

Pen & paper

By: Iskander Sauma, 940325–1854

2.1

S1: $\text{House}(\text{Bob}) = \text{red}$

S2: $\text{Drink}(\text{Alice}) = \text{snaps}$

S3: $\text{Fear}(\text{Ted}) = \text{elevators}$

S4: $\text{Roommates}(\text{Ted}, \text{Carol})$

S5: $\forall x, \text{Fear}(x) = \text{elevators} \Rightarrow \text{House}(x) = \text{blue}$

S6: $\forall x, \text{House}(x) = \text{red} \Rightarrow \text{Fear}(x) = \text{spiders}$

S7: $\forall x, \text{Drink}(x) = \text{snaps} \Rightarrow \text{House}(x) = \text{red}$

S8: $\forall x, \text{Neighbour}(\text{Bob}, x) \Rightarrow \text{Drink}(x) = \text{Beer}$

S9: $\forall x, y, \text{Roommate}(x, y) \cap \text{Fear}(y) = \text{elevators} \Rightarrow \text{Fear}(x) = \text{spiders}$

S10: $\forall x, y, \text{Neighbour}(x, y) \cap \text{Drink}(y) = \text{milk} \Rightarrow \text{Band}(x) = \text{Beatles}$

S11: $\forall x, \text{Roommates}(\text{Alice}, x) \cap \text{Fear}(x) = \text{spiders} \Rightarrow \text{Drink}(x) = \text{milk}$

S12: $\forall x, y, \text{Roommates}(x, y) \cap \text{Drink}(y) = \text{snaps} \Rightarrow \text{Band}(x) = \text{Beatles}$

S13: $\forall x, \text{Neighbour}(\text{Ted}, x) \cap \text{Drink}(x) = \text{snaps} \cap \text{Fear}(x) = \text{spiders} \Rightarrow \text{Band}(x) = \text{ABBA}$

2.2

S1: $\text{House}(\text{Bob}) = \text{red}$ S6: $\text{House}(x) = \text{red} \Rightarrow \text{Fear}(x) = \text{spiders}$

S14: $\text{Fear}(\text{Bob}) = \text{spiders}$

S2: $\text{Drink}(\text{Alice}) = \text{snaps}$ S7: $\text{Drink}(x) = \text{snaps} \Rightarrow \text{House}(x) = \text{red}$

S15: $\text{House}(\text{Alice}) = \text{red}$

S3: $\text{Fear}(\text{Ted}) = \text{elevators}$ S5: $\text{Fear}(x) = \text{elevators} \Rightarrow \text{House}(x) = \text{blue}$

S16: $\text{House}(\text{Ted}) = \text{blue}$

S4: $\text{Roommates}(\text{Ted}, \text{Carol})$ S8: $\text{Neighbour}(\text{Bob}, x) \Rightarrow \text{Drink}(x) = \text{Beer}$

S17: $\text{Drink}(\text{Carol}) = \text{Beer}$, S18: $\text{Drink}(\text{Ted}) = \text{Beer}$

S4: $\text{Roommates}(\text{Ted}, \text{Carol})$ S3: $\text{Fear}(\text{Ted}) = \text{Elevators}$ S9: $\text{Roommates}(x, y) \cap \dots$
 $\text{Fear}(y) = \text{Elevators} \Rightarrow \text{Fear}(x) = \text{spiders}$

S19: $\text{Fear}(\text{Carol}) = \text{spiders}$

S4: $\text{Roommates}(\text{Ted}, \text{Carol})$, S1: $\text{House}(\text{Bob}) = \text{red}$, S

6: $\text{House}(x) = \text{red} \Rightarrow \text{Fear}(x) = \text{spiders}$

S20: $\text{Fear}(\text{Alice}) = \text{spiders}$

$S19: Fear(Alice) = spiders$ $S2: Drink(Alice) = snaps$ $S4: Roommates(Ted, Carol) \dots$
 $S13: Neighbour(Ted, x) \cap Drink(x) = snaps \cap Fear(x) = spiders \Rightarrow Band(x) = ABBA$

 $S21: Band(Alice) = ABBA$

$S2: Drink(Alice) = snaps$ $S4: Roommates(Ted, Carol)$
 $S12: Roommates(x, y) \cap Drink(y) = snaps \Rightarrow Band(x) = Beatles$

 $S22: Band(Bob) = Beatles$

$S4: Roommates(Ted, Carol)$ $S14: Fear(Bob) = spiders$
 $S11: Roommates(Alice, x) \cap Fear(x) = spiders \Rightarrow Drink(x) = milk$

 $S23: Drink(Bob) = milk$

$S4: Roommates(Ted, Carol)$ $S23: Drink(Bob) = milk$
 $S10: Neighbour(x, y) \cap Drink(y) = milk \Rightarrow Band(x) = Beatles$

 $S23: Band(Carol) = Beatles, S24: Band(Ted) = Beatles$

2.3

C1: $House(Bob) = red$

C2: $Drink(Alice) = snaps$

C3: $Fear(Ted) = elevators$

C4: $Roommates(Ted, Carol)$

C5: $\forall x, \neg Fear(x) = elevators \cup \neg House(x) = blue$

C6: $\forall x, \neg House(x) = red \cup \neg Fear(x) = spiders$

C7: $\forall x, \neg Drink(x) = snaps \cup \neg House(x) = red$

C8: $\forall x, \neg Neighbour(Bob, x) \cup \neg Drinks(x) = Beer$

C9: $\forall x, y, \neg Roommates(x, y) \cup \neg Fear(y) = elevators \cup \neg Fear(x) = spiders$

C10: $\forall x, y, \neg Neighbour(x, y) \cup \neg Drink(y) = milk \cup \neg Band(x) = Beatles$

C11: $\forall x, \neg Roommates(Alice, x) \cup \neg Fear(x) = spiders \cup \neg Drink(x) = milk$

C12: $\forall x, y, \neg Roommates(x, y) \cup \neg Drink(y) = snaps \cup \neg Band(x) = Beatles$

C13: $\forall x, y, \neg Neighbour(Ted, x) \cup \neg Drink(x) = snaps \cup \neg Fear(x) = spiders \cup \neg Band(x) = ABBA$

2.4

- C14: if person x and person y are not roommates or person x's house is not house x or person y's house is house z
C15: if person x's house is not house z or person y's house is not house z or (person x and person y) are roommates

C16: if (person x and person y) are not roommates or if (person y and person x) are roommates

C17: if person x's house is not red or person y's house not blue or if (person x and person y) are neighbours

C18: if (person x and person y) are not neighbours or if (person y and person x) are neighbours

•

C1: House(Bob) = red, C6: \neg House(x) = red \cup \neg Fear(x) = spiders
C19: Fear(Bob) = spiders

C2: Drink(Alice) = snaps, C7: \neg Drinks(x) = snaps \cup \neg House(x) = red
C20: House(Alice) = red

C3: Fear(Ted) = elevators, C5: \neg Fear(x) = elevators \cup \neg House(x) = blue
C21: House(Ted) = blue

C4: Roommates(Ted, Carol), C8: \neg Neighbour(Bob, x) \cup \neg Drinks(x) = Beer
C22: Drinks(Carol) = Beer, C23: Drinks(Ted) = Beer

C4: Roommates(Ted, Carol), C3: Fear(Ted) = elevators
C9: \neg Roommates(x, y) \cup \neg Fear(y) = elevators \cup \neg Fear(x) = spiders
C24: Fear(Carol) = spiders

C4: Roommates(Ted, Carol), C1: House(Bob) = red,
C6: \neg House(x) = red \cup \neg Fear(x) = spiders
C25: Fear(Alice) = spiders

C2: Drinks(Alice) = snaps, C4: Roommates(Ted, Carol), C25: Fear(Alice) = spiders,
C13: \neg Neighbour(Ted, x) \cup \neg Drinks(x) = snaps \cup \neg Fear(x) = spiders \cup \neg Band(x) = ABBA
C26: Band(Alice) = ABBA

C2: Drinks(Alice) = snaps, C4: Roommates(Ted, Carol),
C12: \neg Roommates(x, y) \cup \neg Drinks(y) = snaps \cup \neg Band(x) = Beatles
C27: Band(Bob) = Beatles

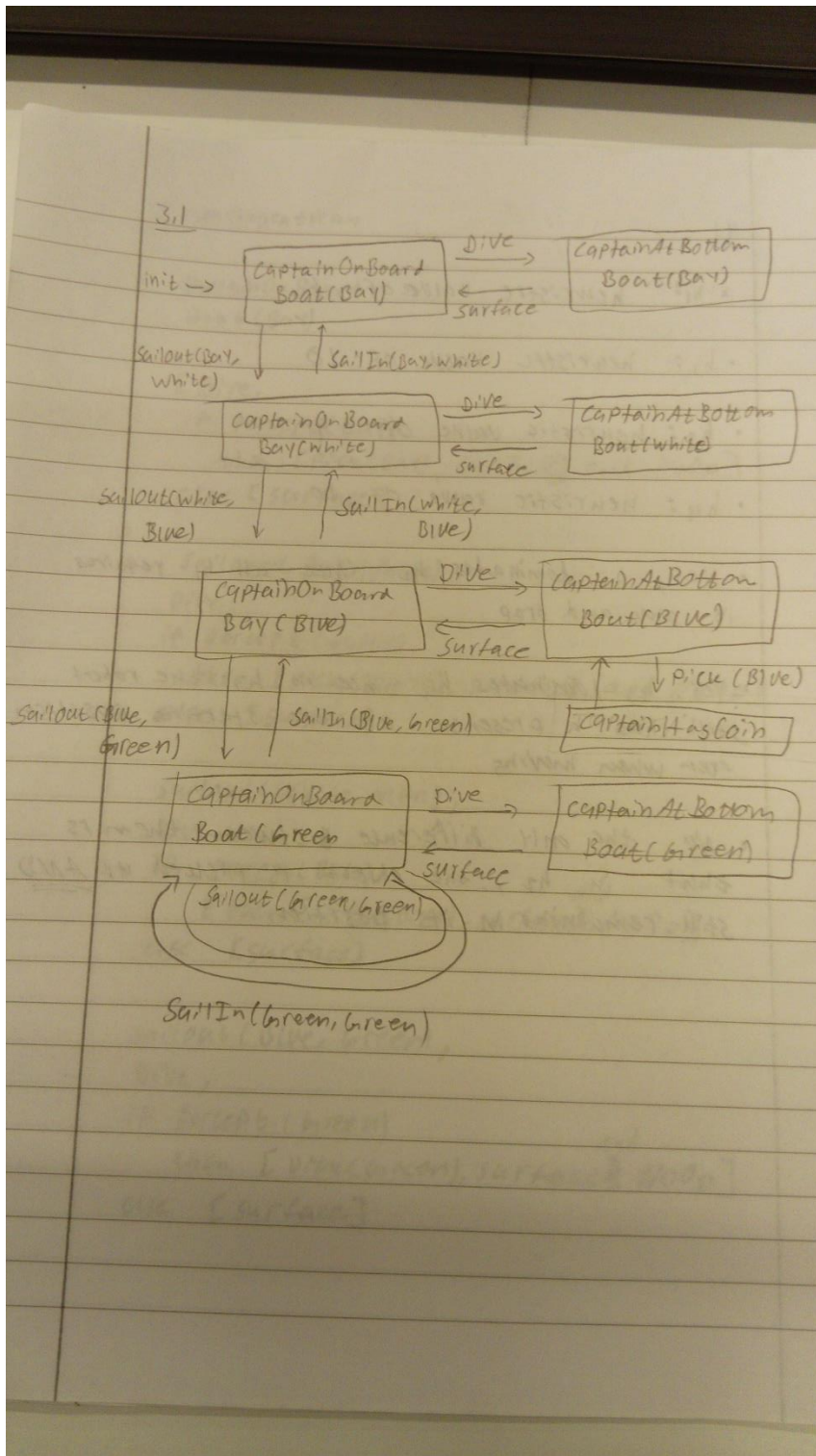
C4: Roommates(Ted, Carol), C19: Fear(Bob) = spiders,
C11: \neg Roommates(Alice, x) \cup \neg Fear(x) = spiders \cup \neg Drinks(x) = milk
C28: Drinks(Bob) = milk

C4: Roommates(Ted, Carol), C28: Drinks(Bob) = milk
C10: \neg Neighbour(x, y) \cup \neg Drinks(y) = milk \cup \neg Band(x) = milk
C29: Band(Carol) = Beatles, C30: Band(Ted) = Beatles

2.5 For example, we can use C4 and C8 to get two different outcomes as used in previous assignment.

C4: Roommates(Ted, Carol), C8: $\neg\text{Neighbour}(\text{Bob}, x) \cup \neg\text{Drinks}(x) = \text{Beer}$
C22: Drinks(Carol) = Beer, C23: Drinks(Ted) = Beer

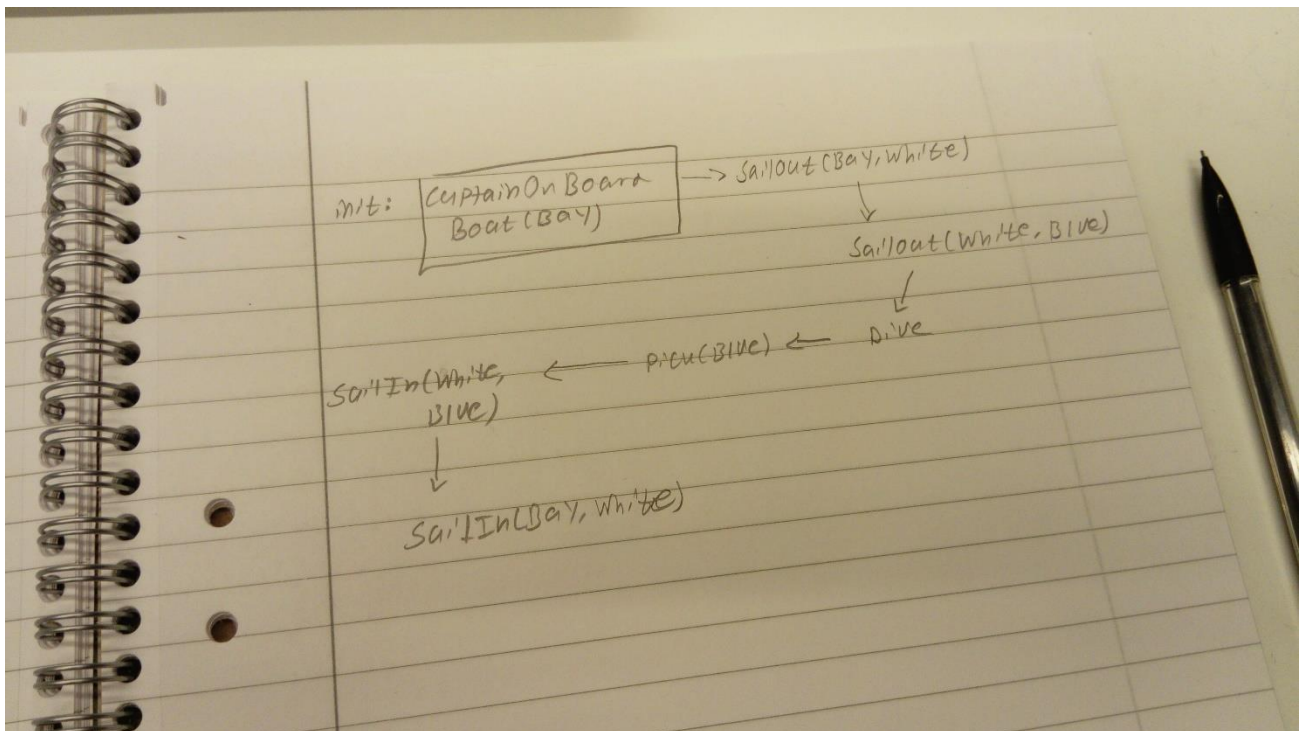
3.1



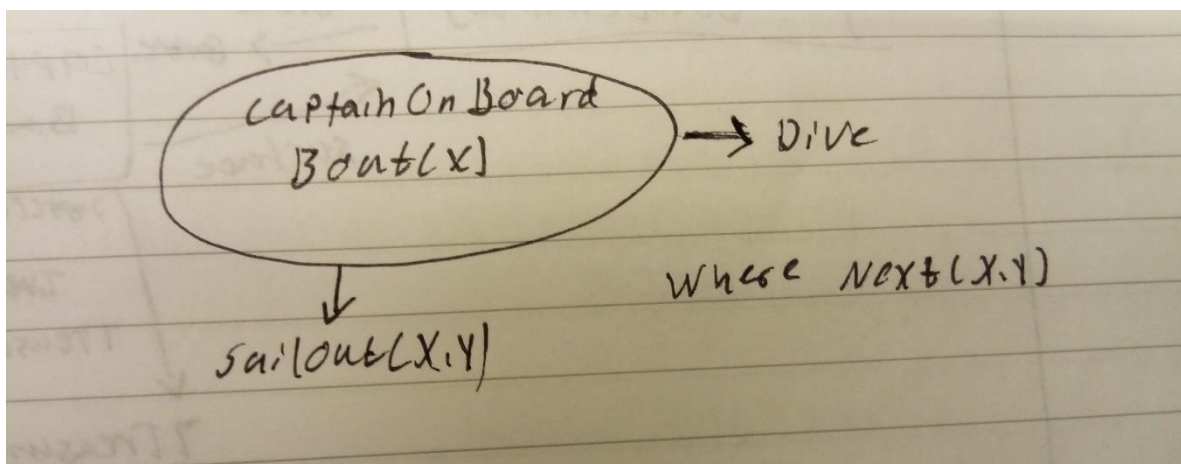
3.2

- Since we have $\text{Next}(\text{Green}, \text{Green})$ we have a loop that allows an infinite amount of action plans to exist. Moreover, there is no stopping the possibility for travelling between two destinations indefinitely. Giving infinite amount of action plans
- If $\text{Next}(\text{Green}, \text{Green})$ does not exist, the number of plans is limited. Every destination except Blue gives two possible action plans that still can lead to the satisfaction of the goal state. Blue only gives one possible action plans because a set of steps must be taken to pick up the coin. The amount is

$$6 * 2 + 1 = 13 \text{ action plans}$$
- The lowest number of steps required is 7



3.3

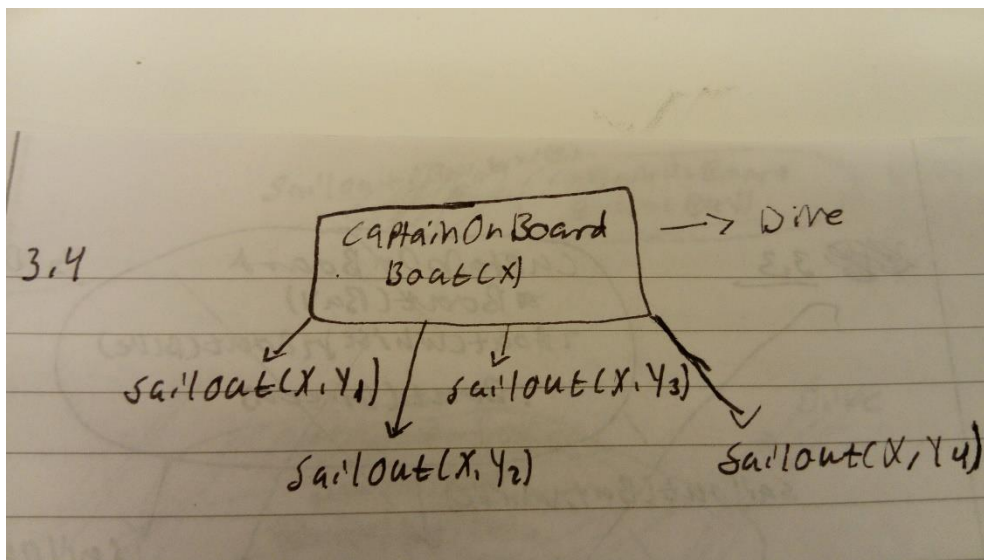


- 3 true fluents: $\text{Next}(\text{Bay}, \text{White})$, $\text{Next}(\text{White}, \text{Blue})$ and $\text{Next}(\text{Blue}, \text{Green})$

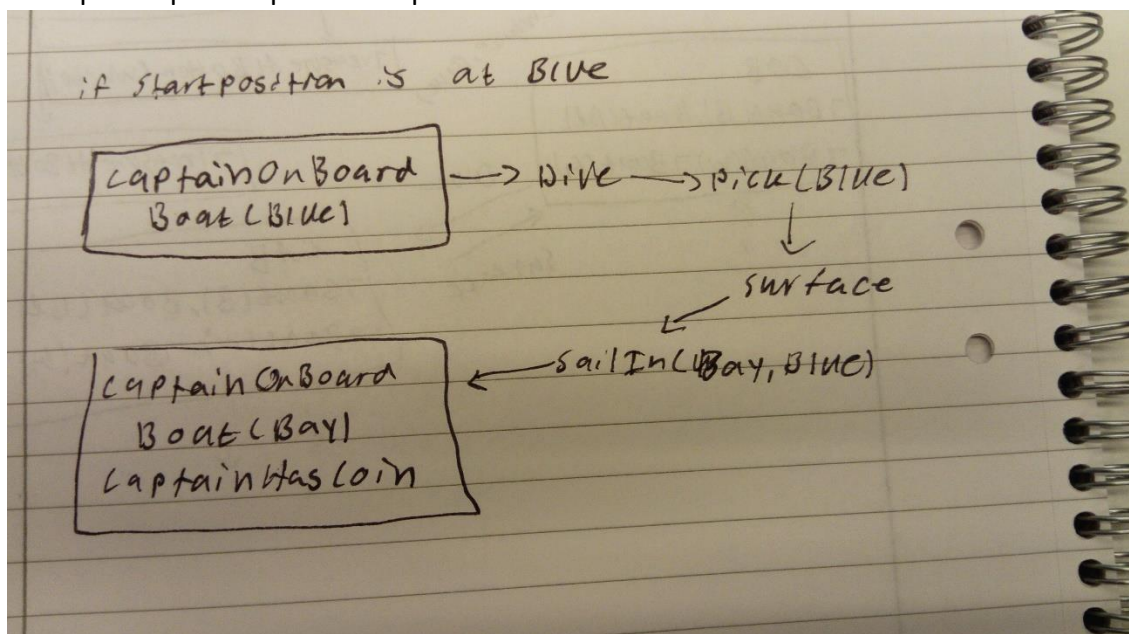
3 false fluents: $TreasureAtBottom(Bay)$, $TreasureAtBottom(White)$ and $TreasureAtBottom(Green)$

- There are four possible positions of the ship at the initial state, hence the initial belief state has 4 physical states
- There are no action plans that lead to goal state since the captain can never sail anywhere
- Since the captain cannot sail anywhere, there exist no action plan that is optimal

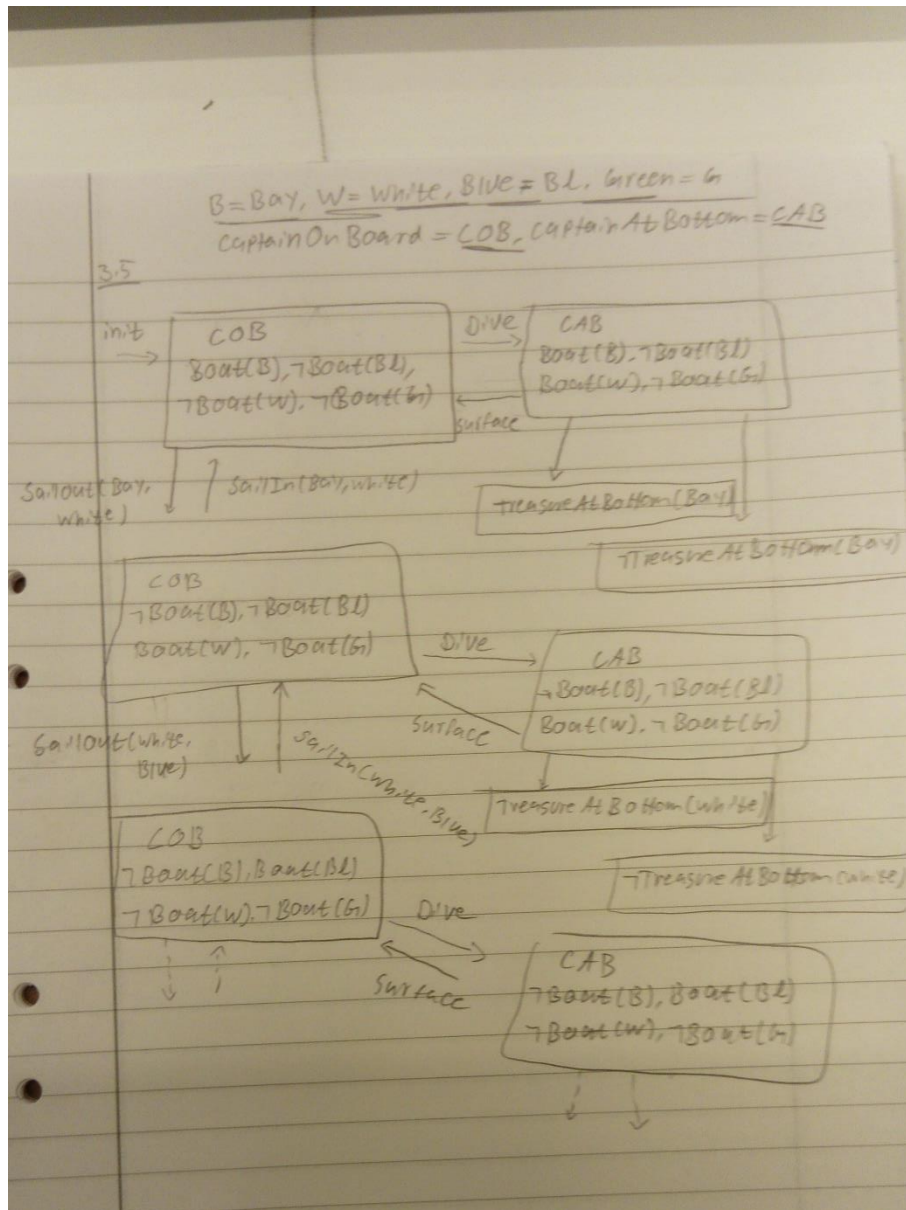
3.4



- 4 physical states
- Infinite number of action plans since loops exists
- The optimal plan requires 4 steps



3.5



```

• contingentPlan

CaptainOnBoard
Boat (Bay)

[ Dive,
  if percept (Bay)
    then [PickUp(Bay), surface] and NoOp ]
else [ surface ]

  SailOut (Bay, White),
  Dive,
  if percept (White)
    then [PickUp(White), surface] and NoOp ]
else [ surface ]

  SailOut (White, Blue),
  Dive,
  if percept (Blue)
    then [PickUp(Blue), surface] and NoOp ]
else [ surface ]

  SailOut (Blue, Green),
  Dive,
  if percept (Green)
    then [PickUp(Green), surface] and NoOp ]
else [ surface ]

```

4.1

In this task, we want a heuristic that is dependent on the number of steps that is required to complete the goal. The lower steps required the better.

- h1 has a heuristic of 6
- h2 has a heuristic of 36
- h3 has a heuristic of 26
- h4 has a heuristic of 36
- yes, h1 dominates h2 since its movements can be limited to pick and drop
- yes, h3 dominates h4 because h3 allows the robot to have a presence in the starting position despite moving from it which means the return steps are not needed
- no, since the only difference is that h2 also leave an object in the same position while picking it up.