

Supplement to ‘Statistical Modelling of Citation Exchange Between Statistics Journals’

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This document illustrates the R (R Core Team, 2015) code accompanying Varin, Cattelan and Firth (2015). The files needed to replicate the analyses in the paper are contained in the compressed folder JRSS-PR-SA-Dec-13-0008_supplement.zip. The figures and tables in the paper differ in minor respects from those produced in this document due to some manual editing for inclusion in the paper.

1 Cross-citation data

The 47×47 cross-citation matrix $\mathbf{C} = [c_{ij}]$ is in file `cross-citation-matrix.csv`:

```
Cmatrix <- as.matrix(read.csv("Data/cross-citation-matrix.csv",  
                             row.names = 1))
```

Journals are identified in \mathbf{C} through the journal abbreviations listed in Table 1 of the paper:

```
journal.abbr <- rownames(Cmatrix)
journal.abbr
```

##	[1]	"AmS"	"AISM"	"AoS"	"ANZS"	"Bern"	"BioJ"	"Bcs"
##	[8]	"Bka"	"Biost"	"CJS"	"CSSC"	"CSTM"	"CmpSt"	"CSDA"
##	[15]	"EES"	"Envr"	"ISR"	"JABES"	"JASA"	"JAS"	"JBS"
##	[22]	"JCGS"	"JMA"	"JNS"	"JRSS-A"	"JRSS-B"	"JRSS-C"	"JSCS"
##	[29]	"JSPI"	"JSS"	"JTSA"	"LDA"	"Mtka"	"SJS"	"StataJ"
##	[36]	"StCmp"	"Stats"	"StMed"	"SMMR"	"StMod"	"StNee"	"StPap"
##	[43]	"SPL"	"StSci"	"StSin"	"Tech"	"Test"		

2 Cluster analysis

Computation of the matrix of the total number of citations exchanged between pairs of journals $\mathbf{T} = [t_{ij}]$ defined in formula (1) of the paper:

```
Tmatrix <- Cmatrix + t(Cmatrix)
diag(Tmatrix) <- diag(Cmatrix)
```

Hierarchical clustering of journals with complete linkage using distance $d_{ij} = 1 - \rho_{ij}$, where ρ_{ij} is the Pearson correlation between journals i and j :

```
journals.cluster <- hclust(d = as.dist(1 - cor(Tmatrix)))
```

Dendrogram (Figure 1 of this document):

```
plot(journals.cluster, sub = "", xlab = "")
```

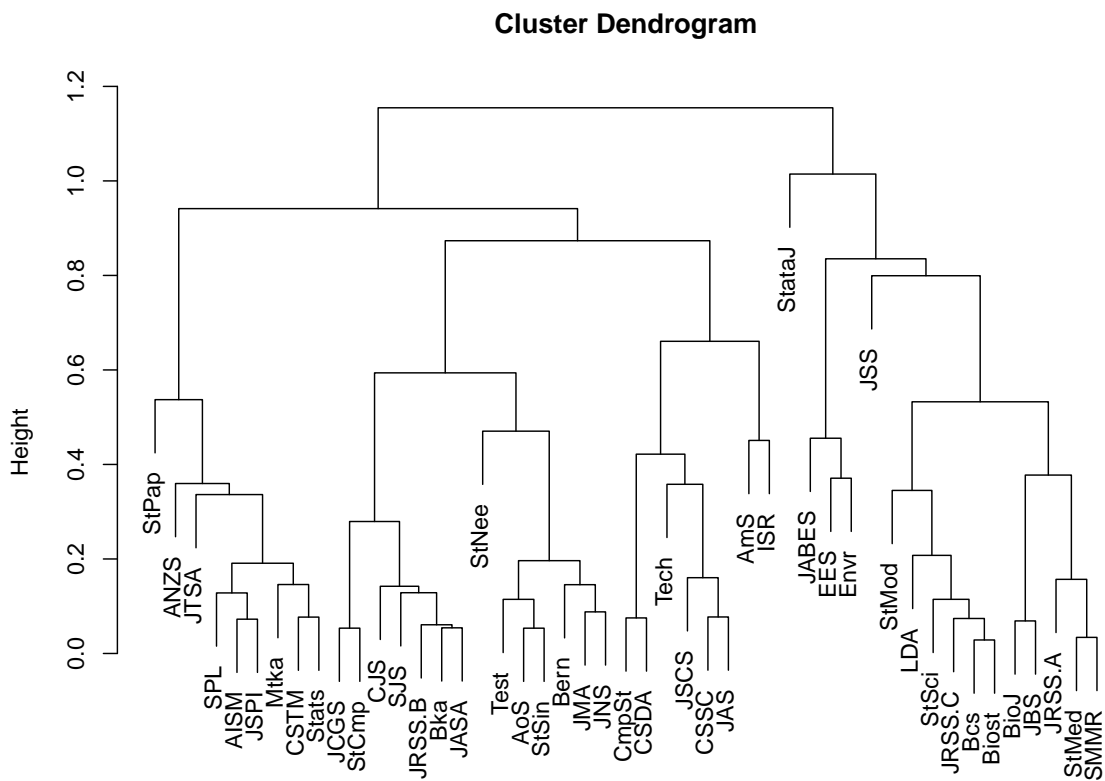


Figure 1: Dendrogram of the hierarchical cluster analysis of journals.

3 Quasi-Stigler model

The quasi-Stigler model is fitted with the `BradleyTerry2` package (Turner and Firth, 2012):

```
require(BradleyTerry2)
```

Re-arrange data in a form suitable for the `BradleyTerry2` package:

```
Cdata <- countsToBinomial(Cmatrix)
```

Fit the model:

```
fit <- BTm(outcome = cbind(win1, win2),  
           player1 = player1, player2 = player2, data = Cdata)
```

Estimation of the overdispersion parameter defined in formula (7) of the paper:

```
npairs <- NROW(Cdata)  
njournals <- nlevels(Cdata$player1)  
phi <- sum(residuals(fit, "pearson")^2) / (npairs - (njournals - 1))  
phi  
  
## [1] 1.759027
```

3.1 Journal residuals

Computation of the ‘journal residuals’ discussed in Section 5.2 of the paper:

```
journal.res <- rep(NA, njournals)  
res <- residuals(fit, type = "pearson")  
coefs <- c(0, coef(fit)) # 0 is the coefficient of the first journal  
for(i in 1:njournals){  
  A <- which(Cdata$player1 == journal.abbr[i])  
  B <- which(Cdata$player2 == journal.abbr[i])  
  y <- c(res[A], -res[B])  
  x <- c(-coefs[Cdata$player2[A]], -coefs[Cdata$player1[B]])  
  journal.res[i] <- sum(y * x) / sqrt(phi * sum(x ^ 2))  
}  
names(journal.res) <- journal.abbr
```

Normal probability plot of journal residuals with 95% envelope (Figure 2) computed with function `qqPlot` from package `car` (Fox and Weisberg, 2011):

```
require(car)
qqPlot(journal.res, ylab = "Sorted journal residuals",
       xlab = "Normal quantiles")
```

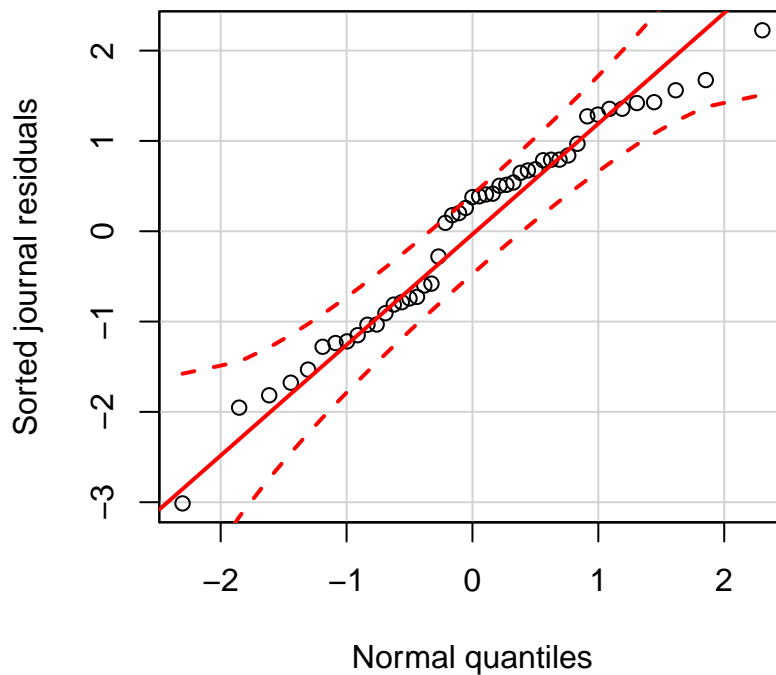


Figure 2: Normal probability plot of journal residuals with 95% envelope.

Scatterplot of journal residuals against estimated export scores (Figure 3 in this document):

```
plot(journal.res ~ coefs, ylab = "Journal residuals",
     xlab = "Export scores")
```

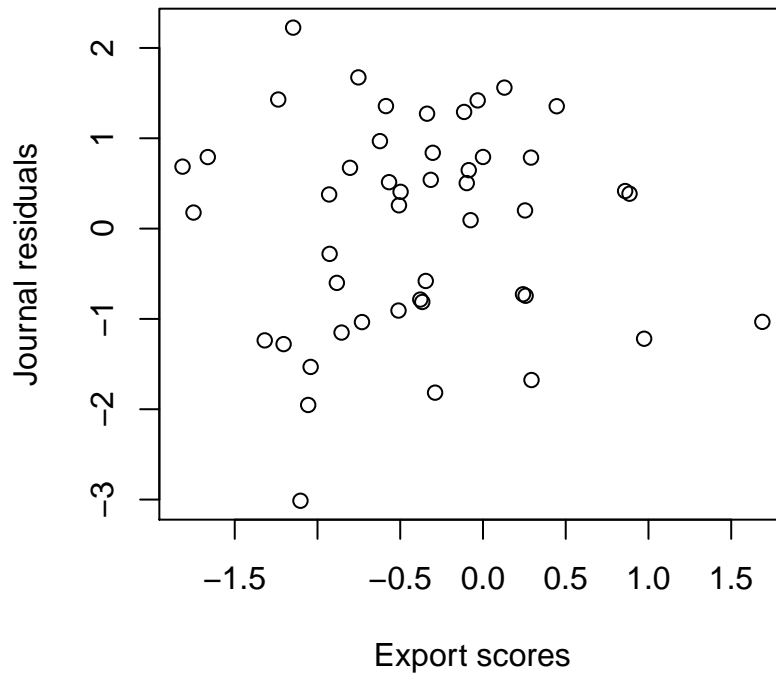


Figure 3: Scatterplot of journal residuals against estimated export scores.

3.2 Quasi standard errors

Quasi standard errors discussed in Section 5.3 of the paper, computed with the `qvcalc` package (Firth, 2012):

```
require(qvcalc)
cov.matrix <- matrix(0, nrow = njournals, ncol = njournals)
cov.matrix[-1, -1] <- vcov(fit)
qse <- qvcalc(phi * cov.matrix, estimates = c(0, coef(fit)),
              labels = journal.abbr)
```

By default, the `BTm` function in the `BradleyTerry2` package fits the Bradley-Terry model with a ‘corner constraint’, *i.e.*, the export score of the first journal in alphabetic order is fixed to zero. In the paper, results are displayed with the ‘more democratic’ zero-sum parameterization:

```
export.scores <- qse$qvframe$estimate
export.scores <- export.scores - mean(export.scores)
names(export.scores) <- journal.abbr
```

Table of estimates and standard errors in decreasing order:

```
sort.id <- sort(export.scores, decreasing = TRUE,
               index.return = TRUE)$ix
fit.table <- data.frame(quasi = export.scores[sort.id],
                       qse = qse$qvframe$quasiSE[sort.id])
fit.table
```

##		quasi	qse
##	JRSS-B	2.0911231	0.10513395
##	AoS	1.3767352	0.07386382
##	Bka	1.2884149	0.08119563
##	JASA	1.2619488	0.06014319
##	Bcs	0.8485257	0.07245316
##	.	.	.
##	.	.	.
##	JAS	-1.4126066	0.15093299

Centipede plot (Figure 4) drawn with the `plotrix` package (Lemon, 2006):

```
require(plotrix)
segs <- apply(fit.table, 1, function(x) x[1] + c(0, -1.96, 1.96) * x[2])
centipede.plot(segs, left.labels = journal.abbr[sort.id],
               right.labels = round(export.scores[sort.id], 2),
               xlab = "Export Scores")
```

4 Ranking lasso

Read the ranking-lasso code (Masarotto and Varin, 2012):

```
source("R-code/ranking-lasso.R")
```

Computation of the complete path of the adaptive ranking lasso estimation¹:

```
## time consuming
rlasso <- ranking.lasso(y = fit$model$Y, X = fit$model$X,
                       adaptive = TRUE)
```

The object `rlasso` returns a list containing the following components:

¹**Warning:** The computation is relatively time-consuming, it takes about 70 seconds on a MacBook Air 1.8 GHz Intel Core i7 with 4 GB RAM. Function `ranking.lasso` is designed for moderate-size tournament data; the code can, and should, be re-designed for more efficient computation in larger applications.

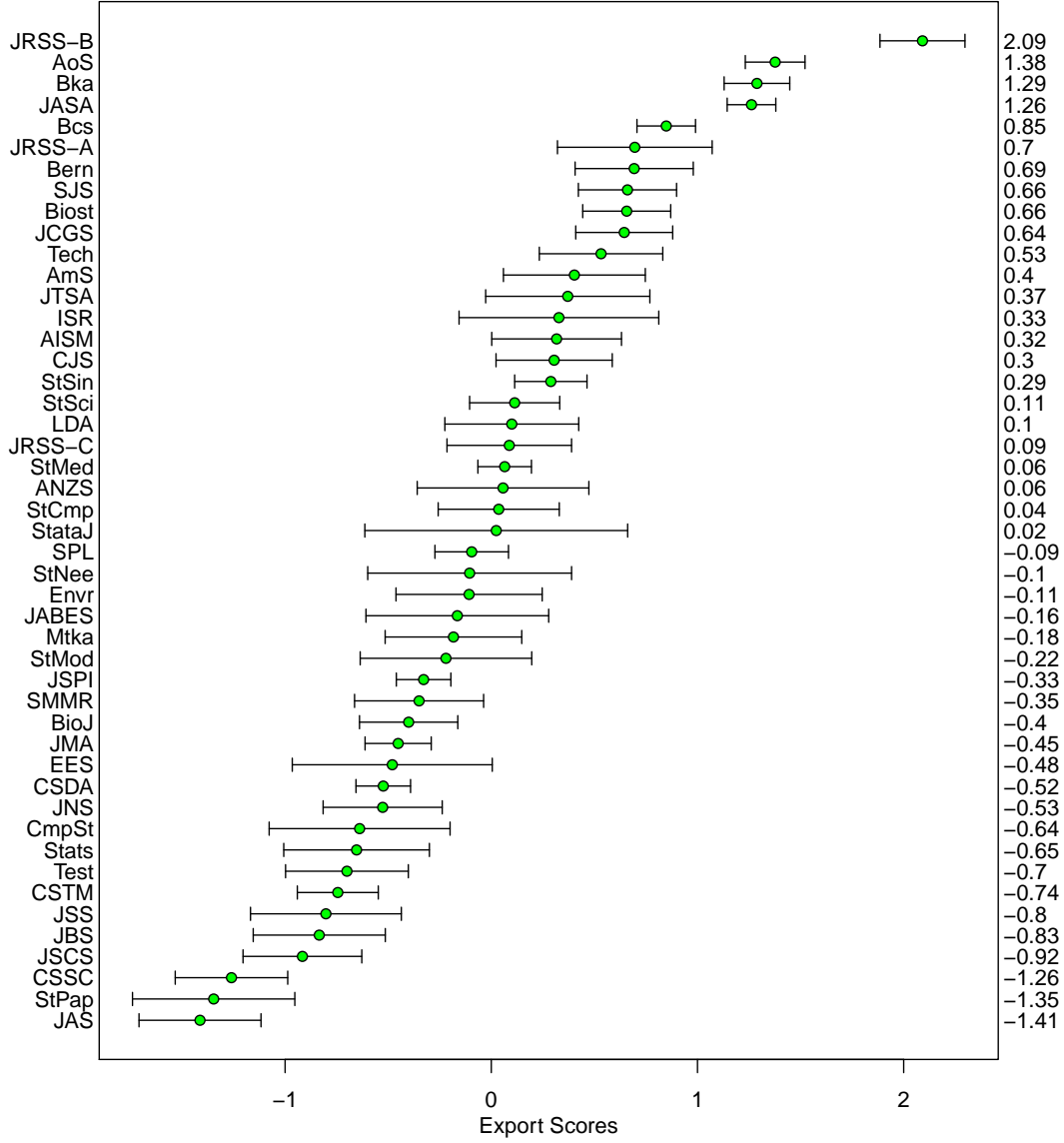


Figure 4: Centipede plot of estimated export scores with 95% comparison intervals.

s k -dimensional vector of standardized bounds $s/\max(s)$;

beta $k \times p$ matrix of ranking lasso estimates, where k is the number of bounds s and p is the number of model parameters;

lik k -dimensional vector of minus log-likelihoods computed at the various ranking lasso estimates;

df k -dimensional vector of the number of groups identified by the various ranking lasso estimates (degrees of freedom).

Zero-sum parameterization of lasso estimates:

```
lasso.scores <- cbind(0, rlasso$beta)
colnames(lasso.scores) <- journal.abbr
lasso.scores <- lasso.scores - rowMeans(lasso.scores)
```

Selection of best solution according to TIC defined in Section 5.5 of the paper:

```
tic <- 2 * rlasso$lik + 2 * phi * rlasso$df
best <- max(which.min(tic))
```

TIC identifies 11 groups, however the penultimate and the third to the last have grouped export scores that differ in the third decimal place only. Tables 4 and 5 of the paper are based upon results rounded to the second decimal, and thus the penultimate and the third-to-last groups are merged accordingly.

Update the summary fit table with the ranking lasso estimates:

```
fit.table <- data.frame(fit.table, lasso = lasso.scores[best, sort.id])
fit.table
```

##		quasi	qse	lasso
##	JRSS-B	2.0911231	0.10513395	1.8696128
##	AoS	1.3767352	0.07386382	1.1669128
##	Bka	1.2884149	0.08119563	1.1061128
##	JASA	1.2619488	0.06014319	1.1061128
##	Bcs	0.8485257	0.07245316	0.6480128
##
##
##	JAS	-1.4126066	0.15093299	-0.8826872

Ranking lasso path plot (Figure 5 in this document):

```
plot(x = c(0, rlasso$s, 1), y = lasso.scores[, 1],
     ylim = range(lasso.scores), type = "l",
     xlab = "s/max(s)", ylab = "Export Scores")
for(i in 2:njournals)
  lines(x = c(0, rlasso$s, 1), y = lasso.scores[, i] )
abline(v = rlasso$s[best], lty = "dashed")
abline(h = 0, lty = "dotted")
```

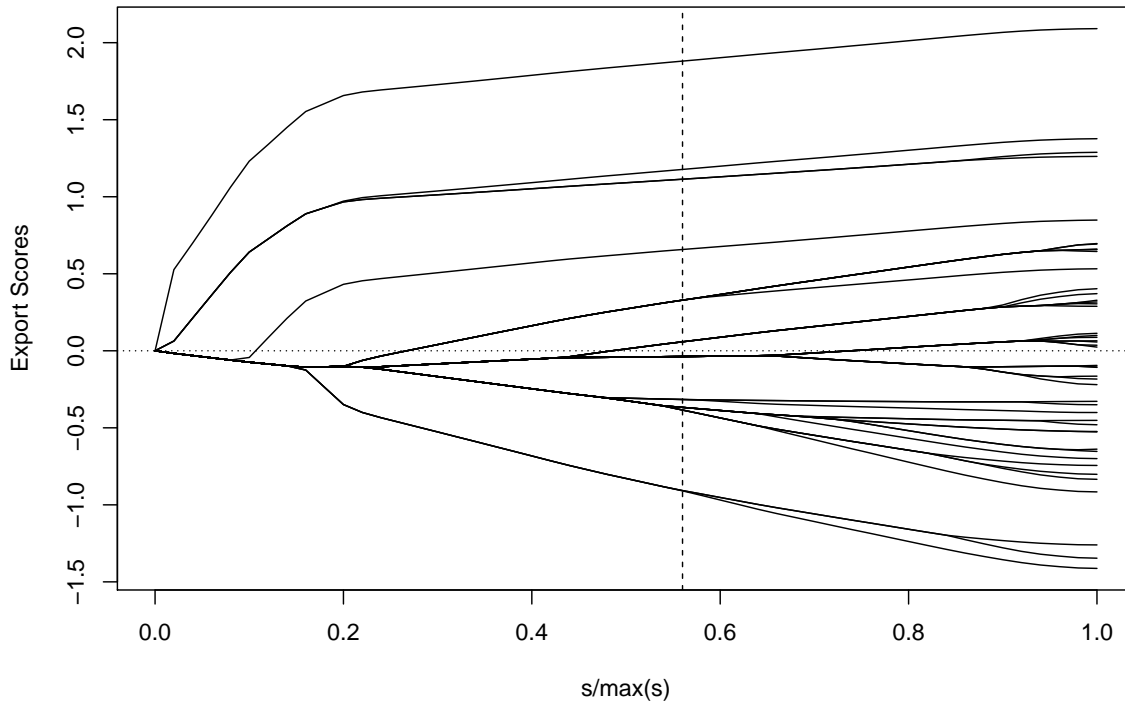



Figure 5: Path plot of the ranking lasso. The vertical dashed line corresponds to the best solution according to TIC.

5 Comparison with RAE 2008 results

5.1 Scoring the RAE submissions according to journal-ranking measures

The RAE 2008 submissions for Unit of Assessment 22 ‘Statistics and Operational Research’ are online at

<http://www.rae.ac.uk/submissions/outstore/CSV-ANSI/ByUOA/22%20-%20Statistics%20and%20Operational%20Research.zip>

and from that source we use the two files RA2.csv and Institution.csv.

```
RA2 <- read.csv("Data/RAE-UoA22/RA2.csv", as.is = TRUE)
institutions <- read.csv("Data/RAE-UoA22/Institution.csv", as.is = TRUE)
```

The RA2 dataset contains details of all research outputs that were submitted for assessment.

Some minor data-tidying was needed, mainly to code coherently a joint submission that was made by Edinburgh and Heriot-Watt Universities, and to remove rows and columns that will not be used here:

```
source("R-code/tidy-the-RAE-downloads.R")
```

The resulting data frame, named `RA2.ja`, contains only those RAE-submitted research outputs classified as ‘Journal Article’.

Now read in the file `RAE22-journals.csv` — the result of some rather tedious work! — which uniquely identifies each different representation of a journal name in the RA2 data. And use those unambiguous short names² in place of the text from the `Publisher` field of the RA2 data:

```
journals <- read.csv("Data/RAE22-journals.csv", as.is = TRUE)
row.names(journals) <- journals$RAE.name
RA2.ja$Publisher <- journals[RA2.ja$Publisher, "shortName"]
```

Also a table of short names for the 30 departments of RAE sub-panel 22, ‘Statistics and Operational Research’, to use in the `Institution` field of the RA2 data:

```
depts <- read.csv("Data/RAE22-depts.csv")
row.names(depts) <- as.character(depts$depts)
RA2.ja$Institution <- as.character(RA2.ja$Institution)
RA2.ja$Institution <- depts[RA2.ja$Institution, "shortName"]
```

Around 68% of the journal articles are in the JCR *Statistics and Probability* category. Let’s look at how that varies across the 30 departments:

```
attach(RA2.ja)
tapply(Publisher, Institution, function(P) {1 - mean(P == "other")})
```

##	Bath	Bristol	Brunel	Cambridge	Durham
##	0.8750000	0.7000000	0.3666667	0.6610169	0.6111111
##	Edinburgh+HW	Glasgow	Greenwich	Imperial	Kent
##	0.5607477	0.6428571	0.2500000	0.8400000	0.9069767
##	Lancaster	Leeds	Liverpool	LondonMet	LSE
##	0.7432432	0.7948718	0.7500000	0.5454545	0.7959184
##	Manchester	Newcastle	Nottingham	OU	Oxford
##	0.8666667	0.7073171	0.8787879	1.0000000	0.5888889
##	Plymouth	QMUL	Reading	Salford	Sheffield
##	0.6428571	0.8571429	0.6285714	0.2580645	0.5675676
##	Southampton	StAndrews	Strathclyde	UCL	Warwick
##	0.6857143	0.8636364	0.2045455	0.6250000	0.8115942

```
detach(RA2.ja)
```

²Note that the short names used here are different from the abbreviations defined in Table 1 of the paper.

Leave out Brunel, Greenwich, Salford and Strathclyde from the analysis, and eliminate their factor levels:

```
RA2.ja <- RA2.ja[!(RA2.ja$Institution %in%
                  c("Brunel", "Greenwich", "Salford", "Strathclyde")), ]
RA2.ja$Institution <- factor(as.character(RA2.ja$Institution))
attach(RA2.ja)
probstats.fraction.of.articles <- tapply(Publisher, Institution,
    function(P) {1 - mean(P == "other")})
detach(RA2.ja)
## all of these remaining fractions are now > 0.5
probstats.fraction.of.articles
```

##	Bath	Bristol	Cambridge	Durham	Edinburgh+HW
##	0.8750000	0.7000000	0.6610169	0.6111111	0.5607477
##	Glasgow	Imperial	Kent	Lancaster	Leeds
##	0.6428571	0.8400000	0.9069767	0.7432432	0.7948718
##	Liverpool	LondonMet	LSE	Manchester	Newcastle
##	0.7500000	0.5454545	0.7959184	0.8666667	0.7073171
##	Nottingham	OU	Oxford	Plymouth	QMUL
##	0.8787879	1.0000000	0.5888889	0.6428571	0.8571429
##	Reading	Sheffield	Southampton	StAndrews	UCL
##	0.6285714	0.5675676	0.6857143	0.8636364	0.6250000
##	Warwick				
##	0.8115942				

Now focus only on papers that appeared in the JCR *Statistics and Probability* journals. Around 72% of journal articles submitted by the remaining 26 departments are in that set:

```
RA2.ja.statprob <- RA2.ja[RA2.ja$Publisher != "other", ]
nrow(RA2.ja.statprob) / nrow(RA2.ja)

## [1] 0.7223587
```

The various journal-ranking scores — but only for those journals that appear in the RAE submissions — are collected in file `journal-scores.csv`:

```
journal.scores <- read.csv("Data/journal-scores.csv")
journal.scores$SM <- exp(journal.scores$SM)
journal.scores$SM.grouped <- exp(journal.scores$SM.grouped)
```

(The Stigler-model scores are exponentiated prior to the further analysis below.) Next each journal article from the RA2 database is scored, as described in Section 6.2 of the paper:

```

row.names(journal.scores) <- journal.scores$shortName
RA2.ja.statprob$II <- journal.scores[RA2.ja.statprob$Publisher, "II"]
RA2.ja.statprob$I2 <- journal.scores[RA2.ja.statprob$Publisher, "I2"]
RA2.ja.statprob$I2no <- journal.scores[RA2.ja.statprob$Publisher, "I2no"]
RA2.ja.statprob$I5 <- journal.scores[RA2.ja.statprob$Publisher, "I5"]
RA2.ja.statprob$AI <- journal.scores[RA2.ja.statprob$Publisher, "AI"]
RA2.ja.statprob$SM <- journal.scores[RA2.ja.statprob$Publisher, "SM"]
RA2.ja.statprob$SM.grouped <- journal.scores[RA2.ja.statprob$Publisher,
                                             "SM.grouped"]

```

All of the 882 journal articles that remain here are scored by the ‘global’ measures II, I2, I2no, I5 and AI, while around 65% of these articles are in the Statistics list from Table 1 of the paper and so are scored also by SM and SM.grouped. Let’s look at how that fraction varies across the 26 departments:

```

attach(RA2.ja.statprob)
stats.fraction.of.probstats <- tapply(SM, Institution,
                                       function(x) {1 - mean(is.na(x))})
detach(RA2.ja.statprob)
stats.fraction.of.probstats

```

##	Bath	Bristol	Cambridge	Durham	Edinburgh+HW
##	0.5476190	0.5714286	0.4358974	0.5454545	0.4166667
##	Glasgow	Imperial	Kent	Lancaster	Leeds
##	0.8888889	0.9523810	0.7692308	0.8545455	0.7096774
##	Liverpool	LondonMet	LSE	Manchester	Newcastle
##	0.2666667	0.8333333	0.4102564	0.3589744	0.7586207
##	Nottingham	OU	Oxford	Plymouth	QMUL
##	0.6551724	0.9615385	0.3773585	0.8888889	0.9666667
##	Reading	Sheffield	Southampton	StAndrews	UCL
##	0.7727273	0.5714286	0.9166667	0.8421053	0.8571429
##	Warwick				
##	0.4821429				

What fraction of articles are in the 47 Statistics journals, for each department?

```

stats.fraction.of.articles <- probstats.fraction.of.articles *
  stats.fraction.of.probstats
stats.fraction.of.articles

```

##	Bath	Bristol	Cambridge	Durham	Edinburgh+HW
##	0.4791667	0.4000000	0.2881356	0.3333333	0.2336449
##	Glasgow	Imperial	Kent	Lancaster	Leeds
##	0.5714286	0.8000000	0.6976744	0.6351351	0.5641026

##	Liverpool	LondonMet	LSE	Manchester	Newcastle
##	0.2000000	0.4545455	0.3265306	0.3111111	0.5365854
##	Nottingham	OU	Oxford	Plymouth	QMUL
##	0.5757576	0.9615385	0.2222222	0.5714286	0.8285714
##	Reading	Sheffield	Southampton	StAndrews	UCL
##	0.4857143	0.3243243	0.6285714	0.7272727	0.5357143
##	Warwick				
##	0.3913043				

So thirteen of the 26 departments have less than half of their RAE-submitted journal articles in the identified 47 Statistics journals of Table 1 in the paper.

5.2 Journal-based mean scores for departments

Rate the departmental RAE submissions, by averaging over all journal articles scored:

```
attach(RA2.ja.statprob)
II.mean <- tapply(II, Institution, function(vec) mean(na.omit(vec)))
I2.mean <- tapply(I2, Institution, function(vec) mean(na.omit(vec)))
I2no.mean <- tapply(I2no, Institution, function(vec) mean(na.omit(vec)))
I5.mean <- tapply(I5, Institution, function(vec) mean(na.omit(vec)))
AI.mean <- tapply(AI, Institution, function(vec) mean(na.omit(vec)))
SM.mean <- tapply(SM, Institution, function(vec) mean(na.omit(vec)))
SM.grouped.mean <- tapply(SM.grouped, Institution,
                           function(vec) mean(na.omit(vec)))
detach(RA2.ja.statprob)
means <- data.frame(II.mean, I2.mean, I2no.mean, I5.mean, AI.mean,
                    SM.mean, SM.grouped.mean)
```

Do the same averaging but only using scores for the restricted set of 47 Statistics journals that were scored by the Stigler model:

```
RA2.ja.stat <- RA2.ja.statprob[!is.na(RA2.ja.statprob$SM), ]
attach(RA2.ja.stat)
II.mean.r <- tapply(II, Institution, function(vec) mean(na.omit(vec)))
I2.mean.r <- tapply(I2, Institution, function(vec) mean(na.omit(vec)))
I2no.mean.r <- tapply(I2no, Institution,
                      function(vec) mean(na.omit(vec)))
I5.mean.r <- tapply(I5, Institution, function(vec) mean(na.omit(vec)))
AI.mean.r <- tapply(AI, Institution, function(vec) mean(na.omit(vec)))
SM.mean.r <- tapply(SM, Institution, function(vec) mean(na.omit(vec)))
SM.grouped.mean.r <- tapply(SM.grouped, Institution,
                            function(vec) mean(na.omit(vec)))
```

```
detach(RA2.ja.stat)
means.r <- data.frame(II.mean.r, I2.mean.r, I2no.mean.r,
                      I5.mean.r, AI.mean.r, SM.mean.r, SM.grouped.mean.r)
```

Note that `SM.mean` and `SM.mean.r` are of course the same, as are `SM.grouped.mean` and `SM.grouped.mean.r`.

5.3 Comparison with the published RAE assessments

The file `RAE22-outputs-subprofiles.csv` is an extract, specific to the 26 departments of interest in RAE Unit of Assessment 22 ‘Statistics and Operational Research’, from the full set of RAE-result ‘sub-profiles’ published online at <http://www.rae.ac.uk/pubs/2009/pro/#sub>. These sub-profiles are specific to the assessment of departments’ *research outputs*:

```
RAEprofiles <- read.csv("Data/RAE22-outputs-subprofiles.csv")
```

From that file can be constructed various candidate ‘RAE score’ values for the departments’ research outputs:

```
RAE.4star <- RAEprofiles$X4star
RAE.34star <- RAEprofiles$X4star + RAEprofiles$X3star
RAE.34star.wtd <- RAEprofiles$X4star + RAEprofiles$X3star/3
```

In what follows, as explained in the paper, we use `RAE.34star.wtd`.

We can now look at correlations between RAE score and the various journal-rating scores (as in Table 6 of the paper):

```
cor(means, RAE.34star.wtd)

##           [,1]
## II.mean      0.3409859
## I2.mean      0.4683247
## I2no.mean    0.4875652
## I5.mean      0.4978970
## AI.mean      0.7295643
## SM.mean      0.8140549
## SM.grouped.mean 0.8188923
```

The second row of Table 6 shows correlations based on scoring only the smaller subset of 47 Statistics journals:

```
cor(means.r, RAE.34star.wtd)

##           [,1]
## II.mean.r    0.3417413
## I2.mean.r    0.6878651
## I2no.mean.r  0.7030977
## I5.mean.r    0.7340262
## AI.mean.r    0.7919254
## SM.mean.r    0.8140549
## SM.grouped.mean.r 0.8188923
```

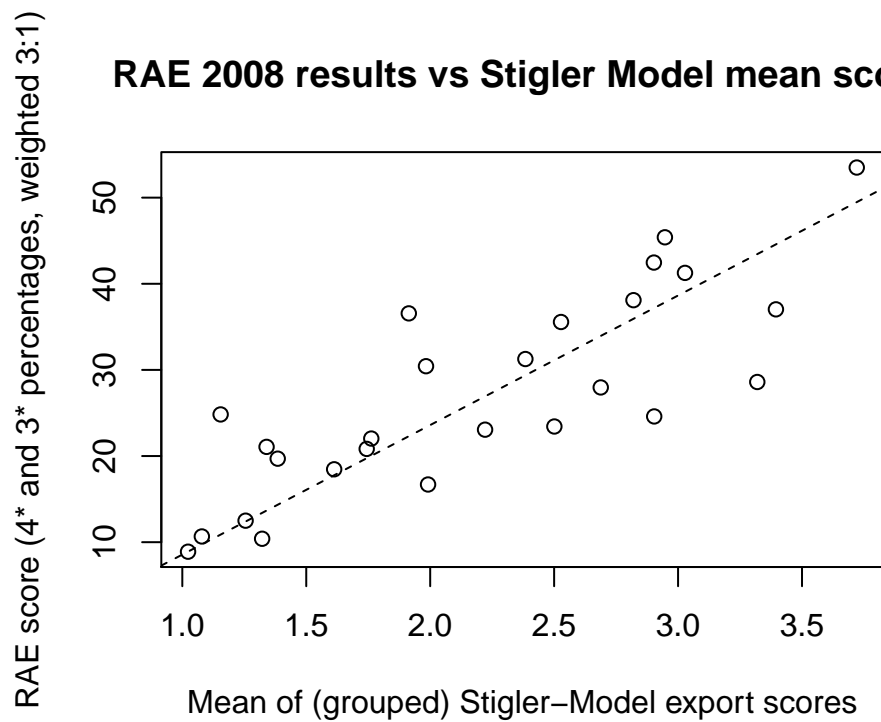
The graphs shown in Figure 6 of the paper are drawn as follows:

```
## Left panel of Figure 6
the.line <- lm(RAE.34star.wtd ~ SM.grouped.mean,
               weights = as.numeric(stats.fraction.of.articles > 0.5))
plot(SM.grouped.mean, RAE.34star.wtd,
     xlab = "Mean of (grouped) Stigler-Model export scores",
     ylab = "RAE score (4* and 3* percentages, weighted 3:1)",
     main = "RAE 2008 results vs Stigler Model mean score")
abline(the.line, lty = "dashed")
```

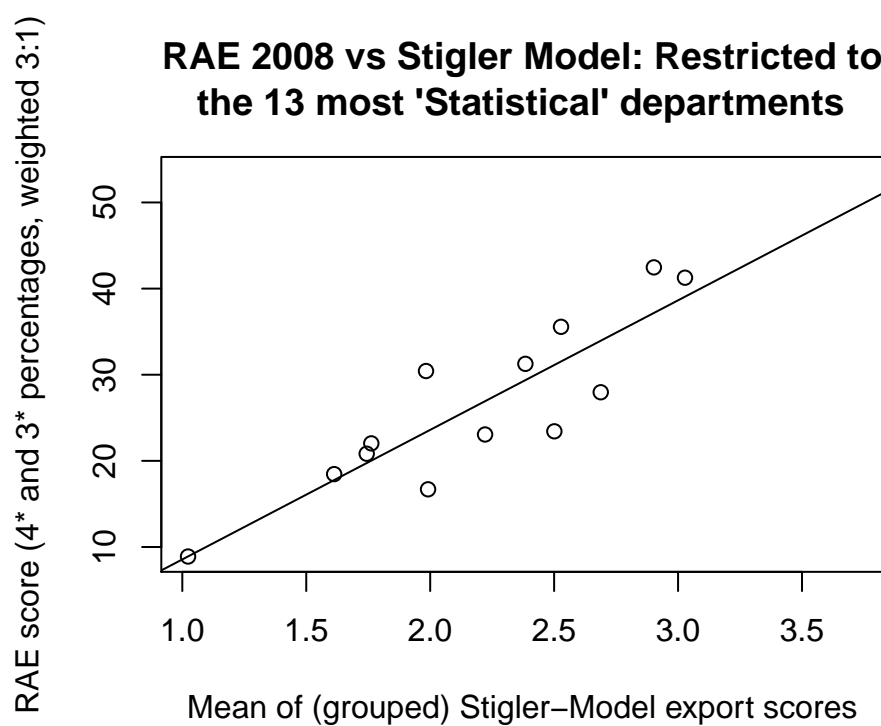
The outlier-identifying labels seen in Figure 6 of the paper were added by hand, using the `identify` function.

```
## Right panel of Figure 6
plotting.colours <- ifelse(stats.fraction.of.articles > 0.5,
                           "black", "white")
plot(SM.grouped.mean, RAE.34star.wtd,
     xlab = "Mean of (grouped) Stigler-Model export scores",
     ylab = "RAE score (4* and 3* percentages, weighted 3:1)",
     main = "RAE 2008 vs Stigler Model: Restricted to
the 13 most 'Statistical' departments",
     col = plotting.colours)
abline(the.line)
```

RAE 2008 results vs Stigler Model mean score



RAE 2008 vs Stigler Model: Restricted to the 13 most 'Statistical' departments



References

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