Lecture 08

Policymaking Under Uncertainty

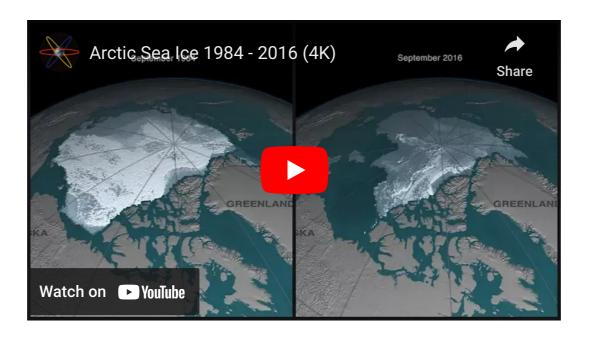
Ivan Rudik AEM 4510

Roadmap

- 1. What role does uncertainty play in economic analysis of the environment?
- 2. What are the implications of uncertainty for policy choice and welfare?

Uncertainty and the environment

Learning about arctic sea ice



Risk refers to situations where the classification of states, events or alternatives is objective and known, and their probabilities can be objectively determined

Uncertainty arises from "the impossibility of exhaustive classification of states": nature/economy can be so complex that all possible states are simply not known

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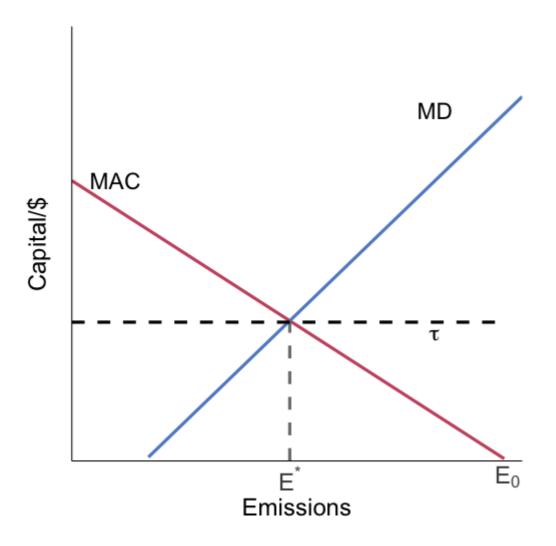
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The type of uncertainty can have implications for instrument choice

Policy under uncertainty



With perfect information we can achieve the efficient outcome using either a $\tan \tau$ or an emission standard $\bar{E}=E^*$

Will this hold true even with uncertainty about MD or MAC?

It is very likely that we don't know much about how damaging a particular pollutant is 1

¹This is even ignoring the fact that we probably don't even know the slope of the marginal damage curve.

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Given risks and affected groups, how do we value lives/health?

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How do we value threatened environmental amenities?

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Climate change

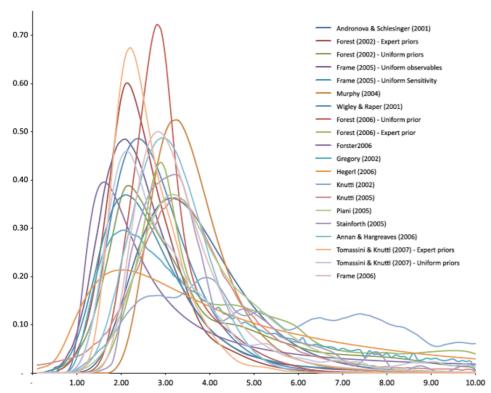
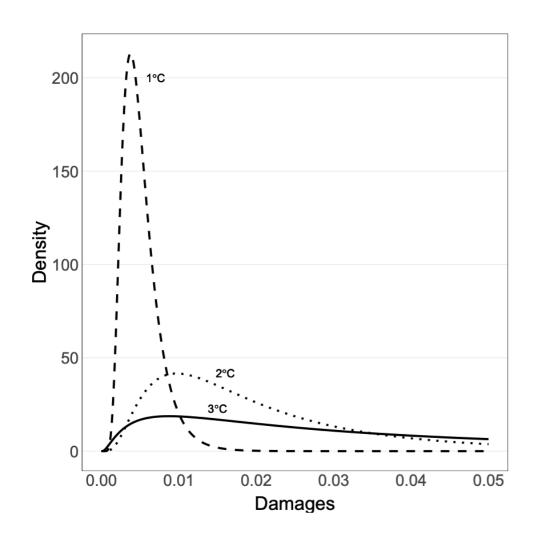


Fig. 1 Estimated probability density functions for climate sensitivity from a variety of published studies, collated by Meinshausen et al. (2009)

These are our best estimates of the distribution of the equilibrium climate sensitivity: how much the earth warms on average if we double CO₂ concentrations

Uncertainty in ECS means we are uncertain about the true costs of emitting a ton of CO_2 (i.e. the social cost of CO_2)

Climate change

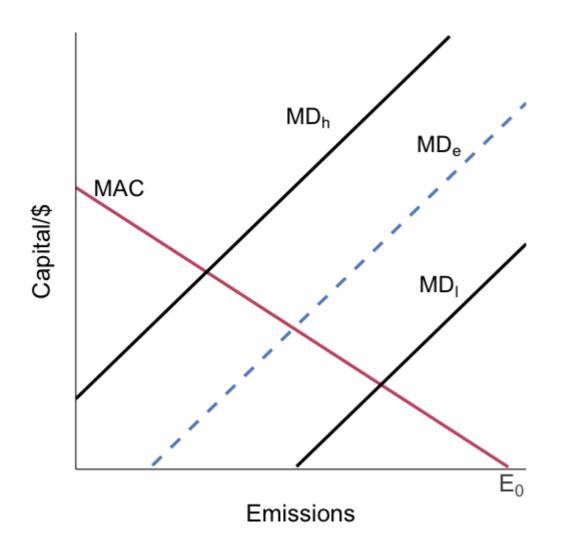


There's also uncertainty over how costly a given amount of warming will be

 How bad is 1 degree of warming for agricultural yields?

These are distributions of damages to global GDP at given levels of warming

Rudik (2020)

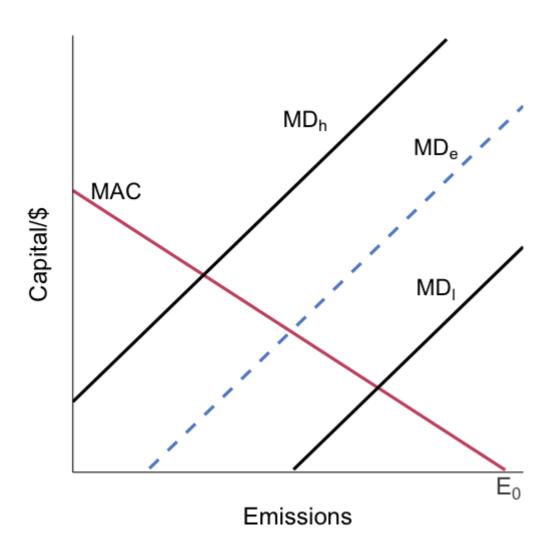


If we are uncertain about MD how should we set policy?

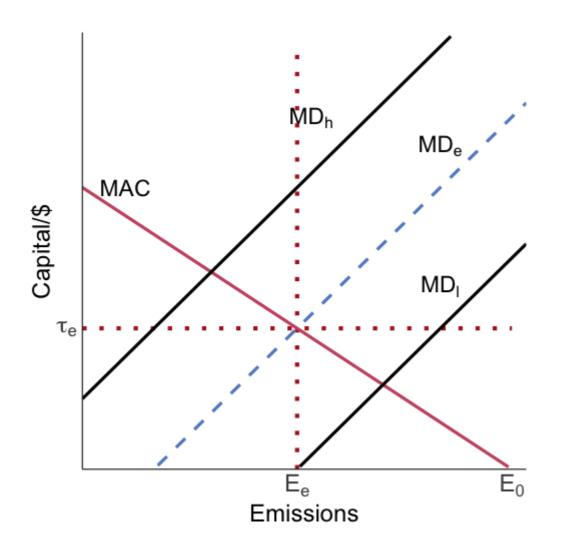
Suppose we have a best estimate, MD_e

Unfortunately our estimate was wrong, and the true MD curve is given by MD_h or MD_l

Let's say the actual MD is MD_l , what happens under our policies?



First: what tax and standard does the regulator set?

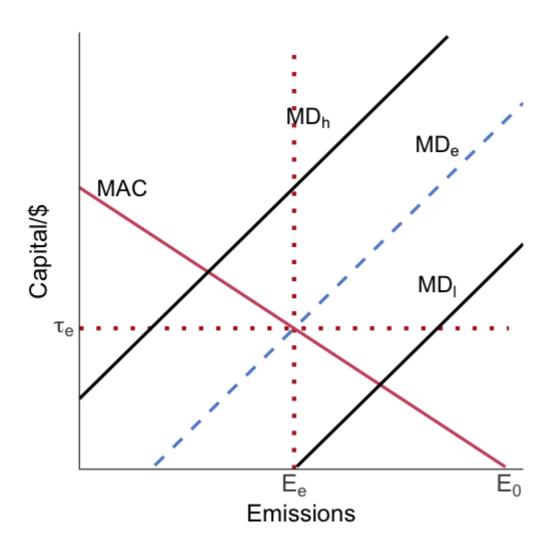


First: what tax and standard does the regulator set?

The regulator selects a standard where she thinks MAC = MD: E_e

The regulator selects a tax where she thinks MAC = MD: τ_e

With these two policies in place, what does the firm do?

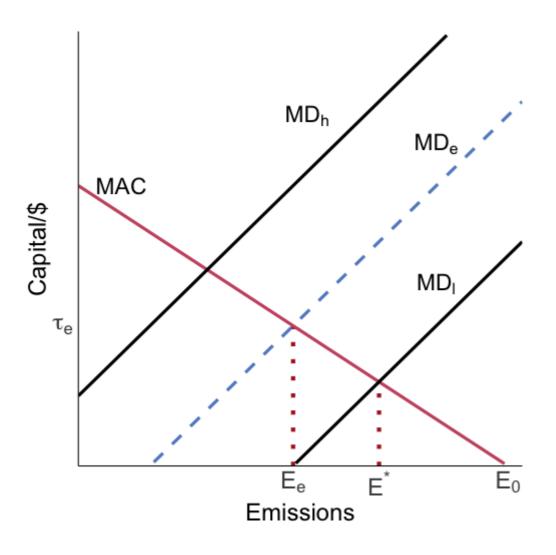


The firm emits at E_e under both the tax and standard

We get the same outcome

Is there any deadweight loss?

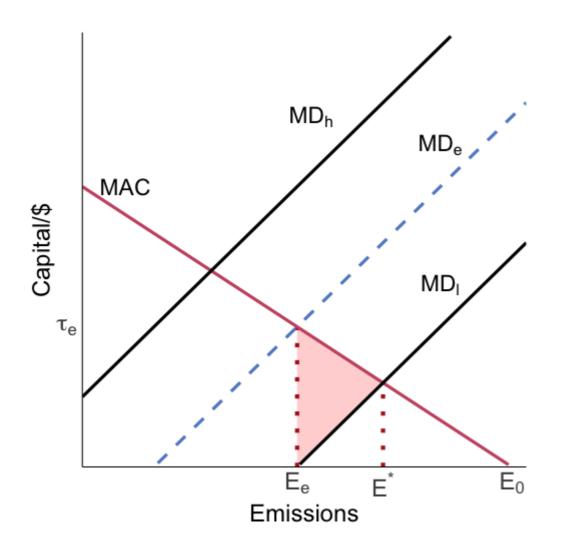
If so, how much?



We actually want to be at E^{*}

We are emitting too little because we overestimated damages

What is the DWL associated with under-emission?

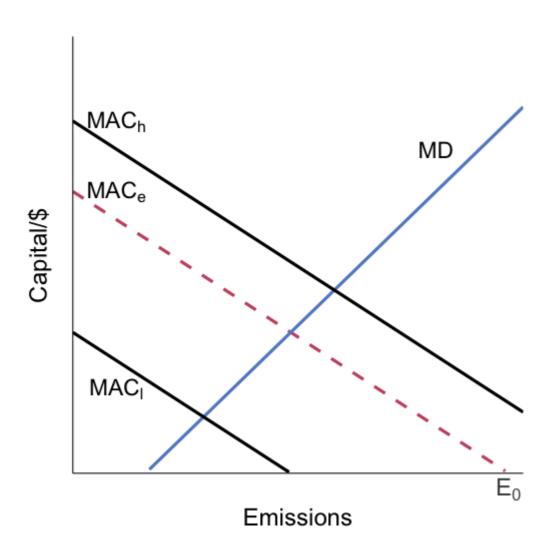


DWL comes from abatement costs in excess of the avoided damages

This is the area in red

With uncertain MD, we do not get the efficient outcome!

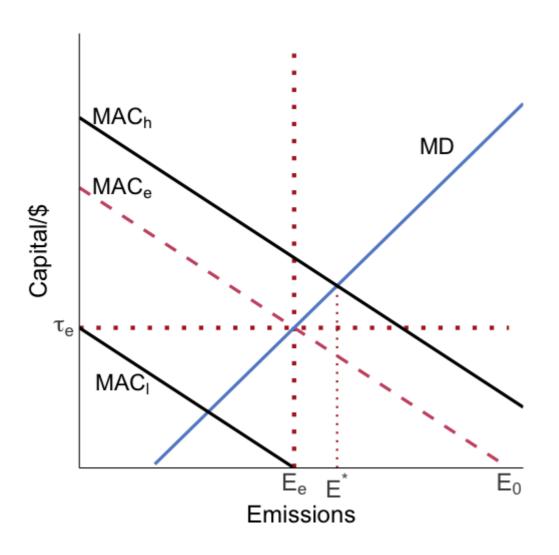
Will the story be any different if the true MD was instead MD_h?



Now what if we have strategic uncertainty: the regulator does not know the firms' MAC curves

The regulator thinks the MAC is MAC_e but it may be MAC_h or MAC_l

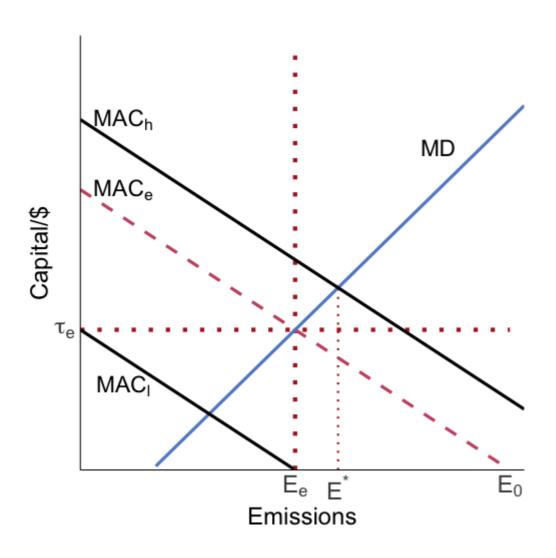
Suppose the true MAC is MACh



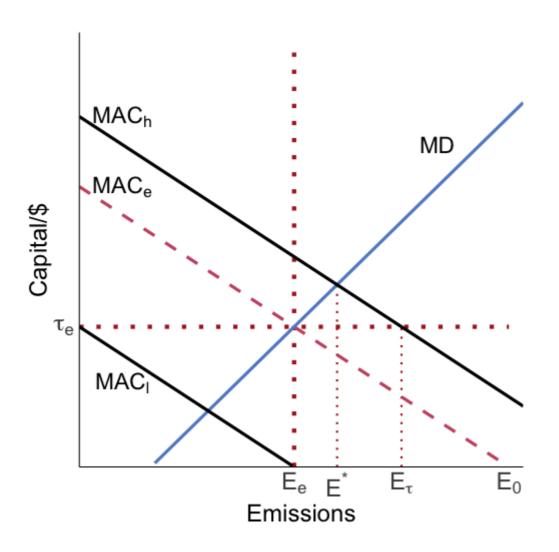
The regulator again sets a standard of E_e and a tax of τ_e

We know the efficient level of emissions is E*

What level of emissions do we actually get?



Under a standard we get E_e

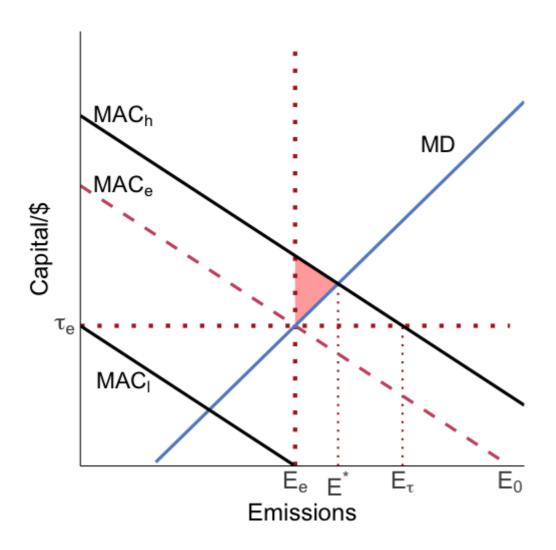


Under a standard we get E_e

Under a tax we get $E_{ au}$

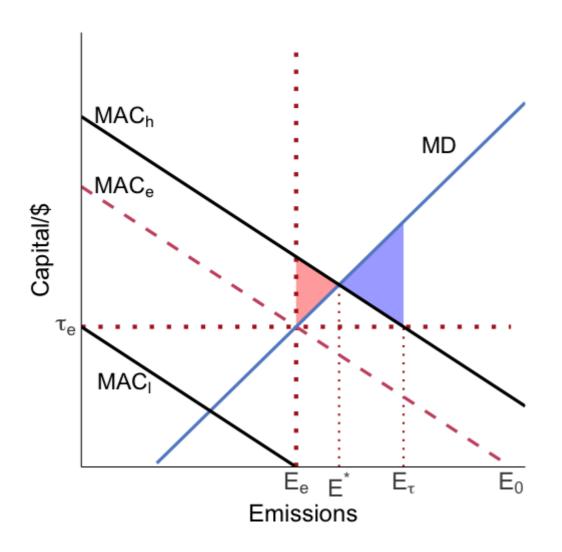
Since we get different levels of emissions under the two policies, they may give us different levels of deadweight loss

Let's see..



The DWL under a standard is given by the **red** area

This is caused by too little emissions

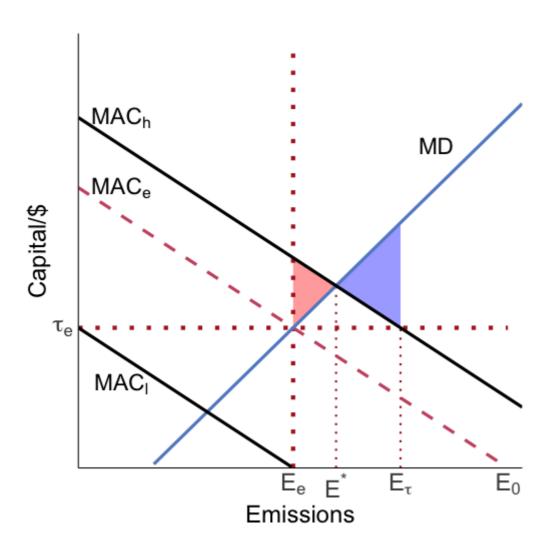


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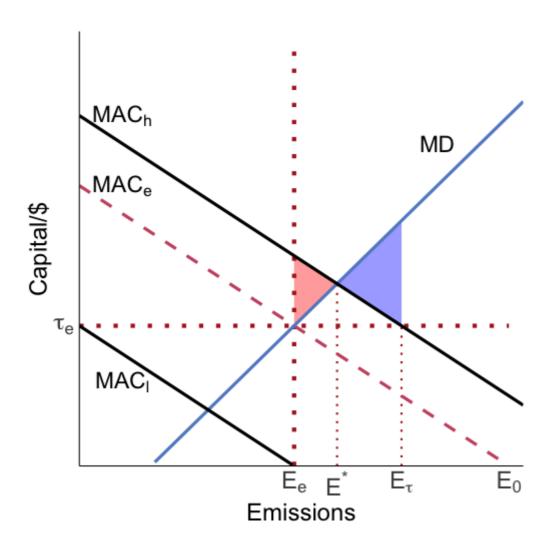
The DWL under a tax is given by the blue area

This is caused by too many emissions



The DWLs are similar-ish in size

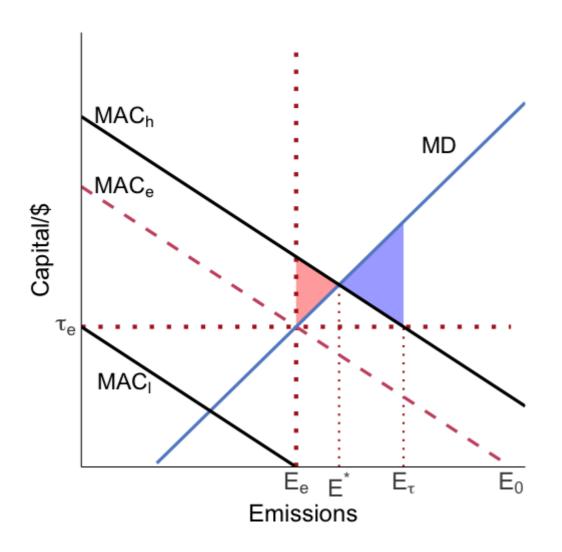
Why do we get the DWLs?



Standard: we under estimated the MAC and thought it'd be cheaper to abate than it actually was, so we set too stringent of a standard

Tax: we under estimated the MAC and thought it'd be cheaper to abate than it actually was, so we set too low of a tax

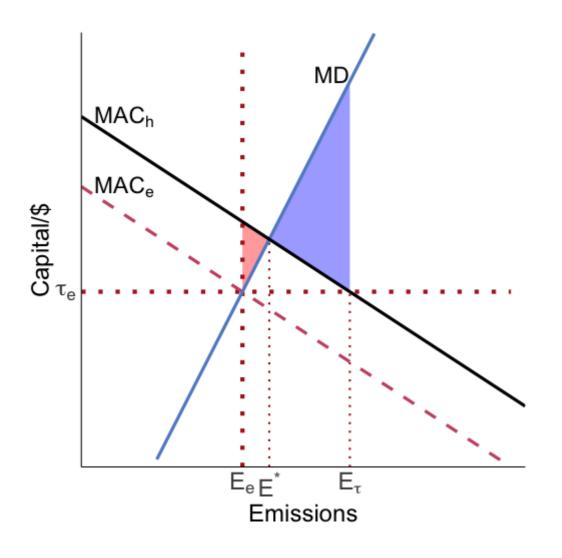
The same error leads to different qualitative outcomes



Which policy performs better depends on the relative slopes of the MAC and MD curves

Now consider an example where the MD curve is relatively **steep**

Try to solve for the policy choices and DWLs yourself



If the MD curve is relatively steep a standard performs better, the red DWL is smaller than the blue DWL

Why?

Taxes allow firms to choose the quantity

If the MD is relatively steep, an error in the quantity of emissions is very costly

Steep MDs

A steep MD means the marginal external cost of emissions increases rapidly

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One would be if there exist tipping points in the climate system:

- Melt-back of Arctic summer sea ice
- Evidence that this is happening even without much additional warming
- Sea ice reflects light and cools polar regions
- This has big effects on air and ocean circulation

Collapse of Greenland ice sheet: could lead to a 7m rise in sea level

Tipping points

Collapse of western Antarctic ice sheet

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- Species loss
- Effects on rainfall patterns in other parts of the world

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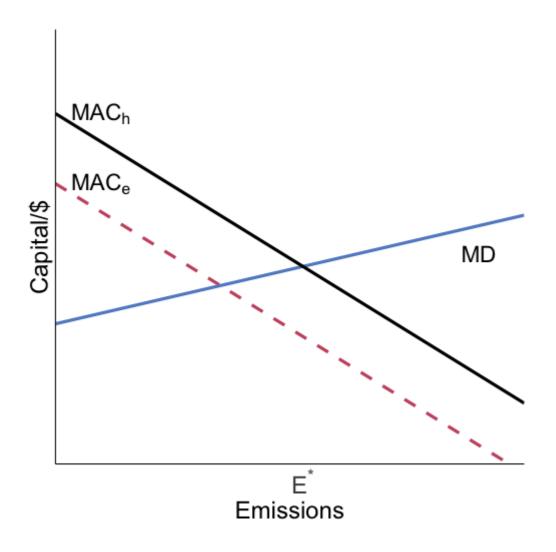
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Collapse of W. African monsoon season and many others

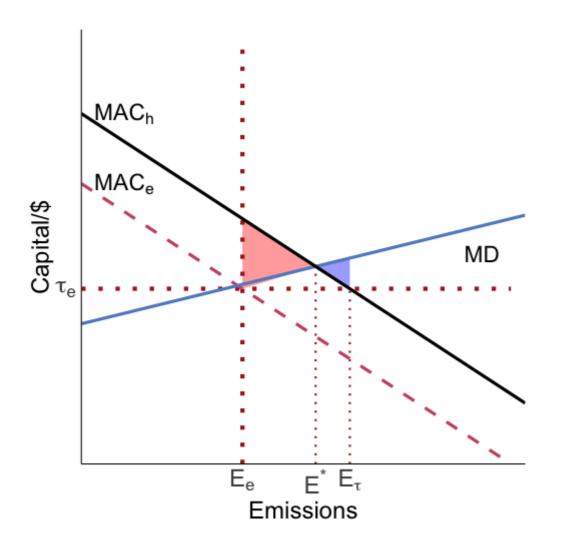
Policy under strategic uncertainty



Now what if MD is very flat?

Solve for the regulator's chosen policies and their associated DWL

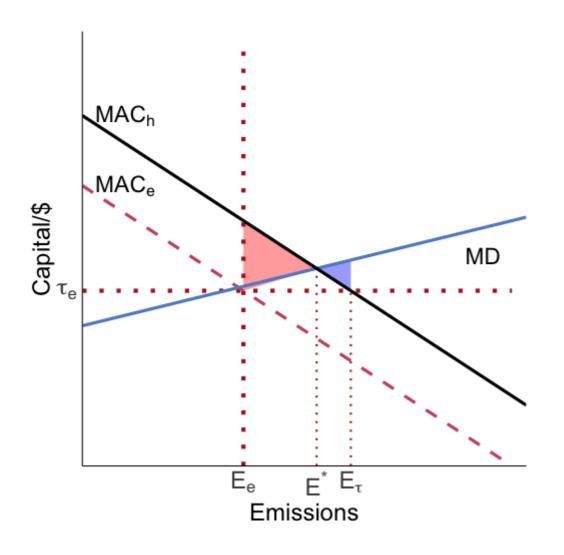
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If the MD curve is relatively flat a tax performs better, the blue DWL is smaller than the red DWL

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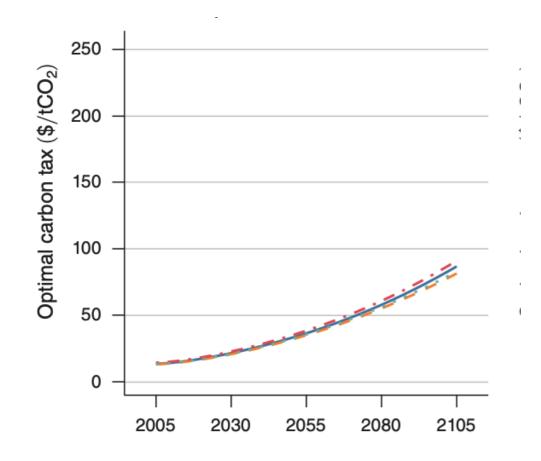


Marginal damages are relatively constant no matter the quantity while abatement costs can change rapidly

It's valuable to let the firm flexibly choose abatement

Taxes impose a constant incentive on the firm, closer representation of the MD

Dynamic uncertainty



Optimal carbon tax = MD

Current MD may be zero, but future MD could be very high

e.g. greenhouse gases

1 ton emitted today is not as costly as 1 ton emitted tomorrow for a lot of reasons

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The bad state is the climate is very sensitive to greenhouse gases, good state is the climate is not very sensitive (climate change is fake news!)

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The bad state is the climate is very sensitive to greenhouse gases, good state is the climate is not very sensitive (climate change is fake news!)

Each state requires different abatement to avoid climate catastrophe

State	Probability	Cumulative Abatement Required
Good	1-p	0
Bad	р	1

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a₁: current abatement

a₂: future abatement

a₁+a₂: aggregate abatement

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What is the regulator's problem?

$$\min_{a_1} E[TC] = \underbrace{\frac{1}{2}a_1^2}_{ ext{current cost}} + (1-p) imes \underbrace{\frac{0}{ ext{good state cost}}}_{ ext{good state cost}} + p imes \underbrace{\frac{1}{2}(1-a_1)^2}_{ ext{bad state cost}}$$

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This gives us that:

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You can think about this as basically buying insurance

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Now, what are some complications of this simple model?

Abatement tech can improve:

- future MAC different than current MAC
- future MAC might depend on current abatement (learning by doing)

Discounting: how should we weigh future costs and benefits?

- Does this matter whether the future is the same generation or unborn generations?
- Does it matter how wealthy we think people are?

Alternative decision frameworks:

- We just minimized expected total cost
- We could instead do minimax regret: minimize the cost of the worst-case outcome
- We could use the precautionary principle: use whatever is necessary to avoid irreversible damage