

1/23/23

"The Indian Clerk" Book

libraries you're looking in linux come as tar
you can do `cc -f (function) -lm`

↑
`import math library`

Don't use math lib for lab 2

Numerical Methods

multiplication - shift + add

division - shift + subtract

addition - exclusive or

to compute \sin , \cos , etc

- use Taylor series

- more terms give you more precision

to do $x^{(\text{floating point})}$, use \log

floating point modules

- for computing trig functions

(ex: $\sin 400\pi = \sin 2\pi$)

Pade Approximate

- generates a couple polynomials that don't need loops

- can put more terms to be more accurate

Harmonics series

- extremely slow

\log_x is slow

⁰ - do it by multiplying e^x series

for \sqrt{x} or $\log(x)$ you can do a binary search
bc no Taylor series for \sqrt{x}
- meh speed ~ 750 operations for 64 bits

Binary search

- cut value in half, square it, check if it is less than x , if difference is within some error, then it doesn't matter, exit

Can do better

$$\sqrt{x^2} = x$$

- invert square function
- use Newton, iterate
- close approximation

log:

- works within Euler's number, gets used after larger values

in our algorithms, there are other operations worth doing to save time ex $\sqrt{4x} = 2\sqrt{x}$ ex $\log(xe^f) = \log(x) + \log(e^f)$
 $\log x + f$

Can use Newton's method w/ more trig functions

Round off errors

- happens w/ almost every float operation
- trying to write real #'s as floating points give you weird decimals

adding & subtracting floats of different magnitudes lose precision

10^{-14} good epsilon generally (error value)

Relative error vs absolute error

relative error is relative to the values, very critical

✓