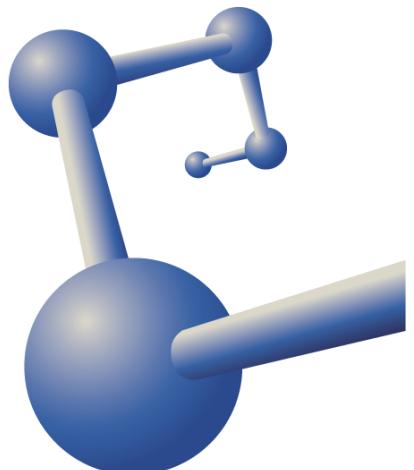


# Femtoscopy in $\sqrt{S_{NN}} = 7 \text{ TeV}$ p-p collisions with Pythia8

Sotarriva Álvarez Isaí Roberto

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Instituto de  
Ciencias  
Nucleares  
**UNAM**

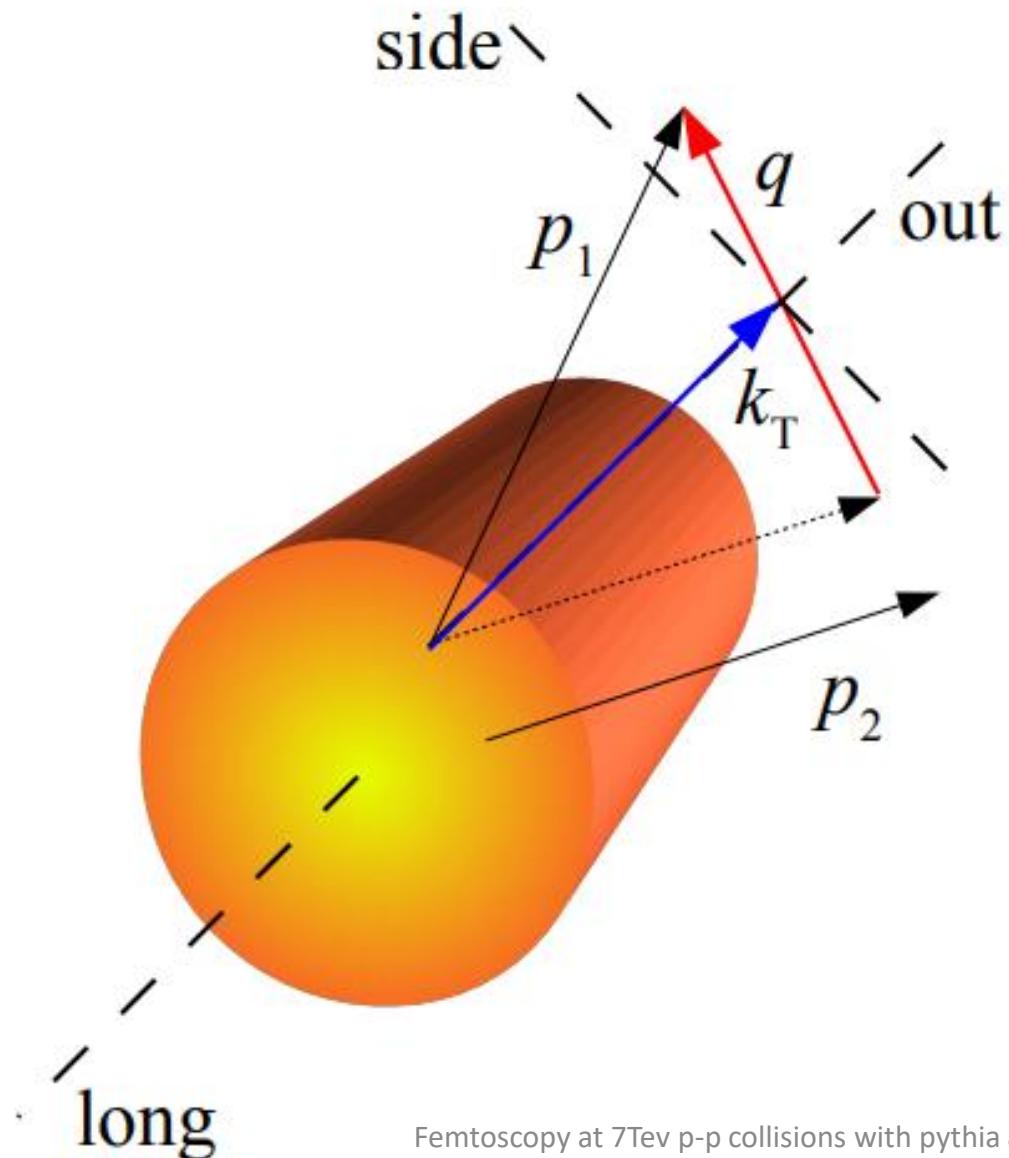


# Motivation

- The HBT correlations play an important role in measuring the spatio-temporal scale of a reaction during a high energy collision.
- Reconstruct the size of the reaction using information both from the same event (correlated pairs) and different events (uncorrelated pairs) using the technic known as event mixing.
- Explore the  $kT$  dependence of the measured size of the reaction.

# Physical meaning and motivation

- $Q \rightarrow$  Give us an idea of the overall size of the reaction
- $Q_{out} \rightarrow$  The radius of the reaction (cylinder)
- $Q_{long} \rightarrow$  The length of the reaction (cylinder)
- $Q_{side} \rightarrow$  perpendicular to both  $Q_{out}$  and  $Q_{long}$
- We can also use this information to extract the “temporal size” of the reaction.



# HBT effect implementation on Pythia8

The Bose-Einstein effect is simulated by pythia using the BE\_32 algorithm, which take place after the entire event is simulated. The process begins by cloning all the original particles marking them as decayed (`isFinal=false`) and their copies including the effect with positive status code (`isFinal=true`)

The algorithm first pull each pair of particles closer to each other to simulate the effect of interference (momentum is conserved, energy no). The second step of the algorithm is to push the particles apart in a way that restores the energy conservation.

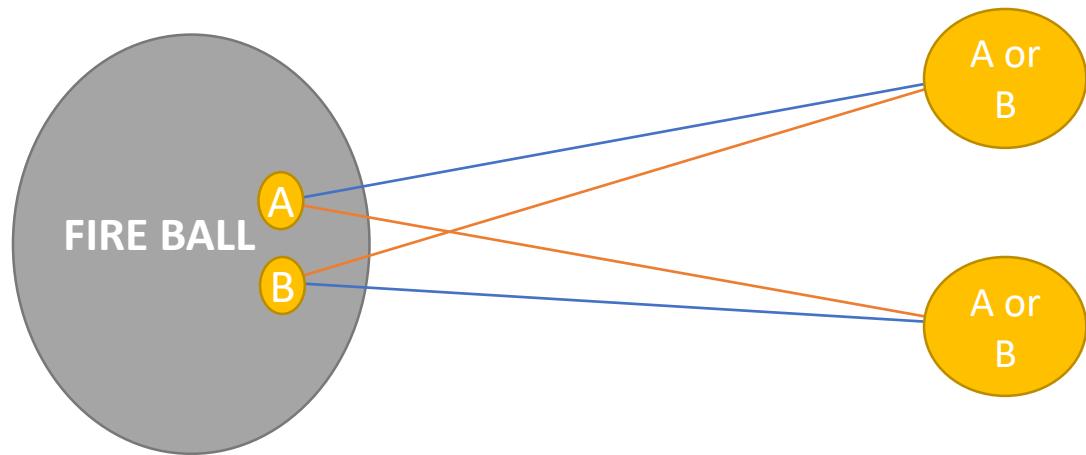
The algorithm intend to reproduce the next distribution:

$$f_2(Q) = (1 + \lambda * \exp(-Q^2 R^2)) * (1 + \alpha * \lambda * \exp(-Q^2 R^2/9) * (1 - \exp(-Q^2 R^2/4)))$$

*The simulation is driven by 3 main parameters: `lambda`, `Qref` and `widthSep`.*

# Introduction

- The theory is based on the HBT interference, originally the idea was conceived for light but can also be applied to particle collision and astrophysics.



$$C(p_1, p_2) = \frac{\frac{dN_{12}}{d^3 p_1 d^3 p_2}}{\frac{dN_1}{d^3 p_1} \frac{dN_2}{d^3 p_2}}$$

Basically what we are seeing here is the interference of two identical particles. On the upper side of the equation we have the expression corresponding to the measurement of the function of both particles(including both particles). On the bottom of the equation we have the terms related to evaluate the functions separately.

# Introduction

$$C(q) = \frac{S(q)}{B(q)}$$

$$q = |pT_A - pT_B|$$

$$kT = \frac{pT_A + pT_B}{2}$$

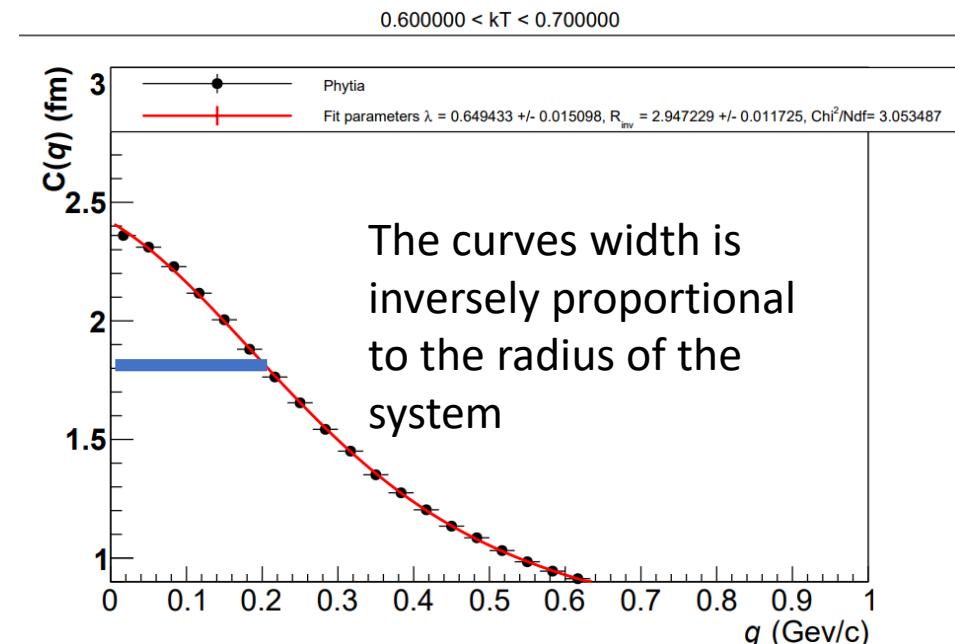
$S(q)$  is the normalized signal from the event.

$B(q)$  is the normalized background from the event.

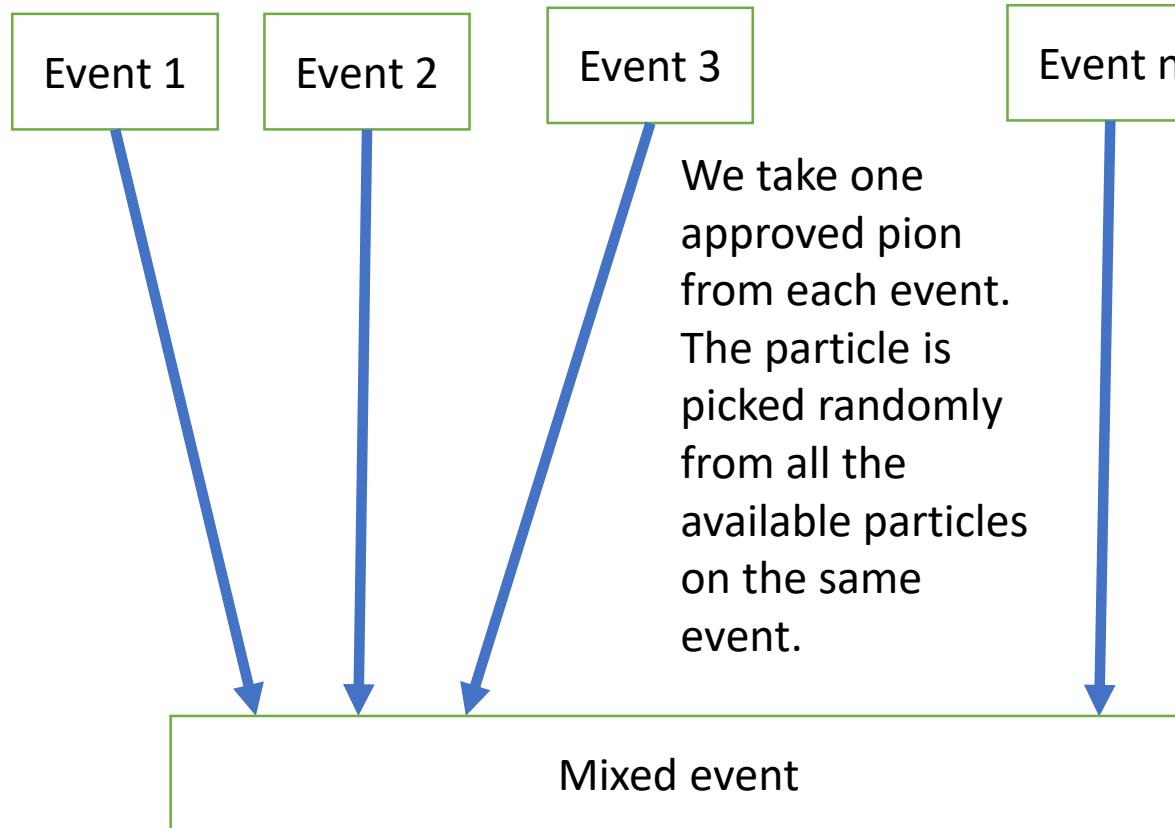
$B(q)$  is exactly equal to the signal  $S(q)$  except for the correlations

$$C(q) = (1 + \lambda e^{-(Rq)^2})D(q)$$

$D(q)$  is a polynomy, in theory it should be 1 but on the practice, the results are better modelled by  $D(q)$  a second degree polynom.



# Mixed events (Background)



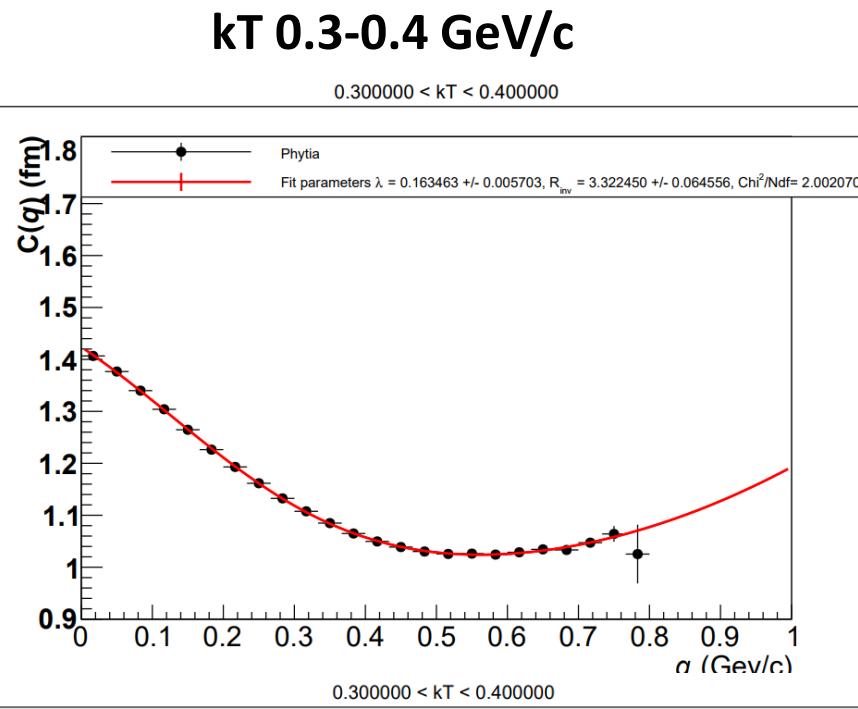
The number  $n$  of particles (approved pions) per mixed event follows the same probability distribution as the number of approved pions on a single event.

A mixed event resembles a normal event on every way except for one thing the particles are no correlated between them because they come from different events.  
It works as background for HBT correlations.

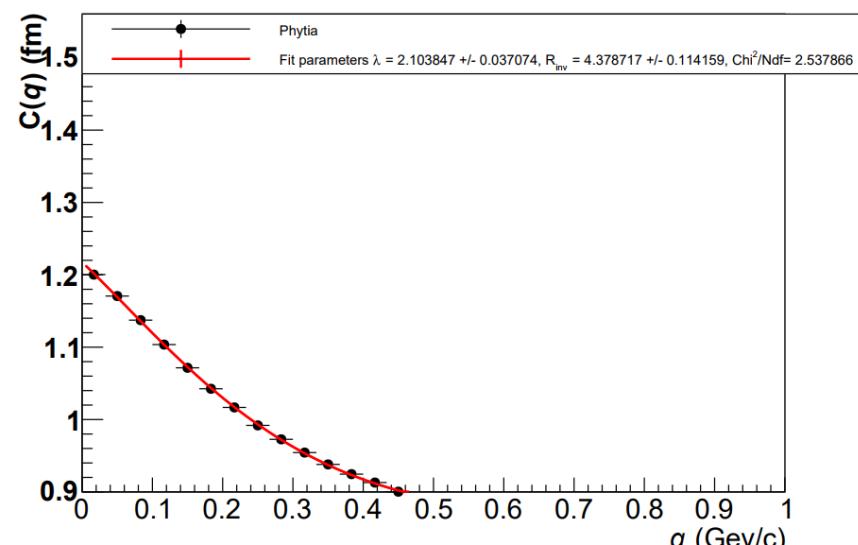
\*An approved pion have  $0.14(\text{GeV}/c) < pT < 2(\text{Gev}/c)$ ,  $|\eta| < 0.8$  and Pythia.isFinal=true

# Results

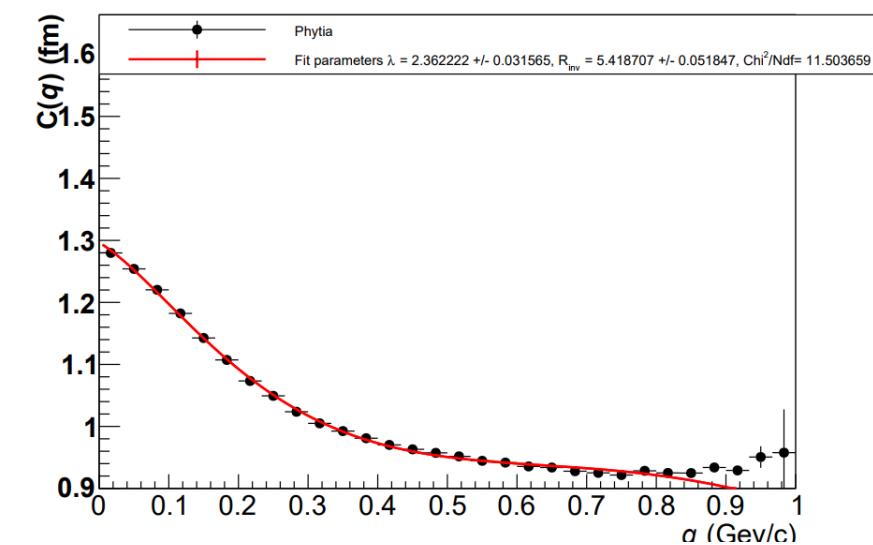
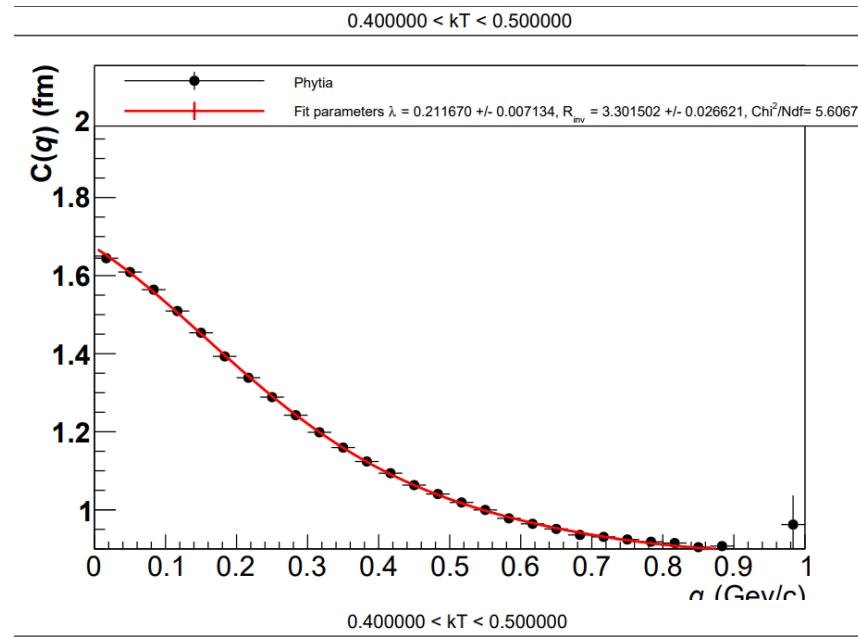
Qref=1



Qref=0.75

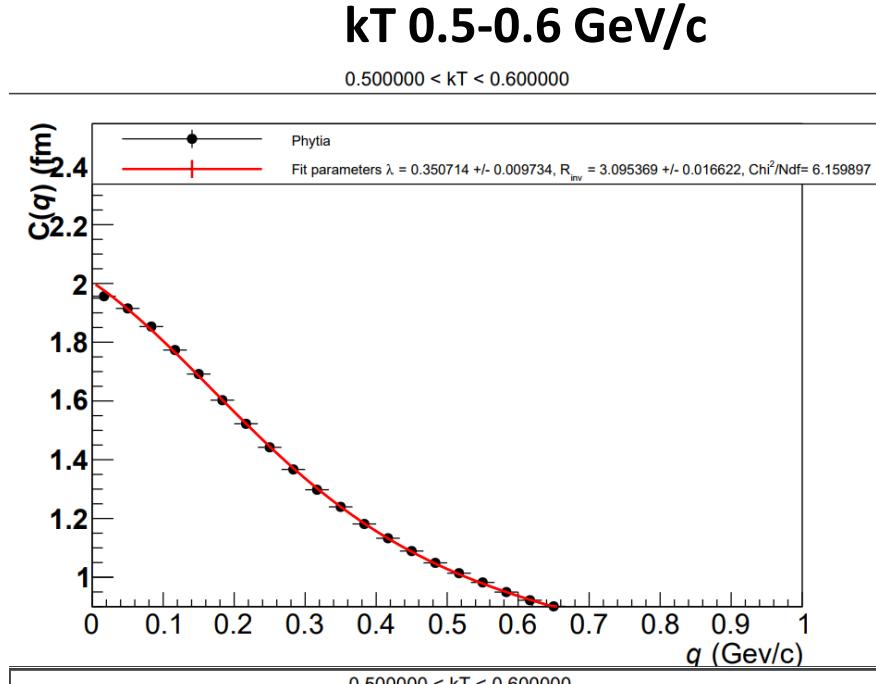


**kT 0.4-0.5 GeV/c**

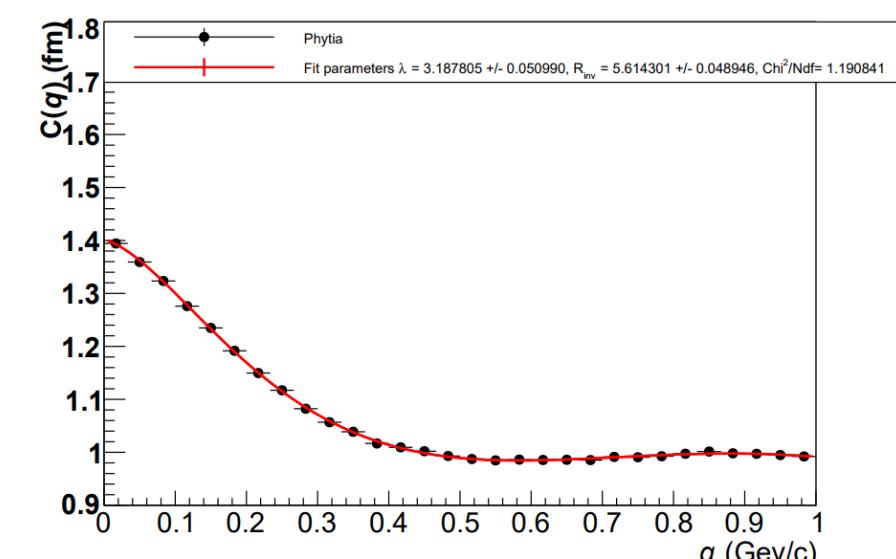
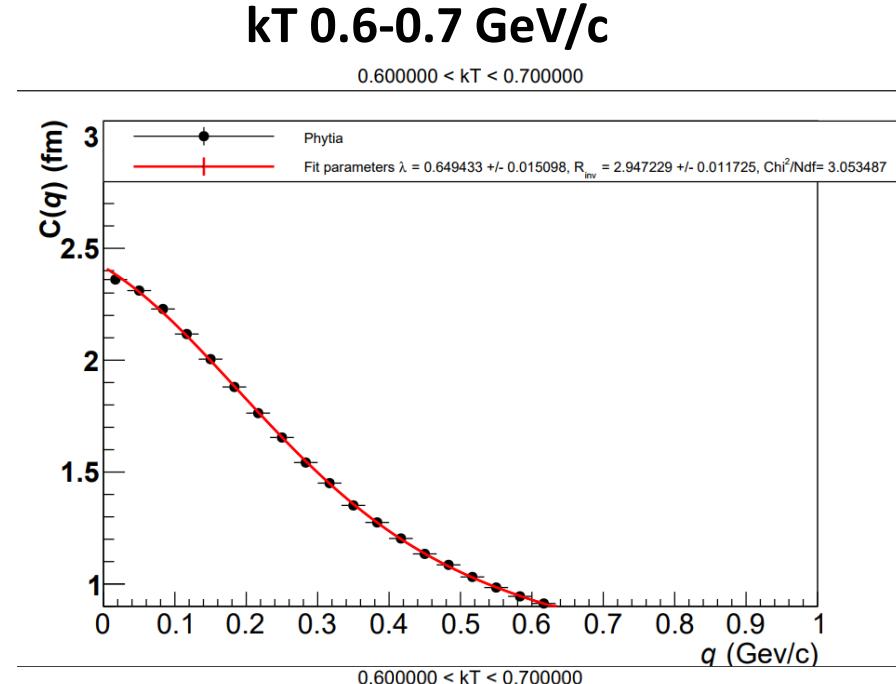
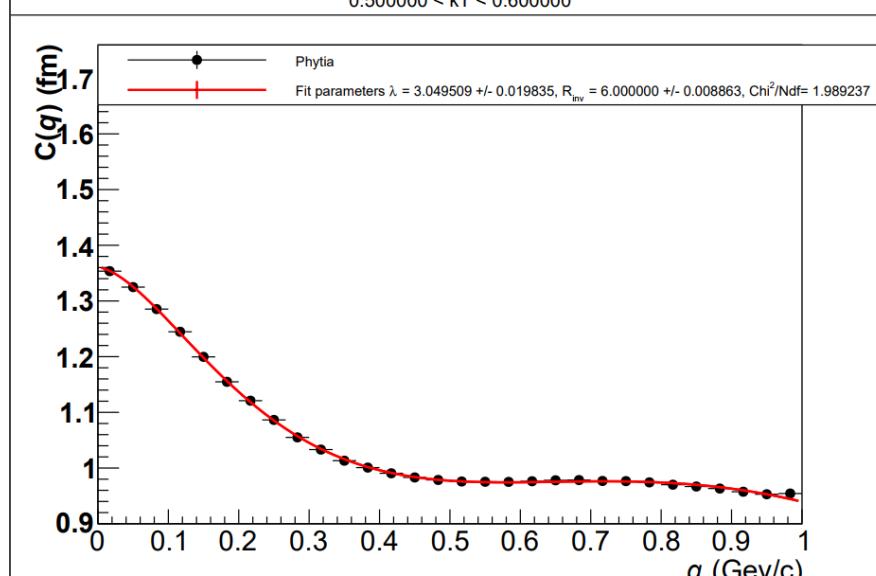


# Results

**Qref=1**



**Qref=0.75**

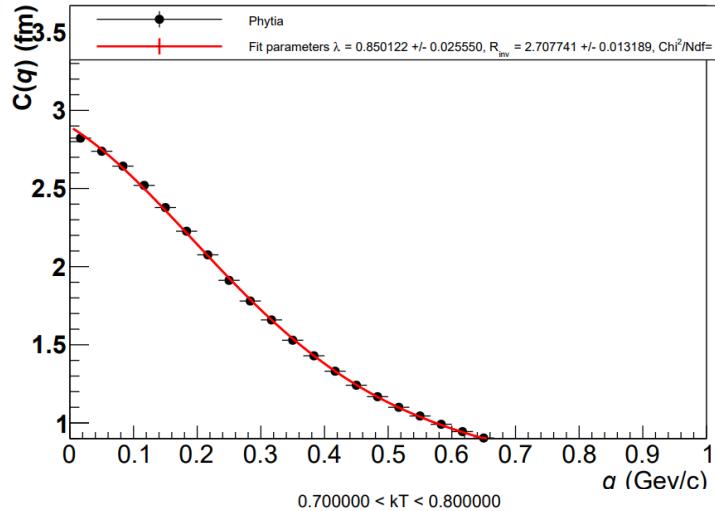


# Results

Qref=1

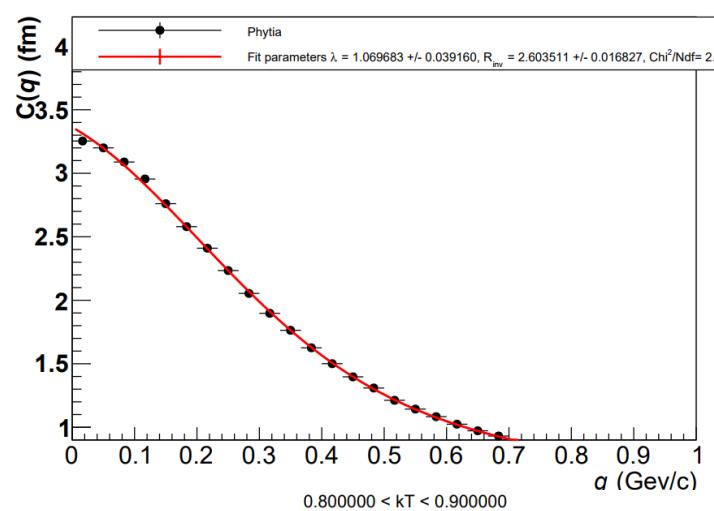
kT 0.7-0.8 GeV/c

0.700000 < kT < 0.800000



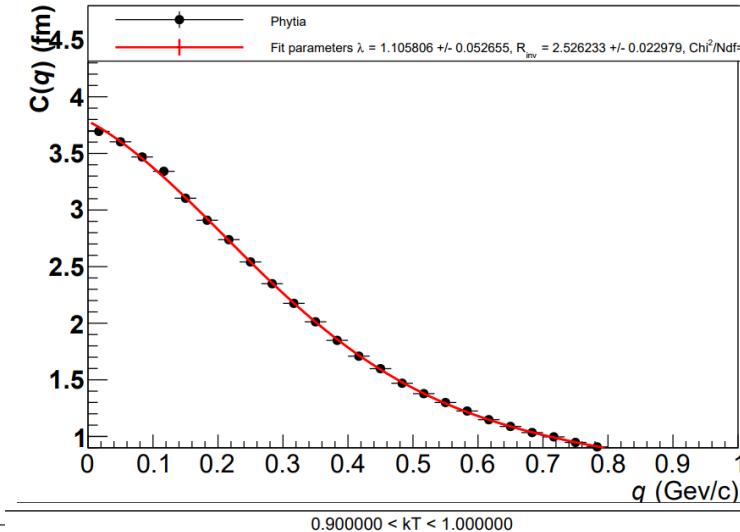
kT 0.8-0.9 GeV/c

0.800000 < kT < 0.900000

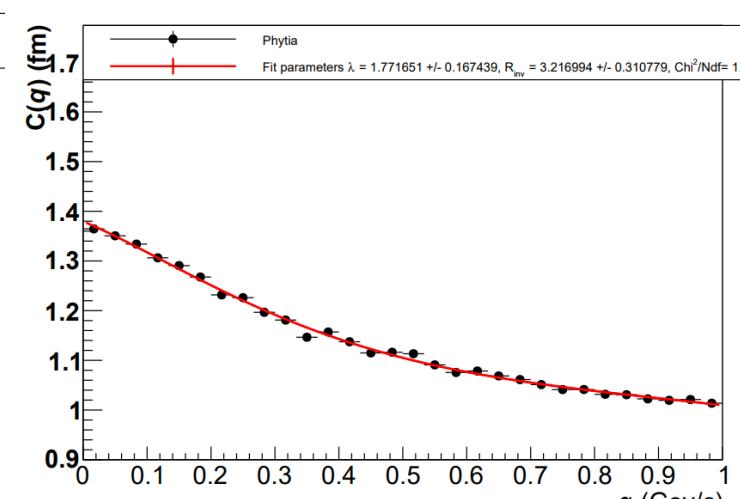
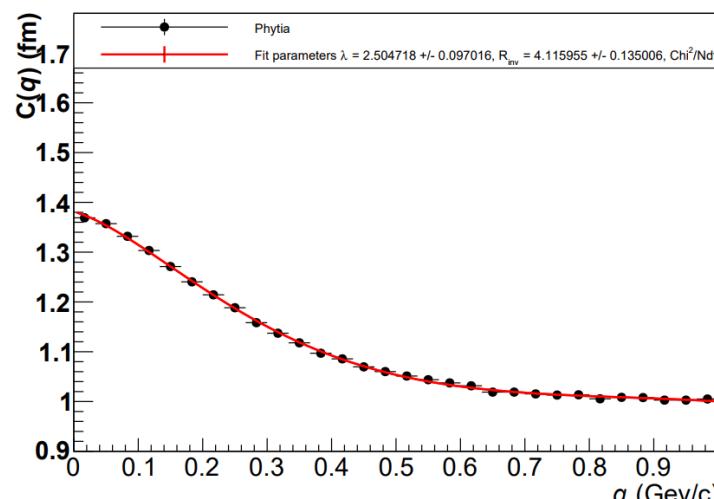
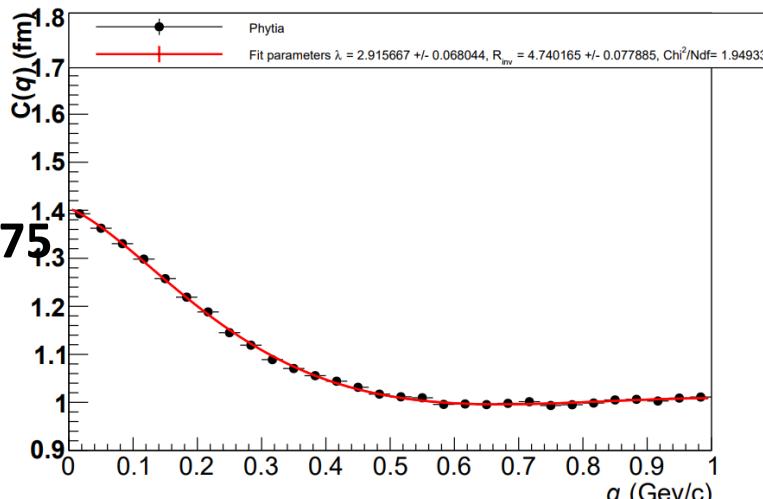


kT 0.9-1.0 GeV/c

0.900000 < kT < 1.000000



Qref=0.75



# Results

Kt dependence of the radius of the reaction

