

Day - 157Trees - 7

- * Construct a tree from inorder and preorder:

In 4 | 2 | 8 | 5 | 9 | 1 | 6 | 3 | 7 | 10

Pre 1 | 2 | 4 | 5 | 8 | 9 | 3 | 6 | 7 | 10

- = Our first question can be —
- = Can we create a tree by using pre-order only?
- = So, we can't create a unique tree only by using pre-order.
- = In the same way, we can't create a unique tree by using in-order or post-order alone.

- = So, by using —

Pre-order & in-order &

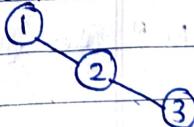
Post-order & in-order

we can create a unique tree.

But we can't — Pre-order & Post-order.

Ex: Pre: 1 2 3

In: 1 2 3



⇒ We know that, in pre-order — N L R.

⇒ So, we ~~to~~ don't know that, after selecting node, we can't decide that the second element is left or right child.

⇒ For that, we will require, in-order.

⇒ In-order → L N R

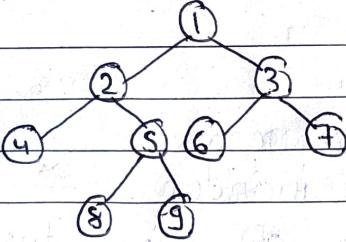
⇒ So, after identifying 'Node' from pre-order, we can easily identify left & right from in-order.

Pre-order → N L R

In-order → L N R

⇒ So, pre-order helps in knowing element & in-order ~~tells~~ helps in knowing their position.

Ex:

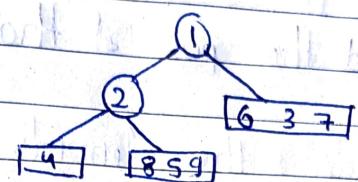
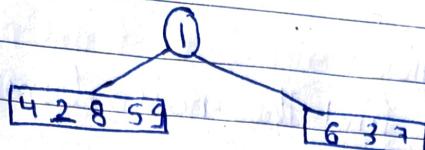


N L R Pre: 1 2 4 5 8 9 3 6 7

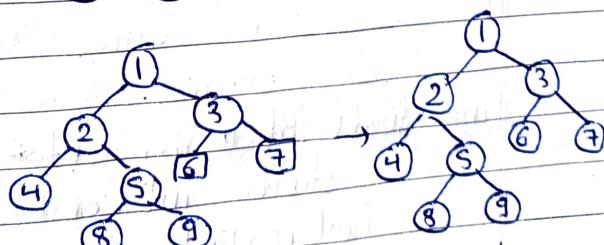
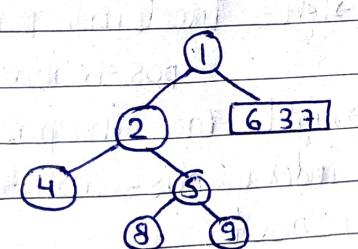
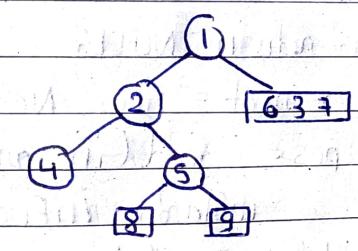
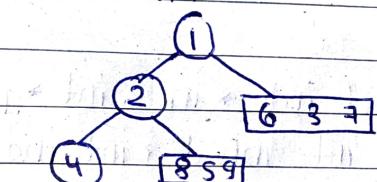
L N R In: 4 2 8 5 9 1 6 3 7
L N R

Date _____

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=) And so on...



=) Elements should be unique in the tree.

Code Logic

- ⇒ First, find the node element from preorder.
- ⇒ Then, find the pos of that element in inorder.
- ⇒ And divide the elements in left & right, according to inorder.

Code

```

Node * Tree( int *in, int *pre, int
instant, int inEnd, int index){  

    if( instant > inEnd )
        return NULL;  

    Node * root = new Node( pre[index] );
    int pos = find( in, pre[index],
                    instant, inEnd );  

    root->left= Tree( in, pre, instant,
                        pos-1, index+1 );
    root->right= Tree( in, pre, pos+1,
                        index+(pos-instant)+1 );
    return root;
}

```

```

int find( int *in, int *target, int
start, int end ){
    for( i=start; i<=end; i++ ){
        if( in[i] == target )
            return i;
    }
    return -1;
}

```

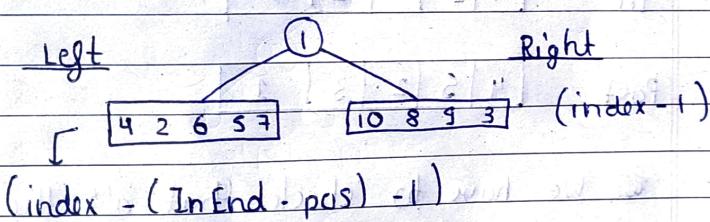
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* Construct a Tree from in-order & post-order instead

post → 4 | 6 | 7 | 5 | 2 | 10 | 9 | 8 | 3 | ① | L R N

- ⇒ By using postorder, we can easily identify root node i.e. 1.
- ⇒ We will first see the right side then left side.
- ⇒ Also we will see from the end of the inorder.



Code

```
Code
Node *Tree( int *in, int *pre, post, int
            instant, int inEnd, int index) {
    if( instant > inEnd)
        return NULL;
```

```
    return NULL;  
Node * root = new Node(post[index]);  
int pos = find(in, post[index],  
                instart, inEnd);
```

noct → right = InEnd, pos, pos + 1,
InEnd, index ≠ -1);

root → left = Traversal in post instant.

$pos - 1, \text{index} - (\text{InEnd} - pos) - 1;$

return root; } " - ;

}

T.C. $\rightarrow O(n^2)$

S.C. $\rightarrow O(n)$

* Check Tree Traversal:

Pre

1	2	4	5	3
---	---	---	---	---

In

4	2	5	1	3
---	---	---	---	---

Post

4	5	2	3	1
---	---	---	---	---

\Rightarrow We have to check that all the given tree traversals are one tree.

\Rightarrow For this, we can create two trees by using in & pre and in & post.

\Rightarrow Then, we can check both the trees are same or not.

\Rightarrow If same, return 1 otherwise 0.