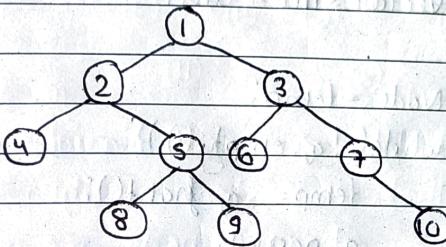


Day - 151Trees - 3\* Level Order Traversal:

= we have to traverse the tree level wise i.e.

1 2 3 4 5 6 7 8 9 10

= First, we will take root and put it in a line.

= Now, we will print 1 then put their left and right in the line, and pop 1 from line.

= After that, we will do this same procedure again and again.

= So, for line, we use queue DS.

Queue is of < Node \* > type.

Code

```
vector<int> levelOrder(Node *root) {
    queue<Node *> q;
    q.push(root);
    vector.push.back();
    vector<int> ans;
```

Node \*temp;

```
while(!q.empty()) {
    temp = q.front();
    q.pop();
    ans.push_back(temp->data);
```

if (temp->left)

q.push(temp->left);

if (temp->right)

q.push(temp->right);

}

return ans;

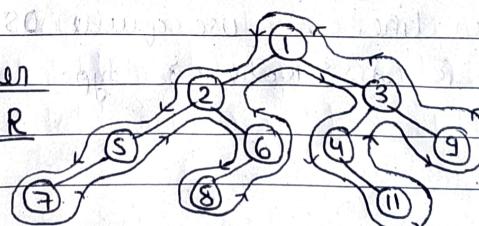
}

T.C.  $\rightarrow O(n^2)$ , S.C.  $\rightarrow O(n)$

\* Shortcut trick to calculate —

Preorder

N L R

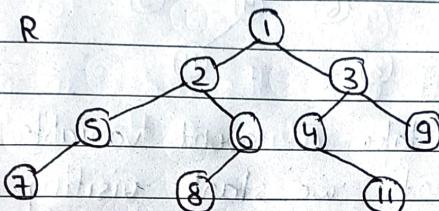


$\Rightarrow$  1 2 5 7 6 8 3 4 11 9

- ⇒ We have to first print Node.
- ⇒ So whenever first time we get any node, just print it.

Inorder

L N R



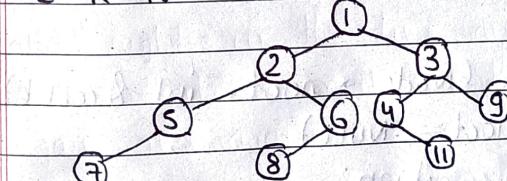
- ⇒ When we get any node second time, then we will print it.

⇒ 7 5 2 8 6 1 4 11 3 9

Postorder

L R N

⇒

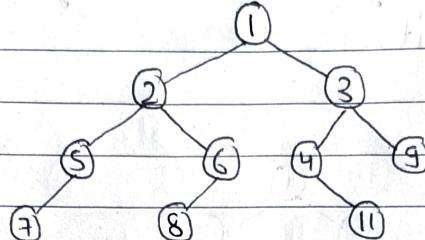


- ⇒ When we get any node third time, then we will print it.

⇒ 7 5 8 6 2 11 4 9 3 1

- ⇒ So if we are visiting any node last time then print it.

### \* Size of Binary Tree:



- = We will take a count variable.
- = After that, we start visiting our tree.
- = When we get any node, we will increase the count by one.
- = Another way to understand this is, we get any node then we will increase the count by 1 & then go to left side and after that right side.

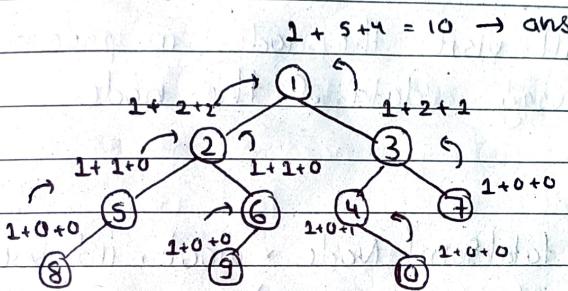
### Code

```

void total (Node *root, int &count)?
    if (root == NULL)
        return;
    count++;
    total (root->left, count);
    total (root->right, count);
}
  
```

Another method:

- When we get any node, then we will ask it to return no. of left side node and right side nodes.
- Then we will plus 1 into it & return the ans.



= So,

$1 + \text{total node in left side} + \text{Total node in right side.}$

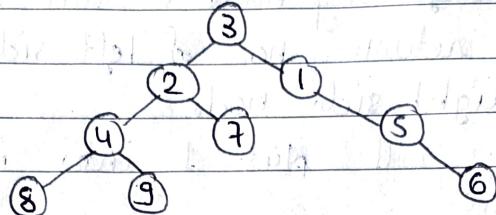
Code

```

int totalNode(Node *root){
    if (root == NULL)
        return 0;
    return (1 + TotalNode (root->left) +
            totalNode (root->right));
}
  
```

T.C.  $\rightarrow O(n)$ , S.C.  $\rightarrow O(n)$

## \* Sum of Binary Tree:



⇒ we will visit the nodes in preorder and sum every data of the node.

### Code

```

void totalSum( Node *root, int &sum){
    if( root == NULL)
        return;
    sum += root->data;
    totalSum( root->left, sum);
    totalSum( root->right, sum);
}
  
```

3

### Another approach

⇒ we will calculate  

$$\text{root} \rightarrow \text{data} + \text{left side sum} + \text{right side sum}$$

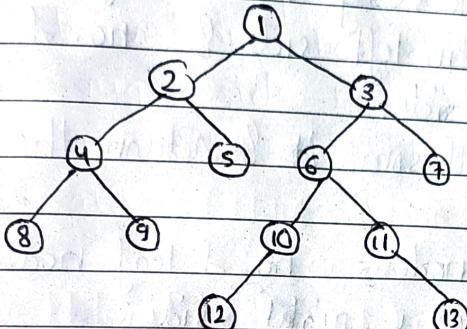
### Code

```

int totalSum( Node *root){
    if( root == NULL)
        return 0;
    return (root->data + totalSum(root->left)
            + totalSum( root->right));
}
  
```

3

\* Count Leaves in BT:



- ⇒ Leaves are those nodes that don't have any children.
- ⇒ We have to return the no. of leaf nodes.
- ⇒ We will traverse the tree and ask every node that is leaf node or not.
- ⇒ If yes then increase the count otherwise go to left & right side.

Code

```

void countleaf( Node *root, int &count ) {
    if( root == NULL )
        return;
    if( !root->left && !root->right ) {
        count++;
        return;
    }
    countleaf( root->left, count );
    countleaf( root->right, count );
}
  
```

Another method

= we will ask every node to give no. of leaf nodes in left side & no. of leaf nodes in right side.

=> Then we will sum it & return the sum.

So,

No. of leaf nodes = no. of leaf nodes in left side + right side;

= when any node is leaf node :- then it will return 1.

Code

```
int countLeaf(Node *root){  
    if(root == NULL)  
        return 0;  
    if(!root->left & !root->right)  
        return 1;  
    return(countLeaf(root->left) +  
           countLeaf(root->right));  
}
```

\* Count Non leaf Nodes:

=> we have to return non-leaf nodes.

=> we will ask every node to give left & right side non-leaf nodes.

$\Rightarrow$  So,  $1 + \text{no. of non-leaf nodes in left side} + \text{right side}$ .

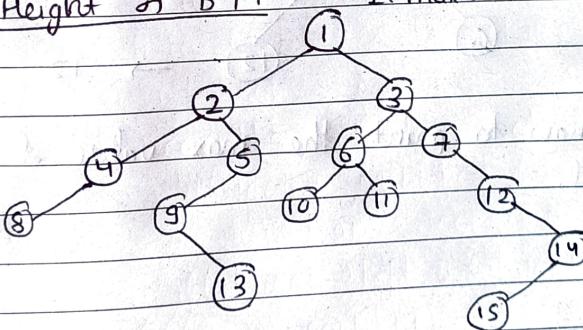
$\Rightarrow$  When any node is leaf node then it will return 0.

### Code

```
int nonLeaf(Node *root){  
    if(root == NULL)  
        return 0;  
    if(!root->left & & !root->right)  
        return 0;  
    return (1 + nonLeaf(root->left) +  
            nonLeaf(root->right));  
}
```

3

\* Height of BT:  $1 + \max(L, R)$



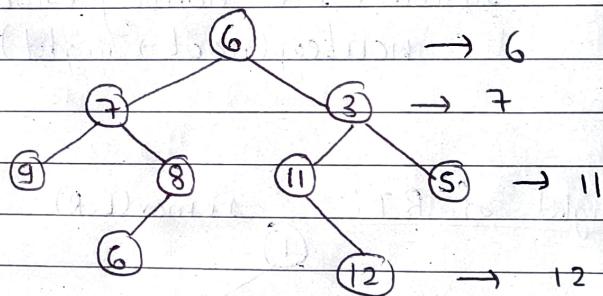
$\Rightarrow$  We will traverse & count nodes in from every root root to every leaf nodes.  
~~which~~ If it is greater than previous height then update it.

⇒ So,  $1 + \max(\text{Height of left side}, \text{Height of right side})$ .

Code

```
int height( Node *root){  
    if( root == NULL)  
        return 0;  
    return (1 + max( height( root->left),  
                    height( root->right)));  
}
```

\* Largest value in each level:



⇒ We have to print the max value of each level.

⇒ To solve this problem, first, we will push the root element in the queue.

⇒ Now, we will take a count variable.

⇒ And store 1 into it.

⇒ Count variable is used to count the no. of elements in that level.

- => Now, we will find the max elements upto that count value.
- => After that, we will push the max element into ans vector.
- => Now, we will store the left & right of every node of that level in the queue.
- => And maintain a count-temp variable to know that no. of nodes in the next level.
- => Now, we will do the same process again.
- => And in the end, we will return the ans vector.