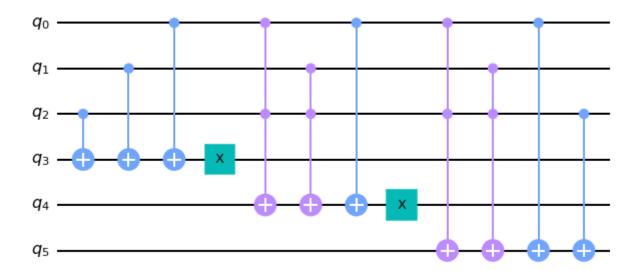
```
In [2]: import numpy as np
# Importing standard Qiskit libraries
from qiskit import QuantumCircuit, transpile, Aer, IBMQ
from qiskit.tools.jupyter import *
from qiskit.visualization import *
from ibm_quantum_widgets import *
from qiskit.providers.aer import QasmSimulator

# Loading your IBM Quantum account(s)
provider = IBMQ.load_account()

<frozen importlib._bootstrap>:219: RuntimeWarning: scipy._lib.messagestream.MessageStream size changed, m
ay indicate binary incompatibility. Expected 56 from C header, got 64 from PyObject
In [3]: from qiskit import *
```

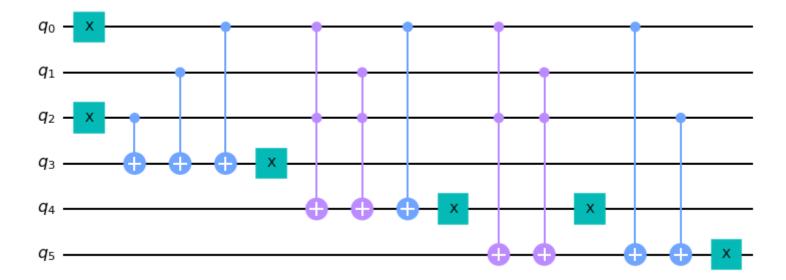
```
In [4]: from qiskit import *
        #Let P be a permutation which takes (0 6 5 7)(1 3 4)(2)
        # so its ANF form is with inputs x, y and z is y1=(x1+x2+x3)', y2=(x1x3+x2x3+x1)',
        #y3=x1x3+x2x3+x1+x3
        #Public permutation
        q = QuantumRegister(6, 'q')
        P=QuantumCircuit(q)
        P.cx(q[2], q[3])
        P.cx(q[1], q[3])
        P.cx(q[0], q[3])
        P.x(q[3])#y1 = (x1+x2+x3)
        P.ccx(q[0], q[2], q[4])
        P.ccx(q[1], q[2], q[4])
        P.cx(q[0], q[4])
        P.x(q[4]) #y2=(x1x3+x2x3+x)'
        P.ccx(q[0], q[2], q[5])
        P.ccx(q[1], q[2], q[5])
        P.cx(q[0], q[5])
        P.cx(q[2], q[5]) #y3=x1x3+x2x3+x1+x3
        P.draw()
```

Out[4]:



```
In [5]: from qiskit import *
        #Let P be a permutation which takes (0 6 5 7)(1 3 4)(2)
        # so its ANF form is with inputs x, y and z is y1=(x1+x2+x3)', y2=(x1x3+x2x3+x1)',
        #y3=x1x3+x2x3+x1+x3
        #Public permutation
        #Even-Mansour cipher
        \#E(x)=P(x+k1)+k2
        #k1=(1 \ 0 \ 1), \ k2=(0 \ 1 \ 1)
        #where k1 and k2 are our secret keys
        q = QuantumRegister(6, 'q')
        E=QuantumCircuit(q)
        E.x(q[0])
        E.x(q[2]) # k1=(1 0 1)
        E.cx(q[2], q[3])
        E.cx(q[1], q[3])
        E.cx(q[0], q[3])
        E.x(q[3])#y1 = (x1+x2+x3)'
        E.ccx(q[0], q[2], q[4])
        E.ccx(q[1], q[2], q[4])
        E.cx(q[0], q[4])
        E.x(q[4]) #y2=(x1x3+x2x3+x)
        E.ccx(q[0], q[2], q[5])
        E.ccx(q[1], q[2], q[5])
        E.cx(q[0], q[5])
        E.cx(q[2], q[5]) #y3=x1x3+x2x3+x1+x3
        E.x(q[4])
        E.x(q[5])#k2 = (0 1 1)
        E.draw()
```

Out[5]:



In []:

```
In [12]: q = QuantumRegister(6, 'q')
         M = ClassicalRegister(3, 'c')
         EM k r=QuantumCircuit(q, M)
         for i in range(3):
             EM k r.h(q[i])
         #simon's function
             #encryption oracle
         EM k r.x(q[0])
         EM k r.x(q[2]) # k1=(1 \ 0 \ 1)
         EM k r.cx(q[2], q[3])
         EM \ k \ r.cx(q[1], q[3])
         EM k r.cx(q[0], q[3])
         EM k r.x(q[3])#y1 = (x1+x2+x3)
         EM_k_r.ccx(q[0], q[2], q[4])
         EM k r.ccx(q[1], q[2], q[4])
         EM k r.cx(q[0], q[4])
         EM k r.x(q[4]) #y2=(x1x3+x2x3+x)'
         EM k r.ccx(q[0], q[2], q[5])
         EM k r.ccx(q[1], q[2], q[5])
         EM k r.cx(q[0], q[5])
         EM k r.cx(q[2], q[5]) #y3=x1x3+x2x3+x1+x3
         EM k r.x(q[0])
         EM k r.x(q[2])
         EM k r.x(q[4])
         EM k r.x(q[5])#k2 = (0 1 1)
         #passing on the output of encryption oracle to pulic permutation
         EM_k_r.cx(q[2], q[3])
         EM \ k \ r.cx(q[1], q[3])
         EM k r.cx(q[0], q[3])
         EM k r.x(q[3])
```

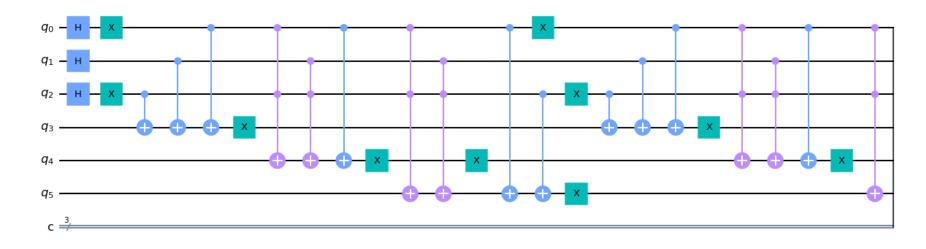
```
EM_k_r.ccx(q[0], q[2], q[4])
EM_k r.ccx(q[1], q[2], q[4])
EM_k_r.cx(q[0], q[4])
EM_k_r.x(q[4])

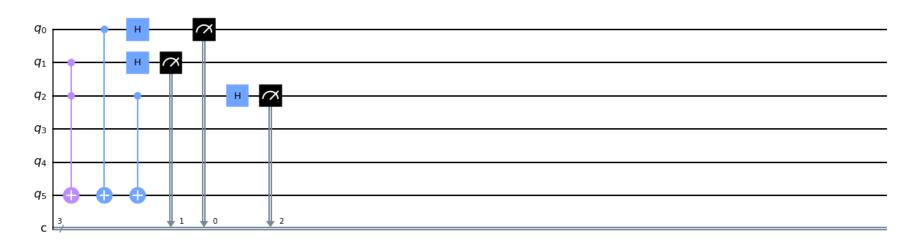
EM_k_r.ccx(q[0], q[2], q[5])
EM_k_r.ccx(q[1], q[2], q[5])
EM_k_r.ccx(q[0], q[5])
EM_k_r.cx(q[0], q[5])

For i in range(3):
    EM_k_r.h(q[i])
    EM_k_r.measure(q[i], M[i])
    #EM_k_r.measure(q[3+i], M[3+i])

EM_k_r.draw()
```

Out[12]:





```
In [14]: backend = Aer.get_backend('qasm_simulator')
    qjob = execute(EM_k_r, backend, shots=1000)
    counts = qjob.result().get_counts()
    print(counts)

{'000': 511, '111': 489}
```