

# Counting Rooms

You are given a map of a building, and your task is to count the number of its rooms. The size of the map is  $n \times m$  squares, and each square is either floor or wall.

You can walk left, right, up, and down through the floor squares.

## Input

The first input line has two integers  $n$  and  $m$ : the height and width of the map.

Then there are  $n$  lines of  $m$  characters describing the map.

Each character is either `.` (floor) or `#` (wall).

## Output

Print one integer: the number of rooms.

## Constraints

$1 \leq n, m \leq 1000$

## Example

### Input:

```
5 8
#####
# . # . #
###. # . #
#. # . . #
#####
# . . . . .
```

### Output:

```
3
```

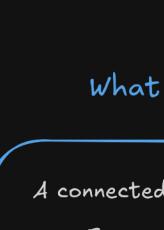
## Problem Breakdown

### Lets understand the problem first

You're given a 2D grid of `.` (floor) and `#` (walls).

You can move up, down, left, or right, but only through `.` cells.

Your task is to count how many separate rooms exist in the building.



### Why is this a graph problem

Any problem where entities are connected and you need to explore reachability between them can usually be represented as a graph.

Each cell in the grid becomes a node, and each valid move to an adjacent cell is an edge. This is called implicit graph construction — we don't store an adjacency list; we use the grid itself to traverse.

### How do we know it's a connected components problem?

Because we are grouping tiles that are all connected. Each such group is a connected component — and each component = one room.

### What are connected components?

A connected component in a graph is a group of nodes where:

Every node is reachable from every other node in the group.

There is no connection to nodes outside the group.

### How do we solve connected components problems?

We use graph traversal (DFS or BFS):

Start traversal from an unvisited node.

Mark all nodes in that component.

Each new traversal = new component.

### Graph Traversal.

#### DFS

Uses recursion to go deep into the connected tiles.

Mark each tile as visited.

Count the number of times DFS starts ... this is the number of rooms.

#### BFS

Uses a queue to explore level by level.

Avoids recursion depth issues in large grids.

# Algorithm

```
#include <bits/stdc++.h>
using namespace std;

#define endl '\n'

int n, m;
vector<vector<char>> grid;
vector<vector<bool>> visited;

const vector<pair<int, int>> directions = {{-1, 0}, {0, -1}, {1, 0}, {0, 1}};

void dfs(int x, int y) {
    visited[x][y] = true;

    for (auto [dx, dy] : directions) {
        int nextX = x + dx;
        int nextY = y + dy;

        // Check if the next cell is within bounds, is a floor ('.'), and not visited
        if (nextX >= 0 && nextX < n && nextY >= 0 && nextY < m && grid[nextX][nextY] == '.' && !visited[nextX][nextY]) {
            dfs(nextX, nextY);
        }
    }
}

void solve() {
    cin >> n >> m;

    grid.resize(n, vector<char>(m));
    visited.assign(n, vector<bool>(m, false));

    for (int i = 0; i < n; ++i)
        for (int j = 0; j < m; ++j)
            cin >> grid[i][j];
}
```

→ Read the grid

```
for (int i = 0; i < n; ++i)
    for (int j = 0; j < m; ++j)
        if (grid[i][j] == '.' && !visited[i][j]) {
            bfs(i, j);
            rooms++;
        }
```

cout << rooms << endl;

```
}
```

```
int main() {
    ios::sync_with_stdio(false);
    cin.tie(nullptr);
    solve();
    return 0;
}
```

### For each cell in the grid:

- If it's a floor ('.') and not visited:

- Start DFS/BFS from that cell.

- Mark all connected floor tiles as visited.

- Increment room counter.

## Time Complexity

$O(N \times M)$

we visit every cell at most once.

## Space Complexity

$O(N \times M)$  for visited grid.

DFS:  $O(\text{stack size})$  up to  $N \times M$

BFS:  $O(\text{queue size})$  up to  $N \times M$