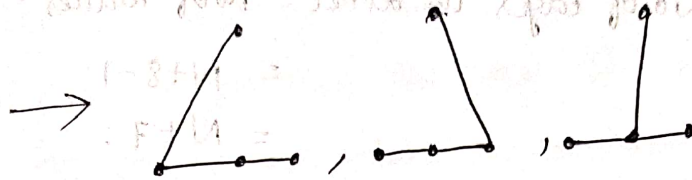
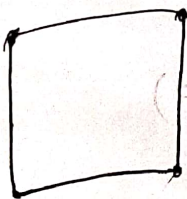


2. Spanning tree:-

Graph G



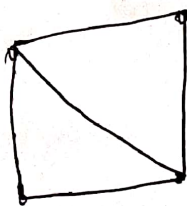
Spanning-trees.



Graph G



Spanning trees



Spanning tree.

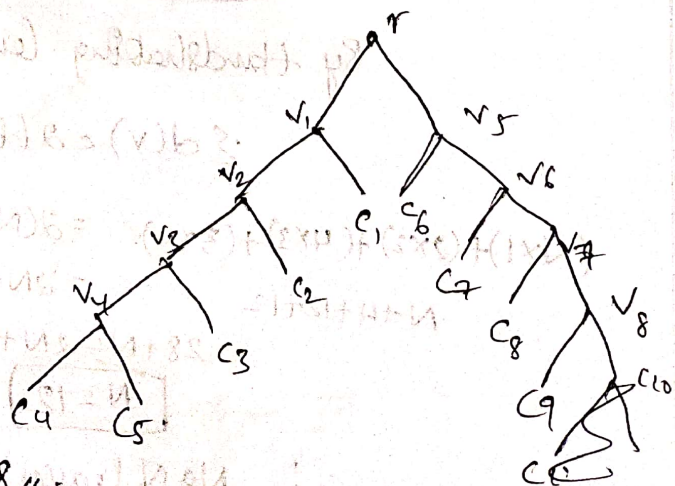
Computers (P) = 10 (leaves)

$$q = \frac{p-1}{m-1}$$

$$q = \frac{10-1}{2-1}$$

$$q = 911$$

$$9 = 9$$



then no of cord required = $9 - 1 = 8$ u.

4.

Let N be no of pendant vertices (degree one) in T

The total no of vertices in tree

$$T = N + 4 + 1 + 2 + 1 = N + 8.$$

\therefore No. of edges in a tree = no of vertices - 1

$$= N + 8 - 1$$

$$= N + 7.$$

By Handshaking property

$$\sum d(v) = 2(E)$$

$$(N \times 1) + (4 \times 2) + (1 \times 3) + (2 \times 4) + (1 \times 5) = 2(N + 7)$$

$$N + 8 + 3 + 8 + 5 = 2N + 14$$

$$N + 24 = 2N + 14$$

$$2N - N = 24 - 14$$

$$\boxed{N = 10}$$

\therefore No of leaves in Tree is $\boxed{N = 10}$

5. Given no of pendant vertices be N .

Total no of vertices \geq

$$N + 2 + 4 + 3 = N + 9$$

No of edges $= N + 9 - 1$

$$\boxed{E = N + 8}$$

By Handshaking Lemma

$$\sum d(v) = 2(E)$$

$$(N \times 1) + (2 \times 2) + (4 \times 3) + (3 \times 4) = 2(N + 8)$$

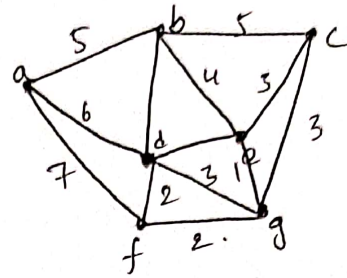
$$N + 4 + 12 + 12 = 2N + 16$$

$$28 + N = 2N + 16$$

$$\boxed{N = 12}$$

\therefore No of leaves in Tree is $\boxed{N = 12}$

6. Here they have Given a graph that consists of 7 vertices. In the sense we should have $(7-1)=6$ vertices in our Minimum Spanning tree.



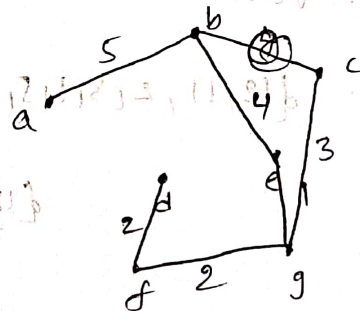
According to Kruskal's Algorithm the edge with min weight should be considered when we written all the edges in ascending order. By joining we should get a tree with all vertices connected.

Edge	eg	fg	df	de	dg	gc	cc	be	bc	ba	ad	af
weight	1	2	2	2	3	3	3	4	5	5	6	7
Select	Yes	Yes	Yes	no	Yes	no	Yes	no	Yes	no	no	no

$$\text{weight of tree} = eg + fg + df + gc + be + ba$$

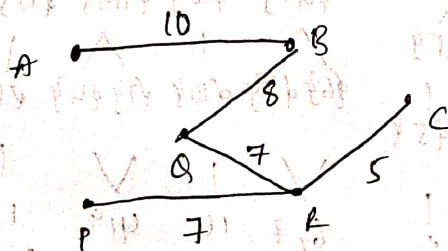
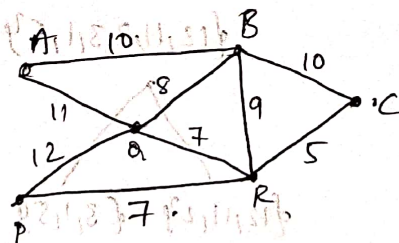
$$= 1 + 2 + 2 + 3 + 4 + 5$$

$$\text{weight of tree} = 17$$



8.

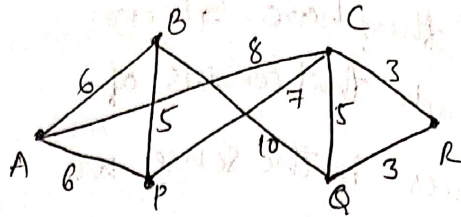
Edge	RC	PR	QR	BA	BR	BC	AB	AR	PQ
weight	5	7	7	8	9	10	10	11	12
Select	Yes	Yes	Yes	Yes	no	no	Yes	no	no



$$\text{weight of tree} = PR + RC + QR + BQ + AB$$

$$\text{weight of tree} = 7 + 5 + 7 + 8 + 10 = 37$$

7.

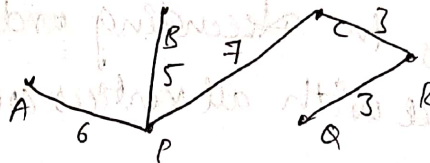


Edges	QR	CR	BP	AP	AB	PC	AC	BQ
Weight	3	3	5	6	6	7	8	10
Selection	Yes	Yes	Yes	Yes	No	Yes	No	No

$$\text{weight} = QR + CR + BP + AP + PC$$

$$= 3 + 3 + 5 + 6 + 7$$

$$\text{weight} = 24$$

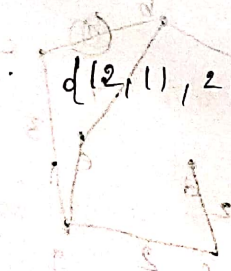


9. Module 5 slide no: 46

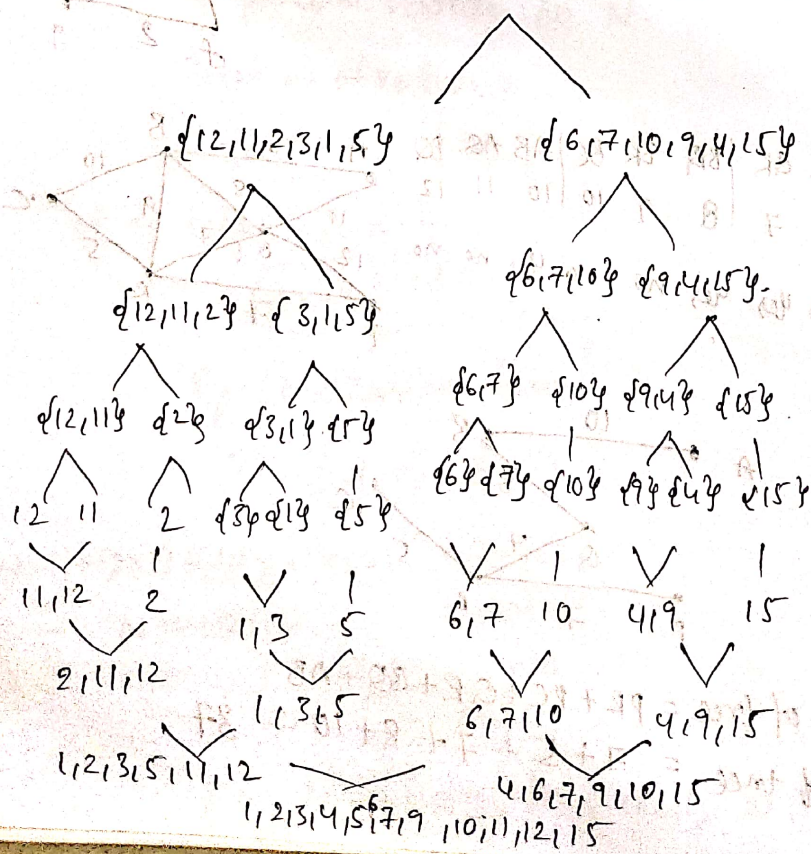
10. Module 5 " " : 48

11. Module 5 " " : 49.

12. $\{12, 11, 2, 3, 1, 5, 6, 7, 10, 9, 4, 15\}$

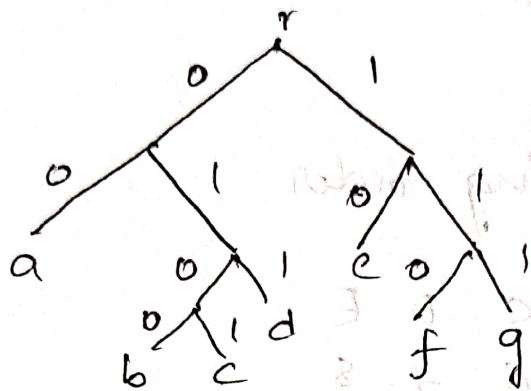


$\{12, 11, 2, 3, 1, 5, 6, 7, 10, 9, 4, 15\}$



13. Same as above

14.



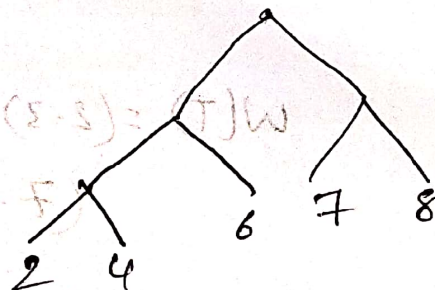
Leaf	a	b	c	d	e	f	g
Sequence	00	0100	0101	011	10	110	111

15.

$$(5 \cdot 2) + (5 \cdot 1) + (5 \cdot 3) = (T)W$$

$$(5 \cdot 3) + (5 \cdot 5)$$

$$20 + 10 + 5 + 5 + 5 + 5$$



sol Given set of integers = {2, 4, 6, 7, 8}

$$W(T) = (2 \cdot 3) + (4 \cdot 3) + (6 \cdot 2) + (7 \cdot 2) + (8 \cdot 2)$$

$$= 6 + 12 + 12 + 14 + 16$$

$$W(T) = 60$$

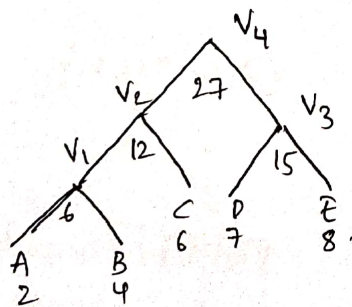
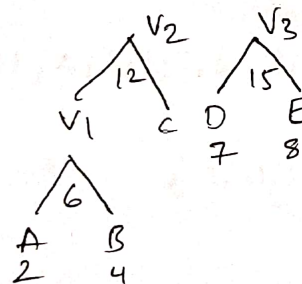
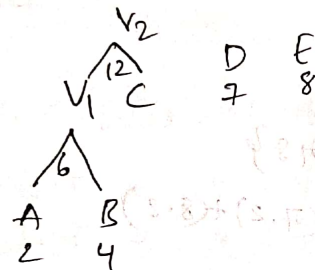
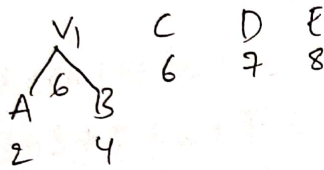
16.

16

A	B	C	D	E
2	4	6	7	8

1. Arrange in Ascending order.

A	B	C	D	E
2	4	6	7	8



$$\begin{aligned}
 W(T) &= (2 \cdot 3) + (4 \cdot 3) + (6 \cdot 2) + \\
 &\quad (7 \cdot 2) + (8 \cdot 2) \\
 &= 6 + 12 + 12 + 14 + 16 \\
 &= 60
 \end{aligned}$$

17. Module-5 slide no : 33

18. Module 5 slide no : 36