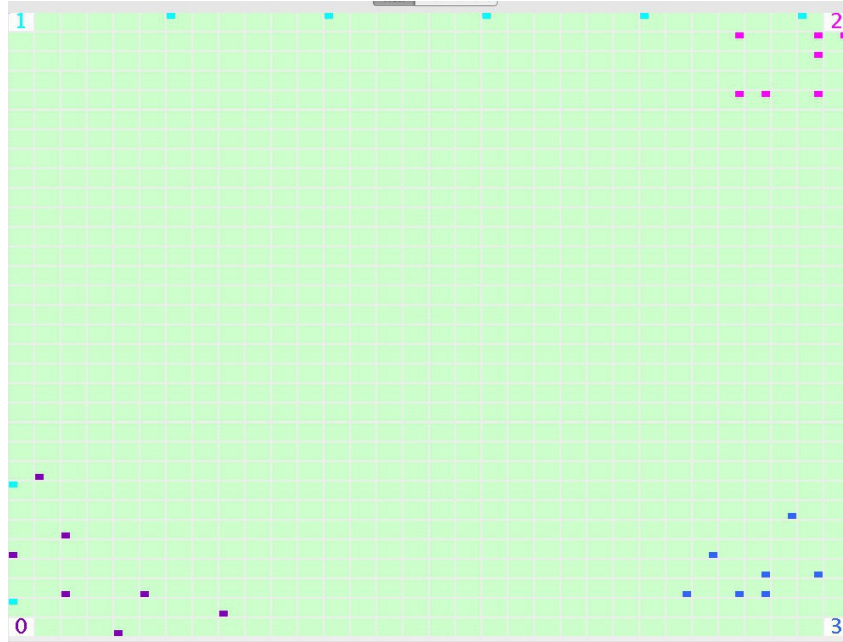# CIS 559 PROJECT 1:
PARALLEL FOOTBALL

IAN SIBNER, DERICK OLSON, SPRIHA BARUAH, ANTHONY HSIEH

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CONTENTS

Figure 1: An initial positioning of the board where $P = 7$

LIST OF FIGURES

1   INTRODUCTION

Parallel Soccer is a game in which four teams of P (which can vary from 1 to 250) players compete to kick soccer balls into their teams' goal. The goals are arranged in each corner of a 32x32 grid, and the rest of the squares on the board are initialized to contain one ball each, for a total of $1,020$ balls on the board to start off with. To start off with, each team can place each of their P players anywhere on the board; multiple players can potentially occupy the same square. After that, each player (with full knowledge of the board) must choose to either *kick* a ball (in their square) up to K distance away (with K being a constant whose value may vary between one and 45), or *move* up to 1 square in any direction (including diagonals). When a ball is kicked into a team's goal, that team is awarded a point and the ball is removed from play. The game ends when all balls are removed from play, and the team with the most points wins.

2   INITIAL INSIGHTS AND OBSERVATIONS

Immediately, our team observed several key features about the game.

1. The game is zero-sum. That is, any ball that is scored by our player is denied to all of our opponents, and vice versa.

2. Efficiency is not a constraint. Because the game would not progress to the next step until all of our players had calculated their next move, we could take the entire board into account without worrying about the runtime of our solution.

3. Strategies may work well for certain combinations of P and K and not others. A smart player would change its strategy depending on what value these constants took on.

4. Certain strategies may work particularly well in the early phase of the game, when all the balls are on the board and there are not clusters, while others may work better in the middle phase (where there are fewer balls and more clusters) or in the end game (when there are only a few balls which every team is competing for).

5. Efficient strategies (i.e. those which required to fewest moves to kick a ball into the goal) would generally favor kicking over moving, since $K \geqslant 1$. This naturally leads to a sort of "bucket brigade" where players kick balls close to one another in order to "pass" them towards the goal.

These insights guided our strategy throughout and allowed us to focus on the most important aspects of the game.

3   STRATEGIES AND CONCEPTS

3.1   Movement & Benefit Function

In order for a player to decide which cell was the best move for any given board state, we created a benefit function that assigned a score to each cell for every given player. Since we had access to the entire board, we used many factors in this function, including the number of balls in a cell (and surrounding cells), distance from the cell to our goal, distance from the cell to the player, and the number of opponents around the cell. Given the loose efficiency constraints given the problem, we decided that a globally optimal benefit function would be both feasible and desirable. The primary gain from this decision was a team optimized for late gameplay, where our players were able to seek out and steal balls toward the end of the game. The reason was that once we and other teams cleared the balls near our respective goals, balls became scarce. If any team had accumulated balls, even if they were far from our players, they would seek them out and attempt to score with them.

On the other hand, as teams improved, the game time grew shorter and quicker. In such a game, it is possible that a globally optimal zone will change into a depleted zone before a far-away team can reach it. It is likely that our model did not fully capture the constantly changing state of the game board. We addressed this by heavily weighting our own goal in benefit calculations.

3.2 Cell clustering

On the second iteration of our benefit function, we accounted for ball and opponent clustering by keeping track of the number of balls and opponents surrounding a particular cell. This allowed our players to seek out areas of high benefit, rather than single cells.

After initial trials with a large radius, we settled on a radius of 3. We observed that larger radii caused the players to move back and forth somewhat inefficiently, and hypothesize that these larger zones changed too quickly for players to capitalize on them.

4 IMPLEMENTATION

4.1 Composability

Because we realized that certain strategies might work very well in the early phase while others might excel in the late phase, we set about building a player that would *compose* other players by switching between its component players' strategies. We met with a lot of success the first week by composing Group 1's `GridPlayer` for the first 200 turns and our own mid-game-optimized `DerickPlayer` for the remainder of the game. This worked about as expected; `GridPlayer` was far more efficient than `DerickPlayer` in the early game, but after about 200 turns, the board had grown sparser and our own player was much better at seeking out balls and scoring them. We believed this was the way forward and set about finding a more intelligent way to determine when to switch (factoring in P, K, and the number of balls left on the board).

However, during the third week of gameplay, the rest of the teams (and our own `DerickBrigadePlayer`) had become so sophisticated that the early stage of the game completely dominated. Essentially, the winner was determined by how well the early phase played out, and the middle/end phases were nearly nonexistent. Thus we decided to play a pure strategy in the final round, focused on early-game optimization, rather than continuing to compose multiple strategies.
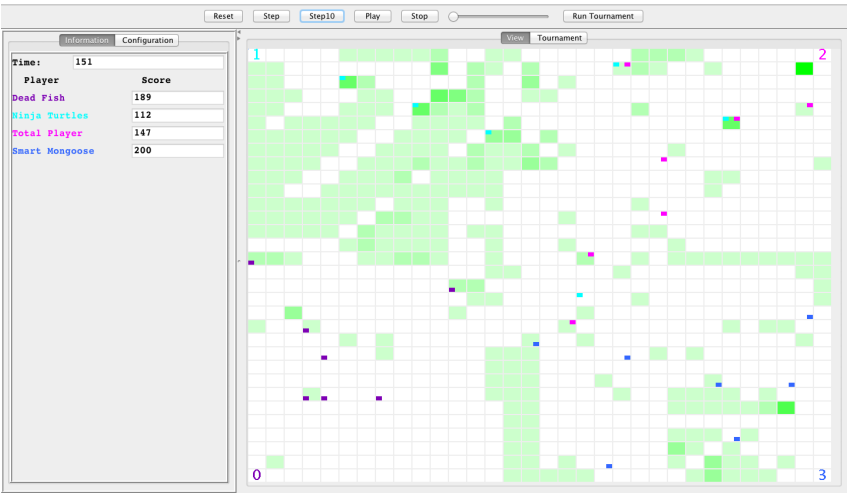
Figure 2: The state of the board after 150 turns with P = 7, K = 6. Note how over 60% of the balls are already scored; this illustrates the great importance of the early game when sophisticated strategies are placed in competition.

5 RESULTS

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6 CONTRIBUTIONS

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7 FUTURE DIRECTIONS AND LIMITATIONS

7.1 Generalized Step Distance

This idea stems from our attempts to take advantage of global-scope "hotspots," or high-density ball clusters that are not near the goal. The existing implementation weights balls close to the home goal particularly high, which is good in the early game, but may not be ideal overall.

As we can see in figure [X], certain strategies tend to cluster balls near an opponent goal, where they stay relatively untouched for several cycles. A smarter global-cluster detection would drop the current strategy

The biggest disadvantage to this approach is that the time it takes to travel to such a cluster may be greater than the the time the cluster exists. Even if the seeking team is able to reach the cluster in time, the balls lost in the transit time may not be worth it.

It would be possible to determine, by factoring in the number of balls left B_{total}, the number of balls in close range B_{nearby}, and the number of balls expected to remain in the cluster $B_{cluster}$. Such a strategy would decide to go for the cluster if and only if:

$$B_{total} - B_{nearby} < B_{cluster}$$

One way of implementing this strategy would be to generalize the `numberOfStepsToGoal()` benefit function to be `numberOfStepsToPosition(p)`, where the latter takes in any valid position p as it's argument, causing the cells around it to get a score boost. Then, upon deciding to pursue a cluster, this position would be updated to the cluster center, until a new position was found.

8 ACKNOWLEDGMENTS

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(a) A city market.

(b) Forest landscape.

(c) Mountain landscape.

(d) A tile decoration.

Figure 3: A number of pictures with no common theme.

9   CONCLUSION

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9.1   Figure Composed of Subfigures

Reference the figure composed of multiple subfigures as Figure 3. Reference one of the subfigures as Figure 3b.