

Association Analysis

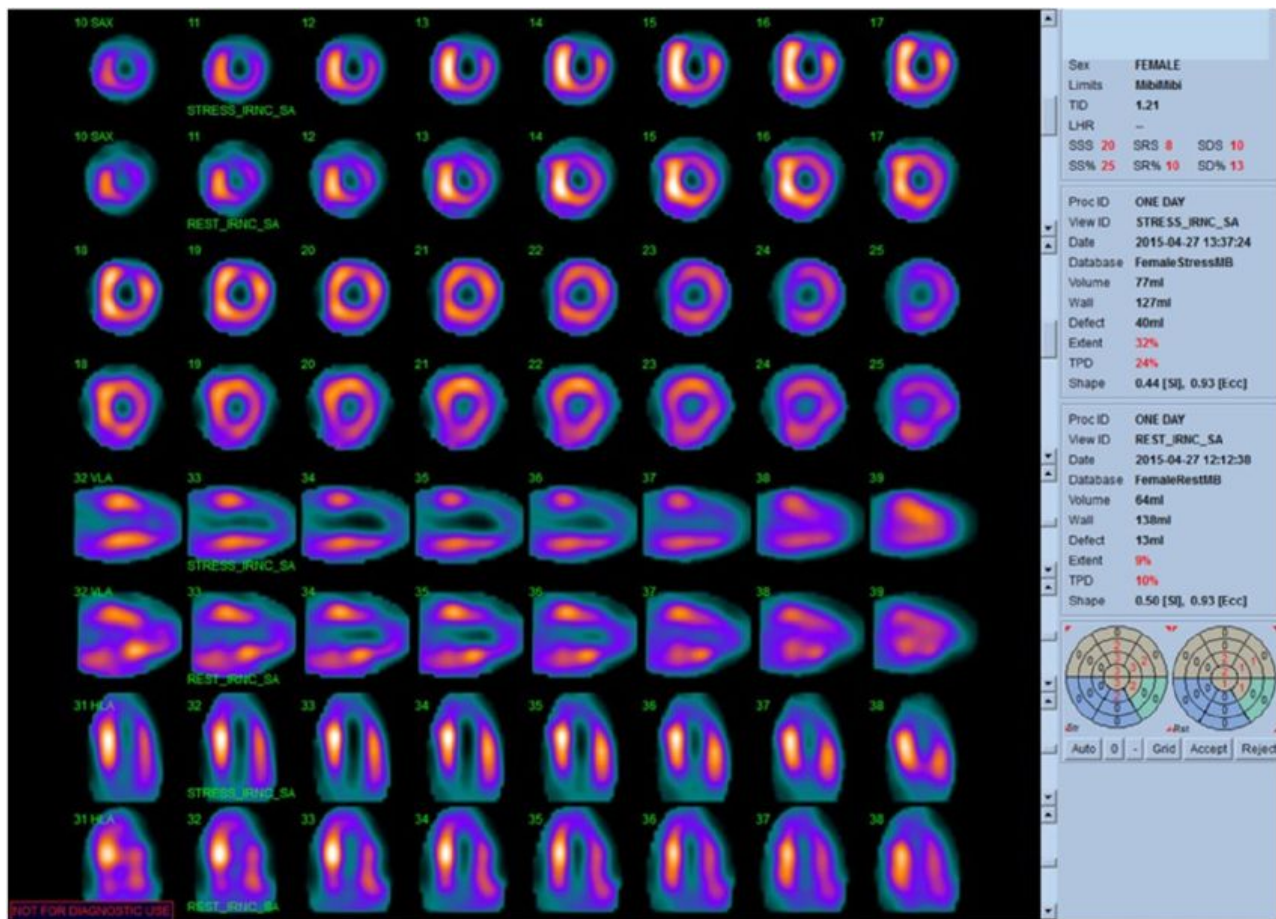
Cardiac SPECT Diagnosis

In-on Wiratsin

Agenda

- Introduction
- Methodology - Association Rule Learning
- Rules Interpretation
- Conclusion
- Q&A

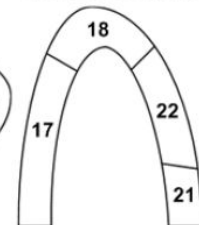
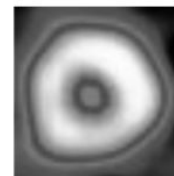
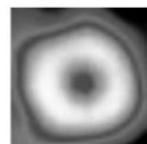
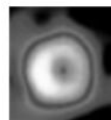
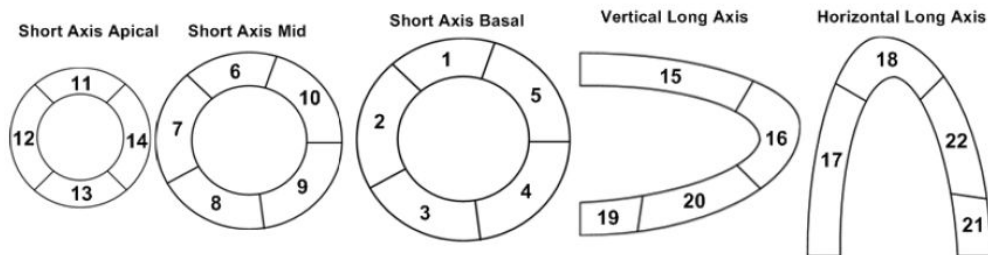
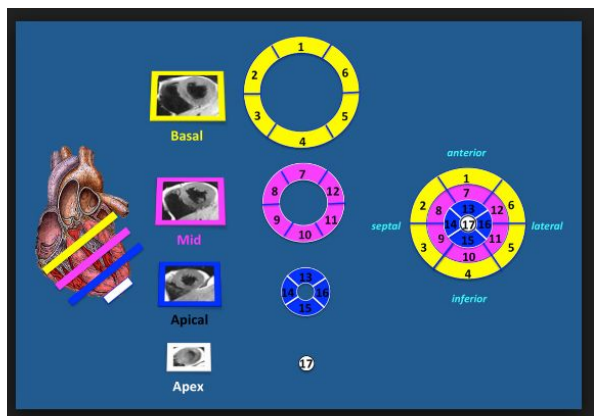
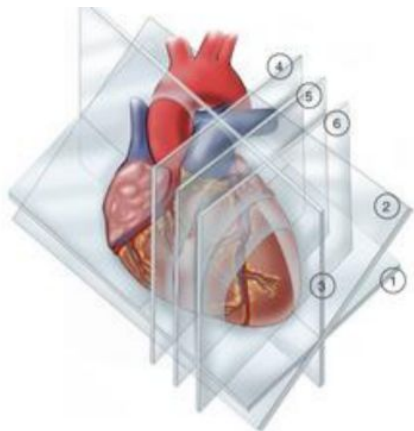
Introduction



Background

- 267 patients were diagnosed and categorized into two classes
 - Normal heart
 - Abnormal heart
- 2 datasets
 - 80 SPECT.train
 - 187 SPECT.test
 - Machine learning algorithms CLIP3
- Total 23 attributes
 - No missing values
 - Binary attributes
 - 1st attribute: healthy heart (0), unhealthy heart (1)
 - 2nd - 23rd attributes: high perfusion (0), poor perfusion (1)

Perfusion - how well blood flows through heart muscle



1. basal anterior
2. basal anteroseptal
3. basal inferior
4. basal inferolateral
5. basal anterolateral
6. mid anterior
7. mid anteroseptal

8. mid inferior
9. mid inferolateral
10. mid anterolateral
11. apical anterior
12. apical septal
13. apical inferior
14. apical lateral

15. anterior
16. apical
17. septal
18. apical
19. basal
20. inferior
21. basal

22. lateral

Methodology - Association Rule Learning

Run Apriori algorithm

- Perform Apriori association analysis on each type of patients
- Remove first attribute
- Use 22 attributes
- Set the minimum threshold on support to be 0.5
- Set the minimum threshold on confidence to be 0.9

Python Implementation

- The algorithm starts by searching the frequent patterns that occurs more than minimum support value. Then, function joinSet is used for generating the list of joint item. The association rule is generated from frequent itemset. The association rule is of the form

$$\text{LHS} \Rightarrow \text{RHS}$$

- The confidence is also calculated by the following formula:

$$\text{confidence}(\text{LHS}, \text{RHS}) = \text{support}(\text{LHS}, \text{RHS}) / \text{support}(\text{LHS})$$

Rule generating

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Rule(F11.0, F2.0) ==> (F17.0, F6.0), 0.900
Rule(F15.0, F9.0) ==> (F14.0, 0.900
Rule(F2.0, F12.0) ==> (F18.0, 0.902
Rule(F19.0, F18.0) ==> (F17.0, 0.903
Rule(F2.0, F7.0) ==> (F18.0, 0.903
Rule(F19.0, F6.0) ==> (F18.0, 0.904
Rule(F7.0, F12.0) ==> (F18.0, 0.905
Rule(F17.0, F7.0) ==> (F12.0, 0.905
Rule(F7.0, F12.0) ==> (F17.0, 0.905
Rule(F11.0, F2.0, F6.0) ==> (F18.0, 0.906
Rule(F12.0) ==> (F7.0, 0.906
Rule(F19.0, F2.0) ==> (F18.0, 0.907
Rule(F19.0, F2.0) ==> (F17.0, 0.907
Rule(F11.0) ==> (F6.0, 0.907
Rule(F2.0, F7.0, F12.0) ==> (F17.0, 0.908
Rule(F21.0) ==> (F18.0, 0.908
Rule(F2.0, F18.0) ==> (F17.0, 0.908
Rule(F4.0, F15.0) ==> (F9.0, 0.908
Rule(F11.0, F17.0, F6.0) ==> (F18.0, 0.910
Rule(F18.0, F6.0) ==> (F17.0, 0.910
Rule(F14.0, F9.0) ==> (F4.0, F15.0), 0.910
Rule(F2.0, F12.0) ==> (F17.0, 0.911
Rule(F11.0, F17.0, F6.0) ==> (F18.0, 0.911
Rule(F18.0, F17.0, F6.0) ==> (F11.0, 0.911
Rule(F17.0, F6.0) ==> (F18.0, 0.911
Rule(F17.0, F6.0) ==> (F11.0, 0.911
Rule(F2.0, F7.0) ==> (F17.0, 0.911
Rule(F19.0, F6.0) ==> (F11.0, 0.912
Rule(F18.0, F7.0) ==> (F12.0, 0.912
Rule(F12.0) ==> (F17.0, 0.914
Rule(F14.0) ==> (F15.0, 0.914
Rule(F12.0) ==> (F18.0, 0.914
Rule(F17.0, F4.0) ==> (F18.0, 0.914
Rule(F3.0) ==> (F18.0, 0.915
Rule(F18.0, F14.0) ==> (F15.0, 0.915
Rule(F2.0, F17.0, F6.0) ==> (F18.0, 0.915
Rule(F15.0, F9.0) ==> (F4.0, 0.915
Rule(F11.0, F2.0) ==> (F17.0, 0.917
Rule(F18.0, F4.0) ==> (F15.0, 0.917
Rule(F17.0, F15.0) ==> (F6.0, 0.918
Rule(F17.0, F6.0) ==> (F11.0, 0.921
Rule(F2.0, F6.0) ==> (F11.0, 0.921
Rule(F15.0, F14.0) ==> (F9.0, 0.921
Rule(F2.0, F6.0) ==> (F17.0, 0.921
Rule(F17.0, F4.0) ==> (F15.0, 0.922
Rule(F11.0, F2.0) ==> (F17.0, F6.0), 0.900
Rule(F15.0, F9.0) ==> (F14.0, 0.900
Rule(F2.0, F12.0) ==> (F18.0, 0.902
Rule(F19.0, F18.0) ==> (F17.0, 0.903

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Rule(F7_0, F12_0) ==> (F18_0), 0.905
Rule(F17_0, F7_0) ==> (F12_0), 0.905
Rule(F7_0, F12_0) ==> (F17_0), 0.905
Rule(F11_0, F2_0, F6_0) ==> (F18_0), 0.906
Rule(F12_0) ==> (F7_0), 0.906
Rule(F18_0, F2_0) ==> (F18_0), 0.907
Rule(F18_0, F2_0) ==> (F17_0), 0.907
Rule(F11_0) ==> (F6_0), 0.907
Rule(F2_0, F7_0, F12_0) ==> (F17_0), 0.908
Rule(F21_0) ==> (F18_0), 0.908
Rule(F2_0, F18_0) ==> (F17_0), 0.908
Rule(F4_0, F15_0) ==> (F9_0), 0.908
Rule(F11_0, F17_0) ==> (F18_0), 0.910
Rule(F18_0, F6_0) ==> (F11_0), 0.910
Rule(F14_0, F9_0) ==> (F4_0, F15_0), 0.910
Rule(F2_0, F12_0) ==> (F17_0), 0.911
Rule(F11_0, F17_0, F6_0) ==> (F18_0), 0.911
Rule(F18_0, F17_0, F6_0) ==> (F11_0), 0.911
Rule(F17_0, F6_0) ==> (F18_0), 0.911
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Rule(F12_0) ==> (F17_0), 0.914
Rule(F14_0) ==> (F15_0), 0.914
Rule(F12_0) ==> (F18_0), 0.914
Rule(F17_0, F4_0) ==> (F18_0), 0.914
Rule(F3_0) ==> (F18_0), 0.915
Rule(F18_0, F14_0) ==> (F15_0), 0.915
Rule(F2_0, F17_0, F6_0) ==> (F18_0), 0.915
Rule(F15_0, F9_0) ==> (F4_0), 0.915
Rule(F11_0, F2_0) ==> (F17_0), 0.917
Rule(F18_0, F4_0) ==> (F15_0), 0.917
Rule(F17_0, F15_0) ==> (F6_0), 0.918
Rule(F17_0, F7_0) ==> (F18_0), 0.921
Rule(F2_0, F6_0) ==> (F11_0), 0.921
Rule(F15_0, F14_0) ==> (F9_0), 0.921
Rule(F2_0, F6_0) ==> (F17_0), 0.921
Rule(F4_0, F2_0) ==> (F15_0), 0.922
Rule(F17_0, F2_0) ==> (F17_0), 0.923
Rule(F2_0, F17_0, F6_0) ==> (F11_0), 0.923
Rule(F11_0, F18_0) ==> (F17_0), 0.924
Rule(F18_0, F6_0) ==> (F17_0), 0.925
Rule(F17_0, F17_0) ==> (F6_0), 0.925
Rule(F11_0, F18_0, F17_0) ==> (F6_0), 0.926
Rule(F11_0, F18_0, F6_0) ==> (F17_0), 0.926
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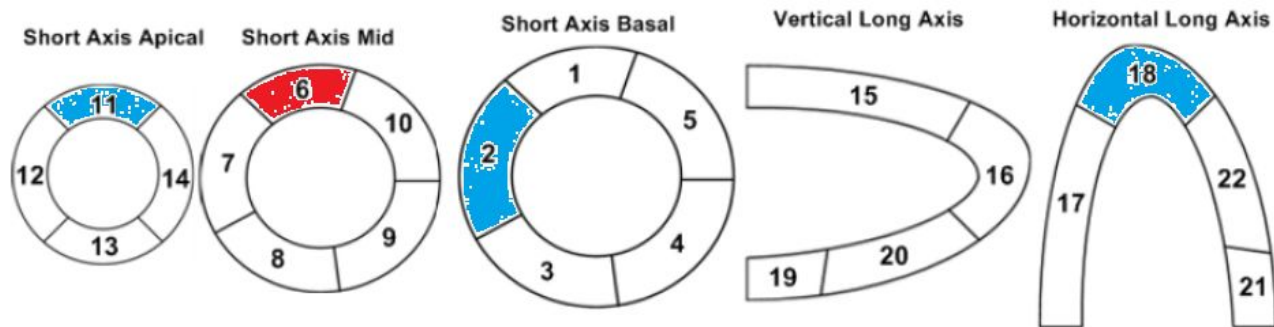
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 Rule: (F15,0, F9,0) \Rightarrow (F14,0), 0,900
 Rule: (F2,0, F12,0) \Rightarrow (F18,0), 0,902
 Rule: (F19,0, F18,0) \Rightarrow (F17,0), 0,903
 Rule: (F2,0, F7,0) \Rightarrow (F18,0), 0,903
 Rule: (F19,0, F6,0) \Rightarrow (F18,0), 0,904
 Rule: (F7,0, F12,0) \Rightarrow (F18,0), 0,905
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 Rule: (F7,0, F12,0) \Rightarrow (F17,0), 0,905
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 Rule: (F19,0, F2,0) \Rightarrow (F17,0), 0,907
 Rule: (F11,0) \Rightarrow (F6,0), 0,907
 Rule: (F2,0, F7,0, F12,0) \Rightarrow (F17,0), 0,908
 Rule: (F21,0) \Rightarrow (F18,0), 0,908
 Rule: (F2,0, F18,0) \Rightarrow (F17,0), 0,908
 Rule: (F4,0, F15,0) \Rightarrow (F9,0), 0,908
 Rule: (F11,0, F17,0) \Rightarrow (F18,0), 0,910
 Rule: (F18,0, F6,0) \Rightarrow (F11,0), 0,910
 Rule: (F14,0, F9,0) \Rightarrow (F4,0, F15,0), 0,910
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 Rule: (F18,0, F17,0, F6,0) \Rightarrow (F11,0), 0,911
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 Rule: (F12,0) \Rightarrow (F18,0), 0,914
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 Rule: (F18,0, F14,0) \Rightarrow (F15,0), 0,915
 Rule: (F2,0, F17,0, F6,0) \Rightarrow (F18,0), 0,915
 Rule: (F15,0, F9,0) \Rightarrow (F4,0), 0,915
 Rule: (F11,0, F2,0) \Rightarrow (F17,0), 0,917
 Rule: (F18,0, F4,0) \Rightarrow (F15,0), 0,917
 Rule: (F11,0, F15,0) \Rightarrow (F6,0), 0,918
 Rule: (F17,0, F7,0) \Rightarrow (F18,0), 0,921
 Rule: (F2,0, F6,0) \Rightarrow (F11,0), 0,921
 Rule: (F15,0, F14,0) \Rightarrow (F9,0), 0,921
 Rule: (F2,0, F6,0) \Rightarrow (F17,0), 0,921
 Rule: (F17,0, F4,0) \Rightarrow (F15,0), 0,922
 Rule: (F4,0) \Rightarrow (F15,0), 0,923

Rule: $(F_{2,0}, F_{17,0}, F_{6,0}) \Rightarrow (F_{11,0}), 0,923$
 Rule: $(F_{11,0}, F_{18,0}) \Rightarrow (F_{17,0}), 0,924$
 Rule: $(F_{18,0}, F_{18,0}) \Rightarrow (F_{6,0}), 0,924$
 Rule: $(F_{18,0}, F_{6,0}) \Rightarrow (F_{17,0}), 0,925$
 Rule: $(F_{11,0}, F_{17,0}) \Rightarrow (F_{6,0}), 0,925$
 Rule: $(F_{11,0}, F_{18,0}, F_{17,0}) \Rightarrow (F_{6,0}), 0,926$
 Rule: $(F_{11,0}, F_{18,0}, F_{6,0}) \Rightarrow (F_{17,0}), 0,926$
 Rule: $(F_{4,0}, F_{9,0}) \Rightarrow (F_{14,0}), 0,927$
 Rule: $(F_{18,0}, F_{7,0}) \Rightarrow (F_{17,0}), 0,928$
 Rule: $(F_{18,0}, F_{12,0}) \Rightarrow (F_{17,0}), 0,929$
 Rule: $(F_{17,0}, F_{12,0}) \Rightarrow (F_{18,0}), 0,929$
 Rule: $(F_{7,0}, F_{6,0}) \Rightarrow (F_{11,0}), 0,930$
 Rule: $(F_{7,0}, F_{6,0}) \Rightarrow (F_{12,0}), 0,930$
 Rule: $(F_{18,0}, F_{6,0}, F_{2,0}) \Rightarrow (F_{11,0}), 0,930$
 Rule: $(F_{19,0}, F_{17,0}) \Rightarrow (F_{18,0}), 0,931$
 Rule: $(F_{4,0}, F_{15,0}, F_{9,0}) \Rightarrow (F_{14,0}), 0,933$
 Rule: $(F_{19,0}, F_{18,0}, F_{6,0}) \Rightarrow (F_{17,0}), 0,938$
 Rule: $(F_{18,0}, F_{7,0}, F_{12,0}) \Rightarrow (F_{2,0}), 0,939$
 Rule: $(F_{18,0}, F_{6,0}, F_{2,0}) \Rightarrow (F_{17,0}), 0,939$
 Rule: $(F_{9,0}) \Rightarrow (F_{15,0}), 0,942$
 Rule: $(F_{19,0}, F_{11,0}) \Rightarrow (F_{6,0}), 0,942$
 Rule: $(F_{14,0}, F_{9,0}) \Rightarrow (F_{4,0}), 0,943$
 Rule: $(F_{7,0}, F_{12,0}) \Rightarrow (F_{2,0}), 0,944$
 Rule: $(F_{11,0}, F_{7,0}) \Rightarrow (F_{6,0}), 0,946$
 Rule: $(F_{6,0}, F_{12,0}) \Rightarrow (F_{7,0}), 0,946$
 Rule: $(F_{19,0}, F_{17,0}, F_{6,0}) \Rightarrow (F_{18,0}), 0,946$
 Rule: $(F_{7,0}, F_{6,0}) \Rightarrow (F_{2,0}), 0,947$
 Rule: $(F_{17,0}, F_{7,0}, F_{12,0}) \Rightarrow (F_{2,0}), 0,947$
 Rule: $(F_{18,0}, F_{9,0}) \Rightarrow (F_{15,0}), 0,948$
 Rule: $(F_{4,0}, F_{14,0}) \Rightarrow (F_{15,0}, F_{9,0}), 0,949$
 Rule: $(F_{15,0}, F_{14,0}, F_{9,0}) \Rightarrow (F_{4,0}), 0,949$
 Rule: $(F_{18,0}, F_{7,0}, F_{2,0}) \Rightarrow (F_{12,0}), 0,951$
 Rule: $(F_{2,0}, F_{17,0}, F_{7,0}) \Rightarrow (F_{12,0}), 0,956$
 Rule: $(F_{14,0}, F_{9,0}) \Rightarrow (F_{15,0}), 0,959$
 Rule: $(F_{2,0}, F_{7,0}) \Rightarrow (F_{12,0}), 0,960$
 Rule: $(F_{4,0}, F_{9,0}) \Rightarrow (F_{15,0}), 0,960$
 Rule: $(F_{18,0}, F_{12,0}, F_{2,0}) \Rightarrow (F_{7,0}), 0,964$
 Rule: $(F_{6,0}, F_{12,0}) \Rightarrow (F_{2,0}), 0,964$
 Rule: $(F_{2,0}, F_{17,0}, F_{12,0}) \Rightarrow (F_{7,0}), 0,964$
 Rule: $(F_{4,0}, F_{14,0}, F_{9,0}) \Rightarrow (F_{15,0}), 0,965$
 Rule: $(F_{4,0}, F_{14,0}) \Rightarrow (F_{15,0}), 0,966$
 Rule: $(F_{2,0}, F_{12,0}) \Rightarrow (F_{7,0}), 0,967$
 Rule: $(F_{11,0}, F_{2,0}) \Rightarrow (F_{6,0}), 0,975$
 Rule: $(F_{11,0}, F_{2,0}, F_{17,0}) \Rightarrow (F_{6,0}), 0,982$
 Rule: $(F_{4,0}, F_{15,0}, F_{14,0}) \Rightarrow (F_{9,0}), 0,982$
 Rule: $(F_{4,0}, F_{14,0}) \Rightarrow (F_{9,0}), 0,983$
 Rule: $(F_{11,0}, F_{18,0}, F_{2,0}) \Rightarrow (F_{6,0}), 0,999$

Rules Interpretation

Healthy_SPECT Dataset

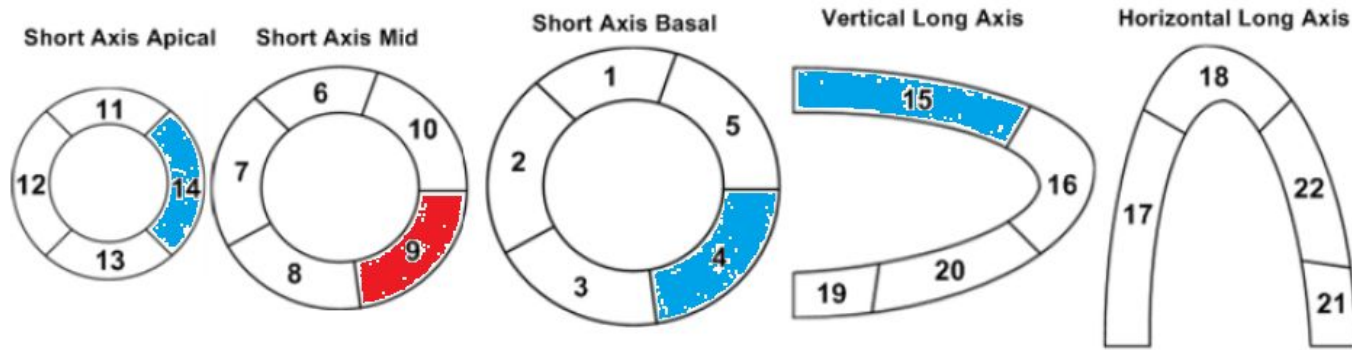
Rule : ('F11_0', 'F18_0', 'F2_0') ==> ('F6_0',) with confidence value = 0.991



For confidence value is around 0.991, there is about 99% chance that if apical anterior (F11), apical (F18) and basal anteroseptal (F2) have poor perfusion, then mid anterior (F6) will also have poor perfusion too.

Unhealthy_SPECT Dataset

Rule: ('F4_0', 'F15_0', 'F14_0') ==> ('F9_0',) with confidence value = 0.982

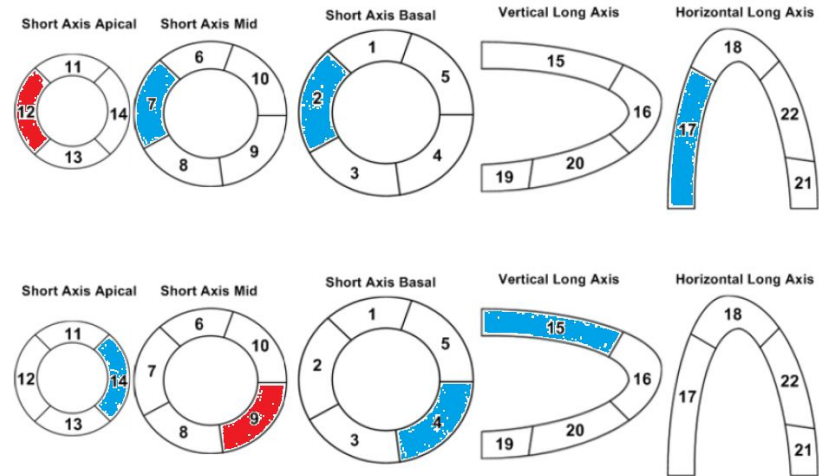
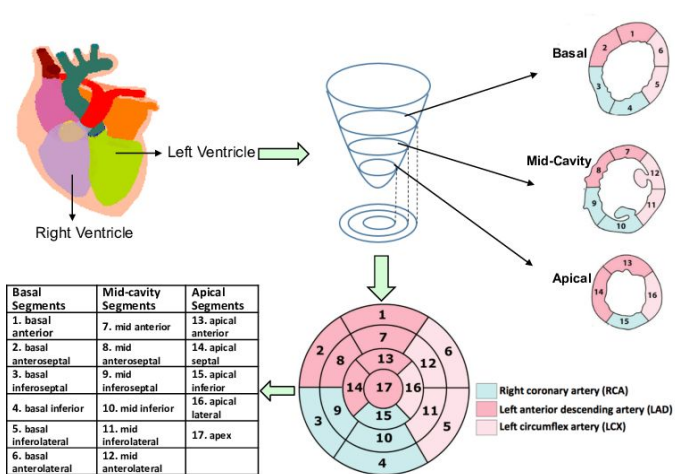


For confidence value is about 0.982, there is around 98% chance that if basal inferolateral (F4), anterior (F15) and apical lateral (F14) have poor perfusion, then mid inferolateral (F9) will also have poor perfusion too.

Conclusion

Conclusion

After running the Apriori algorithm, it could be seen from generated rules that if there is a poor perfusion occurred in any segments, other nearby neighbors are likely to have the same condition as well.



Q&A

Thank you
