

# MHA Statistics Course - Day 1

Pacific University

Dr. Chester Ismay  
Email: [chester@pacificu.edu](mailto:chester@pacificu.edu)

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Slides available at <http://bit.ly/mha17-day1>

# Workshop Agenda - Friday

- Part 1: Introduction
  - Overview of Statistics & Key Terms

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  - Tables
  - Different plots
  - Best plots for certain types of data

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- Part 2: Data Visualization
  - Tables
  - Different plots
  - Best plots for certain types of data
- Part 3: Data Summaries
  - Averages
  - Variability

# Workshop Agenda - Saturday

- Part 4: Simulating Randomness
  - Random sampling
  - Common terms of inference
  - Simulation
  - Sampling distribution

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  - Confidence intervals

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  - Sampling distribution
- Part 5: Inferential Statistics
  - Hypothesis testing
  - Confidence intervals
- Part 6: Workshop Review

# Learning objectives

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3. summarize data
4. simulate sampling of data
5. infer conclusions about data
6. interpret results about data
7. tell a story effectively with data

# Ice breaker

- Do you have experience with statistics? Explain, e.g., specific courses, comfort level with the subject.
- What do you expect from this workshop?

# Arthur Benjamin - Teach Statistics before Calculus!

- Reflect on Arthur Benjamin's TED Talk. What is your response to the question, "why study statistics?"
- Frame your response within the context of healthcare administration.

# Arthur Benjamin - Teach Statistics before Calculus!

- Reflect on Arthur Benjamin's TED Talk. What is your response to the question, "why study statistics?"
- Frame your response within the context of healthcare administration.
- How does statistics apply to your everyday life? To the world as a whole?

# First steps

Frequently the first thing you should do when given a dataset is to

- identify the observational unit,
- specify the variables, and
- give the types of variables you are presented with.

# Organizing data

Table 1. Example of a line listing for acute Hepatitis A\*

Case #	Report Date	Onset	Physician Diagnosis	Signs/Symptoms						Labs		Demographics	
				N	V	A	F	D	J	HAIgM	Other	Sex	Age
1	10/12/02	10/5/02	Hepatitis A	1	1	1	1	1	1	1	Low SGOT	M	37
2	10/12/02	10/4/02	Hepatitis A	1	0	1	1	1	1	1	Low Alt	M	62
3	10/13/02	10/4/02	Hepatitis A	1	0	1	1	1	1	1	Low SGOT	M	38
4	10/13/02	10/9/02	NA	0	0	1	0	?	0	NA	NA	F	44
5	10/15/02		Hepatitis A	1	1	1	1	1	0	1	Hbs/Ag-	M	17
6	10/16/02	10/6/02	Hepatitis A	0	0	1	1	1	1	1	SGOT=24	F	43

- identify the observational unit
- give the names of the variables
- specify the types of the variables (logical, numerical, categorical)

country	year	cases	population
Afghanistan	1999	745	1937071
Afghanistan	2000	2666	20395360
Brazil	1999	37737	172006362
Brazil	2000	80488	174604898
China	1999	212258	1272915272
China	2000	216766	1280426583

variables

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values

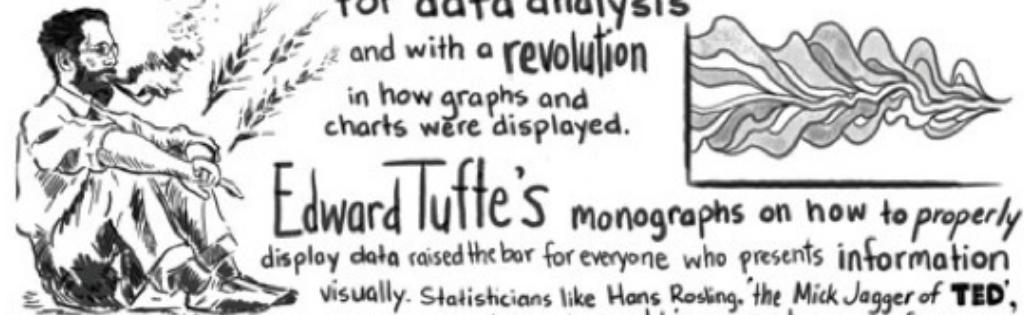
# So what is Statistics?

Statistics is a set of tools and techniques used for  
describing, organizing, and interpreting information  
or data

As far as I can tell this change in perception is already underway. It began with the introduction of computers

for data analysis

and with a revolution  
in how graphs and  
charts were displayed.



Edward Tufte's monographs on how to properly display data raised the bar for everyone who presents information visually. Statisticians like Hans Rosling, the Mick Jagger of TED, give popular talks at cutting-edge conferences.

Meanwhile, Google search is part of multiple statistical experiments. Algorithms constantly tweak ads shown based on how likely they are to get clicked.

Some of the coolest and HARDEST challenges, like the best route for delivery trucks or making the perfect movie recommendation, require deep knowledge of probability & inference.

Statisticians attack these problems with INCREDIBLY POWERFUL TOOLS like random forests, genetic algorithms, MCMC and Bayesian analysis.

According to The New York Times it's 'the sexy job' for the next 10 years.



# Why are tables an effective way to show data?

These slides available at <http://bit.ly/mha17-day1>

# Why are tables an effective way to show data?

- Help clarify exactly what information is most pertinent
- Exact values can be presented easily
- Often simpler to produce than a graphic
- Summarize frequencies and percentages well

# What are the most important features of this table?

**Table 11.1. Community Medical Center analysis showing patients discharged 12/1/20XX**

Name	Age	Clinical Service	Length of Stay
Smith	5	Surgical	1
Valdez	22	Obstetrical	1
Chu	26	Obstetrical	2
MacDuff	18	Obstetrical	3
Johnson	10	Surgical	7
O'Brien	80	Surgical	8
Lewandowski	35	Surgical	11
Jones	52	Medical	15
Shultz	69	Medical	37
Martini	49	Medical	42

Source: Community Medical Center.

# What are the most important features of any table?

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- Title: The title must explain as simply as possible what is contained in the table. The title should answer the questions:

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- Title: The title must explain as simply as possible what is contained in the table. The title should answer the questions:
  - What are the data? Are these percentages; frequencies?
  - Who? Who is the table about? For instance, are these for a certain service; a type of disease?
  - Where? For example, is this your hospital; the United States; or your state?
  - When? What is the time period?

# What are the most important features of this table?

- Stub heading: The title or heading of the first column
- Column headings: The headings or titles for the columns
- Stubs: The categories (the left-hand column of a table)
- Cells: The info formed by intersecting columns & rows
- Source footnote: The source for any factual data should be identified in a footnote.

**Table 11.2.** The essential components of a table

Title			
Stub Heading	Column Heading	Column Heading	Column Heading
Stub	Cell	Cell	Cell
Stub	Cell	Cell	Cell
Stub	Cell	Cell	Cell

# Frequency Distribution Tables

A frequency distribution shows the values that a variable can take and the number of observations associated with each value.

Example: The Utilization Review Committee is interested in knowing the admission days for patients in your hospital. To construct a frequency distribution, you would list the days of the week and then enter the observations or number of patients admitted on the corresponding day of the week.

**Table 11.4. Report illustrating sample frequency distribution table**

<b>Sample Frequency Distribution for Admission Day</b>	
<b>June 20XX</b>	
<b>Day of the Week</b>	<b>No. of Patients Admitted</b>
Sunday	20
Monday	29
Tuesday	28
Wednesday	12
Thursday	13
Friday	22
Saturday	<u>8</u>
<b>Total</b>	<b>132</b>

**Table 11.5. Report illustrating sample frequency distribution with proportion**

Sample Frequency Distribution for Admission Day June 20XX		
Day of the Week	No. of Patients Admitted	Proportion
Sunday	20	0.15
Monday	29	0.22
Tuesday	28	0.21
Wednesday	12	0.09
Thursday	13	0.10
Friday	22	0.17
Saturday	<u>8</u>	<u>0.06</u>
<b>Total</b>	<b>132</b>	<b>1.00</b>

# Rules for building tables

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# Rules for building tables

- Ranges of values should not overlap (1-10, 10-20, etc. for ages is bad)
- Try not to use fewer than four or more than ten categories
- Groupings should be well-defined
- Groupings should cover equal ranges (as much as possible)

## BREAK TIME

The table below lists the patients seen last month at Community Hospital with their age and cholesterol reading. Create a table using common age categories and these ranges for cholesterol:

Desirable  $\leq 199$

Borderline High 200–239

High  $\geq 240$

<b>Age</b>	<b>Cholesterol</b>	<b>Age</b>	<b>Cholesterol</b>	<b>Age</b>	<b>Cholesterol</b>	<b>Age</b>	<b>Cholesterol</b>
14	118	44	138	38	165	56	185
80	139	47	204	18	142	20	200
42	187	48	236	62	139	45	241
37	201	25	186	37	202	63	175
23	107	56	201	32	207	70	188
24	109	47	198	17	157	42	239
67	132	20	210	55	238	55	175
55	235	43	248	13	134	61	168
52	185	50	137	44	239	53	173

The following table shows a frequency distribution of patients with colon cancer treated at Community Hospital. Compute the proportion of patients in each category.

**Community Hospital**  
**Ages of Patients with Colon Cancer**  
**Annual Statistics, 20XX**

<b>Age</b>	<b>No. of Patients</b>	<b>Proportion</b>
≤ 30	3	
31–40	12	
41–50	18	
51–60	60	
61–70	65	
71+	48	

# Unfortunately, tables are... BORING

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Hans Rosling's 200 Countries, 200 Years, 4 Minutes

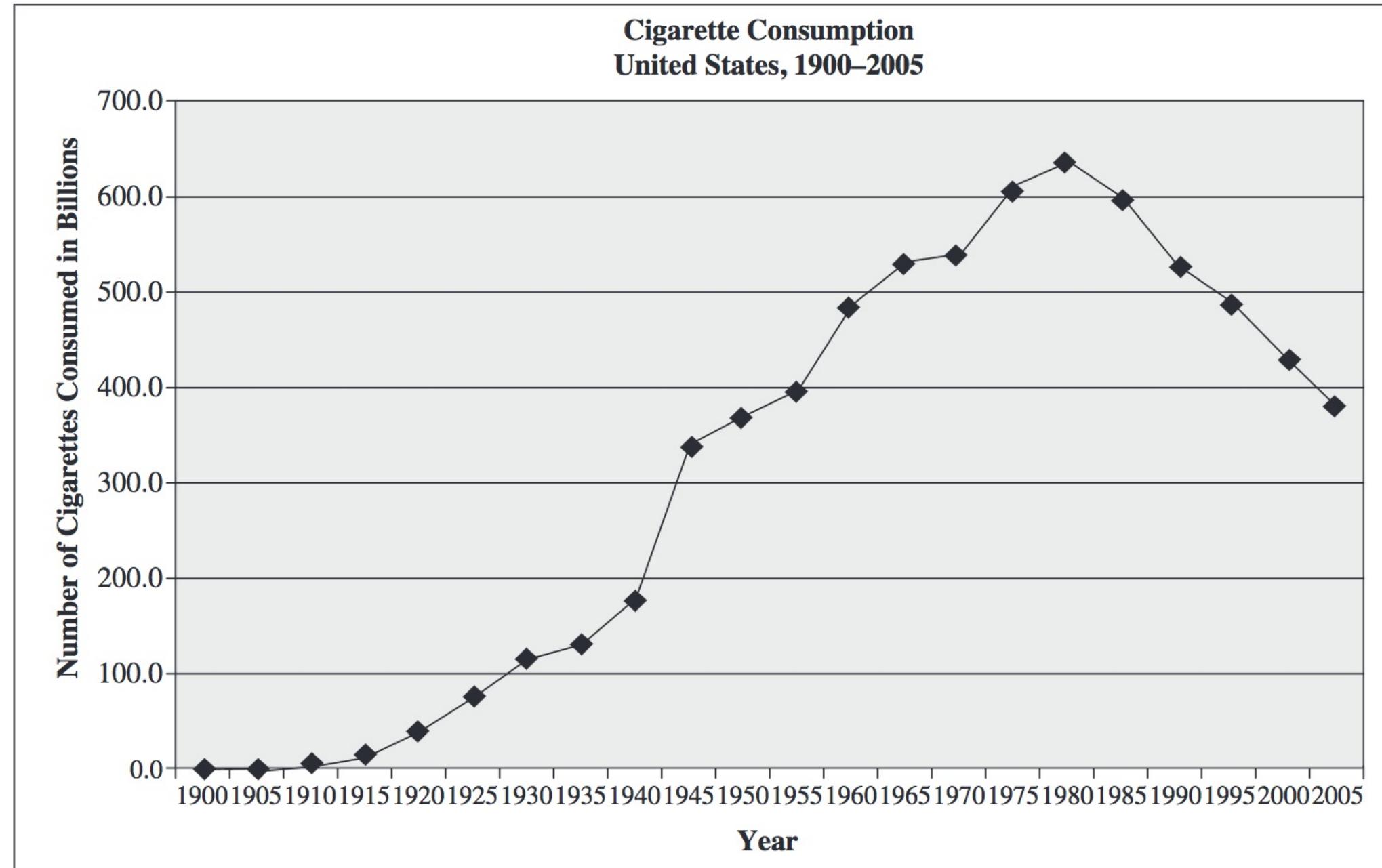
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# What are general guidelines for creating effective plots?

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- The title must relate to what the graph is displaying.
- When a variable has multiple levels included on the same graph, each should be identified by using a legend or key.
- The plot should be oriented in the way we read & expect
- Axes are labeled clearly (with units)

**Figure 11.1.** Scale captions on a graph



# Most common types of plots

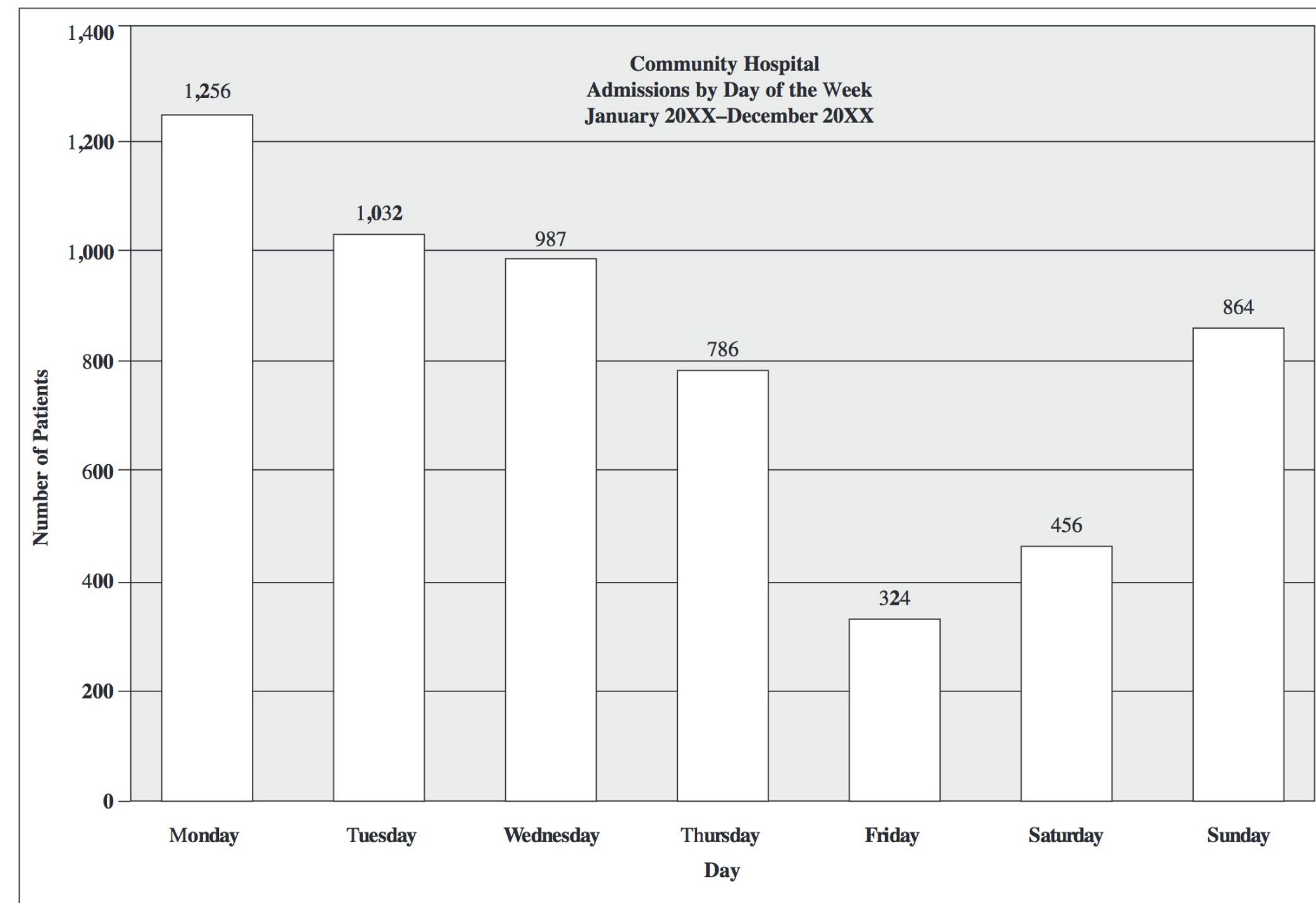
- Bar graphs
- Histograms
- Boxplots
- Scatter plots
- Line graphs

# Bar graphs

- Appropriate for displaying categorical data

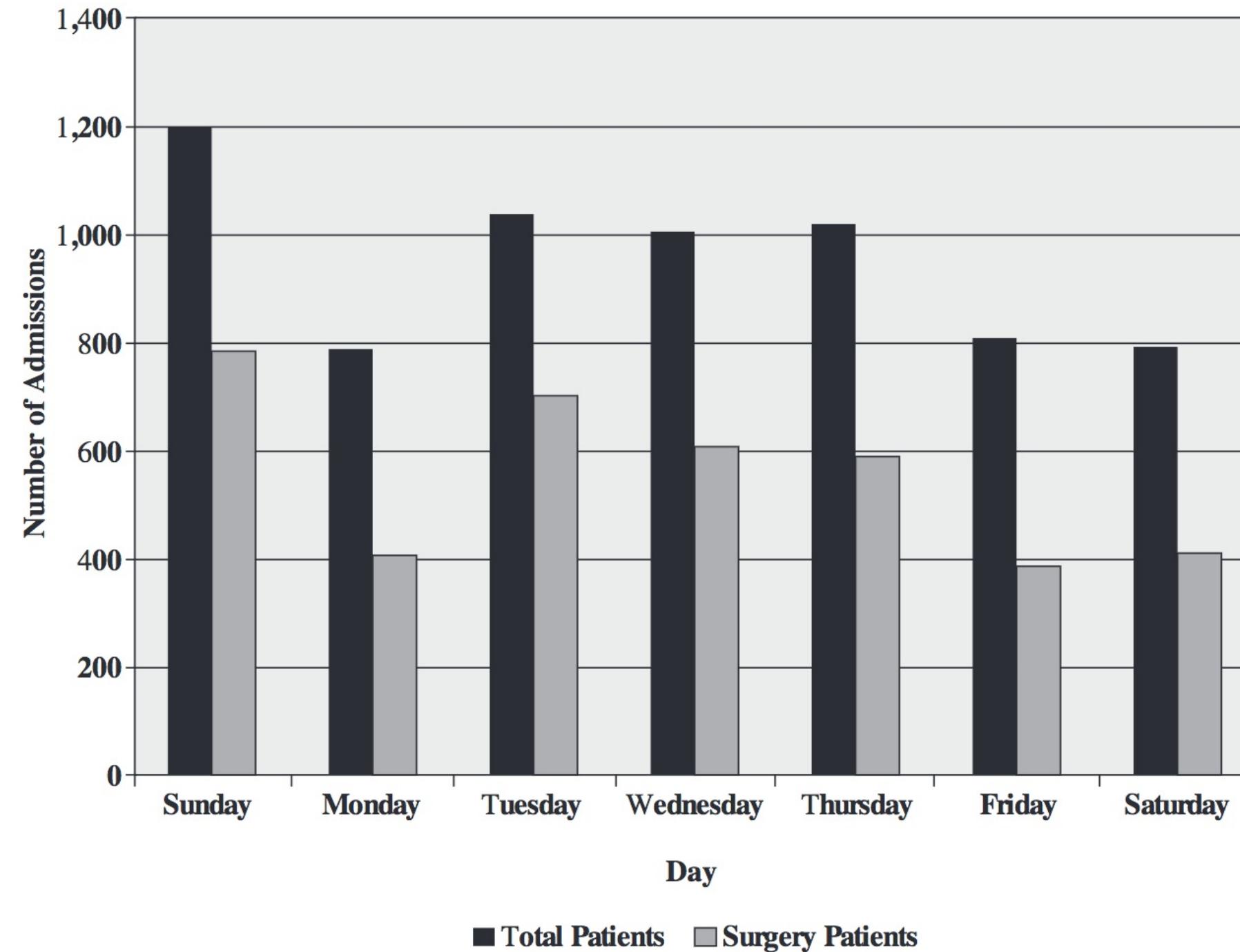
# Bar graphs

- Appropriate for displaying categorical data
- Usually display either the count or the percentage of each level of one or more categorical variables



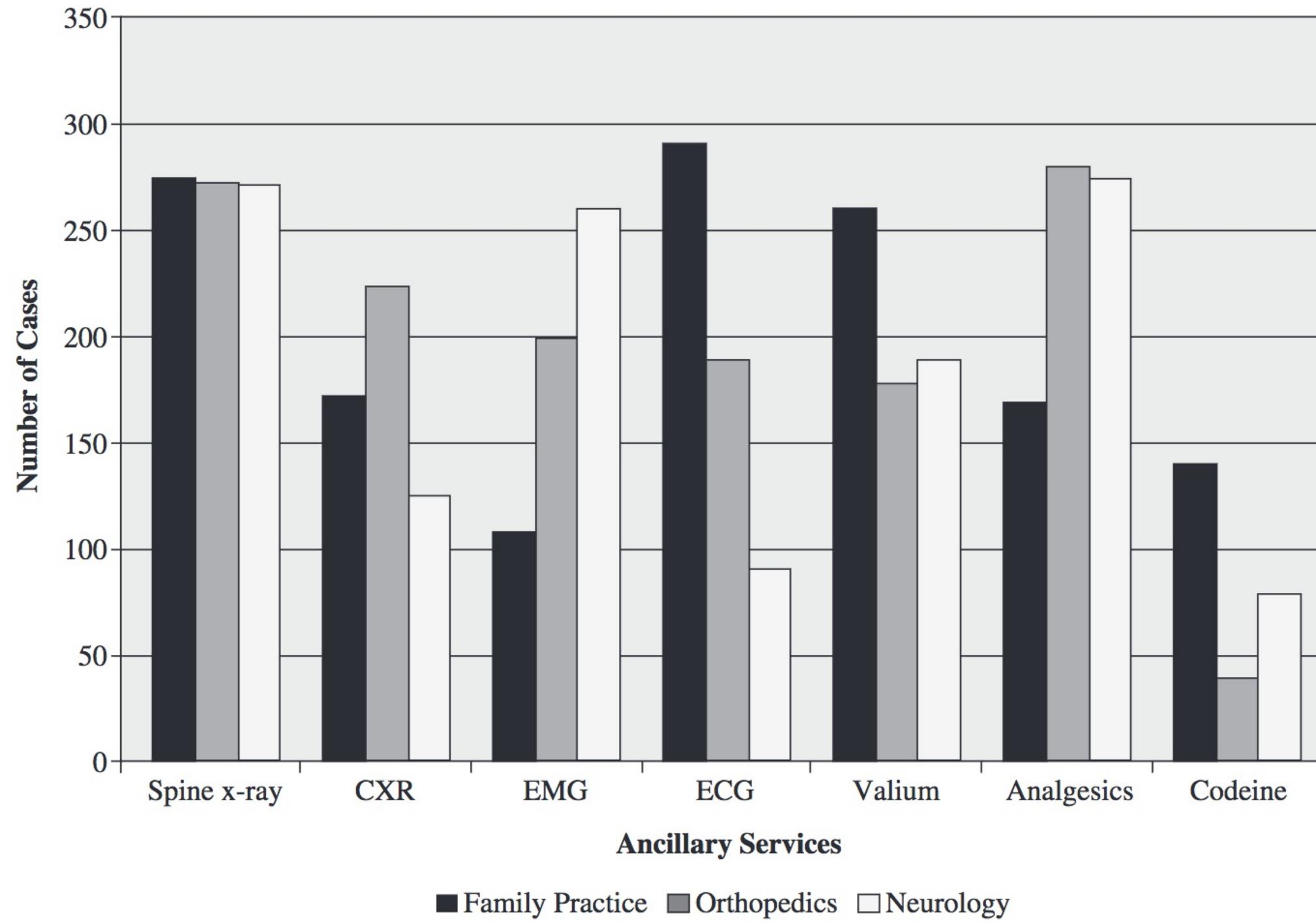
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**Community Hospital**  
**Admissions by Day of Week**  
**First Quarter Statistics, 20XX**



These slides available at <http://bit.ly/mha17-day1>

**MS-DRG 552—Medical Back Problems without MCC**  
**Ancillary Services Used**  
**Annual Statistics, 20XX**



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# Histograms

- Used to display frequency distributions for continuous numerical data

# Histograms

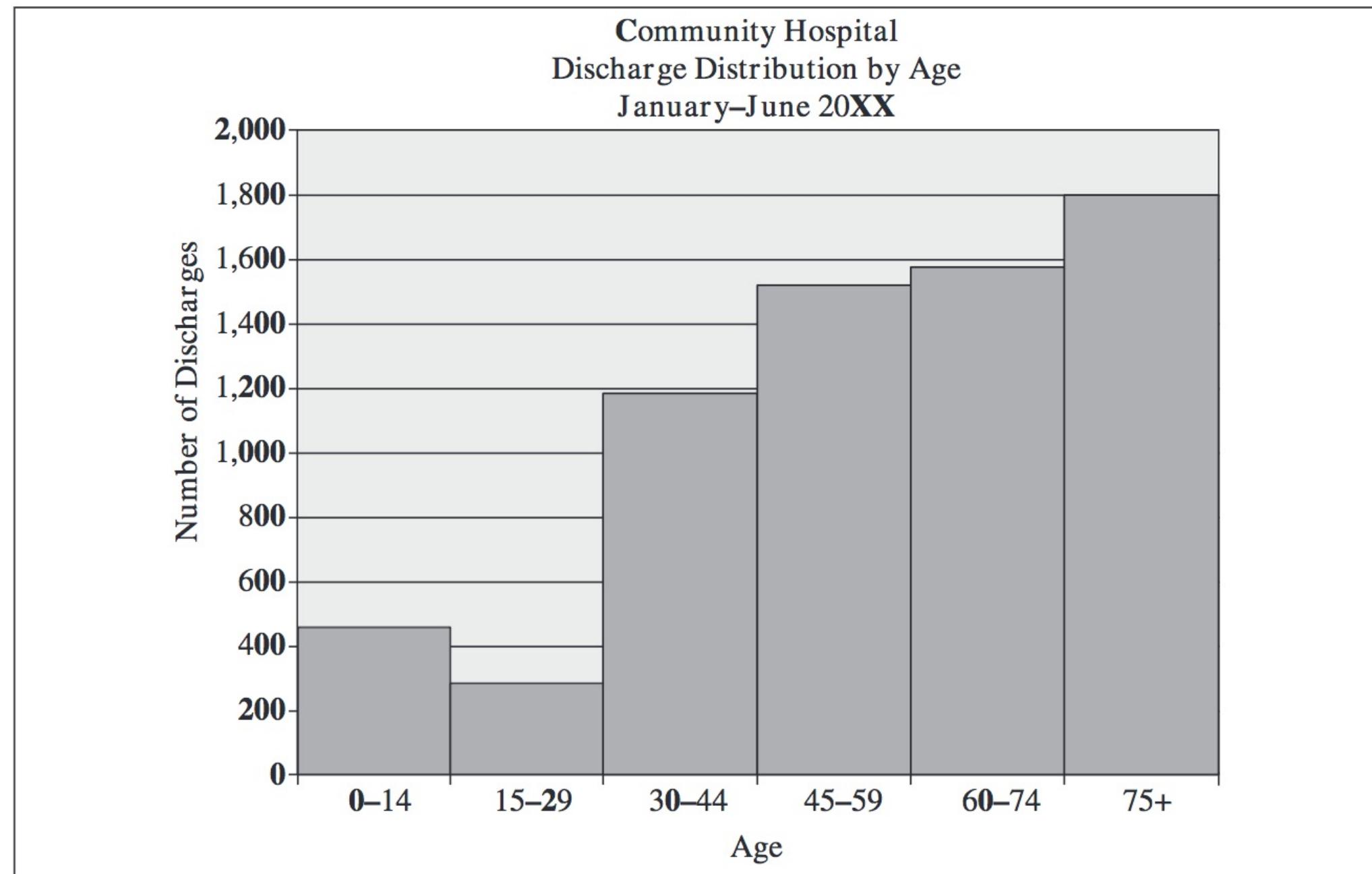
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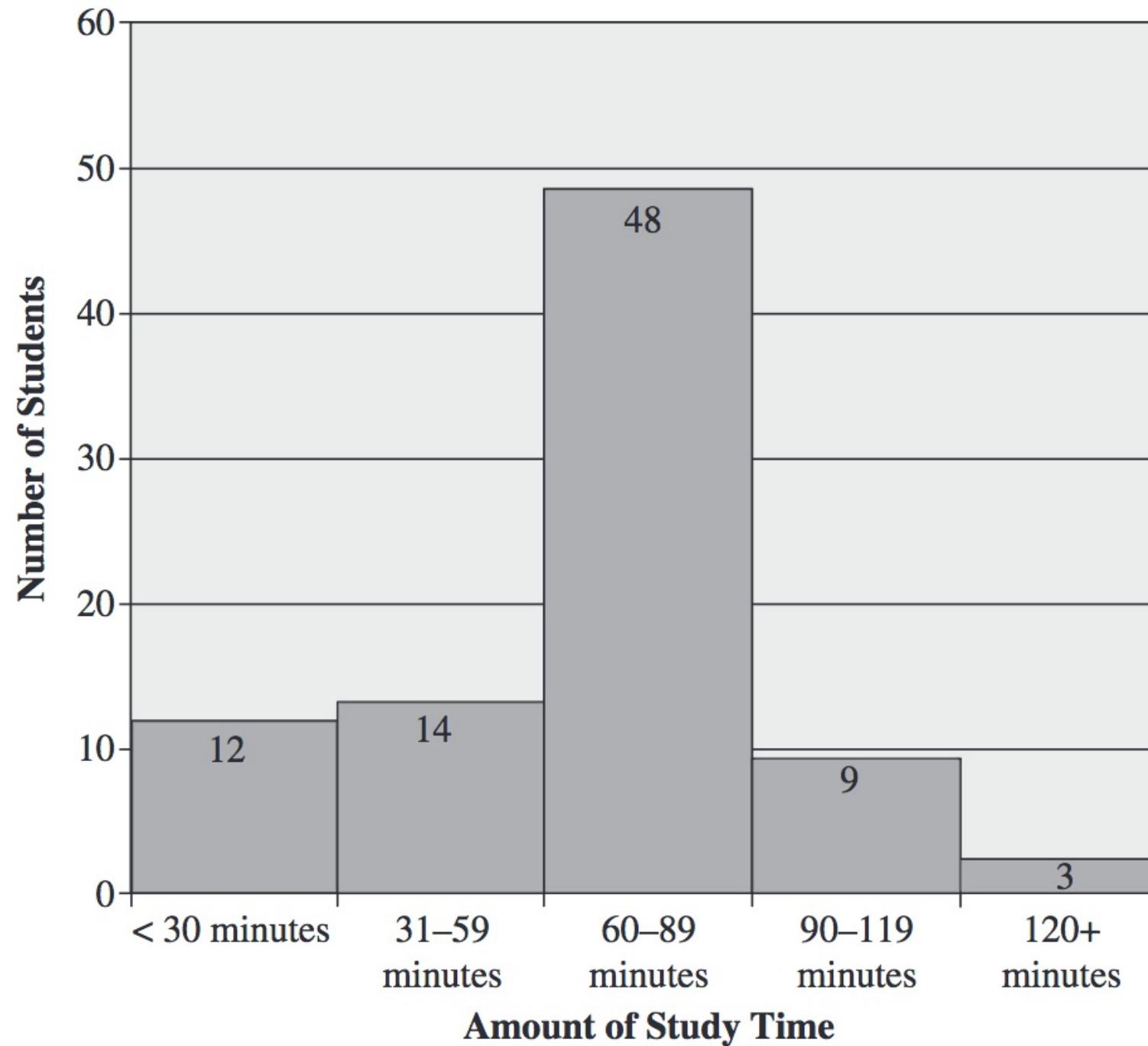
# Histograms

- Used to display frequency distributions for continuous numerical data
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- bars should be of equal width



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### **Study Time per Day for Health Information Students**

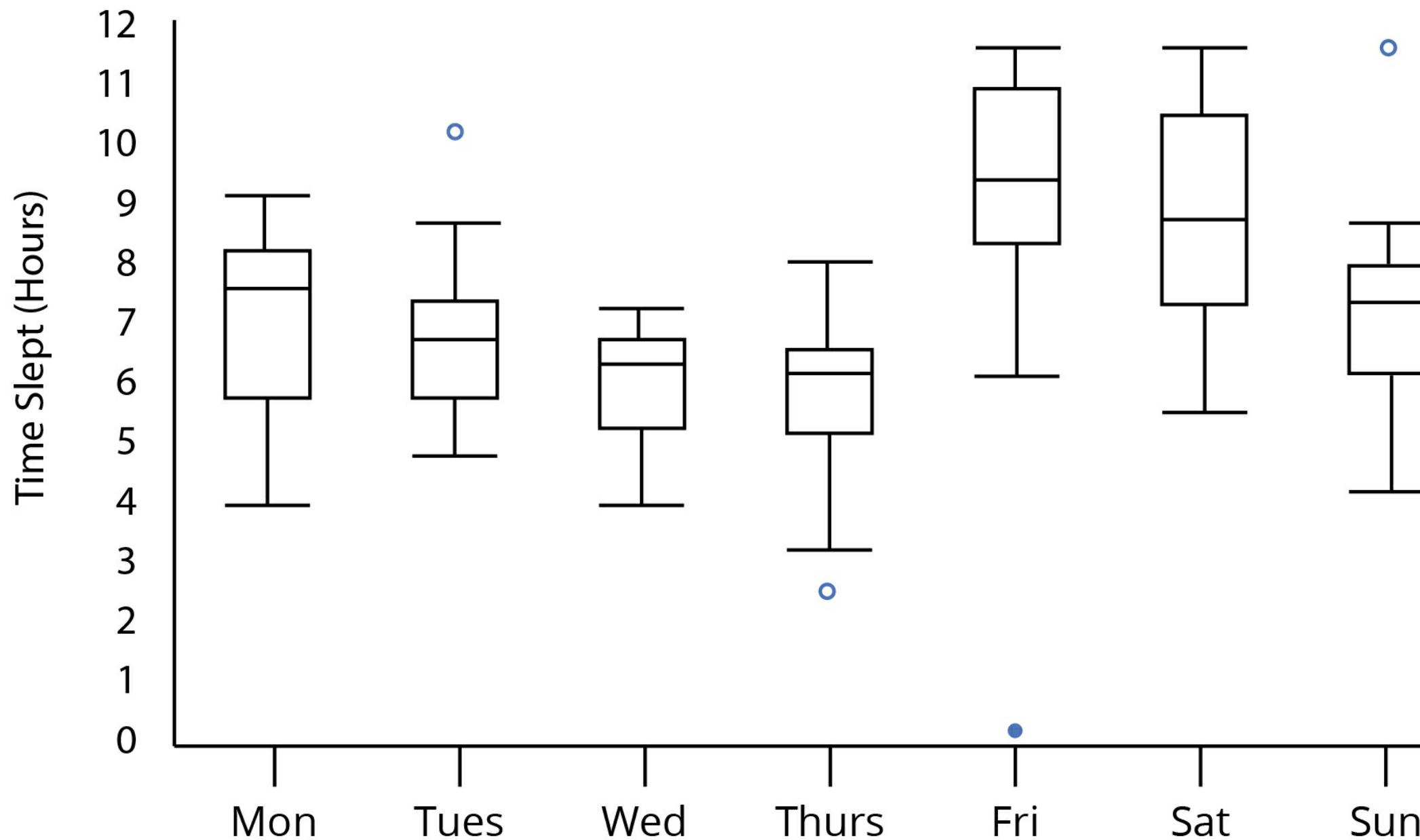


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# Boxplot

- Displays the distribution of a continuous variable based on quantiles
- Can be used to compare the distribution of a continuous variables across the groups of a categorical variable

## Time slept versus day of the week for a college professor



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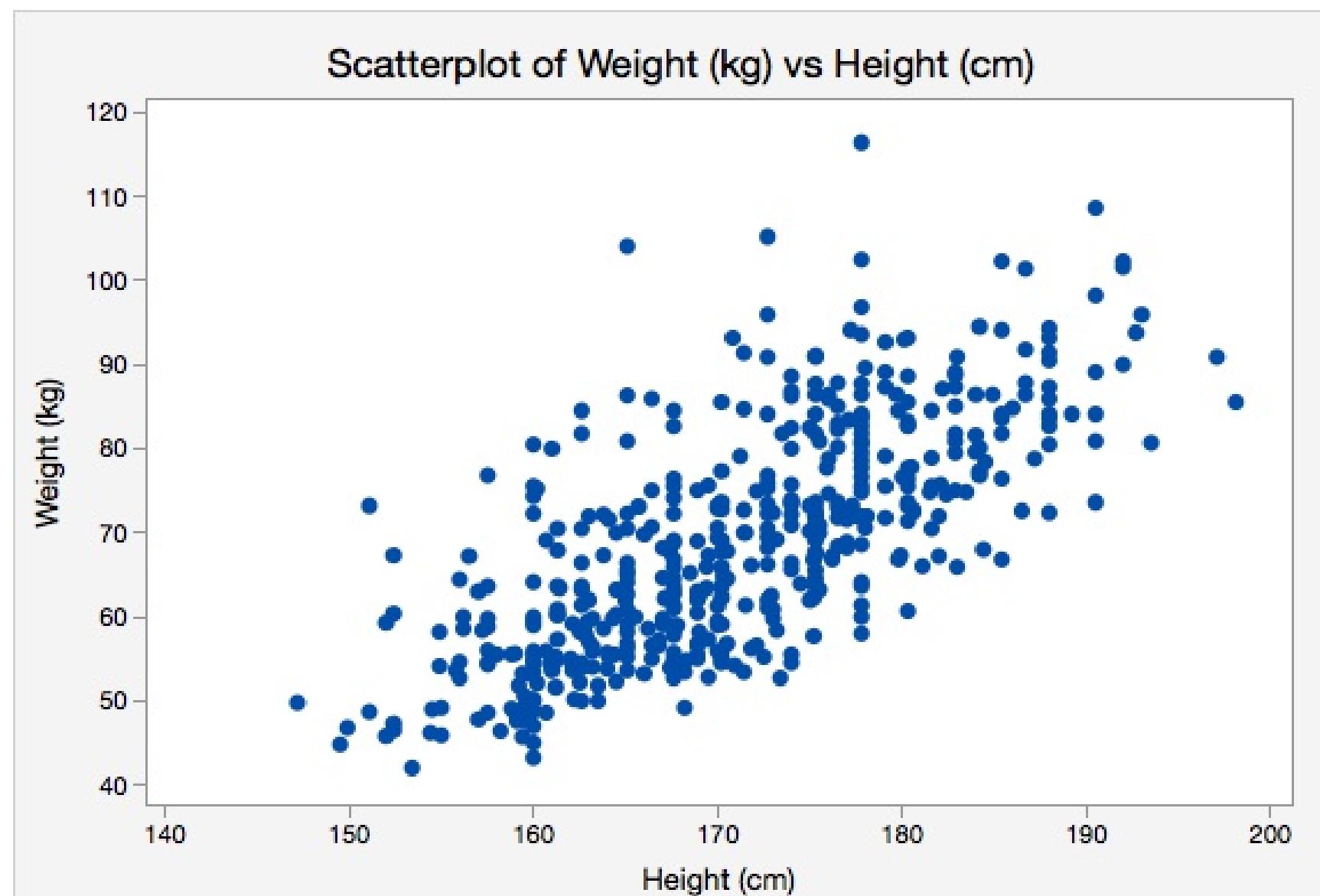
# Scatter plots

- Shows the relationship between two numerical variables

# Scatter plots

- Shows the relationship between two numerical variables
- Helps to identify whether a linear correlation exists between the variables or not

# Weight versus height for British adults



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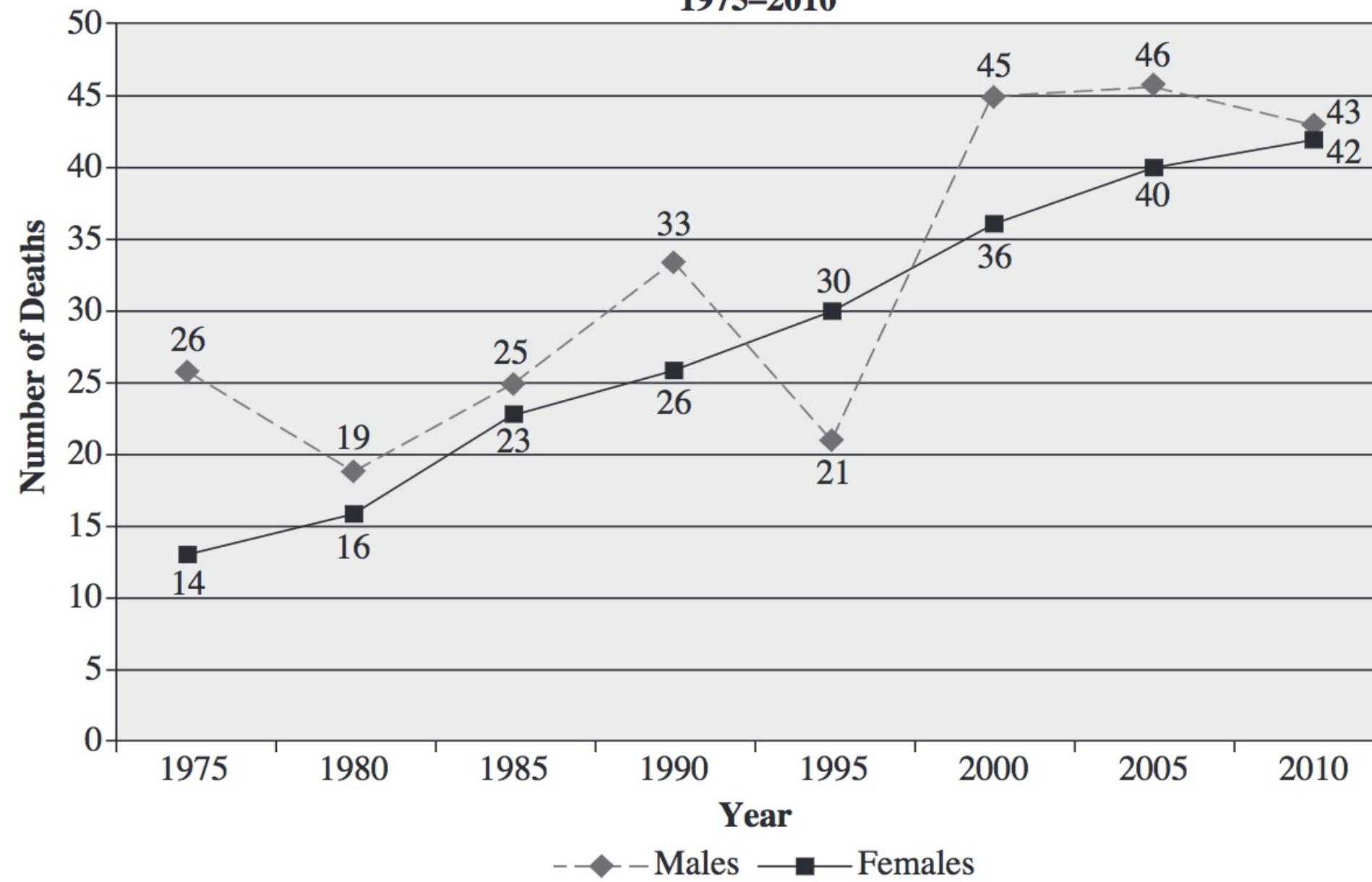
# Line graphs

- Most frequently used when time is the predictor variable

# Line graphs

- Most frequently used when time is the predictor variable
- There must be only one measurement (response value) for each value of time given for each group

**Community Hospital**  
**Deaths from Lung Cancer by Gender**  
**1975–2010**



# BREAK TIME

Indicate whether a table or a graph is the preferred method of presentation in the following situations:

- a. Distribution by site, sex, race, and time period of all cancers in your healthcare facility
- b. Survival trends over time by sex for lung cancer
- c. Display of prostate cancer stage of disease for a presentation at a professional conference
- d. Detailed treatment distribution of breast cancer for a physician on the staff of your hospital

# What type of plot is most appropriate for this data?

In September 2011, Community Hospital discharged 120 patients.

- 82 patients were discharged home
- 10 patients were discharged home with follow-up home health
- 6 patients died
- 11 patients were transferred to a skilled nursing facility
- 3 patients were transferred to another acute care facility
- 8 patients were transferred to a rehabilitation hospital

# What type of plot is most appropriate?

**University Hospital  
Cancer Registry Data  
Lung and Bronchus Cancer  
by Year and Gender**

<b>Year</b>	<b>Males</b>	<b>Females</b>
1994	112	48
1995	121	47
1996	130	49
1997	123	50
1998	121	54
1999	131	55
2000	150	60
2001	155	65
2002	173	72
2003	171	75
2004	172	80
2005	171	83
2006	170	87
2007	168	93
2008	165	120
2009	169	118
2010	175	121
2011	172	120

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# Shifting gears

## Descriptive Statistics

- Used to organize and describe the characteristics of a data set

## Inferential Statistics

- Used to make inferences from a sample to a population

**Descriptive** statistics include any treatment of data that does not involve generalizations, predictions, or estimations. Once generalizations, estimations, and predictions are involved, the analysis is **inferential**.

# Summarizing data

## Measures of Central Tendency

- The AVERAGE is a single score that best represents a set of scores
- Another name for AVERAGE is *measure of central tendency*

### MEASURES OF CENTRAL TENDENCY

MEAN

MEDIAN

MODE

# Computing the Mean

1. List the entire set of values in one or more columns
2. Compute the sum or total of all the values
3. Divide the total or sum by the number of values

Example: Use these data to calculate the average wage rate of the employees.

Employee	Hours	Wage
1	20	\$15.00
2	40	\$18.00
3	35	\$12.00
4	30	\$20.00
5	37	\$14.00
6	25	\$23.00

Sum

$$\$15 + \$18 + \$12 + \$20 + \$14 + \$23 = \$102$$

Divide by  $n$

$$\$102/6 = \$17 \text{ average wage rate}$$

# Computing the Mean

mean = sum of all scores/number of scores

$$\bar{X} = \frac{\sum X}{n}$$

Symbol	Meaning
$\bar{X}$	(X Bar) is the mean value of the group of scores
$\Sigma$	(sigma) tells you to add together whatever follows it
$X$	is each individual score in the group
$n$	is the sample size

# Things to remember about the mean

- The sample mean is a measure of central tendency that best represents the population mean ( $n$  = sample size,  $N$  = population size)

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- The sample mean is a measure of central tendency that best represents the population mean ( $n$  = sample size,  $N$  = population size)
- The mean is the centermost point where all values on one side of the mean are equal in weight to all values on the other side of the mean
- The mean is VERY sensitive to extreme scores (outliers) that can "skew" or distort findings

# Median

- Point at which 50% of scores fall below it and 50% fall above it

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  1. List the values, in order, either from highest to lowest or lowest to highest.

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- Because the median cares about the number of cases, extreme scores (i.e., outliers) do not impact it
- Steps in finding the median
  1. List the values, in order, either from highest to lowest or lowest to highest.
  2. Find the middle-most score. That's the median.
    - What if there are two middle scores?
    - What if the two middle scores are the same?

# Percentiles

- Divide data in 100 equal parts

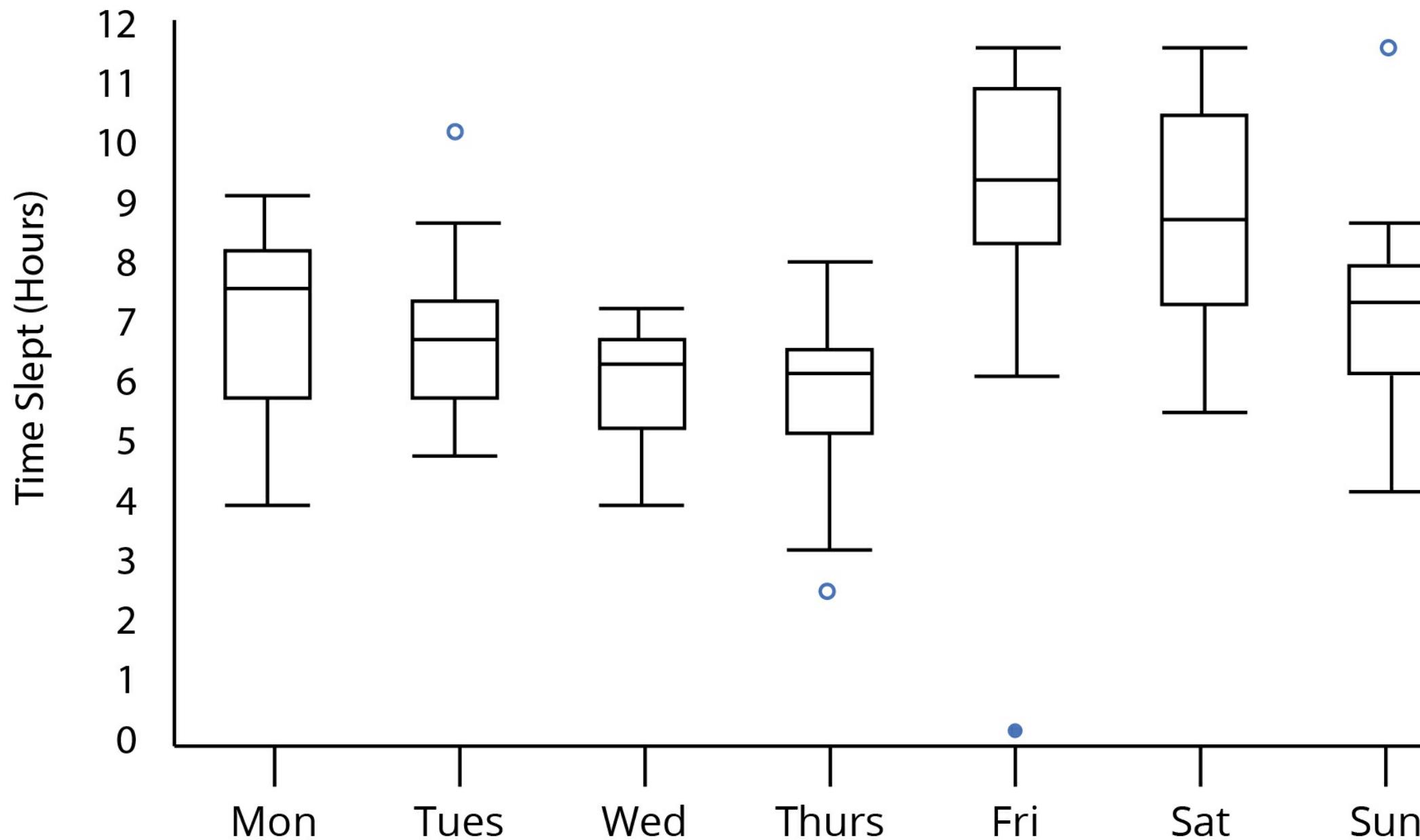
# Percentiles

- Divide data in 100 equal parts
- Percentile ranks are used to define percent of cases equal to and below a certain point on a distribution
  - 75th percentile – means that the score received is at or above 75% of all other scores in the distribution
  - Median is always at the 50th percentile

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- Relates to what is plotted on a boxplot

## Time slept versus day of the week for a college professor



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# Mode

- Mode = most frequently occurring score
- When two values occur the same number of times, we have a bimodal distribution
- Steps to finding the mode
  1. List all values in the distribution
  2. Tally the number of times each value occurs
  3. The value occurring the most is the mode

## When to use what...

- Use the mode when the data are qualitative, categorical, or nominal (e.g., eye color, political party) and values can only fit into one category (i.e., mutually-exclusive)

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# When to use what...

- Use the mode when the data are qualitative, categorical, or nominal (e.g., eye color, political party) and values can only fit into one category (i.e., mutually-exclusive)
- Use the median when you have extreme (numerical) scores
- Use the mean when the data does not include extreme scores (i.e., outliers) and are not categorical

# Importance of variability

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- Usually measured relative to mean or median

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- Measures of variability (aka spread, dispersion)
  - Range
  - Standard deviation
- Note: You typically report the average and the variability together to describe a distribution

# Computing the range

- Range is the most general estimate of variability
- $range = h - l$

where  $h$  is highest numerical value and  
 $l$  is lowest numerical value

# Computing standard deviation

## 1. Calculate the mean

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# Computing standard deviation

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2. Subtract the mean from each observation, and square the difference
3. Sum the squared difference
4. Divide the sum of the squared differences by  $n - 1$
5. Take the square root of the value obtained in step 4 (the result is the standard deviation)

# Computing standard deviation

- Commonly denoted as  $SD$  or  $s$  for the sample standard deviation.  $\sigma$  for the population standard deviation.

$$s = \sqrt{\frac{\sum(X - \bar{X})}{n - 1}}$$

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- Only works well for data that does not have outliers. Why?

# Practice

Incubation periods for hepatitis A:

27, 31, 15, 30, 22 days

Calculate the standard deviation

# Practice

- Sum the squared differences

$$\text{Sum} = 4 + 36 + 100 + 25 + 9 = 174$$

- Divide the sum of the squared differences by  $(n - 1)$ .  
This is the variance.

$$\text{Variance} = 174 / (5 - 1) = 174 / 4 = 43.5 \text{ days squared}$$

- Take the square root of the variance. The result is the standard deviation.

$$\text{Standard deviation} = \text{square root of } 43.5 = 6.6 \text{ days}$$

# Practice

- Sum the squared differences

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- Divide the sum of the squared differences by  $(n - 1)$ .  
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$$\text{Standard deviation} = \text{square root of } 43.5 = 6.6 \text{ days}$$

How do we interpret this result?

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# Things to remember

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- Standard deviation is computed as the average distance from the mean
- The larger the standard deviation the more spread out the values are
- Like the mean, the standard deviation is sensitive to extreme scores
- If  $s = 0$ , then there is no variability among scores and the scores are identical in value

# Analogy for Mean and Standard Deviation

- The site for a new school was selected because it provides a central location. An alternative site on the west side of town was considered, but rejected because it would require extensive busing for students living on the east side. The location represents the mean; just as the school is located at the center of town, the mean is located in the center of a distribution of scores.

# Analogy for Mean and Standard Deviation

- For each student, it is possible to measure the distance between home and the new school. Some students live only a few blocks from the new school and others live as much as 3 miles away. Let's say the average distance a student must travel to school was calculated to be 0.8 miles. The average distance from school represents standard deviation, which measures the standard distance from an individual score to the mean.

# FINAL BREAK

Use the information below to find your percentile. Your score is 86.

## Test Scores out of 100 Points

95	97
99	74
84	91
65	94
54	89
35	88
86	56
77	96
76	27
100	75
92	93

## More practice

1. Fourteen patients have the following LOS: 1, 4, 4, 2, 5, 16, 3, 3, 1, 6, 4, 5, 7, and 2. Compute the mean, median, and mode.
2. A student's 10 scores on 10-point class quizzes include a 6, a 7, a 4, five 9s, an 8, and a 10. The student claims that her average grade on quizzes is 9 because most of her scores are 9s. Is this correct? Explain.
3. Last month, 10 patients between the ages of 11 and 13 were seen in their pediatrician's clinic. Their heights were recorded as 50, 56, 59, 51, 53, 51, 50, 52, 54 and 51 inches. Determine the mean, median, and mode.

# More practice

The following sample report from a cancer registry shows the SDs of weights for 20 males with adenocarcinoma of the rectum. Validate the calculations used in the report.

Weights of Males with Adenocarcinoma of Rectum			
Patient	Weight lbs. ( $X$ )	$(X - \bar{X})$	$(X - \bar{X})^2$
1	142	-30	900
2	148	-24	576
3	151	-21	441
4	155	-17	289
5	155	-17	289
6	158	-14	196
7	164	-8	64
8	165	-7	49
9	170	-2	4
10	173	1	1
11	175	3	9
12	175	3	9
13	175	3	9
14	183	11	121
15	185	13	169
16	186	14	196
17	189	17	289
18	193	21	441
19	198	26	676
20	200	28	784
<b>Total</b>	<b>20</b>	<b>3,440</b>	<b>5,512</b>

\* $SD = 17.0$ ;  $s^2 = \frac{5,512}{19} = 290.1$ ; mean = 172; and  $N - 1 = 19$

These slides available at <http://bit.ly/mha17-day1>

# Resources

- **ModernDive: An Introduction to Statistical and Data Sciences via R**
- Horton, L. A. (2012). Calculating and Reporting Healthcare Statistics. Chicago, Ill: AHIMA Press.

These slides available at <http://bit.ly/mha17-day1>

# Thanks!

- Slides created via the R package `xaringan` by Yihui Xie.
- Email me at [chester@pacificu.edu](mailto:chester@pacificu.edu)
- Source code for these slides is on [GitHub](#)

These slides available at <http://bit.ly/mha17-day1>