Why is My Classifier Discriminatory?



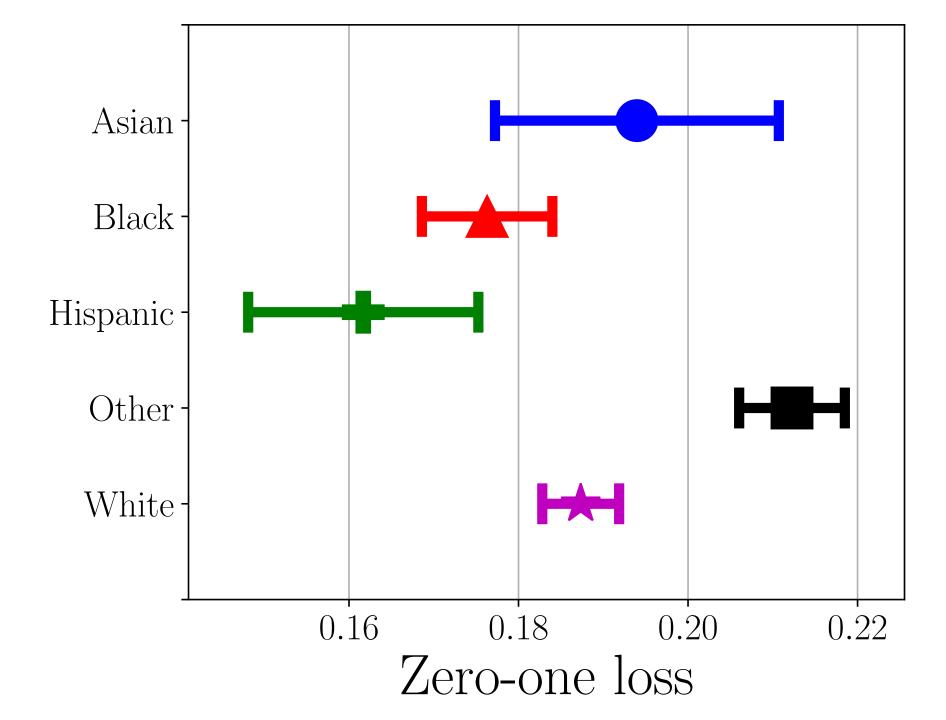




Irene Y. Chen, Fredrik D. Johansson, David Sontag
Massachusetts Institute of Technology (MIT)
NeurIPS 2018, Poster #120 Thurs 12/6 10:45am – 12:45pm @ 210 & 230

It is **surprisingly easy** to make a discriminatory algorithm.





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- 2. We decompose unfairness into bias, variance, and noise.
- 3. We demonstrate methods to guide feature augmentation and training data collection to fix unfairness.

Model

- Loss function constraints
 - Kamairan et al, 2010; Zafar et al, 2017
- Representation learning
 - Zemel et al, 2013
- Regularization
 - Kamishima et al, 2007; Bechvod and Ligett, 2017
- Tradeoffs
 - Chouldechova, 2017; Kleinberg et al, 2016; Corbett-Davies et al, 2017

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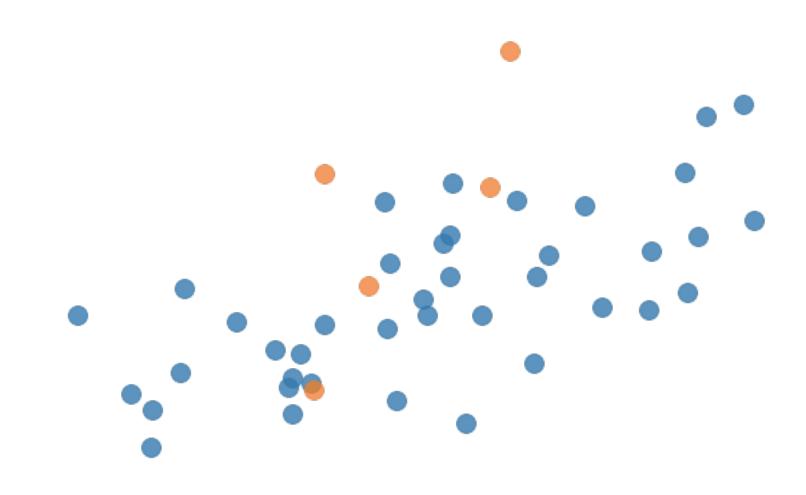
Data

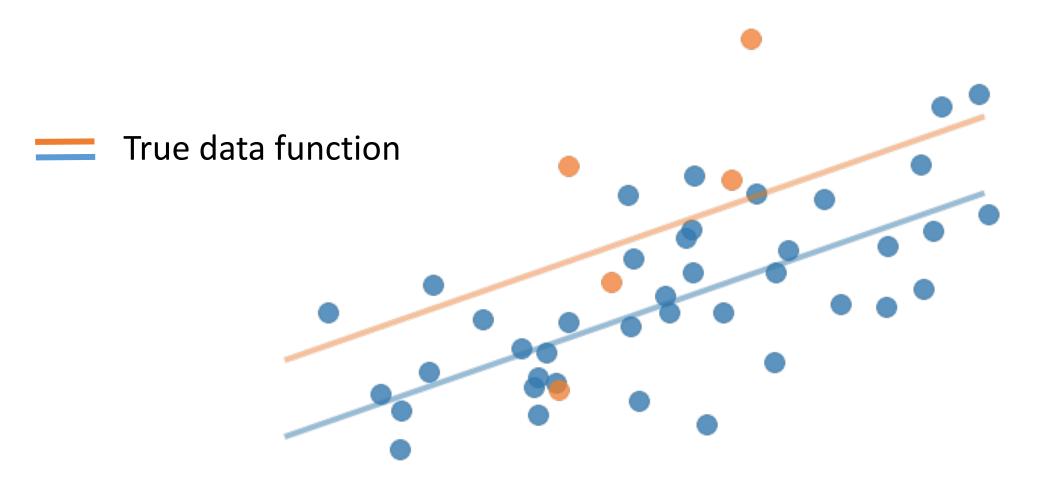
- Data processing
 - Haijan and Domingo-Ferrer,
 2013; Feldman et al, 2015
- Cohort selection
- Sample size
- Number of features
- Group distribution

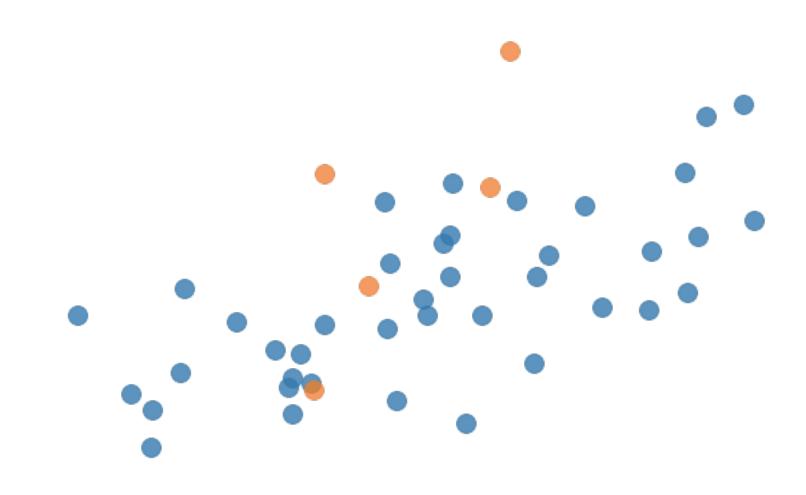
We should examine fairness algorithms in the context of the data and model.

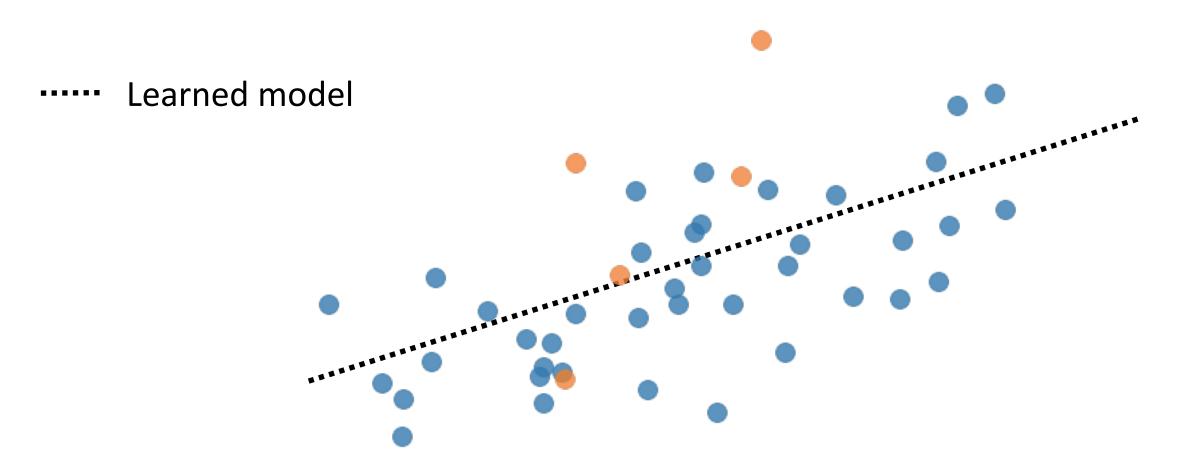
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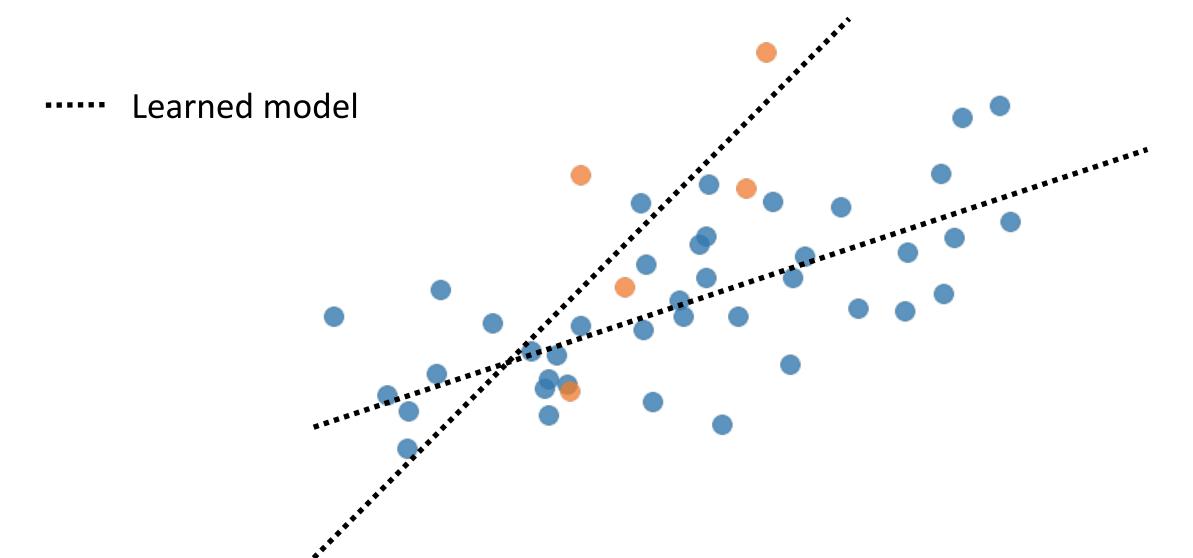
· Oroup distribution

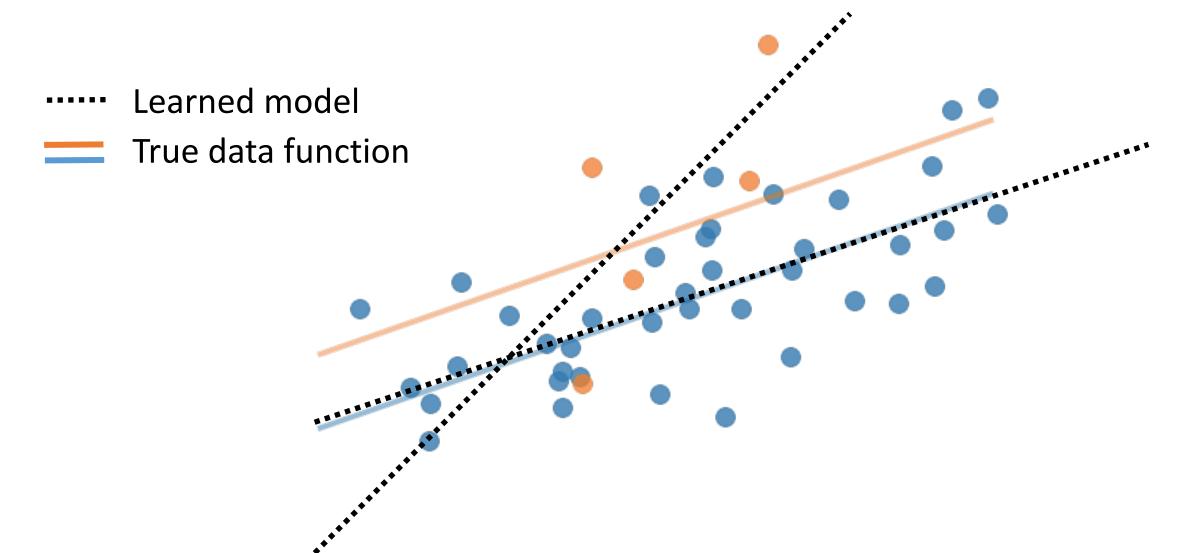




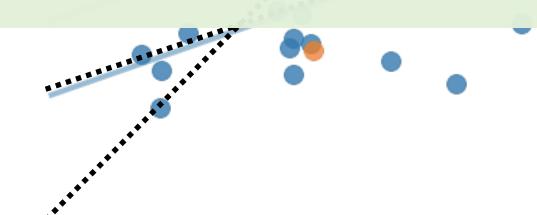


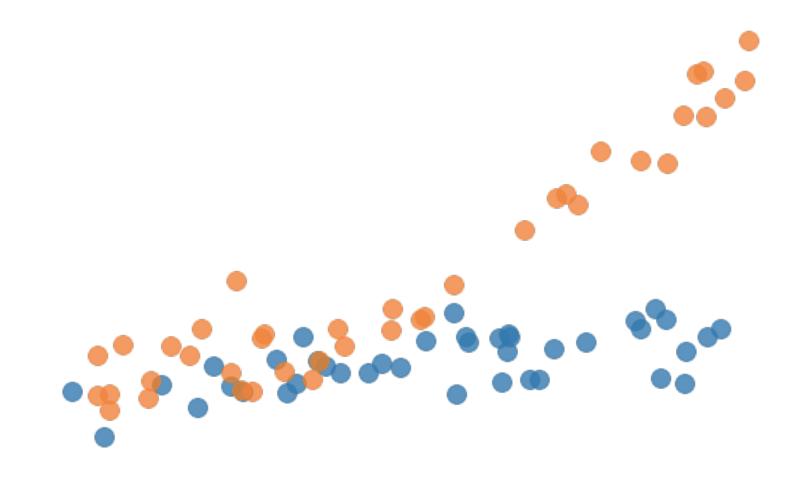


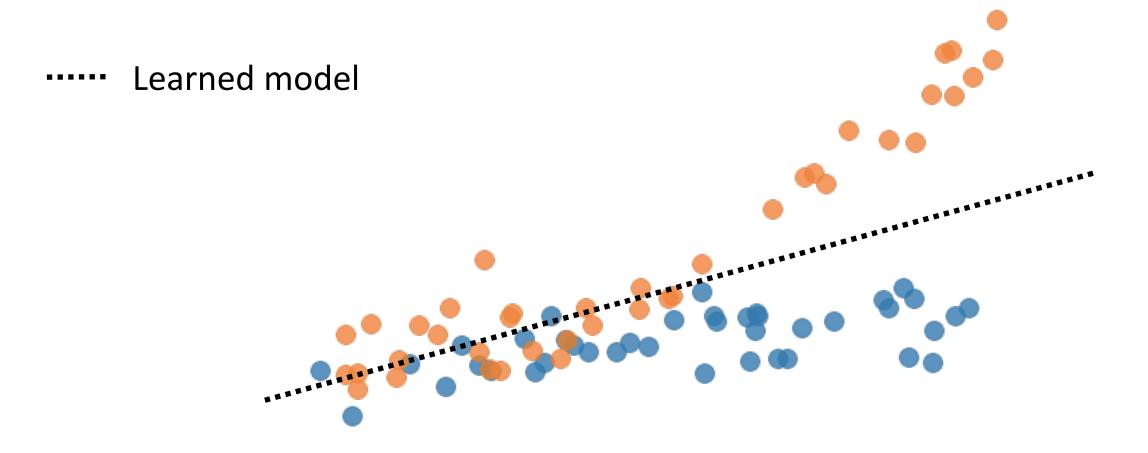


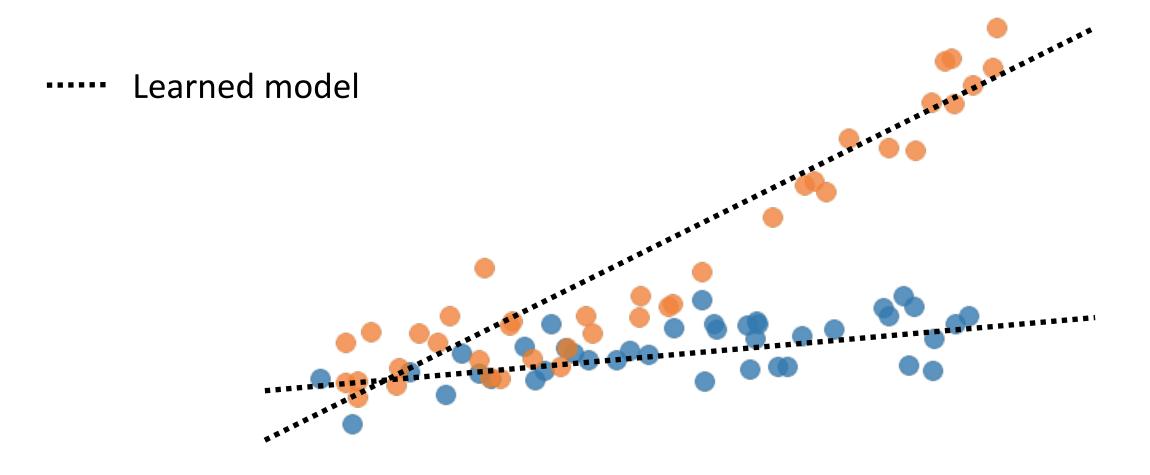


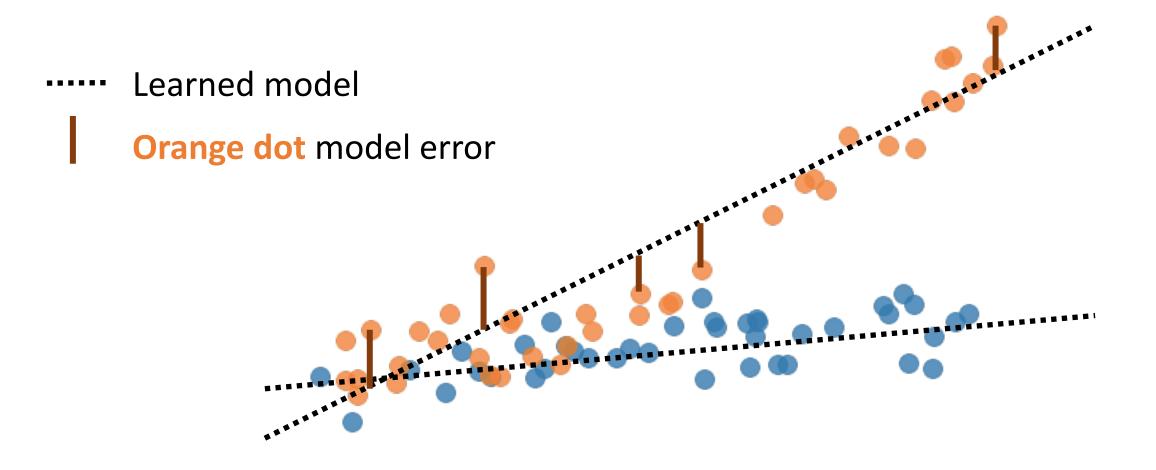
Error from variance can be solved by collecting more samples.

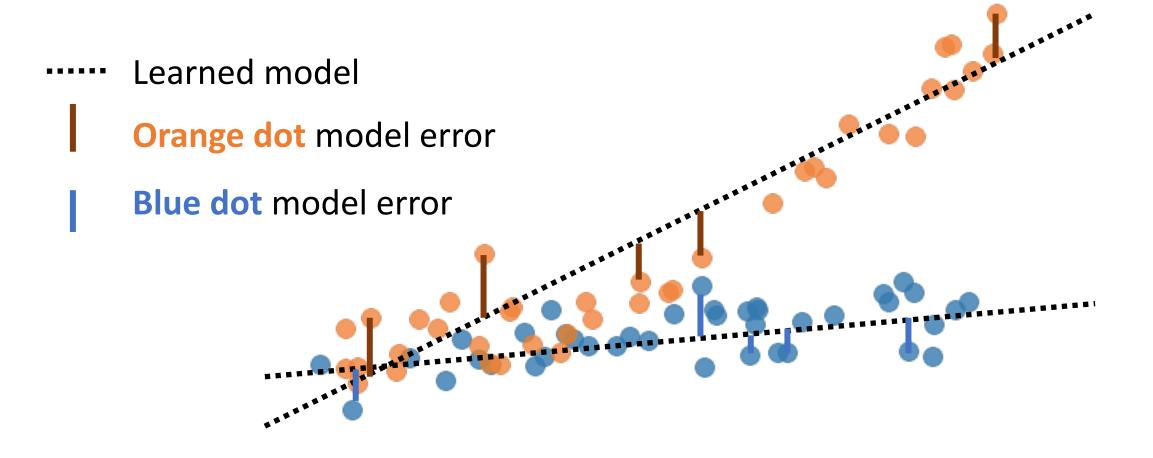






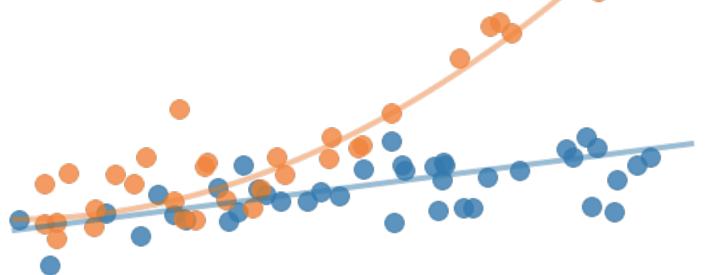






 $y = 0.5x^2$

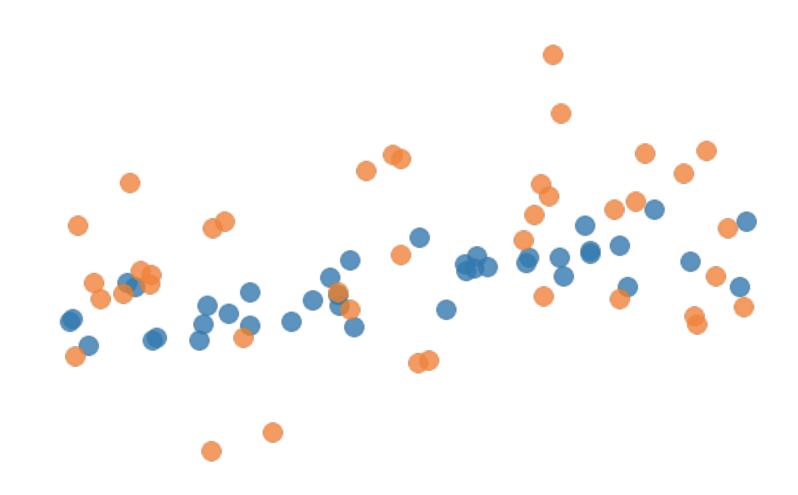


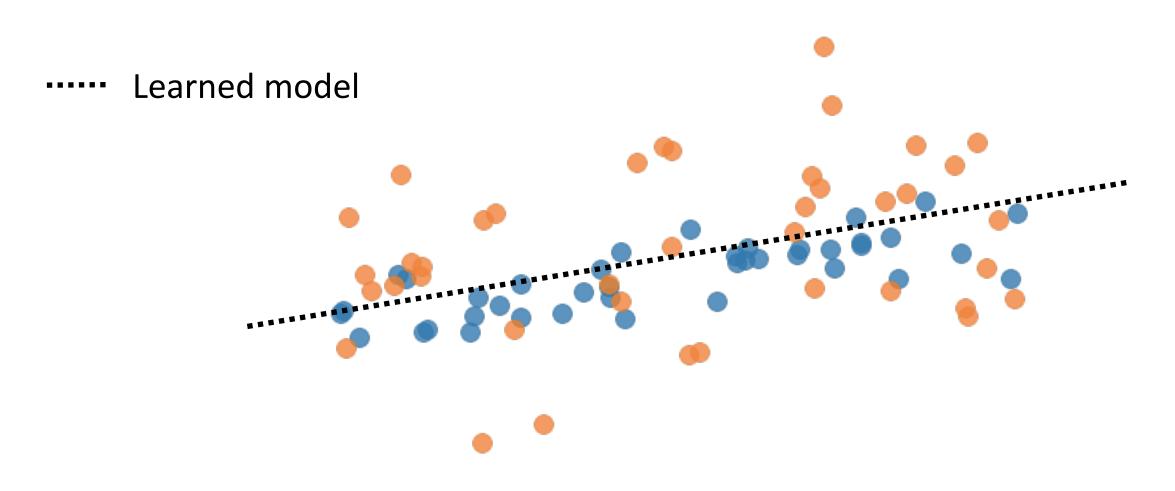


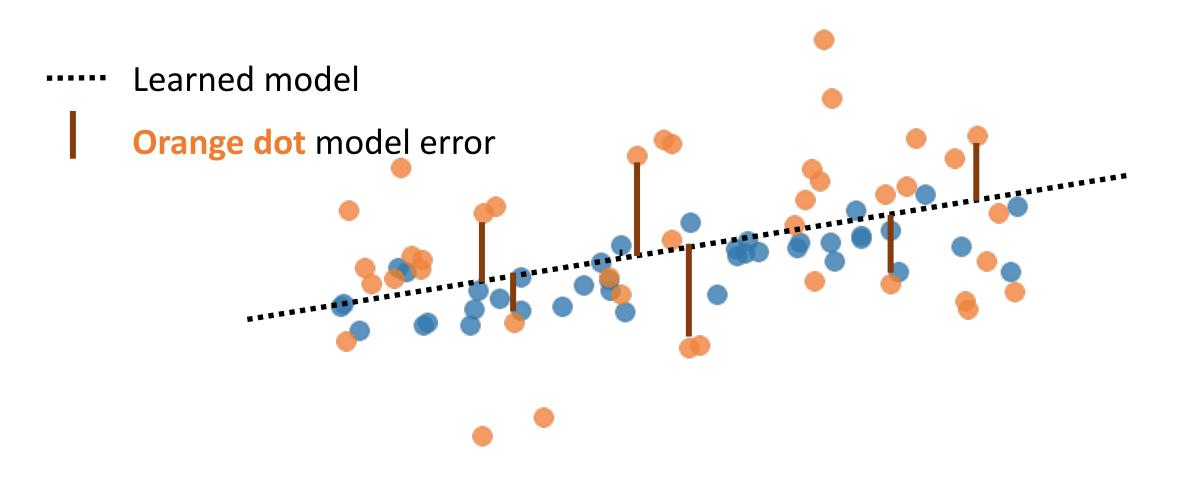
$$y = x - 1$$

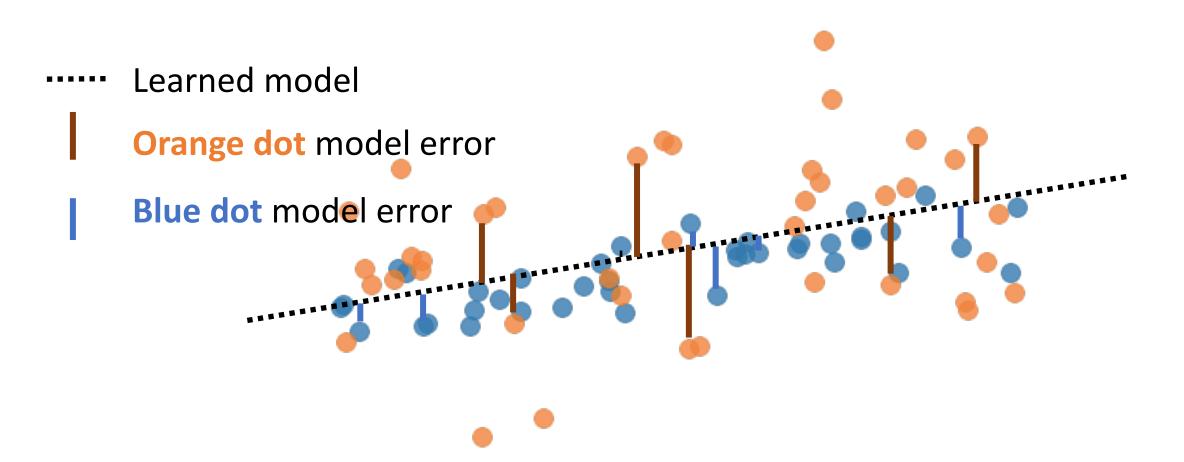
Error from bias can be solved by changing the model class.











Error from **noise** can be solved by **collecting more features**.

How do we define fairness?

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We define fairness in the **context of loss** like false positive rate, false negative rate, etc.

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We can then formalize unfairness as group differences.

$$\overline{\Gamma}(\widehat{Y}) := |\gamma_1 - \gamma_0|$$

We rely on accurate Y labels and focus on algorithmic error.

Theorem 1: For error over group a given predictor \hat{Y} :

$$\bar{\gamma}_a(\hat{Y}) = \bar{B}_a(\hat{Y}) + \bar{V}_a(\hat{Y}) + \bar{N}_a$$

Note that \overline{N}_a indicates the expectation of N_a over X and data D.

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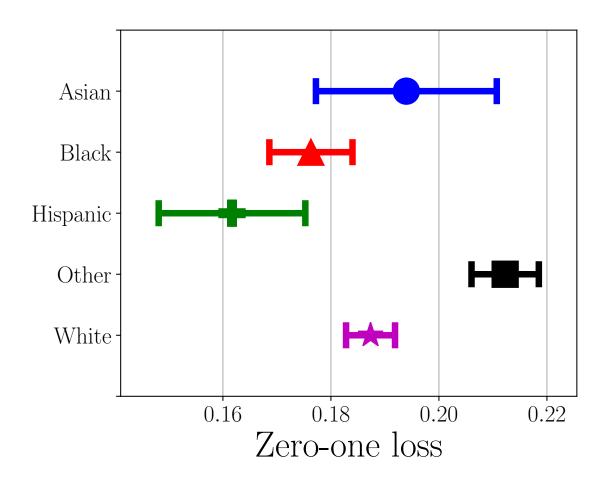
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Accordingly, the expected discrimination level $\overline{\Gamma}$: = $|\overline{\gamma_1} - \overline{\gamma_0}|$ can be decomposed into differences in bias, differences in variance, and differences in noise.

$$\bar{\Gamma} = |(\bar{B}_1 - \bar{B}_0) + (\bar{V}_1 - \bar{V}_0) + (\bar{N}_1 - \bar{N}_0)|$$

Mortality prediction from MIMIC-III clinical notes

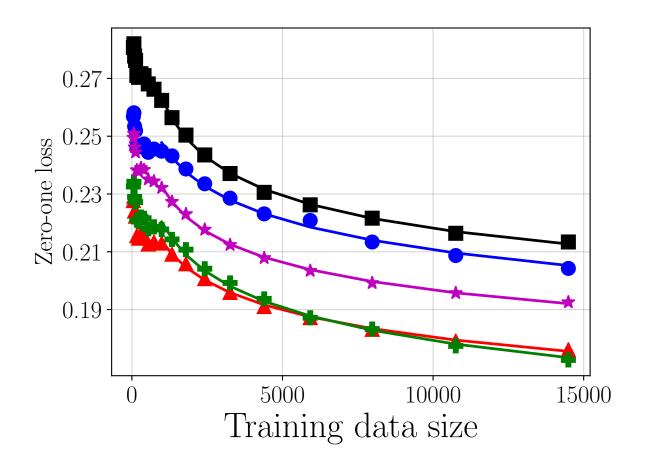


 We found statistically significant racial differences in zero-one loss.

• Asian ▲ Black **+** Hispanic ■ Other **★** White

Mortality prediction from MIMIC-III clinical notes

Hispanic



Black

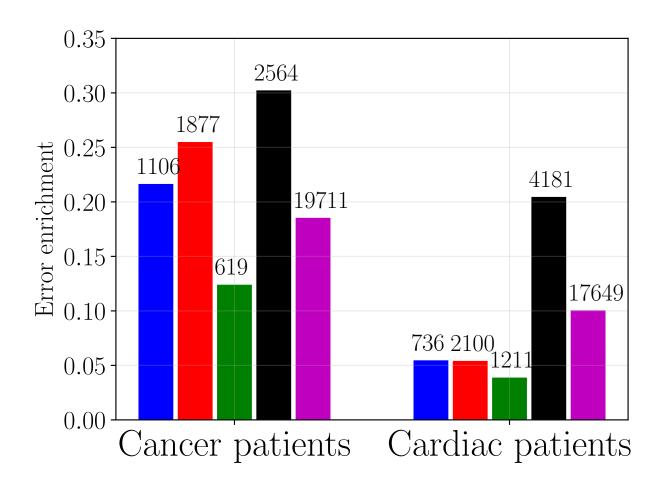
Asian

- We found statistically significant racial differences in zero-one loss.
- By subsampling data, we fit inverse power laws to estimate the benefit of more data and reducing variance.

Other

White

Mortality prediction from MIMIC-III clinical notes



- 1. We found statistically significant racial differences in zero-one loss.
- By subsampling data, we fit inverse power laws to estimate the benefit of more data and reducing variance.
- Using topic modeling, we identified subpopulations to gather more features to reduce noise.

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Where do we go from here?

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Come to poster #120 in Room 210 & 230.