DL - LAB 08 Answers - IT21161742

Git repo - "IT21226632/DL_Lab_08 (github.com)"

Markov Decision Process (MDP)

Modifications

```
[ ] def iterativePolicyEvaluation(mdp, policy, numIterations=10):
        U = np.zeros(len(mdp.S))
        U old = copy.copy(U)
        for t in range(numIterations):
            for s0 in range(len(mdp.S)):
                U[s0] = mdp.R[s0,policy] + mdp.discount*sum([mdp.T[s0,policy,s1]*U_old[s1] for s1 in
            U_old = copy.copy(U)
        return U
    numIterations = 5
    pl.figure(figsize=(15,3))
    pl.suptitle('Utilities', fontsize=15)
    for a in range(4):
        pl.subplot(1,4,a+1)
        U = iterativePolicyEvaluation(mdp=mdp, policy=a, numIterations=numIterations)
        mdp.gridPlot(ax=pl.gca(), im=U.reshape(10,10), title='a='+mdp.A[a], cmap='jet')
    pl.show()
    #print(np.round(U.reshape(10,10),3))
```

```
[ ] def policyIteration(mdp, numIterations=1):
        U_pi_k = np.zeros(len(mdp.S)) #initial values
        pi_k = np.random.randint(low=0,high=4,size=len(mdp.S),dtype=int) #initial policy
        pi_kp1 = copy.copy(pi_k)
        for t in range(numIterations):
            #Policy evaluation: compute U_pi_k
              #type your code here
              U_pi_k_temp = copy.copy(U_pi_k)
              pi_k = copy.copy(pi_kp1)
              for s0 in range(len(mdp.S)):
                U_pi_k[s0] = mdp.R[s0,pi_k[s0]] + mdp.discount*np.sum(mdp.T[s0,pi_k[s0],:]*U_pi_k_te
            #Policy improvement
              #type your code here
              for s0 in range(len(mdp.S)):
                pi_kp1[s0] = np.argmax([mdp.R[s0,a] + mdp.discount*np.sum(mdp.T[s0,a,:]*U_pi_k[:]) f
        return U_pi_k, pi_kp1
    U_pi_k, pi_kp1 = policyIteration(mdp, numIterations=2)
```

```
#Value iteration
def valueIteration(mdp, numIterations=1):
    U = np.zeros(len(mdp.S))
    U_old = copy.copy(U)
    for t in range(numIterations):
        for s0 in range(len(mdp.S)):
            U[s0] = max([mdp.R[s0,a] + mdp.discount*np.sum(mdp.T[s0,a,:]*U_old[:])) for a in np.a
        U_old = copy.copy(U)
    return U
def policyExtration(mdp, U):
    policy = np.zeros(len(mdp.S))
    #type your code here
    for s0 in range(len(mdp.S)):
        policy[s0] = np.argmax([mdp.R[s0,a] + mdp.discount*np.sum(mdp.T[s0,a,:]*U[:]) for a in n
    return policy
U = valueIteration(mdp, numIterations=2)
policy = policyExtration(mdp, U=U)
pl.figure(figsize=(3,3))
mdp.gridPlot(ax=pl.gca(), im=U.reshape(10,10), title='Utility', cmap='jet')
for s in range(100):
    x, y = mdp.s2xy(s)
    if policy[s] == 0:
        m='\u02C2'
    elif policy[s] == 1:
```

GridWorld

Modification

```
def choose_action(self, available_actions):
    """Returns the optimal action from Q-Value table. If multiple optimal actions, chooses r
   Will make an exploratory random action dependent on epsilon."""
    # Epsilon-greedy action selection
    if random.uniform(0, 1) < self.epsilon:</pre>
        action = random.choice(available_actions)
       q_values = [self.q_table[self.environment.current_location][action] for action in av
       max_q_value = max(q_values)
        actions_with_max_q = [action for action, q_value in zip(available_actions, q_values)
        action = random.choice(actions with max q)
    return action
def learn(self, old_state, reward, new_state, action):
    """Updates the Q-value table using Q-learning"
    old_value = self.q_table[old_state][action]
    next max = max(self.q table[new state].values())
    new_value = (1 - self.alpha) * old_value + self.alpha * (reward + self.gamma * next_max)
    self.q_table[old_state][action] = new_value
```

Environment grid

```
class GridWorld:
    ## Initialise starting data
    def __init__(self):
        # Set information about the gridworld
        self.height = 16
        self.grid = np.zeros(( self.height, self.width)) - 1

# Set random start location for the agent
        self.current_location = ( 4, np.random.randint(0,5))

# Set locations for the bomb and the gold
        self.bomb_location = (1,3)
        self.gold_location = (0,3)
        self.terminal_states = [ self.bomb_location, self.gold_location]
```

02

Step 2: Explanation of Model-Based vs. Model-Free Algorithms

Model-Based Algorithms

- **Definition**: These algorithms assume a known model of the environment (i.e., transition probabilities and rewards) and use this model to compute the optimal policy.
- Example: Value Iteration, Policy Iteration.
- Advantages: Directly uses the model to plan, can be efficient in stationary environments.
- Disadvantages: Requires knowing or learning the model (transition and reward functions).

Model-Free Algorithms

- **Definition**: These algorithms do not assume a known model of the environment. Instead, they learn the policy directly from interactions with the environment (e.g., Q-learning).
- Example: Q-Learning, SARSA.
- Advantages: Can be used in environments where the model is not available or too complex to calculate.
- **Disadvantages**: Usually slower to converge because it relies on sampling to learn.