



Date: 18.9.23

Experiment No. 3

# Energy Band Gap Of Semiconductor

# Circuit Diagram :

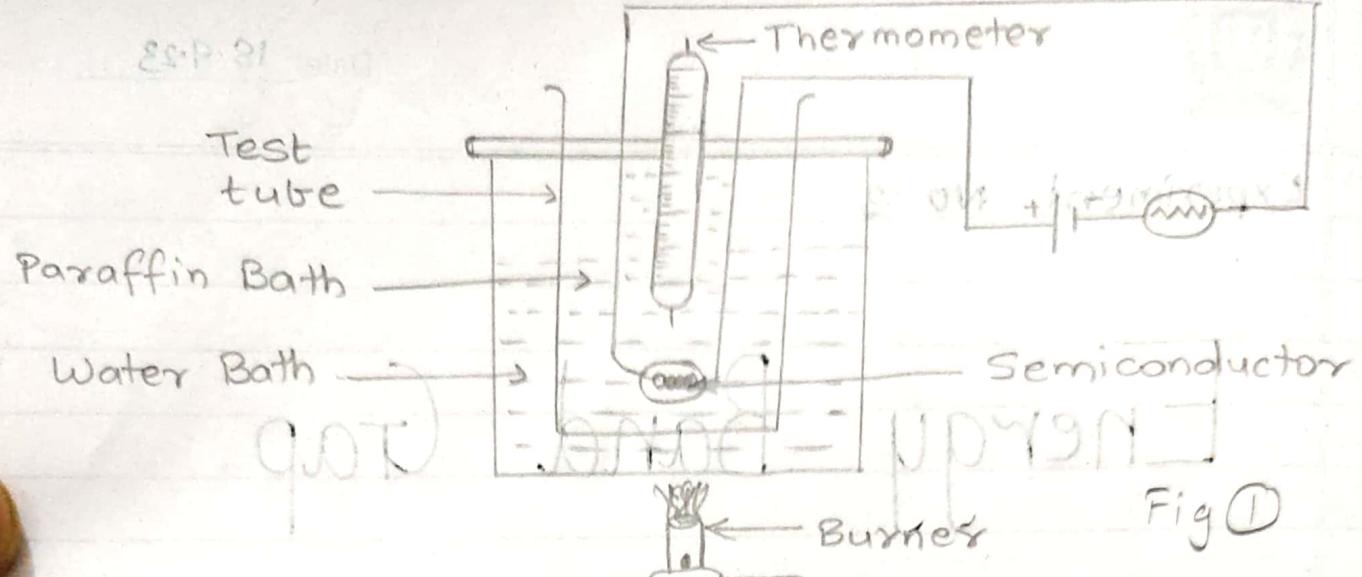
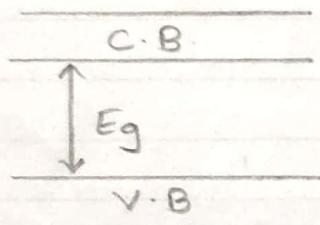
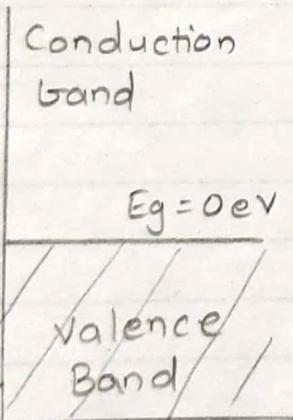


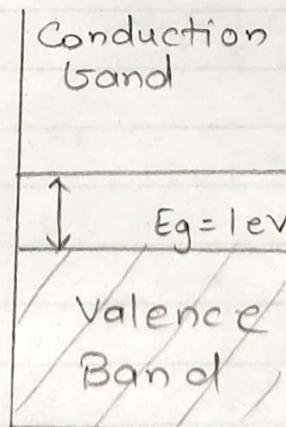
Fig ②



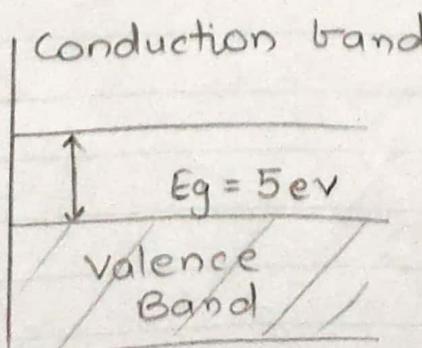
rotsubnojim92



For conductors



For Semiconductors



For Insulators



Date: \_\_\_\_\_

Aim :- To determine forbidden gap of semiconductor

Apparatus :- Semiconductors with stone powder or oil bath, thermometer, micro ammeter, multimeter, heating coil.

Theory :- Solids are classified according to energy band structure. It consists of two bands namely valence band and conduction band separated by a gap known as forbidden gap energy gap ( $E_g$ ). The band which is occupied by valence electrons and has highest occupied band energy at absolute zero temperature is called valence band. It may be partially or completely filled up depending upon the nature of solids.

The lowest unfilled energy band at absolute zero temperature is called conduction band.

The electrons in valence band can be transferred to conduction band by providing them with energy equal to  $E_g$ .

On the basis of forbidden energy gap, solids are classified into three groups, namely conductors, semiconductors, insulators.

In conductors,  $E_g = 0 \text{ eV}$

In semiconductors,  $0 < E_g < 1 \text{ eV}$

In insulators,  $E_g > 5 \text{ eV}$

Germanium and silicon are two good examples of semiconductors.

In silicon the energy gap is  $1.1 \text{ eV}$ , whereas that in germanium is  $0.72 \text{ eV}$ , as shown in Fig 2.

In a semiconductor at absolute zero, the conduction band is empty and the valence band is filled. As temperature



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increase, the valence band electron gain energy, and cross over the band. As the number of electrons for forbidden gap to move into the conduction band. As the number of electrons available for conduction increases with temperature, the resistivity of the semiconductor decreases. We have at temperature  $T > 0^\circ K$ ,

$$\rho_T = \rho_0 \exp\left(\frac{E_g}{2kT}\right)$$

where,  $\rho_T$  is resistivity at temperature  $T$ ,  $\rho_0$  is resistivity at absolute zero  $E_g$  is forbidden energy gap of the semiconductor, and  $k$  is Boltzmann constant.

Since resistance of a given specimen is proportional to resistivity, we can write,

$$R_T = R_0 \exp\left(\frac{E_g}{2kT}\right) \checkmark$$

Taking logarithm on both sides, we get

$$\ln R_T = \ln R_0 + \frac{E_g}{2kT}$$

This equation has the form  $y = mx + c$ , where,  $y = \ln R_T$  and  $x = 1/T$ . Thus, the graph of  $\ln R_T$  vs  $1/T$ , is a straight line with slope equal to  $E_g/2k$  and intercept equal to  $\ln R_0$ . In this experiment, the above considerations have been used to estimate the forbidden energy gap of the given semiconductor material. Number of electron or hole

in intrinsic semiconductor like Si or Ge depends on

temperature at  $T^\circ K$  it will be

$$n_L = AT^{3/2} e^{-E_g/2kT} \quad (1)$$

So conductivity of intrinsic semiconductor increases with

temperature At  $T^\circ K$  it will be

$$G_T = 6T e^{-E_g/2kT}$$

Resistivity of intrinsic semiconductor which decreases with



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temperature at  $T^{\circ}\text{K}$  &  $T_0^{\circ}\text{K}$  will be

$$P_{T_0} = \frac{1}{A} = P_0 e^{\beta/T_0}$$

$$\frac{1}{A} =$$

$$P_T = \frac{1}{A} = P_0 e^{\beta/T} \quad \text{--- (2)}$$

$$\frac{1}{A} =$$

Where  $A, P_0$  are some current constant,

$Eg$  = energy band gap of intrinsic semiconductor,

$K$  = Boltzmann's constant

$T$  = temperature in degree Kelvin

$T_0$  = reference temperature

$$\beta = Eg/2K$$

$$\text{Now } \frac{P_T}{P_{T_0}} = e^{\beta} \left( \frac{1}{T} - \frac{1}{T_0} \right) \quad \text{--- (3)} \quad \text{i.e. } P_T = P_{T_0} e^{\beta} \left( \frac{1}{T} - \frac{1}{T_0} \right)$$

$$\text{Similarly } R_T = R_{T_0} e^{\beta} \left( \frac{1}{T} - \frac{1}{T_0} \right) \quad \text{--- (4)}$$

where  $R_T$  = resistance of semiconductor at  $T^{\circ}\text{K}$

$R_{T_0}$  = resistance of semiconductor at  $T_0^{\circ}\text{K}$

where  $T_0$  is some reference temperature like room temperature

Now by taking natural logarithm of equation 4 we get

$$\ln R_T = \ln R_{T_0} + \beta \left( \frac{1}{T} - \frac{1}{T_0} \right)$$

This is an equation of a straight line having slope  $m = \beta = \frac{Eg}{2K}$

So energy band gap can be calculated by calculating slope

$$\beta = \text{i.e. } Eg = 2K\beta$$

where  $K$  = Boltzmann's constant =  $1.37 \times 10^{-23} \text{ J/K}$

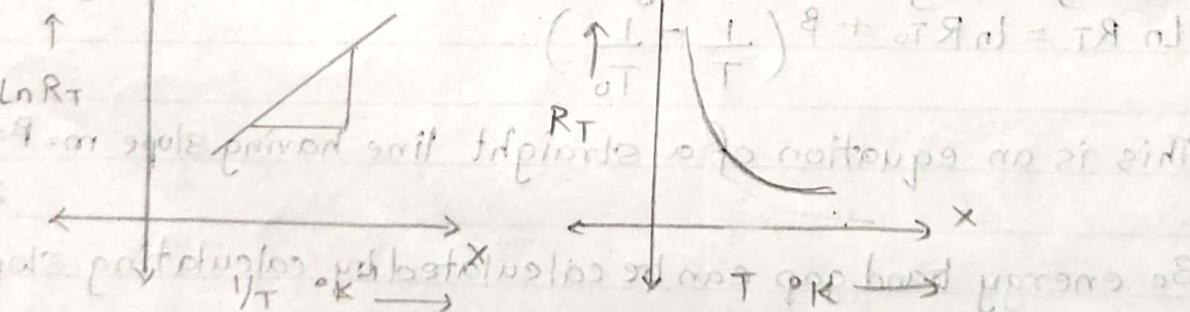
Procedure :-

- 1) Measure voltage of a given cell.
- 2) Connect the circuit as shown in the diagram and get it checked.

# Observation Table :-

Sr. no.	Temperature $t^{\circ}\text{C}$	$I \times 10^{-6}$ (mA)	V (Volts)	$T = (t + 273)\text{K}$	$R_T = \frac{V}{I}$	$\frac{1}{T} \times 10^{-3}$	$\ln R_T$
	28	8	0.025	301	3125	3.32	8.04
	30	9	0.025	303	2777	3.30	7.92
	35	9	0.024	308	2666	3.24	7.88
	40	9	0.023	313	2555	3.19	7.84
	45	10	0.022	318	2200	3.14	7.69
	50	10	0.021	323	2100	3.09	7.64
	55	10	0.020	328	2000	3.04	7.60
	60	11	0.019	333	1727	3.00	7.45
	65	11	0.018	338	1636	2.95	7.40
	60	11	0.018	333	1636	3.00	7.40
	55	11	0.019	328	1727	3.04	7.45
	50	11	0.020	323	1818	3.09	7.50
	45	10	0.021	318	2100	3.14	7.64
	40	10	0.022	313	2200	3.19	7.69
	35	10	0.022	308	2200	3.24	7.69
	30	9	0.024	303	2666	3.30	7.88
	28	8	0.025	301	3125	3.32	8.04

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(Graph of  $\ln R_T$  vs  $\frac{1}{T}$ )  $\Rightarrow$  (Graph of  $\ln R_T$  vs  $\frac{1}{T} \times 10^{-3}$ )

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- 3) Measure the normal temperature and corresponding leakage current.
- 4) Start heating white stone powder or oil bath by using heater or burner.
- 5) Measure current at  $35^{\circ}\text{C}$  and then up to  $75^{\circ}\text{C}$  in steps of  $5^{\circ}\text{C}$  each.
- 6) Alternatively, heat the diode upto  $75^{\circ}\text{C}$ , turn off the heater and measure the current as the diode cools down to  $35^{\circ}\text{C}$  in steps of  $5^{\circ}\text{C}$  each.
- 7) Calculate  $R_T \ln R_T + 1/T$
- 8) Plot a graph of  $R_T$  vs  $1/T$  and find the slope of graph as  $\beta$
- 9) Substitute  $\beta$  in the given formula to find ' $E_g$ ' in joules and then in electron volt.
- 10) Compare it with the standard value for given diode
- 11) Also plot graph of  $R$  vs  $T$  to verify that  $R$  falls non linearly with increase in temperature.

Calculation :- We have

$$E_g = 2K\beta$$

$$= 2 \times 1.37 \times 10^{-23} \times 1672.07 \quad (\checkmark \text{ slope of graph of } \ln R_T \text{ vs } 1/T)$$

$$\approx = 4.58 \times 10^{-20} \text{ Joules} \quad \frac{4.58 \times 10^{-20}}{1.67 \times 10^{-19} \text{ eV}}$$

$$E_g \approx E_g = 2.86 \times 10^{-39} \text{ eV}$$

$$\approx 0.286 \text{ eV}$$

Result :-

The energy gap of given semiconductor diode

$$2.86 \times 10^{-39} \text{ eV}$$

$$0.286$$

Y-axis 1 (0.062)

Scale = X-axis = 1cm = 0.0062 unit  
= Y-axis = 1cm = 0.0037 unit

5.2+

8.104

8.49

7.976

7.92

7.848

7.84

7.720

7.656

7.592

7.464

7.528

7.40

7.24

7.05

6.87

6.69

3.061

3.098

3.135

3.172

3.209

3.246

3.283

3.32

$(\frac{1}{T}) \times 10^{-3} \rightarrow (0.037)$

X-axis →

(3.209, 7.8416)

$$\text{Slope} = \frac{(y_2 - y_1)}{(x_2 - x_1) \times 10^{-3}} = 1672.07$$

✓



Date: 9.10.23

Experiment No: 4

# Semiconductor Diode Characteristics



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Aim :- To study semiconductor diode characteristic

Apparatus :- Silicon diode, voltmeter.

Objective :-

- 1) To trace the CKT
- 2) Measure the current through diode for particular value of input voltage
- 3) Plot the forward characteristic of si diode.
- 4) Calculate the forward dynamic resistance of the diode at a particular operating points.

At a given operating point, we can determine static resistance  $R_f$  and dynamic resistance  $r_f$ . The static forward resistance is defined as ratio of the dc voltage to dc current.

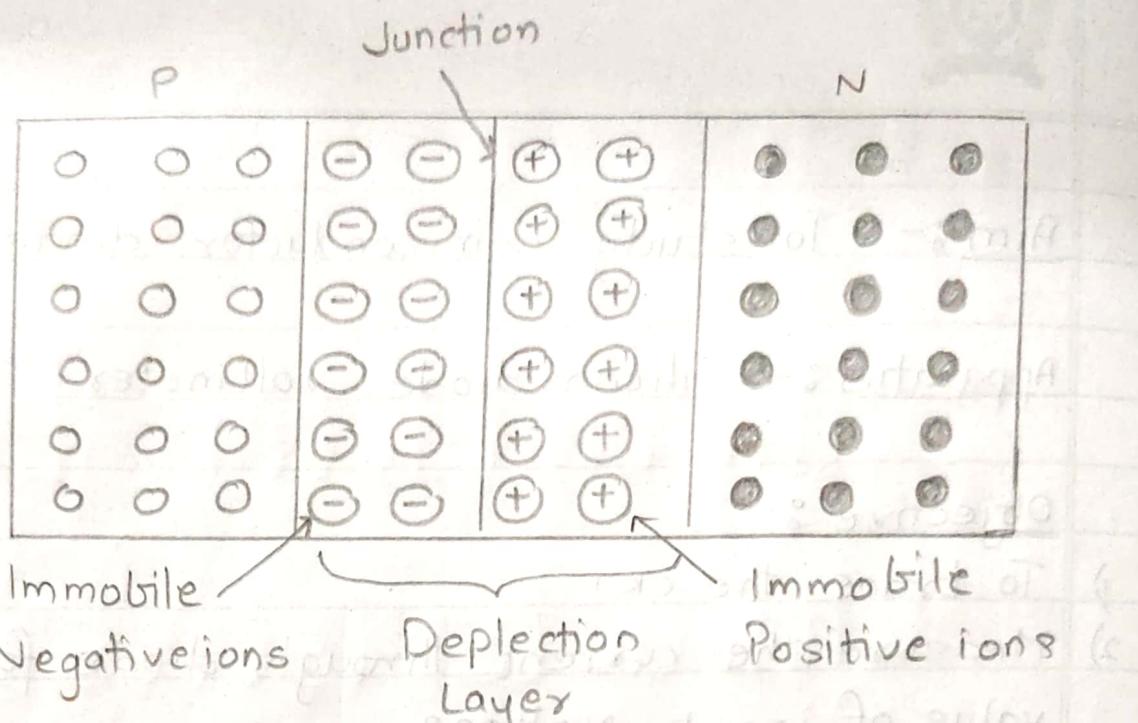
$$R_f = \Delta V / \Delta I \quad \Omega$$

Procedure :-

- 1) Trace the ckt and identify the different component
- 2) Connect the voltmeter and ammeter of a suitable range
- 3) Switch on power supply with help of pot. Increase voltage slowly
- 4) Note down milliammeter and voltmeter reading carefully
- 5) Draw the graph between  $V$  and  $I$
- 6) At suitable operating point calculate  $R_f$  and  $r_f$

Theory :-

when a P-type semiconductor is fused to N-type semiconductor, the crystal so formed is called P-N diode





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The area of the crystal common to both regions is called P-N junction.

In the formation of a P-N junction, some of the majority carriers i.e. holes from P-region diffuse into N region because of the concentration gradient. Similarly, electrons from N region diffuse into P region because of the concentration gradient. These diffused charge carriers combine near the junction to neutralize each other. Due to this a charge free space called 'Depletion Layer' is formed near the junction. Width of this layer is of the order of a few microns.

Due to the diffusion of holes from P to N region, negative ions are produced in P region near the junction. Similarly, due to the diffusion of electrons from N to P region, positive ions are produced in N region. These ions are immobile in nature and form parallel rows or plates of opposite charges facing each other across the depletion layer. Because of this charge separation, an electric potential develops across the junction under equilibrium condition. This potential gradient is called junction potential or barrier potential. It can be represented by an equivalent battery. It prevents further diffusion of majority charge across the junction.

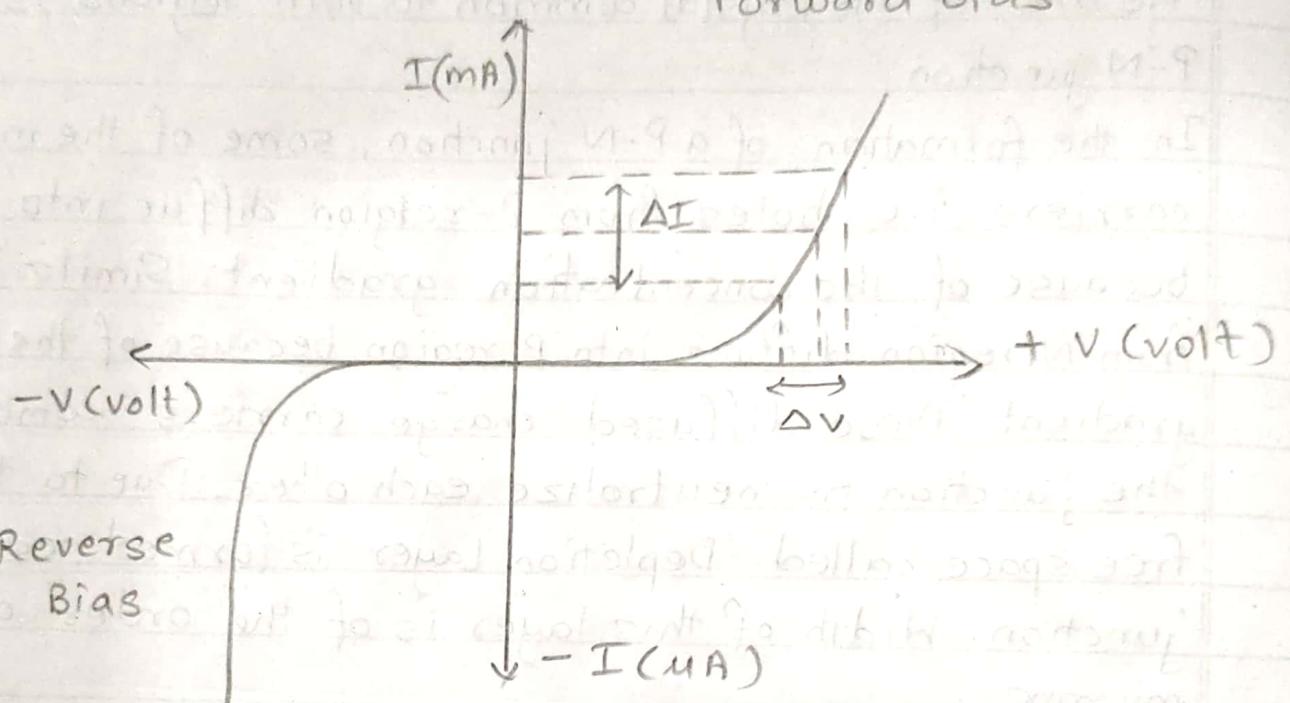
A P-N junction diode is a unidirectional device, because it conducts in only one direction when an external voltage is applied across the diode terminals.

#### Forward Biasing of P-N Diode:

When a P-N diode is connected to a battery such that positive terminal of the battery is connected to P region while negative terminal is connected to N region than the

Graph :-

behavior of diode at various biasing (Forward Bias)





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diode is said to be in forward biased condition. The positive terminal of battery repels the majority carriers i.e. holes in P-region and the negative terminal of battery repels the majority carriers i.e. electrons in N-region towards the junction. The movement of charge carriers leads to a current in P-N diode, which can be recorded by an ammeter connected in series with the diode. The diode is said to be in conduction. In this case barrier potential is reduced.

The relationship between forward voltage and forward current is shown in the graph. Initially as the applied voltage overcomes the barrier potential, very small current flows. Once the barrier potential is completely overcome the current increases sharply and rapidly with increasing voltage. The voltage corresponding to the transition in the rate of change of increase in the current is called the knee voltage.

#### Reverse Biasing of P-N Diode :

When a P-N diode is connected to a battery such that negative terminal of the battery is connected to P-region and positive is connected to N-region then the diode is said to be in reverse biased condition.

The majority charge carriers i.e. holes in P-region and electrons in N-region are attracted by negative and positive terminals of the battery respectively. Therefore these majority carriers start moving away from the junction. This results into the increase of the width of depletion layer and also in the increase of barrier potential. No flow of electrons across the junction is obtained in the process. Therefore no conduction of electric

## Observation Table :-

### Forward bias

Sr. No.	Vtg. Drop across diode $V_F$ (volts)	Current through diode - $I_F$ (mA)
1	0	0
2	0.1	0.02
3	0.2	0.05
4	0.3	0.10
5	0.4	0.43
6	0.5	6.60
7	0.6	38.1

### Reverse bias

Sr. no.	Vtg. drop across diode $V_R$ (volts)	Current through diode - $I_R$ $\times 1000$ (mA)
1	0	0
2	1	50
3	2	140
4	3	210
5	4	280
6	5	350
7	6	430
8	7	580
9	8	630
10	9	660
11	10	830



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current takes place and the diode is said to be in non-conduction.

Initially, a small negligible amount of current may flow. This current is due to the minority charge carriers present in P and N regions. The relationship between the reverse voltage and reverse current is shown in the graph. With very large reverse bias, current flow is extremely small. When the reverse voltage exceeds a certain value called Zener or Breakdown voltage, the reverse current sharply increases. This curve indicates zero resistance at this point. This property is widely used in voltage regulator circuits.

### Result :-

1. Dynamic forward resistance- $r_f = \Delta V / \Delta I$  k $\Omega$

$$R_d = \frac{(V_2 - V_1)}{(I_2 - I_1)} = 4.66 \times 10^{-3} \text{ k}\Omega$$

2. Static forward resistance- $R_f = V/I = 0.016 \text{ k}\Omega$  ✓

3. Dynamic reverse resistance -  $r_r = \Delta V / \Delta I$

$$R_d = 0.0125 \text{ M}\Omega$$

4. Static reverse resistance -  $R_f = V/I = 0.0125 \text{ M}\Omega$

Pragyaide  
18/10/23

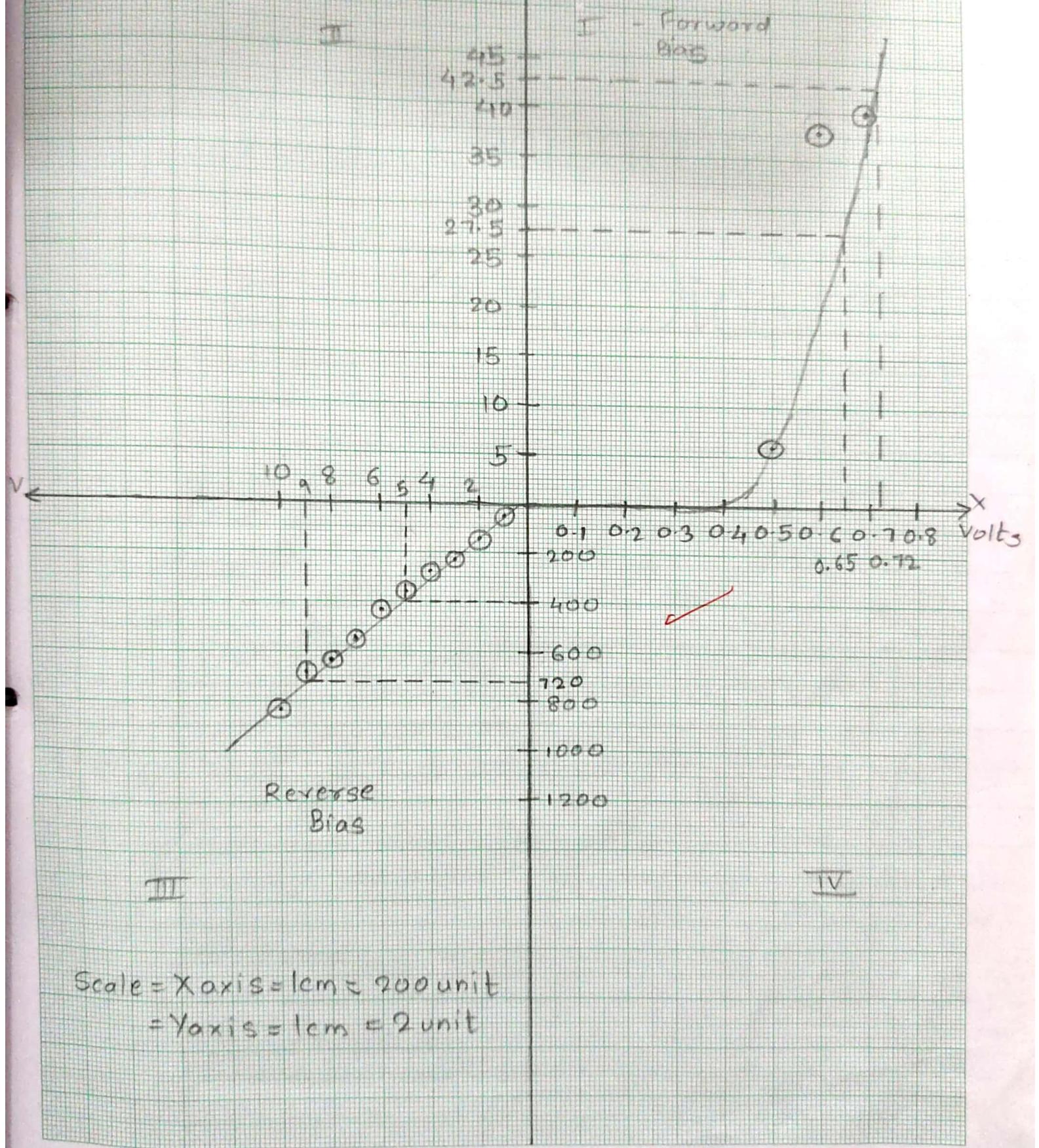
### Calculation

1. Dynamic forward resistance =  $\frac{V_2 - V_1}{I_2 - I_1} = \frac{0.72 - 0.65}{42.5 - 27.5} = 4.66 \times 10^{-3}$

2. ~~Dynamic reverse~~ Static forward resistance =  $\frac{V_2 - V_1}{I_2 - I_1} = \frac{720 - 400}{9 - 5} = 0.0125$

Scale = Xaxis = 1cm = 0.1 unit  
= Yaxis = 1cm = 5 unit

I (mA)





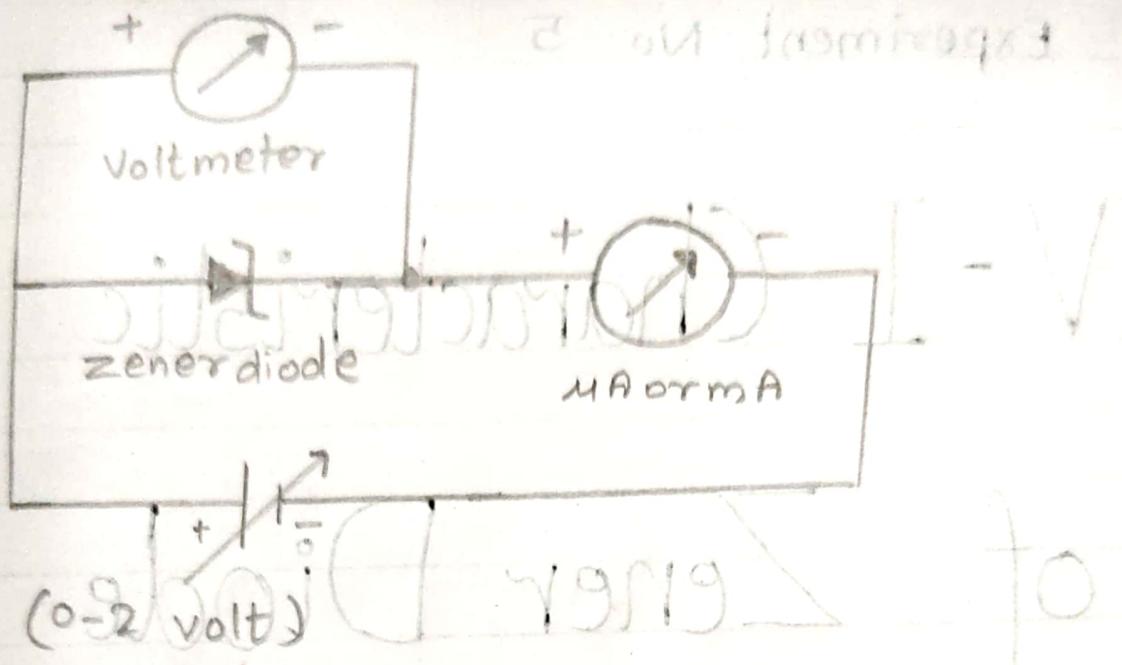
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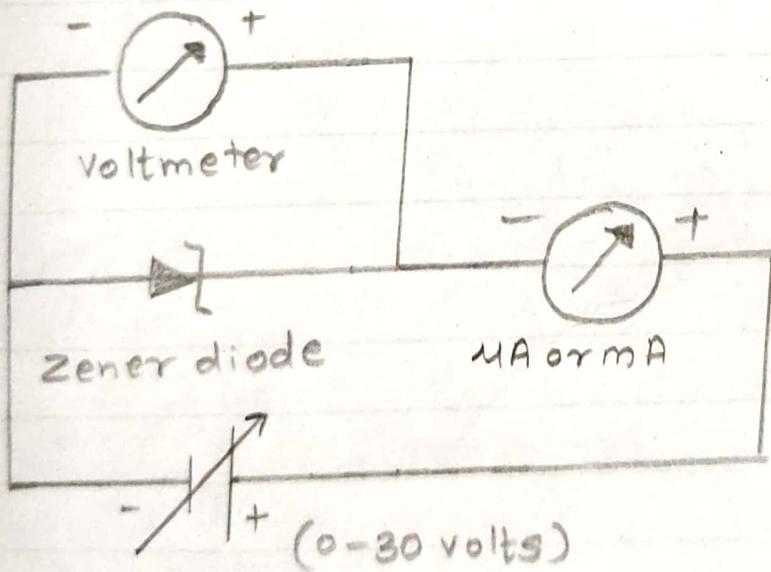
V-I Characteristic

of Zener Diode

## Circuit diagramme :



Zener Diode in FB



Zener Diode in RB



Date: \_\_\_\_\_

Object : To draw the V-I characteristic of zener diode and to determine zener breakdown voltage.

Apparatus used : Zener diode, voltmeter (0-2 volt), voltmeter (0-30 volt), mili-ammeter, micro-ammeter, variable source (0-2 volt and 0-30 volt)

### Theory :

Zener Diode : Zener diode is a heavily doped PN junction diode. Due to heavily doped, its depletion layer is very thin and is order of micrometer. The forward bias characteristic of zener diode is same as the normal PN junction diode but in reverse bias it has different characteristic.

Initially, a negligible constant current flow through the zener diode in its reverse bias but at certain voltage, the current becomes abruptly large. This voltage is called as zener voltage. This sudden and sharp increase in zener current is called as zener breakdown.

### Precautions :

1. The connection should be tight otherwise fluctuation in voltage and current will happen.
2. At the turning point of curve, more reading should be taken
3. For the plot of Graph, current should be taken mA for both forward and reverse biased diode
4. The reading should be in multiple of least count.

## Observation:

1. Least count of voltmeter (0-2 volt) = 0.02 volt
2. Least count of voltmeter (0-30 volt) = 0.5 volt
3. Least count of milliammeter = 0.2 mA
4. Least count of micro-ammeter = 5 μA
5. VF and IF for PN junction Diode

(in F.B.) ~~for junction diode~~ ~~graph of I-V characteristics~~ ~~for PNP junction diode~~

Sr. No.	VF (Volt)	IF (mA)
1	0	0
2	0.1	0.03
3	0.2	0.05
4	0.3	0.07
5	0.4	0.08
6	0.5	0.11
7	0.6	0.22
8	0.7	0.24
9	0.8	0.25

Sr. No.	VF (Volt)	IF (mA)	IR (mA)
1	0	0	0
2	0.1	0.04	40
3	0.2	0.04	40
4	0.3	0.07	70
5	0.4	0.07	70
6	0.5	0.14	110
7	0.6	0.11	110
8	0.7	0.15	150
9	0.8	0.15	150
10	0.9	0.18	180
11	1.0	0.21	210
12	1.1	0.22	220
13	1.2	0.25	250
14	1.3	0.25	250
15	1.4	0.29	290
16	1.5	0.29	290
17	1.6	0.31	310
18	1.7	0.96	960



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Result: The V-I characteristic of zener diode indicate that characteristic of zener diode in forward bias is same as PN junction diode. In reverse bias, a negligible constant current flows through the zener diode but the current becomes abruptly large at certain voltage. This voltage is called as zener voltage. This sudden and sharp increase in zener current is called as zener breakdown.  $V_{knee} = 0.7\text{ volt}$  and  $V_z = 9\text{ volt}$ .

Dr. Jagadeesh  
25/10/2018

y  $I$ (mA)

Scale = Xaxis = 1cm = 0.1 unit  
= Yaxis = 2cm = 20 unit

I - Forward Bias

100

80

60

40

20

-0.0 1.6 1.2 0.8 0.4 0

0.1

0.2

0.3

0.4

0.5

0.6

0.7

0.8

0.9

x volts

200

400

600

800

1000

V

II - Reverse Bias

Scale = Xaxis = 1cm = 0.4 unit

= Yaxis = 1cm = 200 unit



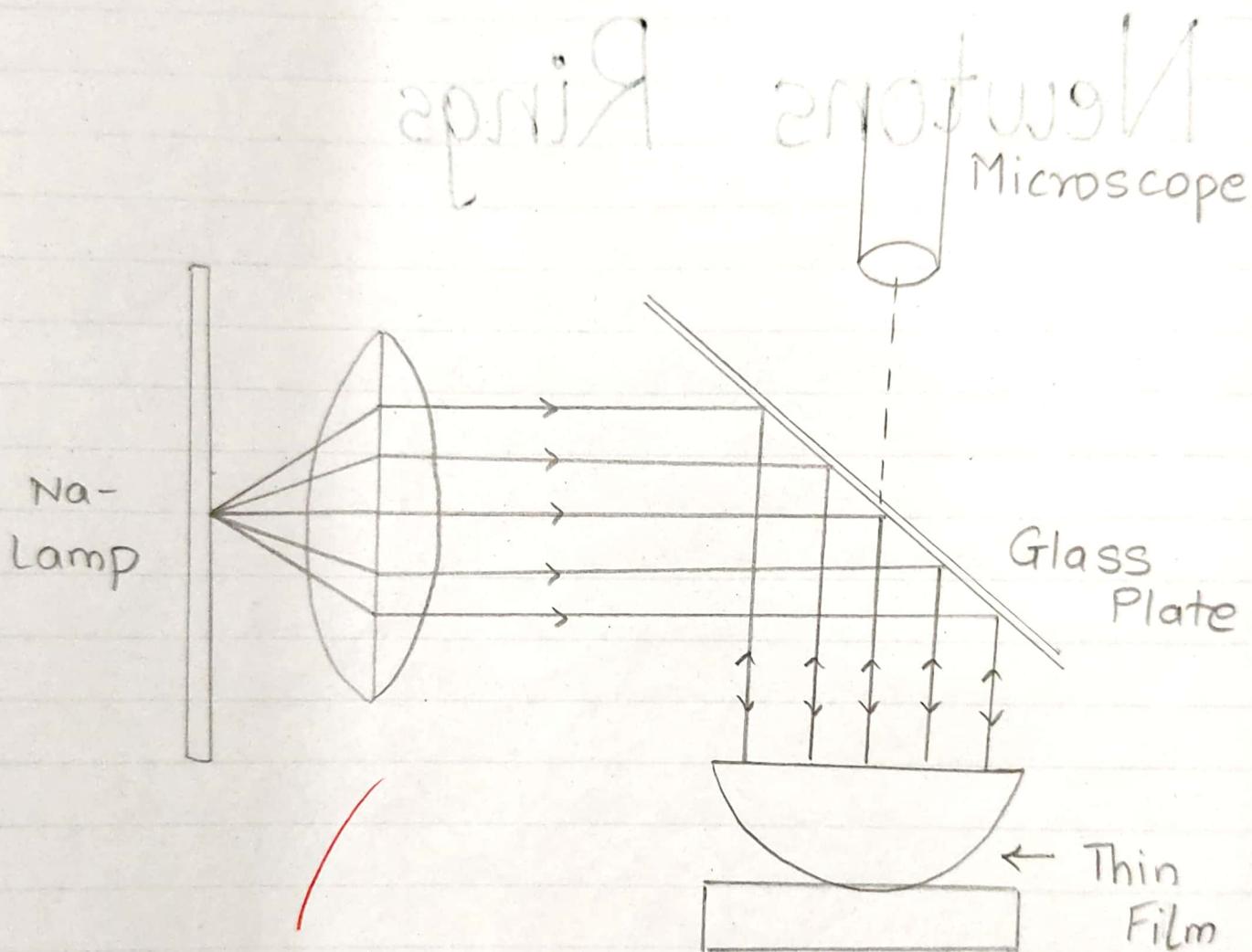
Date: 18.9.23

Experiment No. 2

# Newton's Rings

Ex P-21

DIAGRAM :- As follows & on ~~Diagram~~





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## NEWTONS RINGS

Aim:- To determine the radius of curvature of the convex surface of lens by means of Newtons ring.

Apparatus:-

Glass plate preferably black, convex lens of large radius of curvature, condensing lens small focal length Monochromatic source of light. Traveling microscope, Thin glass plate, Magnifying lens.

Formula:-  $R = \frac{D_{m+n}^2 - D_n^2}{4m\lambda}$

where,  $R$  = radius of curvature of convex surface in contact with glass plate

$D_{m+n}$  = diameter of  $(m+n)$  // ring

$D_n$  = diameter of  $n$  // ring

$\lambda$  = wavelength of light

Procedure:-

1. Clean the lens and glass plate
2. Find the focal length of condensing lens. And keep it in front of the source at a distance equal to its focal length from the source
3. Keep the convex lens on the glass plate with its convex surface resting on the plate. Clamp the thin glass plate in a standard position it above the convex lens in such a way that the centre of source, the centre of condensing lens and the centre of this glass plate are in the same horizontal line. Now

## OBSERVATION :-

### NEMOGENS RINGS

Least count of microscope = 0.001 cm

Wavelength of light used =  $5893 \text{ Å}$  (Violet)

- pair each way to ensure no loss of surface area.

Observ. No.	Serial no. of ring	Microscope reading (cm)			Diameter $D = L \times V/S$			Diameter $^2$ $D^2 \text{ cm}^2$
		m.s.r	c.s.r	Total	m.s.r	c.s.r	Total	
1.	20	4.3	68	4.368	3.8	13	3.813	0.555
2.	16	4.3	57	4.357	3.8	75	3.875	0.482
3.	12	4.3	10	4.310	3.8	72	3.872	0.438
4.	8	4.2	96	4.296	3.9	9	3.909	0.387
5.	4	4.2	33	4.233	3.9	60	3.960	0.273

$$\text{Total (TR)} = \text{m.s.r} + (\text{LC} \times \text{v.s.r}/\text{c.s.r})$$

Reading

10x of lens contributes to the source to form an image of the lamp.

Sodium lamp

$$\lambda = 5893 \times 10^{-8}$$

Scanned with CamScanner



Date: \_\_\_\_\_

- turn this glass plate in such a way that the horizontal beam of light is reflected by it vertically downward on the lens kept on the glass plate.
4. Looking vertically to the centre of lens through the glass plate a number of rings would be visible to the naked eye. Focus the eyepiece on the cross wire. Level the microscope so that the scale along which it slide horizontal and the axis of microscope is vertical. Focus the microscope on the rings till there is no parallax between the rings and cross wire.
5. Move the lens carefully till the centre of ring coincides with the point of intersection of the cross wire. Now move the microscope slowly and ensure that the travel of microscope is along the diameter of the rings.
6. Displace the microscope to the left counting the no. of bright rings passed and set it on bright ring so that the point of intersection of cross wire is at the middle of bright ring. Take the corresponding microscope reading on its horizontal scale using slow motion screw. Shift the microscope towards centre of rings recording the microscope reading for every alternate ring you see. Cross over to the other side of centre and record in succession the microscope reading for same ring with the continuous movement of microscope.
7. Plot a graph of  $D_n^2$  against square of diameter of ring against corresponding ring no.

## CALCULATION :-

$$1) n=4, m=4 \Rightarrow R_1 = \underline{0.1497 - 0.0745} = 79.75 \text{ cm}$$

3dt fort pao  $4 \times 4 \times 5893 \times 10^{-8}$  stolq sitt aost

$$2) n=4, m=8 \Rightarrow R_2 = \underline{0.1918 + 0.0745} = 62.20 \text{ cm}$$

3dt q 220lp sitt  $4 \times 8 \times 5893 \times 10^{-8}$  no brownwak

$$3) n=4, m=12 \Rightarrow R_3 = \underline{0.2323 + 0.0745} = 55.78 \text{ cm}$$

3dt q 220lp sitt  $4 \times 12 \times 5893 \times 10^{-8}$  stolq 220lp

$$4) n=4, m=16 \Rightarrow R_4 = \underline{0.3080 - 0.0745} = 61.91 \text{ cm}$$

pao 3dt q 220lp sitt  $4 \times 16 \times 5893 \times 10^{-8}$  3dt q 220lp

$$5) n=8, m=4 \Rightarrow R_5 = \underline{0.1918 + 0.1497} = 44.65 \text{ cm}$$

3dt q 220lp sitt  $4 \times 4 \times 5893 \times 10^{-8}$  3dt q 220lp

$$6) n=8, m=8 \Rightarrow R_6 = \underline{0.2323 + 0.1497} = 43.80 \text{ cm}$$

$4 \times 8 \times 5893 \times 10^{-8}$  3dt q 220lp

$$7) n=8, m=12 \Rightarrow R_7 = \underline{0.3080 + 0.1497} = 55.96 \text{ cm}$$

3dt q 220lp sitt  $4 \times 12 \times 5893 \times 10^{-8}$  3dt q 220lp

$$8) n=12, m=4 \Rightarrow R_8 = \underline{0.2323 + 0.1918} = 42.95 \text{ cm}$$

3dt q 220lp sitt  $4 \times 4 \times 5893 \times 10^{-8}$  3dt q 220lp

$$9) n=12, m=8 \Rightarrow R_9 = \underline{0.3080 + 0.1918} = 61.61 \text{ cm}$$

3dt q 220lp sitt  $4 \times 8 \times 5893 \times 10^{-8}$  3dt q 220lp

$$10) n=16, m=4 \Rightarrow R_{10} = \underline{0.3080 - 0.2323} = 80.28 \text{ cm}$$

3dt q 220lp sitt  $4 \times 4 \times 5893 \times 10^{-8}$  3dt q 220lp

3dt q 220lp sitt  $4 \times 16 \times 5893 \times 10^{-8}$  3dt q 220lp

$$(R_{\text{cal}})_{\text{avg}} = 79.75 + 62.20 + 55.78 + 61.91 + 44.65 + 43.80 + 55.96$$

3dt q 220lp sitt  $4 \times 8 \times 5893 \times 10^{-8}$  3dt q 220lp

3dt q 220lp sitt  $4 \times 12 \times 5893 \times 10^{-8}$  3dt q 220lp

3dt q 220lp sitt  $4 \times 4 \times 5893 \times 10^{-8}$  3dt q 220lp

3dt q 220lp sitt  $4 \times 16 \times 5893 \times 10^{-8}$  3dt q 220lp

3dt q 220lp sitt  $4 \times 8 \times 5893 \times 10^{-8}$  3dt q 220lp

3dt q 220lp sitt  $4 \times 4 \times 5893 \times 10^{-8}$  3dt q 220lp

3dt q 220lp sitt  $4 \times 12 \times 5893 \times 10^{-8}$  3dt q 220lp

3dt q 220lp sitt  $4 \times 8 \times 5893 \times 10^{-8}$  3dt q 220lp



Date: \_\_\_\_\_

### Calculation :-

$$R = \frac{D_m^2 - D_n^2}{4m\lambda} = \frac{\text{slope}}{4\lambda}$$

### Result :-

1. Slope of graph =  $\frac{y_2 - y_1}{x_2 - x_1} = \frac{0.2125 - 0.0925}{14 - 6} = 0.015$

2. Radius of curvature of convex surface from calculation

$$(R_{\text{cal}})_{\text{avg}} = \frac{79.75 + 62.20 + 55.78 + 61.91 + 44.65 + 43.80 + 55.96 + 42.95 + 61.61 + 80.98}{10}$$

$$(R_{\text{cal}})_{\text{avg}} = 58.889 \text{ cm}$$

3. Radius of curvature of convex surface from graph

$$(R_{\text{graph}})_{\text{avg}} = \frac{\text{slope}}{4\lambda} = \frac{0.015}{4 \times 5893 \times 10^{-8}}$$

$$R_{\text{graph}} = 63.63 \text{ cm}$$

4. Average  $R = \frac{(R_{\text{cal}})_{\text{avg}} + R_{\text{graph}}}{2}$  ✓

$$R = \frac{58.889 + 63.63}{2} = 61.2595 \text{ cm.}$$

$$\text{Scale} = \text{X-axis} = 2\text{cm} = 4 \text{ unit}$$

$$= \text{Y-axis} = 2\text{cm} = 0.05 \text{ unit}$$

$$\text{Slope} = \frac{y_2 - y_1}{x_2 - x_1} = \frac{0.2125 - 0.0925}{14 - 6}$$

$$= 0.015$$

