

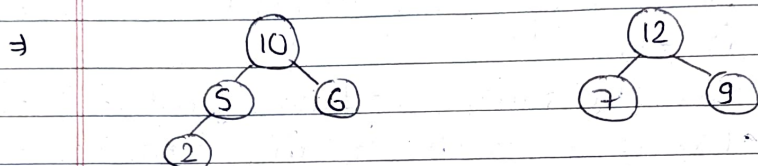
Heap - 5

* Merge two binary Max Heap:

\Rightarrow

10	5	6	2
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12	7	9
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⇒ In the first approach, we can create a priority queue & insert all the elements of both arrays.

⇒ Then pop all the elements and store in a vector & return it.

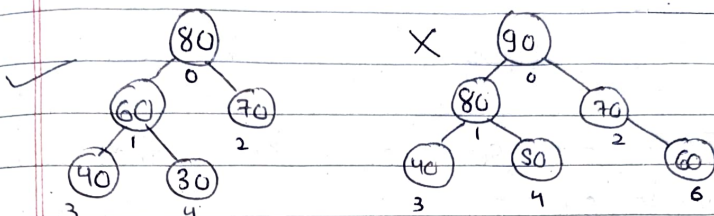
$$T.C \rightarrow (n+m) \log(n+m)$$

⇒ In the second approach, we can combine two arrays then make heap from this array.

$\Rightarrow T.C. \rightarrow O(n+m)$

* Is Binary Tree Heap:

- ⇒ Properties for Max Heap:
- ⇒ CBT,
- ⇒ Every parent \geq its child.



- ⇒ First, we will give index to the nodes (for better understanding).

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- ⇒ Now, we will create an array from the nodes. If we get any space left in b/w array then that tree is not CBT.

- ⇒ But this approach is inefficient.

- ⇒ For better approach, we will count the nodes.

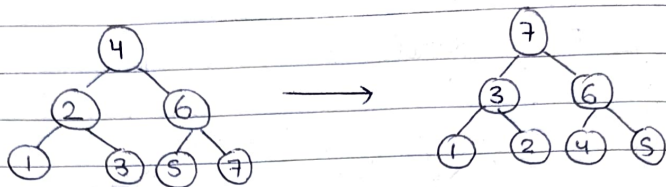
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- ⇒ Then check if any index of node is equal to or more than the no. of nodes then the tree is not CBT. because if a tree contains n nodes then the indexing is b/w $(0 - (n-1))$.

- ⇒ Then we will check maxheap property by traversing all the nodes.

T.C. $\rightarrow O(N)$ ($N \rightarrow$ no. of nodes).

* BST to Max Heap:



⇒ There are some conditions that we have to follow —

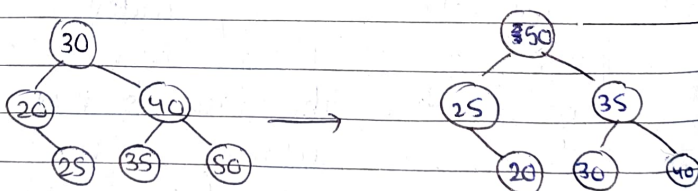
→ parent > children

→ left subtree < right subtree

⇒ First, we will find the ~~the~~ in order traversal of the BST.

⇒ Then we will start filling the tree in post order traversal → L R N.

⇒ There will be no change in the structure of the BST.



in order → 20, 25, 30, 35, 40, 50