# PRODUCTION MANAGEMENT

### **Problem Statement**

Determining the optimal allocation of such resources as materials, machines, manpower, etc. by a firm and to determine the optimal product- mix to maximize its revenue.

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## <u>Overview</u>

The project is about biscuit production and optimizing various parameters using different optimization techniques.

## **Problem Description**

A firm produces biscuits of two types which it then sells through various retail stores and through online chains. A biscuit is mainly constituted of following things: (i) Flour, (ii) Sugar and some other ingredients like emulsifiers, milk, butter, etc. which are grouped together as (iii) Other Ingredients.

A packet of type A biscuit requires 100 grams of flour, 100 grams of sugar and 25 grams of other ingredients. On the other hand, one packet of type B biscuit requires 200 grams of flour, 125 grams of sugar and 125 grams of other ingredients. For the production, 4 different machinery sets are being used, machine A for kneading the dough, machine B for baking, machine C for refrigeration and machine D for packing with workers working in shifts of 8 hours for maintenance and operation of machines

It is possible to optimize **three parameters** and hence we obtain three objective functions which are as follows:-

- **1.)** Maximizing the total profit where the profit for Type A biscuits is 1 rupee per packet and for Type B biscuits is 2 rupees per packet.
- **2.)**Optimizing the machinery management as the machines can only function for limited hours in one go.
- **3.)** Minimizing the cost associated with manpower according to production needs.

**1.)** Maximizing the total profit where the profit for Type A biscuits is 1 rupee per packet and for Type B biscuits is 2 rupees per packet.

Objective function:

Maximize  $z = x_1 + 2x_2$ 

Amount available(per day)

Total amount of flour available: 100 kg

Total amount of sugar available: 60 kg

Total amount of other ingredients available: 20 kg

Let  $x_1$  denote the number of packets of Type A biscuits

Let  $x_2$  denote the number of packets of Type B biscuits

As we know from the problem description the amount of different ingredients required for Type A and Type B biscuits, the constraints are as follows:

#### **Constraints:**

 $100x_1 + 200x_2 \le 100000$ 

 $25x_1 + 100x_2 <= 20000$ 

 $100x_1 + 125x_2 < = 60000$ 

 $x_1 > = 0, x_2 > = 0$ 

Since  $x_1$  and  $x_2$  are the number of packets to be made of type A and B biscuits,  $x_1$  and  $x_2$  should be integers.

**Solution:** For maximum revenue, the factory should produce the following number of packets of biscuits per day:

Type A biscuits: 508 packets

Type B biscuits: 73 packets

Code: opt1.m

## 2.)Optimizing the machinery management as the machines can only function for limited hours in one go.

Minimize 
$$z = x_1 + x_2 + x_3 + x_4$$

Machine A- For kneading dough

Machine B- For baking

Machine C- For refrigeration

Machine D- For packing

Machine A can work at most for 6 hours

Machine B can work at most for 4 hours

Machine C can work at most for 10 hours

Machine D can work at most for 4 hours

Due to electricity restrictions, only one machine can run at a time i.e. when one machine is working rest remain ideal.

Let  $x_1$  denote time required for kneading the dough

Let  $x_2$  denote time required for baking.

Let  $x_3$  denote time required for refrigeration.

Let  $x_4$  denote time required for packing.

#### **Constraints:**

$$X_4 \le 4$$
  
 $X_1 + X_2 \ge 3$   
 $X_3 + X_4 \ge 8$   
 $X_1 X_2 X_3 X_4 \ge 1$ 

**Solution:** The machines should work for the following hours per day:

Machine A: 1 hour

Machine B: 2 hours

Machine C: 4 hours

Machine D: 4 hours

Code: opt2.m

**3.)**Optimizing the manpower to operate the particular machine and producing the particular output according to their working hours and slots .

Minimize: 
$$Z=X_1 + X_2 + X_3 + X_4 + X_5$$

Let  $x_1$  workers starting their shift in time slot 8 am to 12 pm

Let  $x_2$  workers starting their shift in time slot 12 pm to 4 pm.

Let  $x_3$  workers starting their shift in time slot 4 pm to 8 pm.

Let  $x_4$  workers starting their shift in time slot 8 pm to 12 am.

Let  $x_5$  workers starting their shift in time slot 12am to 4 am.

Let  $x_6$  workers starting their shift in time slot  $\,4$  am to  $\,8$  am.

The daily requirement of workers in the factory for respective slots is given below:

8:00 to 12noon	12 workers
12noon to 4 pm	15 workers
4pm to 8pm	10 workers

8pm to 12midnight	8 workers
12midnight to 4am	6 workers
4am to 8am	10 workers

#### **CONSTRAINTS:**

$$x_1 + x_2 >= 15$$

$$x_2 + x_3 >= 10$$

$$x_3 + x_4 >= 8$$

$$\chi_4 + \chi_5 > = 6$$

$$x_5 + x_6 > = 10$$

$$x_6 + x_1 > = 12$$

$$X_1, X_2, X_3, X_4, X_5, X_6 >= 0$$

**SOLUTIONS:** For the corresponding Optimization function the results are as follows

$$x_1 = 12$$
  $x_2 = 3$   $x_3 = 8$   $x_4 = 0$   $x_5 = 10$   $x_6 = 0$ 

Code: opt3.m

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