Daily Screen Time

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Data Manipulation Import Screen Time Data

We chose to collect our data through a Google form that was sent out to friends and family across various social media platforms. The survey simply asked students to type in their total screen time and their social media screen time in minutes for an average day. We gathered the responses on a Google Sheet and converted it to a csv file.

my_data <- read.csv(file.choose())</pre>

[1] 215.1193

Median

Check Screen Time Data

The head() function displays 6 data columns by default. head(my_data)

Timestamp Total_Screen_Time Social_Media ## 1 11/23/2020 13:13:10 ## 2 11/23/2020 13:16:42 427 ## 2 11/23/2020 13:16:42 644 ## 3 11/23/2020 13:21:37 210 ## 4 11/23/2020 13:26:05 375 ## 5 11/23/2020 13:42:25 300 ## 6 11/23/2020 13:43:24 400 70 264 180 300

Check Screen Time Data (with parameter) head(my_data, 10)

Timestamp Total_Screen_Time Social_Media ## 1 11/23/2020 13:13:10 180

427 70 264 180 300

240 **Descriptive Statistics Measures of Central Tendency** skewed.

30 120 150

Mean

The means of both Total_Screen_Time and Social_Media are greater than the medians of either variable. This implies that the distribution is right mean(my_data\$Total_Screen_Time) ## [1] 434.1193

mean(my_data\$Social_Media)

median(my_data\$Total_Screen_Time) ## [1] 360 median(my_data\$Social_Media)

[1] 122 Mode require(modeest)

Loading required package: modeest ## Warning: package 'modeest' was built under R version 4.0.3 mfv(my_data\$Total_Screen_Time)

[1] 300 400 mfv(my_data\$Social_Media) ## [1] 120 Measures of Variablity Range

The ranges below provide the maximum and minimum values of the Total_Screen_Time and the Social_Media. Social media screen time has a

smaller and lower range than total screen time, illustrating that it is a subset of total screen time.

range(my_data\$Total_Screen_Time)

is also much smaller than Total Screen Time.

Compute the quantiles/percentiles

IQR(my_data\$Total_Screen_Time)

[1] 297.5838

[1] 214.0409

#Outlier Rows

1500

0

Scatter Plots

0

Density Plots

library(e1071)

Attaching package: 'e1071'

skewness

500

Warning: package 'e1071' was built under R version 4.0.3

The following object is masked from 'package:modeest':

par(mfrow=c(1, 2)) # divide graph area in 2 columns

#Outlier rows for Average Total Screen Time

boxplot.stats(my_data\$Total_Screen_Time)\$out

message("Social Media Time Outliers:")

Social Media Time Outliers:

[1] 1080 960 1500 1000 1400 1039 900 1080 1220 900 900 1000 1000

message("Screen Time Outliers:")

Screen Time Outliers:

sd(my_data\$Social_Media)

[1] 45 1500 range(my_data\$Social_Media) ## [1] 0 1300 Interquartile Range The Interquartile Range gives us the middle 50% of our data for both Total_Screen_Time and Social_Media. A smaller interquartile range indicates

a less variable data set. This is evident as the Social_Media IQR is smaller than the IQR of Total_Screen_Time and the variability of Social_Media

[1] 260 IQR(my_data\$Social_Media) ## [1] 223 Variance

#Compute the Variance var(my_data\$Total_Screen_Time) ## [1] 88556.11 var(my_data\$Social_Media) ## [1] 45813.51 **Standard Deviation** #Compute the Standard Deviation sd(my_data\$Total_Screen_Time)

Summary Data #Compute the Sepal Width Summary summary(my_data) ## Timestamp Total_Screen_Time Social_Media ## Length:109 Min. : 45.0 Min. : 0.0 ## Class :character 1st Qu.: 240.0 1st Qu.: 77.0## Mode :character Median : 360.0 Median : 122.0 Mean : 434.1 Mean : 215.1 3rd Qu.: 500.0 3rd Qu.: 300.0 ## ## Max. :1500.0 Max. :1300.0 **Plots Box Plots**

Looking at the Screen Time outliers there are some that would make sense to eliminate. For example, the data point of 1500 minutes is impossible since there are 1440 minutes in a day. Therefore, it would make sense to eliminate this data point. Both boxplots also indicate that the data is right

#Outlier rows for Average Social Media Time boxplot.stats(my_data\$Social_Media)\$out ## [1] 650 1000 1300 720 950 #box plots par(mfrow=c(1, 2)) # divide graph area in 2 columns boxplot(my_data\$Total_Screen_Time, main="Average Total Screen Time") boxplot(my_data\$Social_Media, main="Average Social Media Time") **Average Total Screen Time Average Social Media Time**

1200

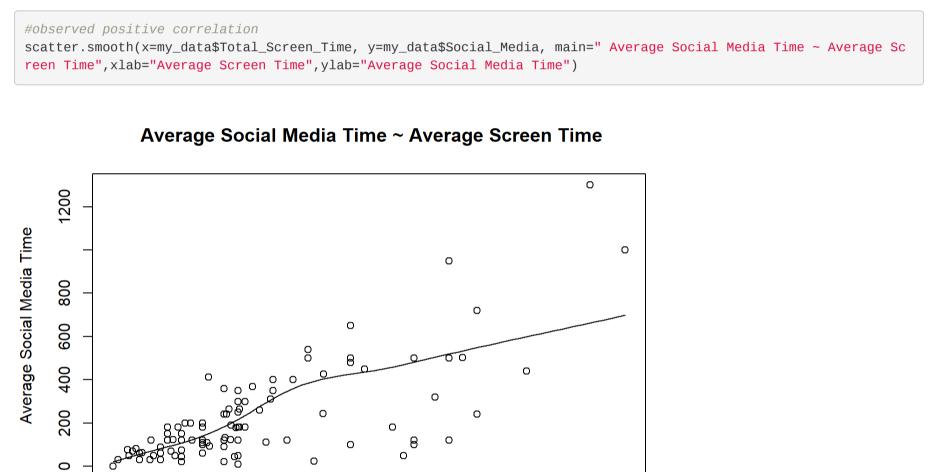
800

900

400

200

0

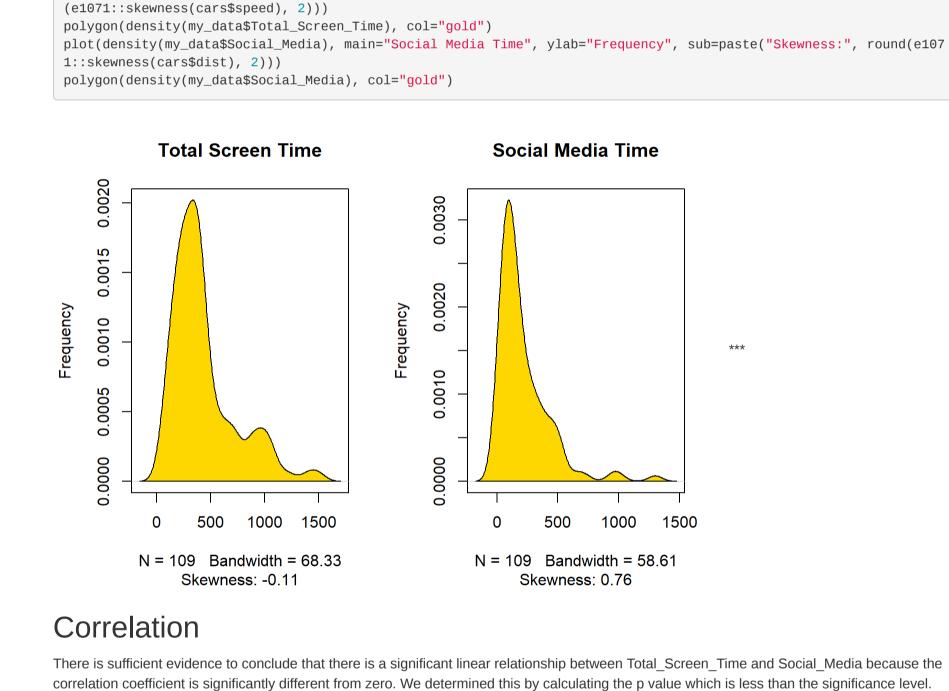


1000

plot(density(my_data\$Total_Screen_Time), main="Total Screen Time", ylab="Frequency", sub=paste("Skewness:", round

Average Screen Time

1500



Therefore, the null hypothesis is rejected. The correlation co-efficient was calculated using the cor() function.

Correlation Co-efficient: 0.731913398104009

Pearson's product-moment correlation

t = 11.111, df = 107, p-value < 2.2e-16

95 percent confidence interval:

0.6306336 0.8086807 ## sample estimates: cor

0.7319134

Data Plots

plot(my_data)

0

Average Social Media Time

Linear Model

abline(linearmod, col ="red")

message("Least Square Line:")

Least Square Line:

linearmod

Call:

QQ Plots

Social Media

Sample Quantiles

900

400

200

Total Screen Time

qqnorm(my_data\$Total_Screen_Time, pch = 1, frame = FALSE) qqline(my_data\$Total_Screen_Time, col = "red", lwd = 2)

500

ocial Media Time", main = "Social Media ~ Screen Time")

linearmod = lm(my_data\$Social_Media~my_data\$Total_Screen_Time)

500

lm(formula = my_data\$Social_Media ~ my_data\$Total_Screen_Time)

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

of the predictor is zero. We can now go ahead and use it to predict (or estimate) the dependent variable.

Normal Q-Q Plot

Residual standard error: 146.5 on 107 degrees of freedom ## Multiple R-squared: 0.5357, Adjusted R-squared: 0.5314 ## F-statistic: 123.5 on 1 and 107 DF, p-value: < 2.2e-16

qqnorm(my_data\$Social_Media, pch = 1, frame = FALSE) qqline(my_data\$Social_Media, col = "red", lwd = 2)

##

cor.test(my_data\$Total_Screen_Time, my_data\$Social_Media)

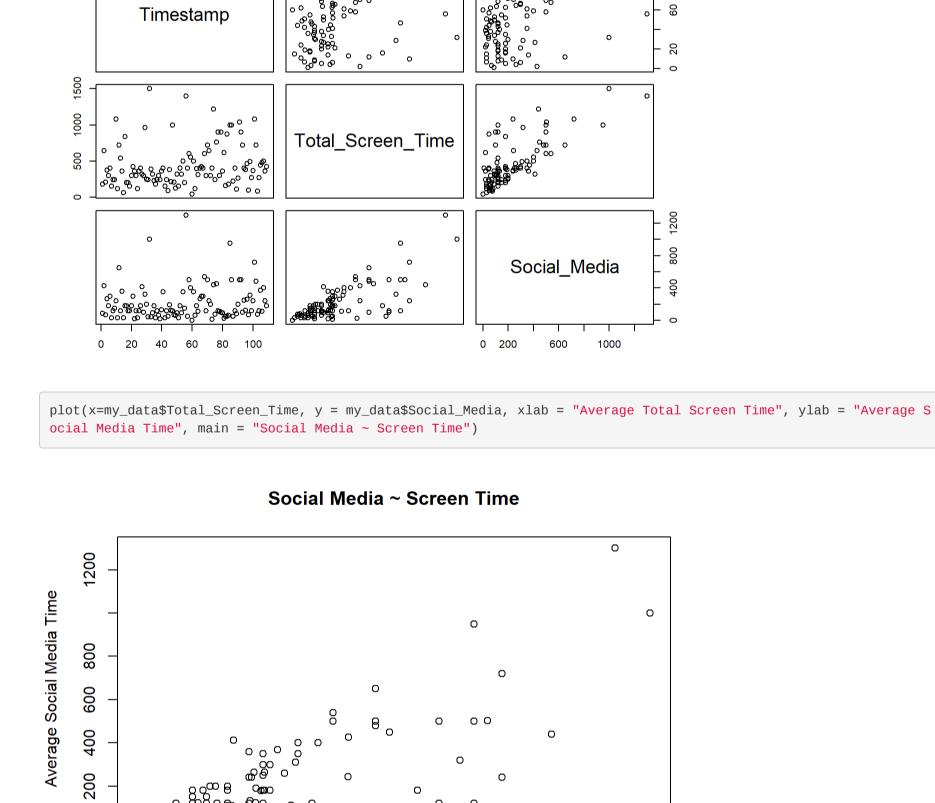
data: my_data\$Total_Screen_Time and my_data\$Social_Media

alternative hypothesis: true correlation is not equal to 0

message("Correlation Co-efficient: ",cor(my_data\$Total_Screen_Time, my_data\$Social_Media))

1000

1500



1000

plot(x=my_data\$Total_Screen_Time, y = my_data\$Social_Media, xlab = "Average Total Screen Time", ylab = "Average S

Average Total Screen Time

Social Media ~ Screen Time

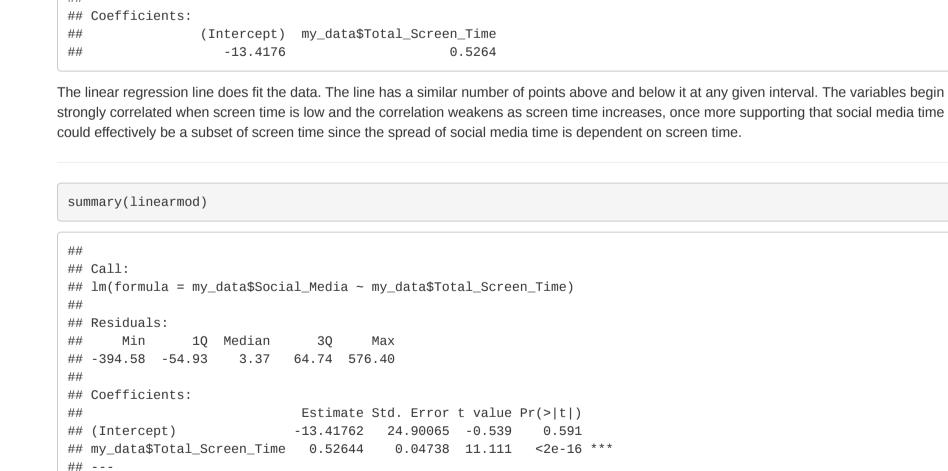
8

Average Total Screen Time

1000

1500

1500



Since the p-value is below the 0.05 threshold, the model is statistically significant. We can safely reject the null hypothesis that the coefficient beta

0

-2 2 0 Theoretical Quantiles Most points do not fall on the line, indicating that Social Media Time fits poorly on the normal distribution.

Normal Q-Q Plot

Sample Quantiles 0 -2 **Theoretical Quantiles** Most points do not fall on the line, indicating that Total Screen Time fits poorly on the normal distribution. There are more points falling on the line for screen time than for social media time indicating that while social media time does not fit the normal distribution well, it fits the normal distribution better than social media time does. Total Screen Time vs Social Media Time $qqnorm(x = my_data\$Total_Screen_Time, y = my_data\$Social_Media, pch = 1, frame = FALSE)$ **Normal Q-Q Plot** 0

900 A CONTRACTOR CONTRACTO 200 2 -2 0 180 644

0 Sample Quantiles Since the data does not form a straight line, the two variables are not distributed similarly. **Analysis** The variables are positively correlated with a weaker correlation as screen time increases. This can be attributed to the fact that social media is conventionally accessed via cellphone. Considering this, it is likely that most if not all time spent using social media was also time spent using a phone, effectively making social media time a subset of screen time. This is a possible explanation for why only a single survey response had higher social media time than screen time. Social media time being a subset of screen time would also explain why there is a greater spread as screen time increases, since there is a higher maximum and the same minimum so the range of social media time values is greater.