

```
1 !pip install cirq
```

```
1 import cirq
2 import math
```

Task 1

Implement a simple quantum operation with Cirq

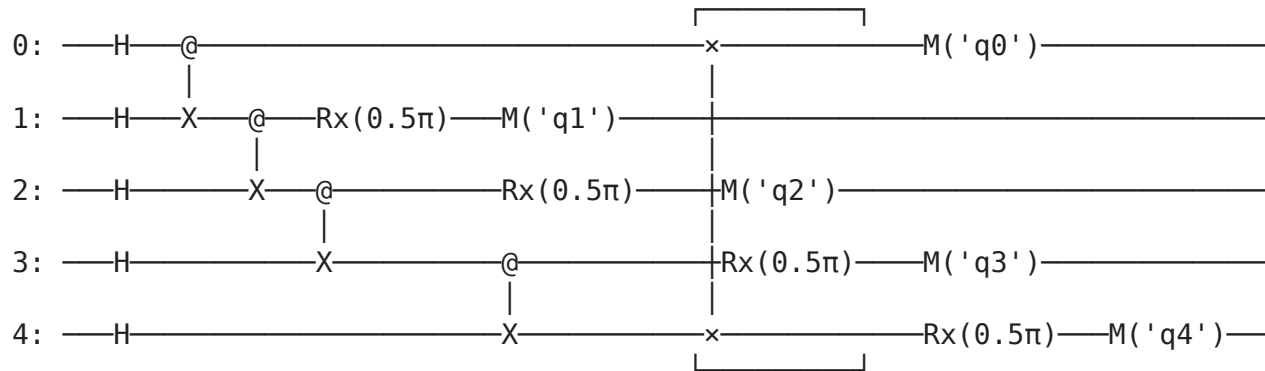
1. With 5 qubits
2. Apply Hadamard operation on every qubit
3. Apply CNOT operation on (0, 1), (1,2), (2,3), (3,4)
4. SWAP (0, 4)
5. Rotate X with $\pi/2$
6. Plot the circuit

```
1 # Creating a simple circuit with 5 qubits
2 length = 5
3 circuit = cirq.Circuit()
4 qubits = cirq.LineQubit.range(length)
5
6 for i in range(5):
7     # Applying Hadamard Gate to all the qubits
8     circuit.append([cirq.H(qubits[i])])
9
10 # Applying Controlled NOT gate (0, 1), (1,2), (2,3), (3,4)
11 circuit.append([
12     cirq.CNOT(qubits[0],qubits[1]),
13     cirq.CNOT(qubits[1],qubits[2]),
14     cirq.CNOT(qubits[2],qubits[3]),
15     cirq.CNOT(qubits[3],qubits[4]),
16 ])
17
18 # Swapping gate 0 and gate 4
19 circuit.append([cirq.SWAP(qubits[0],qubits[4])])
20
```

```

21 # Rotating all the qubits with Pauli Gate X with pi/2 around X
22 rot = circ.rx(math.pi/2)
23 circuit.append([rot(qubits[1]),rot(qubits[2]),rot(qubits[3]),rot(qubits[4])])
24
25 # Measuring the qubits
26 for i in range(length):
27     circuit.append(circ.measure(qubits[i],key=f"q{i}"))
28
29 # Plotting the circuit
30 print (circuit)
31

```



```

1 # Running the circuir on a simulator
2 simulator = circ.Simulator()
3 result = simulator.run(circuit, repetitions=10000)
4
5 # finding the probabilities of state |0> and |1>
6 for i in range(length):
7     prob1 = result.measurements[f'q{i}'].sum()/len(result.measurements[f'q{i}'])
8     prob0 = 1-prob1
9     print (f"q{i} : {result.histogram(key=f'q{i}')} | prob0 : {prob0:5f} | prob1 : {prob1:5f}")
10

```



```

q0 : Counter({1: 5009, 0: 4991}) | prob0 : 0.499100 | prob1 : 0.500900
q1 : Counter({1: 5006, 0: 4994}) | prob0 : 0.499400 | prob1 : 0.500600
q2 : Counter({1: 5034, 0: 4966}) | prob0 : 0.496600 | prob1 : 0.503400
q3 : Counter({0: 5008, 1: 4992}) | prob0 : 0.500800 | prob1 : 0.499200
q4 : Counter({0: 5064, 1: 4936}) | prob0 : 0.506400 | prob1 : 0.493600

```

Task 2

Create a circuit that is a series of small `cirq.Rx` rotations and plot the probability of measuring the state in the $|0\rangle$ state. For example, for a qubit, at first, you can rotate 0.1 degree, you get one probability of measuring the state in the $|0\rangle$ state; then you rotate another 0.1 degree in addition, you get another probability; then you another 0.1 degree and so on.

```
1  # Create a circuit with sequentially increasing rotations of 0.1 rad
2  circuit2 = cirq.Circuit()
3  i=1
4  while(i<=16):
5      j=1
6      r=0.1
7      while (j<=i):
8          r = 0.1*j
9          # multiplying with 2 since cirq.rx halves the rotation
10         rot_x = cirq.rx(r*2)
11         qubit = cirq.LineQubit(i)
12         circuit2.append(rot_x(qubit))
13         j+=1
14
15     circuit2.append(cirq.measure(qubit, key=f'q{i}'))
16     i+=1
17
18  print(circuit2)
```



1: — $R_x(0.064\pi)$ — $M('q1')$ —

2: — $R_x(0.064\pi)$ — $R_x(0.127\pi)$ — $M('q2')$ —

3: — $R_x(0.064\pi)$ — $R_x(0.127\pi)$ — $R_x(0.191\pi)$ — $M('q3')$ —

4: — $R_x(0.064\pi)$ — $R_x(0.127\pi)$ — $R_x(0.191\pi)$ — $R_x(0.255\pi)$ — $M('q4')$ —

5: — $R_x(0.064\pi)$ — $R_x(0.127\pi)$ — $R_x(0.191\pi)$ — $R_x(0.255\pi)$ — $R_x(0.318\pi)$ — $M('q5')$ —

6: — $R_x(0.064\pi)$ — $R_x(0.127\pi)$ — $R_x(0.191\pi)$ — $R_x(0.255\pi)$ — $R_x(0.318\pi)$ — $R_x(0.382\pi)$ — $M('q6')$ —

7: — $R_x(0.064\pi)$ — $R_x(0.127\pi)$ — $R_x(0.191\pi)$ — $R_x(0.255\pi)$ — $R_x(0.318\pi)$ — $R_x(0.382\pi)$ — $R_x(0.446\pi)$ — $M('q7')$ —

8: — $R_x(0.064\pi)$ — $R_x(0.127\pi)$ — $R_x(0.191\pi)$ — $R_x(0.255\pi)$ — $R_x(0.318\pi)$ — $R_x(0.382\pi)$ — $R_x(0.446\pi)$ — $R_x(0.509\pi)$ — $M('q8')$ —

9: — $R_x(0.064\pi)$ — $R_x(0.127\pi)$ — $R_x(0.191\pi)$ — $R_x(0.255\pi)$ — $R_x(0.318\pi)$ — $R_x(0.382\pi)$ — $R_x(0.446\pi)$ — $R_x(0.509\pi)$ — $R_x(0.573\pi)$ — $M('q9')$ —

10: — $R_x(0.064\pi)$ — $R_x(0.127\pi)$ — $R_x(0.191\pi)$ — $R_x(0.255\pi)$ — $R_x(0.318\pi)$ — $R_x(0.382\pi)$ — $R_x(0.446\pi)$ — $R_x(0.509\pi)$ — $R_x(0.573\pi)$ — $R_x(0.637\pi)$ — $M('q10')$ —

11: — $R_x(0.064\pi)$ — $R_x(0.127\pi)$ — $R_x(0.191\pi)$ — $R_x(0.255\pi)$ — $R_x(0.318\pi)$ — $R_x(0.382\pi)$ — $R_x(0.446\pi)$ — $R_x(0.509\pi)$ — $R_x(0.573\pi)$ — $R_x(0.637\pi)$ — $R_x(0.701\pi)$ — $M('q11')$ —

12: — $R_x(0.064\pi)$ — $R_x(0.127\pi)$ — $R_x(0.191\pi)$ — $R_x(0.255\pi)$ — $R_x(0.318\pi)$ — $R_x(0.382\pi)$ — $R_x(0.446\pi)$ — $R_x(0.509\pi)$ — $R_x(0.573\pi)$ — $R_x(0.637\pi)$ — $R_x(0.701\pi)$ — $R_x(0.765\pi)$ — $M('q12')$ —

13: — $R_x(0.064\pi)$ — $R_x(0.127\pi)$ — $R_x(0.191\pi)$ — $R_x(0.255\pi)$ — $R_x(0.318\pi)$ — $R_x(0.382\pi)$ — $R_x(0.446\pi)$ — $R_x(0.509\pi)$ — $R_x(0.573\pi)$ — $R_x(0.637\pi)$ — $R_x(0.701\pi)$ — $R_x(0.765\pi)$ — $R_x(0.829\pi)$ — $M('q13')$ —

14: — $R_x(0.064\pi)$ — $R_x(0.127\pi)$ — $R_x(0.191\pi)$ — $R_x(0.255\pi)$ — $R_x(0.318\pi)$ — $R_x(0.382\pi)$ — $R_x(0.446\pi)$ — $R_x(0.509\pi)$ — $R_x(0.573\pi)$ — $R_x(0.637\pi)$ — $R_x(0.701\pi)$ — $R_x(0.765\pi)$ — $R_x(0.829\pi)$ — $R_x(0.893\pi)$ — $M('q14')$ —

15: — $R_x(0.064\pi)$ — $R_x(0.127\pi)$ — $R_x(0.191\pi)$ — $R_x(0.255\pi)$ — $R_x(0.318\pi)$ — $R_x(0.382\pi)$ — $R_x(0.446\pi)$ — $R_x(0.509\pi)$ — $R_x(0.573\pi)$ — $R_x(0.637\pi)$ — $R_x(0.701\pi)$ — $R_x(0.765\pi)$ — $R_x(0.829\pi)$ — $R_x(0.893\pi)$ — $R_x(0.957\pi)$ — $M('q15')$ —

16: — $R_x(0.064\pi)$ — $R_x(0.127\pi)$ — $R_x(0.191\pi)$ — $R_x(0.255\pi)$ — $R_x(0.318\pi)$ — $R_x(0.382\pi)$ — $R_x(0.446\pi)$ — $R_x(0.509\pi)$ — $R_x(0.573\pi)$ — $R_x(0.637\pi)$ — $R_x(0.701\pi)$ — $R_x(0.765\pi)$ — $R_x(0.829\pi)$ — $R_x(0.893\pi)$ — $R_x(0.957\pi)$ — $R_x(1.021\pi)$ — $M('q16')$ —

```
1  sim = cirq.Simulator()
2  results2 = sim.run(circuit2, repetitions=100000)
```

```
1  # Calculating probabilities of  $|0\rangle$  after every rotation
2  prob_0 = []
3  prob_1 = []
4  for i in range(1,17):
5      prob1 = results2.measurements[f'q{i}'].sum()/len(results2.measurements[f'q{i}'])
```

```

6     prob0 = 1-prob1
7     print (f"Rotations: {i} | prob0 : {prob0:5f} prob1 : {prob1:5f} | {results2.histogram(key=f'q{i}')}")
8     prob_0.append(prob0)
9     prob_1.append(prob1)

```

```

↗ Rotations: 1 | prob0 : 0.990290 prob1 : 0.009710 | Counter({0: 99029, 1: 971})
Rotations: 2 | prob0 : 0.913070 prob1 : 0.086930 | Counter({0: 91307, 1: 8693})
Rotations: 3 | prob0 : 0.680350 prob1 : 0.319650 | Counter({0: 68035, 1: 31965})
Rotations: 4 | prob0 : 0.292590 prob1 : 0.707410 | Counter({1: 70741, 0: 29259})
Rotations: 5 | prob0 : 0.004980 prob1 : 0.995020 | Counter({1: 99502, 0: 498})
Rotations: 6 | prob0 : 0.257130 prob1 : 0.742870 | Counter({1: 74287, 0: 25713})
Rotations: 7 | prob0 : 0.887230 prob1 : 0.112770 | Counter({0: 88723, 1: 11277})
Rotations: 8 | prob0 : 0.804680 prob1 : 0.195320 | Counter({0: 80468, 1: 19532})
Rotations: 9 | prob0 : 0.044910 prob1 : 0.955090 | Counter({1: 95509, 0: 4491})
Rotations: 10 | prob0 : 0.501700 prob1 : 0.498300 | Counter({0: 50170, 1: 49830})
Rotations: 11 | prob0 : 0.902030 prob1 : 0.097970 | Counter({0: 90203, 1: 9797})
Rotations: 12 | prob0 : 0.002860 prob1 : 0.997140 | Counter({1: 99714, 0: 286})
Rotations: 13 | prob0 : 0.899470 prob1 : 0.100530 | Counter({0: 89947, 1: 10053})
Rotations: 14 | prob0 : 0.227710 prob1 : 0.772290 | Counter({1: 77229, 0: 22771})
Rotations: 15 | prob0 : 0.712310 prob1 : 0.287690 | Counter({0: 71231, 1: 28769})
Rotations: 16 | prob0 : 0.263160 prob1 : 0.736840 | Counter({1: 73684, 0: 26316})

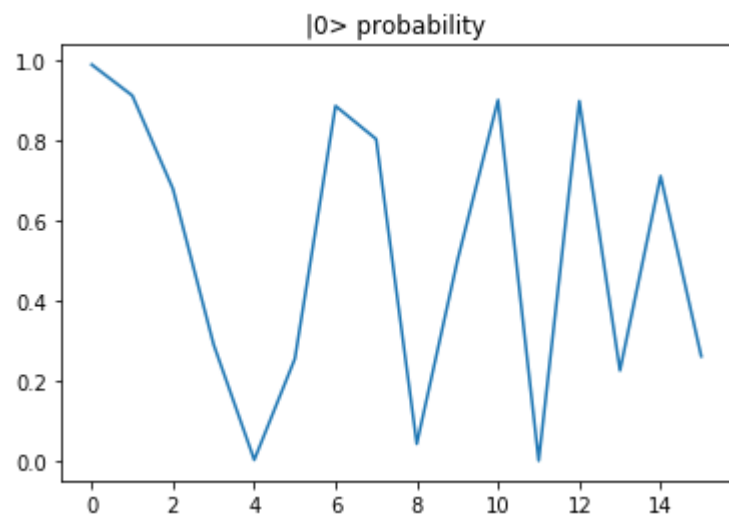
```

```

1 import matplotlib.pyplot as plt
2
3 # Probability of |0> after every rotation
4 plt.title("probability of qubit in |0> after measurement")
5 plt.plot(prob_0)
6 plt.show()

```

↗



```
1 # Probability of |1> after every rotation
2 plt.title("probability of qubit in |1> after measurement")
3 plt.plot(prob_1)
4 plt.show()
```

