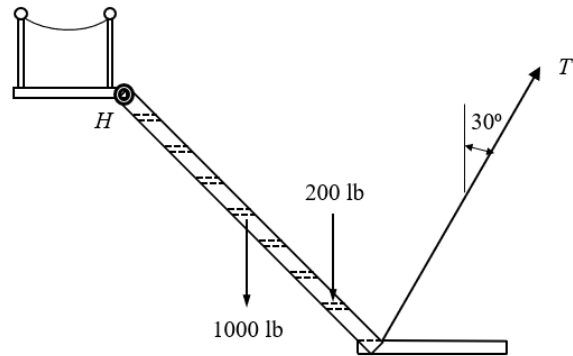


Problem 1 (10 points)

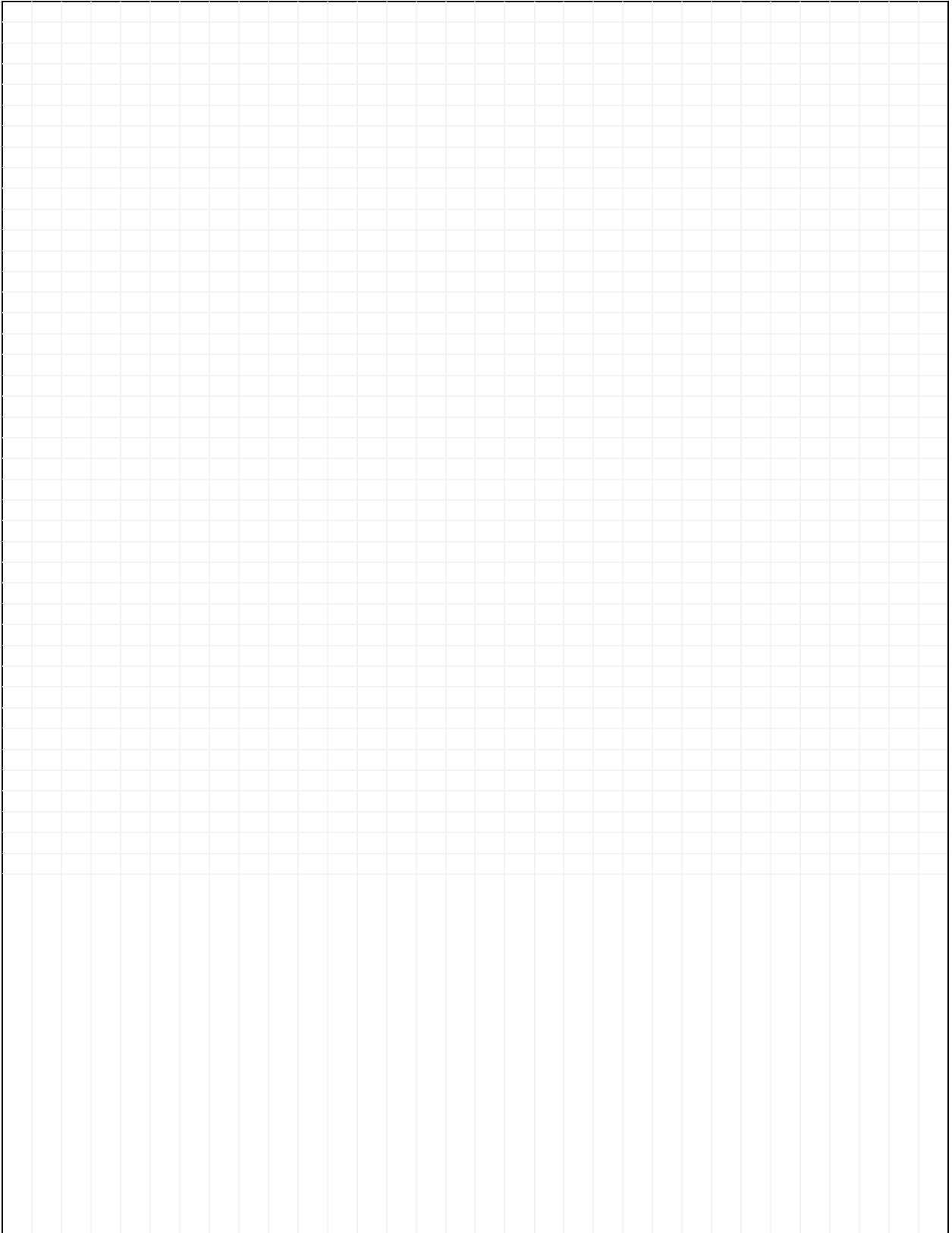
A ship's ladder is supported at the top by a hinge H (consisting of a horizontal and vertical reaction) and at the bottom by a rope with tension T pulling at 30° with respect to the vertical. The weight of the ladder is 1,000-lb and is considered to be concentrated at the center. A man weighting 200-lb stands at one-fifth distance from the bottom. The ladder itself is inclined at 45° degree.



- Draw the Free Body Diagram of the problem (5 points)
 - Knowing that a hinge is a point where the sum of moments about it equals zero and that H is a hinge, determine the pull in the rope T . (5 points)
-

$T =$

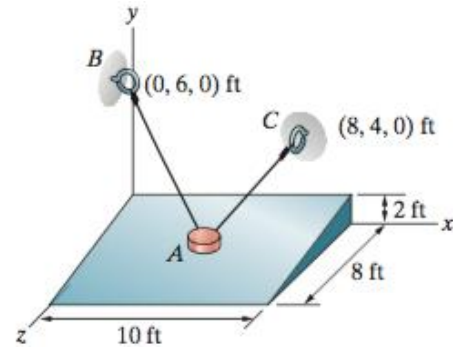
Additional Work Area:



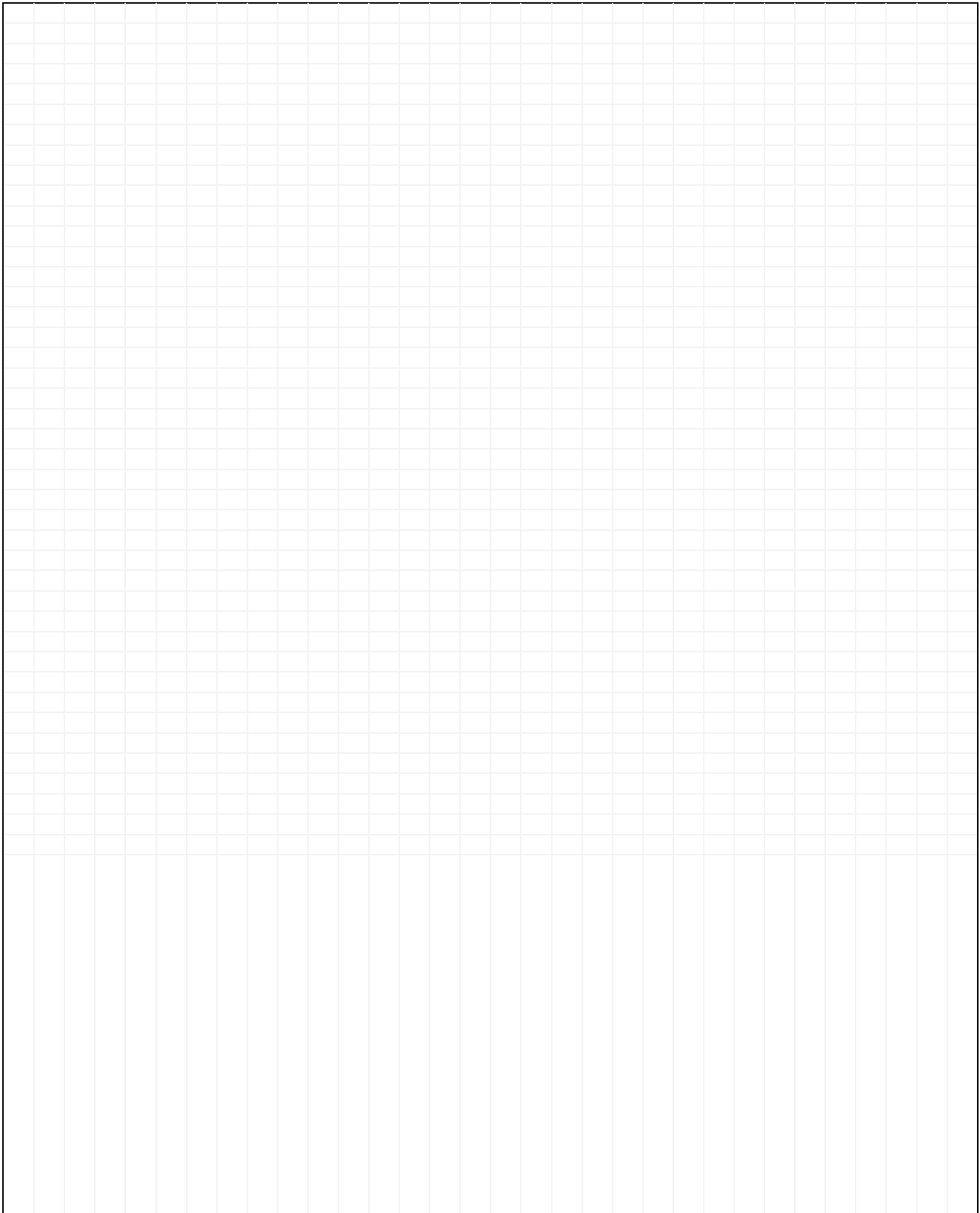
Problem 2 (10 points)

The 10 lb disk A is supported by the supported by the smooth inclined surface and the strings AB and AC. The disk is located at coordinates (5,1,4) ft.

- Draw the Free Body Diagram of the problem (2 points)
 - Write the equilibrium equation in vector form. (no need to calculate the tension vectors) (1 point)
 - Determine the unit vector in the normal direction to the surface. (7 points)
-

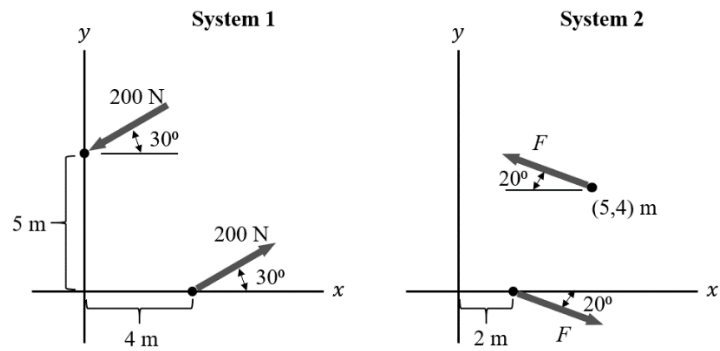


Additional Work Area:



Problem 3 (10 points)

System 1 and 2 are equivalent. Determine force F .

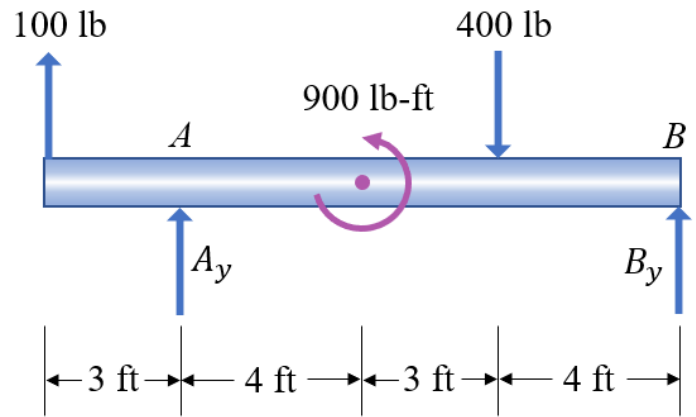


Additional Work Area:

Problem 4 (10 points)

Determine the vertical reactions A_y and B_y and clearly indicate their directions if:

- (a) The sum of vertical forces equals 0;
- (b) The sum of moments about A equals 0.



$$A_y =$$

$$B_y =$$

Additional Work Area:

