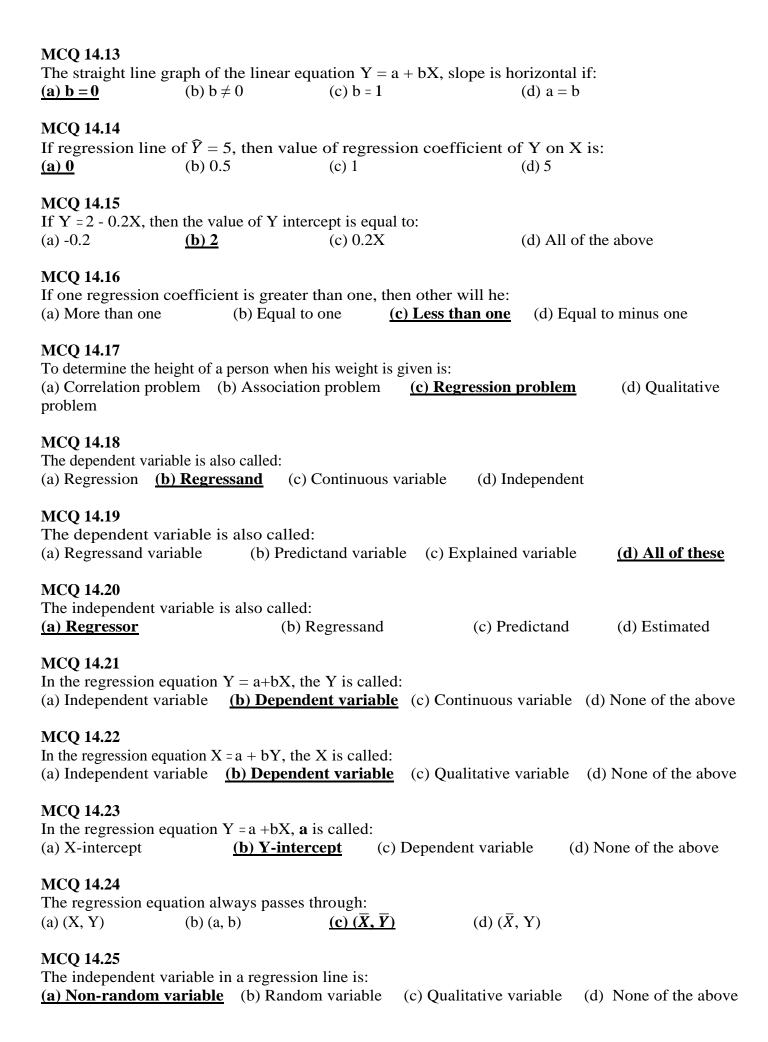
# MCQ of REGRESSION AND CORRELATION

MCQ 14.1 A process by which w variables is called:	ve estimate the value o	of dependent variab	le on the basis of o	one or more independent
(a) Correlation	(b) Regression	<u>on</u>	(c) Residual	(d) Slope
MCQ 14.2 The method of least sedeviations of the poin	quares dictates that we ts from the lie is:	e choose a regression	on line where the s	um of the square of
(a) Maximum Positive	(b) Minimun	<u>1</u>	(c) Zero	(d)
MCQ 14.3 A relationship where (a) Linear relationsh	the flow of the data po tip (b) Nonlinear	<del>-</del>	ented by a curve is of Linear positive	called: (d) Linear negative
MCQ 14.4 All data points falling (a) Linear relationsh	along a straight line i iip (b) Non linear		) Residual	(d) Scatter diagram
MCQ 14.5 The value we would pris called: (a) Slope	oredict for the dependent	ent variable when the (c) Interc	-	iables are all equal to zero  (d) Difficult to tell
MCQ 14.6				ndent variable is called:
MCQ 14.7 The slope of the regre (a) Correlation coeffice) Regression coeffice		(b) Corre	lation coefficient of the coeffi	
MCQ 14.8 In simple linear regree (a) One	ession, the numbers of (b) Two	of unknown consta (c) Three	ants are: (d) Fo	our
MCQ 14.9 In simple regression (a) 0	equation, the number (b) 1	rs of variables invo (c) 2	olved are: (d) 3	
MCQ 14.10 If the value of any r (a) Qualitative	egression coefficien (b) Correlation	t is zero, then two		<u>dependent</u>
MCQ 14.11 The straight line grap (a) b = 0	ph of the linear equat (b) b < 0	ion $Y = a + bX$ , slo $\underline{(c) b > 0}$	ope will be upward (b) b	
MCQ 14.12 The straight line graph (a) $b > 0$	oh of the linear equation $(b) b < 0$	ion $Y = a + bX$ , slo (c) $b = 0$	ope will be downv (d) b 7	



MCQ 14.26 The graph showing (a) Scatter diagram	the paired points of (b)		ed: (c) Historigram	(d) Pie diagram
MCQ 14.27 The graph rep. (a) Linear	resents the relations (b) Non linear	-	urvilinear	(d) No relation
MCQ 14.28 The graph rep. (a) Linear positive	resents the relations (b) Linear	hip that is.: negative	(c) Non-linear	(d) Curvilinear
_	ne passes through th	_	o (c) Correlation is z	zero (d) Association is zero
MCQ 14.30 When b <sub>XY</sub> is positiv (a) Negative	ve, then b <sub>yx</sub> will be: (b) Positive	(c) Zero	(d) One	
MCQ 14.31 The correlation coe (a) Geometric mea	efficient is the an (b) Arithm	of two regre etic mean		n (d) Median

# MCQ 14.32 When two r

When two regression coefficients bear same algebraic signs, then correlation coefficient is:

(a) Positive (b) Negative (c) According to two signs (d) Zero

#### MCQ 14.33

It is possible that two regression coefficients have:

(a) Opposite signs (b) Same signs (c) No sign (d) Difficult to tell

#### MCO 14.34

Regression coefficient is independent of:

(a) Units of measurement (b) Scale and origin (c) Both (a) and (b) (d) None of them

### MCQ 14.35

In the regression line Y = a + bX:

(a)  $\sum X = \sum \hat{X}$  (b)  $\sum Y = \sum \hat{Y}$  (c)  $\sum X = \sum Y$  (d) X = Y

#### MCQ 14.36

In the regression line Y = a + bX, the following is always true:

(a)  $\sum (X - \hat{X}) = 0$  (b)  $\sum (Y - \hat{Y}) = \mathbf{0}$  (c)  $\sum (X - \hat{X}) = \sum (Y - \hat{Y})$  (d)  $\sum (Y - \hat{Y})^2 = 0$ 

# MCQ 14.37

The purpose of simple linear regression analysis is to:

## (a) Predict one variable from another variable

- (b) Replace points on a scatter diagram by a straight-line
- (c) Measure the degree to which two variables are linearly associated
- (d) Obtain the expected value of the independent random variable for a given value of the dependent variable

MCQ 14.38  The sum of the differegression line is always and the sum of the difference of the sum o		ctual va	lues of Y and	its value	s obtained from the fitt	ed
(a) Zero	(b) Positive	(c) Ne	gative	(	d) Minimum	
MCQ 14.39 If all the actual and error will be:		Y are sa	_		ne, the sum of squares	of
(a) Zero	(b) Minimum		(c) Maximun	n	(d) Unknown	
MCQ 14.40 $e_i = Y_i - \hat{Y}_i \text{ is calle}$ (a) Residual (c) Difference between				ependent m of resi	and dependent variabl	es
MCQ 14.41 A measure of the st (a) Slope equation	rength of the linear r (b) Intercept		ship that exis rrelation coe		en two variables is call (d) Regres	
	riations in the related ion (b) Nonlinear co				led: ation (d) Negative cor	relation
MCQ 14.43 If both variables X a be:	and Y increase or dec	rease si	multaneously	, then the	coefficient of correlati	on will
(a) Positive	(b) Negative	(c) Zei	CO	(d) One		
decrease the value o	_			e increas	es the other variable ter	nds to
. ,	(b) I direct in	ganve	<u>(C) 11C</u>	guerre	(a) Ze10	
the value of $\mathbf{r}$ will be	e close to:		lency either to		together or decrease to	gether
(a) -1	(b) +1	(c) 0.5		(d) 0		
MCQ 14.46 If one item is fixed a (a) Positive	and unchangeable and (b) Negative	the otl		s, the cor (d) Und	relation coefficient will ecided	be:
MCQ 14.47 In scatter diagram, is correlation is:	f most of the points li	ie in the	first and thire	d quadrar	ats, then coefficient of	
(a) Negative	(b) Positive		(c) Zero		(d) All of the abo	ve
proportionate, it is sa		ns and t			•	
(a) Negative correlation (c) Perfect negative correlation			<ul><li>(b) Positive correlation</li><li>(d) Perfect positive correlation</li></ul>			

MCQ 14.49  If both the series move in the same direction and the variations are in a fixed probetween them is said to be:  (a) Perfect correlation  (b) Linear correlation  (c) Nonlinear correlation  (d) Perfect positive correlation	(c) Linear correlation					
(c) Nonlinear correlation (d) 1 effect positive correlation	(d) Perfect positive correlation					
MCQ 14.50 The value of the coefficient of correlation r lies between: (a) 0 and 1 (b) -1 and 0 (c) -1 and +1 (d) -0.5 and	nd +0.5					
MCQ 14.51  If X is measured in yours and Y is measured in minutes, then correlation coeffic  (a) Hours (b) Minutes (c) Both (a) and (b) (d) No un						
MCQ 14.52 The range of regressioin coefficient is: (a) -1 to +1 (b) 0 to 1 (c) $-\infty$ to $+\infty$ (d) 0 to $\infty$						
MCQ 14.53 The signs of regression coefficients and correlation coefficient are always: (a) Different (b) Same (c) Positive (d) Negative						
MCQ 14.54 The arithmetic mean of the two regression coefficients is greater than or equal to (a) -1 (b) +1 (c) 0 (d) $\mathbf{r}$	o:					
MCQ 14.55 In simple linear regression model $Y = \alpha + \beta X + \epsilon$ where $\alpha$ and $\beta$ are called: (a) Estimates (b) Parameters (c) Random errors (d)	) Variables					
MCQ 14.56  Negative regression coefficient indicates that the movement of the variables are in:  (a) Same direction (b) Opposite direction (c) Both (a) and (b) (d) Difficult to tell						
MCQ 14.57 Positive regression coefficient indicates that the movement of the variables are in:  (a) Same direction (b) Opposite direction (c) Upward direction (d) Downward direction						
MCQ 14.58  If the value of regression coefficient is zero, then the two variable are called:  (a) Independent (b) Dependent (c) Both (a) and (b) (d)	) Difficult to tell					
MCQ 14.59 The term regression was used by: (a) Newton (b) Pearson (c) Spearman (d) Galton						
MCQ 14.60 In the regression equation $Y = a + bX$ , b is called: (a) Slope (b) Regression coefficient (c) Intercept (d)	) Both (a) and (b)					
MCQ 14.61 When the two regression lines are parallel to each other, then their slopes are: (a) Zero (b) Different (c) Same (d) Positive						

#### MCQ 14.62 The measure of change in dependent variable corresponding to an unit change in independent variable is called: (b) Regression coefficient (a) Slope (c) Both (a) and (b) (d) Neither (a) and (b) MCQ 14.63 In correlation problem both variables are: (b) Unknown (d) Random (a) Equal (c) Fixed MCQ 14.64 In the regression equation Y = a + bX, where a and b are called: (d) Both (a) and (b) (a) Constants (b) Estimates (c) Parameters MCQ 14.65 If $b_{vx} = b_{xv} = 1$ and $S_x = S_v$ , then **r** will be: (d) Difficult to calculate (a) 0 (b) -1(c) 1 MCQ 14.66 The correlation coefficient between X and -X is: (b) 0.5(a) 0 (d) -1 MCQ 14.67 If $b_{yx} = b_{xy} = r_{xy}$ , then: (a) $S_x \neq S_v$ **(b)** $S_x = S_y$ (c) $S_x > S_v$ (d) $S_x < S_v$ MCQ 14.68 If $r_{xy} = 0.4$ , then $r_{(2x, 2y)}$ is equal to: (a) 0.4 (b) 0.8(c) 0(d) 1 MCQ 14.69 $r_{xy}$ is equal to: (a) 0 (b) -1(c) 1 (d) 0.5MCO 14.70 If $r_{xy} = 0.75$ , then correlation coefficient between u = 1.5X and v = 2Y is: (a) 0 (c) -0.75(d) 1.5 **(b)** 0.75 MCQ 14.71 If $b_{yx} = -2$ and $r_{xy} = -1$ , then $b_{xy}$ is equal to: (a) -1 (b) -2(c) 0.5(d) -0.5MCQ 14.72 If $b_{yx} = 1.6$ and $b_{xy} = 0.4$ , then $r_{xy}$ will be: (a) 0.4 (b) 0.64 (c) 0.8 (d) -0.8MCQ 14.73 If $b_{yx} = -0.8$ and $b_{xy} = -0.2$ , then $r_{yx}$ is equal to: (b) -0.4 (c) 0.4(d) -0.8(a) -0.2 MCQ 14.74

(c) -1

(d) Both (b) and (c)

If  $\hat{Y} = 6 - X$ , then **r** will be:

(b) 1

(a) 0

# MCQ 14.75

If  $\widehat{Y} = X + 10$ , then **r** equal to:

(a) 1

(b) -1

(c) 1/2

(d) Difficult to tell

# MCQ 14.76

If Y = -10X and X = -0.1Y, then **r** is equal to:

(a) 0.1

(b) 1

(d) 10

# MCQ 14.77

If the figure +1 signifies perfect positive correlation and the figure -1 signifies a perfect negative correlation, then the figure 0 signifies:

(a) A perfect correlation

(b) Uncorrelated variables

(c) Not significant

(d) Weak correlation

### MCQ 14.78

A perfect positive correlation is signified by:

(a) 0

(b) -1

(c) +1

(d) -1 to +1

# MCQ 14.79

If a statistics professor tells his class: "All those who got 100 on the statistics test got 20 on the mathematics test, and all those that got 100 on the mathematics test got 20 on the statistics test", he is saying that the correlation between the statistics test and the mathematics test is:

(a) Negative

(b) Positive

(c) Zero

(d) Difficult to tell

### MCQ 14.80

If  $\sum (X - \overline{X})(Y - \overline{Y})$  is zero, the correlation is:

(a) Weak negative (b) High positive (c) High negative

(d) None of the preceding

# MCQ 14.81

If  $r_{xy} = 1$ , then: (a)  $b_{vx} = b_{xy}$  (b)  $b_{yx} > b_{xy}$  (c)  $b_{yx} < b_{xy}$   $\underline{(\mathbf{d}) \ \mathbf{b}_{yx} \cdot \mathbf{b}_{xy} = \mathbf{1}}$ 

# MCQ 14.82

The relation between the regression coefficient  $b_{yx}$  and correlation coefficient r is:

(a)  $\frac{S_y}{S_v}$  (b)  $\frac{S_x}{S_v}$  (c)  $r\frac{S_x}{S_v}$  (d)  $r\frac{S_y}{S_x}$ 

#### MCQ 14.83

The relation between the regression coefficient  $b_{xy}$  and correlation coefficient r is:

 $(a)\frac{b_{xy}}{r} = \frac{S_x}{S_y}$ 

(b)  $b_{xy} = r \frac{S_x}{S_y}$  (c)  $b_{xy}.S_y = r.S_x$  (d) All of the above

#### MCO 14.84

If the sum of the product of the deviation of X and Y from their means is zero, the correlation coefficient between X and Y is:

(a) Zero

(b) Maximum

(c) Minimum

(d) Undecided

### MCQ 14.85

If the coefficient of correlation between the variables X and Y is r, the coefficient of correlation between  $X^2$  and  $Y^2$  is:

(a) -1

(b) 1

(c) r

 $(d) r^2$ 

### MCQ 14.86

If  $r_{xy} = 0.75$ , then  $r_{xy}$  will be:

(a) 0.25

(b) 0.50

(c) 0.75

(d) -0.75

# MCQ 14.87

If  $\widehat{Y} = a$ , then  $b_{yx}$  is equal to:

(a) Positive

(b) Negative

(c) Zero

(d) One

## MCQ 14.88

If  $\widehat{Y} = bX$ , then intercept a is equal to:

(a) 0

(b) 1

(c) -1 to +1

(d) 0 to 1

## MCQ 14.89

 $E(Y - \widehat{Y})$  will be:

(a) Less than zero

(b) Greater than zero

(c) Equal to zero

(d) Not equal to zero

### MCQ 14.90

When  $r_{xy} < 0$ , then  $b_{yx}$  and  $b_{xy}$  will be:

(a) Zero

(b) Not equal to zero

(c) Less than zero

(d) Greater than zero

# MCQ 14.91

When  $r_{xy} > 0$ , then  $b_{yx}$  and  $b_{xy}$  are both:

(a) 0

(b) < 0

(c) > 0

(d) < 1

### MCQ 14.92

If  $r_{xy} = 0$ , then:

(a)  $b_{yx} = 0$ 

(b)  $b_{xy} = 0$ 

(c) Both (a) and (b)

(d)  $b_{yx} \neq b_{xy}$ 

## MCQ 14.93

If  $b_{xy} = 0.20$  and  $r_{xy} = 0.50$ , then  $b_{yx}$  is equal to:

(a) 0.20

(b) 0.25

(c) 0.50

(d) 1.25

# MCQ 14.94

A regression model may be:

(a) Linear

(b) Non-linear

(c) Both (a) and (b)

(d) Neither (a)

and (b)

#### MCQ 14.95

If  $\mathbf{r}$  is negative, we know that:

(a)  $\sum (X - \overline{X})^2$  and  $\sum (X - \overline{X})(Y - \overline{Y})$  are negative

(b)  $\sum (Y - \overline{Y})^2$  and  $\sum (X - \overline{X})(Y - \overline{Y})$  are negative

(c)  $\sum (X - \overline{X})(Y - \overline{Y})$  is negative

(d) Either  $\sum (X - \overline{X})^2$  or  $\sum (Y - \overline{Y})^2$  is negative