

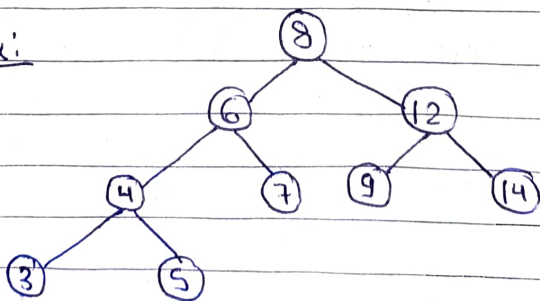
✚

Day - 163Binary Search Tree (BST)

\*

Binary Search Tree:

- ⇒ In normal tree, if we have to find any node then we have to traverse the whole tree.
- ⇒ Because there is no order in the whole tree.
- ⇒ So, to solve this problem, we have use binary search tree.
- ⇒ Here, we define relationship among ~~element~~ nodes.
- ⇒ Every left side nodes are smaller than the root node & every right side nodes are greater than the root node.

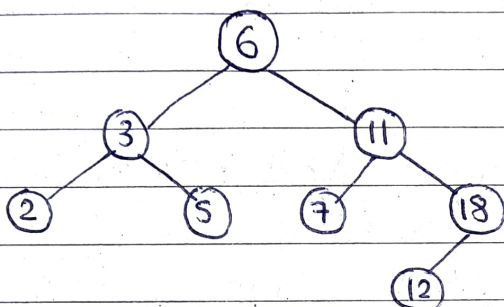
Ex:

⇒

So, if we want to search 9 then we only have to go to right side.

⇒ If we want to create a BST from an array -

6	3	11	5	7	18	12	2
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⇒ If the value is smaller, go to left side otherwise on the right side.

⇒ If the node data is same then we can pass it to any side.

⇒ When we are creating tree then first we will create a node then return the address.

Code

```
class Node{
```

```
public:
```

```
int data;
```

```
Node *left, *right;
```

```
Node(int value){
```

```
    data = value;
```

```
    left = right = NULL;
```

```
}
```



```
int main(){
    int arr[] = {3, 7, 4, 1, 6, 8};
    Node * root = NULL;
    for( i=0; i<6; i++)
        root = insert(root, arr[i]);
}
```

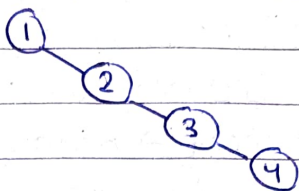
```
Node * insert (Node * root, int target){
    if( !root){
        Node * temp = new Node(target);
        return temp;
    }
    if( target < root->data)
        root->left = insert( root->left, target);
    else {
        root->right = insert( root->right,
                               target);
    }
    return root;
}
```

⇒ As we can see, when we are inserting any node, it is adding to the end of the tree as leaf node.

⇒ So, in the worst case, it can be height of the tree.

⇒ So, T.C.  $\rightarrow O(h)$

=> Also, if the tree is like —



=> Then if we are adding 5 then, it means we are traversing all the nodes.

=> So, in the worst case or edge case like this,  $T.C. \rightarrow O(n)$

=> Creating a whole tree —  
 $T.C. \rightarrow O(n^2)$

=>  $S.C. \rightarrow O(n)$

=> Inorder traversal of the BST ~~is~~ always give sorted result.

\* Searching a node:

=> Searching is same like inserting any node.

=> If we get null that means node not found.

Code



```
bool search(Node * root, int target){
    if(!root)
        return 0;
    if(root->data == target)
        return 1;
    if(root->data > target)
        return search(root->left, target);
    else
        return search(root->right, target);
}
```

T.C.  $\rightarrow$  B.C.  $\rightarrow O(h)$

A.C.  $\rightarrow O(h)$

W.C.  $\rightarrow O(n)$

#### \* Delete Operation:

- $\Rightarrow$  If we want to delete a leaf node — then simply delete it & return null.
- $\Rightarrow$  If there is a case that only left or right exist then delete that node & return their existing child.
- $\Rightarrow$  If both the children exist then after deleting the node, we have to take a node from the subtree & replace it.
- $\Rightarrow$  we can select the left subtree rightmost node or right subtree leftmost node.

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- ⇒ First, we find the node then their rightmost node.
- = After that make that node parent to point to the left of the node.
- = After that node left will point to root left & node right to root right.
- ⇒ Then return the node.
- ⇒ If the parent ~~is~~ and root is same then right of child will point to ~~is~~ right of root.

T.C.  $\rightarrow O(n)$