### NATURAL LANGUAGE PROCESSING

**LECTURE 5: LSTM, GRU** 







### **INDEX**

- I. Vanishing Gradient Problem
- 2. LSTM
- 3. GRU
- 4. Why Gradients Explode or Vanish

# Vanishing Gradient Problem

#### Gradient 사라짐 문제가 왜 중요할까?

- In the case of language modeling or question answering words from time steps far away are not taken into consideration when training to predict the next word
- Example:

Jane walked into the room. John walked in too. It was late in the day. Jane said hi to \_\_\_\_

Hochreiter et al., 1997]

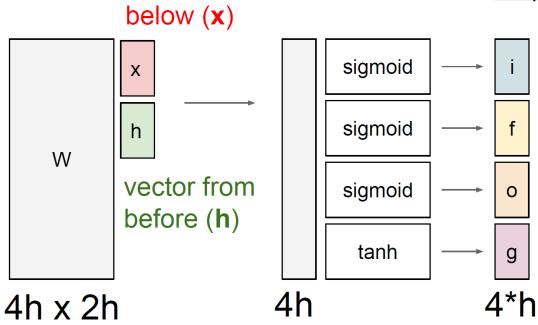
, **,** 

**f**: <u>Forget gate</u>, Whether to erase cell

i: Input gate, whether to write to cell

g: Gate gate (?), How much to write to cell

o: Output gate, How much to reveal cell



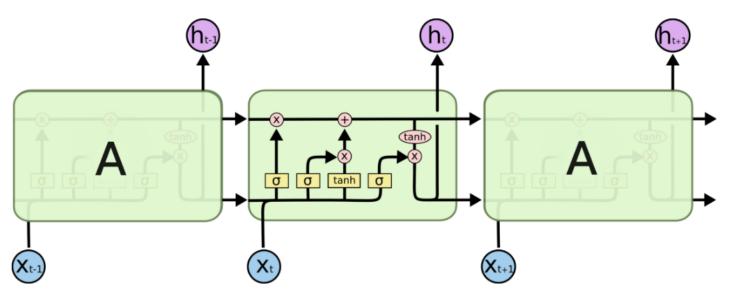
vector from

$$\begin{pmatrix} i \\ f \\ o \\ g \end{pmatrix} = \begin{pmatrix} \sigma \\ \sigma \\ \sigma \\ \tanh \end{pmatrix} W \begin{pmatrix} h_{t-1} \\ x_t \end{pmatrix}$$

$$c_t = f \odot c_{t-1} + i \odot g$$

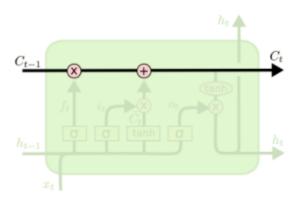
$$h_t = o \odot \tanh(c_t)$$

### LSTM(Long Short-Term Memory)이란 무엇인가

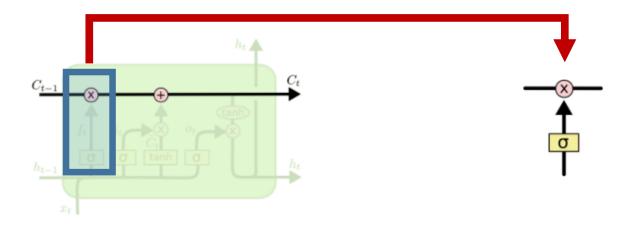


The repeating module in an LSTM contains four interacting layers.

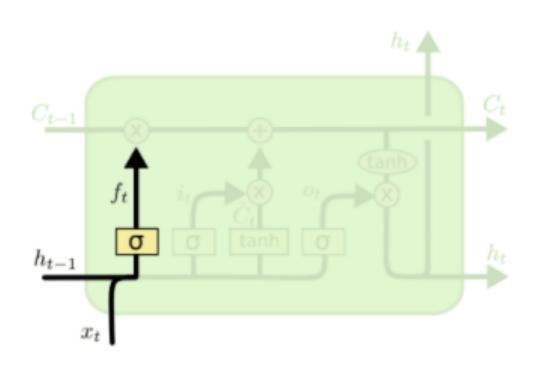
Core Idea: cell state 정보가 아무 변화없이 쭉 흐를 수 있는 구조 -> Long-term dependency 해결



### 이전에서 넘어온 cell state 정보를 얼마나 흘려보낼지에 대한 수문 (gate)이 존재

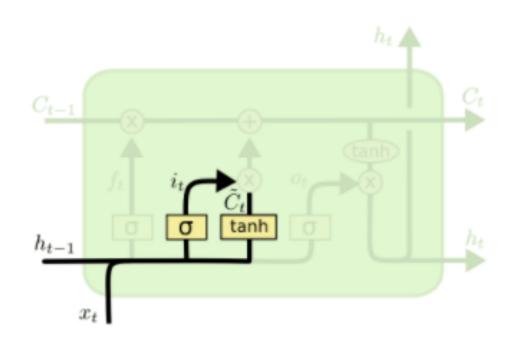


#### **Forget gate**



$$f_t = \sigma\left(W_f \cdot [h_{t-1}, x_t] + b_f\right)$$

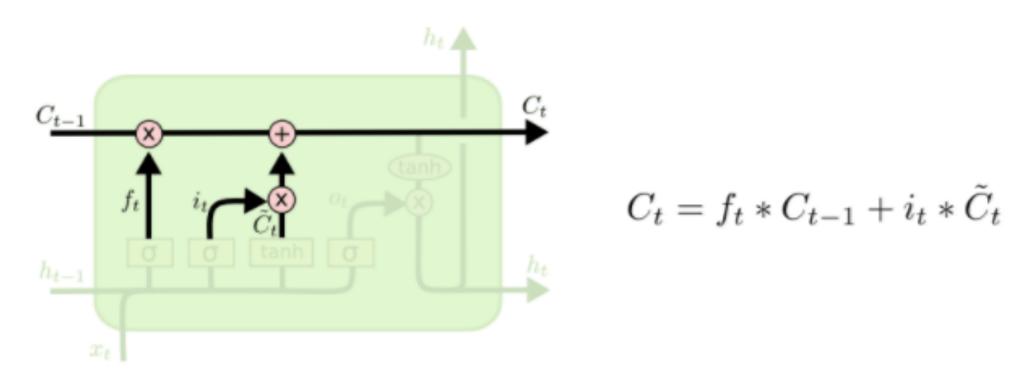
### Cell state에 추가할 정보를 생성하고 여기에, input gate를 통해 일부를 버림



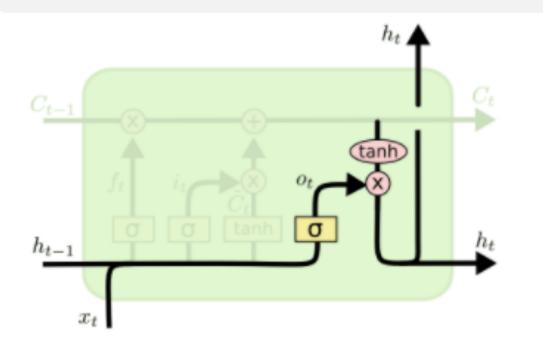
$$i_t = \sigma \left( W_i \cdot [h_{t-1}, x_t] + b_i \right)$$
  

$$\tilde{C}_t = \tanh(W_C \cdot [h_{t-1}, x_t] + b_C)$$

버릴 것은 버린 (forget gate) 과거에서 넘어온 cell state에 현재 정보를 더해서 현재의 cell state를 생성



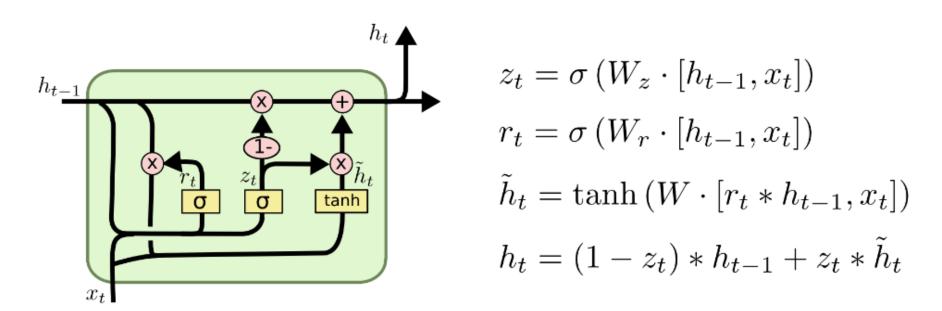
현재의 cell state를 tanh를 통과하고 여기에 output gate를 통과시켜 현재의 hidden state를 생성. 그 이후, 이 hidden state는 다음 time step으로 넘겨주고, 필요하면 output 쪽이나 next layer로 넘겨줌.



$$o_t = \sigma (W_o [h_{t-1}, x_t] + b_o)$$
$$h_t = o_t * \tanh (C_t)$$

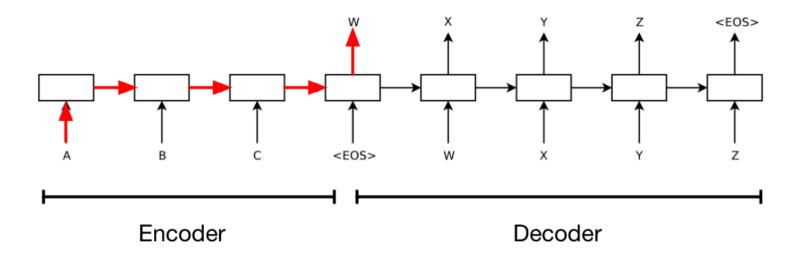
### GRU

#### GRU(Gated Recurrent Unit)란 무엇인가?



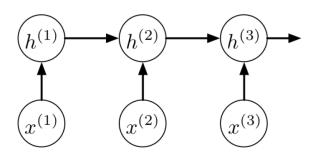
# Why Gradients Explode or Vanish

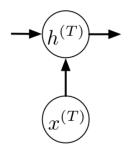
Adjusting the weights based on the first input requires the error signal to travel backwards through the entire path highlighed in red.



## Why Gradients Explode or Vanish

Consider a univariate version of the encoder:





• Forward pass:

$$z^{(t)} = wx^{(t)}$$
$$h^{(t)} = \phi(z^{(t)})$$

Backprop updates:

$$z^{(t)} = wx^{(t)} \qquad \overline{h^{(t)}} = \overline{z^{(t+1)}}w$$

$$h^{(t)} = \phi(z^{(t)}) \qquad \overline{z^{(t)}} = \overline{h^{(t)}}\phi'(z^{(t)})$$

Applying this recursively:

$$\overline{h^{(1)}} = w^{T-1} \phi'(z^{(2)}) \dots \phi'(z^{(T)}) \overline{h^{(T)}}$$

With linear activations:

$$\partial h^{(T)}/\partial h^{(1)} = w^{T-1}$$

**Exploding:** 

$$w = 1.1, T = 50 \Rightarrow \frac{\partial h^{(T)}}{\partial h^{(1)}} = 117.4$$

• Vanishing:

$$w = 0.9, T = 50 \Rightarrow \frac{\partial h^{(T)}}{\partial h^{(1)}} = 0.00515$$

## References

Stanford University CS231n: Convolutional Neural Networks for Visual Recognition

Deep Learning Summer School, Montreal 2016 - VideoLectures.NET

Understanding LSTM Networks -- colah's blog

The Unreasonable Effectiveness of Recurrent Neural Networks

Stanford University CS224d: Deep Learning for Natural Language Processing