

1.

$R - S$ is

A	B	C
4	5	6
1	2	6

$S - R$ is

A	B	C
2	5	4

So,

$(R - S) \cup (S - R)$ is

A	B	C
4	5	6
1	2	6
2	5	4

2.

$$R \wedge R.A < S.C \wedge R.B < S.D \quad S$$

A	R.B	S.B	C	D
1	2	2	4	6
1	2	8	6	8
1	2	7	5	9
3	4	2	4	6
3	4	8	6	8
3	4	7	5	9
5	6	8	6	8

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(a)

$$\pi_{\text{customer-name}}(\sigma_{\text{branch-name} = \text{'Region 12'}}(\text{Account}))$$

(b)

$$\pi_{\text{customer-name}}(\sigma_{\text{Branch.city} \neq \text{T.city} \wedge \text{Branch.branch-name} = \text{T.branch-name}}(\text{Branch} \times \rho_{\text{T}}(\text{Customer} \bowtie \text{Account})))$$

(c)

$$\pi_{\text{branch-name}}(\text{Branch}) - \pi_{\text{branch-name}}(\text{Account})$$

$$(d) \quad \pi_{\text{customer-name}}(\text{customer}) - \pi_{\text{customer-name}}(\sigma_{\text{branch-name} = \text{'Region 12'}}(\text{Account}))$$

(e)

$$\pi_{\text{customer-name}}(\text{Account} \div \pi_{\text{branch-name}}(\sigma_{\text{city} = \text{'Los Angeles'}}(\text{Branch})))$$

(f)

$$\pi_{\text{customer-name}}(\text{Account}) - \pi_{\text{customer-name}}(\text{Account} \bowtie \text{Account})$$

$$- \pi_{\text{customer-name}}(\sigma_{\substack{(A1.\text{account-number} \neq A2.\text{account-number} \\ \vee A1.\text{branch-name} \neq A2.\text{branch-name}}}}(\rho_{A1}(\text{Account}) \times \rho_{A2}(\text{Account}))) \\ \wedge A1.\text{customer-name} = A2.\text{customer-name}$$

4.

$\pi_{sid}(Student)$

$$- \pi_{S1.sid} \left(\sigma_{S1.GPA > S2.GPA \wedge S1.sid < > S2.sid} \left(\rho_{S1}(Student) \times \rho_{S2}(Student) \right) \right)$$

5.

$\pi_{customer-name}(Customer)$

$$- \pi_{customer-name} \left(\pi_{customer-name}(Customer) \times \right.$$

$$\left. \pi_{branch-name} \left(\sigma_{city='Los Angeles'}(Branch) \right) \right)$$

$$- \pi_{customer-name, branch-name}(Account))$$

6. Let $R(A,B) \div S(B) = Q(A)$

Then $Q(A)$ is the largest relation that satisfies

the following property : $Q(A) \times S(B)$ is a subset of $R(A,B)$

This is similar to the integer division operator $Z = X \div Y$,

where given two integers X and Y , their quotient Z is the

the largest integer where $Y \times Z \leq X$