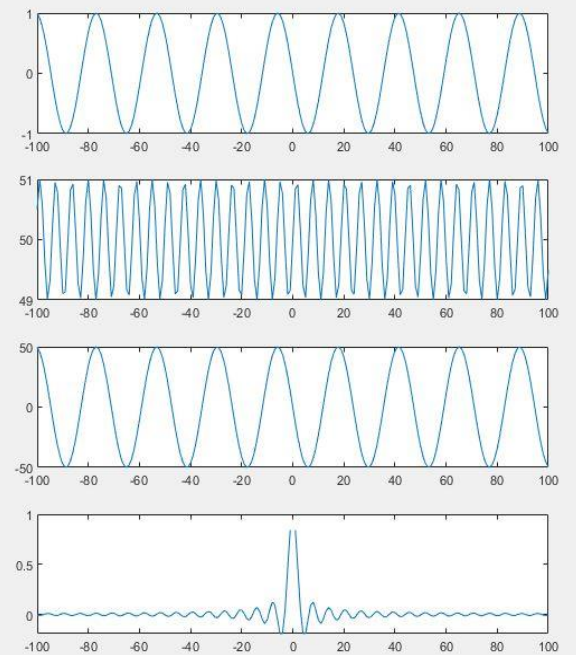
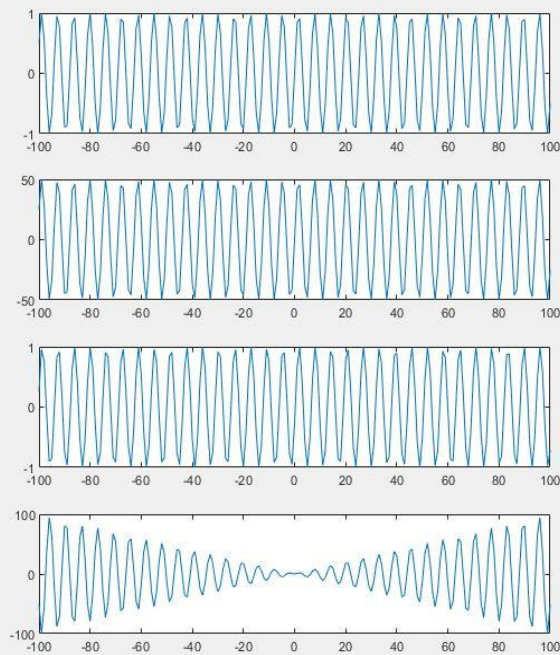


CMPE362-SIGNAL PROCESSING  
PROJECT 1  
REPORT

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2015400165

### **Problem 1**

```
1 %Problem 1
2 figure;
3 x = -100:100;
4 subplot(4,2,1);
5 y1= sin(x);
6 plot(x,y1);
7 subplot(4,2,2);
8 y2= sin(50*x);
9 plot(x,y2);
10 subplot(4,2,3);
11 y3= 50*sin(x);
12 plot(x,y3);
13 subplot(4,2,4);
14 y4= sin(x)+50;
15 plot(x,y4);
16 subplot(4,2,5);
17 y5= sin(x+50);
18 plot(x,y5);
19 subplot(4,2,6);
20 y6= 50.*sin(50*x);
21 plot(x,y6);
22 subplot(4,2,7);
23 y7= x.*sin(x);
24 plot(x,y7);
25 subplot(4,2,8);
26 y8= sin(x)./x;
27 plot(x,y8);
28
```



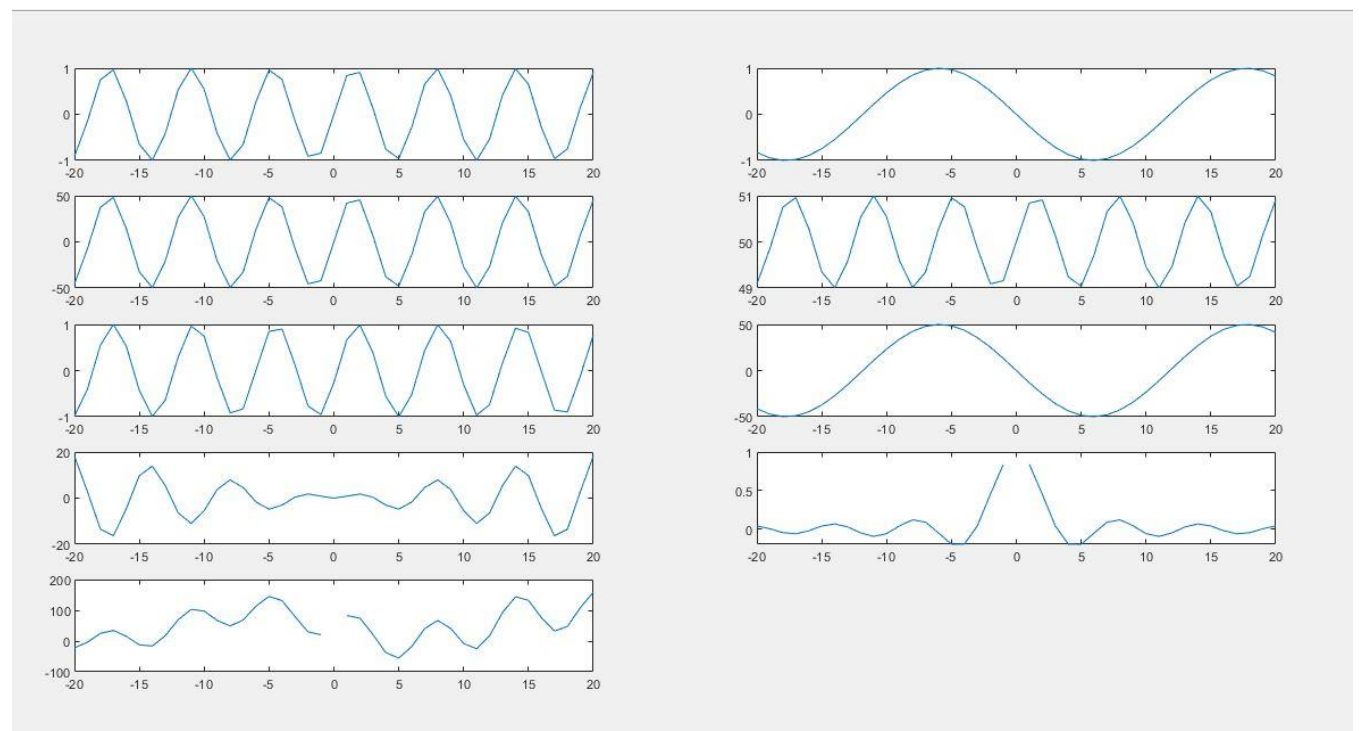
From this question I learned how to do elementary multiplication and division. I didn't know that I needed to use . operator so till I learned that it was a little difficult for me. Also when I saw the plots, I learned how any arithmetic operation affects the sinusoid signal.  $X \cdot \sin(x)$  and  $\sin(x)/x$ 's plots were especially interesting to see.

## **Problem 2**

```

36 %Problem 2
37 - figure;
38 - x = -20:20;
39 - subplot(5,2,1);
40 - y1= sin(x);
41 - plot(x,y1);
42 - subplot(5,2,2);
43 - y2= sin(50*x);
44 - plot(x,y2);
45 - subplot(5,2,3);
46 - y3= 50*sin(x);
47 - plot(x,y3);
48 - subplot(5,2,4);
49 - y4= sin(x)+50;
50 - plot(x,y4);
51 - subplot(5,2,5);
52 - y5= sin(x+50);
53 - plot(x,y5);
54 - subplot(5,2,6);
55 - y6= 50.*sin(50*x);
56 - plot(x,y6);
57 - subplot(5,2,7);
58 - y7= x.*sin(x);
59 - plot(x,y7);
60 - subplot(5,2,8);
61 - y8= sin(x)./x;
62 - plot(x,y8);
63 - subplot(5,2,9);
64 - y9= y1+y2+y3+y4+y5+y6+y7+y8;
65 - plot(x,y9);

```



This question was very similar to the previous question. The difference in this question is that the plots here is drawn in a more limited x line, which makes the plots look less

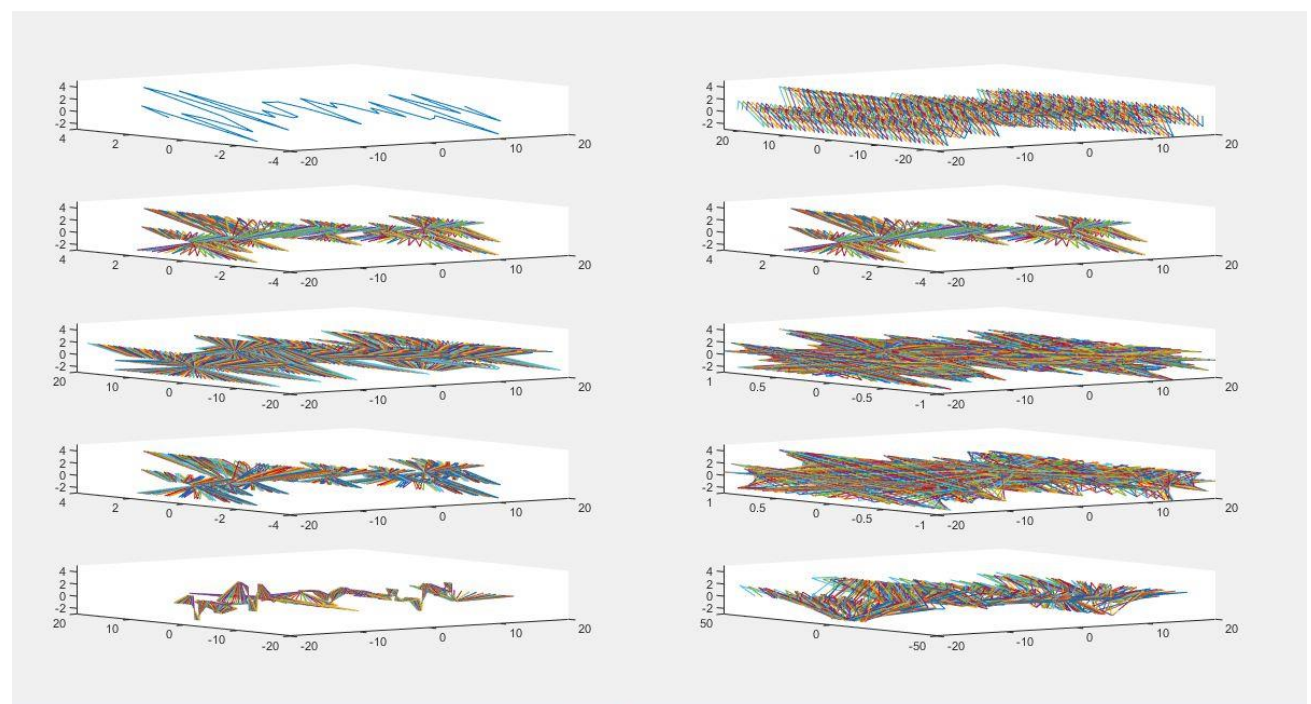
smooth. Because there is less x points here the plots look not circular but as a addition of linear lines.

### **Problem 3**

```

5
6     %Problem 3
7     figure;
8     z=randn(41,1);
9     subplot(5,2,1);
10    y10= z;
11    plot3(x,y10,z);
12    subplot(5,2,2);
13    y11= x+z;
14    plot3(x,y11,z);
15    subplot(5,2,3);
16    y12= z*sin(x);
17    plot3(x,y12,z);
18    subplot(5,2,4);
19    y13= z.*sin(x);
20    plot3(x,y13,z);
21    subplot(5,2,5);
22    y14= x.*sin(z);
23    plot3(x,y14,z);
24    subplot(5,2,6);
25    y15= sin(x+z);
26    plot3(x,y15,z);
27    subplot(5,2,7);
28    y16= z.*sin(50*x);
29    plot3(x,y16,z);
30    subplot(5,2,8);
31    y17= sin(x+50*z);
32    plot3(x,y17,z);
33    subplot(5,2,9);
34    y18= sin(x)./z;
35    plot3(x,y18,z);
36    subplot(5,2,10);
37    y19= y11+y12+y13+y14+y15+y16+y17+y18;
38    plot3(x,y19,z);
39

```

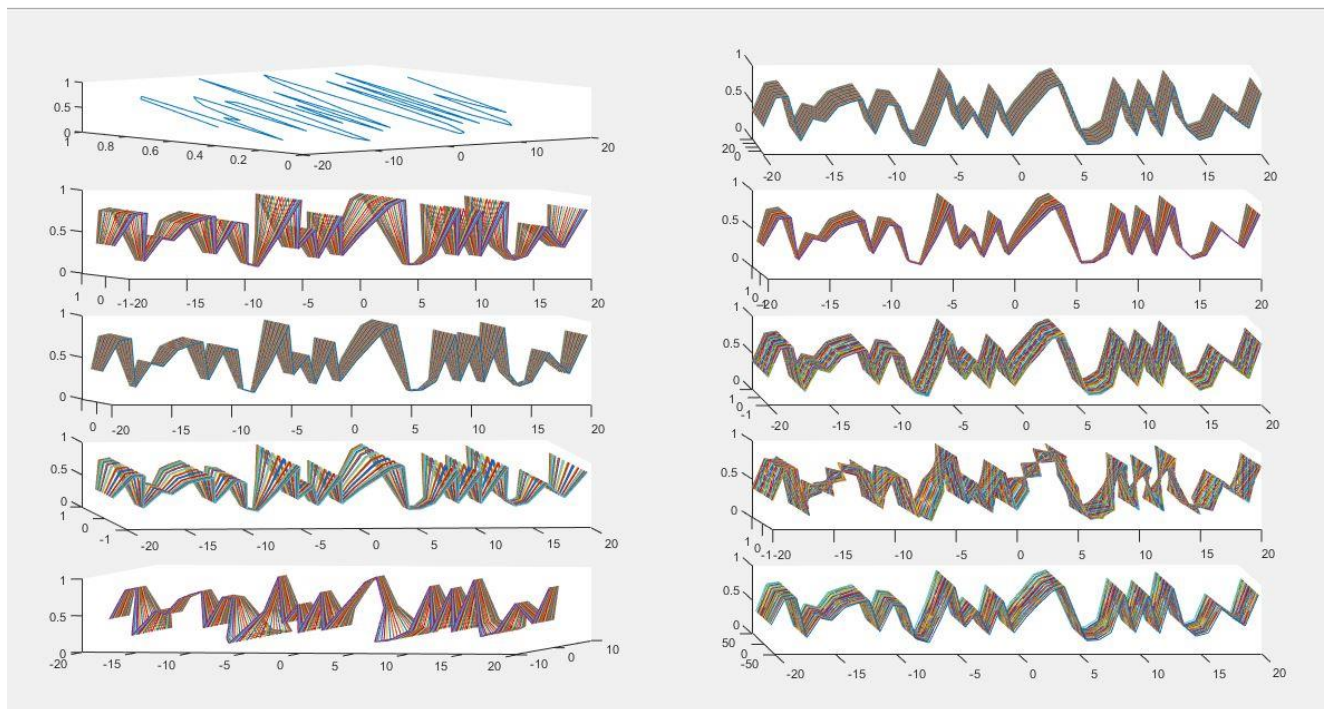


Here in this question, aside from x and y values, we have an extra variable which is z. z is a unit random variable with a normal distribution, that has mean 0 and it can be created with randn function of MATLAB. Plotting this question was a little tricky as it has three variables. I found the plot3 function of MATLAB, that helps to draw 3d plots. The plot is a little hard to understand as we had three variables to consider.

#### **Problem 4**

```
%Problem 4
figure;
z=rand(41,1);
subplot(5,2,1);
y20= z;
plot3(x,y20,z);
subplot(5,2,2);
y21= x+z;
plot3(x,y21,z);
subplot(5,2,3);
y22= z*sin(x);
plot3(x,y22,z);
subplot(5,2,4);
y23= z.*sin(x);
plot3(x,y23,z);
subplot(5,2,5);
y24= x.*sin(z);
plot3(x,y24,z);
subplot(5,2,6);
y25= sin(x+z);
plot3(x,y25,z);
subplot(5,2,7);
y26= z.*sin(50*x);
plot3(x,y26,z);
subplot(5,2,8);
y27= sin(x+50*z);
plot3(x,y27,z);
subplot(5,2,9);
y28= sin(x)./z;
plot3(x,y28,z);
subplot(5,2,10);
y29= y21+y22+y23+y24+y25+y26+y27+y28;
plot3(x,y29,z);
```





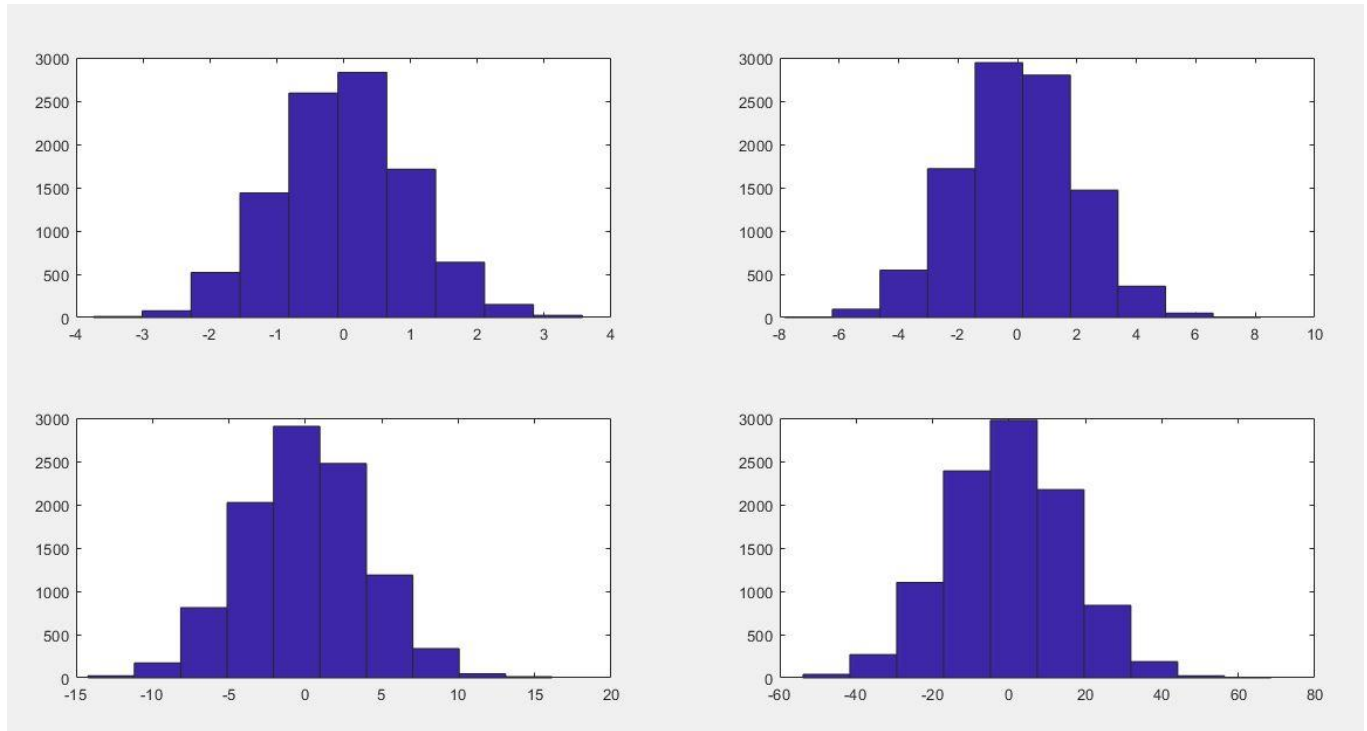
This question had the similar calculation as the previous questions. But this time we add a uniformly distributed variable  $z$  which can be created with `rand` function to the plot. The smooth sinusoidal signals become a little distorted after addition of  $z$ . The question was a good opportunity to analyze the change of the wave.

### **Problem 5**

```

63
64 %Problem 5
65 figure;
66 r1 = 1.*randn(10000,1) + 0;
67 r2 = 2.*randn(10000,1) + 0;
68 r3 = 4.*randn(10000,1) + 0;
69 r4 = 16.*randn(10000,1) + 0;
70 subplot(2,2,1);
71 hist(r1);
72 subplot(2,2,2);
73 hist(r2);
74 subplot(2,2,3);
75 hist(r3);
76 subplot(2,2,4);
77 hist(r4);
78

```



In this question, I learned how to create random variables with certain standard deviation with using the `randn` function which gives a Gaussian distributed variable with mean 0. Also I learned how to use `hist` function. But in the MathWorks web site, it said that we shouldn't use `hist` but use a better function that is named `histogram`. I used `hist` anyway because it was stated in the project description.

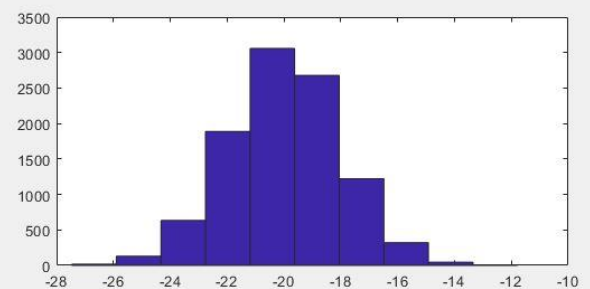
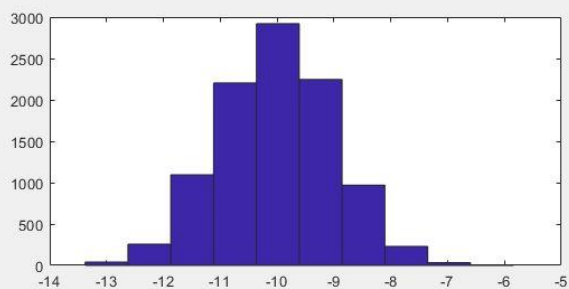
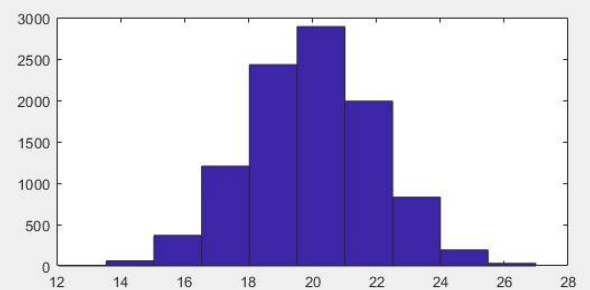
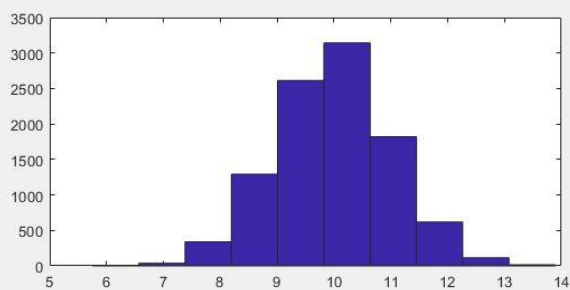
### **Problem 6**



```

179 %Problem 6
180 figure;
181 r6 = 1.*randn(10000,1) + 10;
182 r7 = 2.*randn(10000,1) + 20;
183 r8 = 1.*randn(10000,1) - 10;
184 r9 = 2.*randn(10000,1) - 20;
185 subplot(2,2,1);
186 hist(r6);
187 subplot(2,2,2);
188 hist(r7);
189 subplot(2,2,3);
190 hist(r8);
191 subplot(2,2,4);
192 hist(r9);
193

```



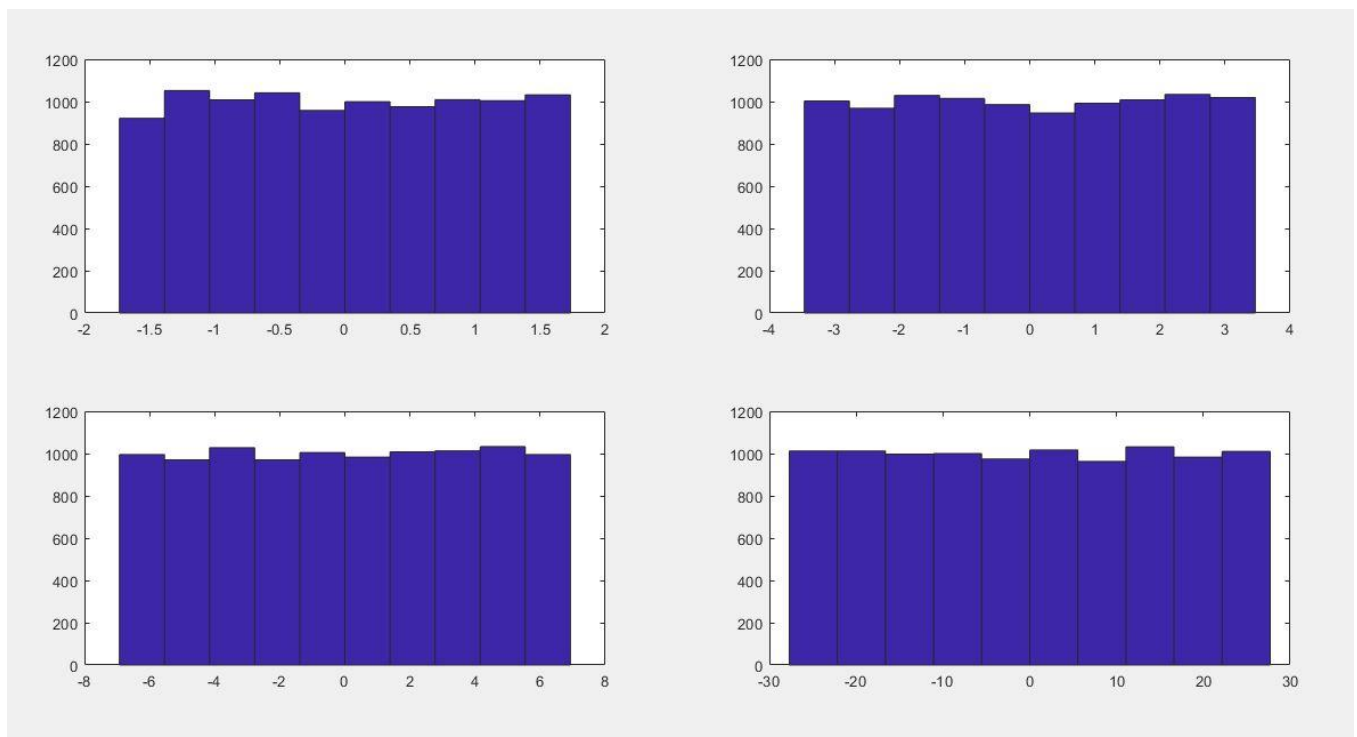
In this question, contrary to the previous question, we are expected to create random variables with certain mean and standard deviation using the Gaussian random variable. In the problem 5, I learned how to manipulate the standard deviation. In this question, it was easier to manipulate the mean.

### **Problem 7**

```

193
194 %Problem 7
195 - figure;
196 - r11 = 1.*((rand(10000,1)-0.5).*sqrt(12)) + 0;
197 - r21 = 2.*((rand(10000,1)-0.5).*sqrt(12)) + 0;
198 - r31 = 4.*((rand(10000,1)-0.5).*sqrt(12)) + 0 ;
199 - r41 = 16.*((rand(10000,1)-0.5).*sqrt(12)) + 0;
200 - var(r11);
201 - subplot(2,2,1);
202 - hist(r11);
203 - subplot(2,2,2);
204 - hist(r21);
205 - subplot(2,2,3);
206 - hist(r31);
207 - subplot(2,2,4);
208 - hist(r41);
209

```



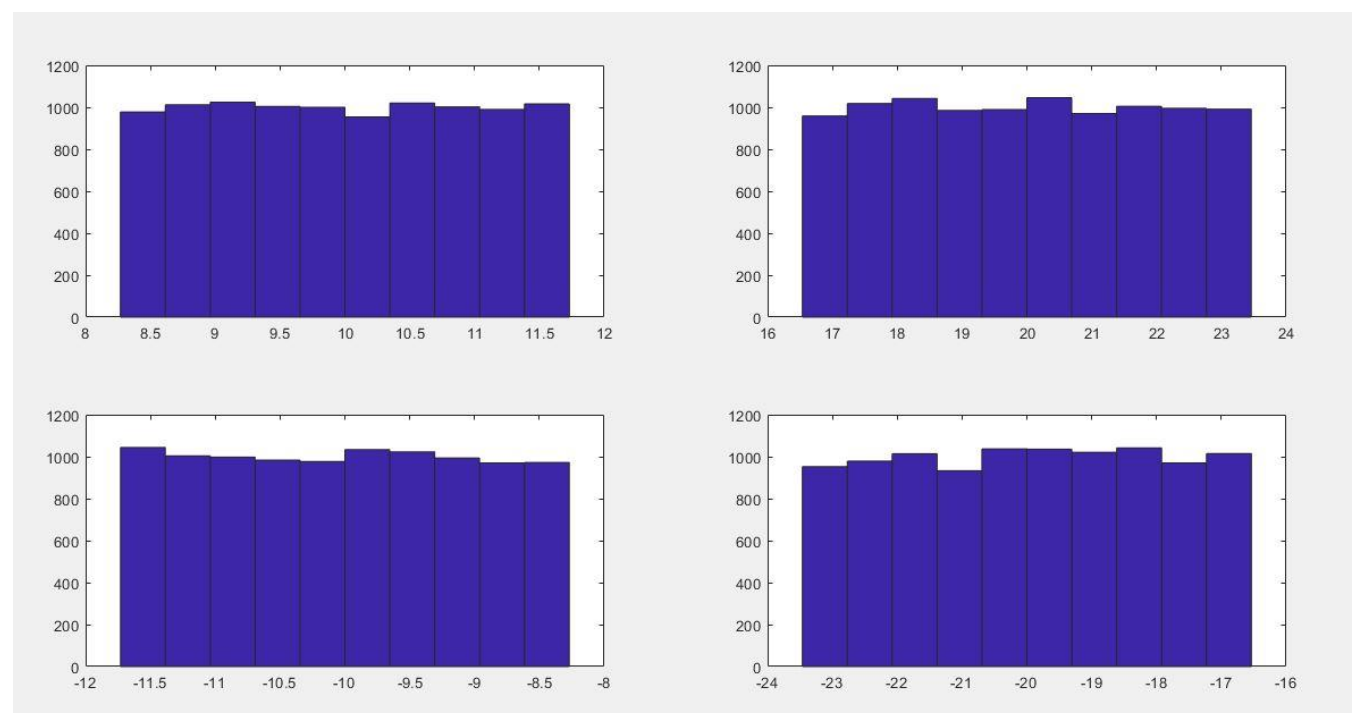
This question and the Problem 8 was the questions that I had the most hardship. At first, I tried to use the same tactics from the previous question but the result was not correct. After doing some research, I learned to manipulate the uniformly distributed variable that is the output of the rand function the have the mean 0 and the variance 1, like the output of the randn function. But since the standard deviation is not 1/12 but something closer to that number, it wasn't the exact 1 as standard deviation but some number that is closer to that.

### **Problem 8**

```

10 %Problem 8
11 figure;
12 r6l = 1.*((rand(10000,1)-0.5).*sqrt(12)) + 10;
13 r7l = 2.*((rand(10000,1)-0.5).*sqrt(12)) + 20;
14 r8l = 1.*((rand(10000,1)-0.5).*sqrt(12)) - 10;
15 r9l = 2.*((rand(10000,1)-0.5).*sqrt(12)) - 20;
16 subplot(2,2,1);
17 hist(r6l);
18 subplot(2,2,2);
19 hist(r7l);
20 subplot(2,2,3);
21 hist(r8l);
22 subplot(2,2,4);
23 hist(r9l);
24

```



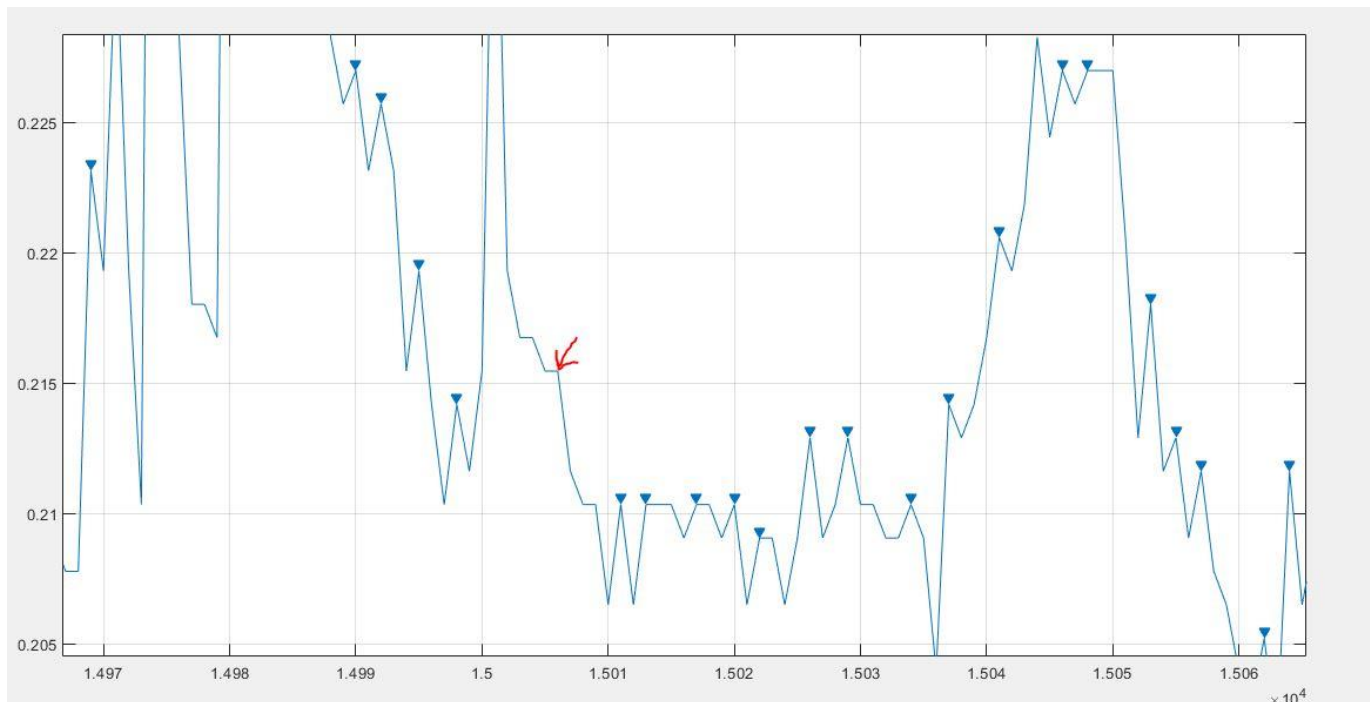
This was one of the most challenging questions of the project. I solved it the same way as the previous question.

### **Problem 9**

```

- y=csvread('exampleSignall.csv');
- y=y.';
- plot(y);
- findpeaks(y);
|

```



When inspected, findpeaks function seems very good at finding peaks. Most of the peaks were found by findpeaks function. One point that I think find peaks misses is the peaks that has the same value. Like the example that is marked with the red arrow above, that was a local maxima, but I think findpeaks missed it because that point has very close values next to it.

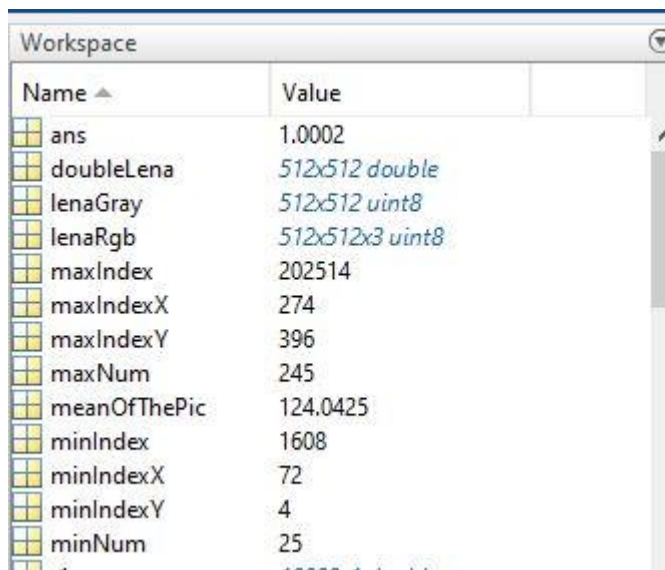
### **Problem 10**

```

-   lenaRgb = imread('lena.png');
-   lenaGray = rgb2gray(lenaRgb);
-   doubleLena=double(lenaGray);
-   standartDeviation=sqrt(var(doubleLena,0,'all'));
-   meanOfThePic= mean(doubleLena,'all');
-   [maxNum,maxIndex]=max(doubleLena(:));
-   [maxIndexX,maxIndexY]=ind2sub(size(doubleLena),maxIndex);
-   [minNum,minIndex]=min(doubleLena(:));
-   [minIndexX,minIndexY]=ind2sub(size(doubleLena),minIndex);

```

Here is the results I found:



The image shows a screenshot of the MATLAB Workspace window. It contains a table with two columns: 'Name' and 'Value'. The variables listed are: ans (1.0002), doubleLena (512x512 double), lenaGray (512x512 uint8), lenaRgb (512x512x3 uint8), maxIndex (202514), maxIndexX (274), maxIndexY (396), maxNum (245), meanOfThePic (124.0425), minIndex (1608), minIndexX (72), minIndexY (4), and minNum (25). Each variable name has a small icon to its left, and the values are color-coded to match their data types.

Name	Value
ans	1.0002
doubleLena	512x512 double
lenaGray	512x512 uint8
lenaRgb	512x512x3 uint8
maxIndex	202514
maxIndexX	274
maxIndexY	396
maxNum	245
meanOfThePic	124.0425
minIndex	1608
minIndexX	72
minIndexY	4
minNum	25

And the standart deviation I found is:47.8557. It wasn't in the picture.

### **Opinions About MATLAB**

As a programming language, MATLAB has its pros and cons. In the aspect, ease of writing and reading, I think it is a very easy language. Something, that is interesting is that arrays start with 1, instead of 0. I didn't understand why the designers of the language made it like that. I think everything would be much nicer if the arrays were starting with 0 index. One of the aspects that I liked about MATLAB is that it doesn't have variable declarations. You can create a variable when you want to use it, and you don't have to initialize a declared variable like Java. This makes it easy to write. It looks like Python in that aspect but since it has ';'s at the end of lines, I found MATLAB more likable. Also, reading a picture and a csv file was quite easy. It is also great that there is special functions for matrix operations. They may be very handy. Also special plotting functions were really enjoyable. And I liked the MathWorks page very much. It has very nice explanations and examples about built-in functions. It is a very well documented language and I could find answers to my questions without the help pf StackOverFlow there.