

# Are later-built high-speed-rail less meaningful?

## Using DID to analyze the effect of China's high-speed rails on urban development

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- Github link: [https://github.com/irrationalBI/CASA0006\\_Assessment](https://github.com/irrationalBI/CASA0006_Assessment)
- Word count: 1953
- Operating Environment: Docker-based CASA Computing Environment
- Full runtime: 17 seconds
- Some markdown syntax cannot be printed. Viewing the original file can provide better display effects.

```
In [45]: # Import all required packages
```

```
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
import seaborn as sns
import statsmodels.api as sm
import statsmodels.formula.api as smf
from statsmodels.regression.mixed_linear_model import MixedLM
from scipy import stats
from IPython.display import Image, display
from IPython.display import Math
```

```
In [2]: # Hiding warnings makes output cleaner
```

```
import warnings
warnings.filterwarnings('ignore')
```

## 1 Introduction

China's high-speed-rail (HSR) network has expanded rapidly over the past decade. According to the National Railway Administration of China (<https://www.nra.gov.cn>), since the opening of the first high-speed-rail in 2008, the Beijing-Tianjin Intercity Railway, China has surpassed 40,000 kilometers in total length of high-speed-rail by 2021.

In earlier years, people believed that HSR had greatly boosted economic development. However, in recent years, doubts have emerged on the Internet regarding the significance of some newly built HSR projects, particularly their economic benefits. Since newly constructed high-speed railways are often situated in economically underdeveloped provinces, especially in some non-plain areas, it is believed that their construction costs are excessively high and their economic promotional impact is limited.

This study aims to examine whether these newly built high-speed railways indeed yield lower economic promotion effects.

## 2 Literature review

There are a lot of studies on China's HSR. Initial studies focused on the impact of high-speed rail opening on different socio-economic indicators of the city. The most common indicators are GDP, GDP by industry, and GDP per capita. Some studies have developed new indicators and evaluated the impact of high-speed rail on them. For example, the study on the impact of high-speed rail on urban expansion (Deng et al., 2020), mainly used the Differences-in-Differences (DID) method and confirmed that high-speed rail will lead to greater urban expansion.

PSM (Propensity Score Matching) combined with DID can better perform this type of analysis. This method has been used to study urban specialization patterns (Lin, 2017), income distribution (Jin et al., 2022), and urban innovation (Fan and Xu, 2023).

In addition to innovations at the indicator level, some studies also focus on the promotion effect of high-speed rail in different regions and at different opening times. A comparative study of developed and underdeveloped regions shows that HSR has a more significant positive impact on underdeveloped areas with better basic conditions. (Liang et al., 2020). There are also analyses of the regional heterogeneity of the impact of HSR using a wider range of data combined with panel regression (Ke et al., 2017).

## 3 Research question

The research question is: Among China's high-speed rail lines, do newer lines have weaker positive effects on the cities they pass through than those of earlier-built lines?

It should be made clear that, "newer" does not refer to time, but refers to those high-speed rail lines that were built later due to poor location or high cost. Some short connecting lines newly built in developed areas do not fall into this category.

## 4 Presentation of data

### 4.1 Data introduction

The data used in the study is panel data for Chinese prefecture-level cities from 1990 to 2021, compiled based on the China Statistical Yearbook (<https://www.stats.gov.cn/sj/ndsj>). The dataset was sourced from an online data store (<http://www.gis5g.com/data/tjnj?id=267>), and comprises over 100 indicators for more than 300 prefecture-level cities.

### 4.2 Data filtering

#### 4.2.1 Data filtering approach

The study will first use DID to analyze the impact of two HSR lines in different periods and regions, and then compare the two groups of impacts. Therefore, we need to carefully select two appropriate treatment and control groups.

The two selected HSR lines should meet the following requirements:

1. They pass through two distant regions and are opened at a long interval.

- When the selected line is opened, there should be as few nearby HSR lines as possible to ensure the independence of their impact.
- The line lengths should be similar to ensure that the coverage of the lines is similar.

As shown in the figure, two lines were selected: the Beijing-Shanghai HSR (opened in June 2011) and the Changsha-Kunming HSR (opened in December 2016). In particular, Shandong Province and Guizhou Province were selected to ensure that the cities in each DID analysis are from the same province.

```
In [3]: display(Image(url='https://raw.githubusercontent.com/irrationalBI/CASA0006_Assessment/main/da...'))
```



Basemap source: [https://en.wikipedia.org/wiki/High-speed\\_rail\\_in\\_China](https://en.wikipedia.org/wiki/High-speed_rail_in_China)

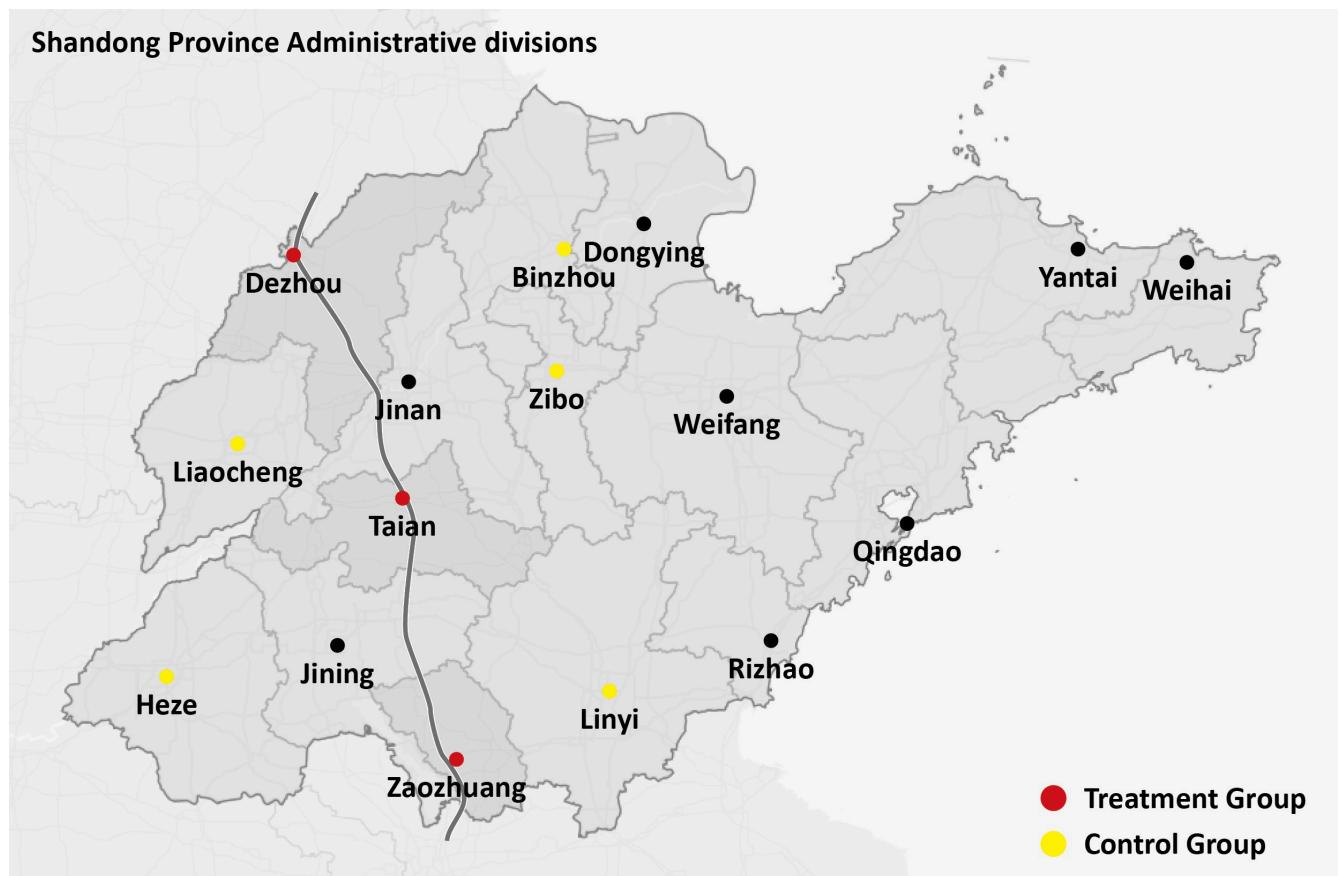
For each province (DID group), The following conditions should be met when selecting cities:

- The administrative levels of the cities in the treatment and control group are same.
- The city center of the treatment group has a HSR station, and the city center of the control group is far away enough from the station.
- The geographical conditions of the cities in the treatment and control group are similar.

As shown in the figure, in the two provinces, red is the treatment group and yellow is the control group. The remaining cities are not included in the analysis for the following reasons:

- Among the cities in Shandong Province, Jinan and Qingdao are sub-provincial cities, which are different from other prefecture-level cities. The distance between Jinan and the HSR line is vague that its impact cannot be clearly defined. The remaining cities are too far away from the treatment group and are all coastal cities, with large geographical differences.

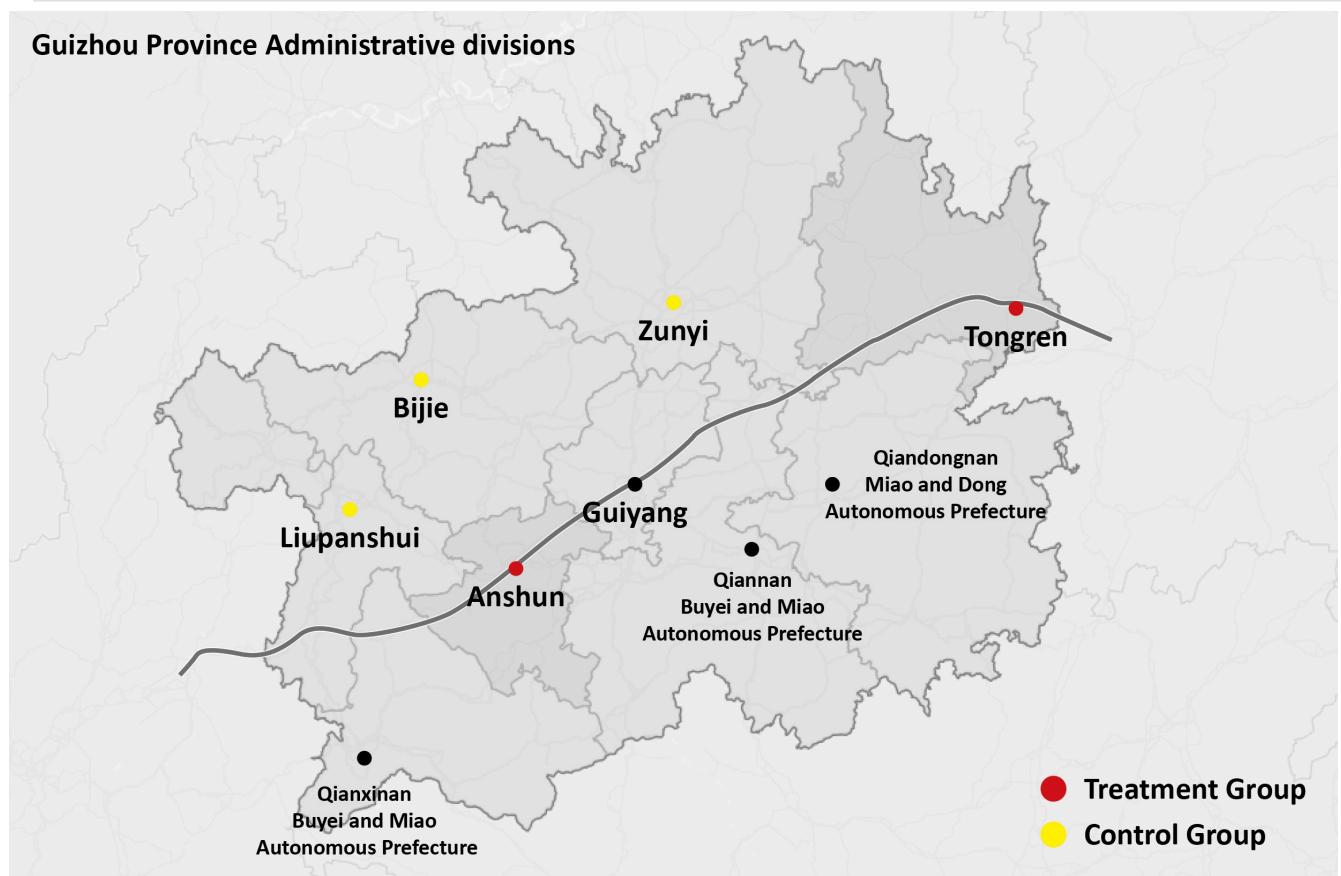
```
In [4]: display(Image(url='https://raw.githubusercontent.com/irrationalBI/CASA0006_Assessment/main/da
```



Basemap source: [https://datav.aliyun.com/portal/school/atlas/area\\_selector](https://datav.aliyun.com/portal/school/atlas/area_selector)

2. Among the cities in Guizhou Province, Guiyang is a sub-provincial city, and a HSR has been connected to Guangzhou from Guiyang since 2014. The three autonomous prefectures in the south are also different from ordinary prefecture-level cities.

```
In [5]: display(Image(url='https://raw.githubusercontent.com/irrationalBI/CASA0006_Assessment/main/da
```



Basemap source: [https://datav.aliyun.com/portal/school/atlas/area\\_selector](https://datav.aliyun.com/portal/school/atlas/area_selector)

Thus, we obtained the list of cities for the two DID analysis.

```
In [6]: cities_shandong_treatment = ['Dezhou', 'Taian', 'Zaozhuang']
cities_shandong_control = ['Liaocheng', 'Heze', 'Binzhou', 'Zibo', 'Linyi']
cities_guizhou_treatment = ['Anshun', 'Tongren']
cities_guizhou_control = ['Zunyi', 'Bijie', 'Liupanshui']

print('Shandong Province treatment group:', cities_shandong_treatment)
print('Shandong Province control group:', cities_shandong_control)
print('Guizhou Province treatment group:', cities_guizhou_treatment)
print('Guizhou Province control group:', cities_guizhou_control)
```

```
Shandong Province treatment group: ['Dezhou', 'Taian', 'Zaozhuang']
Shandong Province control group: ['Liaocheng', 'Heze', 'Binzhou', 'Zibo', 'Linyi']
Guizhou Province treatment group: ['Anshun', 'Tongren']
Guizhou Province control group: ['Zunyi', 'Bijie', 'Liupanshui']
```

Then, we select the time span. When dividing the impact, the impact of high-speed rail lines opened on or after July 1 is generally counted as the following year, while those opened before July 1 are counted as the current year (Chi and Han, 2023).

The Pre-Treatment Period is selected to be longer for better evaluation of trends. The cutoff time of the Post-Treatment Period depends on important events. For the Beijing-Shanghai HSR, other HSR lines opened in Shandong Province in 2016, which will bring new impacts. For the Changsha-Kunming HSR, the dataset is up to 2021. In 2020-2021, the COVID-19 may have a complex impact on GDP data, and we will further consider whether to adjust the cutoff point to 2019 in our analysis.

```
In [7]: years = list(range(2001, 2022))
years_shandong_pre = list(range(2001, 2011))
years_shandong_post = list(range(2011, 2016))
years_guizhou_pre = list(range(2007, 2017))
years_guizhou_post = list(range(2017, 2022))

print('Shandong Province Pre-Treatment Period:', years_shandong_pre)
print('Shandong Province Post-Treatment Period:', years_shandong_post)
print('Guizhou Province Pre-Treatment Period:', years_guizhou_pre)
print('Guizhou Province Post-Treatment Period:', years_guizhou_post)
```

```
Shandong Province Pre-Treatment Period: [2001, 2002, 2003, 2004, 2005, 2006, 2007, 2008, 2009, 2010]
Shandong Province Post-Treatment Period: [2011, 2012, 2013, 2014, 2015]
Guizhou Province Pre-Treatment Period: [2007, 2008, 2009, 2010, 2011, 2012, 2013, 2014, 2015, 2016]
Guizhou Province Post-Treatment Period: [2017, 2018, 2019, 2020, 2021]
```

Finally, we need to select the indicator columns to be used for measuring impact or for PSM analysis. GDP, GDP by industry, GDP per capita, and real estate-related data are usually used to measure impact (Liang et al., 2020). Some of these indicators require secondary calculations.

```
In [8]: # Filter the columns of the original data
indicator_columns = ['GDP', 'primary_GDP', 'secondary_GDP', 'tertiary_GDP', 'real_estate',
                     'population', 'population_re']

indicator = {
    # GDP data (for measuring impact)
    'GDP': 'Gross Regional Product (10k CNY)',
    'primary_GDP': 'Primary Industry Value Added (10k CNY)',
    'secondary_GDP': 'Secondary Industry Value Added (10k CNY)',
```

```

'tertiary_GDP': 'Tertiary Industry Value Added (10k CNY)',

# Real estate investment (for measuring impact)
'real_estate': 'Real Estate Development Investment (10k CNY)',

# Population (for calculating per capita indicators)
'population': 'Average annual population (10,000)',
'population_re': 'Registered population (10,000)'
}

df_indicator = pd.DataFrame(list(indicator.items()), columns=['Indicator', 'Description'])
df_indicator

```

Out[8]:

	Indicator	Description
0	GDP	Gross Regional Product (10k CNY)
1	primary_GDP	Primary Industry Value Added (10k CNY)
2	secondary_GDP	Secondary Industry Value Added (10k CNY)
3	tertiary_GDP	Tertiary Industry Value Added (10k CNY)
4	real_estate	Real Estate Development Investment (10k CNY)
5	population	Average annual population (10,000)
6	population_re	Registered population (10,000)

## 4.2.2 Data filtering code

The dataset can be imported and filtered using the following code.

However, since all the city names and column names in the dataset are in Chinese, the code for the filtering process contains a large number of Chinese characters. We directly provide the filtered dataset in 4.2.3.

## 4.2.3 Data filtering result

In [14]:

```

# Import filtered data
filtered_data = pd.read_csv('https://raw.githubusercontent.com/irrationalBI/CASA0006_Assessme
filtered_data

```

Out[14]:

	year	city	GDP	primary_GDP	secondary_GDP	tertiary_GDP	real_estate	population
0	2021	Zibo	42010000	1810631.000	2.073194e+07	1.947164e+07	3742557	41000000
1	2020	Zibo	36730000	1568371.000	1.776997e+07	1.739166e+07	3441747	40000000
2	2019	Zibo	36420000	1489578.000	1.818086e+07	1.674956e+07	3133055	40000000
3	2018	Zibo	50683500	1459684.800	2.640104e+07	2.282785e+07	2694898	40000000
4	2017	Zibo	47713600	1484296.110	2.477763e+07	2.114241e+07	2418498	40000000
...	...	...	...	...	...	...	...	...
268	2005	Tongren	2073252	601142.214	5.802114e+05	8.918959e+05	365059	30000000
269	2004	Tongren	1822602	528854.093	5.103967e+05	7.833478e+05	324747	28000000
270	2003	Tongren	1571952	456565.972	4.405820e+05	6.747997e+05	284435	26000000
271	2002	Tongren	1321301	384277.851	3.707674e+05	5.662516e+05	244123	24000000
272	2001	Tongren	1070651	311989.729	3.009527e+05	4.577034e+05	203811	22000000

273 rows × 9 columns



## 4.3 Data processing

First, calculate some new indicators.

```
In [15]: new_indicator_columns = ['GDP_pc', 'secondary_GDP_pc', 'tertiary_GDP_pc']

new_indicator = {
    # GDP data (for measuring impact)
    'GDP_pc': 'GDP per capita',
    'secondary_GDP_pc': 'Per capita GDP of secondary industry',
    'tertiary_GDP_pc': 'Per capita GDP of tertiary industry',
}
```

```
In [16]: # GDP per capita
filtered_data['GDP_pc'] = filtered_data['GDP'] / filtered_data['population']

# Per capita GDP of secondary industry
filtered_data['secondary_GDP_pc'] = filtered_data['secondary_GDP'] / filtered_data['population']

# Per capita GDP of tertiary industry
filtered_data['tertiary_GDP_pc'] = filtered_data['tertiary_GDP'] / filtered_data['population']

filtered_data
```

Out[16]:

	year	city	GDP	primary_GDP	secondary_GDP	tertiary_GDP	real_estate	population
0	2021	Zibo	42010000	1810631.000	2.073194e+07	1.947164e+07	3742557	4110000
1	2020	Zibo	36730000	1568371.000	1.776997e+07	1.739166e+07	3441747	4000000
2	2019	Zibo	36420000	1489578.000	1.818086e+07	1.674956e+07	3133055	4000000
3	2018	Zibo	50683500	1459684.800	2.640104e+07	2.282785e+07	2694898	4000000
4	2017	Zibo	47713600	1484296.110	2.477763e+07	2.114241e+07	2418498	4000000
...	...	...	...	...	...	...	...	...
268	2005	Tongren	2073252	601142.214	5.802114e+05	8.918959e+05	365059	3000000
269	2004	Tongren	1822602	528854.093	5.103967e+05	7.833478e+05	324747	2800000
270	2003	Tongren	1571952	456565.972	4.405820e+05	6.747997e+05	284435	2600000
271	2002	Tongren	1321301	384277.851	3.707674e+05	5.662516e+05	244123	2400000
272	2001	Tongren	1070651	311989.729	3.009527e+05	4.577034e+05	203811	2200000

273 rows × 12 columns



In [17]:

```
# Add new indicators to existing indicators
indicator_columns = indicator_columns + new_indicator_columns

indicator.update(new_indicator)

df_indicator = pd.DataFrame(list(indicator.items()), columns=['Indicator', 'Description'])
df_indicator
```

Out[17]:

	Indicator	Description
0	GDP	Gross Regional Product (10k CNY)
1	primary_GDP	Primary Industry Value Added (10k CNY)
2	secondary_GDP	Secondary Industry Value Added (10k CNY)
3	tertiary_GDP	Tertiary Industry Value Added (10k CNY)
4	real_estate	Real Estate Development Investment (10k CNY)
5	population	Average annual population (10,000)
6	population_re	Registered population (10,000)
7	GDP_pc	GDP per capita
8	secondary_GDP_pc	Per capita GDP of secondary industry
9	tertiary_GDP_pc	Per capita GDP of tertiary industry

Now that we have all the indicators, we need to check the indicators to avoid data errors and take logarithms if necessary.

In [18]:

```
# Define a function to check the indicator trend
def plot_indicators(data, city_name, indicators, nrows, ncols):

    # Filter data for selected cities
    city_data = data[data['city'] == city_name]

    plt.style.use('seaborn-darkgrid')
```

```

# Creating graphs and subgraphs by layout
fig, axes = plt.subplots(nrows=nrows, ncols=ncols, figsize=(5 * ncols, 5 * nrows), sharex=True)
axes = axes.flatten() # Flatten axes array for easy iteration

# Traverse all indicators and draw a line chart for each
for ax, ind in zip(axes, indicators):
    ax.plot(city_data['year'], city_data[ind], marker='o', label=f"{ind} over years")
    ax.set_title(f"{ind} over years for {city_name}")
    ax.set_xlabel('Year')
    ax.set_ylabel(ind)
    ax.legend(loc='best')

# Hide extra subplots if there are more plots than indicators
for i in range(len(indicators), len(axes)):
    axes[i].axis('off')

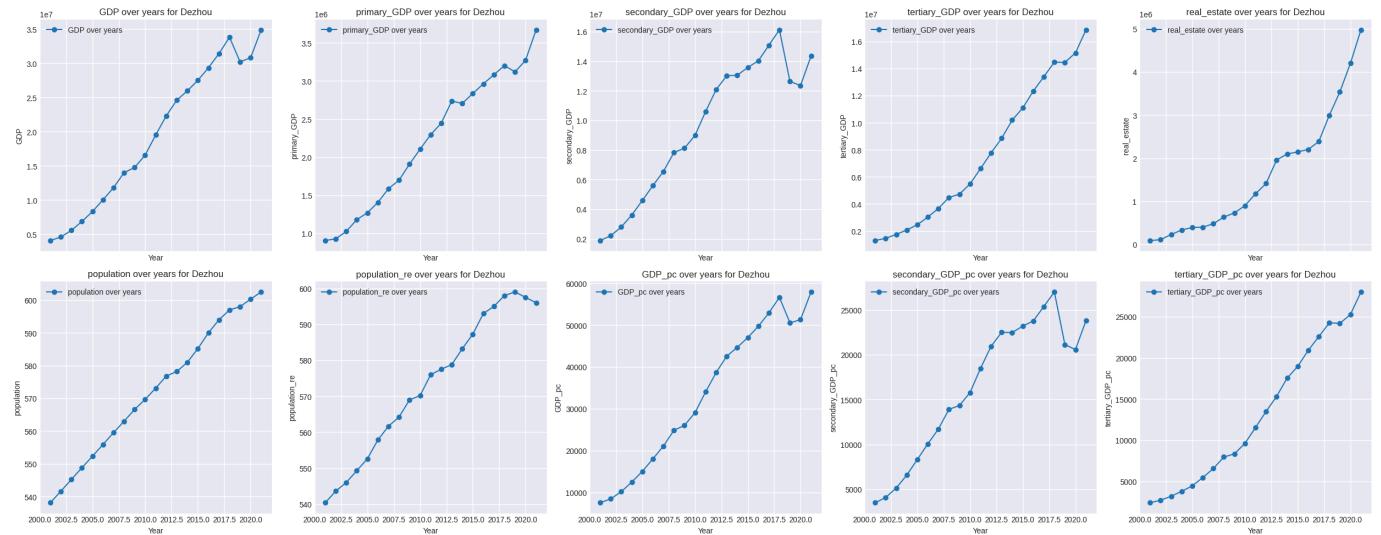
plt.tight_layout()
plt.show()

```

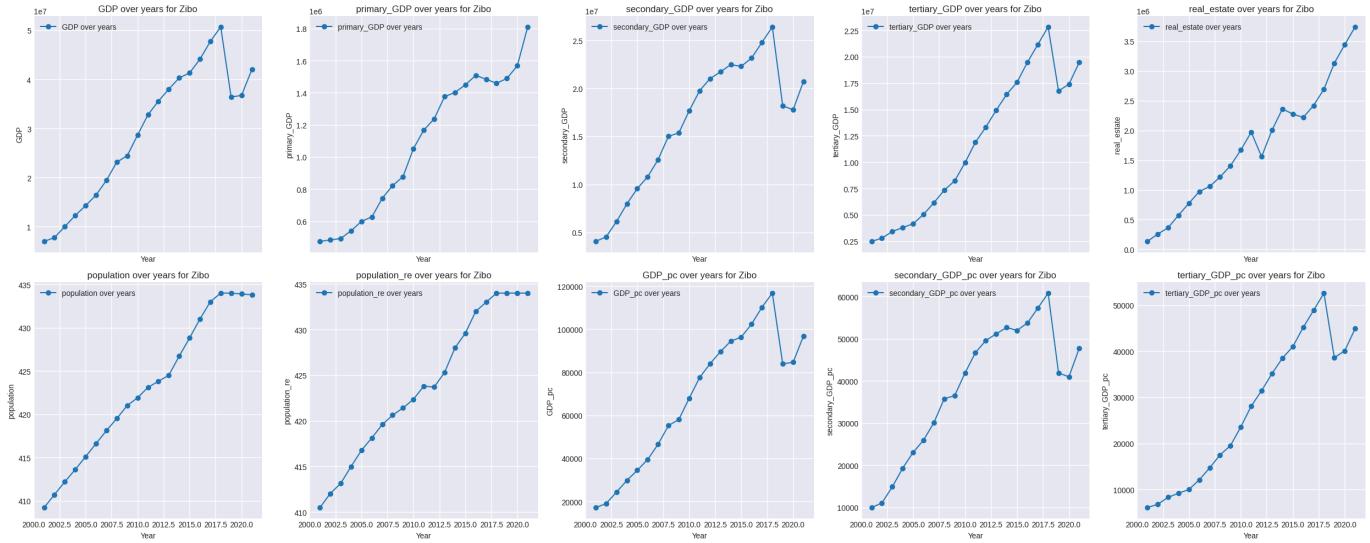
In [19]: indicator\_columns

Out[19]: ['GDP',  
'primary\_GDP',  
'secondary\_GDP',  
'tertiary\_GDP',  
'real\_estate',  
'population',  
'population\_re',  
'GDP\_pc',  
'secondary\_GDP\_pc',  
'tertiary\_GDP\_pc']

In [20]: # Select a city from the treatment group in Shandong Province (DID group 1)  
plot\_indicators(filtered\_data, 'Dezhou', indicator\_columns, 2, 5)

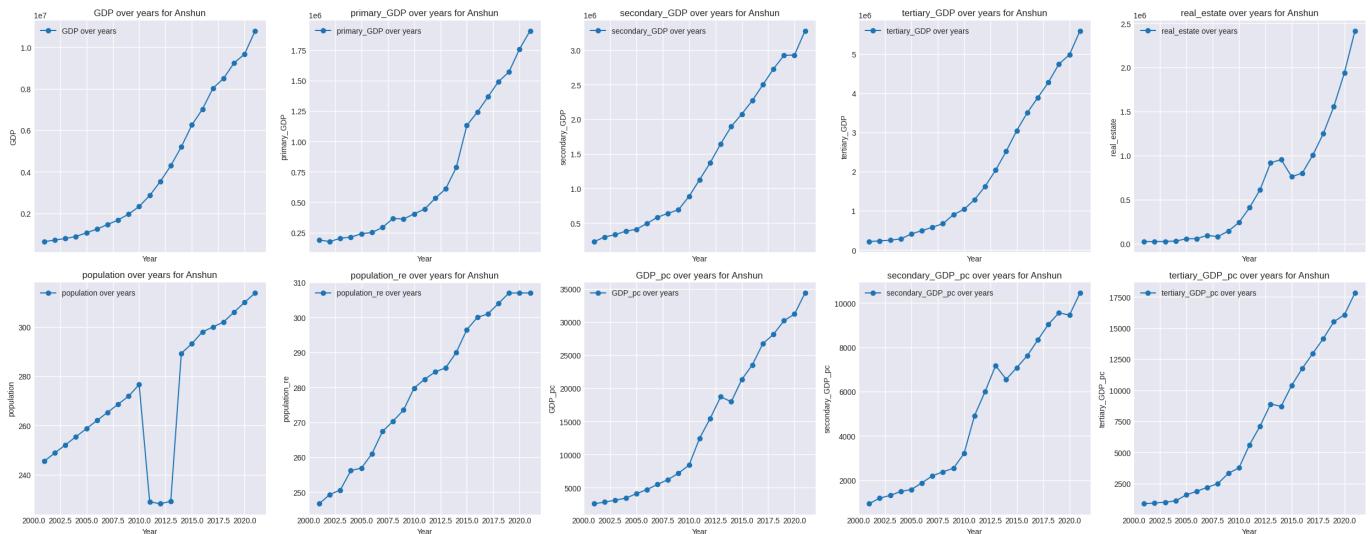


In [21]: # Select a city from the control group in Shandong Province (DID group 1)  
plot\_indicators(filtered\_data, 'Zibo', indicator\_columns, 2, 5)

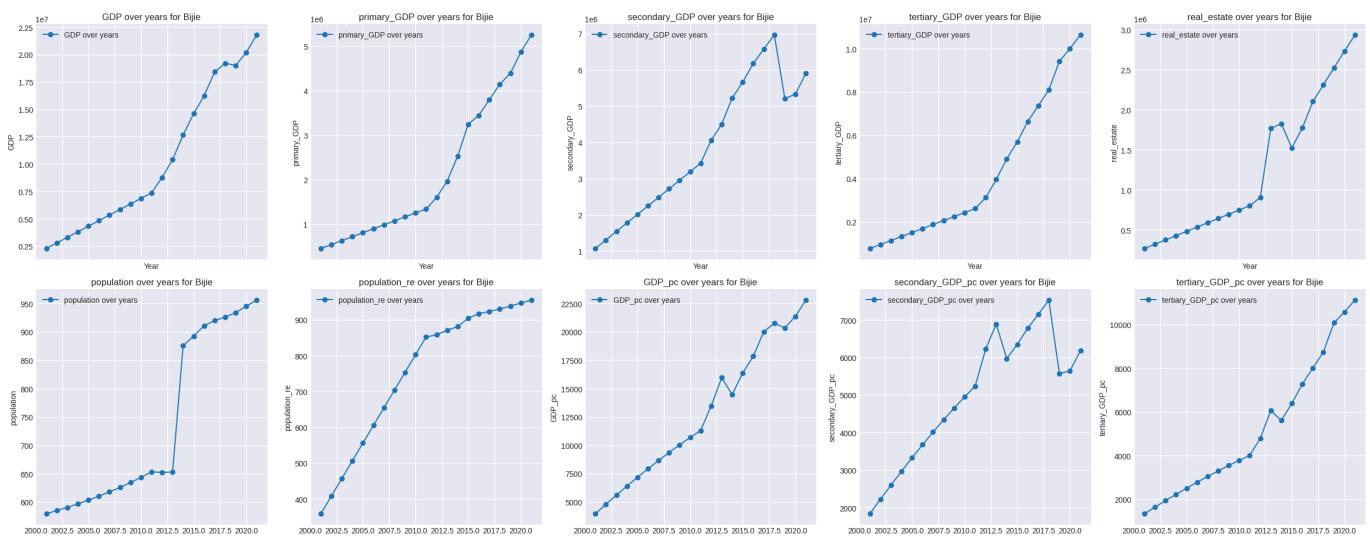


There's a significant problem that arises in the post-2019 portion of the GDP-related data. According to government policy, Shandong Province launched a GDP "squeeze" in 2019. To solve the problem of GDP over-reporting, the calculation standard was changed. However, our cut-off time for Shandong Province is 2015, so it will not be affected.

```
In [22]: # Select a city from the treatment group in Guizhou Province (DID group 2)
plot_indicators(filtered_data, 'Anshun', indicator_columns, 2, 5)
```



```
In [23]: # Select a city from the control group in Guizhou Province (DID group 2)
plot_indicators(filtered_data, 'Bijie', indicator_columns, 2, 5)
```



In the process of checking the data of all cities, we found that the data of individual cities in individual years were abnormal. We manually queried government information to correct these

data. After checking, these data are all real data, so we will not change them. Due to the anomalies in population data, we will not use per capita data.

Regarding the impact of the COVID-19, Guizhou Province's GDP still had a positive growth rate in 2020 (4.5%) and 2021 (8.1%). Judging from the plot, there was no drastic change, so we retained the data for these two years.

Then, we can select the indicators to measure the impact in DID analysis, and take the logarithm of the necessary indicators. Due to data quality, we will not use all the filtered data.

```
In [24]: # Take the logarithm of the GDP data we are going to use
indicator_log = ['GDP', 'secondary_GDP', 'tertiary_GDP', 'real_estate']

# Take the Logarithm of the specified column and add a new column
for column in indicator_log:
    filtered_data[f'{column}_log'] = np.log(filtered_data[column])

filtered_data
```

```
Out[24]:
```

	year	city	GDP	primary_GDP	secondary_GDP	tertiary_GDP	real_estate	populat
0	2021	Zibo	42010000	1810631.000	2.073194e+07	1.947164e+07	3742557	43
1	2020	Zibo	36730000	1568371.000	1.776997e+07	1.739166e+07	3441747	43
2	2019	Zibo	36420000	1489578.000	1.818086e+07	1.674956e+07	3133055	43
3	2018	Zibo	50683500	1459684.800	2.640104e+07	2.282785e+07	2694898	43
4	2017	Zibo	47713600	1484296.110	2.477763e+07	2.114241e+07	2418498	43
...	...	...	...	...	...	...	...	...
268	2005	Tongren	2073252	601142.214	5.802114e+05	8.918959e+05	365059	30
269	2004	Tongren	1822602	528854.093	5.103967e+05	7.833478e+05	324747	28
270	2003	Tongren	1571952	456565.972	4.405820e+05	6.747997e+05	284435	26
271	2002	Tongren	1321301	384277.851	3.707674e+05	5.662516e+05	244123	24
272	2001	Tongren	1070651	311989.729	3.009527e+05	4.577034e+05	203811	22

273 rows × 16 columns



```
In [25]: # Indicators for DID analysis
indicator_DID = ['GDP_log', 'secondary_GDP_log', 'tertiary_GDP_log', 'real_estate_log']
```

```
Out[25]: ['GDP_log', 'secondary_GDP_log', 'tertiary_GDP_log', 'real_estate_log']
```

Finally, we can split the table into two groups for DID analysis, adjust the year range, and add the HSR opening variable.

```
In [26]: # Extract the required columns
columns_to_extract = ['year', 'city'] + indicator_DID
filtered_data_final = filtered_data[columns_to_extract]
```

```
In [27]: # Split the data of the first group of DID analysis (Shandong province)
cities_shandong = cities_shandong_treatment + cities_shandong_control
data_shandong = filtered_data_final[filtered_data_final['city'].isin(cities_shandong)]
```

```
# Keep the years required for analysis
```

```

data_shandong = data_shandong[data_shandong['year'].isin(list(range(2001, 2016)))]
data_shandong.reset_index(drop=True, inplace=True)

# Add the HSR opening variable
data_shandong['hsr'] = 0
mask = (data_shandong['year'].isin(years_shandong_post) &
        data_shandong['city'].isin(cities_shandong_treatment))
data_shandong.loc[mask, 'hsr'] = 1

data_shandong

```

Out[27]:

	year	city	GDP_log	secondary_GDP_log	tertiary_GDP_log	real_estate_log	hsr
0	2015	Zibo	17.536431	16.919504	16.681471	14.638315	0
1	2014	Zibo	17.511804	16.927870	16.614090	14.675013	0
2	2013	Zibo	17.453423	16.893407	16.518204	14.510529	0
3	2012	Zibo	17.387072	16.860625	16.404909	14.258039	0
4	2011	Zibo	17.306009	16.798844	16.290450	14.494457	0
...	...	...	...	...	...	...	...
115	2005	Heze	15.321475	14.477505	13.838670	12.242419	0
116	2004	Heze	15.110840	14.200532	13.606663	11.813297	0
117	2003	Heze	14.880566	13.848584	13.478142	11.324473	0
118	2002	Heze	14.731161	13.570248	13.322621	10.508159	0
119	2001	Heze	14.629636	13.351657	13.216997	10.055436	0

120 rows × 7 columns

In [28]:

```

# Split the data of the second group of DID analysis (Guizhou province)
cities_guizhou = cities_guizhou_treatment + cities_guizhou_control
data_guizhou = filtered_data_final[filtered_data_final['city'].isin(cities_guizhou)]

# Keep the years required for analysis
data_guizhou = data_guizhou[data_guizhou['year'].isin(list(range(2006, 2022)))]
data_guizhou.reset_index(drop=True, inplace=True)

# Add the HSR opening variable
data_guizhou['hsr'] = 0
mask = (data_guizhou['year'].isin(years_guizhou_post) &
        data_guizhou['city'].isin(cities_guizhou_treatment))
data_guizhou.loc[mask, 'hsr'] = 1

data_guizhou

```

Out[28]:

	year	city	GDP_log	secondary_GDP_log	tertiary_GDP_log	real_estate_log	hsr
0	2021	Liupanshui	16.506075	15.717518	15.646401	13.657505	0
1	2020	Liupanshui	16.410765	15.607357	15.554158	13.657664	0
2	2019	Liupanshui	16.353958	15.577647	15.480966	13.656293	0
3	2018	Liupanshui	16.540542	15.819613	15.665154	13.668088	0
4	2017	Liupanshui	16.497703	15.762810	15.576805	13.566571	0
...	...	...	...	...	...	...	...
75	2010	Tongren	15.017433	13.742170	14.176422	13.247442	0
76	2009	Tongren	14.939093	13.664071	14.097744	13.173640	0
77	2008	Tongren	14.854091	13.579352	14.012343	13.093954	0
78	2007	Tongren	14.761186	13.486785	13.918962	13.007363	0
79	2006	Tongren	14.658759	13.384768	13.815955	12.912558	0

80 rows × 7 columns

These are the final data used for analysis.

## 5 Methodology

### 5.1 Method Overview

The core idea is to use Fixed-effects-DID to analyze the impact of HSR opening in Shandong Province and Guizhou Province respectively, and then compare the two impacts. The process is as follows:

1. Conduct parallel trends test for Shandong Province data.
2. Based on the results, conduct Fixed-effects-DID analysis.
3. Apply the same procedure to Guizhou Province.
4. Compare the results of the two groups and draw conclusions.

The standard DID model is as follows:

```
In [46]: display(Math(r'Y_{it} = \beta_0 + \beta_1 treat_{i} + \beta_2 period_{t} + \beta_3 treat_{i} \times period_{t} + \varepsilon_{it}'))
```

$$Y_{it} = \beta_0 + \beta_1 treat_i + \beta_2 period_t + \beta_3 treat_i \times period_t + \varepsilon_{it}$$

The Fixed-effects-DID model is DID combined with the fixed effect model to better handle panel data:

```
In [47]: display(Math(r'Y_{it} = \beta_0 + \beta_1 treat_{i} \times period_{t} + \lambda_i + \nu_t'))
```

$$Y_{it} = \beta_0 + \beta_1 treat_i \times period_t + \lambda_i + \nu_t + \varepsilon_{it}$$

Here, " $\lambda_i$ " is the individual fixed effect, which replaces the original treatment grouping variable.

" $\nu_t$ " is the time fixed effect, which replaces the original treatment time variable.

## 5.2 Fixed-effects-DID analysis for Shandong

### 5.2.1 Parallel Trends Test

```
In [29]: # Function for comparing the average trends of two sets of data
def plot_average_trends_subplot(data, column, treatment_cities, hsr_start_year, ax):

    # Distinguish between treatment and control groups
    data['treatment'] = data['city'].isin(treatment_cities).astype(int)

    # Calculate the mean value for each group in each year
    average_trends = data.groupby(['year', 'treatment'])[column].mean().unstack()

    ax.plot(average_trends.index, average_trends[0], label='Control Group')
    ax.plot(average_trends.index, average_trends[1], label='Treatment Group')
    ax.axvline(x=hsr_start_year, color='grey', linestyle='--', linewidth=2, label=f'HSR Start')
    ax.set_title(f'{column} by Year for Treatment and Control Groups')
    ax.set_xlabel('Year')
    ax.set_ylabel(f'Average of {column}')
    ax.legend()
    ax.grid(True)
```

```
In [30]: # Function for comparing data trends of all cities
def plot_city_trends_subplot(data, column, treatment_cities, control_cities, hsr_start_year, ax):

    grouped = data.groupby(['year', 'city'])[column].mean().reset_index()

    # Draw a trend line for each city
    for city in treatment_cities:
        city_data = grouped[grouped['city'] == city]
        ax.plot(city_data['year'], city_data[column], marker='o', label=f'Treatment - {city}')

    for city in control_cities:
        city_data = grouped[grouped['city'] == city]
        ax.plot(city_data['year'], city_data[column], marker='s', linestyle='--', label=f'Control - {city}')

    # Add a vertical dashed line at the specified year
    ax.axvline(x=hsr_start_year, color='grey', linestyle='--', linewidth=2, label=f'HSR Start')

    ax.set_title(f'Yearly Trends in {column} by City')
    ax.set_xlabel('Year')
    ax.set_ylabel(f'Average of {column}')
    ax.grid(True)
    ax.legend(title='City Groups', bbox_to_anchor=(1.1, 0), loc='lower right')
```

```
In [31]: def plot_all(data, treatment_cities, control_cities, hsr_start_year):

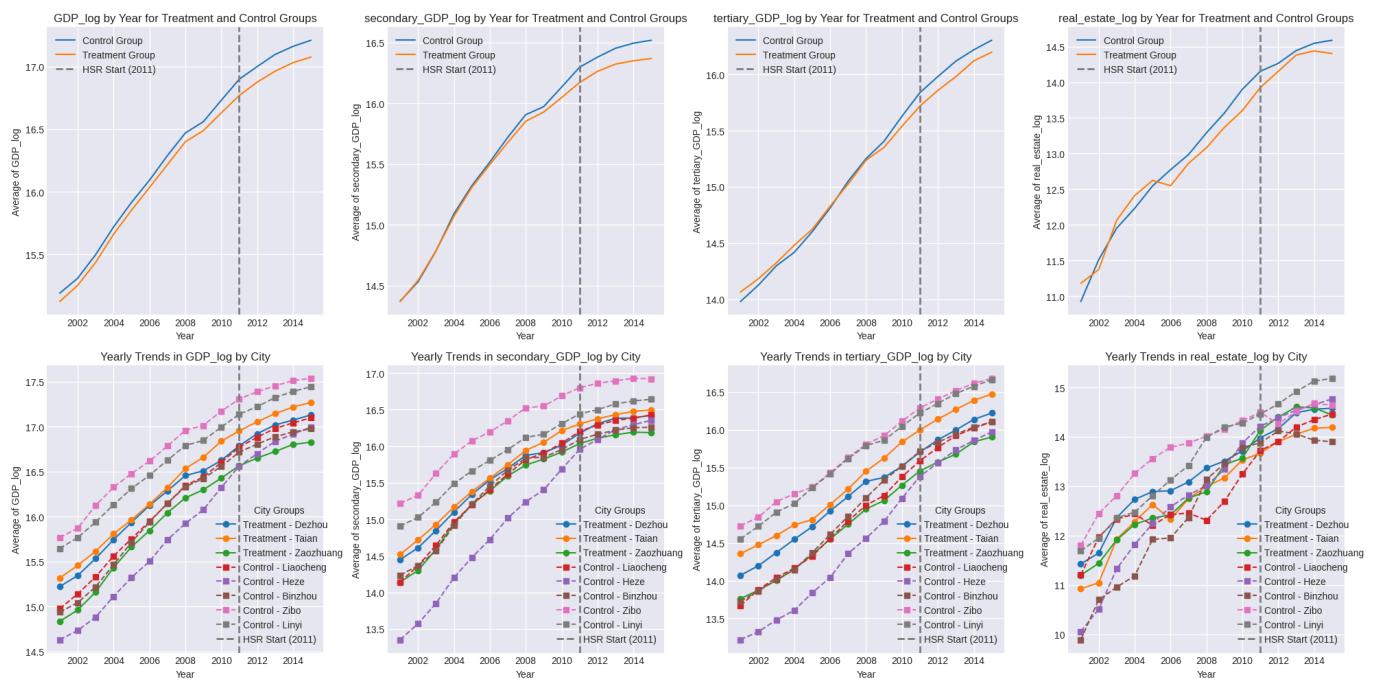
    fig, axs = plt.subplots(2, 4, figsize=(20, 10))

    indicator_DID = ['GDP_log', 'secondary_GDP_log', 'tertiary_GDP_log', 'real_estate_log']

    # average trends
    for i, column in enumerate(indicator_DID):
        plot_average_trends_subplot(data_shandong, column, cities_shandong_treatment, 2011, axs[i, 0])

    # trends of all cities
    for i, column in enumerate(indicator_DID):
        plot_city_trends_subplot(data_shandong, column, cities_shandong_treatment, cities_shan
```

```
In [32]: plot_all(data_shandong, cities_shandong_treatment, cities_shandong_control, 2011)
```



## 5.2.2 DID analysis

```
In [33]: # Functions used to fit the model
```

```
def run_fixed_effects_model(data_pro, treatment_cities, post_hsr_years, response_variable, hsr_start_year):

    data = data_pro.copy()

    # Create treatment and control group markers
    data['treatment'] = data['city'].isin(treatment_cities).astype(int)

    # Create time period markers before and after the high-speed rail opening
    data['post'] = data['year'].isin(post_hsr_years).astype(int)

    # Creating interaction terms
    data['treatment_post'] = data['treatment'] * data['post']

    # Convert the city column into a categorical variable
    data['city'] = data['city'].astype('category')

    # Year as a continuous variable
    data['t'] = data['year'].astype(int) - hsr_start_year

    # Construct a fixed effect model formula and add fixed effects of city and year
    model_formula = f'{response_variable} ~ treatment_post + C(city) + C(t)'

    # Fitting the model
    model = smf.ols(model_formula, data=data).fit()

    # Output model results
    print(model.summary())

    return model
```

```
In [34]: # Functions for printing and storing results
```

```
def model_results(fixed_effects_model, data_pro, treatment_cities, post_hsr_years, hsr_start_year):

    # Indicators to use for analysis
    indicator_DID = ['GDP_log', 'secondary_GDP_log', 'tertiary_GDP_log', 'real_estate_log']

    # Initialize an empty DataFrame to store the results
    results_df = pd.DataFrame(columns=['Response Variable', 'Coefficient', 'Std Error',
```

```
't-value', 'P-value', 'Conf. Int. Low', 'Conf. Int. Hi'

# Fit the model
for response_variable in indicator_DID:
    print('//////////////////////////////')
    print(f'{response_variable}')
    print('//////////////////////////////')
    model = fixed_effects_model(data_pro, treatment_cities, post_hsr_years, response_vari
    print(' ')
    print(' ')
    print(' ')

    # Extracting model results
    conf_int = model.conf_int()

    # Add the desired results to the DataFrame
    temp_df = pd.DataFrame({
        'Response Variable': [response_variable],
        'Coefficient': [model.params['treatment_post']],
        'Std Error': [model.bse['treatment_post']],
        't-value': [model.tvalues['treatment_post']],
        'P-value': [model.pvalues['treatment_post']],
        'Conf. Int. Low': [conf_int.loc['treatment_post', 0]],
        'Conf. Int. High': [conf_int.loc['treatment_post', 1]]
    })

    results_df = pd.concat([results_df, temp_df], ignore_index=True)

return results_df
```

In [35]: `# Get results for Shandong Province`

```
results_shandong = model_results(run_fixed_effects_model, data_shandong, cities_shandong_trea
```

```
/////////////// GDP_log /////////////////////////////////
GDP_log
//////////////////////////// OLS Regression Results
=====
```

Dep. Variable:	GDP_log	R-squared:	0.990			
Model:	OLS	Adj. R-squared:	0.987			
Method:	Least Squares	F-statistic:	421.1			
Date:	Mon, 29 Apr 2024	Prob (F-statistic):	2.89e-86			
Time:	01:35:20	Log-Likelihood:	142.46			
No. Observations:	120	AIC:	-238.9			
Df Residuals:	97	BIC:	-174.8			
Df Model:	22					
Covariance Type:	nonrobust					
<hr/>						
	coef	std err	t	P> t	[0.025	0.975]
<hr/>						
Intercept	14.9875	0.035	423.441	0.000	14.917	15.058
C(city)[T.Dezhou]	0.1945	0.032	6.092	0.000	0.131	0.258
C(city)[T.Heze]	-0.2564	0.030	-8.554	0.000	-0.316	-0.197
C(city)[T.Liaocheng]	0.0606	0.030	2.022	0.046	0.001	0.120
C(city)[T.Linyi]	0.5284	0.030	17.626	0.000	0.469	0.588
C(city)[T.Tai'an]	0.3000	0.032	9.398	0.000	0.237	0.363
C(city)[T.Zaozhuang]	-0.0899	0.032	-2.818	0.006	-0.153	-0.027
C(city)[T.Zibo]	0.6804	0.030	22.694	0.000	0.621	0.740
C(t)[T.-9]	0.1230	0.041	2.996	0.003	0.042	0.204
C(t)[T.-8]	0.3092	0.041	7.532	0.000	0.228	0.391
C(t)[T.-7]	0.5316	0.041	12.950	0.000	0.450	0.613
C(t)[T.-6]	0.7266	0.041	17.699	0.000	0.645	0.808
C(t)[T.-5]	0.9050	0.041	22.045	0.000	0.824	0.986
C(t)[T.-4]	1.0963	0.041	26.703	0.000	1.015	1.178
C(t)[T.-3]	1.2776	0.041	31.121	0.000	1.196	1.359
C(t)[T.-2]	1.3672	0.041	33.303	0.000	1.286	1.449
C(t)[T.-1]	1.5271	0.041	37.197	0.000	1.446	1.609
C(t)[T.0]	1.7078	0.043	39.846	0.000	1.623	1.793
C(t)[T.1]	1.8110	0.043	42.253	0.000	1.726	1.896
C(t)[T.2]	1.9042	0.043	44.428	0.000	1.819	1.989
C(t)[T.3]	1.9702	0.043	45.968	0.000	1.885	2.055
C(t)[T.4]	2.0177	0.043	47.075	0.000	1.933	2.103
treatment_post	-0.0627	0.033	-1.909	0.059	-0.128	0.002
<hr/>						
Omnibus:	7.503	Durbin-Watson:	0.339			
Prob(Omnibus):	0.023	Jarque-Bera (JB):	7.955			
Skew:	0.434	Prob(JB):	0.0187			
Kurtosis:	3.915	Cond. No.	17.1			
<hr/>						

#### Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

```
////////////// secondary_GDP_log ///////////////////////////////
secondary_GDP_log
//////////////////////////// OLS Regression Results
=====
```

Dep. Variable:	secondary_GDP_log	R-squared:	0.971
Model:	OLS	Adj. R-squared:	0.965
Method:	Least Squares	F-statistic:	149.0
Date:	Mon, 29 Apr 2024	Prob (F-statistic):	7.34e-65
Time:	01:35:20	Log-Likelihood:	72.745
No. Observations:	120	AIC:	-99.49
Df Residuals:	97	BIC:	-35.38
Df Model:	22		
Covariance Type:	nonrobust		

	coef	std err	t	P> t	[0.025	0.975]
Intercept	14.2148	0.063	224.640	0.000	14.089	14.340
C(city)[T.Dezhou]	0.1698	0.057	2.976	0.004	0.057	0.283
C(city)[T.Heze]	-0.4398	0.054	-8.205	0.000	-0.546	-0.333
C(city)[T.Liaocheng]	0.0474	0.054	0.885	0.378	-0.059	0.154
C(city)[T.Linyi]	0.4268	0.054	7.963	0.000	0.320	0.533
C(city)[T.Taian]	0.2539	0.057	4.449	0.000	0.141	0.367
C(city)[T.Zaozhuang]	-0.0121	0.057	-0.212	0.833	-0.125	0.101
C(city)[T.Zibo]	0.7870	0.054	14.683	0.000	0.681	0.893
C(t)[T.-9]	0.1652	0.073	2.250	0.027	0.020	0.311
C(t)[T.-8]	0.4156	0.073	5.662	0.000	0.270	0.561
C(t)[T.-7]	0.7136	0.073	9.723	0.000	0.568	0.859
C(t)[T.-6]	0.9479	0.073	12.915	0.000	0.802	1.094
C(t)[T.-5]	1.1399	0.073	15.532	0.000	0.994	1.286
C(t)[T.-4]	1.3351	0.073	18.190	0.000	1.189	1.481
C(t)[T.-3]	1.5175	0.073	20.676	0.000	1.372	1.663
C(t)[T.-2]	1.5871	0.073	21.624	0.000	1.441	1.733
C(t)[T.-1]	1.7325	0.073	23.606	0.000	1.587	1.878
C(t)[T.0]	1.9212	0.077	25.072	0.000	1.769	2.073
C(t)[T.1]	2.0077	0.077	26.201	0.000	1.856	2.160
C(t)[T.2]	2.0755	0.077	27.086	0.000	1.923	2.228
C(t)[T.3]	2.1121	0.077	27.564	0.000	1.960	2.264
C(t)[T.4]	2.1344	0.077	27.855	0.000	1.982	2.287
treatment_post	-0.1068	0.059	-1.819	0.072	-0.223	0.010
<hr/>						
Omnibus:	12.755	Durbin-Watson:		0.254		
Prob(Omnibus):	0.002	Jarque-Bera (JB):		32.356		
Skew:	0.260	Prob(JB):		9.42e-08		
Kurtosis:	5.490	Cond. No.		17.1		
<hr/>						

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

```
////////// tertiary_GDP_log
////////// OLS Regression Results
```

Dep. Variable:	tertiary_GDP_log	R-squared:	0.988
Model:	OLS	Adj. R-squared:	0.985
Method:	Least Squares	F-statistic:	352.6
Date:	Mon, 29 Apr 2024	Prob (F-statistic):	1.42e-82
Time:	01:35:20	Log-Likelihood:	113.43
No. Observations:	120	AIC:	-180.9
Df Residuals:	97	BIC:	-116.8
Df Model:	22		
Covariance Type:	nonrobust		
<hr/>			

	coef	std err	t	P> t	[0.025	0.975]
Intercept	13.8153	0.045	306.446	0.000	13.726	13.905
C(city)[T.Dezhou]	0.2357	0.041	5.798	0.000	0.155	0.316
C(city)[T.Heze]	-0.4232	0.038	-11.083	0.000	-0.499	-0.347
C(city)[T.Liaocheng]	-0.0551	0.038	-1.443	0.152	-0.131	0.021
C(city)[T.Linyi]	0.6864	0.038	17.975	0.000	0.611	0.762
C(city)[T.Taian]	0.4571	0.041	11.243	0.000	0.376	0.538
C(city)[T.Zaozhuang]	-0.0918	0.041	-2.259	0.026	-0.173	-0.011
C(city)[T.Zibo]	0.7506	0.038	19.655	0.000	0.675	0.826
C(t)[T.-9]	0.1357	0.052	2.595	0.011	0.032	0.239
C(t)[T.-8]	0.2962	0.052	5.664	0.000	0.192	0.400
C(t)[T.-7]	0.4304	0.052	8.232	0.000	0.327	0.534

C(t)[T.-6]	0.5986	0.052	11.447	0.000	0.495	0.702
C(t)[T.-5]	0.8079	0.052	15.450	0.000	0.704	0.912
C(t)[T.-4]	1.0307	0.052	19.712	0.000	0.927	1.134
C(t)[T.-3]	1.2363	0.052	23.644	0.000	1.133	1.340
C(t)[T.-2]	1.3751	0.052	26.298	0.000	1.271	1.479
C(t)[T.-1]	1.5854	0.052	30.320	0.000	1.482	1.689
C(t)[T.0]	1.8311	0.055	33.541	0.000	1.723	1.939
C(t)[T.1]	1.9732	0.055	36.145	0.000	1.865	2.082
C(t)[T.2]	2.1043	0.055	38.547	0.000	1.996	2.213
C(t)[T.3]	2.2206	0.055	40.676	0.000	2.112	2.329
C(t)[T.4]	2.3029	0.055	42.185	0.000	2.195	2.411
treatment_post	-0.1259	0.042	-3.011	0.003	-0.209	-0.043

Omnibus:	1.980	Durbin-Watson:	0.349
Prob(Omnibus):	0.372	Jarque-Bera (JB):	1.506
Skew:	0.140	Prob(JB):	0.471
Kurtosis:	3.472	Cond. No.	17.1

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

real_estate_log	OLS Regression Results
Dep. Variable:	real_estate_log
R-squared:	0.941
Model:	OLS
Adj. R-squared:	0.928
Method:	Least Squares
F-statistic:	70.61
Date:	Mon, 29 Apr 2024
Prob (F-statistic):	6.39e-50
Time:	01:35:20
Log-Likelihood:	-20.936
No. Observations:	120
AIC:	87.87
Df Residuals:	97
BIC:	152.0
Df Model:	22
Covariance Type:	nonrobust

	coef	std err	t	P> t	[0.025	0.975]
Intercept	10.4769	0.138	75.846	0.000	10.203	10.751
C(city)[T.Dezhou]	0.7063	0.125	5.671	0.000	0.459	0.954
C(city)[T.Heze]	0.3276	0.117	2.800	0.006	0.095	0.560
C(city)[T.Liaocheng]	0.3113	0.117	2.661	0.009	0.079	0.544
C(city)[T.Linyi]	1.0279	0.117	8.785	0.000	0.796	1.260
C(city)[T.Taian]	0.3157	0.125	2.535	0.013	0.068	0.563
C(city)[T.Zaozhuang]	0.5025	0.125	4.034	0.000	0.255	0.750
C(city)[T.Zibo]	1.1592	0.117	9.908	0.000	0.927	1.391
C(t)[T.-9]	0.4400	0.160	2.746	0.007	0.122	0.758
C(t)[T.-8]	0.9747	0.160	6.084	0.000	0.657	1.293
C(t)[T.-7]	1.2779	0.160	7.976	0.000	0.960	1.596
C(t)[T.-6]	1.5541	0.160	9.700	0.000	1.236	1.872
C(t)[T.-5]	1.6683	0.160	10.413	0.000	1.350	1.986
C(t)[T.-4]	1.9182	0.160	11.973	0.000	1.600	2.236
C(t)[T.-3]	2.1911	0.160	13.676	0.000	1.873	2.509
C(t)[T.-2]	2.4718	0.160	15.428	0.000	2.154	2.790
C(t)[T.-1]	2.7682	0.160	17.278	0.000	2.450	3.086
C(t)[T.0]	3.0773	0.167	18.397	0.000	2.745	3.409
C(t)[T.1]	3.2325	0.167	19.325	0.000	2.900	3.564
C(t)[T.2]	3.4297	0.167	20.504	0.000	3.098	3.762
C(t)[T.3]	3.5153	0.167	21.015	0.000	3.183	3.847
C(t)[T.4]	3.5288	0.167	21.097	0.000	3.197	3.861
treatment_post	-0.0822	0.128	-0.641	0.523	-0.337	0.172

Omnibus:	2.460	Durbin-Watson:	0.511
----------	-------	----------------	-------

Prob(Omnibus):	0.292	Jarque-Bera (JB):	2.027
Skew:	-0.309	Prob(JB):	0.363
Kurtosis:	3.155	Cond. No.	17.1

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

It can be found from the results that R-Squared is very high. Considering that adding time fixed effects significantly increases the number of parameters, there may be a risk of overfitting.

To solve the problem, we adjust the model to treat time as a continuous variable and assume that the logarithm of GDP and other related indicators grows linearly over time. A simplified model is used for analysis.

```
In [36]: # Functions used to fit the simplified model
def run_fixed_effects_model_simplified(data_pro, treatment_cities, post_hsr_years, response_v

    data = data_pro.copy()

    # Create treatment and control group markers
    data['treatment'] = data['city'].isin(treatment_cities).astype(int)

    # Create time period markers before and after the high-speed rail opening
    data['post'] = data['year'].isin(post_hsr_years).astype(int)

    # Creating interaction terms
    data['treatment_post'] = data['treatment'] * data['post']

    # Convert the city column into a categorical variable
    data['city'] = data['city'].astype('category')

    # Year as a continuous variable
    data['t'] = data['year'].astype(int) - hsr_start_year

    # Construct a fixed effect model formula and add fixed effects of city and year
    model_formula = f'{response_variable} ~ treatment_post + C(city) + t'

    # Fitting the model
    model = smf.ols(model_formula, data=data).fit()

    # Output model results
    print(model.summary())

    return model
```

```
In [37]: # Get the results for Shandong Province for the simplified model
results_shandong_simplified = model_results(run_fixed_effects_model_simplified, data_shandong
```

```
/////////////// GDP_log /////////////////////////////////
OLS Regression Results
=====
Dep. Variable: GDP_log R-squared: 0.974
Model: OLS Adj. R-squared: 0.972
Method: Least Squares F-statistic: 458.2
Date: Mon, 29 Apr 2024 Prob (F-statistic): 7.17e-83
Time: 01:35:20 Log-Likelihood: 87.300
No. Observations: 120 AIC: -154.6
Df Residuals: 110 BIC: -126.7
Df Model: 9
Covariance Type: nonrobust
=====
```

	coef	std err	t	P> t	[0.025	0.975]
Intercept	16.6039	0.033	506.687	0.000	16.539	16.669
C(city)[T.Dezhou]	0.2165	0.047	4.606	0.000	0.123	0.310
C(city)[T.Heze]	-0.2564	0.045	-5.752	0.000	-0.345	-0.168
C(city)[T.Liaocheng]	0.0606	0.045	1.359	0.177	-0.028	0.149
C(city)[T.Linyi]	0.5284	0.045	11.853	0.000	0.440	0.617
C(city)[T.Taian]	0.3220	0.047	6.851	0.000	0.229	0.415
C(city)[T.Zaozhuang]	-0.0679	0.047	-1.445	0.151	-0.161	0.025
C(city)[T.Zibo]	0.6804	0.045	15.261	0.000	0.592	0.769
treatment_post	-0.1288	0.045	-2.886	0.005	-0.217	-0.040
t	0.1549	0.003	51.967	0.000	0.149	0.161

```

Omnibus: 8.196 Durbin-Watson: 0.405
Prob(Omnibus): 0.017 Jarque-Bera (JB): 8.600
Skew: -0.654 Prob(JB): 0.0136
Kurtosis: 2.917 Cond. No. 45.4
=====
```

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

```
////////////// secondary_GDP_log ///////////////////////////////
OLS Regression Results
=====
Dep. Variable: secondary_GDP_log R-squared: 0.934
Model: OLS Adj. R-squared: 0.929
Method: Least Squares F-statistic: 174.0
Date: Mon, 29 Apr 2024 Prob (F-statistic): 8.50e-61
Time: 01:35:20 Log-Likelihood: 23.178
No. Observations: 120 AIC: -26.36
Df Residuals: 110 BIC: 1.519
Df Model: 9
Covariance Type: nonrobust
=====
```

	coef	std err	t	P> t	[0.025	0.975]
Intercept	16.0244	0.056	286.581	0.000	15.914	16.135
C(city)[T.Dezhou]	0.2125	0.080	2.650	0.009	0.054	0.371
C(city)[T.Heze]	-0.4398	0.076	-5.781	0.000	-0.591	-0.289
C(city)[T.Liaocheng]	0.0474	0.076	0.624	0.534	-0.103	0.198
C(city)[T.Linyi]	0.4268	0.076	5.611	0.000	0.276	0.578
C(city)[T.Taian]	0.2966	0.080	3.698	0.000	0.138	0.456
C(city)[T.Zaozhuang]	0.0306	0.080	0.382	0.703	-0.128	0.190
C(city)[T.Zibo]	0.7870	0.076	10.345	0.000	0.636	0.938
treatment_post	-0.2350	0.076	-3.087	0.003	-0.386	-0.084
t	0.1631	0.005	32.057	0.000	0.153	0.173

Omnibus:	12.034	Durbin-Watson:	0.299
Prob(Omnibus):	0.002	Jarque-Bera (JB):	12.833
Skew:	-0.790	Prob(JB):	0.00163
Kurtosis:	3.264	Cond. No.	45.4

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

```
//////////  
tertiary_GDP_log  
//////////  
OLS Regression Results
```

Dep. Variable:	tertiary_GDP_log	R-squared:	0.983
Model:	OLS	Adj. R-squared:	0.982
Method:	Least Squares	F-statistic:	711.7
Date:	Mon, 29 Apr 2024	Prob (F-statistic):	3.73e-93
Time:	01:35:20	Log-Likelihood:	94.676
No. Observations:	120	AIC:	-169.4
Df Residuals:	110	BIC:	-141.5
Df Model:	9		
Covariance Type:	nonrobust		

	coef	std err	t	P> t	[0.025	0.975]
Intercept	15.5386	0.031	504.237	0.000	15.478	15.600
C(city)[T.Dezhou]	0.2301	0.044	5.207	0.000	0.143	0.318
C(city)[T.Heze]	-0.4232	0.042	-10.094	0.000	-0.506	-0.340
C(city)[T.Liaocheng]	-0.0551	0.042	-1.315	0.191	-0.138	0.028
C(city)[T.Linyi]	0.6864	0.042	16.372	0.000	0.603	0.769
C(city)[T.Taian]	0.4515	0.044	10.215	0.000	0.364	0.539
C(city)[T.Zaozhuang]	-0.0974	0.044	-2.204	0.030	-0.185	-0.010
C(city)[T.Zibo]	0.7506	0.042	17.902	0.000	0.667	0.834
treatment_post	-0.1092	0.042	-2.602	0.011	-0.192	-0.026
t	0.1760	0.003	62.784	0.000	0.170	0.182

Omnibus:	2.272	Durbin-Watson:	0.556
Prob(Omnibus):	0.321	Jarque-Bera (JB):	1.742
Skew:	-0.205	Prob(JB):	0.418
Kurtosis:	3.424	Cond. No.	45.4

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

```
//////////  
real_estate_log  
//////////  
OLS Regression Results
```

Dep. Variable:	real_estate_log	R-squared:	0.920
Model:	OLS	Adj. R-squared:	0.913
Method:	Least Squares	F-statistic:	140.0
Date:	Mon, 29 Apr 2024	Prob (F-statistic):	5.32e-56
Time:	01:35:20	Log-Likelihood:	-39.675
No. Observations:	120	AIC:	99.35
Df Residuals:	110	BIC:	127.2
Df Model:	9		
Covariance Type:	nonrobust		

	coef	std err	t	P> t	[0.025	0.975]
Intercept	13.3775	0.094	141.700	0.000	13.190	13.565
C(city)[T.Dezhou]	0.7330	0.135	5.414	0.000	0.465	1.001
C(city)[T.Heze]	0.3276	0.128	2.550	0.012	0.073	0.582
C(city)[T.Liaocheng]	0.3113	0.128	2.424	0.017	0.057	0.566
C(city)[T.Linyi]	1.0279	0.128	8.003	0.000	0.773	1.282
C(city)[T.Taian]	0.3424	0.135	2.529	0.013	0.074	0.611
C(city)[T.Zaozhuang]	0.5292	0.135	3.908	0.000	0.261	0.798
C(city)[T.Zibo]	1.1592	0.128	9.025	0.000	0.905	1.414
treatment_post	-0.1623	0.129	-1.262	0.209	-0.417	0.092
t	0.2547	0.009	29.658	0.000	0.238	0.272
<hr/>						
Omnibus:	8.807	Durbin-Watson:			0.518	
Prob(Omnibus):	0.012	Jarque-Bera (JB):			9.031	
Skew:	-0.531	Prob(JB):			0.0109	
Kurtosis:	3.823	Cond. No.			45.4	
<hr/>						

Notes:

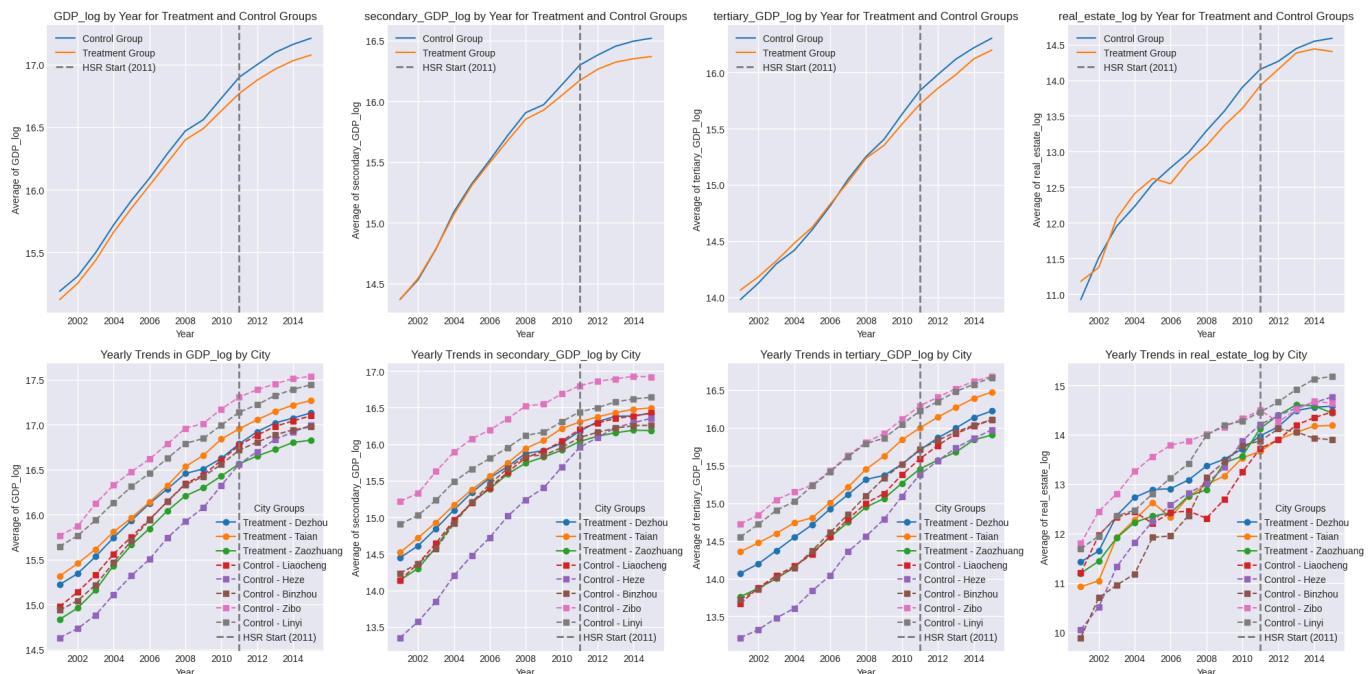
[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

The R-square of the simplified model is still high, and the results of the "treatment\_post" items we are concerned about are basically consistent with the former model. Then, the same analysis process is carried out for Guizhou Province.

## 5.3 Fixed-effects-DID analysis for Guizhou

### 5.3.1 Parallel Trends Test

In [38]: `plot_all(data_guizhou, cities_guizhou_treatment, cities_guizhou_control, 2011)`



### 5.3.2 DID analysis

In [39]: `# Get results for Guizhou Province`

```
results_guizhou = model_results(run_fixed_effects_model, data_guizhou, cities_guizhou_treatment)
```

```
/////////////// GDP_log /////////////////////////////////
OLS Regression Results
=====
```

Dep. Variable: GDP\_log R-squared: 0.986  
Model: OLS Adj. R-squared: 0.982  
Method: Least Squares F-statistic: 214.4  
Date: Mon, 29 Apr 2024 Prob (F-statistic): 1.36e-47  
Time: 01:35:22 Log-Likelihood: 78.208  
No. Observations: 80 AIC: -114.4  
Df Residuals: 59 BIC: -64.39  
Df Model: 20  
Covariance Type: nonrobust

	coef	std err	t	P> t	[0.025	0.975]
Intercept	14.1595	0.054	262.714	0.000	14.052	14.267
C(city)[T.Bijie]	1.0069	0.041	24.634	0.000	0.925	1.089
C(city)[T.Liupanshui]	0.6853	0.041	16.767	0.000	0.604	0.767
C(city)[T.Tongren]	0.3234	0.037	8.630	0.000	0.248	0.398
C(city)[T.Zunyi]	1.3642	0.041	33.376	0.000	1.282	1.446
C(t)[T.-10]	0.1375	0.067	2.051	0.045	0.003	0.272
C(t)[T.-9]	0.2898	0.067	4.323	0.000	0.156	0.424
C(t)[T.-8]	0.4111	0.067	6.132	0.000	0.277	0.545
C(t)[T.-7]	0.5385	0.067	8.032	0.000	0.404	0.673
C(t)[T.-6]	0.6909	0.067	10.305	0.000	0.557	0.825
C(t)[T.-5]	0.8842	0.067	13.189	0.000	0.750	1.018
C(t)[T.-4]	1.0636	0.067	15.865	0.000	0.929	1.198
C(t)[T.-3]	1.2463	0.067	18.590	0.000	1.112	1.380
C(t)[T.-2]	1.4040	0.067	20.942	0.000	1.270	1.538
C(t)[T.-1]	1.5080	0.067	22.493	0.000	1.374	1.642
C(t)[T.0]	1.5687	0.070	22.341	0.000	1.428	1.709
C(t)[T.1]	1.6337	0.070	23.266	0.000	1.493	1.774
C(t)[T.2]	1.6725	0.070	23.819	0.000	1.532	1.813
C(t)[T.3]	1.7305	0.070	24.645	0.000	1.590	1.871
C(t)[T.4]	1.8291	0.070	26.049	0.000	1.689	1.970
treatment_post	0.1600	0.052	3.065	0.003	0.056	0.264

Omnibus: 1.057 Durbin-Watson: 0.527  
Prob(Omnibus): 0.590 Jarque-Bera (JB): 1.145  
Skew: 0.238 Prob(JB): 0.564  
Kurtosis: 2.657 Cond. No. 18.5

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

```
////////////// secondary_GDP_log ///////////////////////////////
OLS Regression Results
=====
```

Dep. Variable: secondary\_GDP\_log R-squared: 0.972  
Model: OLS Adj. R-squared: 0.963  
Method: Least Squares F-statistic: 103.3  
Date: Mon, 29 Apr 2024 Prob (F-statistic): 1.74e-38  
Time: 01:35:22 Log-Likelihood: 44.450  
No. Observations: 80 AIC: -46.90  
Df Residuals: 59 BIC: 3.123  
Df Model: 20  
Covariance Type: nonrobust

	coef	std err	t	P> t	[0.025	0.975]
--	------	---------	---	------	--------	--------

Intercept	13.1743	0.082	160.287	0.000	13.010	13.339
C(city)[T.Bijie]	1.1356	0.062	18.219	0.000	1.011	1.260
C(city)[T.Liupanshui]	1.1364	0.062	18.232	0.000	1.012	1.261
C(city)[T.Tongren]	0.0872	0.057	1.526	0.132	-0.027	0.202
C(city)[T.Zunyi]	1.6281	0.062	26.121	0.000	1.503	1.753
C(t)[T.-10]	0.1488	0.102	1.456	0.151	-0.056	0.353
C(t)[T.-9]	0.3120	0.102	3.051	0.003	0.107	0.517
C(t)[T.-8]	0.3755	0.102	3.672	0.001	0.171	0.580
C(t)[T.-7]	0.5253	0.102	5.138	0.000	0.321	0.730
C(t)[T.-6]	0.7019	0.102	6.866	0.000	0.497	0.907
C(t)[T.-5]	0.8964	0.102	8.768	0.000	0.692	1.101
C(t)[T.-4]	1.0564	0.102	10.333	0.000	0.852	1.261
C(t)[T.-3]	1.2120	0.102	11.855	0.000	1.007	1.417
C(t)[T.-2]	1.3132	0.102	12.844	0.000	1.109	1.518
C(t)[T.-1]	1.4000	0.102	13.694	0.000	1.195	1.605
C(t)[T.0]	1.4061	0.107	13.131	0.000	1.192	1.620
C(t)[T.1]	1.4936	0.107	13.948	0.000	1.279	1.708
C(t)[T.2]	1.4397	0.107	13.446	0.000	1.225	1.654
C(t)[T.3]	1.4579	0.107	13.615	0.000	1.244	1.672
C(t)[T.4]	1.5781	0.107	14.737	0.000	1.364	1.792
treatment_post	0.2274	0.080	2.858	0.006	0.068	0.387
<hr/>						
Omnibus:	3.682	Durbin-Watson:			0.527	
Prob(Omnibus):	0.159	Jarque-Bera (JB):			2.946	
Skew:	0.353	Prob(JB):			0.229	
Kurtosis:	3.621	Cond. No.			18.5	
<hr/>						

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

OLS Regression Results							
Dep. Variable:	tertiary_GDP_log	R-squared:	0.986	Model:	OLS	Adj. R-squared:	0.981
Method:	Least Squares	F-statistic:	207.1	Date:	Mon, 29 Apr 2024	Prob (F-statistic):	3.67e-47
Time:	01:35:22	Log-Likelihood:	73.244	No. Observations:	80	AIC:	-104.5
Df Residuals:	59	BIC:	-54.47	Df Model:	20		
Covariance Type:	nonrobust						
	coef	std err	t	P> t	[0.025	0.975]	
Intercept	13.2848	0.057	231.655	0.000	13.170	13.400	
C(city)[T.Bijie]	0.8266	0.043	19.008	0.000	0.740	0.914	
C(city)[T.Liupanshui]	0.4395	0.043	10.106	0.000	0.352	0.527	
C(city)[T.Tongren]	0.3192	0.040	8.005	0.000	0.239	0.399	
C(city)[T.Zunyi]	1.2095	0.043	27.813	0.000	1.123	1.297	
C(t)[T.-10]	0.1487	0.071	2.084	0.041	0.006	0.291	
C(t)[T.-9]	0.2722	0.071	3.816	0.000	0.130	0.415	
C(t)[T.-8]	0.4872	0.071	6.830	0.000	0.344	0.630	
C(t)[T.-7]	0.6050	0.071	8.481	0.000	0.462	0.748	
C(t)[T.-6]	0.7492	0.071	10.502	0.000	0.606	0.892	
C(t)[T.-5]	0.9495	0.071	13.311	0.000	0.807	1.092	
C(t)[T.-4]	1.1693	0.071	16.393	0.000	1.027	1.312	
C(t)[T.-3]	1.3767	0.071	19.300	0.000	1.234	1.519	
C(t)[T.-2]	1.5362	0.071	21.536	0.000	1.393	1.679	
C(t)[T.-1]	1.6708	0.071	23.423	0.000	1.528	1.814	

C(t)[T.0]	1.7343	0.075	23.212	0.000	1.585	1.884
C(t)[T.1]	1.8392	0.075	24.617	0.000	1.690	1.989
C(t)[T.2]	1.9262	0.075	25.782	0.000	1.777	2.076
C(t)[T.3]	1.9940	0.075	26.689	0.000	1.845	2.144
C(t)[T.4]	2.0807	0.075	27.849	0.000	1.931	2.230
treatment_post	0.1357	0.056	2.443	0.018	0.025	0.247

Omnibus:	1.589	Durbin-Watson:	0.550
Prob(Omnibus):	0.452	Jarque-Bera (JB):	1.245
Skew:	0.075	Prob(JB):	0.537
Kurtosis:	2.407	Cond. No.	18.5

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

//////////  
real\_estate\_log  
//////////

### OLS Regression Results

Dep. Variable:	real_estate_log	R-squared:	0.900			
Model:	OLS	Adj. R-squared:	0.866			
Method:	Least Squares	F-statistic:	26.59			
Date:	Mon, 29 Apr 2024	Prob (F-statistic):	2.26e-22			
Time:	01:35:22	Log-Likelihood:	-19.276			
No. Observations:	80	AIC:	80.55			
Df Residuals:	59	BIC:	130.6			
Df Model:	20					
Covariance Type:	nonrobust					
	coef	std err	t	P> t	[0.025	0.975]
Intercept	11.7500	0.182	64.456	0.000	11.385	12.115
C(city)[T.Bijie]	0.9517	0.138	6.884	0.000	0.675	1.228
C(city)[T.Liupanshui]	-0.0565	0.138	-0.408	0.684	-0.333	0.220
C(city)[T.Tongren]	0.5003	0.127	3.947	0.000	0.247	0.754
C(city)[T.Zunyi]	1.1664	0.138	8.437	0.000	0.890	1.443
C(t)[T.-10]	0.2774	0.227	1.224	0.226	-0.176	0.731
C(t)[T.-9]	0.2979	0.227	1.314	0.194	-0.156	0.752
C(t)[T.-8]	0.4556	0.227	2.009	0.049	0.002	0.909
C(t)[T.-7]	0.6687	0.227	2.949	0.005	0.215	1.122
C(t)[T.-6]	0.9886	0.227	4.360	0.000	0.535	1.442
C(t)[T.-5]	1.2764	0.227	5.629	0.000	0.823	1.730
C(t)[T.-4]	1.7719	0.227	7.814	0.000	1.318	2.226
C(t)[T.-3]	1.8694	0.227	8.244	0.000	1.416	2.323
C(t)[T.-2]	1.7964	0.227	7.922	0.000	1.343	2.250
C(t)[T.-1]	1.8187	0.227	8.021	0.000	1.365	2.272
C(t)[T.0]	1.9153	0.237	8.064	0.000	1.440	2.390
C(t)[T.1]	2.0683	0.237	8.709	0.000	1.593	2.544
C(t)[T.2]	2.1725	0.237	9.148	0.000	1.697	2.648
C(t)[T.3]	2.2705	0.237	9.560	0.000	1.795	2.746
C(t)[T.4]	2.3607	0.237	9.940	0.000	1.886	2.836
treatment_post	0.0438	0.177	0.248	0.805	-0.309	0.397

Omnibus:	1.010	Durbin-Watson:	0.456
Prob(Omnibus):	0.604	Jarque-Bera (JB):	1.026
Skew:	-0.143	Prob(JB):	0.599
Kurtosis:	2.524	Cond. No.	18.5

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

In [40]:

```
# Get results for Guizhou Province for the simplified model
results_guizhou_simplified = model_results(run_fixed_effects_model_simplified, data_guizhou, .
```

```
/////////////// GDP_log /////////////////////////////////
OLS Regression Results
=====
Dep. Variable: GDP_log R-squared: 0.971
Model: OLS Adj. R-squared: 0.969
Method: Least Squares F-statistic: 410.6
Date: Mon, 29 Apr 2024 Prob (F-statistic): 3.91e-54
Time: 01:35:22 Log-Likelihood: 48.145
No. Observations: 80 AIC: -82.29
Df Residuals: 73 BIC: -65.62
Df Model: 6
Covariance Type: nonrobust
=====
```

	coef	std err	t	P> t	[0.025	0.975]
Intercept	15.6959	0.045	348.608	0.000	15.606	15.786
C(city)[T.Bijie]	0.9713	0.053	18.434	0.000	0.866	1.076
C(city)[T.Liupanshui]	0.6497	0.053	12.332	0.000	0.545	0.755
C(city)[T.Tongren]	0.3234	0.049	6.593	0.000	0.226	0.421
C(city)[T.Zunyi]	1.3286	0.053	25.216	0.000	1.224	1.434
treatment_post	0.0461	0.061	0.750	0.455	-0.076	0.169
t	0.1322	0.004	33.819	0.000	0.124	0.140

```

Omnibus: 5.479 Durbin-Watson: 0.306
Prob(Omnibus): 0.065 Jarque-Bera (JB): 5.353
Skew: -0.633 Prob(JB): 0.0688
Kurtosis: 2.937 Cond. No. 36.6
=====
```

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

```
/////////////// secondary_GDP_log ///////////////////////////////
OLS Regression Results
=====
Dep. Variable: secondary_GDP_log R-squared: 0.949
Model: OLS Adj. R-squared: 0.945
Method: Least Squares F-statistic: 226.3
Date: Mon, 29 Apr 2024 Prob (F-statistic): 4.45e-45
Time: 01:35:22 Log-Likelihood: 20.092
No. Observations: 80 AIC: -26.18
Df Residuals: 73 BIC: -9.511
Df Model: 6
Covariance Type: nonrobust
=====
```

	coef	std err	t	P> t	[0.025	0.975]
Intercept	14.5826	0.064	228.086	0.000	14.455	14.710
C(city)[T.Bijie]	1.0850	0.075	14.502	0.000	0.936	1.234
C(city)[T.Liupanshui]	1.0857	0.075	14.512	0.000	0.937	1.235
C(city)[T.Tongren]	0.0872	0.070	1.252	0.214	-0.052	0.226
C(city)[T.Zunyi]	1.5775	0.075	21.085	0.000	1.428	1.727
treatment_post	0.0655	0.087	0.750	0.456	-0.109	0.239
t	0.1144	0.006	20.606	0.000	0.103	0.125

```

Omnibus: 12.777 Durbin-Watson: 0.355
Prob(Omnibus): 0.002 Jarque-Bera (JB): 14.087
Skew: -1.017 Prob(JB): 0.000873
Kurtosis: 3.300 Cond. No. 36.6
=====
```

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

OLS Regression Results									
Dep. Variable:	tertiary_GDP_log	R-squared:	0.974						
Model:	OLS	Adj. R-squared:	0.972 <th data-cs="3" data-kind="parent"></th> <th data-kind="ghost"></th> <th data-kind="ghost"></th>						
Method:	Least Squares	F-statistic:	450.4						
Date:	Mon, 29 Apr 2024	Prob (F-statistic):	1.46e-55						
Time:	01:35:22	Log-Likelihood:	48.140						
No. Observations:	80	AIC:	-82.28						
Df Residuals:	73	BIC:	-65.61						
Df Model:	6								
Covariance Type:	nonrobust								
	coef	std err	t	P> t	[0.025	0.975]			
Intercept	15.0027	0.045	333.192	0.000	14.913	15.092			
C(city)[T.Bijie]	0.7941	0.053	15.072	0.000	0.689	0.899			
C(city)[T.Liupanshui]	0.4070	0.053	7.724	0.000	0.302	0.512			
C(city)[T.Tongren]	0.3192	0.049	6.506	0.000	0.221	0.417			
C(city)[T.Zunyi]	1.1770	0.053	22.338	0.000	1.072	1.282			
treatment_post	0.0317	0.061	0.515	0.608	-0.091	0.154			
t	0.1505	0.004	38.492	0.000	0.143	0.158			
Omnibus:	2.045	Durbin-Watson:	0.377						
Prob(Omnibus):	0.360	Jarque-Bera (JB):	1.938						
Skew:	-0.373	Prob(JB):	0.379						
Kurtosis:	2.839	Cond. No.	36.6						

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

OLS Regression Results									
Dep. Variable:	real_estate_log	R-squared:	0.860						
Model:	OLS	Adj. R-squared:	0.849						
Method:	Least Squares	F-statistic:	74.87						
Date:	Mon, 29 Apr 2024	Prob (F-statistic):	3.47e-29						
Time:	01:35:22	Log-Likelihood:	-32.733						
No. Observations:	80	AIC:	79.47						
Df Residuals:	73	BIC:	96.14						
Df Model:	6								
Covariance Type:	nonrobust								
	coef	std err	t	P> t	[0.025	0.975]			
Intercept	13.7935	0.124	111.472	0.000	13.547	14.040			
C(city)[T.Bijie]	0.8807	0.145	6.082	0.000	0.592	1.169			
C(city)[T.Liupanshui]	-0.1275	0.145	-0.880	0.382	-0.416	0.161			
C(city)[T.Tongren]	0.5003	0.135	3.711	0.000	0.232	0.769			
C(city)[T.Zunyi]	1.0954	0.145	7.565	0.000	0.807	1.384			
treatment_post	-0.1834	0.169	-1.086	0.281	-0.520	0.153			
t	0.1706	0.011	15.876	0.000	0.149	0.192			

Omnibus:	3.283	Durbin-Watson:	0.441
Prob(Omnibus):	0.194	Jarque-Bera (JB):	3.255
Skew:	-0.466	Prob(JB):	0.196
Kurtosis:	2.673	Cond. No.	36.6

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

# 6 Results

## 6.1 Results display

Here, we list all the results corresponding to the "treatment\_post" item for comparison.

```
In [41]: # Results of Shandong province
results_shandong
```

	Response Variable	Coefficient	Std Error	t-value	P-value	Conf. Int. Low	Conf. Int. High
0	GDP_log	-0.062684	0.032842	-1.908623	0.059267	-0.127867	0.002499
1	secondary_GDP_log	-0.106793	0.058716	-1.818824	0.072024	-0.223328	0.009741
2	tertiary_GDP_log	-0.125935	0.041832	-3.010518	0.003324	-0.208960	-0.042911
3	real_estate_log	-0.082191	0.128173	-0.641252	0.522871	-0.336579	0.172196

```
In [42]: # Results of Shandong province (simplified model)
results_shandong_simplified
```

	Response Variable	Coefficient	Std Error	t-value	P-value	Conf. Int. Low	Conf. Int. High
0	GDP_log	-0.128755	0.044617	-2.885768	0.004700	-0.217175	-0.040334
1	secondary_GDP_log	-0.235012	0.076132	-3.086915	0.002560	-0.385887	-0.084137
2	tertiary_GDP_log	-0.109188	0.041957	-2.602362	0.010534	-0.192338	-0.026039
3	real_estate_log	-0.162275	0.128540	-1.262448	0.209457	-0.417010	0.092461

```
In [43]: # Results of Guizhou province
results_guizhou
```

	Response Variable	Coefficient	Std Error	t-value	P-value	Conf. Int. Low	Conf. Int. High
0	GDP_log	0.159980	0.052192	3.065211	0.003278	0.055544	0.264415
1	secondary_GDP_log	0.227448	0.079591	2.857691	0.005887	0.068186	0.386710
2	tertiary_GDP_log	0.135689	0.055533	2.443383	0.017561	0.024567	0.246810
3	real_estate_log	0.043796	0.176528	0.248096	0.804922	-0.309436	0.397028

```
In [44]: # Results of Guizhou province (simplified model)
results_guizhou_simplified
```

Out[44]:

	Response Variable	Coefficient	Std Error	t-value	P-value	Conf. Int. Low	Conf. Int. High
0	GDP_log	0.046134	0.061473	0.750473	0.455382	-0.076382	0.168650
1	secondary_GDP_log	0.065459	0.087292	0.749886	0.455733	-0.108513	0.239432
2	tertiary_GDP_log	0.031689	0.061477	0.515462	0.607788	-0.090835	0.154213
3	real_estate_log	-0.183399	0.168946	-1.085549	0.281250	-0.520107	0.153309

## 6.2 Interpretation

First, let's compare the performance of the two models within their respective groups.

- In the Shandong Province group, both models performed well and the results tended to be consistent.
- In the Guizhou Province group, the two models are quite different. The "treatment\_post" item we care about is not significant for all indicators in the simplified model. We were unable to identify the effect, which may be due to the linear treatment in the simplified model masking its effect.

We can then compare the results of the two sets of analyses.

- For Shandong Province, which is the economically developed region where HSR was built earlier, the coefficients of the four indicators in both models are negative, indicating that the opening of the HSR has brought negative impacts.
- For Guizhou Province, the estimated effects of the two models are positive and insignificant respectively. It shows that the opening of HSR will at least have no negative impact.

## 7 Discussion and conclusion

In conclusion, the role of high-speed rail in promoting underdeveloped regions is greater than that in developed regions. This is contrary to the view that newly built HSR has lower promotion effects. However, it is not reflected in the different degree of promotion, but because the role of HSR in Shandong area is negative.

This counterintuitive conclusion has also appeared in other studies. A study on residents' income showed that HSR had a positive or no impact in the Midwest and a negative impact in the East (Jin et al., 2022). The reason behind this may be that the siphon effect brought by HSR is greater than the diffusion effect (Wang et al., 2022). The two ends of Shandong Province's HSR are Beijing and Shanghai, which may make its economic population more easily transferred and lost.

In addition, we can find that the coefficients of the secondary industry is the largest. People generally believe that HSR has a closer relationship with the tertiary industry because of tourism. However, studies have shown that the HSR network has accelerated the transfer of low-end manufacturing companies to less developed regions. In comparison, tourism is only a side effect. This may be the reason why the secondary industry has been more significantly affected.

Finally, although people generally believe that HSR will significantly promote real estate investment, the real-estate-related data we use is not suitable. This may be due to the low

quality of the data. Limited by the data, this study failed to test more indicators such as GDP per capita. Future research can combine more reasonable new indicators to analyze a wider range.

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