

Day - 140Stack - 6

- \* Get min. element from stack:
- ⇒ we have to perform, three operations —
  - push → O(1)
  - pop → O(1)
  - get min → O(1)
 } in O(1) T.C.
- ⇒ We can easily perform push & pop in O(1) T.C.  
 & but we can't perform get min in O(1)  
 easily.
- ∴ So, we have to figure this out.
- ∴ So, we will use another stack & for every  
 value in the original stack, we will  
 maintain a min value for that corresponding  
 stack value.
- ∴ This will take O(n) T.C.

Code

```

stack<int> st1;
stack<int> st2;
void push(int x){
  if( st1.empty() ){
    st1.push(x);
    st2.push(x);
  }
}
  
```

```
else{
```

```
    st1.push(x);
```

```
    st2.push(min(x, st2.top()));
```

```
}
```

```
int pop(){
```

```
    if(st1.empty()) {
```

```
        return -1;
```

```
    else{
```

```
        int element = st1.top();
```

```
        st1.pop();
```

```
        st2.pop();
```

```
        return element;
```

```
}
```

```
int getMin(){
```

```
    if(st1.empty())
```

```
        return -1;
```

```
    else
```

```
        return st2.top();
```

```
}
```

⇒ We have to solve it in constant space —  
We can't use another stack.

- ⇒ Now, we have to need a min element at every value.
  - ⇒ So, for this, we can use the approach of storing two numbers in one no.
  - ⇒ This will be using '%' operator.
  - ⇒ So, we will store both no. & min no at that place in the stack.
  - ⇒ So, according to our question, we get value in the range between 1 to 100 :
  - ⇒ So,
- will
- $$\text{number} = \text{ani. no.} \times 101 + \text{min. element}$$
- For ex:
- $$\begin{aligned}\text{ani. no.} &= 2, \text{ min. element} = 2 \\ \text{number} &= 2 \times 101 + 2 \\ &= 202 + 2 = 204\end{aligned}$$

Code

```
stack <int> st1;
```

```
stack <int> st1;
```

```
void push(int x) {
    if (st1.empty())
        st1.push(x + 101 + x);
    else
        st1.push(x * 101 + min(x, st1.top() % 101));
}
```

```

int pop(){
    if(st1.empty())
        return -1;
    else{
        int element = st1.top() % 10;
        st1.pop();
        return element;
    }
}
    
```

```

int getmin(){
    if(st1.empty())
        return -1;
    else
        return st1.top() % 10;
}
    
```

Note:

1. Only applicable for limited range.
2. / → Original no.
- % → Minimum no.

\* Max. & min. for every window size:

10	20	15	50	10	70	30
----	----	----	----	----	----	----

$$k=3$$

⇒ First we have to create windows —

→ min → 10      15      10      10  
 $\{10, 20, 15\}, \{20, 15, 50\}, \{15, 50, 10\}, \{50, 10, 70\},$   
 $10$   
 $\{10, 70, 30\}$

⇒ Min from every window → 10, 15, 10, 10, 10

→ Max of min of every window → [15] → (ans. for)  
 (when window size is 3)

⇒ We have to find this for all window sizes → 1, 2, 3, ...

⇒ k=1 → {10}, {20}, {15}, {50}, {10}, {70}, {30}  
 ans → 70

⇒ Same for k=2, 3, 4, 5, 6, 7, ...

⇒ In the end, we will get an array —

0	1	2	3	4	5	6
ans →	70	30	15	10	10	10

⇒ First, we will create an array 'ans' to store answers.  
 ⇒ After that, we will run a loop of size  
~~size~~ of array times.

⇒ For how many windows in that window size  
is equal to size of array -  $i$ .

⇒ Window size =  $i + 1$ .

⇒ Indexing for elements —

from  $i$  to  $j+i+1$ .

$i \rightarrow$  ~~outer~~ loop,  $j \rightarrow$  ~~inner~~ loop.

⇒ We will take a variable num to store  $\min$  of that window.

⇒ After that we will find max from all of the windows.

⇒ In the end, return  $\rightarrow$  num, ans array.

### Code

```
for(i=0; i<n; i++){  
    for(j=0; j<n-i; j++){  
        int num = INT_MAX;  
        for(k=j; k<j+i+1; k++)  
            num = min(num, arr[k]);  
        ans[i] = max(ans[i], num);  
    }  
}
```

return  $\rightarrow$  num, ans;

T.C.  $\rightarrow O(n^3)$

~~w size~~

- ⇒ Approach to solve in  $O(n^2)$ .
- ⇒ Instead of running or solving in horizontal direction, we will solve it in vertical direction.
- ⇒ Approach to solve in  $O(n)$ .
- ⇒ In the previous approaches, we are finding window and then min element.
- ⇒ Now, we will reverse this process.
- ⇒ We will select any element from array & check for which window size, it will be min.
- ⇒ we will do this for all elements & if we get any greater element than we will change that ans with greater element.
- ⇒ For finding window size, we will do -  

$$\text{NSR} - \text{NSL} + 1 - 1$$
- ⇒ After that we will update the max value for every window size, to that element.
- ;)     ⇒ This approach will also take  $O(n^2)$  T.C.
- ⇒ So, to make it more optimized, we will fill only the last window size for that element.
- ⇒ In the end, we will do a traversal from end-1 element to start & check with front elms next element for max.

Code

```
vector<int> ans(n, 0);
stack<int> st;
for (int i = 0; i < n; i++) {
    while (!st.empty() && arr[st.top()] > arr[i])
        int index = st.top();
        st.pop();
        int range = i - st.top();
        if (st.empty())
            int range = i;
        ans[range - 1] = max(ans[range - 1],
                             arr[index]);
    }
    else {
        int range = i - st.top() - 1;
        ans[range - 1] = max(ans[range - 1],
                             arr[index]);
    }
}
st.push(i);
while (!st.empty()) {
    int index = st.top();
    st.pop();
    if (st.empty())
        range = n;
        ans[range - 1] = max(ans[range - 1],
                             arr[index]);
}
```

Date \_\_\_\_\_

Page \_\_\_\_\_

else{

range = n - st.top() - 1;

ans[range-1] = max(ans[range-1],  
ans[index]);

}

}

for (i = n - 2; i >= 0; i--) {

ans[i] = max(ans[i], ans[i + 1]);

}

return ans;

T.C.  $\rightarrow O(n)$

S.C.  $\rightarrow O(n)$