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Minute & seconds are 60 bc of Babylonians - very easy to divide
0 from hindus

number system from arabians

metric system from French

Freeman Dyson Verner Vici

- Dyson spheres

$$\pi = 2 \cdot \log(i)$$

Any abhata \rightarrow every number of \mathbb{N} can be represented as

$$a_k b^k + a_{k-1} b^{k-1} + \dots + a_1 b^1 + a_0 b^0 \quad a_i \in \{0, \dots, b-1\}$$

where b is base, looks complex but this is how we code any number

(balanced ternary [negative number base])

standard unix permissions are in octet

license plates are just base 32

Int categories:

char	8	uint8_t
short	16	:
int	32	:
long	32	:
longlong	64	:

- if you don't care & you know
it isn't going to be enormous,
just use an int
- if it's huge, then use the appropriate
number

$101 \frac{5}{8} \approx 25$

romans cannot technically represent

$$\begin{array}{r}
 \times 101^5 \\
 \hline
 1000 \\
 101 \\
 \hline
 11001 \\
 108 \quad 1
 \end{array}$$

$$\begin{array}{r}
 16 \\
 + 8 \\
 \hline
 24 \\
 + 1 \\
 \hline
 25 \quad \checkmark
 \end{array}$$

all numbers, all natural #'s,
you would need infinite storage

real #'s are continuous, computers can only
represent subset

floating points are only approximation
- technically only a subset of naturals

float single precision 32 bits
double double precision 64 bits
long double extended precision 128 bits
(intel stores double as 80 bits)

fundamental theorem

$n \in \mathbb{N}$ has unique prime factorization

$0.1 = \frac{1}{10}$ cannot be represented perfectly in binary

this is why it's so dangerous to use equality w/ floating points
sometimes computers will print out decimals that aren't the actual
value

only things like $\frac{1}{2}, \frac{1}{4}, \frac{1}{8}, \frac{1}{16}$ can be perfectly represented

Algorithms can never create truly random #'s

can only get pseudorandom

(technically intel has a module that uses physics to create entropy)

Mod only works on integers & non-negative