

Item Analytics of the Grit and Conscientiousness

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A Brief about the Background

This document is intended to analyze the items of Grit and Conscientiousness (*Cons*). Whether the items already good or not. Special for Grit items, it contains of several items that measure 3 domains: consistency (*CO*), perseverance (*PE*), and adaptability (*AD*).

The steps that will be done to do the item analysis:

- General checking and anomaly
- Cleaned data (remove anomaly, NAs, and fix the formatting if any)
- Item analysis (check item statistics)
 - Reliability analysis of those 4 domains (CO, PE, AD, and Cons) separately.
 - Internal consistency (item-total correlation)
 - Inter-item correlation
 - Confirmatory factor analysis
 - Exploratory factor analysis (as a helper)

```

dat <- readxl::read_excel("resource/Grit - Studi Kasus.xlsx")
dat <- drop_na(dat)
dat <- dat[6:43]
dim(dat)

```

```
## [1] 215 38
```

```
names(dat)
```

```

## [1] "C01" "C02" "C03" "C04" "C05" "C06" "C07" "C08" "PE1"
## [10] "PE2" "PE3" "PE4" "PE5" "PE6" "PE7" "PE8" "PE9" "PE10"
## [19] "PE11" "AD1" "AD2" "AD3" "AD4" "AD5" "AD6" "AD7" "AD8"
## [28] "AD9" "AD10" "AD11" "AD12" "AD13" "Cons1" "Cons2" "Cons3" "Cons4"
## [37] "Cons5" "Cons6"

```

```
str(dat)
```

```

## tibble [215 x 38] (S3: tbl_df/tbl/data.frame)
## $ C01 : num [1:215] 4 5 5 2 5 5 3 3 4 4 ...
## $ C02 : num [1:215] 5 4 4 2 2 4 3 3 5 5 ...
## $ C03 : num [1:215] 3 5 4 4 5 5 3 5 5 4 ...
## $ C04 : num [1:215] 4 4 1 2 5 3 1 2 4 4 ...
## $ C05 : num [1:215] 2 5 5 4 2 5 3 4 5 5 ...
## $ C06 : num [1:215] 1 5 4 4 4 4 3 3 5 4 ...
## $ C07 : num [1:215] 1 3 2 2 1 5 1 4 1 3 ...
## $ C08 : num [1:215] 1 5 1 2 4 2 3 3 4 2 ...
## $ PE1 : num [1:215] 3 5 1 4 3 3 3 4 5 3 ...
## $ PE2 : num [1:215] 5 3 4 4 2 5 3 3 5 2 ...
## $ PE3 : num [1:215] 1 5 4 4 3 5 4 5 5 4 ...
## $ PE4 : num [1:215] 1 5 4 4 3 2 3 4 5 4 ...
## $ PE5 : num [1:215] 1 5 2 3 5 2 2 2 4 1 ...
## $ PE6 : num [1:215] 1 4 2 3 5 4 3 3 4 1 ...
## $ PE7 : num [1:215] 5 3 4 2 2 5 4 3 4 4 ...
## $ PE8 : num [1:215] 1 4 4 3 5 5 3 3 5 5 ...
## $ PE9 : num [1:215] 5 4 3 2 3 1 2 3 5 3 ...
## $ PE10 : num [1:215] 1 2 3 4 4 4 4 3 5 4 ...
## $ PE11 : num [1:215] 5 4 2 2 5 5 2 4 1 5 ...
## $ AD1 : num [1:215] 1 3 4 4 3 4 5 2 5 5 ...
## $ AD2 : num [1:215] 2 4 5 4 3 4 3 3 4 1 ...
## $ AD3 : num [1:215] 4 5 5 4 4 5 4 4 3 5 ...
## $ AD4 : num [1:215] 5 2 2 2 4 3 5 5 3 3 ...
## $ AD5 : num [1:215] 2 4 5 4 2 3 4 3 5 1 ...
## $ AD6 : num [1:215] 1 3 5 4 2 2 3 3 4 3 ...
## $ AD7 : num [1:215] 1 3 5 5 5 4 3 4 3 4 ...
## $ AD8 : num [1:215] 5 5 1 2 4 5 5 5 5 2 ...
## $ AD9 : num [1:215] 1 5 1 2 4 5 4 3 2 4 ...
## $ AD10 : num [1:215] 3 4 5 4 4 3 5 4 5 2 ...
## $ AD11 : num [1:215] 5 4 5 5 5 5 5 3 5 5 ...
## $ AD12 : num [1:215] 1 2 1 2 2 5 3 4 3 2 ...
## $ AD13 : num [1:215] 5 4 1 1 1 4 4 3 3 3 ...
## $ Cons1: num [1:215] 7 7 7 7 5 7 7 4 7 7 ...
## $ Cons2: num [1:215] 7 6 7 7 4 6 5 3 5 7 ...

```

```
## $ Cons3: num [1:215] 6 2 1 1 4 6 5 5 5 3 ...
## $ Cons4: num [1:215] 7 7 7 7 5 7 7 3 7 7 ...
## $ Cons5: num [1:215] 6 6 7 7 3 7 4 4 4 7 ...
## $ Cons6: num [1:215] 7 7 7 7 2 7 6 3 6 7 ...
```

Step 1: General checking and anomaly

I'll check the anomaly using histogram. Since this is ordinal data, I wouldn't expect too much from the shape of histogram. Instead, I'll put my focus more on the value itself.

```
# CO
par(mfrow = c(3,3))
for (i in 1:8) {
  hist(unlist(dat[,i]), main = names(dat[,i]), xlab = "Score")
}
```

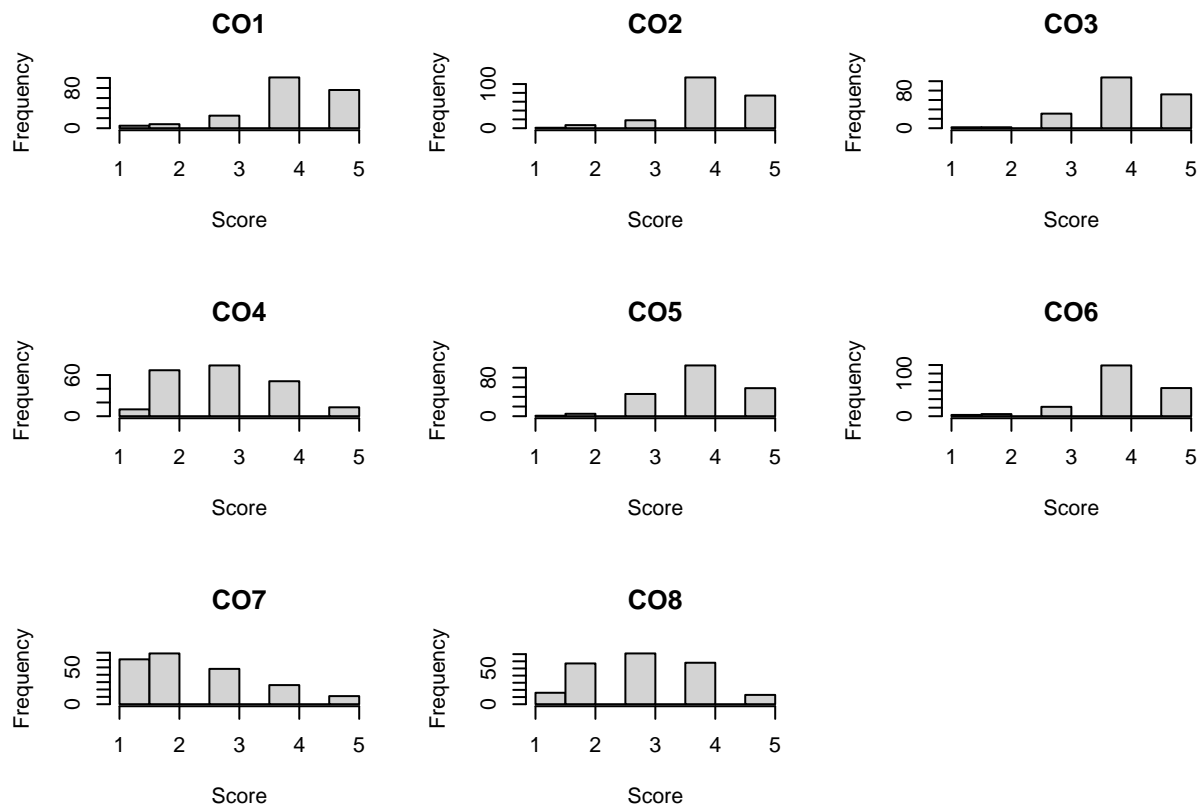


Figure 1: Histograms of Consistency domain

For the consistency domain, everything looks normal. The distribution didn't look very beautiful, but this is due the nature of likert scale.

```
# PE
par(mfrow = c(3,4))
for (i in 9:19) {
  hist(unlist(dat[,i]), main = names(dat[,i]), xlab = "Score")
}
```

Perseverance domain also looks normal. There's no any visible anomaly at this point.

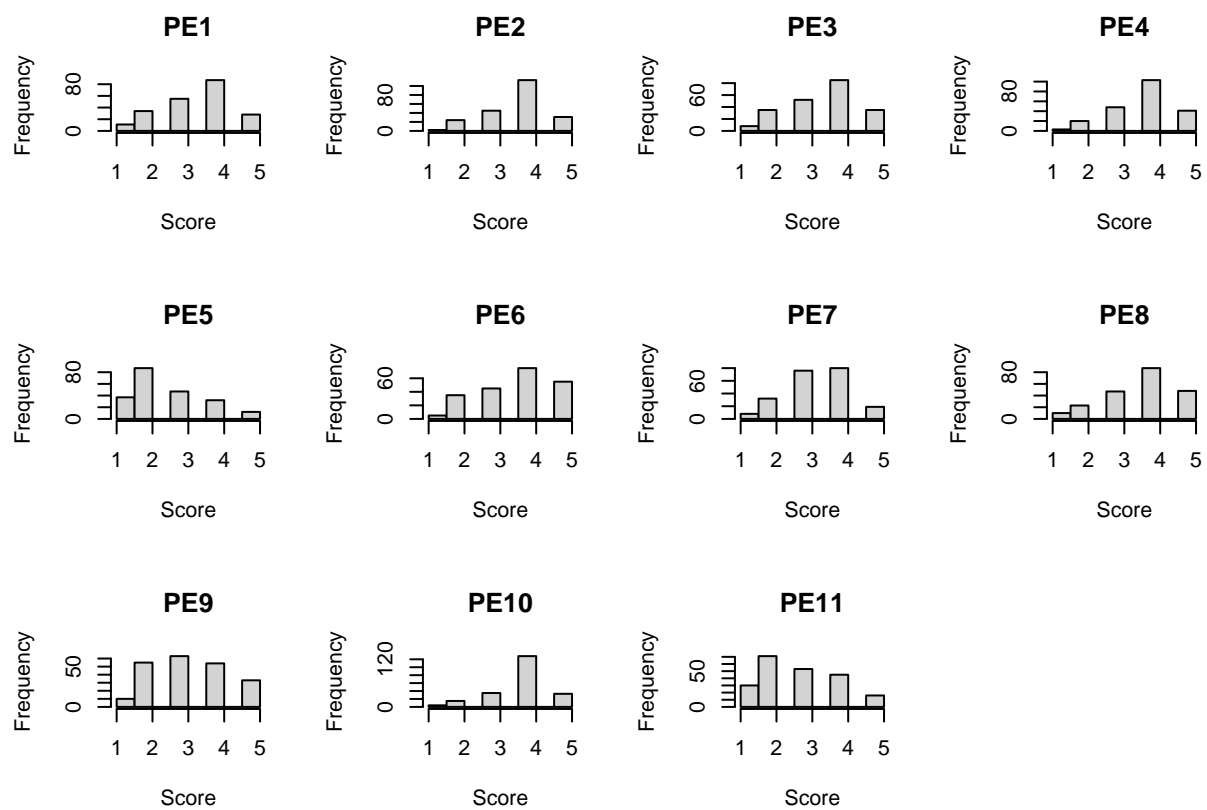


Figure 2: Histograms of Perseverence domain

```
# AD
par(mfrow = c(3,5))
for (i in 20:32) {
  hist(unlist(dat[,i]), main = names(dat[,i]), xlab = "Score")
} # AD3 contains 8 value, which not supposed to be since Grit domains contains of likert 1 - 5
```

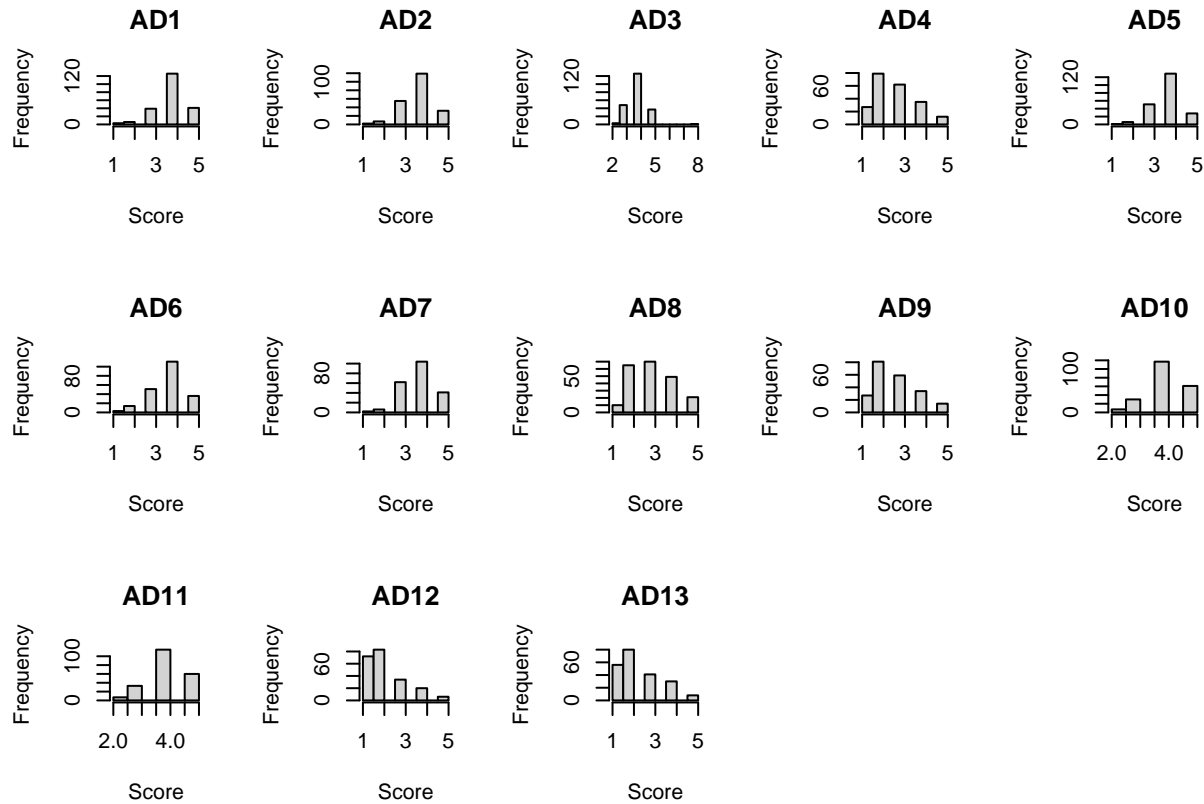


Figure 3: Histograms of Adaptability domain

We can see bit strange thing for this one, the adaptability domain. First, x axis of the histogram of **AD3** have more value, up to 8. Simple checking can shows that indeed there's an 8 value in our data set, which next will be dropped from the data set.

```
which(dat == 8, arr.ind = TRUE)
```

```
##      row col
## [1,] 106  22
```

Therefore, we can remove row 108 in the cleaning step.

```
## Cons
par(mfrow = c(2,3))
for (i in 33:38) {
  hist(unlist(dat[,i]), main = names(dat[,i]), xlab = "Score")
}
```

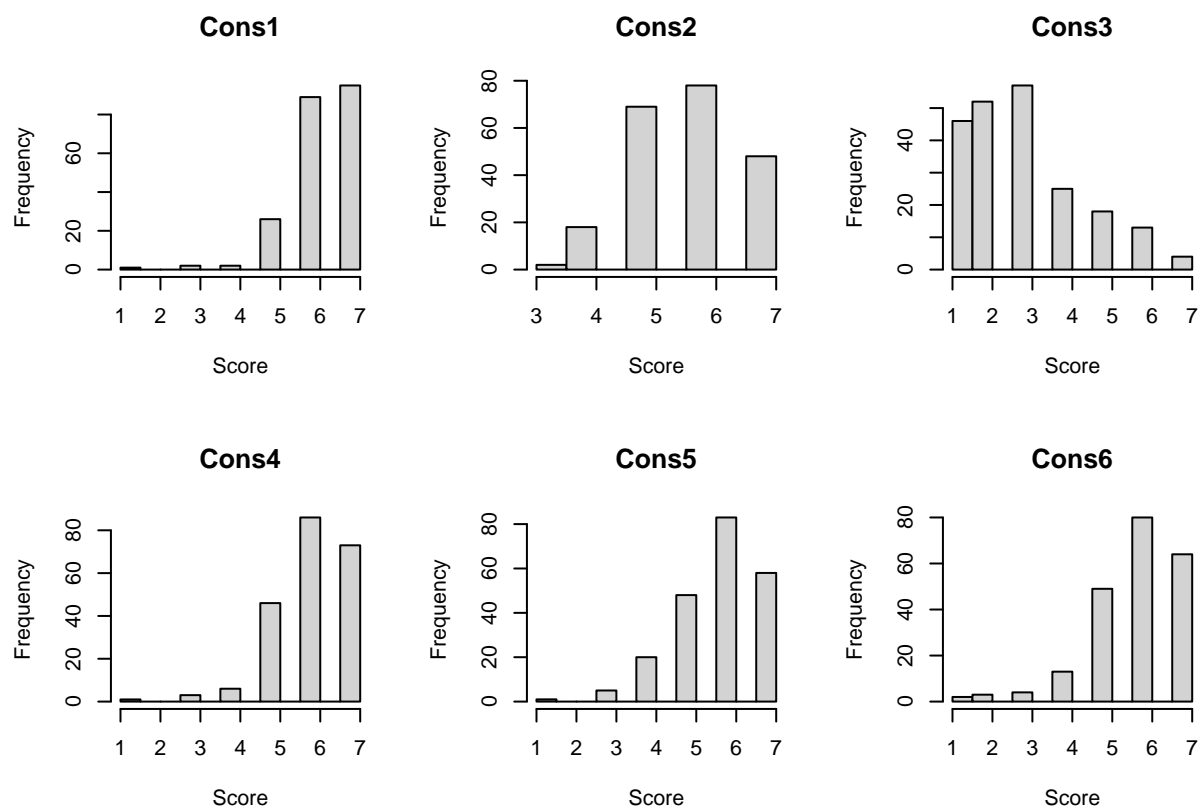


Figure 4: Histograms of Conscientiousness

For the conscientiousness, everything looks normal. The likert scale a bit different, its 1-7 instead of 1-5, but this is no problem et all.

Step 2: Cleaning

In this cleaning process, there are 2 tasks: removing the row that contains an 8 value (108), and removing NAs.

```
dat <- dat[-which(dat[, "AD3"] == 8),]
dat <- tidyr::drop_na(dat)
dim(dat)
```

```
## [1] 214 38
```

```
head(dat)
```

```
## # A tibble: 6 x 38
##   C01    C02    C03    C04    C05    C06    C07    C08    PE1    PE2    PE3    PE4    PE5
##   <dbl> <dbl> <dbl> <dbl> <dbl> <dbl> <dbl> <dbl> <dbl> <dbl> <dbl> <dbl> <dbl>
## 1     4     5     3     4     2     1     1     1     3     5     1     1     1
## 2     5     4     5     4     5     5     3     5     5     3     5     5     5
## 3     5     4     4     1     5     4     2     1     1     4     4     4     2
## 4     2     2     4     2     4     4     2     2     4     4     4     4     3
## 5     5     2     5     5     2     4     1     4     3     2     3     3     5
## 6     5     4     5     3     5     4     5     2     3     5     5     2     2
## # i 25 more variables: PE6 <dbl>, PE7 <dbl>, PE8 <dbl>, PE9 <dbl>, PE10 <dbl>,
## #   PE11 <dbl>, AD1 <dbl>, AD2 <dbl>, AD3 <dbl>, AD4 <dbl>, AD5 <dbl>,
## #   AD6 <dbl>, AD7 <dbl>, AD8 <dbl>, AD9 <dbl>, AD10 <dbl>, AD11 <dbl>,
## #   AD12 <dbl>, AD13 <dbl>, Cons1 <dbl>, Cons2 <dbl>, Cons3 <dbl>, Cons4 <dbl>,
## #   Cons5 <dbl>, Cons6 <dbl>
```

With this task executed, I can proceed to do statistical analysis for the items.

Step 3: Item analysis

Grit Domains

```
cfa <- cfa(
  "C0 =~ lambda_1_1*C01 + lambda_1_2*C02 + lambda_1_3*C03 + lambda_1_4*C04 + lambda_1_5*C05 + lambda_1_6*C06 + lambda_1_7*C07 + lambda_1_8*C08 + lambda_1_9*PE1 + lambda_1_10*PE2 + lambda_1_11*PE3 + lambda_1_12*PE4 + lambda_1_13*PE5 + lambda_1_14*PE6 + lambda_1_15*PE7 + lambda_1_16*PE8 + lambda_1_17*PE9 + lambda_1_18*PE10 + lambda_1_19*PE11 + lambda_1_20*AD1 + lambda_1_21*AD2 + lambda_1_22*AD3 + lambda_1_23*AD4 + lambda_1_24*AD5 + lambda_1_25*AD6 + lambda_1_26*AD7 + lambda_1_27*AD8 + lambda_1_28*AD9 + lambda_1_29*AD10 + lambda_1_30*AD11 + lambda_1_31*AD12 + lambda_1_32*AD13 + lambda_1_33*Cons1 + lambda_1_34*Cons2 + lambda_1_35*Cons3 + lambda_1_36*Cons4 + lambda_1_37*Cons5 + lambda_1_38*Cons6",
  data = dat,
  estimator = "DWLS"
)

fit_indices <- fitMeasures(cfa)
c(fit_indices["cfi"],
  fit_indices["tli"],
```

```
fit_indices["rmsea"],
fit_indices["srmr"]
)
```

```
##          cfi          tli          rmsea          srmr
## 0.73979128 0.72003574 0.08626581 0.11416478
```

```
summary(cfa, standardized = TRUE)
```

```
## lavaan 0.6.16 ended normally after 103 iterations
```

```
##
```

```
## Estimator                      DWLS
## Optimization method           NLMINB
## Number of model parameters     67
##
## Number of observations         214
##
```

```
## Model Test User Model:
```

```
##
```

```
## Test statistic                  1191.732
## Degrees of freedom             461
## P-value (Chi-square)           0.000
##
```

```
## Parameter Estimates:
```

```
##
```

```
## Standard errors                Standard
## Information                    Expected
## Information saturated (h1) model Unstructured
##
```

```
## Latent Variables:
```

			Estimate	Std.Err	z-value	P(> z)	Std.lv	Std.all
##	CO =~							
##	CO1	(1_1_1)	1.000				0.242	0.267
##	CO2	(1_1_2)	1.583	0.243	6.513	0.000	0.383	0.506
##	CO3	(1_1_3)	1.370	0.221	6.205	0.000	0.331	0.433
##	CO4	(1_1_4)	-0.140	0.148	-0.945	0.345	-0.034	-0.034
##	CO5	(1_1_5)	2.103	0.309	6.804	0.000	0.509	0.646
##	CO6	(1_1_6)	2.645	0.382	6.921	0.000	0.640	0.812
##	CO7	(1_1_7)	-1.228	0.228	-5.393	0.000	-0.297	-0.256
##	CO8	(1_1_8)	-0.917	0.189	-4.862	0.000	-0.222	-0.213
##	PE =~							
##	PE1	(1m_2_1)	1.000				0.115	0.108
##	PE2	(1_2_2)	-3.914	1.195	-3.274	0.001	-0.450	-0.506
##	PE3	(1_2_3)	-4.729	1.443	-3.278	0.001	-0.544	-0.513
##	PE4	(1_2_4)	-4.184	1.274	-3.283	0.001	-0.481	-0.522
##	PE5	(1_2_5)	3.342	1.047	3.194	0.001	0.384	0.346
##	PE6	(1_2_6)	0.613	0.376	1.629	0.103	0.071	0.064
##	PE7	(1_2_7)	-3.323	1.032	-3.221	0.001	-0.382	-0.398
##	PE8	(1_2_8)	-4.798	1.468	-3.270	0.001	-0.552	-0.509
##	PE9	(1_2_9)	2.202	0.728	3.024	0.002	0.253	0.224
##	PE10	(1_2_10)	-4.339	1.324	-3.277	0.001	-0.499	-0.586
##	PE11	(1_2_11)	3.584	1.116	3.213	0.001	0.412	0.356
##	AD =~							

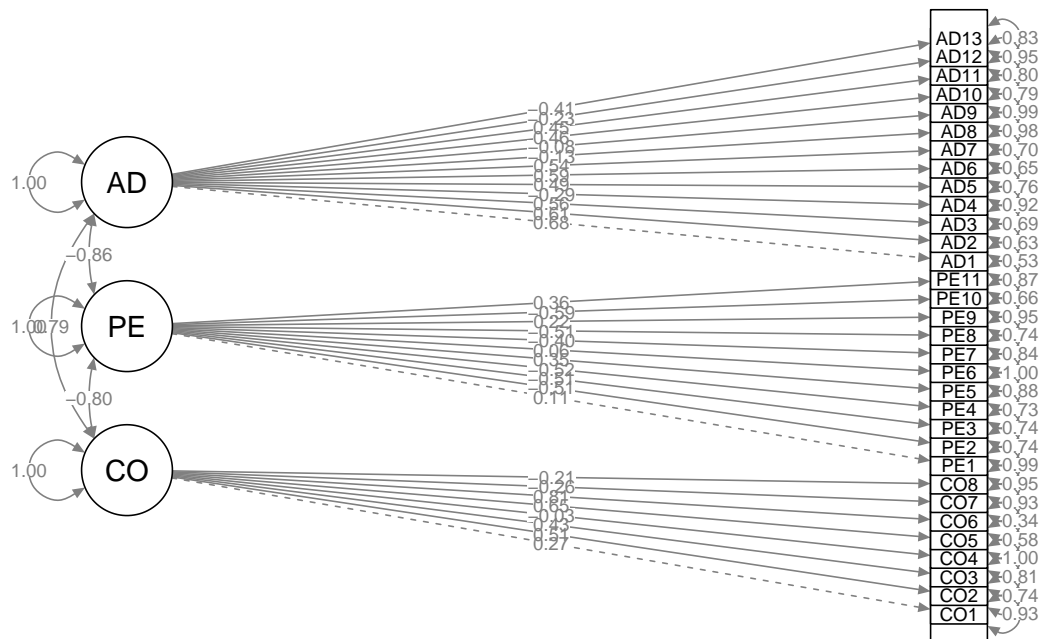
```

##      AD1      (1m_3_1)      1.000      0.533      0.684
##      AD2      (1_3_2)      0.871      0.082      10.645      0.000      0.464      0.607
##      AD3      (1_3_3)      0.700      0.065      10.837      0.000      0.373      0.556
##      AD4      (1_3_4)     -0.574      0.079      -7.266      0.000     -0.306     -0.289
##      AD5      (1_3_5)      0.648      0.065      9.926      0.000      0.345      0.492
##      AD6      (1_3_6)      0.944      0.090      10.462      0.000      0.503      0.588
##      AD7      (1_3_7)      0.820      0.081      10.105      0.000      0.437      0.544
##      AD8      (1_3_8)     -0.262      0.070      -3.739      0.000     -0.140     -0.133
##      AD9      (1_3_9)     -0.164      0.069      -2.362      0.018     -0.087     -0.080
##      AD10     (1_3_10)      0.632      0.065      9.766      0.000      0.337      0.462
##      AD11     (1_3_11)      0.628      0.064      9.799      0.000      0.335      0.447
##      AD12     (1_3_12)     -0.453      0.069      -6.518      0.000     -0.241     -0.232
##      AD13     (1_3_13)     -0.866      0.096      -9.012      0.000     -0.461     -0.413
##
## Covariances:
##      Estimate      Std.Err      z-value      P(>|z|)      Std.lv      Std.all
##      CO ~~
##      PE      -0.022      0.007      -3.064      0.002     -0.801     -0.801
##      AD      0.102      0.015      6.708      0.000      0.790      0.790
##      PE ~~
##      AD      -0.053      0.016      -3.293      0.001     -0.860     -0.860
##
## Variances:
##      Estimate      Std.Err      z-value      P(>|z|)      Std.lv      Std.all
##      .C01      0.763      0.112      6.832      0.000      0.763      0.929
##      .C02      0.426      0.080      5.323      0.000      0.426      0.744
##      .C03      0.475      0.078      6.062      0.000      0.475      0.812
##      .C04      0.983      0.079      12.419      0.000      0.983      0.999
##      .C05      0.361      0.074      4.852      0.000      0.361      0.582
##      .C06      0.211      0.107      1.973      0.048      0.211      0.340
##      .C07      1.261      0.115      10.982      0.000      1.261      0.935
##      .C08      1.030      0.087      11.903      0.000      1.030      0.954
##      .PE1      1.121      0.097      11.615      0.000      1.121      0.988
##      .PE2      0.588      0.083      7.103      0.000      0.588      0.744
##      .PE3      0.829      0.104      7.986      0.000      0.829      0.737
##      .PE4      0.618      0.091      6.817      0.000      0.618      0.728
##      .PE5      1.089      0.108      10.045      0.000      1.089      0.881
##      .PE6      1.210      0.092      13.143      0.000      1.210      0.996
##      .PE7      0.778      0.088      8.833      0.000      0.778      0.842
##      .PE8      0.873      0.119      7.335      0.000      0.873      0.741
##      .PE9      1.211      0.092      13.115      0.000      1.211      0.950
##      .PE10     0.476      0.098      4.859      0.000      0.476      0.656
##      .PE11     1.168      0.104      11.200      0.000      1.168      0.873
##      .AD1      0.323      0.089      3.621      0.000      0.323      0.533
##      .AD2      0.369      0.074      4.954      0.000      0.369      0.631
##      .AD3      0.310      0.046      6.705      0.000      0.310      0.691
##      .AD4      1.029      0.097      10.651      0.000      1.029      0.917
##      .AD5      0.372      0.061      6.070      0.000      0.372      0.758
##      .AD6      0.479      0.087      5.476      0.000      0.479      0.655
##      .AD7      0.454      0.074      6.137      0.000      0.454      0.704
##      .AD8      1.093      0.087      12.547      0.000      1.093      0.982
##      .AD9      1.177      0.100      11.796      0.000      1.177      0.994
##      .AD10     0.419      0.058      7.232      0.000      0.419      0.787
##      .AD11     0.448      0.059      7.563      0.000      0.448      0.800

```

```
##      .AD12      1.020    0.107    9.519    0.000    1.020    0.946
##      .AD13      1.038    0.112    9.305    0.000    1.038    0.830
##      CO         0.059    0.015    3.878    0.000    1.000    1.000
##      PE         0.013    0.008    1.687    0.092    1.000    1.000
##      AD         0.284    0.037    7.722    0.000    1.000    1.000
```

```
semPlot::semPaths(cfa,
  whatLabels = "std",
  rotation = 2,
  sizeMan = 5,
  node.width = 1,
  edge.label.cex = .7)
```



From the fit indices and the chi-square, we can see that the model for the Grit hasn't fit yet. Therefore adjustment is required. For easier observation, we can use internal consistency and inter-item correlation

Reliability and Internal Consistency

Consistency domain

```
relCO <- alpha(dat[1:8])
```

```
## Some items ( C04 C07 C08 ) were negatively correlated with the total scale and
```

```
## probably should be reversed.
## To do this, run the function again with the 'check.keys=TRUE' option
```

```
relC0$total$raw_alpha
```

```
## [1] 0.4710277
```

```
relC0$item.stats
```

```
##      n      raw.r      std.r      r.cor      r.drop      mean      sd
## C01 214 0.5217184 0.5182722 0.37446256 0.28314918 4.098131 0.9062621
## C02 214 0.4894070 0.5725652 0.51170804 0.28990219 4.182243 0.7564822
## C03 214 0.6202588 0.6833967 0.66324965 0.44758082 4.144860 0.7645593
## C04 214 0.5130330 0.4459182 0.28611111 0.24584089 2.953271 0.9918274
## C05 214 0.4332952 0.5109322 0.45812955 0.21549642 4.000000 0.7872219
## C06 214 0.4935653 0.5858700 0.57667731 0.28550399 4.116822 0.7874587
## C07 214 0.3878103 0.2751381 0.05698555 0.04541581 2.331776 1.1616807
## C08 214 0.3388613 0.2548979 0.04753360 0.03140015 2.971963 1.0387600
```

The internal consistency indicated that CO4, CO7, and CO8 are not eligible for the consistency domain

```
cor(dat[,1:8])
```

```
##      C01      C02      C03      C04      C05      C06
## C01 1.00000000 0.23401820 0.25041665 0.17748863 0.05264527 0.16148507
## C02 0.23401820 1.00000000 0.47364704 0.03643257 0.28380955 0.43696618
## C03 0.25041665 0.47364704 1.00000000 0.08326263 0.35881442 0.43963774
## C04 0.17748863 0.03643257 0.08326263 1.00000000 -0.03006472 -0.04106673
## C05 0.05264527 0.28380955 0.35881442 -0.03006472 1.00000000 0.58315788
## C06 0.16148507 0.43696618 0.43963774 -0.04106673 0.58315788 1.00000000
## C07 0.08487513 -0.14926215 -0.01736457 0.21725480 -0.03593639 -0.18113882
## C08 0.03285918 -0.11295840 0.04060669 0.27213608 -0.24687463 -0.14520509
##      C07      C08
## C01 0.08487513 0.03285918
## C02 -0.14926215 -0.11295840
## C03 -0.01736457 0.04060669
## C04 0.21725480 0.27213608
## C05 -0.03593639 -0.24687463
## C06 -0.18113882 -0.14520509
## C07 1.00000000 0.14002582
## C08 0.14002582 1.00000000
```

```
cor(dat[,1:8]) |> rowSums()
```

```
##      C01      C02      C03      C04      C05      C06      C07      C08
## 1.9937881 2.2026530 2.6290206 1.7154433 1.9655514 2.2538362 1.0584538 0.9805897
```

Interitem correlation indicates that CO1 also probably not eligible. To prove that, lets redo the reliability analysis

```
relC0 <- alpha(dat[,c(1,2,3,5,6)])
relC0$total$raw_alpha
```

Second reliability analysis after item dropped

```
## [1] 0.6976411
```

```
relC0$item.stats
```

```
##      n    raw.r    std.r    r.cor    r.drop    mean    sd
## C01 214 0.5348608 0.4998116 0.2765654 0.2292799 4.098131 0.9062621
## C02 214 0.7034139 0.7145813 0.6089362 0.5114865 4.182243 0.7564822
## C03 214 0.7331564 0.7422634 0.6497981 0.5516929 4.144860 0.7645593
## C05 214 0.6607867 0.6704390 0.5763188 0.4412557 4.000000 0.7872219
## C06 214 0.7632080 0.7713155 0.7269758 0.5893750 4.116822 0.7874587
```

This proves that CO1 also not eligible. Then I will also drop the item.

Perseverance domain

Using the same method, let's see the result

```
relPE <- alpha(dat[9:19])
```

```
## Some items ( PE5 PE9 PE11 ) were negatively correlated with the total scale and
## probably should be reversed.
## To do this, run the function again with the 'check.keys=TRUE' option
```

```
relPE$total$raw_alpha
```

```
## [1] 0.6286576
```

```
relPE$item.stats
```

```
##      n    raw.r    std.r    r.cor    r.drop    mean    sd
## PE1 214 0.4292030 0.4038275 0.2904948 0.2428708 3.406542 1.0650902
## PE2 214 0.3284905 0.3753892 0.2628401 0.1659725 3.682243 0.8891430
## PE3 214 0.5207890 0.5443506 0.4993955 0.3496728 3.490654 1.0603421
## PE4 214 0.5513249 0.5860964 0.5555808 0.4105510 3.742991 0.9214820
## PE5 214 0.5053379 0.4585827 0.4010920 0.3218059 2.514019 1.1121564
## PE6 214 0.5220521 0.4919054 0.4034226 0.3434697 3.649533 1.1020999
## PE7 214 0.5480851 0.5758183 0.5238495 0.3998131 3.322430 0.9611035
## PE8 214 0.5162899 0.5392520 0.4909206 0.3398174 3.649533 1.0849265
## PE9 214 0.3825467 0.3468457 0.2310292 0.1781519 3.210280 1.1290808
## PE10 214 0.3975038 0.4461036 0.3604826 0.2482915 3.799065 0.8512896
## PE11 214 0.3812529 0.3320316 0.2230347 0.1713267 2.742991 1.1564566
```

```
cor(dat[,9:19])
```

```
##           PE1           PE2           PE3           PE4           PE5           PE6
## PE1  1.00000000 -0.01167560  0.08028597  0.03998929  0.365744255  0.22993776
## PE2 -0.01167560  1.00000000  0.33047493  0.25512318 -0.152148143 -0.06626829
## PE3  0.08028597  0.33047493  1.00000000  0.46120643  0.051866571  0.06347239
## PE4  0.03998929  0.25512318  0.46120643  1.00000000  0.088282086  0.14203474
## PE5  0.36574426 -0.15214814  0.05186657  0.08828209  1.000000000  0.32768813
## PE6  0.22993776 -0.06626829  0.06347239  0.14203474  0.327688134  1.00000000
## PE7  0.05021372  0.24681355  0.25865105  0.45447991  0.037477568  0.13820910
## PE8  0.01418210  0.28309636  0.43585449  0.37908580  0.006036407  0.06170384
## PE9  0.08864253 -0.04536672 -0.08266248 -0.03806028  0.354694608  0.29342172
## PE10 -0.05446511  0.25018953  0.30737661  0.28696712 -0.143295627  0.03968169
## PE11  0.25674709 -0.17567766 -0.13022758 -0.07989766  0.402519218  0.27893650
##           PE7           PE8           PE9           PE10          PE11
## PE1  0.05021372  0.014182099  0.0886425271 -0.0544651140  0.25674709
## PE2  0.24681355  0.283096360 -0.0453667177  0.2501895315 -0.17567766
## PE3  0.25865105  0.435854488 -0.0826624796  0.3073766068 -0.13022758
## PE4  0.45447991  0.379085798 -0.0380602792  0.2869671226 -0.07989766
## PE5  0.03747757  0.006036407  0.3546946083 -0.1432956268  0.40251922
## PE6  0.13820910  0.061703843  0.2934217211  0.0396816920  0.27893650
## PE7  1.00000000  0.343007556  0.0453866166  0.2918687438  0.07068243
## PE8  0.34300756  1.000000000 -0.1081907496  0.4113881695 -0.07586939
## PE9  0.04538662 -0.108190750  1.0000000000  0.0002054219  0.26091302
## PE10 0.29186874  0.411388169  0.0002054219  1.0000000000 -0.11469754
## PE11 0.07068243 -0.075869392  0.2609130177 -0.1146975439  1.00000000
```

```
cor(dat[,9:19]) |> rowSums()
```

```
##           PE1           PE2           PE3           PE4           PE5           PE6           PE7           PE8
## 2.059602 1.914561 2.776298 2.989211 2.338865 2.508818 2.936790 2.750295
##           PE9           PE10          PE11
## 1.768984 2.275219 1.693428
```

We got item PE5, PE9, and PE11 probably dropped based on the suggestion of reliability analysis. But also, interitem correlation analysis suggest that PE1, and PE6 probably not eligible as well. The result:

```
relPE <- alpha(dat[c(10,11,12,15,16,18)])
relPE$total$raw_alpha
```

```
## [1] 0.7507333
```

```
relPE$item.stats
```

```
##           n      raw.r      std.r      r.cor      r.drop      mean      sd
## PE2  214  0.5776520  0.5915877  0.4474363  0.3917286  3.682243  0.8891430
## PE3  214  0.7149008  0.6985837  0.6214655  0.5330077  3.490654  1.0603421
## PE4  214  0.7064721  0.7094115  0.6408248  0.5515627  3.742991  0.9214820
## PE7  214  0.6455176  0.6488843  0.5444130  0.4610147  3.322430  0.9611035
## PE8  214  0.7319017  0.7133050  0.6371198  0.5520224  3.649533  1.0849265
## PE10 214  0.6187914  0.6371234  0.5184875  0.4523782  3.799065  0.8512896
```

```
cor(dat[,c(10,11,12,15,16,18)])
```

```
##           PE2           PE3           PE4           PE7           PE8           PE10
## PE2  1.0000000  0.3304749  0.2551232  0.2468135  0.2830964  0.2501895
## PE3  0.3304749  1.0000000  0.4612064  0.2586510  0.4358545  0.3073766
## PE4  0.2551232  0.4612064  1.0000000  0.4544799  0.3790858  0.2869671
## PE7  0.2468135  0.2586510  0.4544799  1.0000000  0.3430076  0.2918687
## PE8  0.2830964  0.4358545  0.3790858  0.3430076  1.0000000  0.4113882
## PE10 0.2501895  0.3073766  0.2869671  0.2918687  0.4113882  1.0000000
```

```
cor(dat[,c(10,11,12,15,16,18)]) |> rowSums()
```

```
##           PE2           PE3           PE4           PE7           PE8           PE10
## 2.365698 2.793563 2.836862 2.594821 2.852432 2.547790
```

Adaptability

```
relAD <- alpha(dat[20:32])
```

```
## Some items ( AD4 AD8 AD9 AD12 AD13 ) were negatively correlated with the total scale and
## probably should be reversed.
## To do this, run the function again with the 'check.keys=TRUE' option
```

```
relAD$total$raw_alpha
```

```
## [1] 0.6173245
```

```
relAD$item.stats
```

```
##           n      raw.r      std.r      r.cor      r.drop      mean      sd
## AD1  214  0.3981007  0.5016623  0.46388040  0.2523521  3.911215  0.7791686
## AD2  214  0.4492126  0.5312448  0.49478435  0.3120248  3.799065  0.7641001
## AD3  214  0.4188964  0.5137264  0.46872607  0.2968424  3.920561  0.6701185
## AD4  214  0.3435550  0.2285341  0.10978242  0.1346069  2.644860  1.0592968
## AD5  214  0.4373721  0.5198417  0.45241509  0.3112108  3.827103  0.7007803
## AD6  214  0.4291840  0.5121221  0.46821700  0.2714717  3.752336  0.8554543
## AD7  214  0.4711362  0.5429494  0.50037163  0.3291543  3.822430  0.8027311
## AD8  214  0.4878982  0.3908606  0.32018426  0.2983740  3.023364  1.0545746
## AD9  214  0.5604788  0.4521010  0.40025622  0.3783739  2.654206  1.0885905
## AD10 214  0.4015333  0.4954283  0.45530179  0.2660996  4.088785  0.7293739
## AD11 214  0.4325674  0.5058607  0.46006310  0.2965465  4.056075  0.7484792
## AD12 214  0.4284409  0.3088434  0.23235528  0.2332459  2.079439  1.0383481
## AD13 214  0.3295306  0.1976621  0.09398586  0.1069027  2.317757  1.1183332
```

With a lot of item and most of the item-total correlation is not vary, we need to rely the analysis to interitem correlation more.


```
cor(dat[,20:32])
```

```
##          AD1          AD2          AD3          AD4          AD5          AD6
## AD1  1.000000000  0.41937775  0.36407607 -0.21471451  0.324280382  0.45286135
## AD2  0.419377749  1.00000000  0.49130884 -0.13497959  0.311828823  0.40473512
## AD3  0.364076068  0.49130884  1.00000000 -0.11268186  0.340518795  0.26854042
## AD4 -0.214714512 -0.13497959 -0.11268186  1.00000000 -0.076779675 -0.15968820
## AD5  0.324280382  0.31182882  0.34051879 -0.07677967  1.000000000  0.42161702
## AD6  0.452861350  0.40473512  0.26854042 -0.15968820  0.421617020  1.00000000
## AD7  0.485095559  0.27068703  0.18311810 -0.10211621  0.295691248  0.46209169
## AD8 -0.134590554 -0.03493058  0.03585582  0.23020428  0.005491857 -0.07161728
## AD9 -0.008690604  0.04589244  0.01365357  0.32863770 -0.023351580 -0.03189804
## AD10 0.344380459  0.22591361  0.25463468 -0.12306305  0.278174013  0.27618862
## AD11 0.242034068  0.16755573  0.32717254 -0.04582153  0.197585425  0.19043581
## AD12 -0.182737494  0.04979975 -0.14607447  0.38431084 -0.026200016 -0.06231378
## AD13 -0.231477336 -0.18864892 -0.09145234  0.32952727 -0.085323470 -0.23142797
##          AD7          AD8          AD9          AD10          AD11          AD12
## AD1  0.48509556 -0.13459055 -0.00869060  0.34438046  0.24203407 -0.18273749
## AD2  0.27068703 -0.03493057  0.04589243  0.22591361  0.16755573  0.04979975
## AD3  0.18311810  0.03585582  0.01365357  0.25463468  0.32717254 -0.14607447
## AD4 -0.10211621  0.23020427  0.32863769 -0.12306305 -0.04582153  0.38431084
## AD5  0.29569125  0.00549185 -0.02335158  0.27817401  0.19758542 -0.02620002
## AD6  0.46209169 -0.07161727 -0.03189803  0.27618862  0.19043581 -0.06231378
## AD7  1.00000000 -0.04498927  0.04760037  0.36383590  0.31358035 -0.02805762
## AD8 -0.04498927  1.00000000  0.53462641  0.05832737  0.09349870  0.26411957
## AD9  0.04760037  0.53462641  1.00000000 -0.05575875  0.07576811  0.34423482
## AD10 0.36383590  0.05832737 -0.05575875  1.00000000  0.55842706 -0.19532893
## AD11 0.31358035  0.09349869  0.07576810  0.55842706  1.00000000 -0.10845292
## AD12 -0.02805762  0.26411957  0.34423482 -0.19532893 -0.10845292  1.00000000
## AD13 -0.15127111  0.29223638  0.30663968 -0.16137507 -0.12795387  0.46736589
##          AD13
## AD1 -0.23147734
## AD2 -0.18864892
## AD3 -0.09145234
## AD4  0.32952727
## AD5 -0.08532347
## AD6 -0.23142797
## AD7 -0.15127111
## AD8  0.29223638
## AD9  0.30663969
## AD10 -0.16137507
## AD11 -0.12795387
## AD12 0.46736589
## AD13 1.00000000
```

```
cor(dat[,20:32]) |> rowSums()
```

```
##          AD1          AD2          AD3          AD4          AD5          AD6          AD7          AD8
## 2.859895 3.028540 2.928670 1.302835 2.963533 2.919525 3.095266 2.228233
##          AD9          AD10          AD11          AD12          AD13
## 2.577354 2.824356 2.883829 1.760666 1.126839
```

We have these item possibly dropped: AD4, AD8, AD9, AD12, AD13. And the result:

```
relAD <- alpha(dat[,c(20,21,22,24,25,26,29,30)])
relAD$total$raw_alpha
```

```
## [1] 0.7976335
```

```
relAD$item.stats
```

```
##      n      raw.r      std.r      r.cor      r.drop      mean      sd
## AD1  214 0.7124286 0.7059424 0.6543858 0.5899693 3.911215 0.7791686
## AD2  214 0.6387127 0.6397236 0.5727172 0.4988647 3.799065 0.7641001
## AD3  214 0.6086839 0.6276659 0.5585427 0.4824060 3.920561 0.6701185
## AD5  214 0.6070347 0.6160676 0.5258992 0.4737071 3.827103 0.7007803
## AD6  214 0.6939562 0.6756928 0.6174340 0.5504518 3.752336 0.8554543
## AD7  214 0.6695948 0.6557959 0.5920469 0.5297312 3.822430 0.8027311
## AD10 214 0.6361157 0.6416959 0.5817262 0.5031204 4.088785 0.7293739
## AD11 214 0.5752602 0.5824615 0.5118851 0.4244548 4.056075 0.7484792
```

Final Grit model

After some of the items are dropped, lets check the CFA once again with the new model

```
cfa <- cfa(
  "Factor1 =~ lambda_1_1*C02 + lambda_1_2*C03 + lambda_1_3*C05 + lambda_1_4*C06
  Factor2 =~ lambda_2_1*PE2 + lambda_2_2*PE3 + lambda_2_3*PE4 + lambda_2_4*PE7 + lambda_2_5*PE8 + lambda_2_6*PE9
  Factor3 =~ lambda_3_1*AD1 + lambda_3_2*AD2 + lambda_3_3*AD3 + lambda_3_4*AD5 + lambda_3_5*AD6 + lambda_3_6*AD7",
  data = dat,
  estimator = "DWLS"
)

fit_indices <- fitMeasures(cfa)
c(fit_indices["cfi"],
  fit_indices["tli"],
  fit_indices["rmsea"],
  fit_indices["srmr"]
)
```

```
##      cfi      tli      rmsea      srmr
## 1.00000000 1.00240447 0.00000000 0.07300567
```

```
summary(cfa, standardized = TRUE)
```

```
## lavaan 0.6.16 ended normally after 50 iterations
##
##      Estimator                      DWLS
##      Optimization method          NLMINB
##      Number of model parameters          39
##
##      Number of observations          214
##
## Model Test User Model:
```

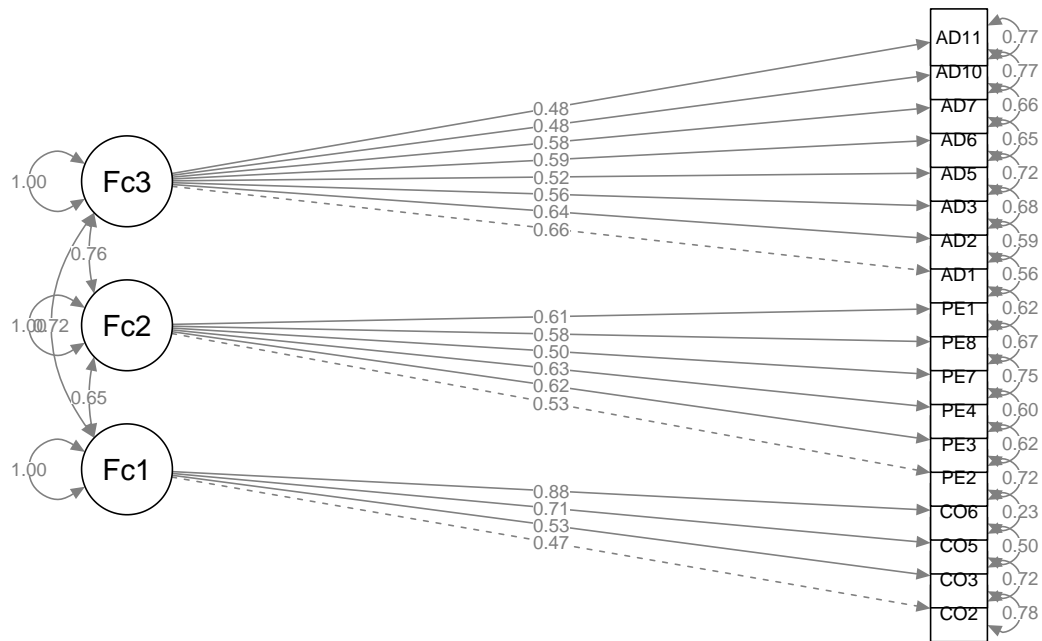
```

##
## Test statistic 128.566
## Degrees of freedom 132
## P-value (Chi-square) 0.568
##
## Parameter Estimates:
##
## Standard errors Standard
## Information Expected
## Information saturated (h1) model Unstructured
##
## Latent Variables:
## Estimate Std.Err z-value P(>|z|) Std.lv Std.all
## Factor1 =~
## C02 (1_1_1) 1.000 0.354 0.468
## C03 (1_1_2) 1.143 0.156 7.316 0.000 0.404 0.529
## C05 (1_1_3) 1.581 0.199 7.923 0.000 0.559 0.710
## C06 (1_1_4) 1.948 0.242 8.053 0.000 0.689 0.875
## Factor2 =~
## PE2 (1_2_1) 1.000 0.473 0.532
## PE3 (1_2_2) 1.385 0.148 9.331 0.000 0.655 0.618
## PE4 (1_2_3) 1.227 0.130 9.425 0.000 0.581 0.630
## PE7 (1_2_4) 1.025 0.119 8.626 0.000 0.485 0.504
## PE8 (1_2_5) 1.327 0.147 9.014 0.000 0.628 0.579
## PE10 (1_2_6) 1.104 0.125 8.856 0.000 0.522 0.613
## Factor3 =~
## AD1 (1_3_1) 1.000 0.518 0.665
## AD2 (1_3_2) 0.945 0.096 9.820 0.000 0.489 0.640
## AD3 (1_3_3) 0.730 0.074 9.919 0.000 0.378 0.564
## AD5 (1_3_4) 0.710 0.076 9.356 0.000 0.368 0.525
## AD6 (1_3_5) 0.977 0.102 9.570 0.000 0.506 0.592
## AD7 (1_3_6) 0.901 0.095 9.463 0.000 0.467 0.581
## AD10 (1_3_7) 0.679 0.075 9.044 0.000 0.352 0.482
## AD11 (1_3_8) 0.693 0.075 9.229 0.000 0.359 0.479
##
## Covariances:
## Estimate Std.Err z-value P(>|z|) Std.lv Std.all
## Factor1 ~~
## Factor2 0.108 0.015 7.131 0.000 0.647 0.647
## Factor3 0.132 0.017 7.544 0.000 0.719 0.719
## Factor2 ~~
## Factor3 0.186 0.021 8.942 0.000 0.759 0.759
##
## Variances:
## Estimate Std.Err z-value P(>|z|) Std.lv Std.all
## .C02 0.447 0.080 5.578 0.000 0.447 0.781
## .C03 0.421 0.081 5.168 0.000 0.421 0.720
## .C05 0.307 0.080 3.817 0.000 0.307 0.496
## .C06 0.145 0.115 1.262 0.207 0.145 0.234
## .PE2 0.567 0.085 6.700 0.000 0.567 0.717
## .PE3 0.695 0.112 6.216 0.000 0.695 0.618
## .PE4 0.512 0.096 5.321 0.000 0.512 0.603
## .PE7 0.689 0.092 7.459 0.000 0.689 0.746
## .PE8 0.783 0.125 6.275 0.000 0.783 0.665

```

##	.PE10	0.452	0.100	4.513	0.000	0.452	0.624
##	.AD1	0.339	0.090	3.760	0.000	0.339	0.558
##	.AD2	0.344	0.076	4.507	0.000	0.344	0.590
##	.AD3	0.306	0.047	6.530	0.000	0.306	0.682
##	.AD5	0.356	0.062	5.724	0.000	0.356	0.725
##	.AD6	0.476	0.089	5.365	0.000	0.476	0.650
##	.AD7	0.426	0.076	5.621	0.000	0.426	0.662
##	.AD10	0.408	0.059	6.963	0.000	0.408	0.768
##	.AD11	0.432	0.060	7.179	0.000	0.432	0.770
##	Factor1	0.125	0.027	4.680	0.000	1.000	1.000
##	Factor2	0.224	0.036	6.241	0.000	1.000	1.000
##	Factor3	0.268	0.039	6.929	0.000	1.000	1.000

```
semPlot::semPaths(cfa,
  whatLabels = "std",
  rotation = 2,
  sizeMan = 5,
  node.width = 1,
  edge.label.cex = .7)
```



Now we have a better fit model compared to previous one. Let's proceed to the next one, conscientiousness.

Conscientiousness

```
relCons <- alpha(dat[33:38])
```

```
## Some items ( Cons3 ) were negatively correlated with the total scale and  
## probably should be reversed.  
## To do this, run the function again with the 'check.keys=TRUE' option
```

```
relCons$total$raw_alpha
```

```
## [1] 0.4548687
```

```
relCons$item.stats
```

##	n	raw.r	std.r	r.cor	r.drop	mean	sd
## Cons1	214	0.68551854	0.7458642	0.7164349	0.5166415	6.261682	0.8484888
## Cons2	214	0.66766546	0.7042985	0.5986110	0.4687273	5.710280	0.9395768
## Cons3	214	-0.05893282	-0.2118704	-0.5049390	-0.4521681	2.859813	1.5409807
## Cons4	214	0.76795914	0.8320312	0.8649651	0.6101195	6.014019	0.9468454
## Cons5	214	0.68526631	0.7105359	0.6456994	0.4576299	5.771028	1.0698172
## Cons6	214	0.74515243	0.7591132	0.7020718	0.5211170	5.794393	1.1647266

```
cor(dat[,33:38])
```

##	Cons1	Cons2	Cons3	Cons4	Cons5	Cons6
## Cons1	1.0000000	0.3899953	-0.3272891	0.6966681	0.3559547	0.5250101
## Cons2	0.3899953	1.0000000	-0.2584065	0.5428680	0.4101017	0.4086389
## Cons3	-0.3272891	-0.2584065	1.0000000	-0.4459056	-0.3726927	-0.3457214
## Cons4	0.6966681	0.5428680	-0.4459056	1.0000000	0.5871696	0.5645676
## Cons5	0.3559547	0.4101017	-0.3726927	0.5871696	1.0000000	0.5347446
## Cons6	0.5250101	0.4086389	-0.3457214	0.5645676	0.5347446	1.0000000

```
cor(dat[,33:38]) |> rowSums()
```

##	Cons1	Cons2	Cons3	Cons4	Cons5	Cons6
##	2.6403390	2.4931974	-0.7500153	2.9453676	2.5152778	2.6872398

This is shown already that Cons3 is the impostor. Let's drop it.

```
relCons <- alpha(dat[c(33,34,36,37,38)])  
relCons$total$raw_alpha
```

```
## [1] 0.8298766
```

```
relCons$item.stats
```

##	n	raw.r	std.r	r.cor	r.drop	mean	sd
## Cons1	214	0.7432571	0.7654366	0.7082299	0.6160959	6.261682	0.8484888
## Cons2	214	0.6997861	0.7097177	0.5875026	0.5382225	5.710280	0.9395768
## Cons4	214	0.8643053	0.8747069	0.8658472	0.7760096	6.014019	0.9468454
## Cons5	214	0.7611710	0.7448906	0.6579828	0.5979402	5.771028	1.0698172
## Cons6	214	0.8039030	0.7822879	0.7001892	0.6449524	5.794393	1.1647266

Now all the items are good.

Summary

In the end, here's the item last that fit to the model.

- CO: CO2, CO3, CO5, CO6
- PE: PE2, PE3, PE4, PE7, PE8, PE10
- AD: AD1, AD2, AD3, AD5, AD6, AD7, AD10, AD11
- Cons: Cons1, Cons2, Cons4, Cons5, Cons6