

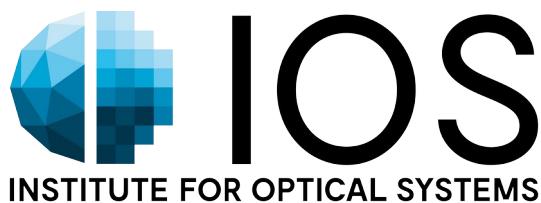
# Deep Learning For 3d Object Detection

## *Brown Bag Session*

H T  
W G

**Hochschule Konstanz**  
University of Applied Sciences

University of Applied Sciences Konstanz  
Institute for Optical Systems  
14.12.2020  
Dennis Grießer

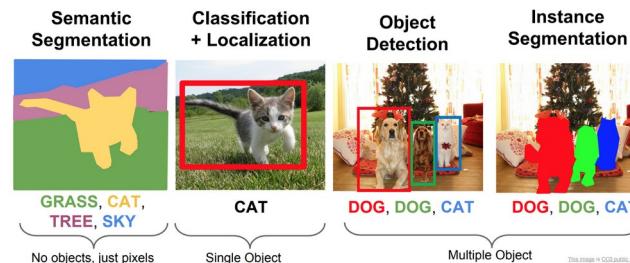


# Overview

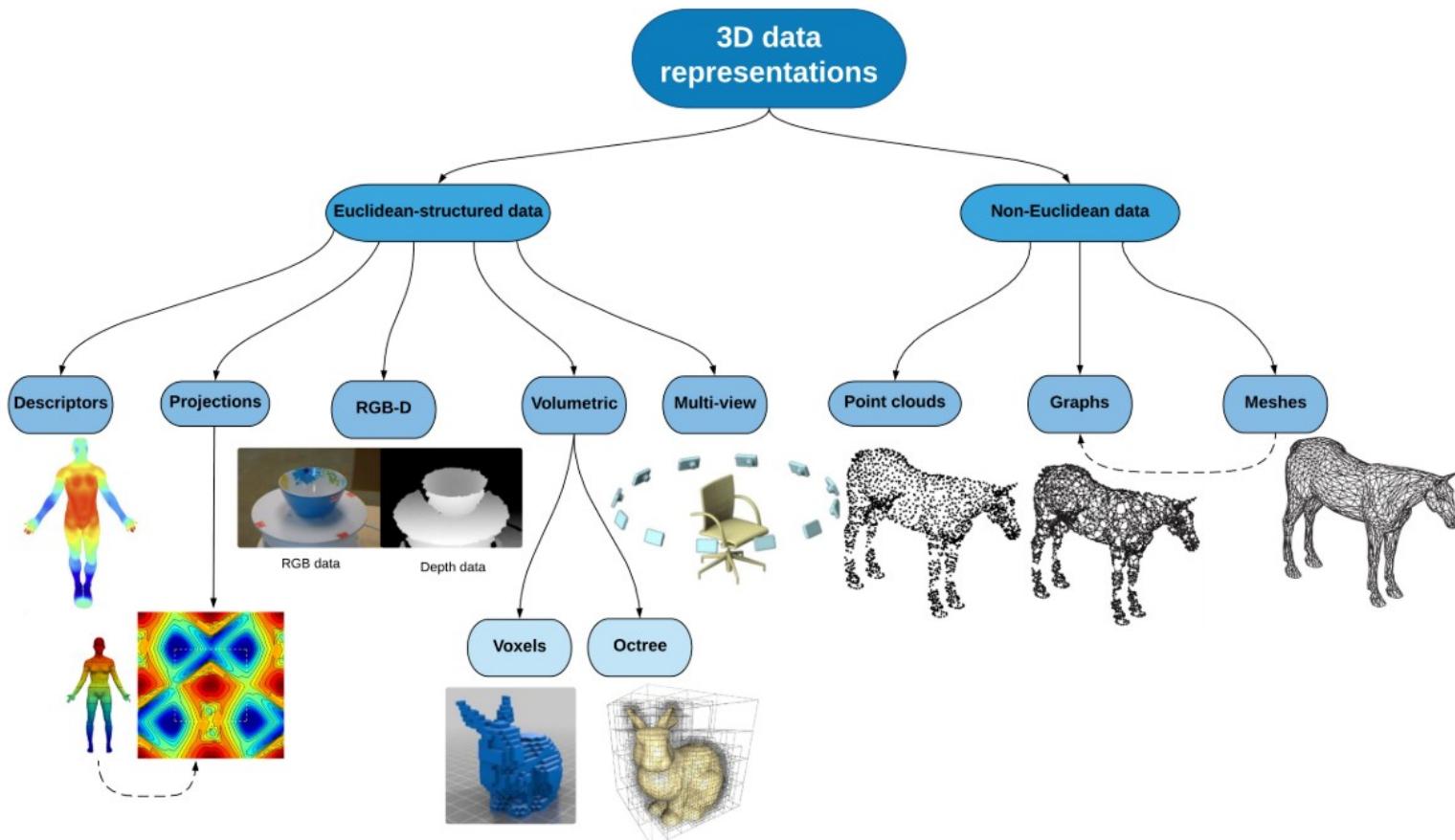
- Motivation
- Depth reconstruction with stereo
- Depth reconstruction with multiple views
- 3d detection with multiple views

# Why 3d Deep Learning?

- Deep Learning on 2d data achieve impressive results in many tasks
  - Classification
  - Segmentation
  - Detection
  - ! Large amount of data is required
- Increased availability of affordable 3d data aquisition devices



# Which representation?



# Why Multi-view?

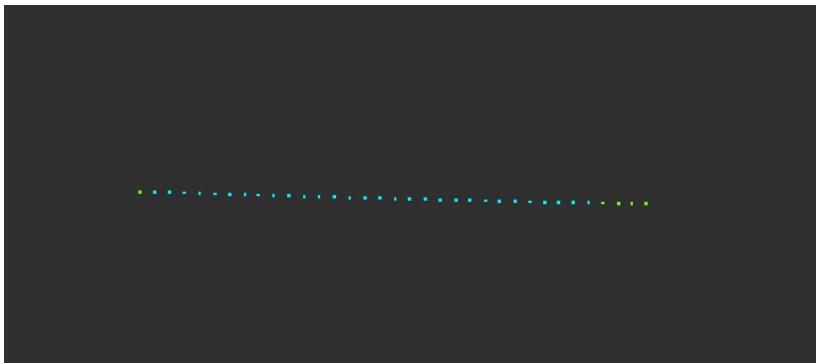


~16.000 €

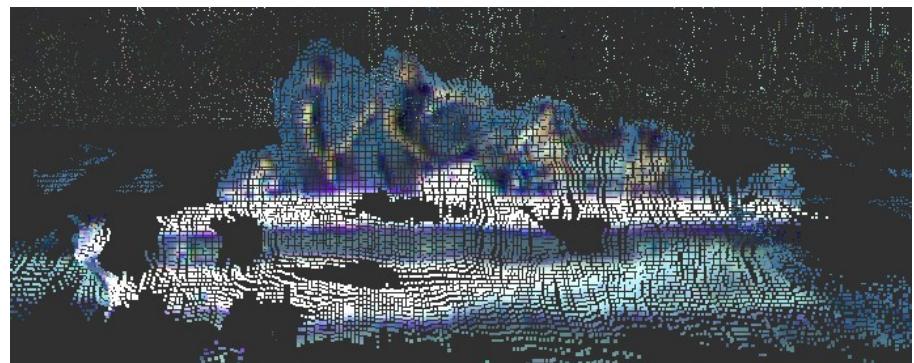


~225 €

Elon Musk: “Anyone relying on lidar is doomed.” Experts: Maybe not



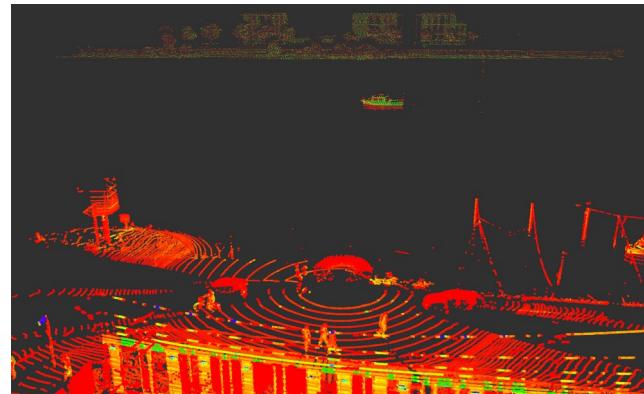
Lidar measurement



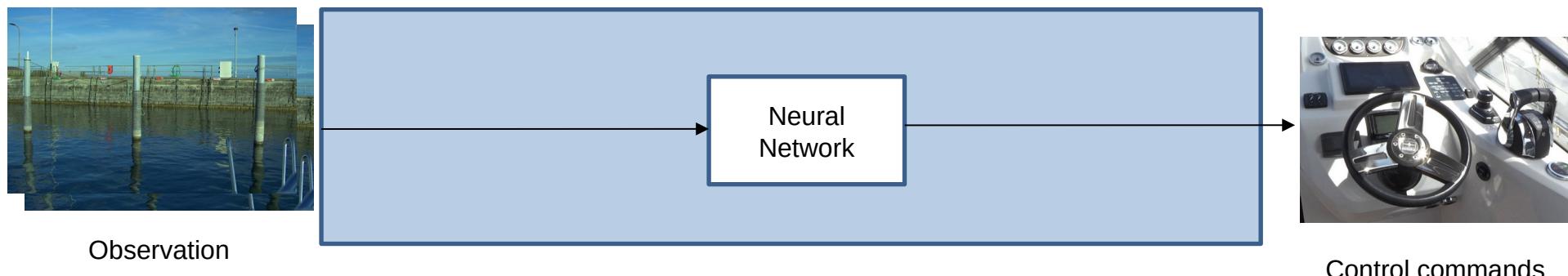
Stereo measurement

# MultiSenseLakePerceptor

What does the system see?

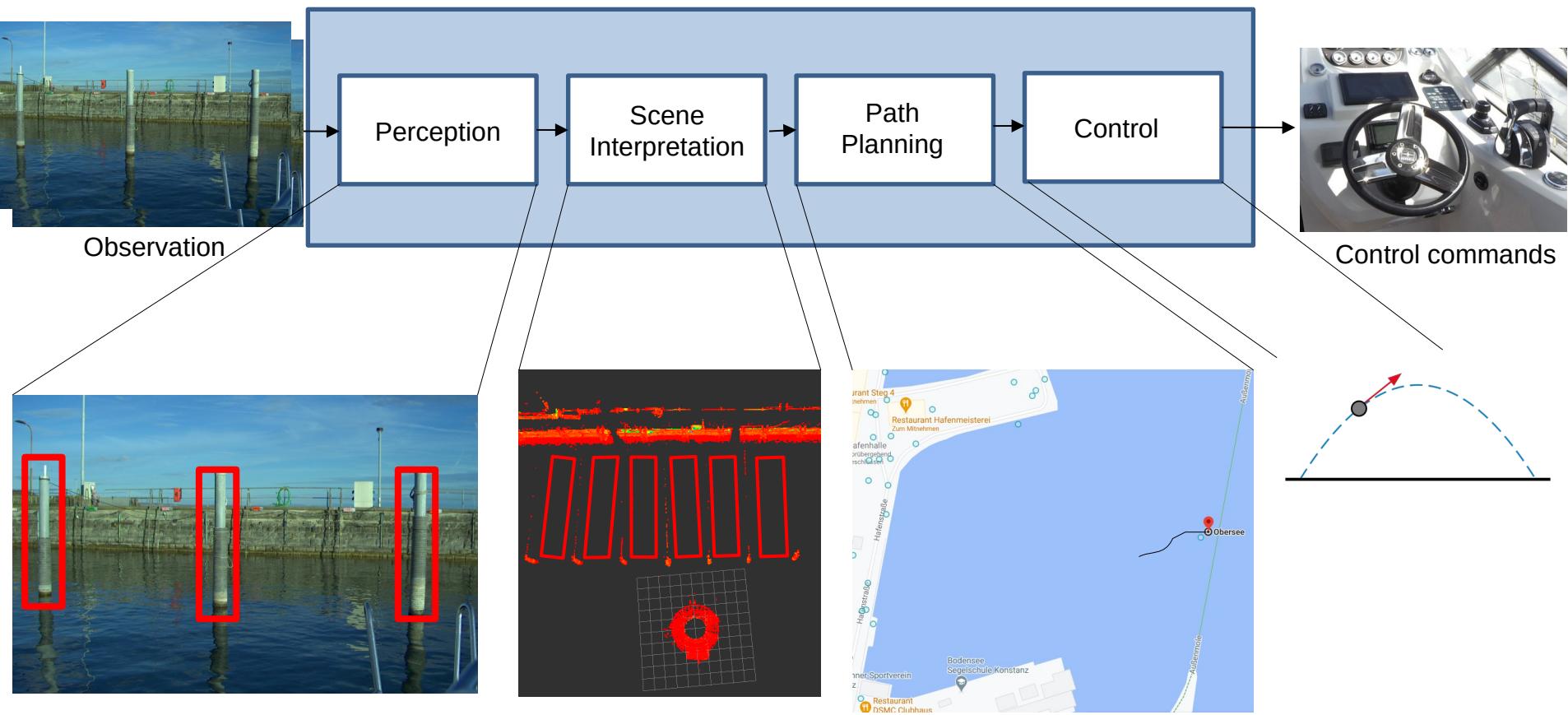


# End-to-End approach



- Simple Model
- End-to-End Training
- Interpretability
- Generalization

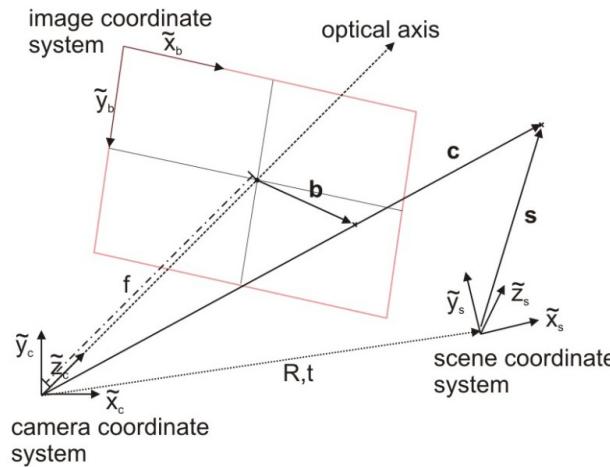
# Modular Approach



# Central projection

$$\begin{pmatrix} u \\ v \\ 1 \end{pmatrix} \sim \begin{pmatrix} f_x & 0 & c_x \\ 0 & f_y & c_y \\ 0 & 0 & 1 \end{pmatrix} \begin{pmatrix} r_{11} & r_{12} & r_{13} & t_1 \\ r_{21} & r_{22} & r_{23} & t_2 \\ r_{31} & r_{32} & r_{33} & t_3 \end{pmatrix} \begin{pmatrix} x \\ y \\ z \\ 1 \end{pmatrix}$$

$K$                      $R$                      $t$



# Depth reconstruction

left image:

$$X = -z \frac{x_1}{f}$$

$$Y = -z \frac{y_1}{f}$$

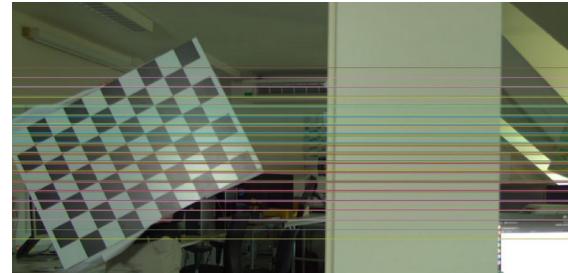
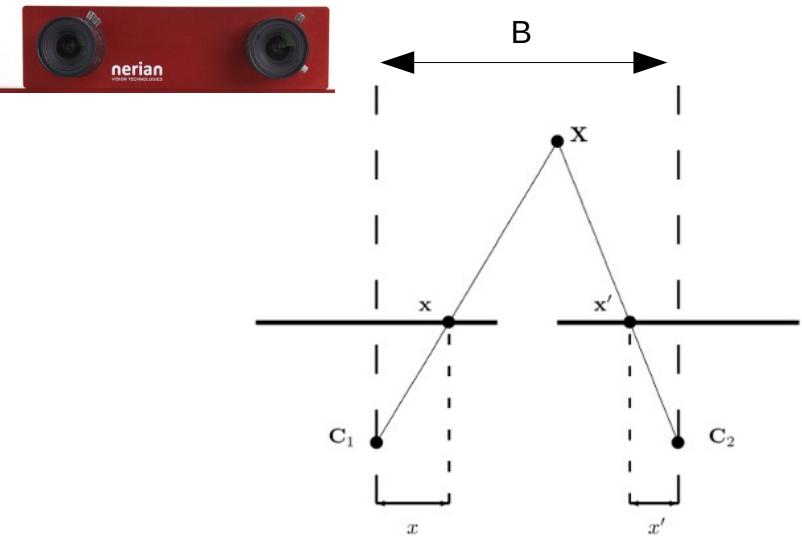
calculate Z:

$$z \frac{x_1}{f} = B - z \frac{x_2}{f} \quad z = \frac{-fB}{x_1 - x_2}$$

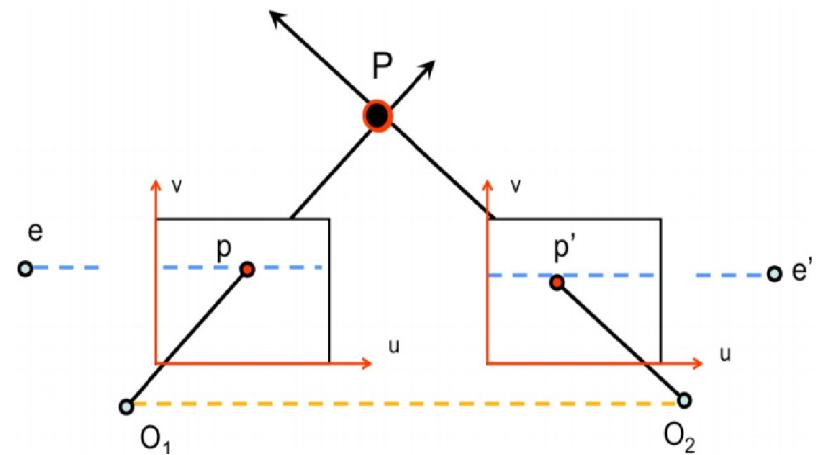
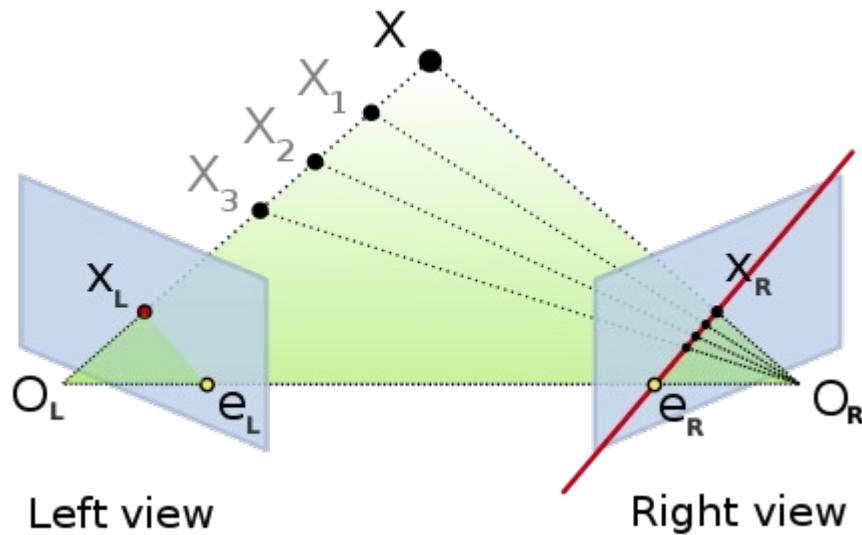
right image:

$$X = B - z \frac{x_2}{f}$$

$$Y = -z \frac{y_2}{f}$$

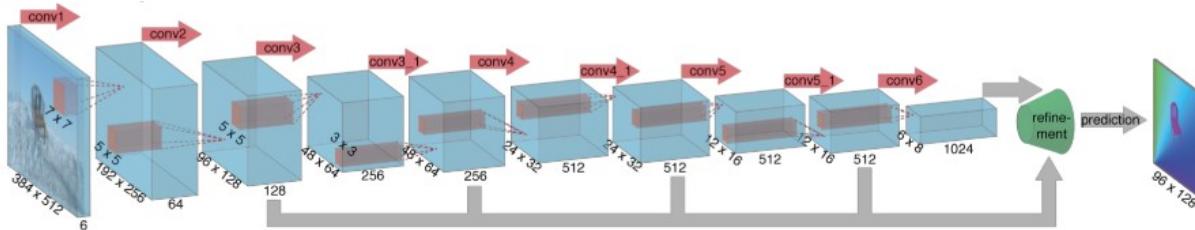


# Rectification

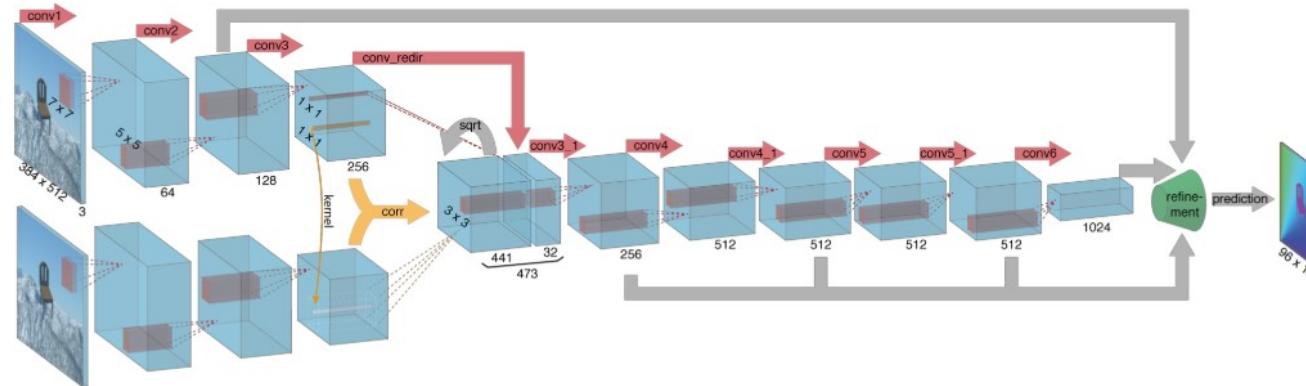


# DispNet

## DispNetSimple



## DispNetCorrelation

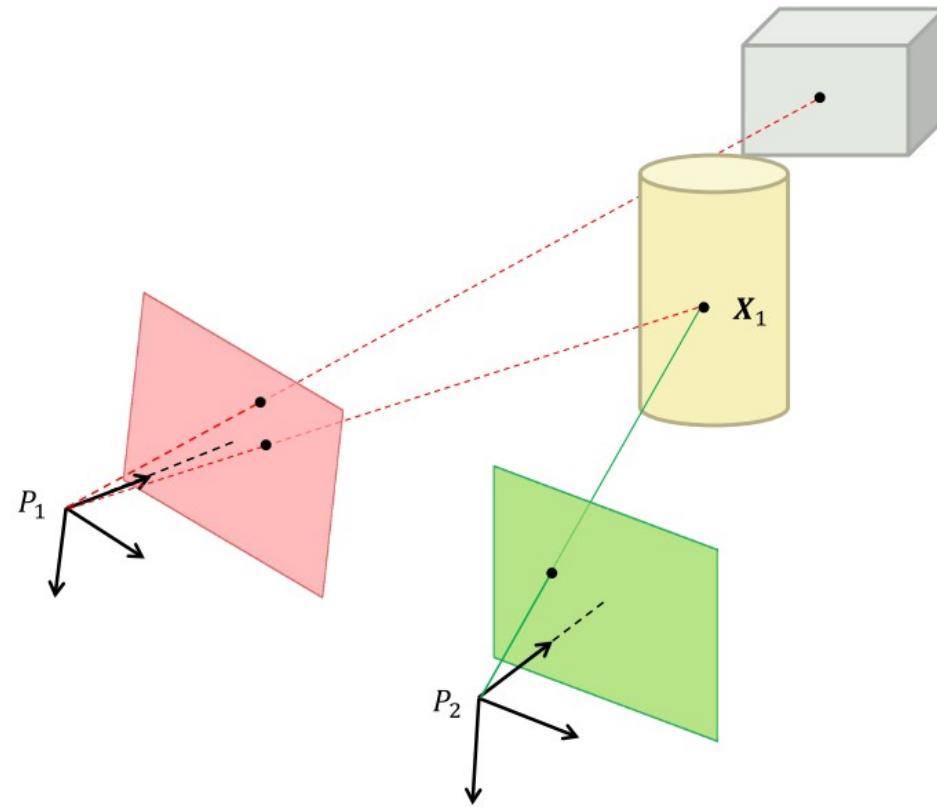


Dosovitskiy et al., FlowNet: Learning Optical Flow with Convolutional Networks (2015)

Mayer et al., A Large Dataset to Train Convolutional Networks for Disparity, Optical Flow, and Scene Flow Estimation (2016)

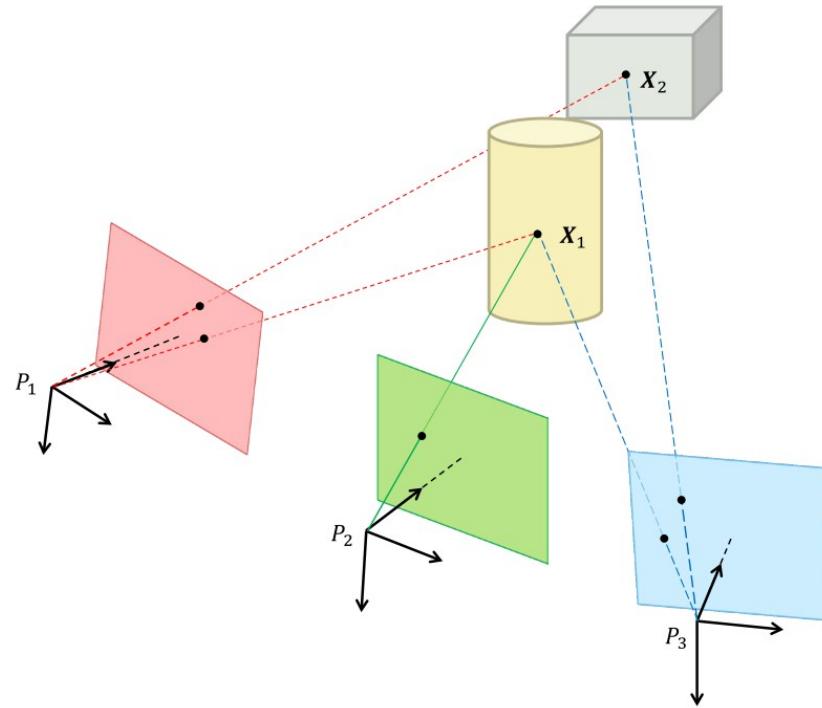
# Multiple-view stereo

- It is not always possible to find correct correspondences
  - E.g. due to occlusion



# Multiple-view stereo

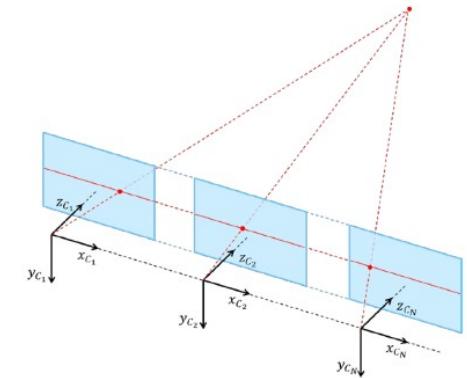
- Therefore, add more views
  - Can be used to verify correspondences
  - Can make reconstruction more robust to occlusion



# Multiple-view stereo

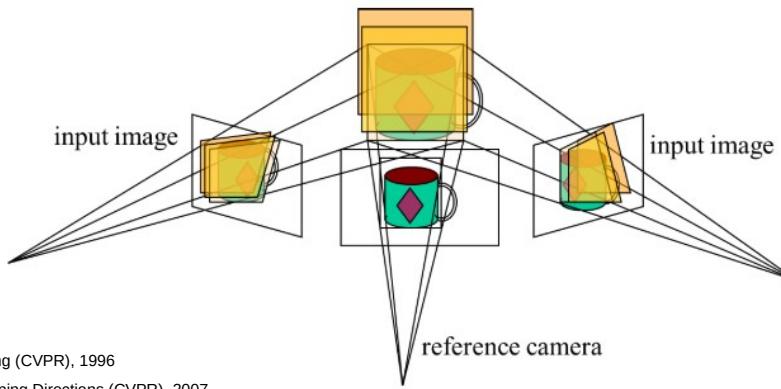
## 1. Rectification of several cameras to a common plane

- But rectification is complex for more views and large baselines



## 2. Plane sweep stereo

- Select a reference view
- Sweep some planes at different depths with respect to the reference camera



Collins, R.T. A space-sweep approach to true multi-image matching (CVPR), 1996

Gallup, D., Real-Time Plane-Sweeping Stereo with Multiple Sweeping Directions (CVPR), 2007

# Plane sweep

- Properties:

- Algorithm works with any number of cameras
- Rectification is not needed

- Define a family of depth planes:

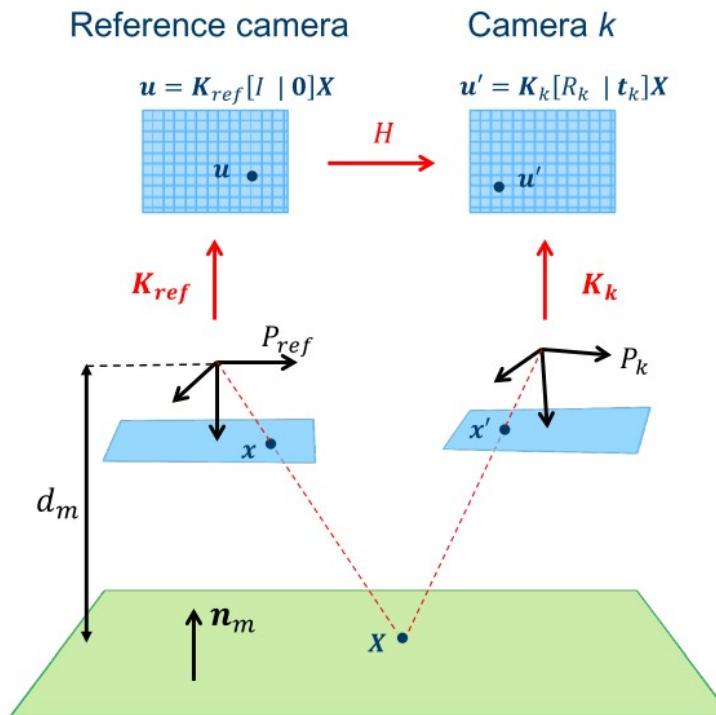
$$\Pi_m = [n_m^T \ -d_m]$$

- Mapping from reference camera to camera k

$$H_{\Pi_m, P_k} = K_k \left( R_k + \frac{t_k n_m}{d_m} \right) K_{ref}^{-1}$$

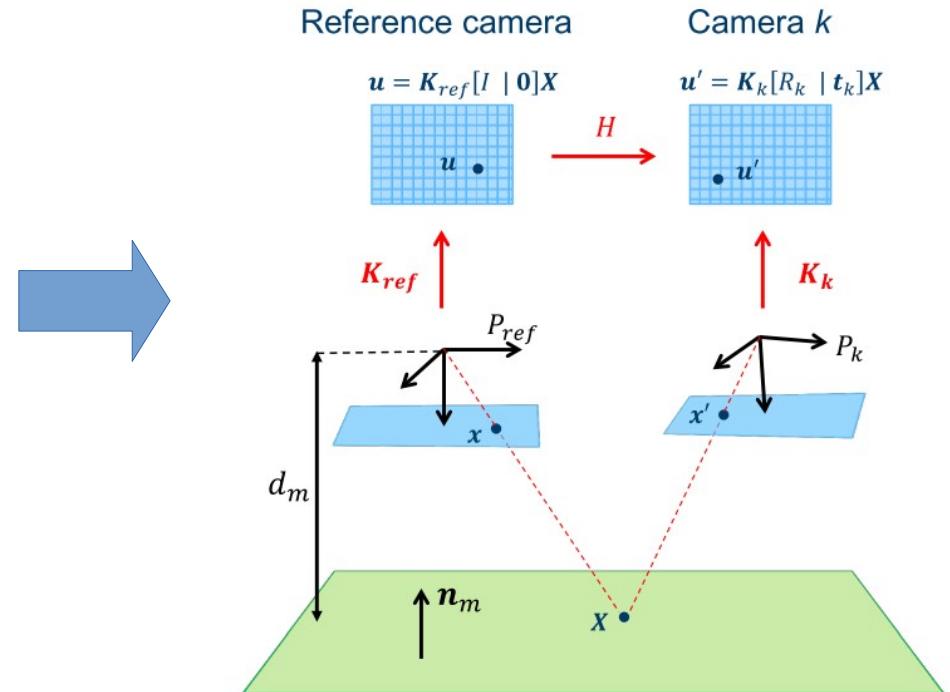
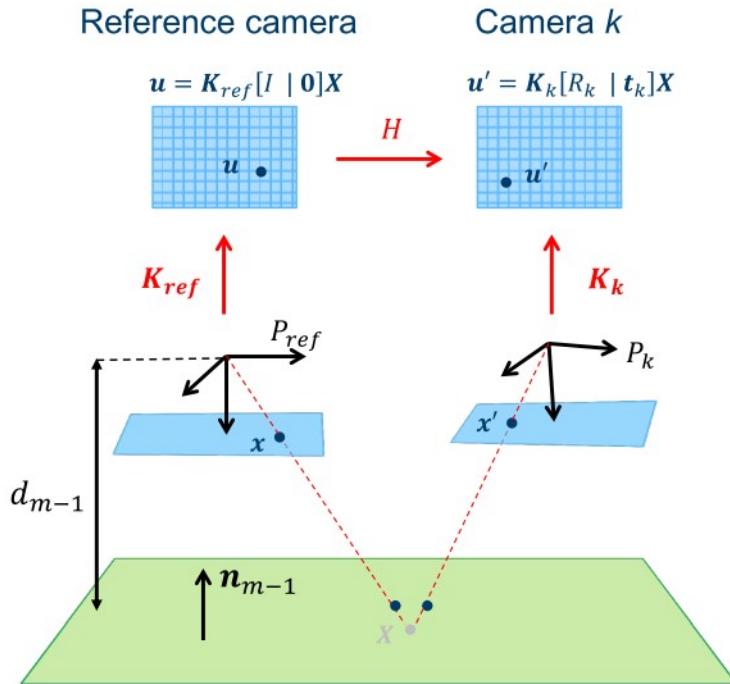
$$[x' \ y' \ w']^T = H_{\Pi_m, P_k} [x \ y \ 1]^T$$

$$x_k = \frac{x'}{w} \quad y_k = \frac{y'}{w}$$



# Plane sweep

- Sweep planes at different depths



# Plane sweep for multiple views

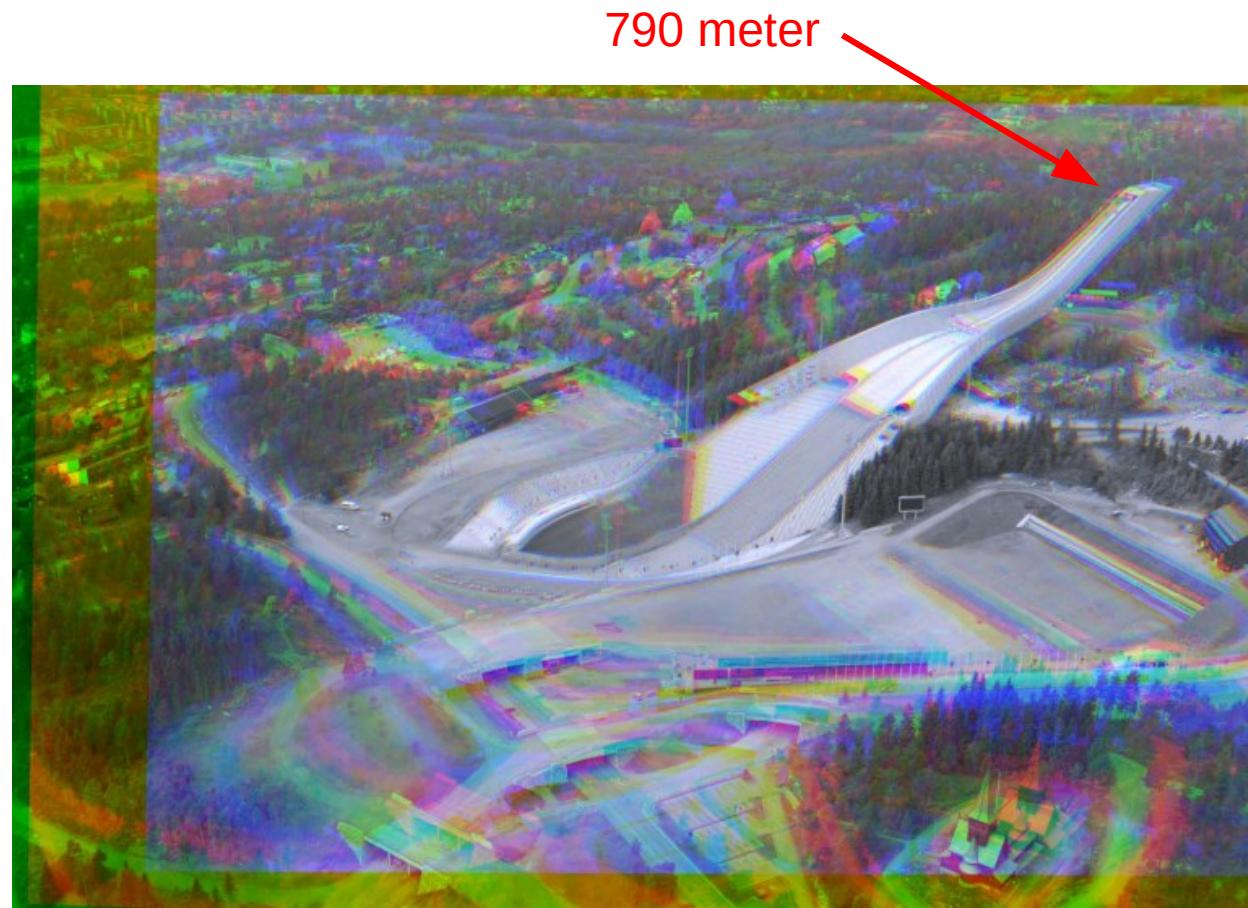
Red:



Green:



Blue:



# Plane sweep for multiple views

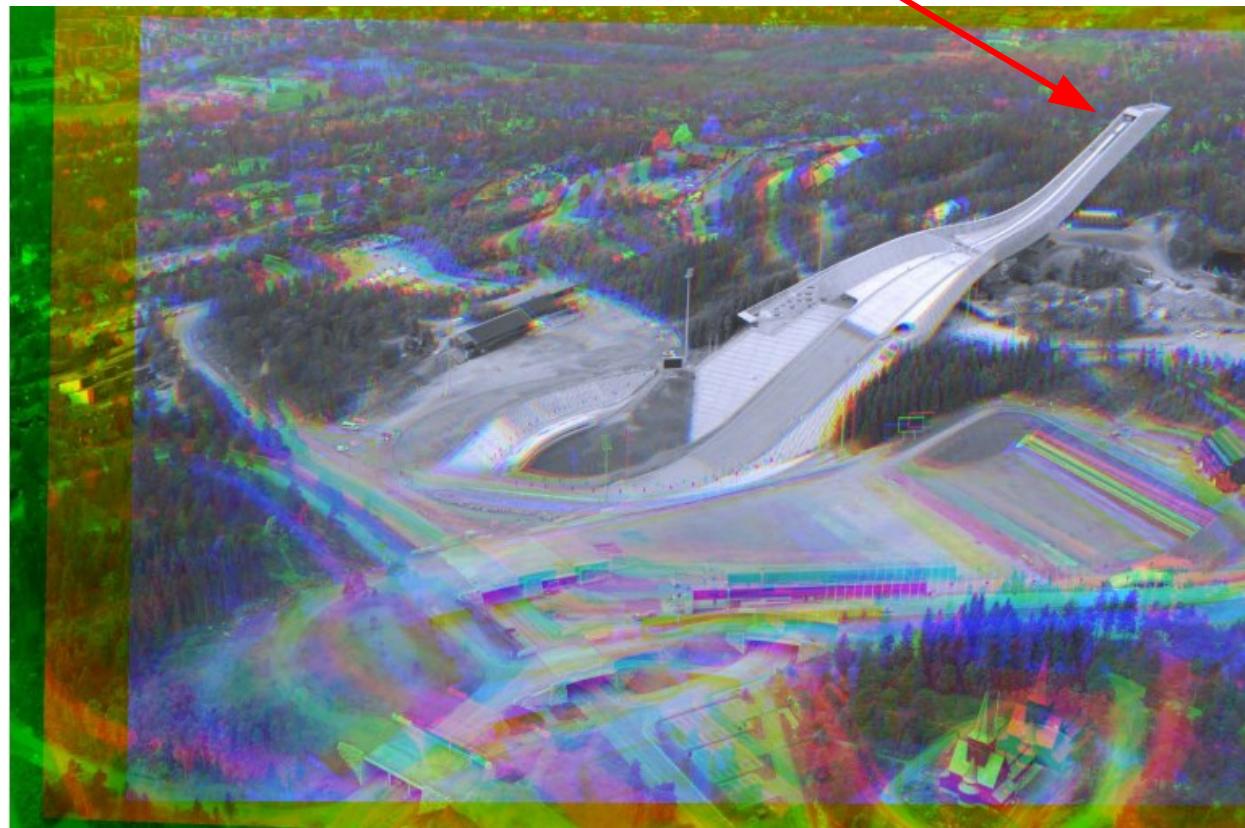
Red:



Green:



Blue:



sweep plane = 790 meter below reference camera

# Plane sweep for multiple views

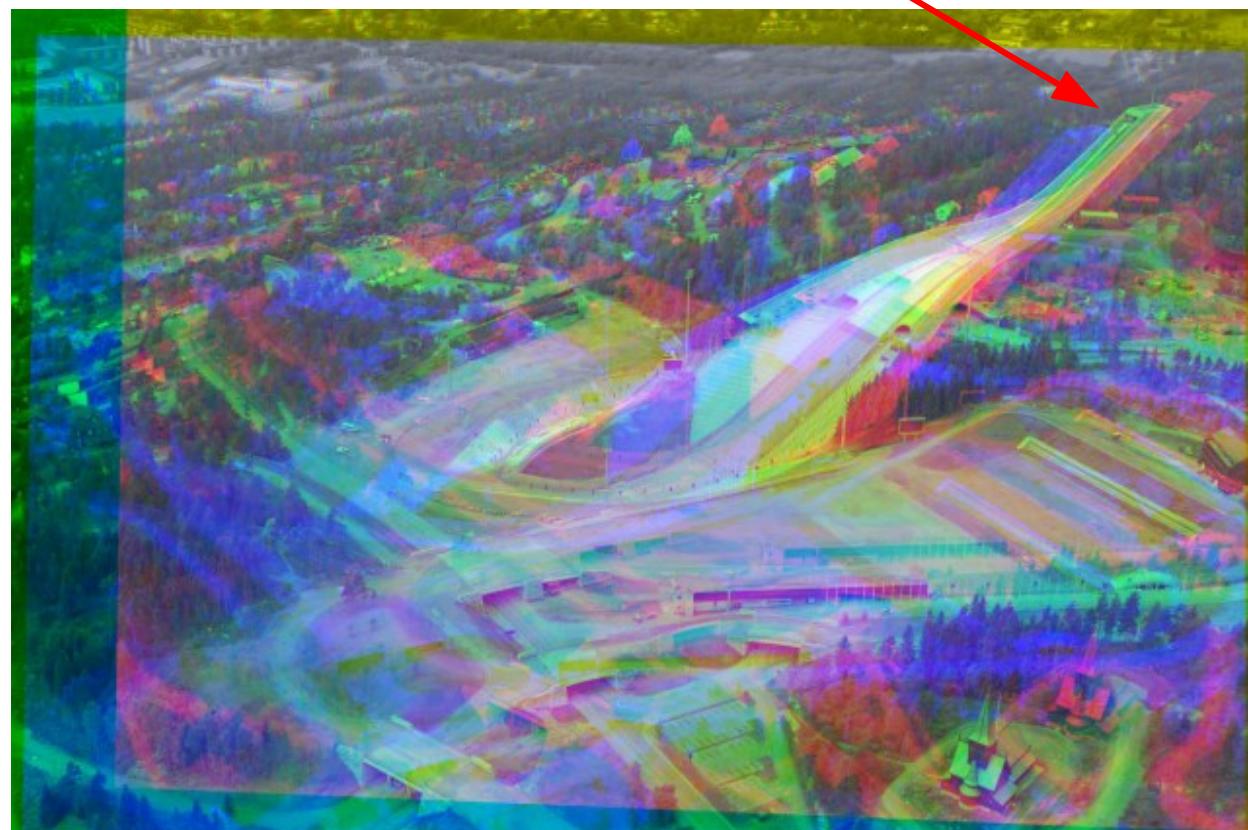
Red:



Green:



Blue:



# Plane sweep stereo

Algorithm:

- 1) Map each image to the reference image for each sweep plane with  $H_{\prod_m, P_k}^{-1}$
- 2) Compute the similarity between Patches<sub>W</sub> of the reference image and each warped image. Use e.g. normalized cross correlation

$$NCC(W_1, W_2) = \frac{\sum_x (W_1(x) - mean_1)(W_2(x) - mean_2)}{\sqrt{\sum_x (W_1(x) - mean_1)^2 \sum_x (W_2(x) - mean_2)^2}}$$

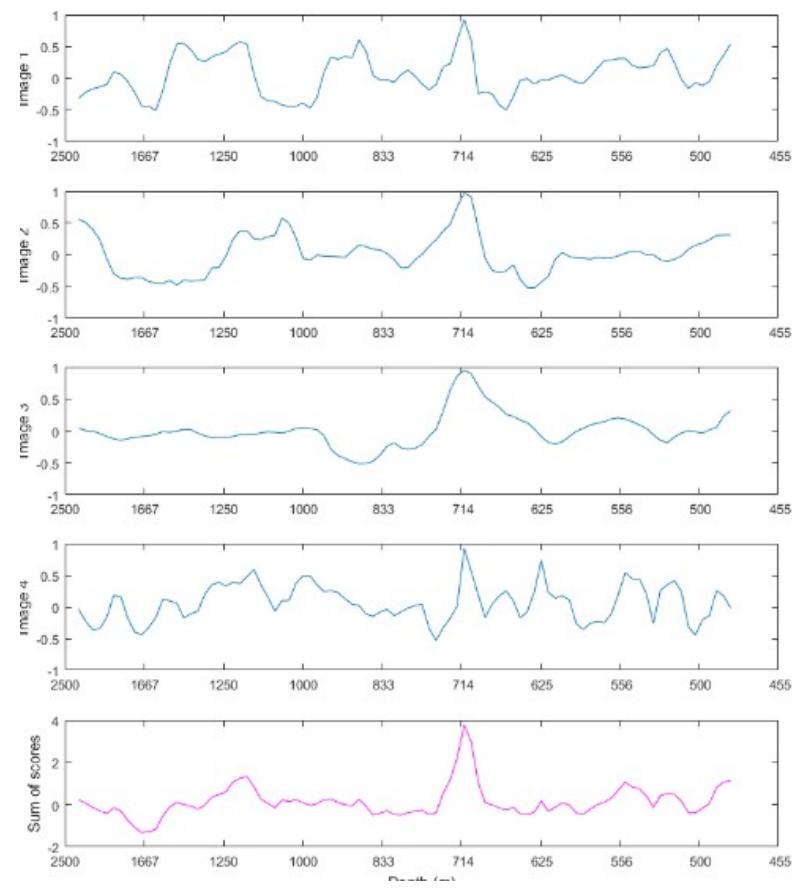
- 3) Do 2) for each camera and sum up

$$M(u, v, \prod_m) = \sum_k NCC_W(I_{ref}, I_{k,m})$$

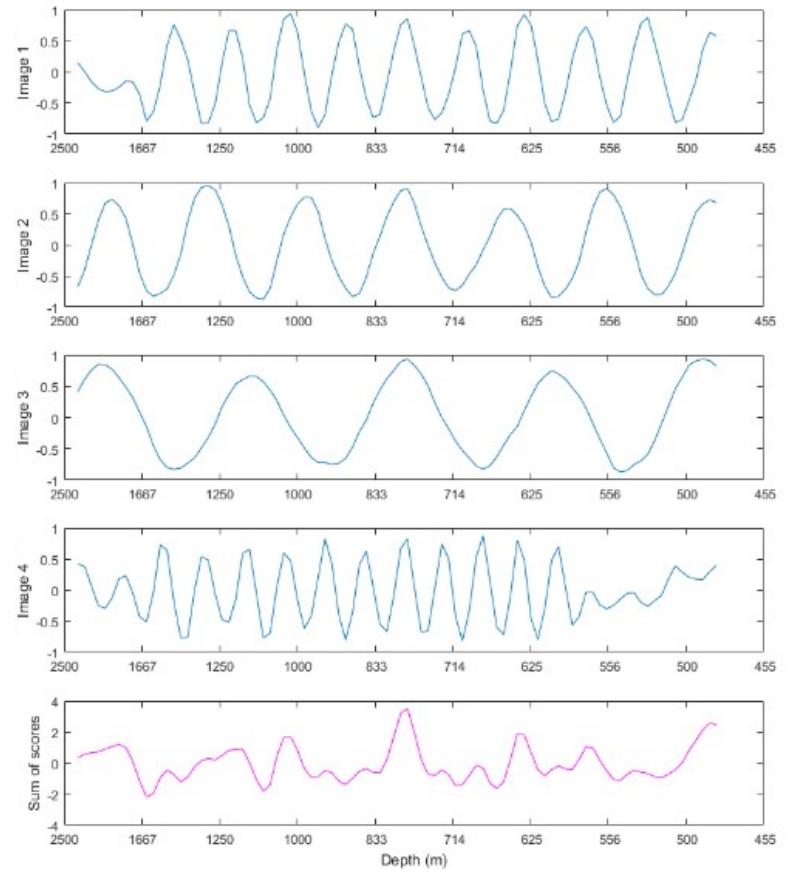
- 4) Select for each pixel the best depth plane

$$\prod_m(u, v) = \arg \max M(u, v, \prod_m)$$

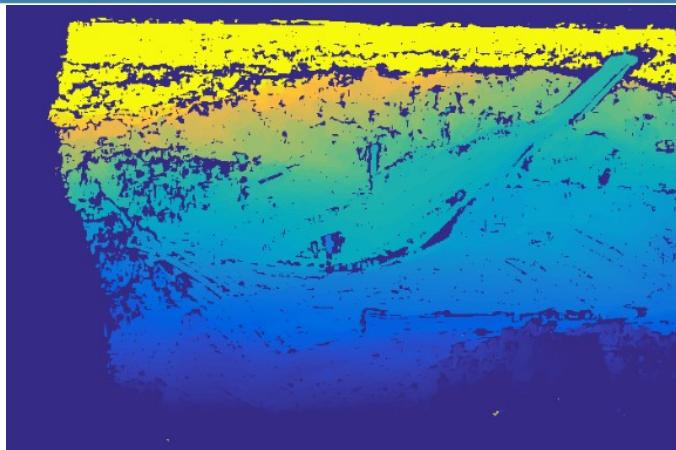
# Plane sweep example



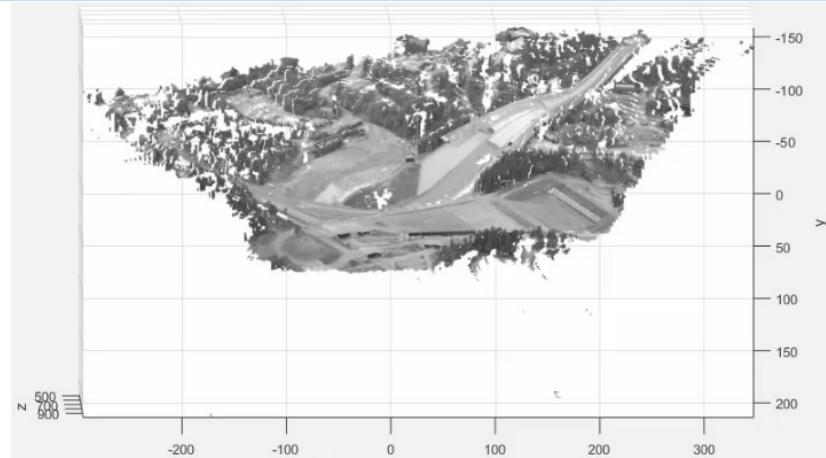
# Plane sweep in difficult areas



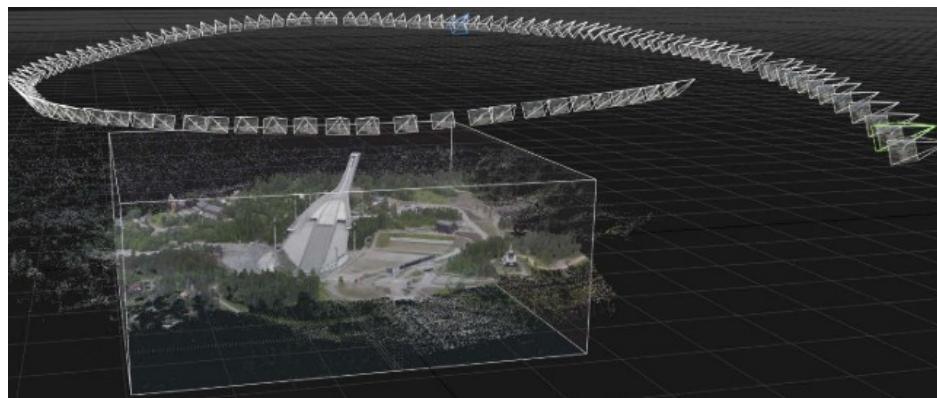
# Pointcloud reconstruction



Depth map



Pointcloud



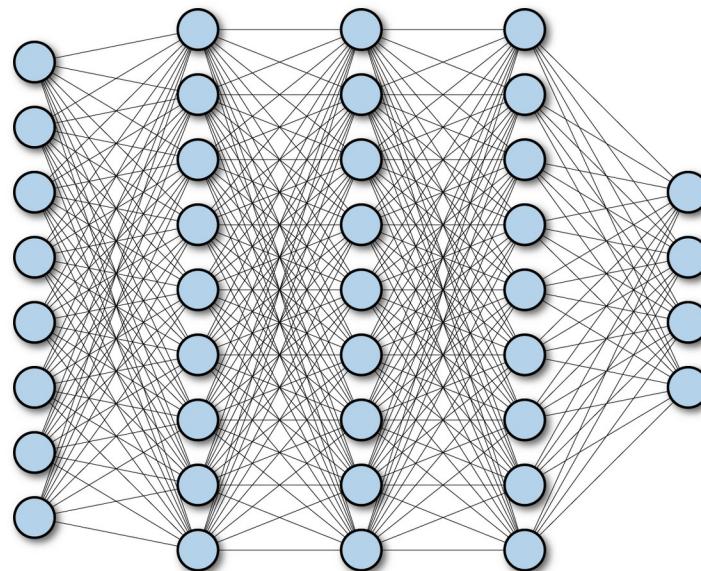
Choose a set of reference cameras

# Deep plane sweep stereo (DPSNet)

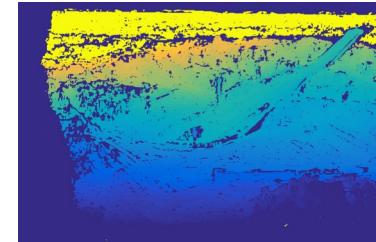
- End-to-End training
- Models the full plane sweep process



N-views

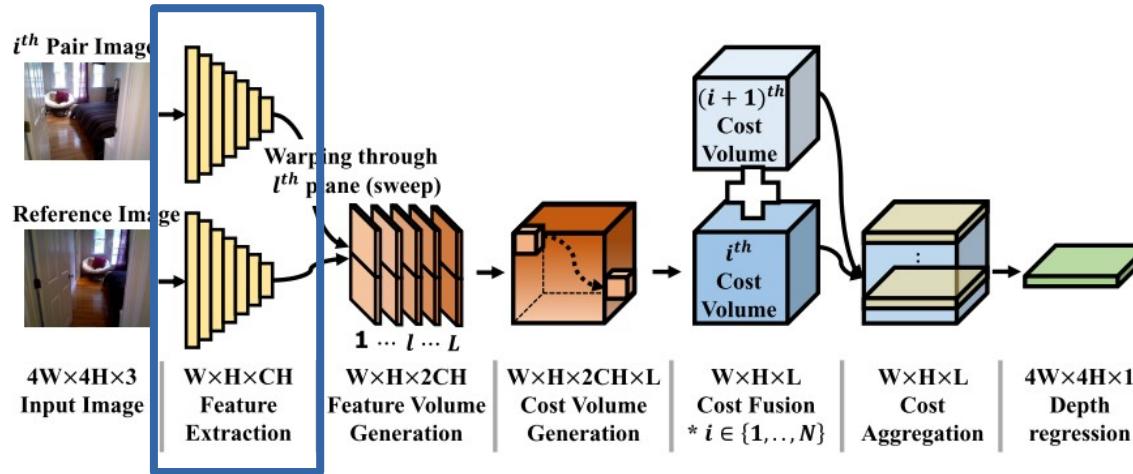


Neural Network



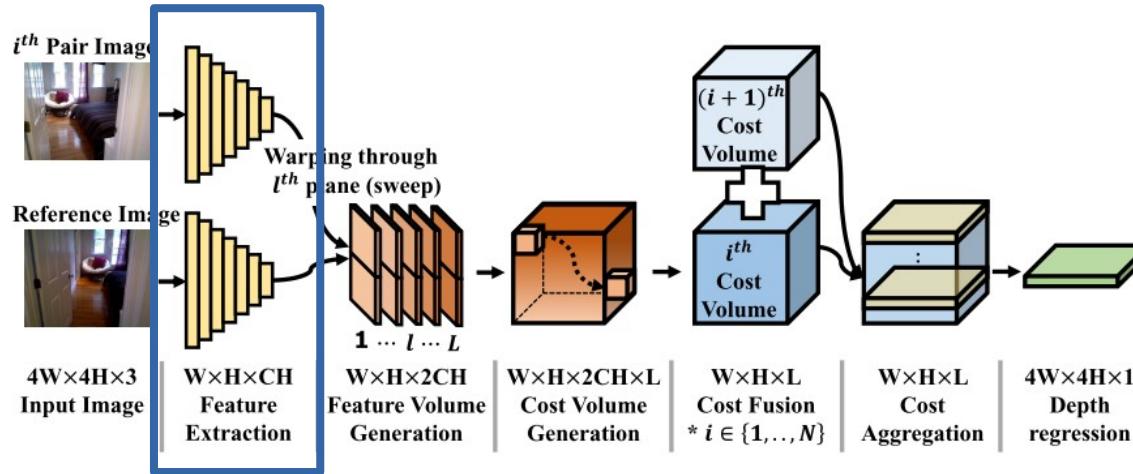
Disparity map

# DPSNet architecture

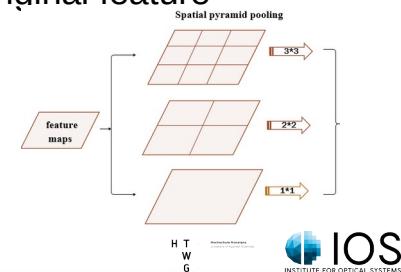


- 59 convolutional layer with batch normalization, ReLU and Residual connections
- Output:  $(B, F, H, W)$  Tensor, with
  - B: minibatchsize
  - F: number of features
  - H: height
  - W: width

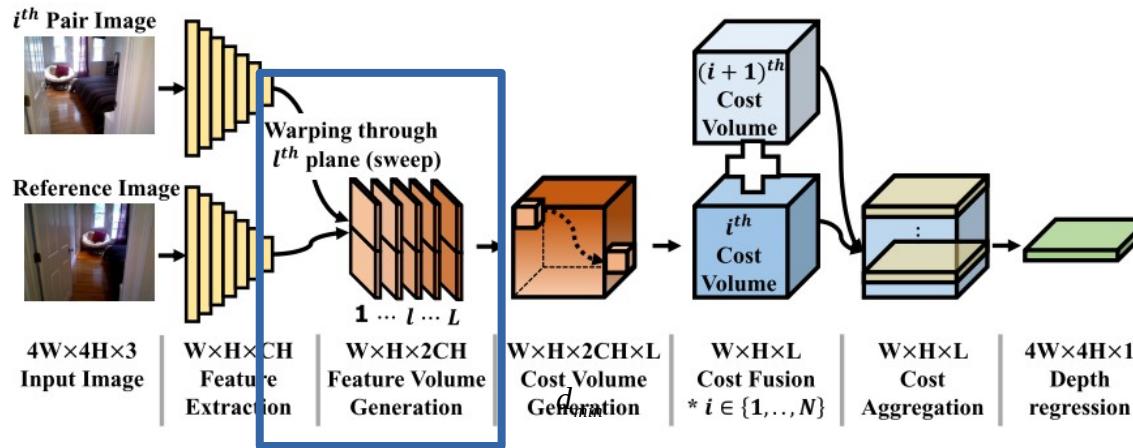
# DPSNet architecture



- Spatial pyramid pooling to extract multi-scale features (He et al. 2015)
  - Average pooling ( $16 \times 16, 8 \times 8, 4 \times 4, 2 \times 2$ )
  - Upsample the hierarchical contextual information to the same size as the original feature map
  - Concatenate all feature maps
  - Final convolutional layer to get for each input image 32 features maps



# DPSNet architecture



- Set the number of virtual planes perpendicular to the z-axis of the reference viewpoint and sample in the inverse-depth space:
  - $L$ : total number of depth labels
  - $d_{min}$ : minimum scene depth

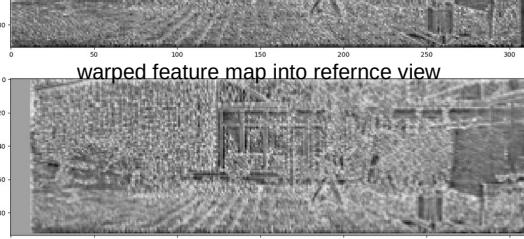
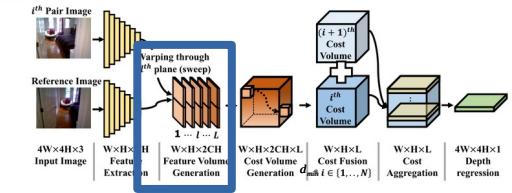
$$d_l = \frac{L \cdot d_{min}}{l}, (l=1, \dots, L)$$

# DPSNet architecture

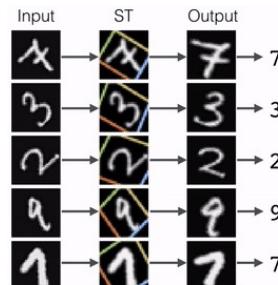
- Warp all features of the target view into reference view (same as in the classical plane sweep approach):

$$u_{ref} \sim K_{ref} [R_k | t_k] \begin{bmatrix} (K_k^{-1} u_k) d_l \\ 1 \end{bmatrix}$$

$u_{ref}, u_k$  homogenous coordinates of a pixel in reference view and target view k



- Use a spatial transformer network for the warping process (Jaderberg et al. 2015)



Jaderberg et al., Spatial Transformer Networks (2015)

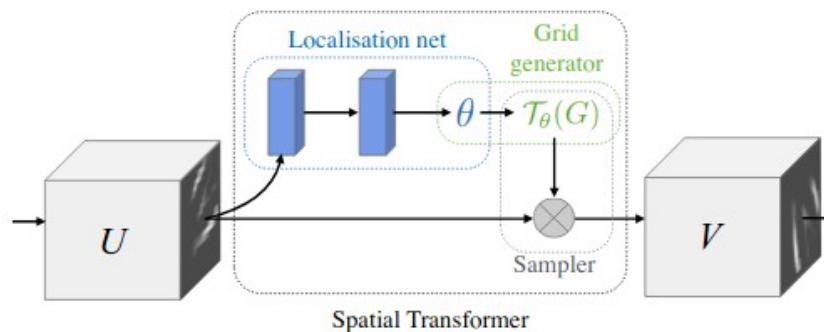
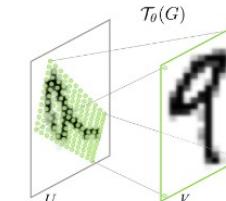
# Spatial Transformer Networks

- Spatial transformer is a differentiable module, giving neural networks the ability to actively spatially transform feature maps

**Localization network** regresses transformation parameters

**Grid generator** uses the parameters to compute a sampling grid

$$\begin{pmatrix} x_i^t \\ y_i^t \\ 1 \end{pmatrix} = \begin{bmatrix} \theta_{11} & \theta_{12} & \theta_{13} \\ \theta_{21} & \theta_{22} & \theta_{23} \end{bmatrix} \begin{pmatrix} x_i^t \\ y_i^t \\ 1 \end{pmatrix}$$

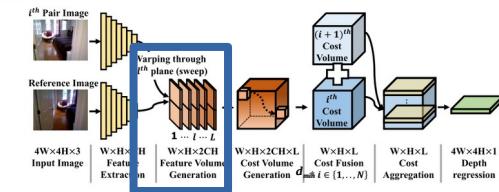


**Sampler** uses bilinear interpolation to produce output  $V_i^c = \sum_n^H \sum_m^W U_{nm}^c \max(0, 1 - |x_i^s - m|) \max(0, 1 - |y_i^s - n|)$

# DPSNet architecture

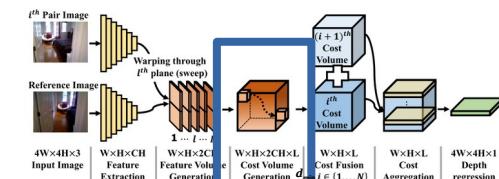
- Output Tensor after warping has shape of [B, 2F, D, H, W]

D: number of depth planes

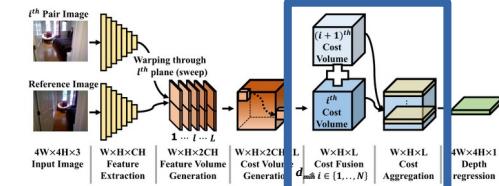


- Use a series of 3d convolutions to learn the cost volume generation

- Output tensor of shape [B, D, H, W]

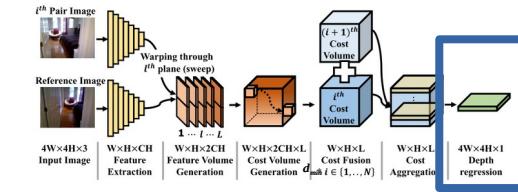


- In the training step use only one paired image
- In the testing step use any number of paired images by averaging the cost volumes



# DPSNet architecture

- Regress continuous depth values
  - But argmin function is:
    - Discrete and unable to produce sub-pixel disparity
    - Not differentiable



- Therefore, compute a soft argmin which is differentiable

$$\hat{d} = \frac{L \times d_{min}}{\tilde{l}} \quad \tilde{l} = \sum_{l=1}^L l \times \text{softmax}(c_l)$$

- Training loss:

$$L(\theta) = \sum_x |\hat{d}_x^\theta - d_x^g|_H$$

where  $H$  is SmoothL1 loss

# DPSNet Results

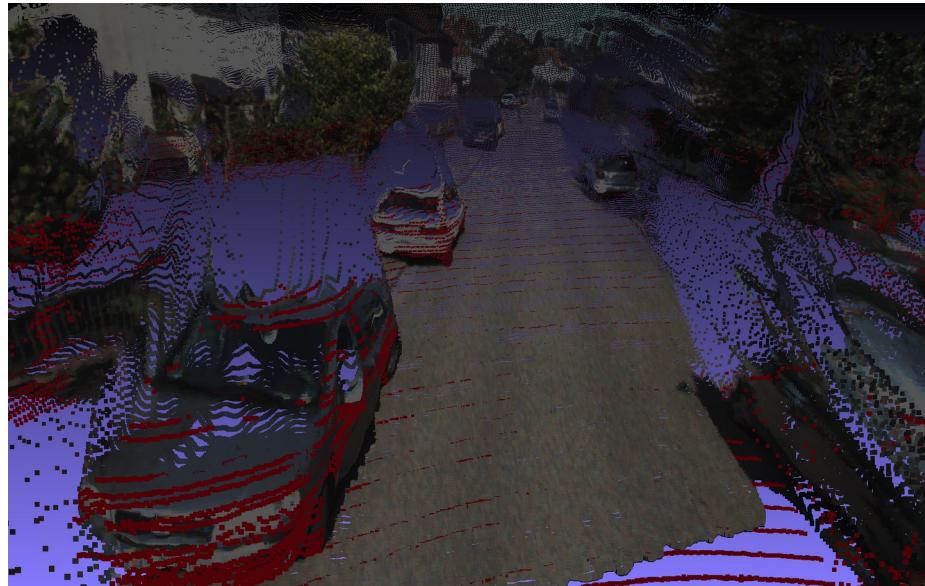
Input images



Disparity map

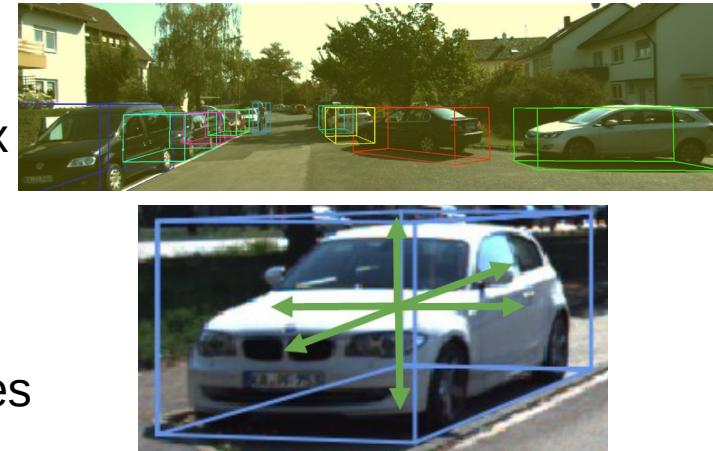


Pointcloud +  
Lidar pointcloud  
(red)



# 3d Object Detection

- Localize and classify objects in the scene
- Represent a detected object with a bounding box
  - Position (X, Y, Z)
  - Dimension (H, W, D)
- Axis aligned and non axis aligned bounding boxes
- Kitti dataset provide ~7000 annotated frames + synced lidar, gps, imu data

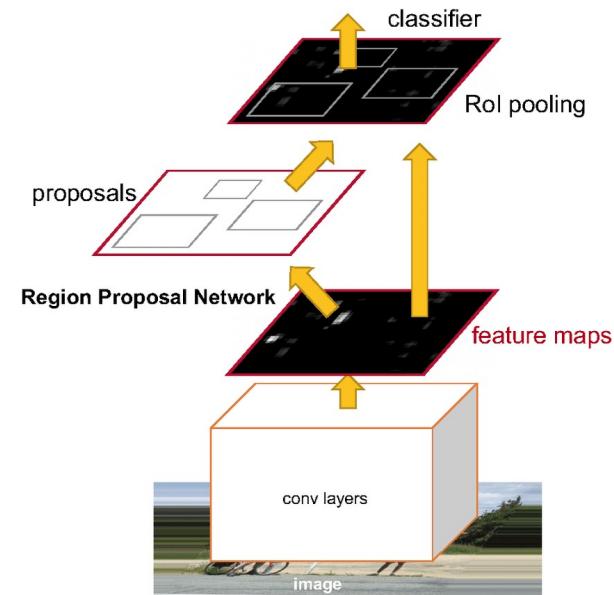


	Method	Setting	Code	Moderate	Easy	Hard	Runtime	Environment	Compare
1	HRI-ADLab-HZ			82.83 %	89.00 %	76.00 %	0.1 s	1 core @ 2.5 Ghz (C/C++)	<input type="checkbox"/>
2	Sf-SSD	<input checked="" type="checkbox"/>		82.54 %	91.49 %	77.15 %	0.03 s	1 core @ 2.5 Ghz (Python + C/C++)	<input type="checkbox"/>
3	EA-M-RCNN(BorderAtt)			82.33 %	87.77 %	77.37 %	0.08 s	1 core @ 2.5 Ghz (C/C++)	<input type="checkbox"/>
4	HUAWEI Octopus			82.13 %	88.26 %	77.41 %	0.1 s	1 core @ 2.5 Ghz (C/C++)	<input type="checkbox"/>
5	ADLAB			82.08 %	90.92 %	77.36 %	0.05 s	1 core @ >3.5 Ghz (C/C++)	<input type="checkbox"/>

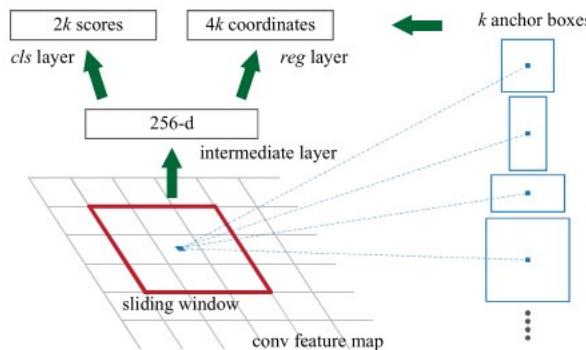
111	UM3D_TUM			0.62 %	0.45 %	0.62 %	0.05 s	1 core @ 2.5 Ghz (Python)	<input type="checkbox"/>
112	MonoRUn			0.61 %	1.01 %	0.48 %	0.07 s	GPU @ 2.5 Ghz (Python + C/C++)	<input type="checkbox"/>
113	Shift R-CNN (mono)	<input checked="" type="checkbox"/>	code	0.29 %	0.48 %	0.31 %	0.25 s	GPU @ 1.5 Ghz (Python)	<input type="checkbox"/>
A.	Naiden, V. Paunescu, G. Kim, B. Jeon and M. Leordeanu: <a href="#">Shift R-CNN: Deep Monocular 3D Object Detection With Closed-form Geometric Constraints</a> , ICP 2019.								
114	PVNet			0.00 %	0.00 %	0.00 %	0.1 s	1 core @ 2.5 Ghz (Python)	<input type="checkbox"/>
115	mBoW	<input checked="" type="checkbox"/>		0.00 %	0.00 %	0.00 %	10 s	1 core @ 2.5 Ghz (C/C++)	<input type="checkbox"/>

# Recap 2d object detection

- Faster R-CNN for 2d object detection (Ren et al. 2015)

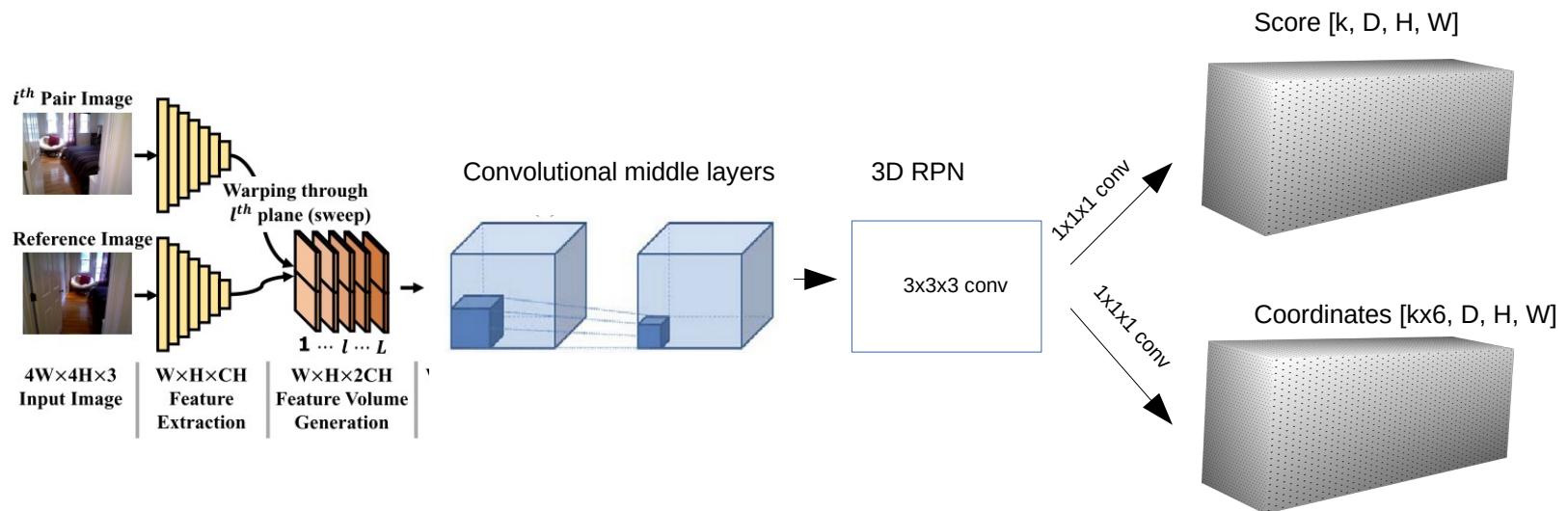


- Sliding Region Proposal Network



# 3d region proposal

- 1) Use a multi-view backbone like first part of DPSNet
- 2) Convolutional middle layers
- 3) 3d Region Proposal Network



# Loss

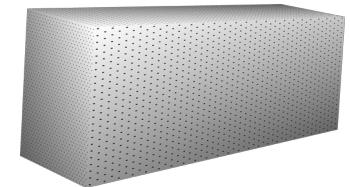
- Assign labels to output volume
  - Labels are (X, Y, Z, L, W, H) of the bounding box
  - Compute 3d position for each pixel in the output volume

$$Z = D$$

$$X = -Z \frac{(x + c_x)}{f}$$

$$Y = -Z \frac{(y + c_y)}{f}$$

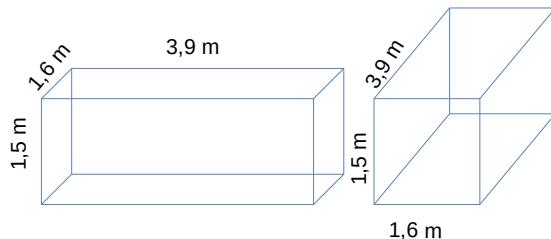
Coordinates [kx6, D, H, W]



Network output

- Define anchor boxes for the objects

- e.g. for cars



# Loss

- Compute intersection over union between ground truth boxes and anchor boxes
- Define a residual vector  $u^x$  with the positive anchor parameters  $(x^a, y^a, z^a, l^a, w^a, h^a)$  and the ground truth parameters  $(x^g, y^g, z^g, l^g, w^g, h^g)$  as

$$\begin{aligned}\Delta x &= \frac{x_c^g - x_c^a}{d^a}, \Delta y = \frac{y_c^g - y_c^a}{d^a}, \Delta z = \frac{z_c^g - z_c^a}{h^a}, \\ \Delta l &= \log\left(\frac{l^g}{l^a}\right), \Delta w = \log\left(\frac{w^g}{w^a}\right), \Delta h = \log\left(\frac{h^g}{h^a}\right), \\ \text{where } d^a &= \sqrt{(l^a)^2 + (w^a)^2}\end{aligned}$$

Loss function, same as VoxelNet (Zhou and Tuzel):

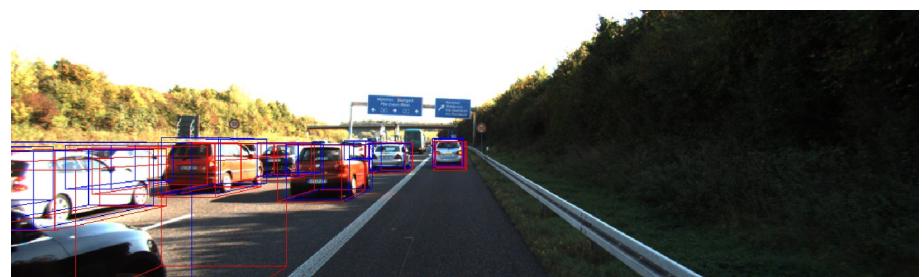
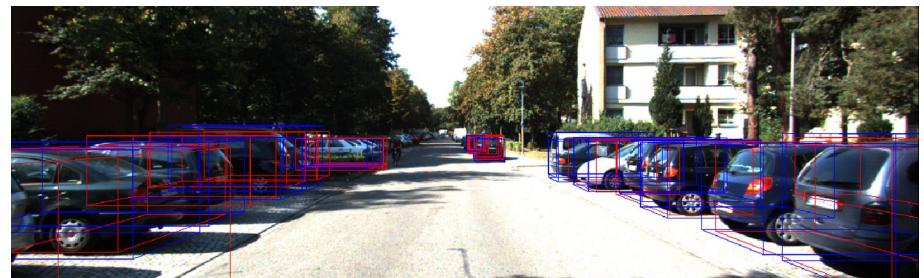
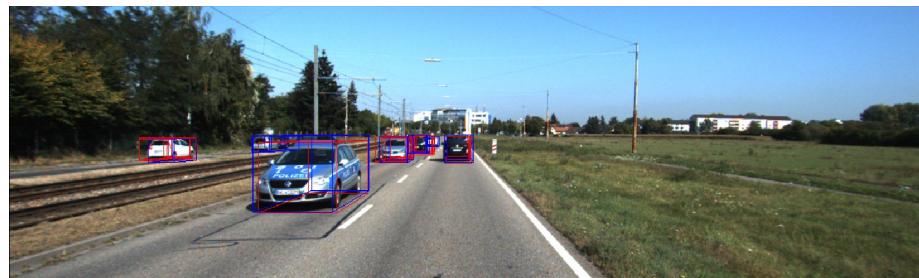
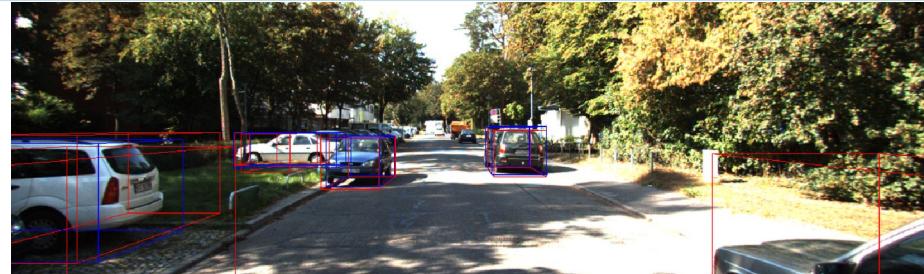
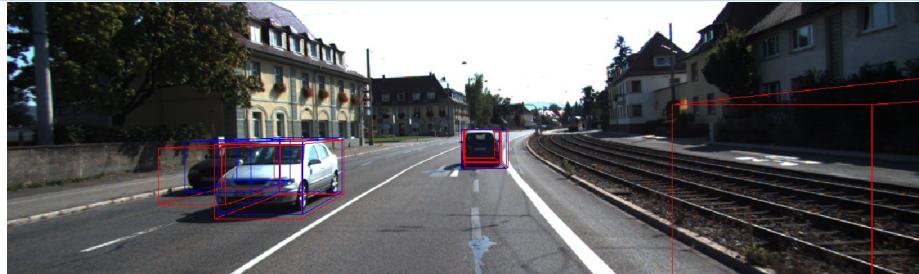
$$\begin{aligned}L &= \alpha \frac{1}{N_{\text{pos}}} \sum_i L_{\text{cls}}(p_i^{\text{pos}}, 1) + \beta \frac{1}{N_{\text{neg}}} \sum_j L_{\text{cls}}(p_j^{\text{neg}}, 0) \\ &+ \frac{1}{N_{\text{pos}}} \sum_i L_{\text{reg}}(\mathbf{u}_i, \mathbf{u}_i^*)\end{aligned}$$

Regression loss: Smooth L1

Classification: Binary Cross-entropy

Positive, if IoU > 0,6, negative if IoU < 0,3

# Qualitative results



Red: Network output  
Blue: Axis aligned ground truth

# References

- Many pictures and slides are from „Lecture 8.3 Multiple-view stereo, Trym Vegard Haavardsholm“
- Some slides are inspired by „KI & Autonomes Fahren: Sehen lernen um fahren zu lernen, Andreas Geiger“ <https://www.youtube.com/watch?v=HKsqhHuQqxE&t=212s>
- Lecture Robotics 2, Uni Freiburg, Barbera Frank  
<http://ais.informatik.uni-freiburg.de/teaching/ws10/robotics2/pdfs/rob2-10-camera-calibration.pdf>
- Lecture 6 Computer Vision, HTWG Konstanz, Matthias O. Franz
- See the references in the footnote of the slides

# Thanks for your attention!

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