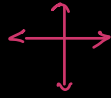


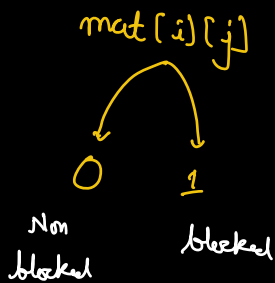
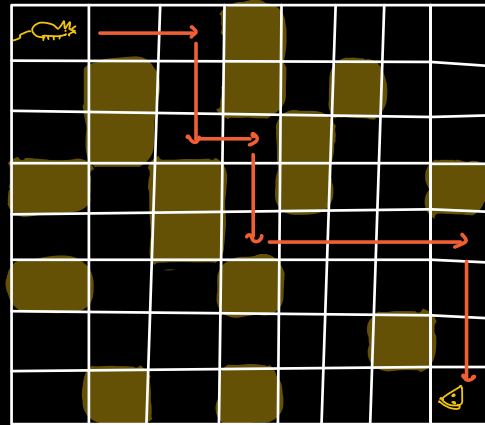
## Rat in a maze



Given the maze.

And initial location of mouse  $(x, y)$ .

Return true if there exists a path  
from the rat to the cheese.



```
boolean mazeSolve (mat, N, M, x, y) {  
    if (x == N-1 && y == M-1) return true;  
    if (x < 0 || x >= N || y < 0 || y >= M)  
        return false;  
    if (mat[x][y] == 1 || mat[x][y] == 2)  
        return false;  
    mat[x][y] = 2;  
    return mazeSolve (mat, N, M, x+1, y)  
        || mazeSolve (mat, N, M, x, y+1)  
        || mazeSolve (mat, N, M, x-1, y)  
        || mazeSolve (mat, N, M, x, y-1)  
}
```

TC:  $O(NM)$

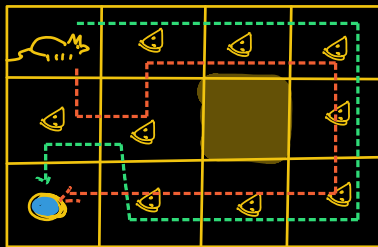
Google

Rat in a maze

Hard

Given the start point of rat, end point, blocked cells, cells filled with cheese.

Count the no of paths from start to end such that rat can eat all the cheese present in the maze without stepping on same cell twice in one path.



$\Rightarrow 2$

start  $\rightarrow s_i, s_j$

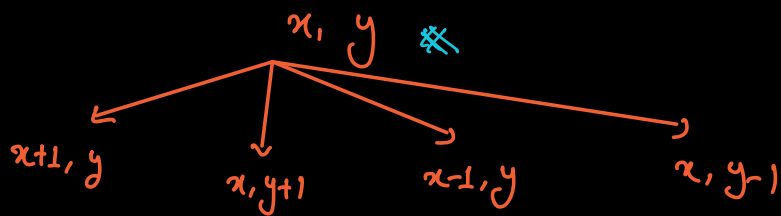
end  $\rightarrow e_i, e_j$

cheese  $\rightarrow 0$

blocked  $\rightarrow 1$

empty  $\rightarrow$

Count of cheese  $\rightarrow ?$   $O(NM)$



```
int CountPath ( mat , N, M, si, sj, ei, ej, totalChg, cumChg ) {
```

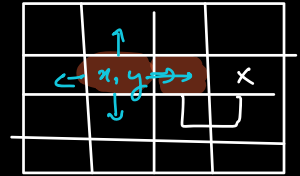
```
    if ( si < 0 || si >= N || sj < 0 || sj >= M )
        return 0;
```

```
    if ( mat[si][sj] == 1 )
        return 0;
```

```
    if ( si == ei && sj == ej ) {
```

```
        if ( cumChg == totalChg ) {
            return 1;
        }
```

```
        else
            return 0;
    }
```



```
    int temp = map[si][sj];
```

```
    mat[si][sj] = -1;
```

```
    int ans = CountPath ( ... si+1, sj, cumChg+1, ... ),
```

```
        +
        CountPath ( ... si, sj+1, cumChg+1, ... ),
```

```
        +
        CountPath ( ... si-1, sj, cumChg+1, ... ),
```

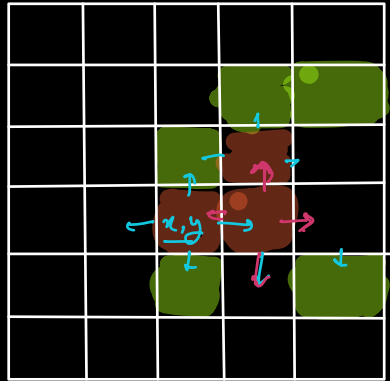
```
        +
        CountPath ( ... si, sj-1, cumChg+1, ... ),
```

```
    mat[si][sj] = temp;
```

```
    return ans;
```

```
}
```

Only if mat[si][sj] == 0



$$\underline{f_n(x, y+1)}$$

Google  
Facebook  
ms  
Flipkart  
Paycom  
:

## Q N-Queen problem

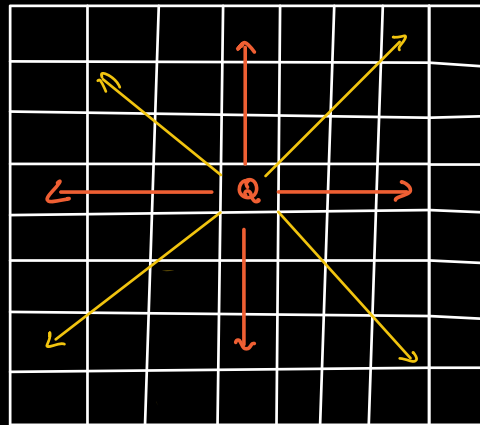
Given  $N \times N$  Chess board.

$N$  Queens.

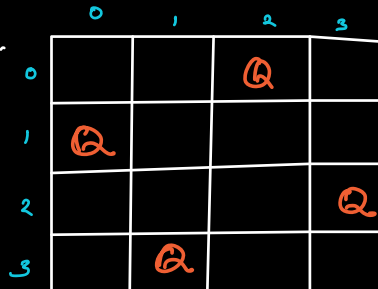
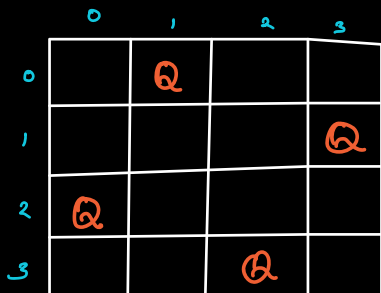
Arrange the Queens  
in the board

such that:

No queen targets  
any other queen.



$N=4$



Keep one queen per row,



↳ in every row

find a safe col (spot) for the Queen.

if safe col exists → place the Queen  
else backtrack

⇒

	0	1	2	3
0				
1				
2				
3				

```
void NQueen (mat, N, row) {
```

```
    if (row == N)
```

```
        return true;
```

```
    for (col = 0; col < N; col++) {
```

```
        if (isSafe(mat, row, col)) {
```

```
            mat[row][col] = 1; // HashMap changes
```

```
            if (NQueen (mat, N, row+1)) {
```

```
                return true;
```

```
            }
```

```
            mat[row][col] = 0;
```

```
            // Revert HashMap changes
```

```
        }
```

```
    } return false;
```

```
}
```

⇒

	0	1	2	3
0	Q			
1				Q
2				
3				

Q

$N=0 \rightarrow N=1$   
 $C=0 \rightarrow C=2$

}

bool isSafe (mat[1][1], n, c)  $\Rightarrow O(N)$

Returns true if no queen is present

~~in Row no. n~~

in Col no. c  $\rightarrow O(1)$  HashMap < col no, T/F >

in diagonals.  $\swarrow \searrow$

HashMap < c-n, T/F >

HashMap < c+n, T/F >

$\Rightarrow O(1)$

8-Queens Problem Grid (8x8):

	0	1	2	3	4	5	6
0	0,0	0,1	0,2	0,3	0,4	0,5	0,6
1	1,0	1,1	1,2	1,3	1,4	1,5	1,6
2	2,0	2,1			2,4	2,5	2,6
3	3,0					3,5	3,6
4							4,6
5							
6							

Diagonals are marked with green and blue lines. The grid is labeled with row and column indices (0-7) on the left and top. The right side of the grid is labeled with row indices (0-7) and a column index (6-7).