

Force and Acceleration

Objects with balanced forces (zero **resultant force**) are either **stationary** or moving at a **steady speed** in a **straight line**.

The **speed or direction** of something with a **resultant force** **changes**. It might **speed up**, **slow down** or **change direction**. This means that it **accelerates**.

The **acceleration** depends on the **resultant force** and the **mass** of the object. We would expect a 100 N force to have a bigger effect on a 100 g apple than on a 20 000 kg bus.



- 1 The diagram above shows a 50 kg trolley in a warehouse and a 2 kg skateboard.
 - (a) Calculate the resultant force on the trolley and also on the skateboard.
 - (b) Calculate the resultant force on each kilogram for the trolley and the skateboard.
 - (c) If the trolley and the skateboard were in a race with these forces, which would pull away from the start line more rapidly?

The acceleration of an object in m/s^2 is given by the **resultant force** per **kilogram** (in N/kg) on the object.

- 2 A 200 N force pulls a 25 kg trolley.
 - (a) Force on each kilogram = \div = newtons
 - (b) Complete the sentence: The acceleration (in m/s^2) is .
 - (c) A 4 kg cat uses a 20 N force to speed up. Work out the acceleration using an equation.

force (N)	=	mass (kg)	\times	acceleration (m/s^2)
<input type="text" value="20"/>	=	<input type="text" value="4"/>	\times	<input type="text"/>
 - (d) Work out the acceleration when 80 N of weight pulls a dropped 8 kg sandbag.
 - (e) Work out the acceleration when 5 N of weight pulls a dropped 0.5 kg lump of cheese.

3 Model cars in a competition need to accelerate at 8 m/s^2 .

(a) Complete: The force on each kilogram needs to be newtons.

(b) Work out the force needed on a 2 kg model using an equation.

$$\begin{array}{ccccc} \text{force (N)} & = & \text{mass (kg)} & \times & \text{acceleration (m/s}^2\text{)} \\ \hline \text{ } & = & 2 & \times & 8 \end{array}$$

(c) Work out the force needed on a 0.4 kg model using an equation.

$$\begin{array}{ccccc} \text{force (N)} & = & \text{mass (kg)} & \times & \text{acceleration (m/s}^2\text{)} \\ \hline \text{ } & = & 0.4 & \times & 8 \end{array}$$

(d) Work out the force needed for a 100 g car. ($1000 \text{ g} = 1 \text{ kg}$)

4 A bottle in a space station accelerates at 3 m/s^2 when an astronaut pushes it.

(a) What is the force on each kilogram of the bottle?

(b) The astronaut pushed the bottle with a 6 N force. How many 3 N forces is this?

(c) What is the mass of the bottle? (Each 3 N force acts on 1 kg.)

(d) Work out the mass if 45 N causes a 5 m/s^2 acceleration using an equation.

$$\begin{array}{ccccc} \text{force (N)} & = & \text{mass (kg)} & \times & \text{acceleration (m/s}^2\text{)} \\ \hline 45 & = & \text{ } & \times & 5 \end{array}$$

(e) Work out the mass if 63 N causes a 7 m/s^2 acceleration.

5 Complete the word equations using **acceleration**, **resultant force** and **mass**.

(a) acceleration =

(b) resultant force =

(c) mass =

6 Rewrite your word equations using symbols.

a is the acceleration, F is the resultant force and m is the mass.

(a) $a =$

(b) $F =$

(c) $m =$

- 7 Use your understanding of force and acceleration (including the equations) to calculate
- (a) The resultant force needed to give a 200 kg pony a 2 m/s^2 acceleration.
 - (b) The acceleration when a 20 000 kg bus is driven with a 10 000 N resultant force.
 - (c) The mass of a melon if a 3 N force gives it a 6 m/s^2 acceleration.
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- 8 A 1.6 kg computer is pulled with a 4 N force across a desk where there is 1.6 N of friction.
- (a) Calculate the resultant force on the computer.
 - (b) Calculate the acceleration of the computer.
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- 9 Calculate the acceleration of
- (a) A 40 kg trolley pushed by 100 N against 80 N of friction.
 - (b) A 60 kg swimmer pushing forward with 200 N against 120 N of drag.
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- 10 A 0.3 kg firework needs to accelerate upwards at 80 m/s^2 . As it rises there is a combined downwards force of 9 N acting on it from its weight and the drag.
- (a) Calculate the resultant force from the acceleration and mass.
 - (b) Calculate the upwards propulsion force needed to achieve this resultant force.
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- 11 A 300 000 kg train takes 80 s to get to its top speed of 100 m/s on a flat track. On average, there is a combined friction and air resistance force of 50 kN = 50 000 N. Calculate
- (a) the acceleration needed. Remember: $\text{acceleration} = \text{velocity change} \div \text{time taken}$.
 - (b) the resultant force.
 - (c) the force required from the engine.