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General Idea:

Mathlib.c:

my_sin(x): Get the Maclaurin series of $\sin(x)$ to approximate the value of $\sin(x)$ from the domain of 0 to 2π in steps of 0.05π .

my_cos(x): Get the Maclaurin series of $\cos(x)$ to approximate the value of $\cos(x)$ from the domain of 0 to 2π in steps of 0.05π .

my_arcsin(x): Get the Maclaurin series of $\arcsin(x)$ to approximate the value of $\arcsin(x)$ from the domain of -1 to 1 in steps of 0.05.

my_arccos(x): Subtract $\pi/2$ by the approximation of $\arcsin(x)$ from the previous function to get $\arccos(x)$.

my_arctan(x): Use a simple evaluation of $\arctan(x)$ which gets $\arcsin(x / \text{square root of } (x^2 + 1))$. This evaluation will be equal to $\arctan(x)$.

my_log(x): Use the Newton-Raphson method to approximate $\ln(x)$ which gets the inverse of e^x . This method gets the previous value and adds it to $(x - e^{(\text{previous value})}) / e^{(\text{previous value})}$.

Helper Functions:

factorial(n): Iterate from n down to 1 by steps of -1. Set the previous value to itself times n . Accumulate this value and return it when $n = 1$. Return this value.

my_pow(x, y): Iterate from y down to 1 by steps of -1. Accumulatively multiply x by itself every iteration until $y = 1$. Return this value.

Mathlib-test.c:

Import the functions from `mathlib.c`. Check the options that the user inputted when running `mathlib-test`. Print the header lines and then loop through the respective domain of the function. Print the x value, my approximation of the respective function, the `math.h` version of the respective function, and the difference between the two.

Pseudocode:

Mathlib.c:

my_sin(x):

```
# set n = 1, answer = x, and previous value = x
# do
    # increment n by 2
    # set the current value to -1 * previous value * (x^2 / n(n-1)). Set the previous value to
the current value.
    # set the answer equal to itself plus the current value.
    # get the absolute value of current.
# while the absolute value of the current value is > 10 ^ -10, keep iterating or else return the
answer.
```

my_cos(x):

```
# set n = 0, answer = 1, and previous value = 1
# do
    # increment n by 2
    # set the current value to -1 * previous value * (x^2 / n(n-1)). Set the previous value to
the current value.
    # set the answer equal to itself plus the current value.
    # get the absolute value of current.
# while the absolute value of the current value is > 10 ^ -10, keep iterating or else return the
answer.
```

my_arcsin(x):

```
# set previous value = x
# do
    # set the current value to the previous value - ( (sin(previous value) - x) / cos(previous
value) ). Set a compare variable to the previous value. Set the previous value to the current value.
    # get the absolute value of the previous value which is now the current value minus the
compare variable which is now the previous value.
# while the absolute value of the previous equation is > 10 ^ -10, keep iterating or else return the
previous value which is now the current value.
```

my_arccos(x):

```
# subtract pi/2 by arcsin(x) made in the previous function
# return that value
```

my_arctan(x):

```
# get the value of arcsin( x / square root of (x^2 + 1) )
```

```
# return that value
```

```
my_log(x):
```

```
# set previous value = 1
```

```
# do
```

```
    # set the current value to the previous value + ( (x - e^(previous value)) / e^(previous value) )
```

```
    # set the previous value to the current value
```

```
# while ( e^(current value) - x ) > 10 ^ -10, keep iterating or else return the current value
```

```
Helper Functions:
```

```
factorial(n):
```

```
# set the start value and previous value to n.
```

```
# if n = 0 return 1
```

```
# else
```

```
    # iterate the start by steps of -1
```

```
    # set the previous value to multiply itself by the start value.
```

```
    # if the start value = 0 end the iterations and return the previous value
```

```
my_pow(x, y):
```

```
# set the previous value to 1 and the current value to 0
```

```
# set the power to y
```

```
# iterate the power by steps of -1
```

```
    # set the current value equal to the previous value times x.
```

```
    # set the previous value to the current value
```

```
# end the iteration when the power = 0 and then return the previous value.
```

```
Mathlib-test.c:
```

```
# initialize counter variables for each function call and set them equal to zero
```

```
# check the options the user inputted after calling mathlib-test and stop when all options have been read
```

```
# if the respective letter for a function is called and the counter variable is equal to 0
```

```
    # print the two header lines being x, respective function, library, difference, and the dashes '-'.  
    # for loop through the respective function's domain [0,2pi] for sin and cos, [-1, 1] for arcsin and arccos, and [1, 10] for arctan and log. Increment by .05 for arcsin, arccos, tan, and log and 0.05pi for sin and cos.
```

```
    # on every iteration print the x value, my version of the respective function with x plugged in, the math.h version of the function with x plugged in, and the difference between the two.
```

add 1 to the respective counter variable to ensure repeated calls aren't shown
if 'a' is inputted print the tables for all the functions and exit the loop.