MATH WORKSHOP

For Parents

8 April 2022





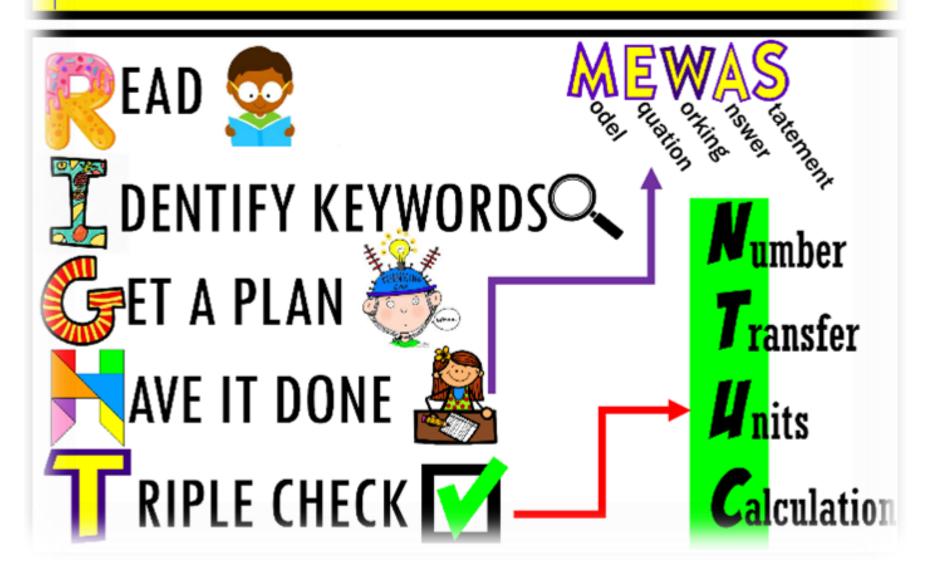
By: Mrs Tay Yuyan

PROBLEM SOLVING



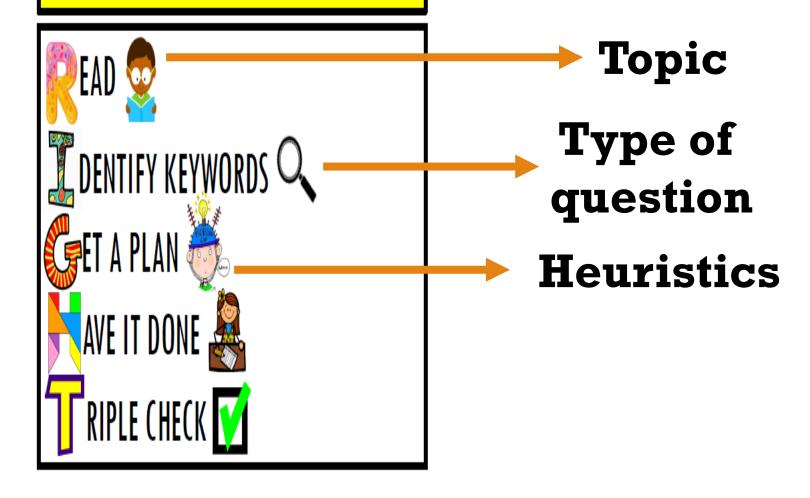
Solving problems to learn math

PROBLEM SOLVING STRATEGIES





PROBLEM SOLVING STRATEGY

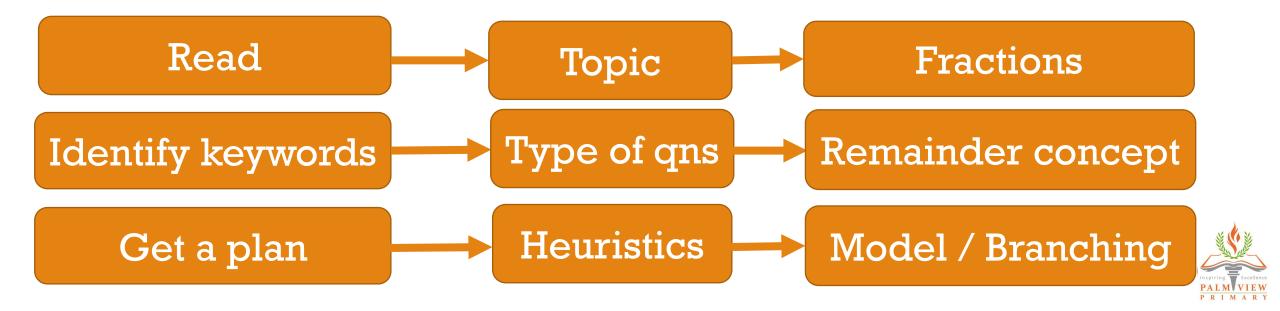




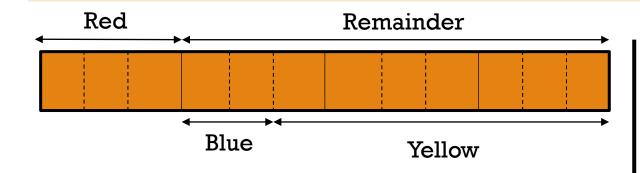
QUESTION 1

PSLE 2017 PAPER 1 Q28 (2 MARKS)

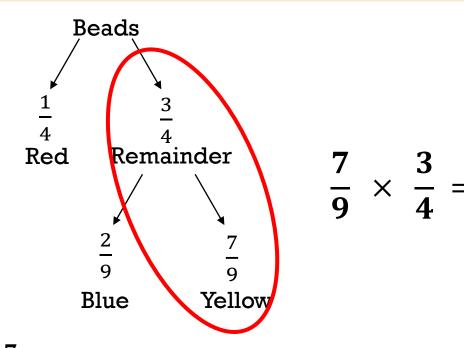
A box contains red, blue and yellow beads. $\frac{1}{4}$ of the beads are red. $\frac{2}{9}$ of the remaining beads are blue. What fraction of the beads in the box are yellow?



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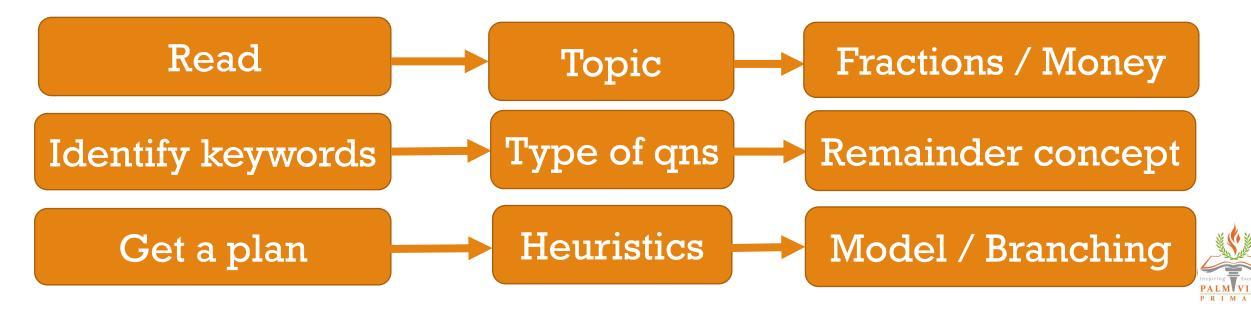
 $\frac{7}{12}$ of the beads in the box are yellow.



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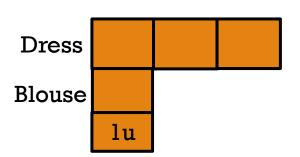
- (a) What fraction of Mrs Wu's money was spent on each blouse?
- (b) How much money did Mrs Wu have at first?





(a) What fraction of Mrs Wu's money was spent on each blouse?

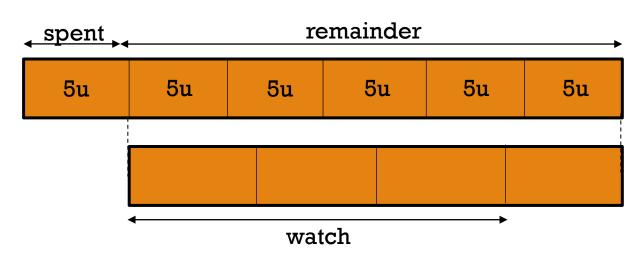




(a) $\frac{1}{30}$ of Mrs Wu's money was spent on each blouse.



(b) How much money did Mrs Wu have at first?



(b) Mrs Wu had \$420 at first.

(watch)
$$\frac{3}{4}$$
 x 25u = 18.75u
(diff btw watch & dress) 18.75u – 3u
= 15.75u

Dress

Blouse

$$15.75u = $220.50$$

$$1u = $220.50 \div 15.75$$

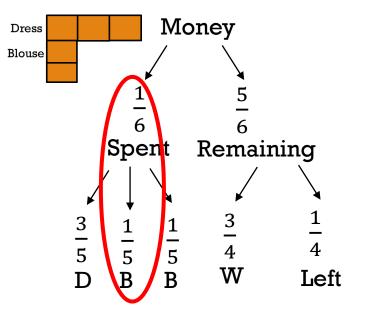
$$= $14$$

$$30u = $14 \times 30$$

$$= $420$$



(a) What fraction of Mrs Wu's money was spent on each blouse?

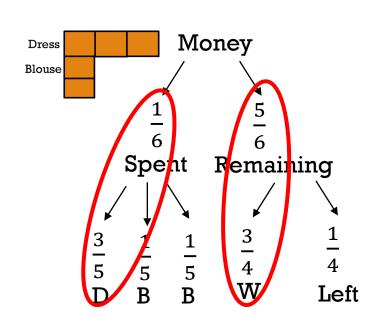


$$\frac{1}{5} \times \frac{1}{6} = \frac{1}{30}$$

(a) $\frac{1}{20}$ of Mrs Wu's money was spent on each blouse.



(b) How much did Mrs Wu have at first?



$$(\text{dress}) \frac{3}{5} \times \frac{1}{6} = \frac{1}{10}$$

(b) Mrs Wu had \$420 at first.

(watch)
$$\frac{3}{4} \times \frac{5}{6} = \frac{5}{8}$$

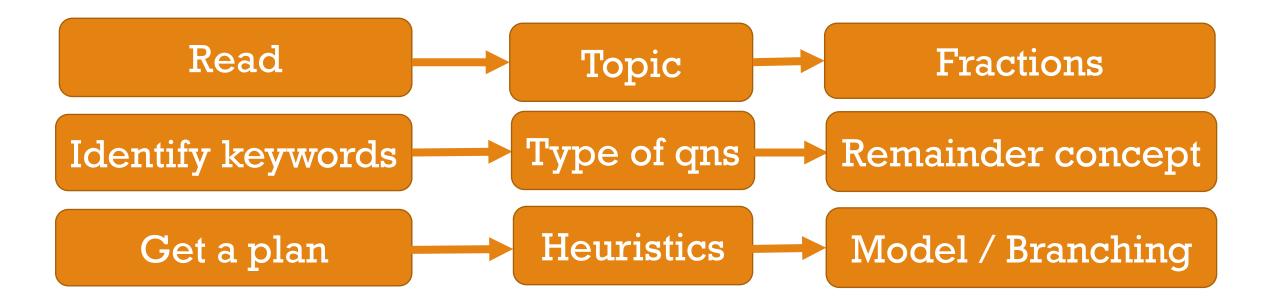
(diff btw watch & dress)
$$\frac{5}{8} - \frac{1}{10} = \frac{21}{40}$$

$$\frac{21}{40}$$
 of money = \$220.50

$$\frac{1}{40}$$
 of money = \$220.50 ÷ 21 = \$10.50

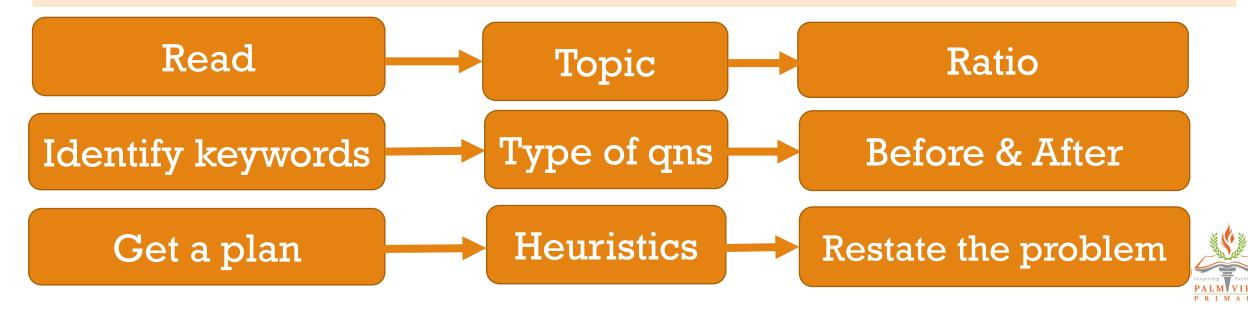
$$\frac{40}{40}$$
 of money = \$10.50 × 40 = \$420







The ratio of the number of angelfish to that of a clownfish in an aquarium was 5:4 at first. After 3 clownfish were sold, the ratio of the number of angelfish to that of clownfish became 4:3. What was the total number of clownfish in the aquarium at first?



The ratio of the number of angelfish to that of a clownfish in an aquarium was 5:4 at first. After 3 clownfish were sold, the ratio of the number of angelfish to that of clownfish became 4:3. What was the total number of clownfish in the

aquarium at first?

What remained unchanged?

The total number of clownfish at first was 48.



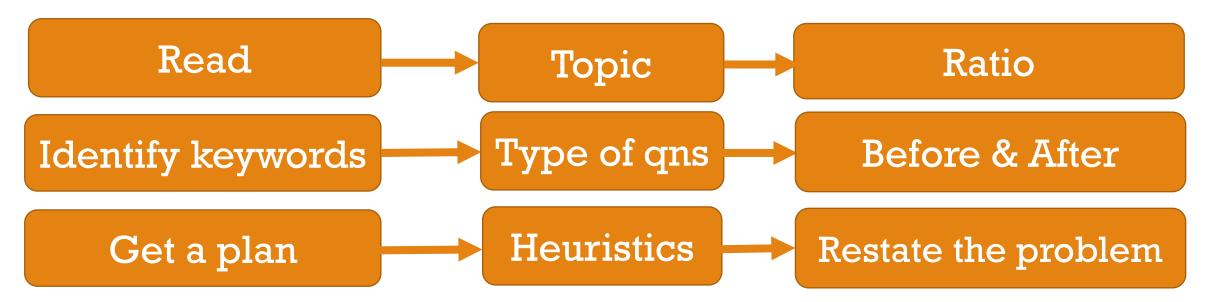
At first, the ratio of the number of boys to the number of girls in a chess club was 4:1. After 6 boys and 6 girls joined the club, the ratio became 3:1.

(a)Did the percentage of members who are boys increase, decrease or remain the same? Show your working clearly. (b) In the end, how many boys were there in the club?



OUESTION 4 PSLE 2019 PAPER 2 Q10 (3 MARKS)

At first, the ratio of the number of boys to the number of girls in a chess club was 4:1. After 6 boys and 6 girls joined the club, the ratio became 3:1.





At first, the ratio of the number of boys to the number of girls in a chess club was 4:1. After 6 boys and 6 girls joined the club, the ratio became 3:1.

(a) Did the percentage of members who are boys increase, decrease or remain the same? Show your working clearly.

(a) The percentage of members who are boys decreased.



What remained unchanged?

At first, the ratio of the number of boys to the number of girls in a chess club was 4:1. After 6 boys and 6 girls joined the club, the ratio became 3:1.

(b) In the end, how many boys were there in the club?

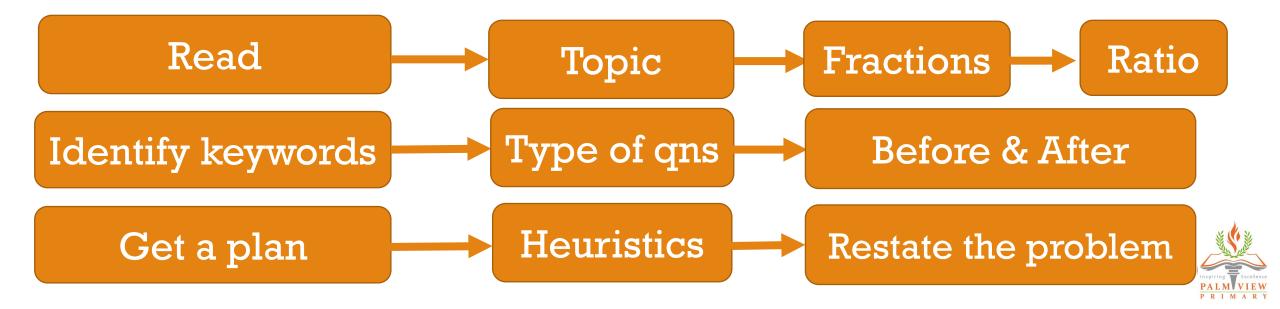
 $9u = 9 \times 6$

= 54

(b) In the end, there were 54 boys in the club.



Mr Lim had a total of 540 long and short rulers. After selling an equal number of both types, he had $\frac{1}{3}$ of the long rulers and $\frac{1}{6}$ of the short ones left. What was the total number of rulers left?



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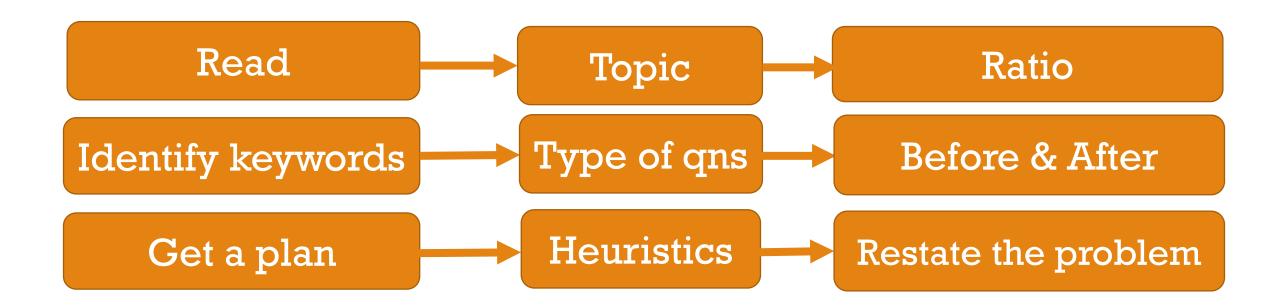
What remained the same?

$$27u = 540$$

 $1u = 540 \div 27 = 20$
 $7u = 7 \times 20 = 140$

The total number of rulers left was <u>140</u>.





What remained unchanged?

What remained the same?



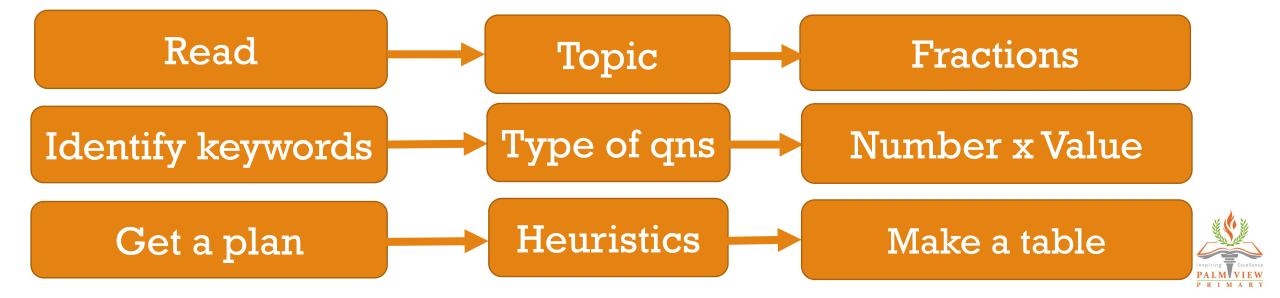
At a walkathon, each participant completed either a 3-km route, a 5km route or an 8-km route. $\frac{1}{4}$ of the participants completed the 3-km route, $\frac{9}{20}$ of the participants completed the 5-km route and the rest completed the 8-km route. For every 1 km a participant walked, \$4 was donated to charity. A total of \$8208 was donated to charity.

- (a) What is the ratio of the number of participants who completed the 3-km route to the number who completed the 5-km route to the number who completed the 8-km route?
- (b) What is the total number of participants at the walkathon?



OUESTION 6 PSLE 2017 PAPER 2 Q15 (4 MARKS)

At a walkathon, each participant completed either a 3-km route, a 5km route or an 8-km route. $\frac{1}{4}$ of the participants completed the 3-km route, $\frac{9}{20}$ of the participants completed the 5-km route and the rest completed the 8-km route. For every 1 km a participant walked, \$4 was donated to charity. A total of \$8208 was donated to charity.



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3-km route $\Rightarrow \frac{1}{4}$ of participants = $\frac{5}{20}$ of participants

5-km route $\Rightarrow \frac{9}{20}$ of participants

8-km route
$$\rightarrow 1 - \frac{1}{4} - \frac{9}{20} = \frac{6}{20}$$

The ratio is 5:9:6.



At a walkathon, each participant completed either a 3-km route, a 5-km route or an 8-km route. $\frac{1}{4}$ of the participants completed the 3-km route, $\frac{9}{20}$ of the participants completed the 5-km route and the rest completed the 8-km route. For every 1 km a participant walked, \$4 was donated to charity. A total of \$8208 was donated to charity. (b) What is the total number of participants at the walkathon?

	Number (No. of participants)	Value (Distance)	Total (Total distance)
3-km route	5u	l participant = 3 km	$5 \times 3 \text{ km} = 15 \text{ km}$
5-km route	9u	l participant = 5 km	$9 \times 5 \text{ km} = 45 \text{ km}$
8-km route	6u	l participant = 8 km	$6 \times 8 \text{ km} = 48 \text{ km}$

 $\frac{1 \text{ group}}{\text{(No. of participants) } 5 + 9 + 6 = 20}$ (Dist walked) 15 + 45 + 48 = 108

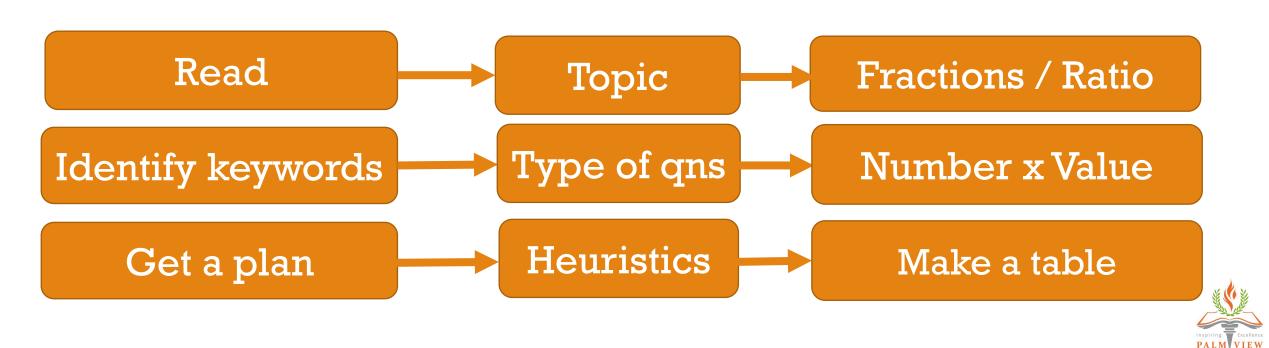
(Dist walked by all participants) $\$8208 \div \$4 = 2052$ (No. of groups) $2052 \div 108 = 19$ (Total no. of participants) $19 \times 20 = 380$



The total number of participants at the walkathon is 380.

OUESTION 7 PSLE 2020 PAPER 2 Q14 (3 MARKS)

Andy saved a total of \$108 in coins in his coin box. $\frac{2}{3}$ of the coins saved were one-dollar coins. There were 3 times as many one-dollar coins as fifty-cent coins. The remaining coins were twenty-cent coins. How many coins did Andy save in the coin box altogether?



Andy saved a total of \$108 in coins in his coin box. $\frac{2}{3}$ of the coins saved were one-dollar coins. There were 3 times as many one-dollar coins as fifty-cent coins. The remaining coins were twenty-cent coins. How many coins did Andy save in the coin box altogether?

\$1 coins : 50-cent & 20-cent coins : total \$1 coins : 50-cent coins \times 3 : 1 \times 3 : 1 \times 2 \times 6 : 9 \times 6 : 2

\$1 coins: 50-cent coins: 20-cent coins

6: 2:]

	Number (No. of coins)	Value (Value of coins)	Total (Total value)
\$1 coins	6u	1 coin = \$1	$6 \times \$1 = \6
50-cent coins	2u	1 coin = 50 ¢	$2 \times 50 c = 1$
20-cent coins	lu	1 coin = 20 ¢	$1 \times 20 $ = \$0.20

 $\frac{1 \text{ group}}{\text{(No. of coins) } 6 + 2 + 1 = 9}$ (Value of coins) \$6 + \$1 + \$0.20 = \$7.20

(No. of groups) $$108 \div $7.20 = 15$ (Total no. of coins) $15 \times 9 = 135$

Andy saved $\underline{135}$ coins in the coin box altogether.



OUESTION 8 PSLE 2021 PAPER 2 Q14 (4 MARKS)

The table shows the prices of tickets for a concert.

Туре	Age	Price per ticket
Adult	Below 60 years	\$16
	60 years and above	\$11
Child	Below 16 years	\$7

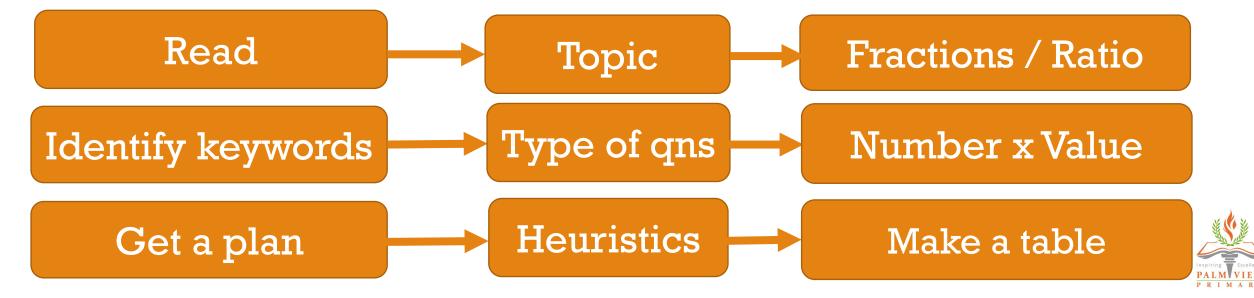
The number of adult tickets sold was 5 times the number of child tickets sold. $\frac{5}{9}$ of the adult tickets sold were for adults aged below 60 years. A total of \$5589 was collected from the sale of tickets.

- (a) What fraction of the tickets sold were for adults aged 60 years and above?
- (b) What was the total number of tickets sold?

The table shows the prices of tickets for a concert.

Туре	Age	Price per ticket
Adult	Below 60 years	\$16
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(a) What fraction of the tickets sold were for adults aged 60 years and above?

adult : child Below 60 : 60 & above : adults

×8 5 : 1 5 : 3 : 8

Below 60:60 & above:child:total

25 : 15 : 8 : 48

(a) $\frac{5}{16}$ of the tickets sold were for adults aged 60 and above.

The table shows the prices of tickets for a concert.

Туре	Age	Price per ticket
Adult	Below 60 years	\$16
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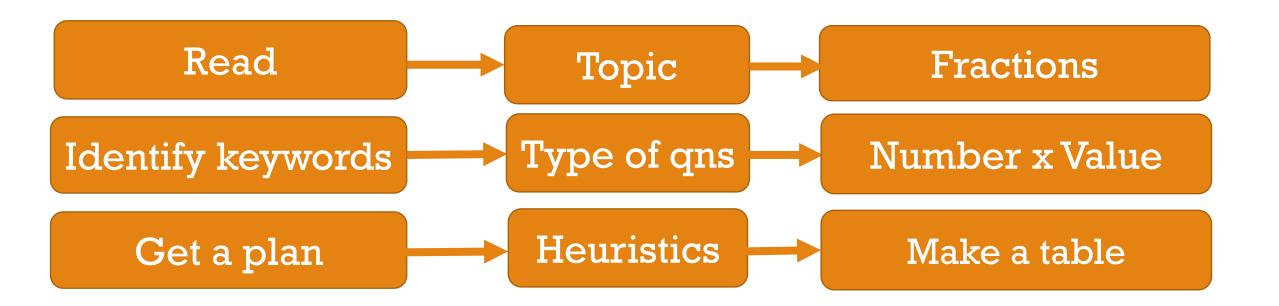
The number of adult tickets sold was 5 times the number of child tickets sold. $\frac{5}{8}$ of the adult tickets sold were for adults aged below 60 years. A total of \$5589 was collected from the sale of tickets. (b) What was the total number of tickets sold?

	Number (No. of tic)	Value (Value of tic)	Total (Total value)
Below 60	25u	1 ticket = \$16	$25 \times $16 = 400
60 & above	15u	1 ticket = \$11	$15 \times \$11 = \165
Child	8u	1 ticket = \$7	8 x \$7 = \$56

 $\frac{1 \text{ group}}{\text{(No. of tic) } 25 + 15 + 8 = 48}$ (Value of tic) \$400 + \$165 + \$56 = \$621

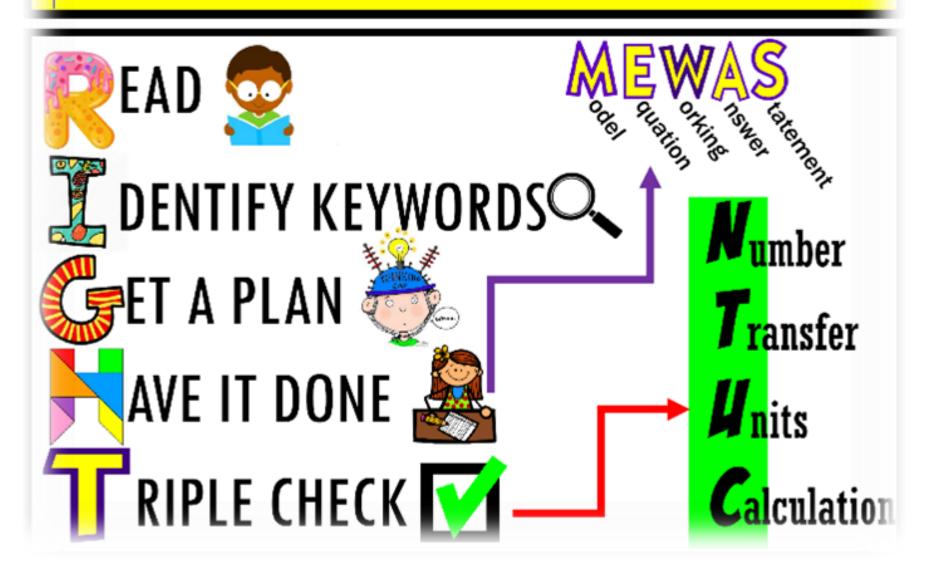
(No. of groups) $$5589 \div $621 = 9$ (Total no. of tic) $9 \times 48 = 432$

The total number of tickets sold was 432.





PROBLEM SOLVING STRATEGIES





MATH AROUND US



Learning math to solve problems

solving problems to learn math

learning math to solve problems



