, totals[[-1, 1]], 2020.5},
  PlotRange -> All, PlotStyle -> Dashed]]

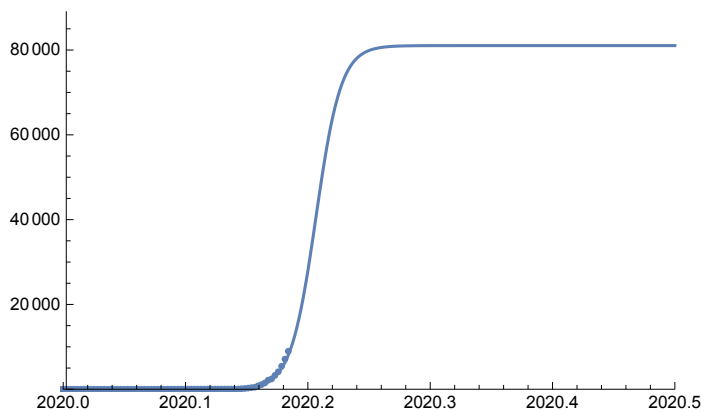
accumulatedD0 = Transpose[{fitDataD0[[All, 1]], Accumulate[fitDataD0[[All, 2]]]}];

tempfunc = 365.24  $\frac{\text{caseSatEU}}{1 + \text{Exp}[-(t - tD) / bD]}$  /. nlmD0["BestFitParameters"];
Show[ListPlot[accumulatedD0,
  PlotRange -> {{2020, 2020.5}, {0, 1.1 tempfunc /. t -> 2020.5}}],
  Plot[tempfunc, {t, 2020, 2020.5}]]

funcEU = tempfunc;

```



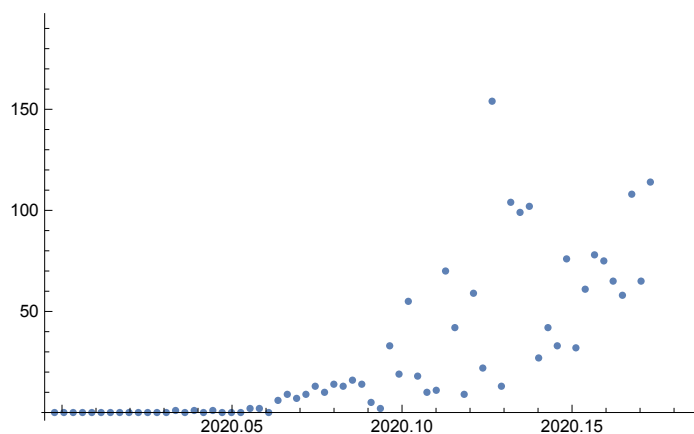


Others (fit cumulative)

```

others = DeleteCases[data, x_ /; x[[3]] == "China" ||
  x[[3]] == "South Korea" || x[[4]] == "EU" || x[[3]] == "Iran"][[All, {1, 2}]];
totalsOthers = {#[[1, 1]], Total#[[All, 2]]} & /@
  Split[Sort[others[[All, {1, 2}]]], #1[[1]] == #2[[1]] &];
ListPlot[totalsOthers]

```



```

fitDataD0 = Sort[totalsOthers];
accumulatedD0 =
  Transpose[{fitDataD0[[All, 1]], Accumulate[fitDataD0[[All, 2]]]}];

fitFuncD0 = 
$$\frac{aD}{1 + \text{Exp}[-(t - tD) / bD]} + \frac{aD1}{1 + \text{Exp}[-(t - tD1) / bD1]}$$
;
nlmD0 = NonlinearModelFit[accumulatedD0, fitFuncD0,
  {
    {aD, 150 000.1}, {bD, 0.01}, {tD, 2020.1},
    {aD1, 150 000.1}, {bD1, 0.01}, {tD1, 2020.2}
  },
  t, Method -> Automatic]

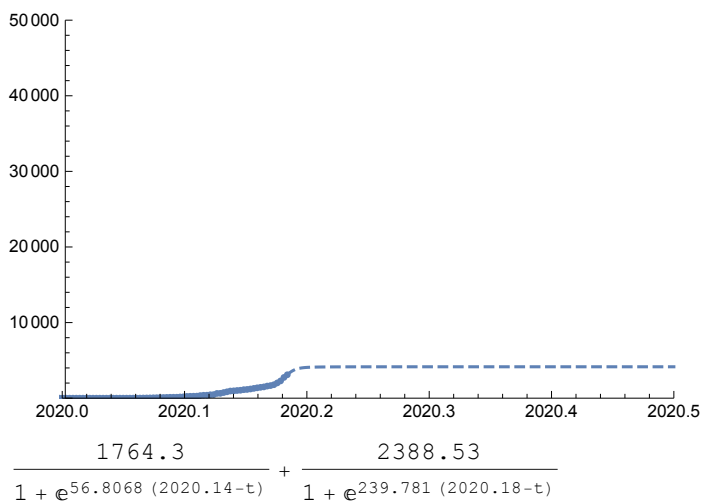
Show[ListPlot[accumulatedD0, PlotRange -> {{2020, 2020.5}, {0, 50 000}}],
  Plot[Normal[nlmD0], {t, 2020, totals[[-1, 1]]}, PlotRange -> All],
  Plot[Normal[nlmD0], {t, totals[[-1, 1]], 2020.5},
  PlotRange -> All, PlotStyle -> Dashed]]

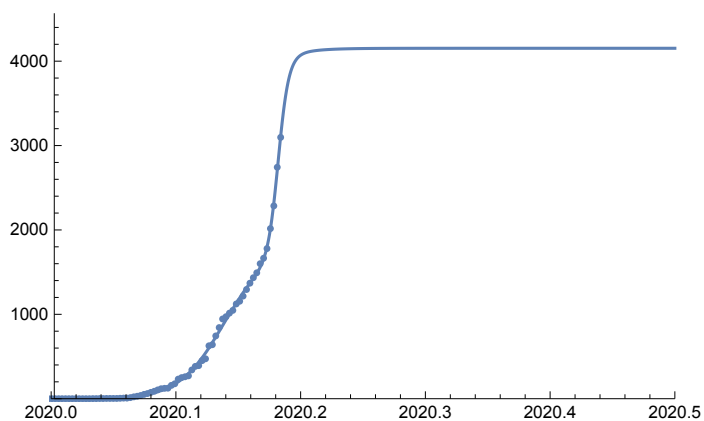
tempfunc = Normal[nlmD0]
Show[ListPlot[accumulatedD0,
  PlotRange -> {{2020, 2020.5}, {0, 1.1 tempfunc /. t -> 2020.5}}],
  Plot[tempfunc, {t, 2020, 2020.5}]]

funcOthers = tempfunc;

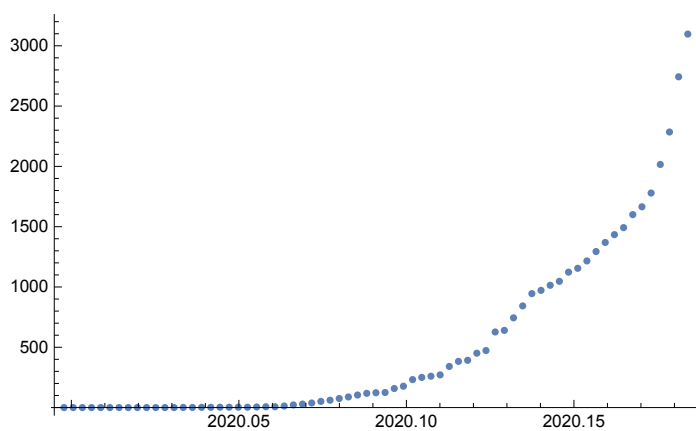
```

FittedModel[
$$\frac{1764.3}{1 + e^{56.8068(\ll 19 \gg - t)}} + \frac{2388.53}{1 + e^{239.781(\ll 19 \gg - t)}}]$$





```
ListPlot[accumulatedD0]
```

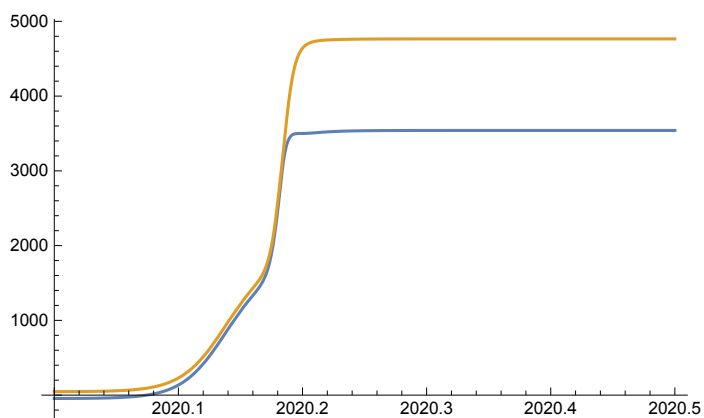


```
nlmOthers = nlmD0
```

$$\text{FittedModel} \left[\frac{1764.3}{1 + e^{56.8068 (\ll 19 \gg - t)}} + \frac{2388.53}{1 + e^{239.781 (\ll 19 \gg - t)}} \right]$$

```
nlmOthers["SinglePredictionBands"];
```

```
Plot[%, {t, 2020, 2020.5}]
```



summing up (others)

```

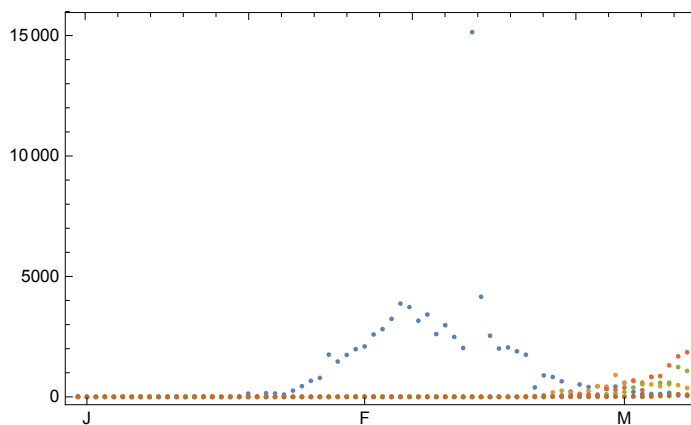
endYear = 2020.4;
scale = 0.001;

monthList = {"J", "F", "M", "A", "M", "J", "J", "A", "S", "O", "N", "D"};
labels =
  Table[{1900 +  $\frac{\text{FromDate}[\{2020, ii, 1, 0, 0, 0\}]}{365.24 * 3600 * 24}$ , monthList[[ii]]}, {ii, 1, 12}];

{totalsChina, totalsKorea, totalsIran, totalsEU,
  totalsJapan, totalsOthers, totalsUSA, totalsFrance, totalsItaly} =
  Sort /@ {totalsChina, totalsKorea, totalsIran, totalsEU, totalsJapan,
    totalsOthers, totalsUSA, totalsFrance, totalsItaly};

ListPlot[{totalsChina, totalsKorea, totalsIran, totalsEU, totalsJapan, totalsUSA},
  PlotRange → All, Frame → True,
  FrameTicks → {{Automatic, Automatic}, {labels, Automatic}}]

```



```

accumulatedChina =
  Transpose[{totalsChina[[All, 1]], scale Accumulate[totalsChina[[All, 2]]]}];
accumulatedKorea = Transpose[{totalsKorea[[All, 1]],
  scale Accumulate[totalsKorea[[All, 2]]]}];
accumulatedIran = Transpose[{totalsIran[[All, 1]],
  scale Accumulate[totalsIran[[All, 2]]]}];
accumulatedEU = Transpose[{totalsEU[[All, 1]],
  scale Accumulate[totalsEU[[All, 2]]]}];
accumulatedUSA = Transpose[{totalsUSA[[All, 1]],
  scale Accumulate[totalsUSA[[All, 2]]]}];
accumulatedOthers = Transpose[{totalsOthers[[All, 1]],
  scale Accumulate[totalsOthers[[All, 2]]]}];

accumulatedFrance =
  Transpose[{totalsFrance[[All, 1]], scale Accumulate[totalsFrance[[All, 2]]]}];
accumulatedItaly = Transpose[{totalsItaly[[All, 1]],
  scale Accumulate[totalsItaly[[All, 2]]]}];
accumulatedJapan = Transpose[{totalsJapan[[All, 1]],
  scale Accumulate[totalsJapan[[All, 2]]]}];

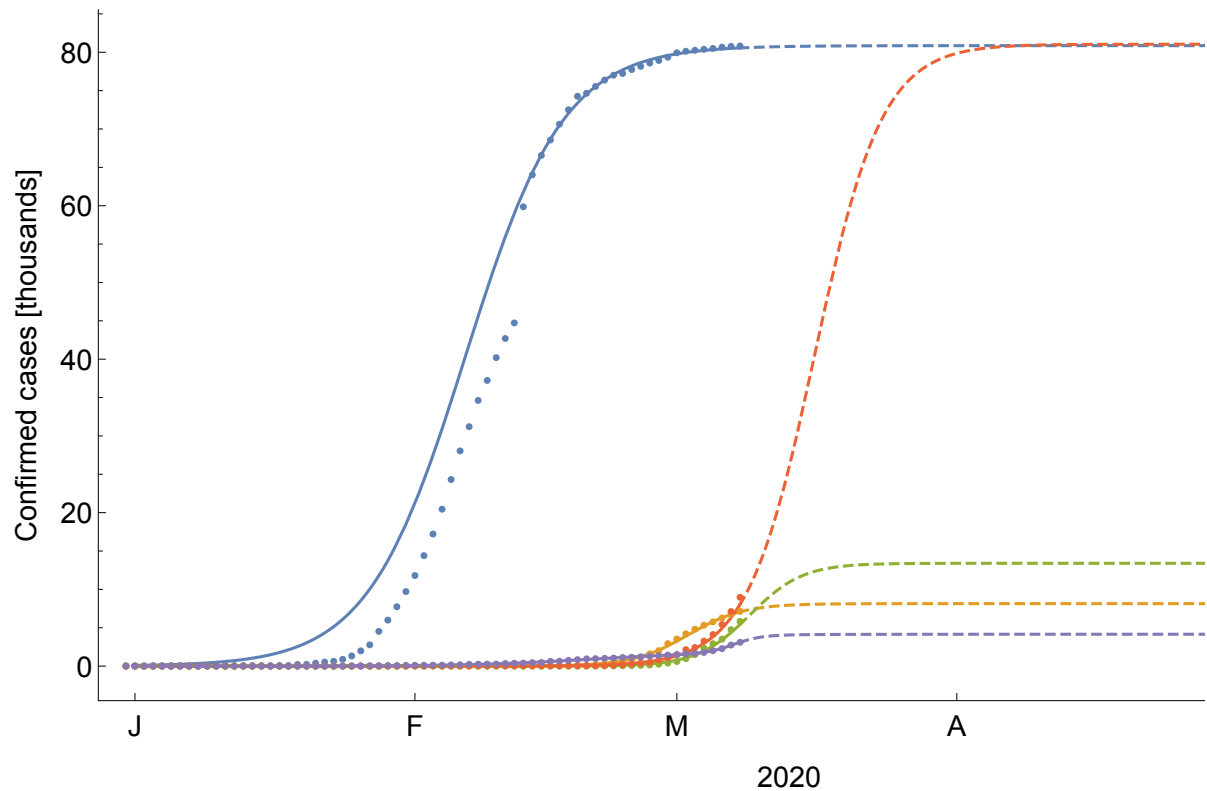
```



```

cums = scale {funcChina, funcKorea, funcIran, funcEU, funcOthers}
p1 = Show[
  Plot[cums, {t, 2020, totals[[-1, 1]]}, PlotRange → All,
    PlotLegends → {"China", "Korea", "Iran", "EU", "Others"}],
  Plot[cums, {t, totals[[-1, 1]], endYear}, PlotRange → All, PlotStyle → Dashed],
  ListPlot[{accumulatedChina, accumulatedKorea, accumulatedIran,
    accumulatedEU, accumulatedOthers}, PlotStyle → PointSize[0.005]],
  ImageSize → 11 * 72, AspectRatio → 1/2, BaseStyle → FontSize → 15,
  Frame → {True, True, False, False},
  FrameTicks → {{Automatic, Automatic}, {labels, Automatic}},
  FrameLabel → {"2020\n", "\nConfirmed cases [thousands]"}]
{
  
$$\frac{80.8626}{1 + e^{67.2714 (2020.1-t)}}$$
,
  
$$\frac{8.141}{1 + e^{119.965 (2020.17-t)}}$$
,
  
$$\frac{13.4002}{1 + e^{125.426 (2020.19-t)}}$$
,
  
$$\frac{81.0463}{1 + e^{97.522 (2020.21-t)}}$$
,
  
$$0.001 \left( \frac{1764.3}{1 + e^{56.8068 (2020.14-t)}} + \frac{2388.53}{1 + e^{239.781 (2020.18-t)}} \right) \}$$

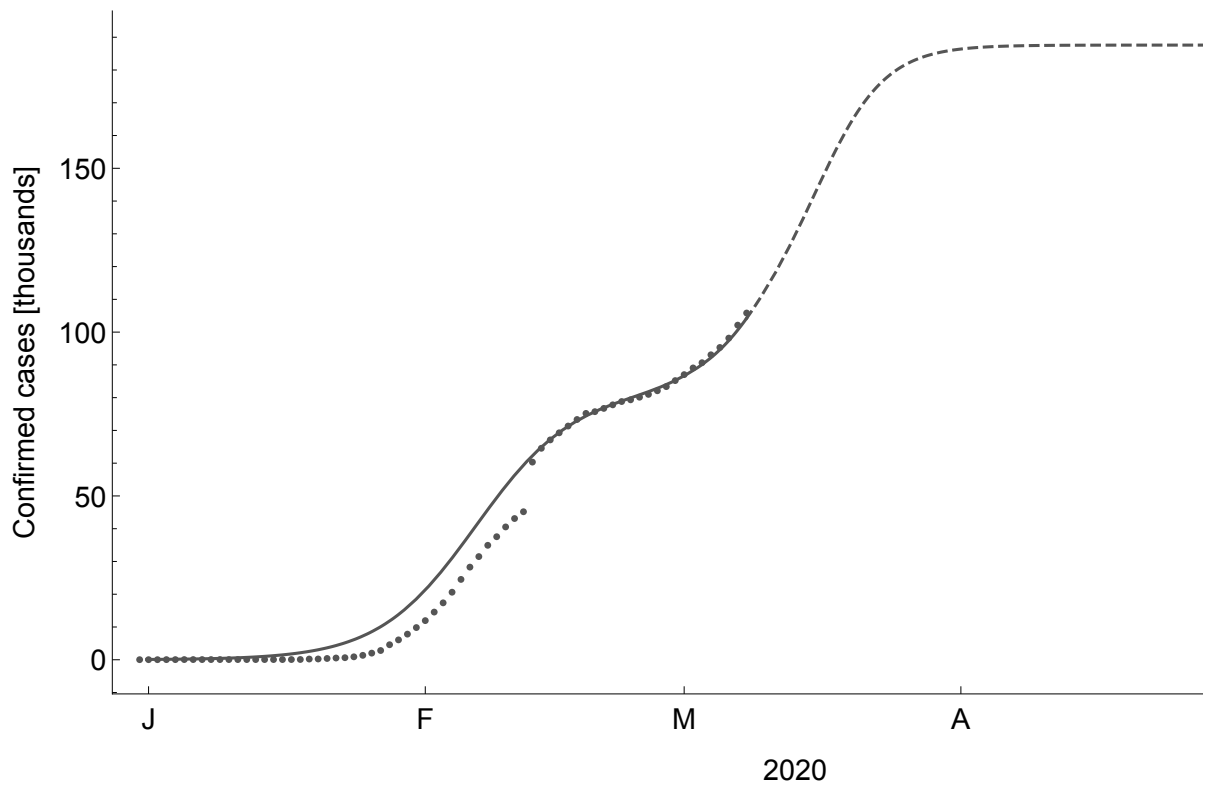
```



```

p0 = Show[
  Plot[Total[cums], {t, 2020, totals[[-1, 1]]},
    PlotRange → All, PlotStyle → Lighter[Black]],
  Plot[Total[cums], {t, totals[[-1, 1]], endYear}, PlotRange → All,
    PlotStyle → Directive[Dashed, Lighter[Black]]],
  ListPlot[{#[[1]], scale#[[2]]} &/@accumulated,
    PlotStyle → Directive[PointSize[0.005], Lighter[Black]]],
  ImageSize → 11 * 72, AspectRatio → 1/2, BaseStyle → FontSize → 15,
  Frame → {True, True, False, False},
  FrameTicks → {{Automatic, Automatic}, {labels, Automatic}},
  FrameLabel → {"2020\n", "\nConfirmed cases [thousands]"}]

```



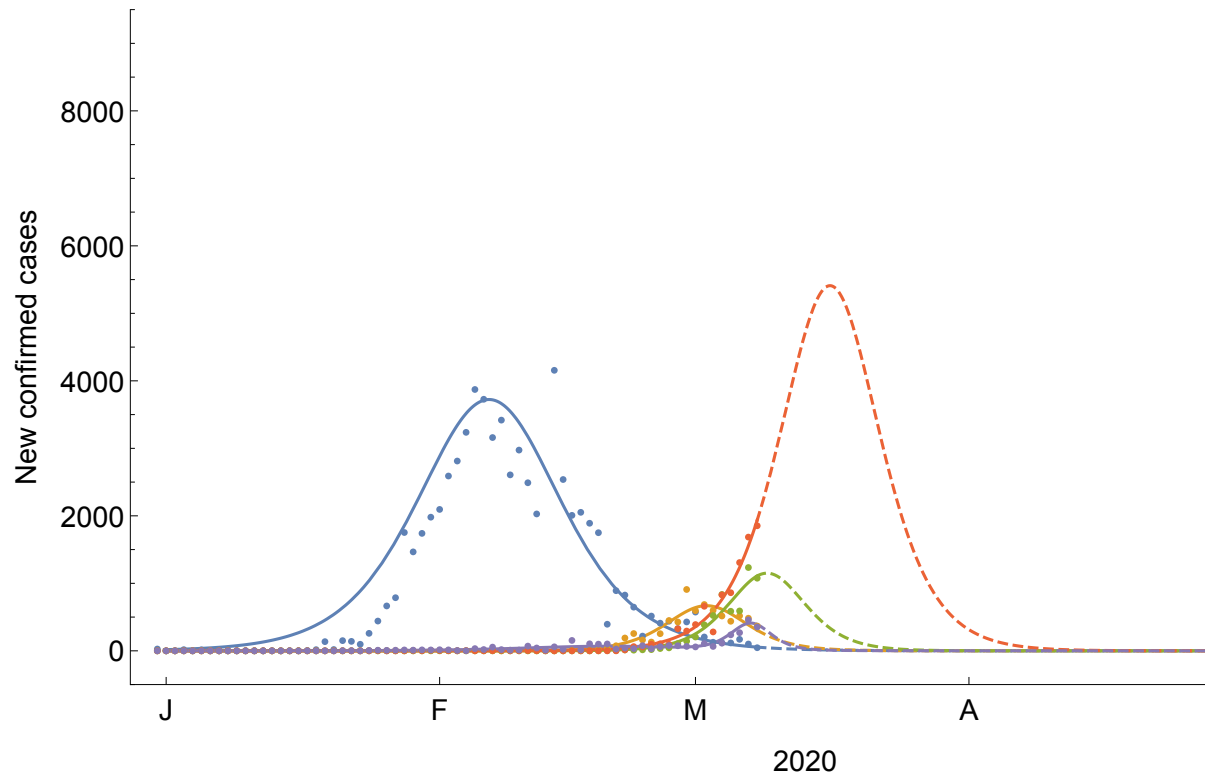
```

derivatives = (1/365.24)
{D[funcChina, t], D[funcKorea, t], D[funcIran, t], D[funcEU, t], D[funcOthers, t]}
Show[
  Plot[derivatives, {t, 2020, totals[[-1, 1]]}, PlotRange → All,
    PlotLegends → {"China", "Korea", "Iran", "EU", "Others"}],
  Plot[derivatives, {t, totals[[-1, 1]], endYear},
    PlotRange → All, PlotStyle → Dashed],
  ListPlot[{totalsChina, totalsKorea, totalsIran, totalsEU, totalsOthers},
    PlotRange → Automatic, PlotStyle → PointSize[0.005]],

  ImageSize → 11 * 72, AspectRatio → 1/2, BaseStyle → FontSize → 15,
  Frame → {True, True, False, False}, PlotRange → {0, 9000},
  FrameTicks → {{Automatic, Automatic}, {labels, Automatic}},
  FrameLabel → {"2020\n", "\nNew confirmed cases"}]

```

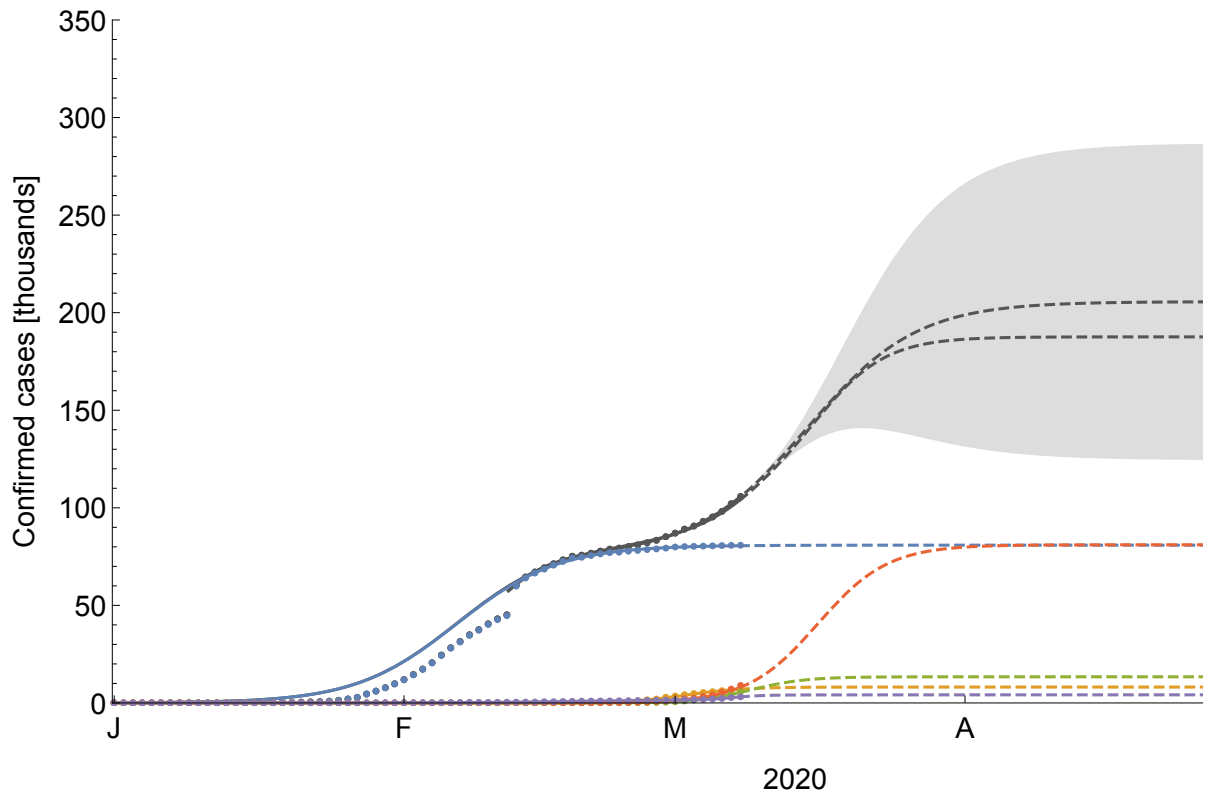
$$\left\{ \frac{14893.6 e^{67.2714 (2020.1-t)}}{(1 + e^{67.2714 (2020.1-t)})^2}, \frac{2673.96 e^{119.965 (2020.17-t)}}{(1 + e^{119.965 (2020.17-t)})^2}, \right. \\
 \frac{4601.71 e^{125.426 (2020.19-t)}}{(1 + e^{125.426 (2020.19-t)})^2}, \frac{21640. e^{97.522 (2020.21-t)}}{(1 + e^{97.522 (2020.21-t)})^2}, \\
 \left. 0.00273793 \left(\frac{100225. e^{56.8068 (2020.14-t)}}{(1 + e^{56.8068 (2020.14-t)})^2} + \frac{572723. e^{239.781 (2020.18-t)}}{(1 + e^{239.781 (2020.18-t)})^2} \right) \right\}$$



```

graphLimit = 350 000;
Show[
  Plot[scale Normal[nlm2], {t, 2020.116, endYear},
    PlotRange → {{2020, endYear}, {0, scale * graphLimit}},
    PlotStyle → Directive[Dashed, Lighter[Black]]],
  Plot[scale Normal[nlm2], {t, 2020.116, totals[[-1, 1]]},
    PlotStyle → Directive[Lighter[Black]]],
  Plot[Evaluate[scale bands90], {t, 2020.116, endYear},
    PlotRange → All, PlotStyle → None,
    FillingStyle → Directive[Opacity[0.2], Lighter[Black]], Filling → {1 → {2}}],
  ListPlot[{{#[[1]], scale #[[2]]} & /@ accumulated,
    PlotStyle → Directive[PointSize[0.005], Lighter[Black]],
    PlotStyle → Directive[PointSize[0.007], ColorData[97][3]]],
  p0, p1,
  ImageSize → 11 * 72, AspectRatio → 1 / 2,
  BaseStyle → FontSize → 15, Frame → {True, True, False, False},
  FrameTicks → {{Automatic, Automatic}, {labels, Automatic}},
  FrameLabel → {"2020\n", "\nConfirmed cases [thousands]"}]

```



summing up (USA)

```

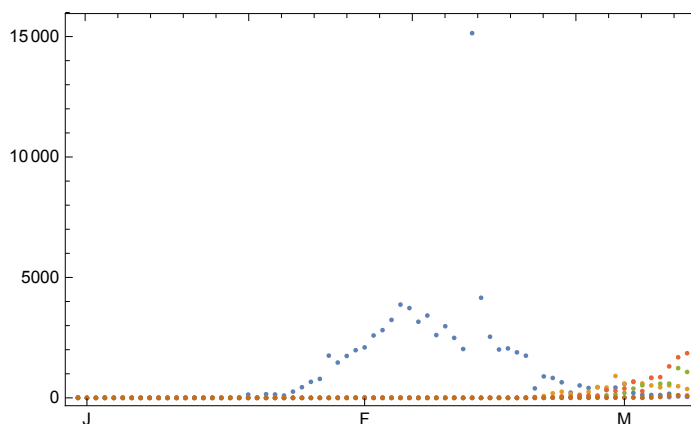
endYear = 2020.4;
scale = 0.001;

monthList = {"J", "F", "M", "A", "M", "J", "J", "A", "S", "O", "N", "D"};
labels =
  Table[{1900 +  $\frac{\text{FromDate}[\{2020, ii, 1, 0, 0, 0\}]}{365.24 * 3600 * 24}$ , monthList[[ii]]}, {ii, 1, 12}];

{totalsChina, totalsKorea, totalsIran, totalsEU, totalsJapan, totalsUSA} =
  Sort /@ {totalsChina, totalsKorea, totalsIran, totalsEU, totalsJapan, totalsUSA};

ListPlot[{totalsChina, totalsKorea, totalsIran, totalsEU, totalsJapan, totalsUSA},
  PlotRange → All, Frame → True,
  FrameTicks → {{Automatic, Automatic}, {labels, Automatic}}]

```



```

accumulatedChina =
  Transpose[{totalsChina[[All, 1]], scale Accumulate[totalsChina[[All, 2]]]}];
accumulatedKorea = Transpose[{totalsKorea[[All, 1]],
  scale Accumulate[totalsKorea[[All, 2]]]}];
accumulatedIran = Transpose[{totalsIran[[All, 1]],
  scale Accumulate[totalsIran[[All, 2]]]}];
accumulatedEU = Transpose[{totalsEU[[All, 1]],
  scale Accumulate[totalsEU[[All, 2]]]}];
accumulatedUSA = Transpose[{totalsUSA[[All, 1]],
  scale Accumulate[totalsUSA[[All, 2]]]}];
accumulatedOthers = Transpose[{totalsOthers[[All, 1]],
  scale Accumulate[totalsOthers[[All, 2]]]}];

```

(* estimated EU saturation based on China *)

$$80.86256857818246 \cdot \left(\frac{0.5124}{1.386} \right)$$

(* function fit is 51.183911888429016` *)

29.8946

(* estimated EU saturation based on korea *)

$$8.141004638776039 \cdot \left(\frac{0.5124}{0.05747} \right)$$

72.5848

(* estimated Korea saturation based on China *)

$$80.86256857818246 \cdot \left(\frac{0.0575}{1.386} \right)$$

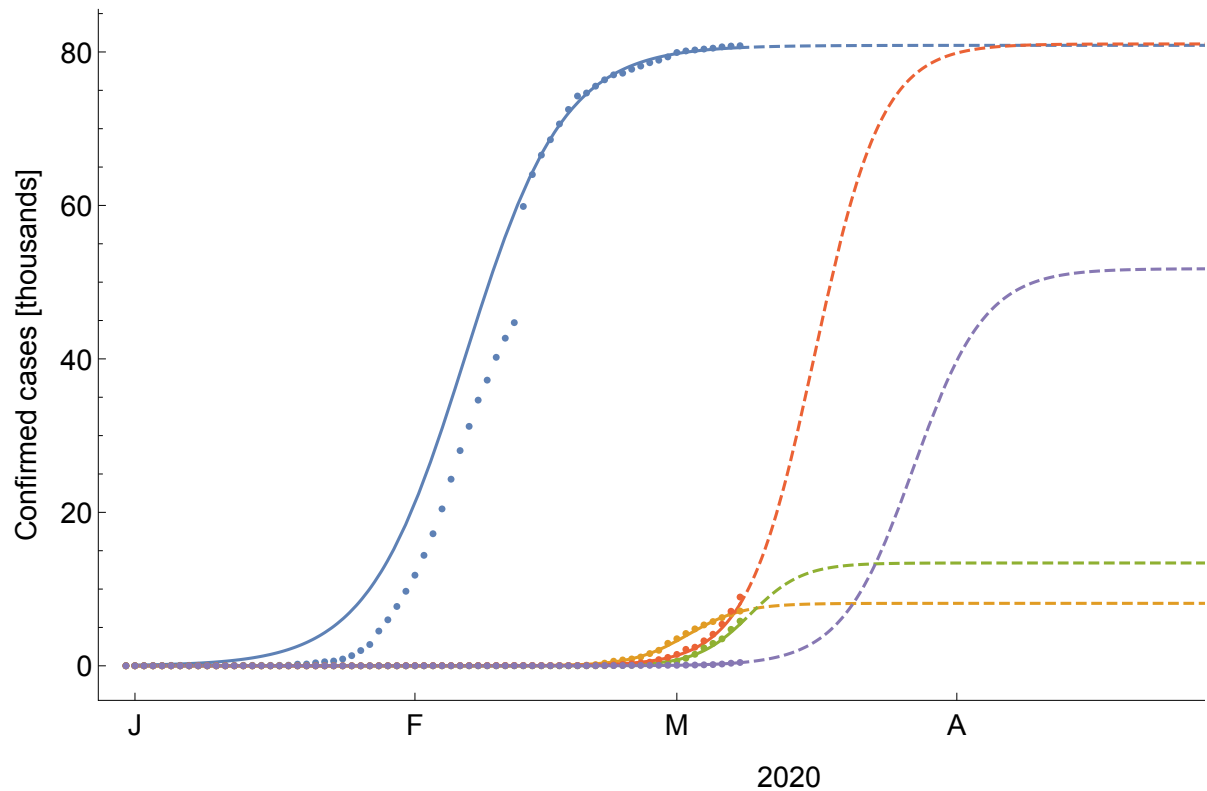
(* actual is 8.141004638776039` *)

3.35469

```

cums = scale {funcChina, funcKorea, funcIran, funcEU, funcUSA}
p1 = Show[
  Plot[cums, {t, 2020, totals[[-1, 1]]}, PlotRange → All,
    PlotLegends → {"China", "Korea", "Iran", "EU*", "USA*"}],
  Plot[cums, {t, totals[[-1, 1]], endYear}, PlotRange → All, PlotStyle → Dashed],
  ListPlot[{accumulatedChina, accumulatedKorea, accumulatedIran,
    accumulatedEU, accumulatedUSA}, PlotStyle → PointSize[0.005]],
  ImageSize → 11 * 72, AspectRatio → 1/2, BaseStyle → FontSize → 15,
  Frame → {True, True, False, False},
  FrameTicks → {{Automatic, Automatic}, {labels, Automatic}},
  FrameLabel → {"2020\n", "\nConfirmed cases [thousands]"}]
{
   $\frac{80.8626}{1 + e^{67.2714 (2020.1-t)}}$ ,  $\frac{8.141}{1 + e^{119.965 (2020.17-t)}}$ ,
   $\frac{13.4002}{1 + e^{125.426 (2020.19-t)}}$ ,  $\frac{81.0463}{1 + e^{97.522 (2020.21-t)}}$ ,  $\frac{51.7532}{1 + e^{91.6403 (2020.24-t)}}$ 
}

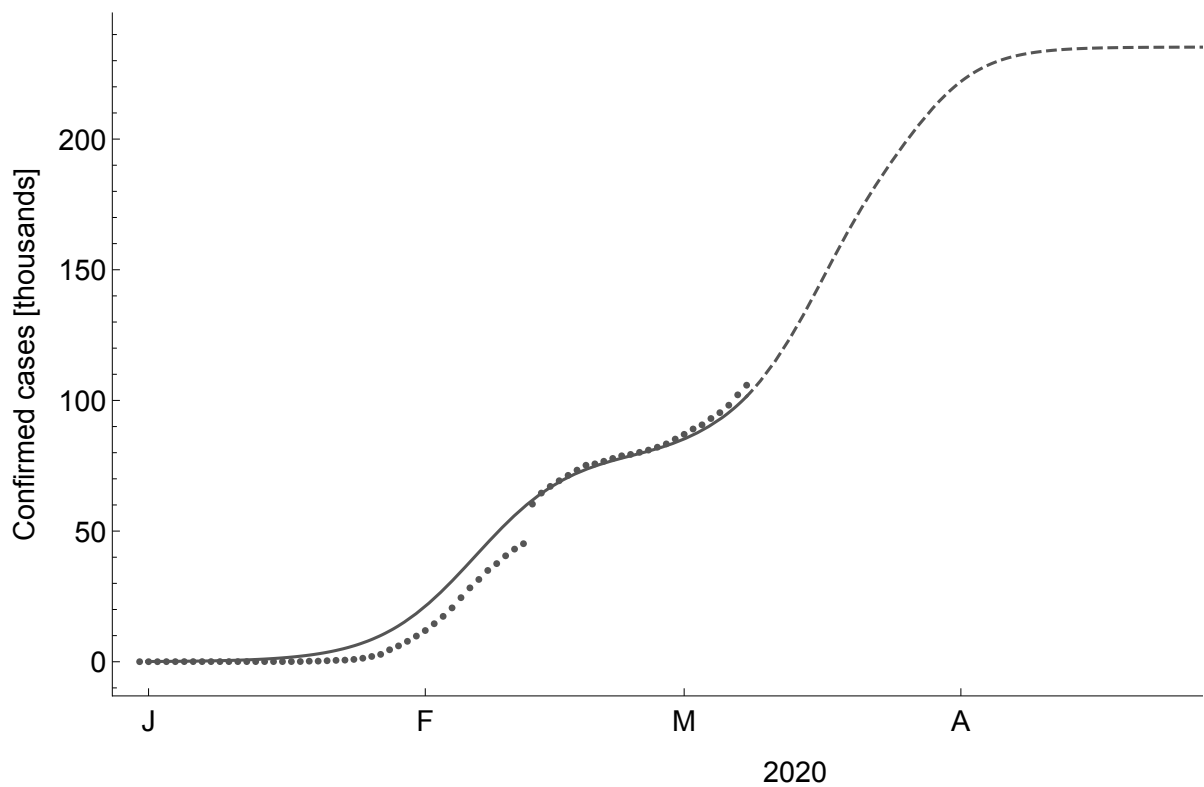
```



```

p0 = Show[
  Plot[Total[cums], {t, 2020, totals[[-1, 1]]},
    PlotRange → All, PlotStyle → Lighter[Black]],
  Plot[Total[cums], {t, totals[[-1, 1]], endYear}, PlotRange → All,
    PlotStyle → Directive[Dashed, Lighter[Black]]],
  ListPlot[{#[[1]], scale#[[2]]} & /@ accumulated,
    PlotStyle → Directive[PointSize[0.005], Lighter[Black]]],
  ImageSize → 11 * 72, AspectRatio → 1/2, BaseStyle → FontSize → 15,
  Frame → {True, True, False, False},
  FrameTicks → {{Automatic, Automatic}, {labels, Automatic}},
  FrameLabel → {"2020\n", "\nConfirmed cases [thousands]"}]

```




```

derivatives = (1/365.24)
  {D[funcChina, t], D[funcKorea, t], D[funcIran, t], D[funcEU, t], D[funcUSA, t]}
Show[
  Plot[derivatives, {t, 2020, totals[[-1, 1]]}, PlotRange → All,
    PlotLegends → {"China", "Korea", "Iran", "EU*", "USA*"}],
  Plot[derivatives, {t, totals[[-1, 1]], endYear},
    PlotRange → All, PlotStyle → Dashed],
  ListPlot[{totalsChina, totalsKorea, totalsIran, totalsEU, totalsUSA},
    PlotRange → Automatic, PlotStyle → PointSize[0.005]],

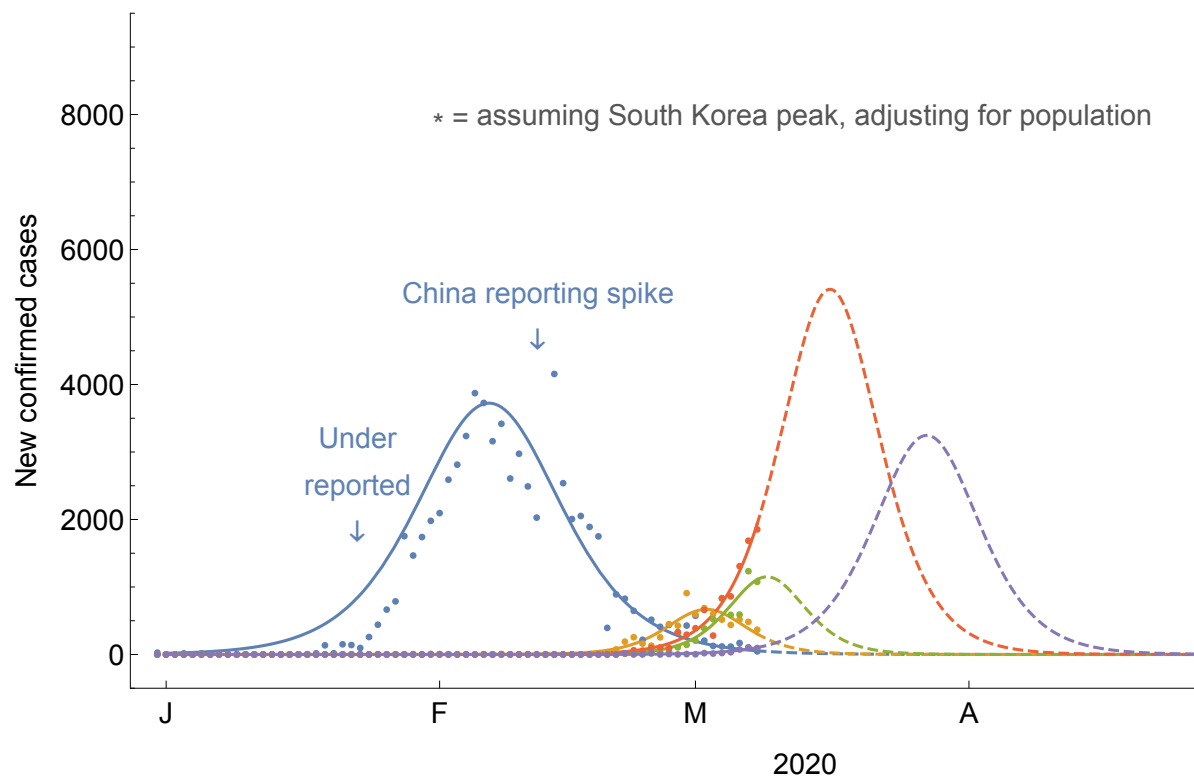
  ImageSize → 11 * 72, AspectRatio → 1/2, BaseStyle → FontSize → 15,
  Frame → {True, True, False, False}, PlotRange → {0, 9000},
  FrameTicks → {{Automatic, Automatic}, {labels, Automatic}},
  FrameLabel → {"2020\n", "\nNew confirmed cases"},
  Epilog → {Lighter[Black],
    Text["* = assuming South Korea peak, adjusting for population",
      {2020 + 1/12, 8000}, {-1, 0}], ColorData[97][1],
    Text["China reporting spike\n↓", {2020.116, 5000}],
    Text["Under\nreported\n↓", {2020.06, 2500}]}]
{

$$\frac{14893.6 e^{67.2714 (2020.1-t)}}{(1 + e^{67.2714 (2020.1-t)})^2}, \frac{2673.96 e^{119.965 (2020.17-t)}}{(1 + e^{119.965 (2020.17-t)})^2},$$


$$\frac{4601.71 e^{125.426 (2020.19-t)}}{(1 + e^{125.426 (2020.19-t)})^2}, \frac{21640. e^{97.522 (2020.21-t)}}{(1 + e^{97.522 (2020.21-t)})^2}, \frac{12985.1 e^{91.6403 (2020.24-t)}}{(1 + e^{91.6403 (2020.24-t)})^2}$$

}

```



$$\frac{14893.591987011561 \cdot e^{67.27136712305474 \cdot (2020.1007739265672 - t)}}{(1 + e^{67.27136712305474 \cdot (2020.1007739265672 - t)})^2} \quad / . \quad t \rightarrow 2019 + 11/12 + (15/31)/12$$

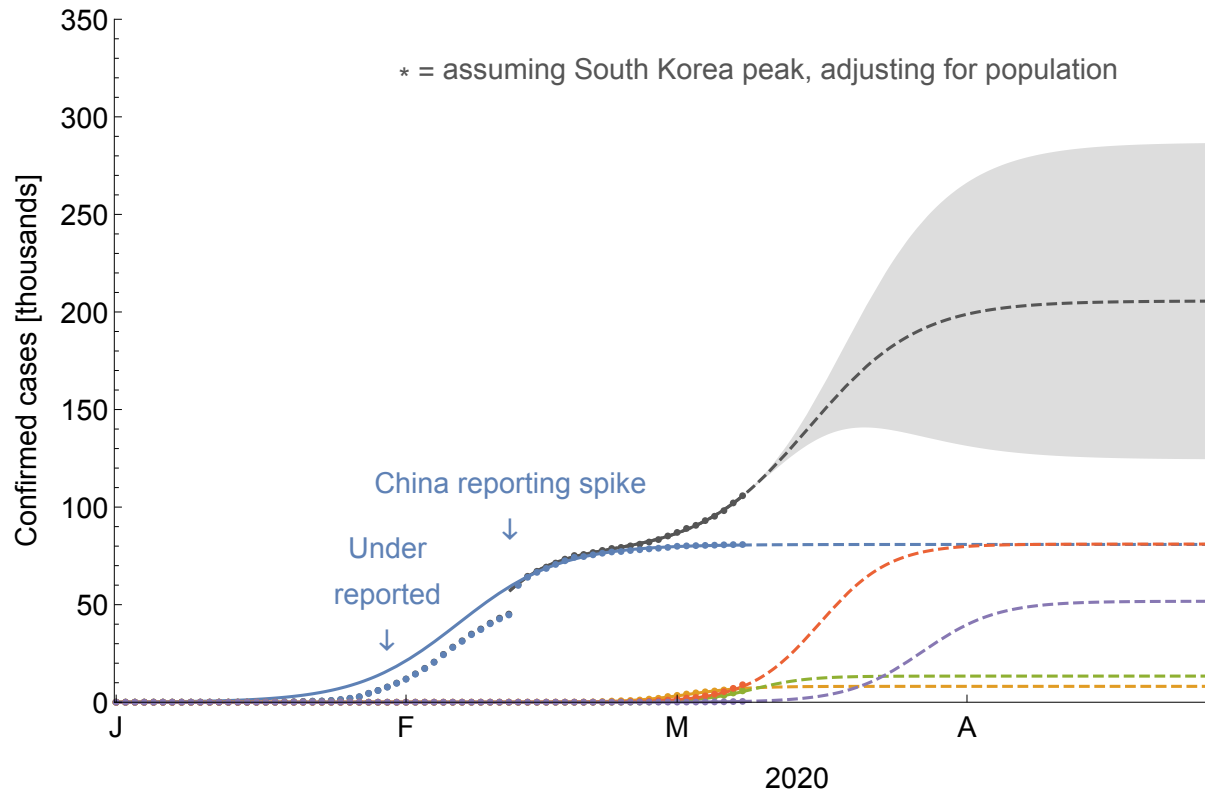
0.937975

```

graphLimit = 350 000;
Show[
  Plot[scale Normal[nlm2], {t, 2020.116, endYear},
    PlotRange → {{2020, endYear}, {0, scale * graphLimit}},
    PlotStyle → Directive[Dashed, Lighter[Black]]],
  Plot[scale Normal[nlm2], {t, 2020.116, totals[[-1, 1]]},
    PlotStyle → Directive[Lighter[Black]], PlotLegends → {"World"}],
  Plot[Evaluate[scale bands90], {t, 2020.116, endYear},
    PlotRange → All, PlotStyle → None,
    FillingStyle → Directive[Opacity[0.2], Lighter[Black]], Filling → {1 → {2}}],
  ListPlot[{{#[[1]], scale #[[2]]} & /@ accumulated,
    PlotStyle → Directive[PointSize[0.005], Lighter[Black]],
    PlotStyle → Directive[PointSize[0.007], ColorData[97][3]]],
  p1,
  ImageSize → 11 * 72, AspectRatio → 1 / 2,
  BaseStyle → FontSize → 15, Frame → {True, True, False, False},
  FrameTicks → {{Automatic, Automatic}, {labels, Automatic}},
  FrameLabel → {"2020\n", "\nConfirmed cases [thousands]"},

  Epilog →
    {Lighter[Black], Text["* = assuming South Korea peak, adjusting for population",
      {2020 + 1 / 12, 325}, {-1, 0}], ColorData[97][1],
      Text["China reporting spike\n↓", {2020.116, 100}],
      Text["Under\nreported\n↓", {2020.08, 55}]}]

```

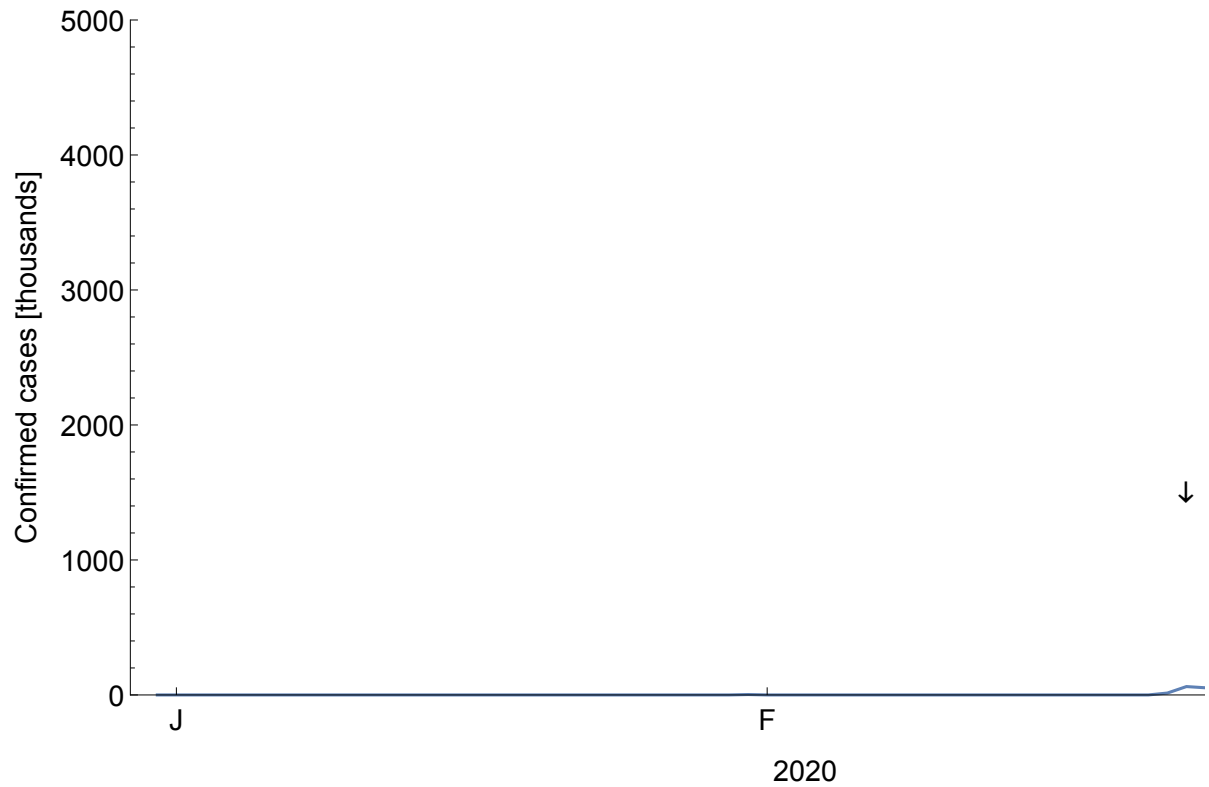


various countries

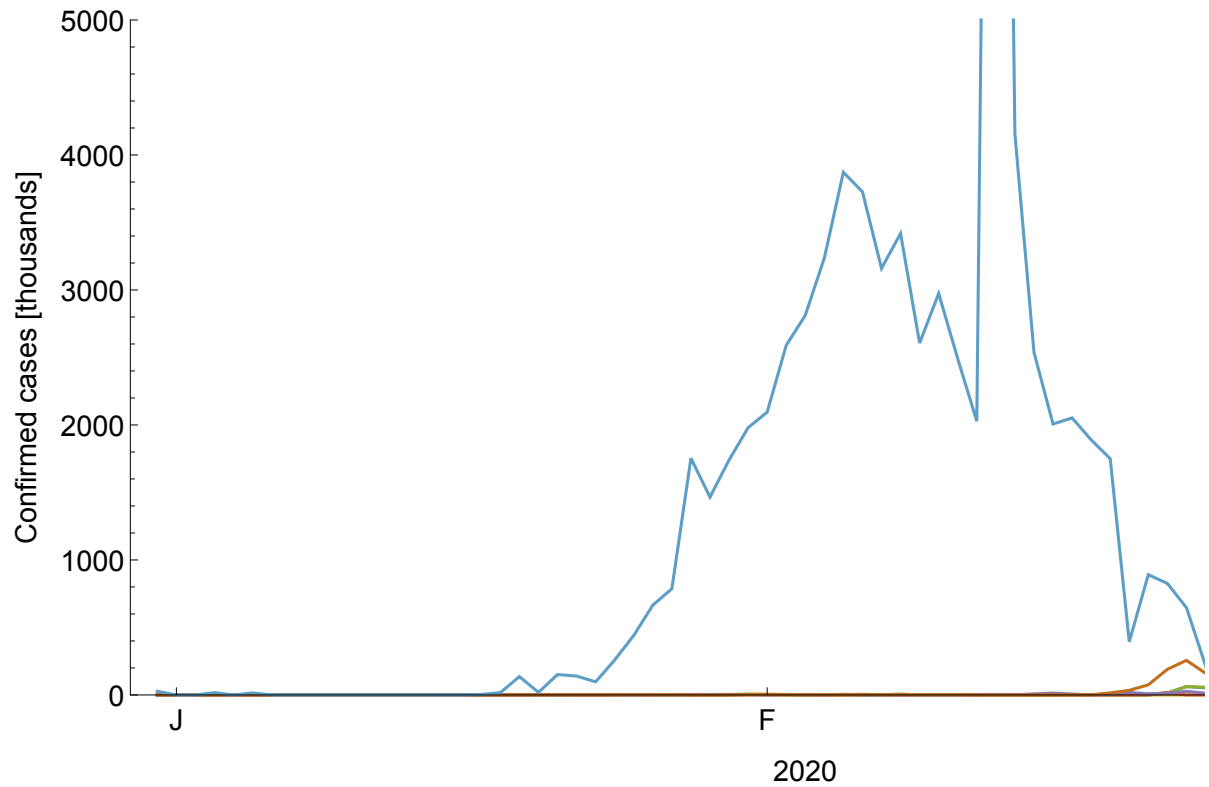
```
trip = (totalsItaly[[-1, 1]] - 14 / 365.24)
```

```
2020.15
```

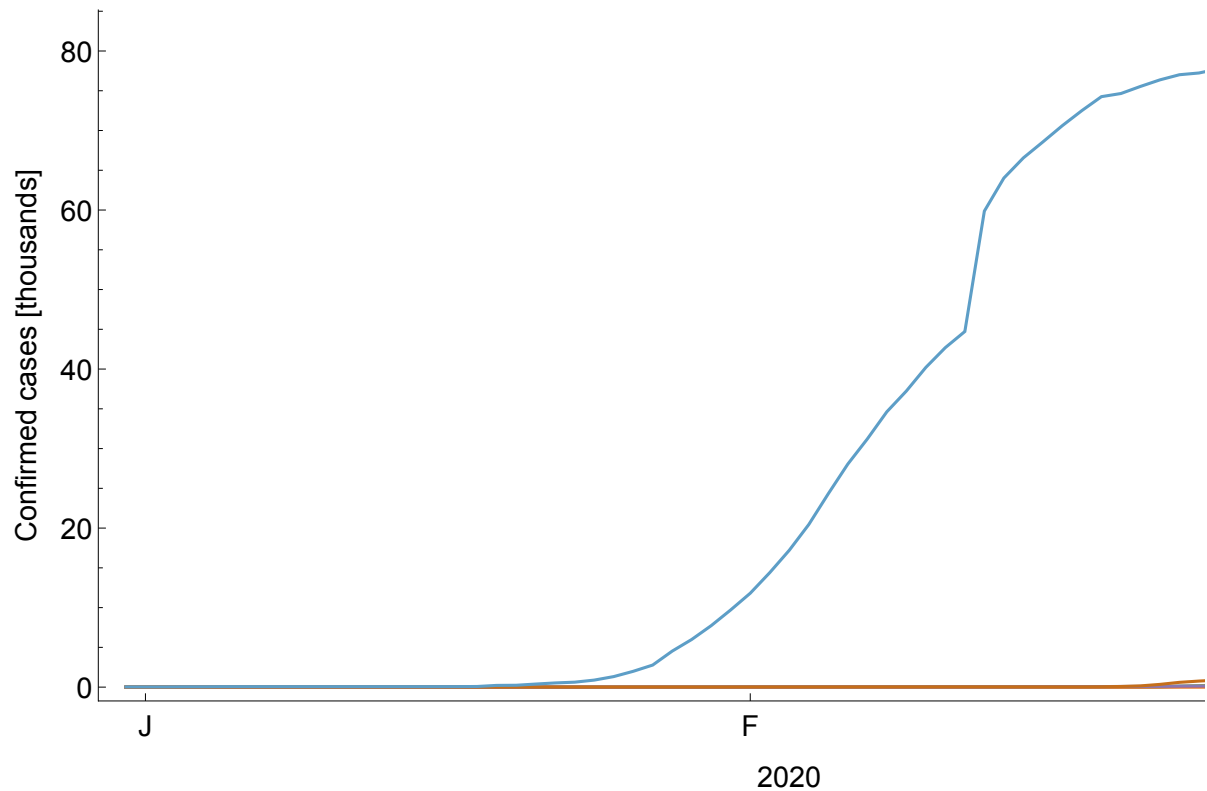
```
ListPlot[{totalsItaly}, Joined → True, PlotRange → {0, 5000}, ImageSize → 11 * 72,
  AspectRatio → 1 / 2, BaseStyle → FontSize → 15, Frame → {True, True, False, False},
  FrameTicks → {{Automatic, Automatic}, {labels, Automatic}},
  FrameLabel → {"2020\n", "\nConfirmed cases [thousands]"},
  PlotLegends → {"Italy"}, Epilog → {Text["↓", {trip, 1500}]}]
```



```
ListPlot[{totalsItaly, totalsFrance, totalsEU, totalsUSA, totalsJapan, totalsKorea,
  totalsChina}, Joined → True, PlotRange → {0, 5000}, ImageSize → 11 * 72,
  AspectRatio → 1/2, BaseStyle → FontSize → 15, Frame → {True, True, False, False},
  FrameTicks → {{Automatic, Automatic}, {labels, Automatic}},
  FrameLabel → {"2020\n", "\nConfirmed cases [thousands]"},
  PlotLegends → {"Italy", "France", "EU", "USA", "Japan", "Korea", "China"}]
```



```
ListPlot[{accumulatedItaly, accumulatedFrance, accumulatedEU,
  accumulatedUSA, accumulatedJapan, accumulatedKorea, accumulatedChina},
Joined → True, PlotRange → All, ImageSize → 11 * 72, AspectRatio → 1 / 2,
BaseStyle → FontSize → 15, Frame → {True, True, False, False},
FrameTicks → {{Automatic, Automatic}, {labels, Automatic}},
FrameLabel → {"2020\n", "\nConfirmed cases [thousands]"},
PlotLegends → {"Italy", "France", "EU", "USA", "Japan", "Korea", "China"}]
```



math stuff

1 / 366.

0.00273224

```
mathData = { (#[[1]] - 2020 + 0.00219035) * 365.24, #[[2]] } & /@ totalsKorea
{ {3.434 × 10-6, 0.}, {1., 0.}, {2., 0.}, {3., 0.}, {4., 0.}, {5., 0.}, {6., 0.}, {7., 0.},
  {8., 0.}, {9., 0.}, {10., 0.}, {11., 0.}, {12., 0.}, {13., 0.}, {14., 0.}, {15., 0.},
  {16., 0.}, {17., 0.}, {18., 0.}, {19., 0.}, {20., 1.}, {21., 0.}, {22., 0.},
  {23., 0.}, {24., 1.}, {25., 0.}, {26., 1.}, {27., 1.}, {28., 0.}, {29., 0.},
  {30., 0.}, {31., 3.}, {32., 5.}, {33., 3.}, {34., 0.}, {35., 1.}, {36., 2.},
  {37., 5.}, {38., 1.}, {39., 0.}, {40., 1.}, {41., 2.}, {42., 1.}, {43., 0.},
  {44., 0.}, {45., 0.}, {46., 0.}, {47., 1.}, {48., 1.}, {49., 1.}, {50., 15.},
  {51., 34.}, {52., 75.}, {53., 190.}, {54., 256.}, {55., 161.}, {56., 130.},
  {57., 254.}, {58., 449.}, {59., 427.}, {60., 909.}, {61., 595.}, {62., 686.},
  {63., 600.}, {64., 516.}, {65., 438.}, {66., 518.}, {67., 483.}, {68., 367.} }
```

```
1 / (119.96536665808414`)
```

```
% * 365.24
```

```
0.00833574
```

```
3.04455
```

```
funcKorea
```

```
8141.
-----
1 + e119.965 (2020.17-t)
```

```
params = {a0 → 8141.0046387760385`, b0 → 3.0, t0 → 0.17 * 365.24}
```

```
{a0 → 8141., b0 → 3., t0 → 62.0908}
```

```

      a0
-----
1 + Exp[-(t - t0) / b0]
      a0
-----
1 + e $\frac{-t+t_0}{b_0}$ 
```

```
(Series[ $\frac{a_0}{1+y}$ , {y, ∞, 1}])
```

```
Normal[%] /. y → 1 / y
```

```
% /. (y → Exp[(t - t0) / b0]) // Simplify
```

```
firstOrder = % /. params
```

```
 $\frac{a_0}{y} + O\left[\frac{1}{y}\right]^2$ 
```

```
a0 y
```

```
a0 e $\frac{t-t_0}{b_0}$ 
```

```
8141. e0.333333 (-62.0908+t)
```



```

(Series[ $\frac{a_0}{1+y}$ , {y,  $\infty$ , 2}])
Normal[%] /. y  $\rightarrow$  1/y
% /. (y  $\rightarrow$  Exp[(t - t0)/b0]) // Simplify
secondOrder = % /. params
 $\frac{a_0}{y} - \frac{a_0}{y^2} + O\left[\frac{1}{y}\right]^3$ 
a0 y - a0 y2
a0 e $\frac{t-t_0}{b_0}$  - a0 e $\frac{2(t-t_0)}{b_0}$ 
8141. e0.333333 (-62.0908+t) - 8141. e0.666667 (-62.0908+t)

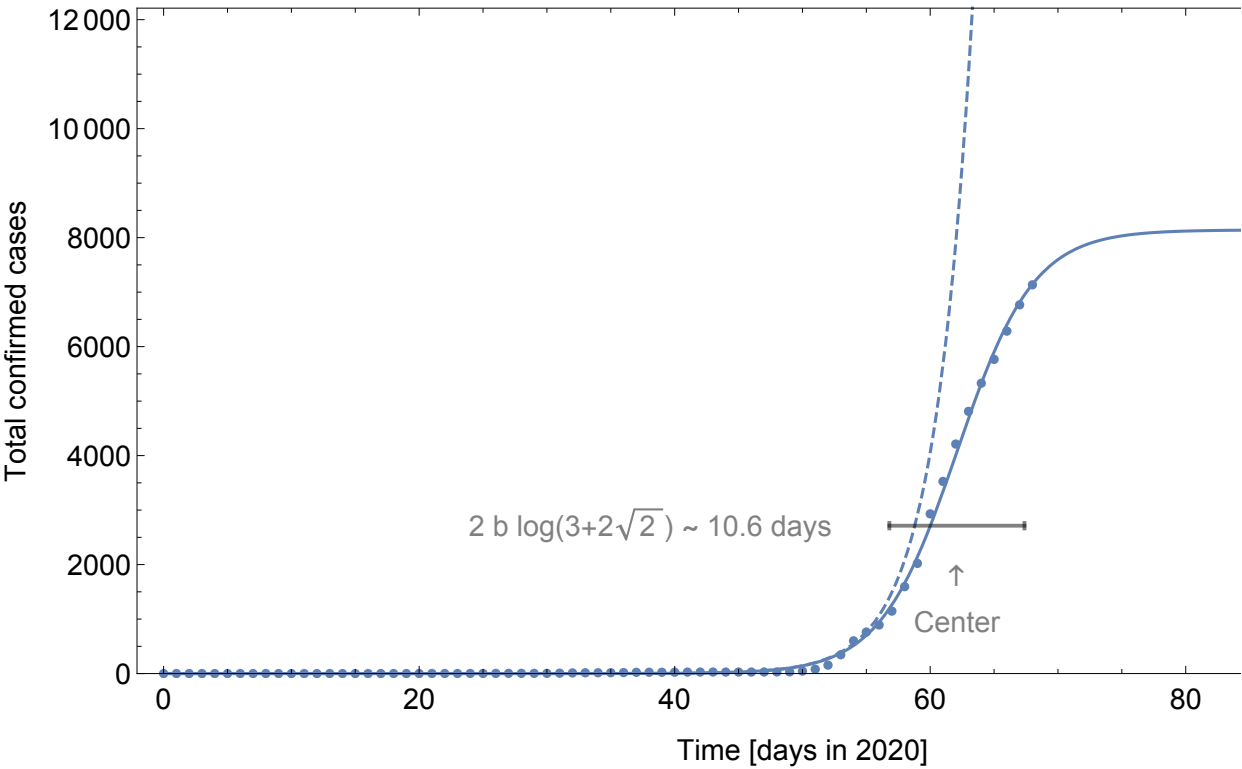
test =  $\frac{a_0}{1 + \text{Exp}[-(t - t_0)/b_0]}$  /. params
 $\frac{8141.}{1 + e^{0.333333 (62.0908-t)}}$ 

der = D[test, t]
 $\frac{2713.67 e^{0.333333 (62.0908-t)}}{(1 + e^{0.333333 (62.0908-t)})^2}$ 

width = (2 Log[3 + 2  $\sqrt{2}$ ] b0 /. params)
10.5765

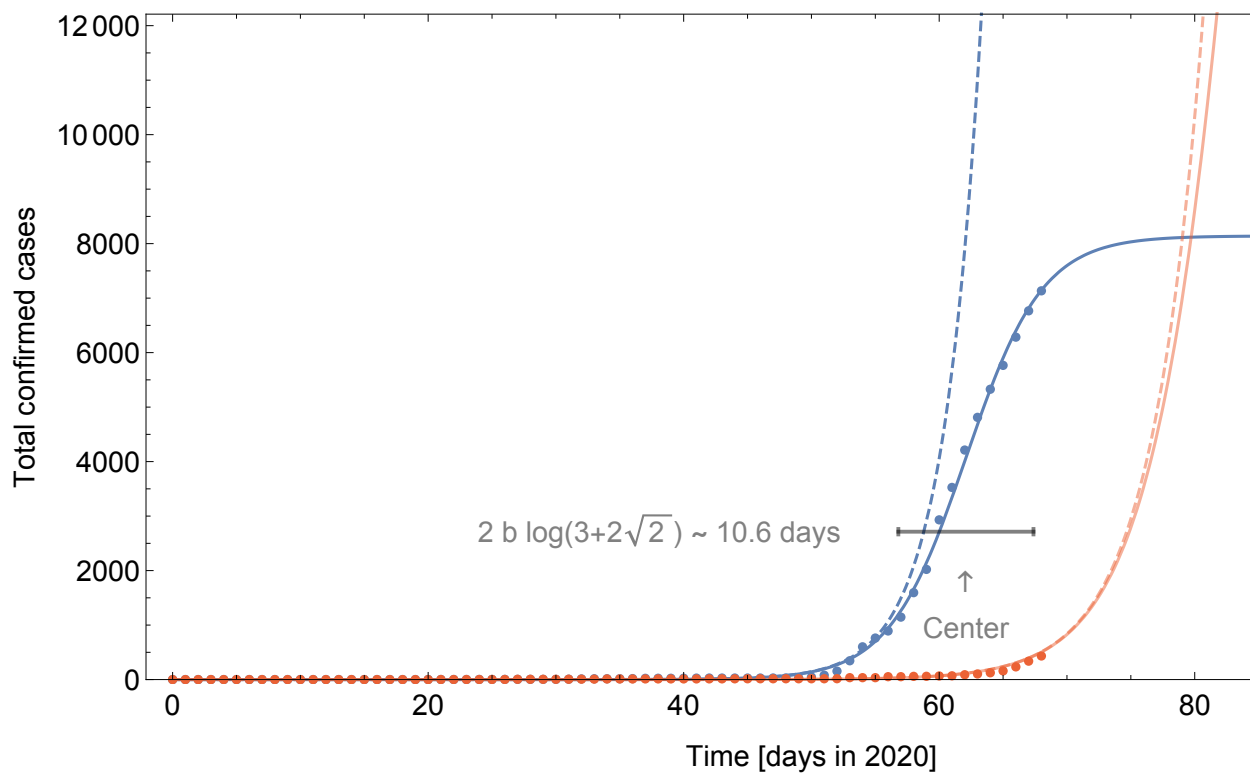
```

```
Show[
Plot[{test, firstOrder}, {t, 0, 100},
  PlotRange -> ({0, 1.5 a0} /. params), ImageSize -> 11 * 72, AspectRatio -> 1 / 2,
  BaseStyle -> FontSize -> 15, Frame -> {True, True, True, True},
  PlotStyle -> {Automatic, Directive[ColorData[97][1], Dashed]},
  FrameTicks -> {{Automatic, Automatic}, {Automatic, Automatic}}, FrameLabel ->
  {"Time [days in 2020]\n", "Total confirmed cases", "", ""}, Epilog -> {Thick,
  Opacity[0.5],
  Text["2 b log(3+2√2) ~ " <> ToString[Round[width, 0.1]] <> " days",
    {t0 - 8 b0, a0 / (b0)} /. params],
  Text["↑\nCenter", {t0, 0.5 a0 / b0} /. params],
  Line[{ {t0 - Log[3 + 2 √2] b0, a0 / b0}, {t0 + Log[3 + 2 √2] b0, a0 / b0} } /. params],
  Line[{ {t0 - Log[3 + 2 √2] b0, a0 / b0 + 50},
    {t0 - Log[3 + 2 √2] b0, a0 / b0 - 50} } /. params],
  Line[{ {t0 + Log[3 + 2 √2] b0, a0 / b0 + 50}, {t0 + Log[3 + 2 √2] b0, a0 / b0 - 50} } /.
    params]
}, PlotLegends -> {
  " $\frac{a}{1 + \text{Exp}\left[\frac{t-t_0}{b}\right]}$  (logistic)",
  " $\text{Exp}\left[\frac{t-t_0}{b}\right]$  (exponential approx)"
}],
ListPlot[{
  {(#[1]) - 2020 + 0.00219035} * 365.24, (1 / scale) #[[2]]} & /@ accumulatedKorea
}, PlotStyle -> {PointSize[0.007], Directive[PointSize[0.007], ColorData[97][4]]},
PlotLegends -> {"Data [South Korea]"}]]
```



```
Show[
Plot[{test, firstOrder}, {t, 0, 100},
  PlotRange -> ({0, 1.5 a0} /. params), ImageSize -> 11 * 72, AspectRatio -> 1 / 2,
  BaseStyle -> FontSize -> 15, Frame -> {True, True, True, True},
  PlotStyle -> {Automatic, Directive[ColorData[97][1], Dashed]},
  FrameTicks -> {{Automatic, Automatic}, {Automatic, Automatic}}, FrameLabel ->
  {"Time [days in 2020]\n", "Total confirmed cases", "", ""}, Epilog -> {Thick,
  Opacity[0.5],
  Text["2 b log(3+2√2) ~ " <> ToString[Round[width, 0.1]] <> " days",
    {t0 - 8 b0, a0 / (b0)} /. params],
  Text["↑\nCenter", {t0, 0.5 a0 / b0} /. params],
  Line[{ {t0 - Log[3 + 2 √2] b0, a0 / b0}, {t0 + Log[3 + 2 √2] b0, a0 / b0} } /. params],
  Line[{ {t0 - Log[3 + 2 √2] b0, a0 / b0 + 50},
    {t0 - Log[3 + 2 √2] b0, a0 / b0 - 50} } /. params],
  Line[{ {t0 + Log[3 + 2 √2] b0, a0 / b0 + 50}, {t0 + Log[3 + 2 √2] b0, a0 / b0 - 50} } /.
    params]
}, PlotLegends -> {
  " $\frac{a}{1 + \text{Exp}\left[\frac{t-t_0}{b}\right]}$  (logistic)",
  " $\text{Exp}\left[\frac{t-t_0}{b}\right]$  (exponential approx)"
}],
ListPlot[{
  {(#[[1]] - 2020 + 0.00219035) * 365.24, (1 / scale) #[[2]]} & /@ accumulatedKorea,
  {(#[[1]] - 2020 + 0.00219035) * 365.24, (1 / scale) #[[2]]} & /@ accumulatedUSA
}, PlotStyle -> {PointSize[0.007], Directive[PointSize[0.007], ColorData[97][4]]},
PlotLegends -> {"Data [South Korea]", "Data [USA]"}],

Plot[{funcUSA /. t ->  $\frac{tt}{365.24} + 2020$ ,
  (51753.19055386672` e-91.64028214226228` (2020.236614693027` - t) /. t ->  $\frac{tt}{365.24} + 2020$ },
{tt, 0, 100}, PlotStyle -> {Directive[ColorData[97][4], Opacity[0.5]],
  Directive[Dashed, ColorData[97][4], Opacity[0.5]]}, PlotLegends -> {"USA"}]]
```



funcUSA

$$\frac{51\,753.2}{1 + e^{91.6403(2020.24-t)}}$$

$$1 / (91.64028214226228^t)$$

$$\% * 365.24$$

$$\% * \text{Log}[3 + 2\sqrt{2}] * 2$$

$$0.0109122$$

$$3.98558$$

$$14.0512$$

```
Show[
Plot[{test, 10 der, firstOrder}, {t, 0, 100},
PlotRange -> ({0, 1.5 a0} /. params), ImageSize -> 11 * 72, AspectRatio -> 1 / 2,
BaseStyle -> FontSize -> 15, Frame -> {True, True, True, True},
PlotStyle -> {Automatic, Automatic, Directive[ColorData[97][1], Dashed]},
FrameTicks -> {{Automatic, Table[{ii, ii / 10}, {ii, 0, 1.5 a0 /. params, 2000}]},
{Automatic, Automatic}}, FrameLabel -> {"Time [days in 2020]\n",
"Total confirmed cases", "", "New confirmed cases"}, Epilog -> {Thick,
Opacity[0.5],
Text["2 b log(3+2√2) ~ "<> ToString[Round[width, 0.1]] <> " days",
{t0 - 8 b0, a0 / (b0)} /. params],

Line[{ {t0 - Log[3 + 2 √2] b0, a0 / b0}, {t0 + Log[3 + 2 √2] b0, a0 / b0} } /. params],
Line[{ {t0 - Log[3 + 2 √2] b0, a0 / b0 + 50},
{t0 - Log[3 + 2 √2] b0, a0 / b0 - 50} } /. params],
Line[{ {t0 + Log[3 + 2 √2] b0, a0 / b0 + 50}, {t0 + Log[3 + 2 √2] b0, a0 / b0 - 50} } /.
params],
ColorData[97][2], Line[{ {t0 - Log[3 + 2 √2] b0, 10 a0 / (b0 8)},
{t0 + Log[3 + 2 √2] b0, 10 a0 / (b0 8)} } /. params]
}, PlotLegends -> {" $\frac{a}{1 + \text{Exp}\left[\frac{t-t_0}{b}\right]}$  (logistic)",
"10x  $\frac{d}{dt} \frac{a}{1 + \text{Exp}\left[\frac{t-t_0}{b}\right]}$  (logistic derivative)",
" $\text{Exp}\left[\frac{t-t_0}{b}\right]$  (exponential approx)"}],
ListPlot[{
{(#[[1]] - 2020 + 0.00219035) * 365.24, (1 / scale) #[[2]]} & /@ accumulatedKorea,
{(#[[1]] - 2020 + 0.00219035) * 365.24, 10 #[[2]]} & /@ totalsKorea
}, PlotStyle -> PointSize[0.007],
PlotLegends -> {"Total cases [South Korea]", "New cases [South Korea]"}]]
```

