

=> if $\text{end} - \text{start} > \text{diff}$
=> \uparrow start.

Day - 39

Prefix and Suffix

=> Prefix: From starting.

=> Suffix: From ending.

6	4	5	-3	2	8
---	---	---	----	---	---

=> Prefix sum

Sum the elements from starting to end.

6	10	15	12	14	22
---	----	----	----	----	----

=> Suffix sum

Sum the elements from ending to start.

22	16	12	7	10	8
----	----	----	---	----	---

Code

```
=> vector<int> prefix(n);  
    prefix[0] = arr[0];  
    for (int i = 1; i < n; i++) {  
        prefix[i] = prefix[i-1] + arr[i];  
    };
```


* Sub-array:

=> Some contiguous part of the array.

=>

1	2	3	4
---	---	---	---

 $\rightarrow n$

1	2
---	---

2	3	4
---	---	---

2	3
---	---

3	4
---	---

=> All are sub array of the given array.

1-size:

1

2

3

4

 $\rightarrow n$

2-size:

1	2
---	---

2	3
---	---

3	4
---	---

 $\rightarrow n-1$

3-size:

1	2	3
---	---	---

2	3	4
---	---	---

 $\rightarrow n-2$

4-size:

1	2	3	4
---	---	---	---

 $\rightarrow 1$

* Divide array in 2 sub array with equal sum:

3	4	-2	5	8	20	-10	8
---	---	----	---	---	----	-----	---

=> First, we start with first element then check the sum of both subarray's.

=> If it is equal then return the index.

=> Otherwise, increase the pointer to the next element, and do the same thing.

Code

array.

3 4
 given array

→ n

→ n-1

→ n-2

1

with

8

ment then
 array's
 the index.
 n to the
 same thing.

```

for (i=0; i<n-1; i++) {
    int sum1 = 0, sum2 = 0;
    for (j=0; j<=i; j++) {
        sum1 += arr[j];
    }
    for (j=i+1; j<n; j++) {
        sum2 += arr[j];
    }
    if (sum1 == sum2)
        return 1;
}
return 0;
  
```

Second Approach

3	4	-2	5	8	20	-10	8
↑ 3	↑ 7						

Total Sum = 36

- ⇒ First, we calculate total sum of the array.
 ⇒ After that, we start from 3 and check the difference b/w 3 & total sum.
 ⇒ If it equal that means subarray present.

- ⇒ If not then calculate the sum of 3 with 4 and do the same task.

- ⇒ $36 - 3 = 33 \neq 3$
 ⇒ $36 - (3+4) = 29 \neq 7$
 ⇒ $36 - (3+4-2) = 31 \neq 5$
 ⇒ $36 - (3+4-2+5) = 26 \neq 12$
 ⇒ $36 - (3+4-2+5+8) = 18 = 18$

Code

```

Total_Sum = 0;
for (i=0; i<n; i++)
    Total_Sum += arr[i];
int prefix = 0;
for (i=0; i<n-1; i++)
    prefix += arr[i];
ans = Total_Sum - prefix;
if (ans == prefix)
    return 1;
}

```

* Longest Sum Contiguous Subarray:

3	4	-5	8	-12	7	6	-2
---	---	----	---	-----	---	---	----

⇒ For understanding, let's take a small example:

0	1	2	3
4	-6	2	8

The subarray are —

⇒ {0} {0, 1} {0, 1, 2} {0, 1, 2, 3}

⇒ {1}, {1, 2}, {1, 2, 3}

⇒ {2, 2}, {2, 3}

⇒ {3}

⇒ So, we will calculate the prefix sum as —
from 0-3, 1-3, 2-3, 3.

Code

```

int max = INT_MIN;
for (i = 0; i < n; i++) {
    prefix = 0;
    for (j = i; j < n; j++) {
        prefix += arr[j];
        maxi = max(maxi, prefix);
    }
}
return maxi;

```

=> There is another better approach to solve this question in $O(N)$ time.

=> First we take two variables - prefix & max.

=> Now we calculate prefix, & check ~~who is bigger between prefix & max~~ if prefix is bigger than max then update the max with prefix.

=> If we get any -ve value in prefix then update the prefix with zero (0).

=> This is kadane's algo..

=> 4 -6 2 8

prefix = 4 ~~-2~~ ~~2~~ 10 maxi = 4 10

=> We convert -ve prefix to 0 because adding -ve no. to the prefix, decrease the prefix.

Code

```
int max = INT_MIN;
int prefix = 0;
for (i = 0; i < n; i++) {
    prefix += arr[i];
    max = max(max, prefix);
    if (prefix < 0)
        prefix = 0;
}
```

* Max. difference b/w 2 element:

9	5	8	12	2	3	7	4
---	---	---	----	---	---	---	---

⇒ In this question, we have to return max. difference b/w 2 element ^{most} but difference is only calculated of ~~the~~ elements that are come after the smaller element.

⇒ In Brute force approach, we ~~can~~ can select the first then find the greater no. than that and calculate the diff. & store the max. difference.
⇒ $O(N^2)$ → T.C.

⇒ In Second approach, we use suffix max to solve the problem because here we have to find the difference of the max. element from that element to the

Right. $\rightarrow O(N) \rightarrow T.C.$

- \Rightarrow We can also do this in one traversal by ~~st~~ calculating suffix taking a variable & start with end then do the difference with suffix and store the max difference.
- $=$ After ~~if~~ doing this return the max difference.