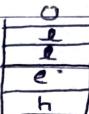


Day - 134

Stack - 2\* Reverse array:

0 1 2 3 4

h e l l o

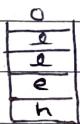


stack

=> We have to solve this problem by using stack.

=> First, we create a stack and insert or push the elements one by one into the stack.

=> Now, we will pop the element one by one and insert into the array.



→ o l l e h

Code

stack &lt;char&gt; st;

for( i=0; i&lt;s.size(); i++) {

st.push(s[i]);

}

for( i=0; i&lt;s.size();

int i = 0;

while( !st.empty() ) {

ans[i] = s[i] = st.top();

i++;

}

st.pop();

T.C → O(n)

S.C → O(n)

\* Insert at Bottom:

	8
.	1
.	2
.	3
.	4

int x = 2

- => We have insert the given element at the bottom of the stack.
- => For this, we have two options, we can use array or another temp stack to store the elements of original stack.
- => First, we will store the elements.
- => Then push the given element.
- => After that again push the elements into the original stack from temp stack.

Code

```

stack<int> temp;
while(!st.empty()){
    temp.push(st.top());
    st.pop();
}
st.push(x);
while(!temp.empty()){
    st.push(temp.top());
    temp.pop();
}

```

T.C.  $\rightarrow O(n)$

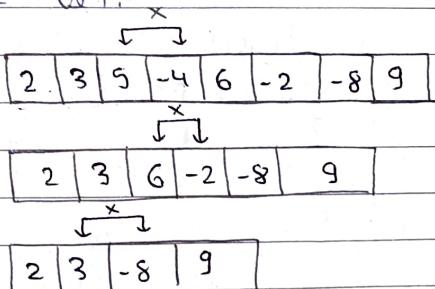
S.C.  $\rightarrow O(n)$

\* Make the array beautiful:

2	3	5	-4	6	-2	-8	9
---	---	---	----	---	----	----	---

= According to the question, only +ve & +ve adjacent or -ve & -ve adjacent numbers can come in array.

= Otherwise, we have to destroy other type of adjacent pairs (-ve & +ve) or (+ve & -ve).



[2 | 9] → answer

= So, we will maintain neighbours and we will check the pointer value neighbour with neighbour's top value.

= If ~~it~~ it follows the rule then we do not do anything otherwise we will also delete the neigh. top element.

= So far neighbour, we can use stack data structure.

⇒ Also, if the element follows rule  
then we push it into the neighbour.

### Code

```

stack <int> s;
for(i=0; i<arr.size(); i++){
    if(s.empty())
        s.push(arr[i]);
    else if(arr[i] >= 0){
        if(s.top() >= 0){
            s.push(arr[i]);
        }
        else{
            s.pop();
        }
    }
    else{
        if(s.top() < 0)
            s.push(arr[i]);
        else
            s.pop();
    }
}
vector <int> ans(s.size());
int i = s.size() - 1;
while(!s.empty()){
    ans[i] = s.top();
    i--;
    s.pop();
}
return ans;

```

\* String Manipulation:

|ab|ac|da|da|ac|ab|ea|

- => Same as previous question.
- => But here, we have remove same adjacent pairs.
- => We will use the same approach as of the previous question.

Code

```
stack<string> s;
for( i=0; i < arr.size(); i++ ){
    if( s.empty() )
        s.push( arr[i] );
    else if( s.top() == arr[i] )
        s.pop();
    else
        s.push( arr[i] );
}
return s.size();
```

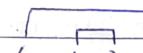
\* Parenthesis is valid or not:

str = ((( ))))

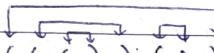
- => We have to check the valid parenthesis i.e. ( ), (( )), etc.
- => If a bracket is open then it should have their closing bracket for valid

parenthesis.

- => Also for a closing parenthesis, there should be a starting or opening parenthesis.

Ex:  → Not valid

 → Not valid

=> str =  → Valid

=> So, we will maintain a stack.

=> If we get an opening bracket then we will push into the stack.

=> If we get an closing bracket then we will check with the top of stack.

=> If we will get an opening bracket then we will pop the top of the stack.

=> In the end, if we will get an empty stack then the string is valid otherwise not.

Code

```
bool check (string str){  
    stack <char>s;
```

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```
for(i=0; i<str.size(); i++)  
    if(str[i] == '(')  
        s.push(str[i]);  
    else  
        if(s.empty())  
            return 0;  
        else  
            s.pop();  
    }  
    if(s.empty())  
        return 0;  
    else  
        return s.size();
```

T.C. → O(n)  
S.C. → O(n)

- ⇒ We can solve this question in O(1) S.C.
- ⇒ We will count the opening bracket & when any closing bracket will come, we will decrease the count.

Code

```
bool check(string str){  
    int left = 0;  
    for(i=0; i<str.size(); i++)  
        if(str[i] == '(')  
            left++;  
        else  
            if(left == 0) return 0;  
            else left--;  
    }  
    return left == 0; }
```

- \* Minimum add to make parenthesis valid:  
 => we have to return how many parenthesis required to make the current str. valid.

$$S = ((\underline{\quad})) \rightarrow 1$$

$$S = (\underline{(\quad))}) \rightarrow 2$$

- => For this, we will use stack for opening bracket and use a count variable for closing bracket that don't have opening bracket.

=> So if a closing bracket come and we don't have any opening bracket then we increase the count by one.

=> In the end, we return count + size of stack.

=> Size of stack for those opening bracket that don't have closing bracket.

### Code

```
stack<char> st;
int count = 0;
for( i=0; i < s.size(); i++ ) {
```

```

if (s[i] == '(')
    st.push(s[i]);
else {
    if (st.empty())
        count++;
    else
        st.pop();
}
return count + st.size();
    
```

- \* Valid Parentheses:
  - ⇒  $s = ((()))\{3[()])$
  - ⇒ Here, we have three different types of brackets.
  - ⇒ If the previous will not match with current bracket that means if the previous of the closing bracket is not opening bracket then we will return 0.
- Code

```

stack <char> st;
for (i=0; i<s.size(); i++) {
    if (s[i] == '(' || s[i] == '{' || s[i] == '[')
        st.push(s[i]);
    else {
        if (st.empty())
            return 0;
    }
}
    
```

```

else if(s[i] == ')'){
    if(st.top() != '(')
        return 0;
    else

```

```

    st.pop();
}

```

```

else if(s[i] == '{'){
    if(st.top() != '}'){
        return 0;
    }
}

```

```

else
    st.pop();
}

```

```

else {
    if(st.top() != '#'){
        return 0;
    }
}

```

```

else
    st.pop();
}

```

```

return st.empty();
Back space

```

### \* Background String Compare:

$s = ab\#c$ ,  $t = ad\#c$

So, here, we have to check if string are equal or not.

In this question, if you get at a '#' then remove the back character.

$\Rightarrow$  After that, check the string, if they are equal return 1 otherwise 0.

\* Print Bracket Number:

$$s = (aa(bdc))p(de)$$

$\Rightarrow \quad 1 \quad 2 \quad 2 \ 1 \ 3 \# \ 2 \ 3 \rightarrow 122133$

$\Rightarrow$  Here, in this question, we have to print the bracket no.

$\Rightarrow$  We will take a stack and a count variable.

$\Rightarrow$  Now, if we get an opening bracket then we will increase the value of count & push this value in stack of count.

$\Rightarrow$  After that, if we will get a closing bracket then we will check the stack and print that no. & pop that no..

\* Get min at pop:

$\Rightarrow$

2	1	3	5	0	6	$\leftarrow$
$\downarrow$	$\downarrow$	$\downarrow$	$\downarrow$	$\downarrow$	$\downarrow$	
$\downarrow$	$\downarrow$	$\downarrow$	$\downarrow$	$\downarrow$	$\downarrow$	
$\downarrow$	$\downarrow$	$\downarrow$	$\downarrow$	$\downarrow$	$\downarrow$	
$\downarrow$	$\downarrow$	$\downarrow$	$\downarrow$	$\downarrow$	$\downarrow$	

$\Rightarrow$  we have to return the min element of stack at pop.

$\Rightarrow \quad 0 \ 0 \ 1 \ 1 \ 1 \ 2 \rightarrow \text{ans}$

ing

a '#'

- and then
- ⇒ We can do that we will take stack and by using it find the min element then print it & pop the element.
  - ⇒ But this process is will increase the T.C upto  $O(n^2)$ .
  - ⇒ So, for getting a faster approach, we will do that when we are pushing the element into the stack, we will only push the min element.
  - ⇒ For ex: if the min element of the stack is 1 & 5 comes then we will push 1 into the stack.
  - ⇒ So, in short, we can say, we only push the min. element.