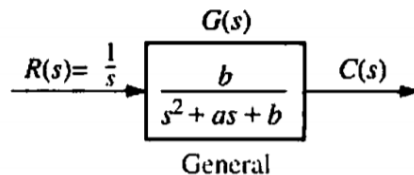


Experiment No. 1

Aim: Study of time response of a second order system subjected to step input under varying damping conditions.

Objective: To plot the Step Response of the general transfer function with following parameter specifications:



a). $a=9, b=9$ (overdamped)

b). $a=2, b=9$ (underdamped)

Also plot the pole-zero relationship plot. Label the axis and provide title for the plots.

MATLAB Code:

```
clear all      % clear workspace
clc           % clear command window
```

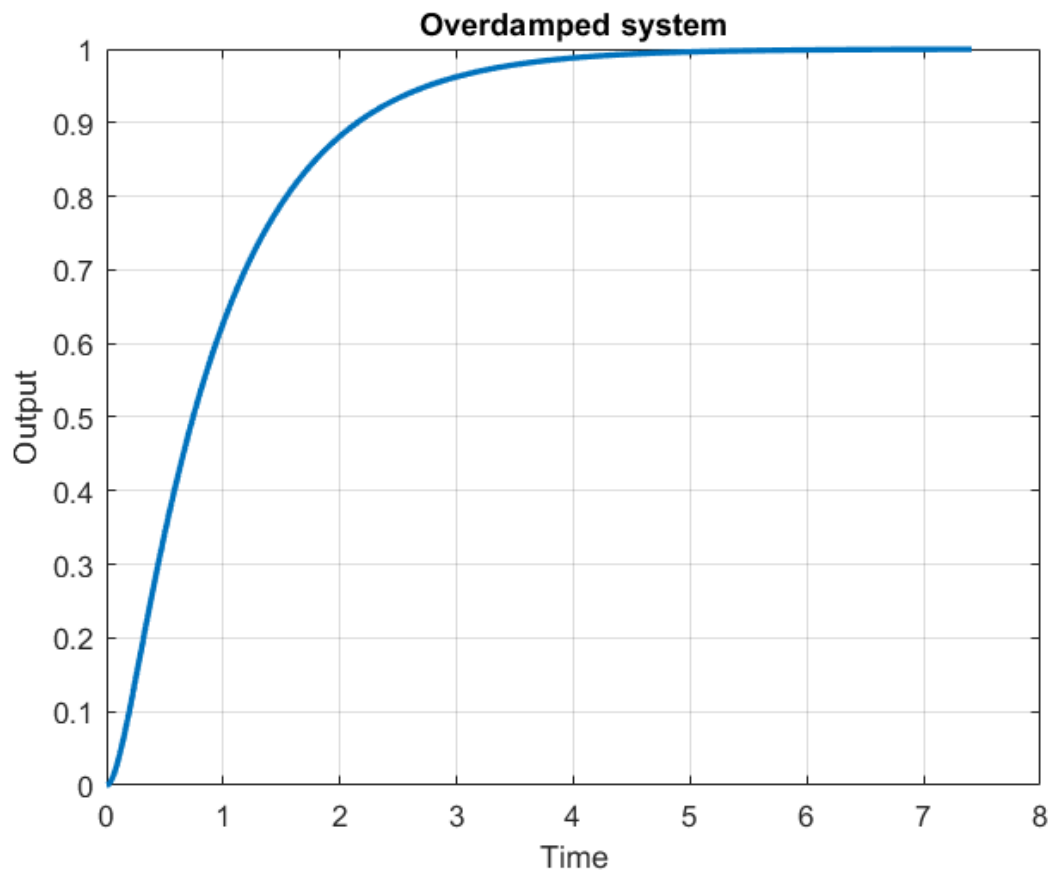
a). $a=9, b=9$ (Overdamped System)

```
% Define Transfer Function G
s = tf('s');
% G = b/(s^2 + a*s + b);
G1 = 9/(s^2 + 9*s + 9) % transfer function for Overdamped system
G1 =
```

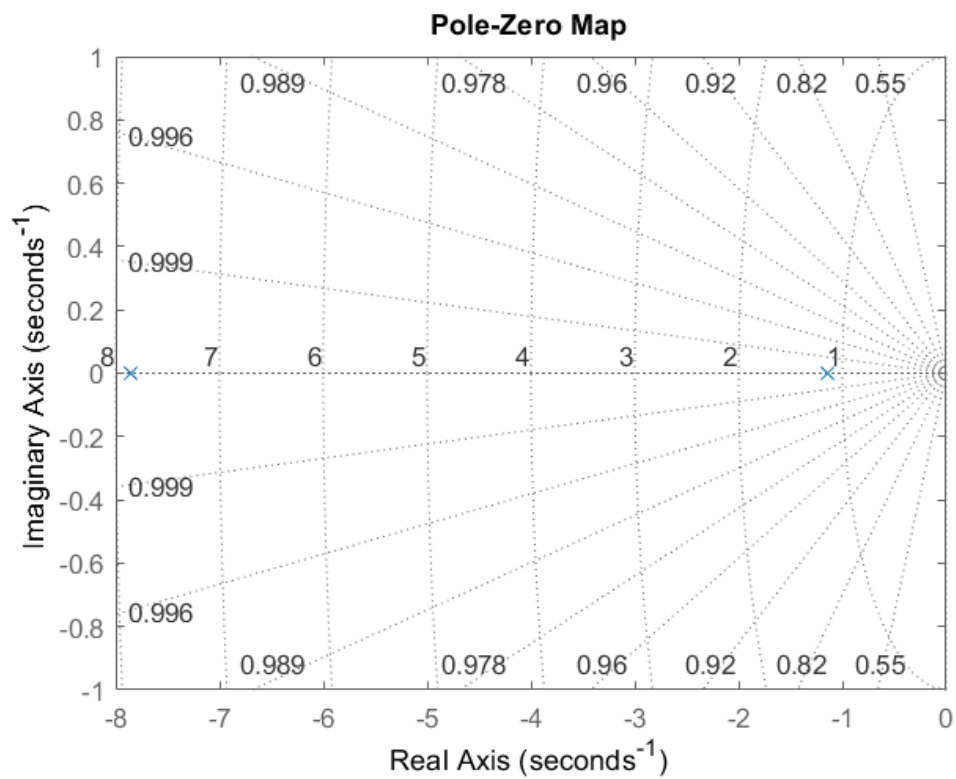
```
          9
-----
s^2 + 9 s + 9
```

Continuous-time transfer function.

```
% Step Response Plot
[x1, t1] = step(G1);
plot(t1, x1, 'LineWidth', 2);
grid
title('Overdamped system') % title
xlabel('Time') % x-axis label
ylabel('Output') % y-axis label
```



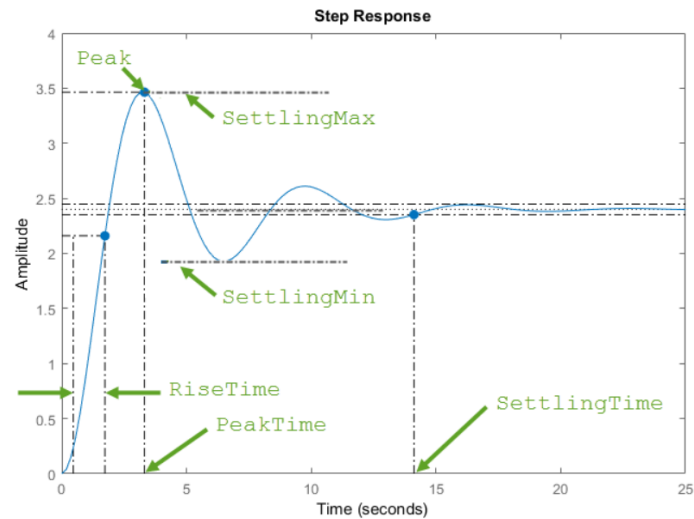
```
% Pole-Zero Plot
pzmap(G1)
grid
```



```
stepinfo(G1) % step response specification
```

```
ans = struct with fields:
```

```
    RiseTime: 1.9528
SettlingTime: 3.5516
SettlingMin: 0.9012
SettlingMax: 0.9999
    Overshoot: 0
    Undershoot: 0
        Peak: 0.9999
    PeakTime: 8.6661
```



b). $a=2$, $b=9$ (Underdamped System)

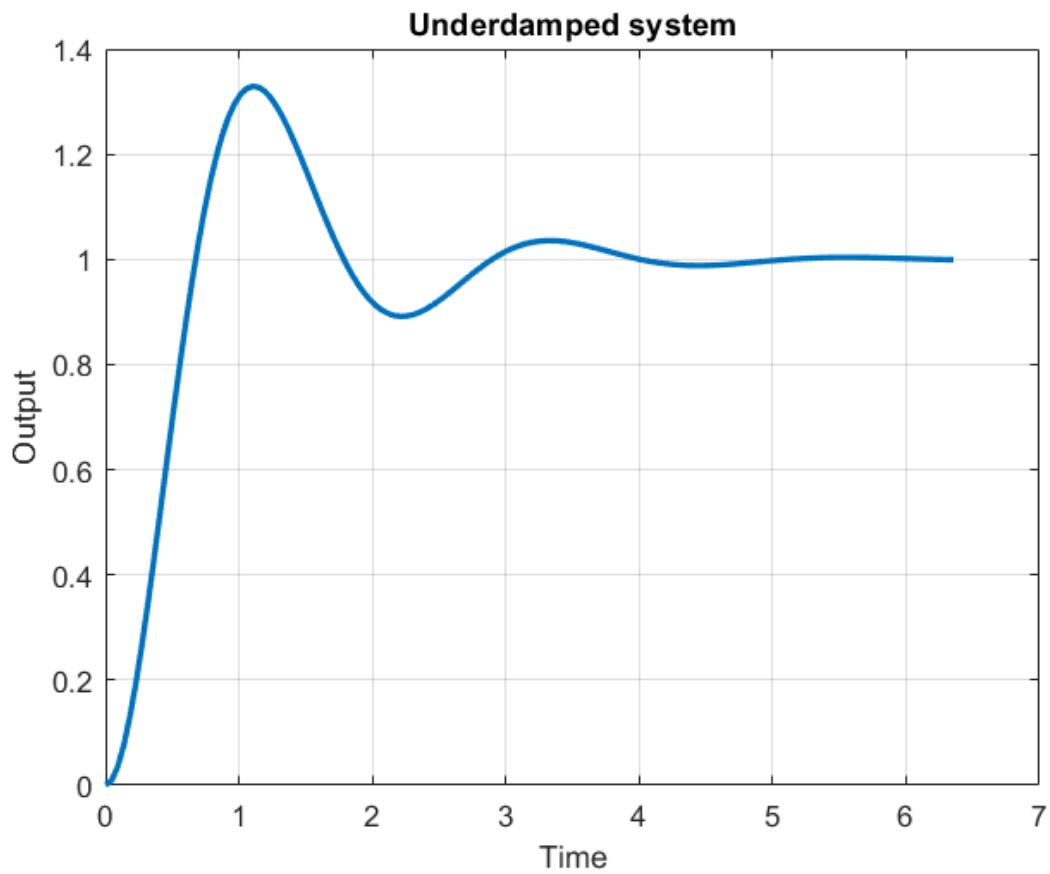
```
G2 = 9/(s^2 + 2*s + 9) % Transfer function for underdamped system
```

```
G2 =
```

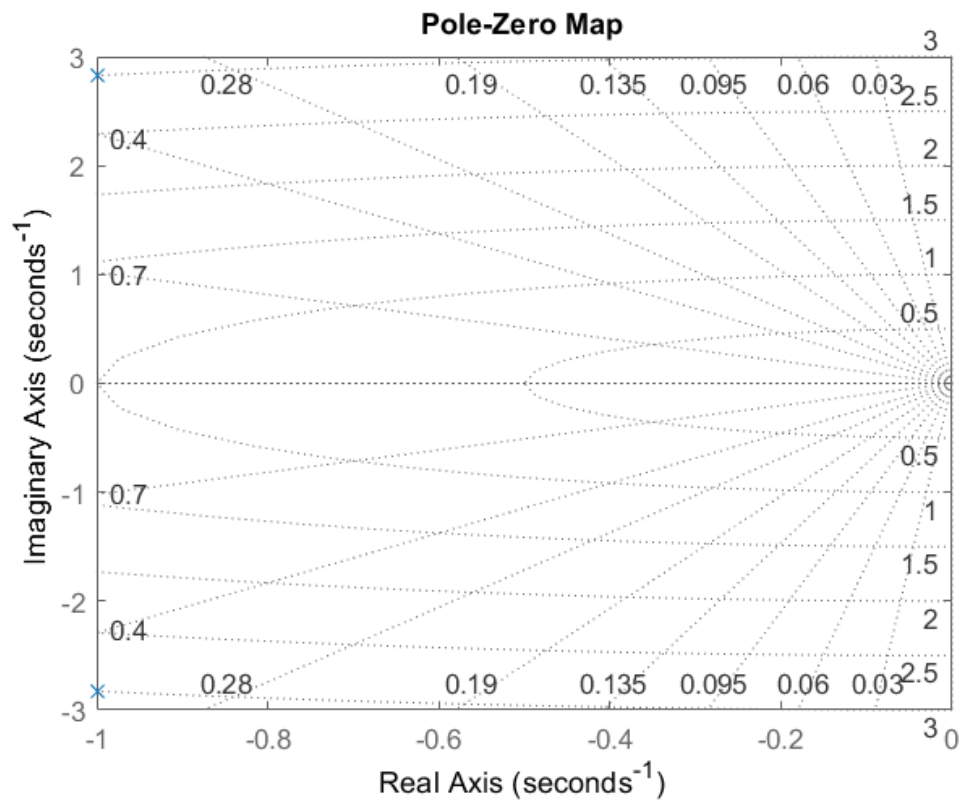
$$\frac{9}{s^2 + 2s + 9}$$

Continuous-time transfer function.

```
% Step Response Plot
[x2, t2] = step(G2);
plot(t2, x2, 'LineWidth', 2); % Plot command
grid % grid lines
title('Underdamped system')
xlabel('Time')
ylabel('Output')
```



```
% Pole-Zero Plot
pzmap(G2)
grid
```



```
stepinfo(G2)
```

```
ans = struct with fields:  
    RiseTime: 0.4568  
    SettlingTime: 3.7005  
    SettlingMin: 0.8916  
    SettlingMax: 1.3293  
    Overshoot: 32.9277  
    Undershoot: 0  
    Peak: 1.3293  
    PeakTime: 1.1052
```

Practise Problems:

Q). Plot the Step Response for the similar general transfer function with following parameter specifications:

- a). $a=0$, $b=9$ (undamped)
- b). $a=6$, $b=9$ (critically damped)

Also plot the pole-zero relationship plot. Label the axis and provide title for the plots.

Experiment No. 2

Aim: Study of time response of a second order system subjected to various inputs.

Objective: To plot the Time Response of the given transfer function with different input signals:

$$G(s) = \frac{s}{(s+4)(s+8)}$$

- a). Impulse Input
- b). Step Input
- c). Ramp Input
- d). Parabolic Input

MATLAB Code:

```
clear all      % clear workspace
clc           % clear command window
```

Time response plots with various inputs

```
% Define Transfer Function G
```

```
s = tf('s');
```

```
G = s/[(s+4)*(s+8)] % define transfer function
```

```
G =
```

```
      s
-----
s^2 + 12 s + 32
```

Continuous-time transfer function.

```
% Plot figures
```

```
figure
```

```
subplot(2,2,1)          % subplot(m,n,p) divides figure into m-by-n grid
and create axis at p
```

```
impz(G)                 % for Impulse input
```

```
title('Impulse Response')
```

```
grid
```

```
subplot(2,2,2)
```

```
step(G)                 % for Step input
```

```
title('Step Response')
```

```
grid
```

```
subplot(2,2,3)
```

```
step(G/s)               % for Ramp input
```

```
title('Ramp Response')
```

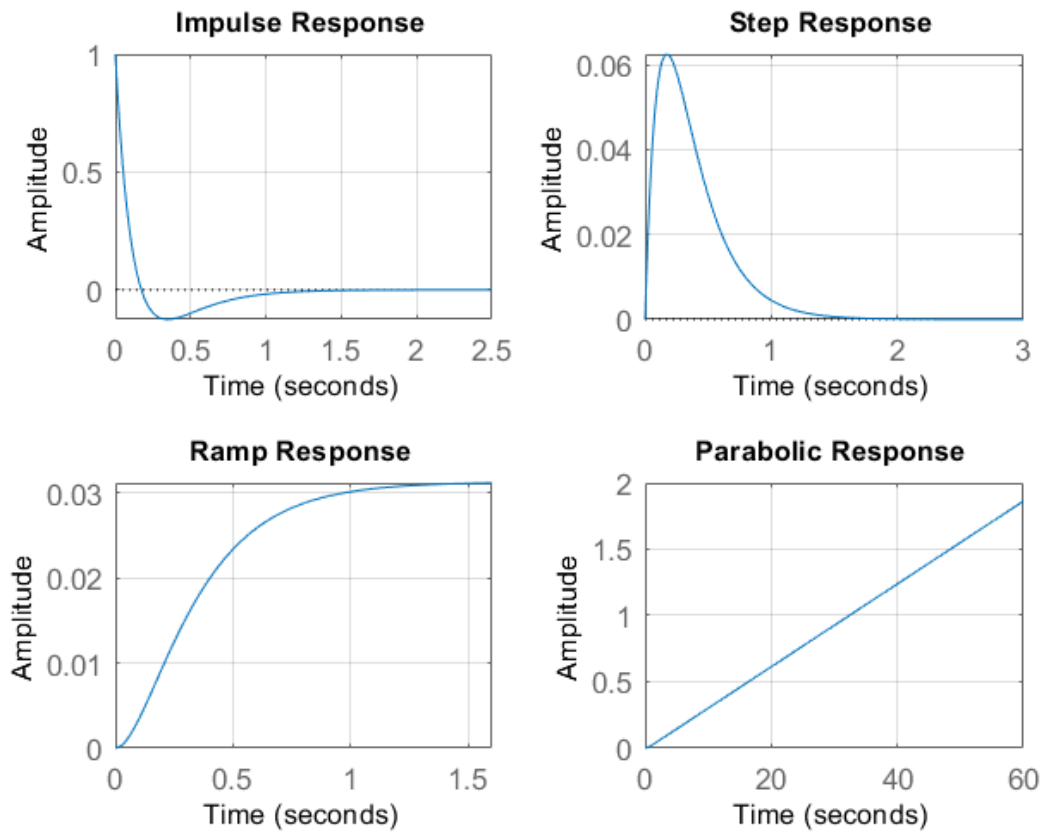
```
grid
```

```
subplot(2,2,4)
```

```
step(G/s^2)             % for Parabolic input
```

```
title('Parabolic Response')
```

grid



Practise Problems:

Q). Plot the time response for similar four input signals for the given below transfer function:

a). $G(s) = \frac{s^2}{(s+5)(s+8)}$

b). $G(s) = \frac{10}{(s+5)(s+10)}$