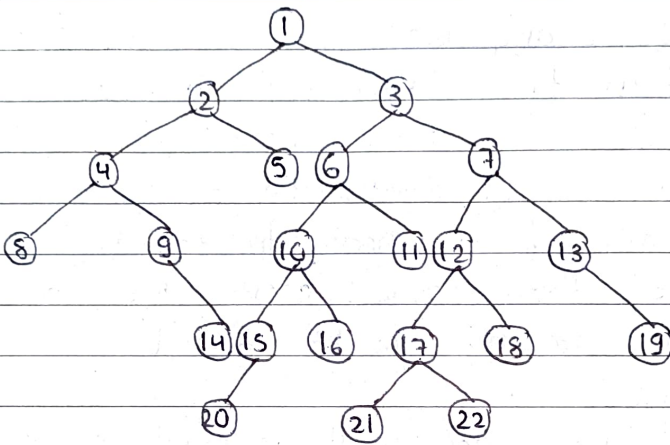


Day - 16/12Trees - 10* Burning Tree:

- ⇒ We will given a target and from that target, we have to burn the tree.
- ⇒ Burning a node is like they will burn their adjacent nodes.
- ⇒ This will take 1s.
- ⇒ Now, we will ~~go~~ do this again & again until we burn all the nodes.
- ⇒ And in the end, we have to return total time taken to burn the tree.
- Ex: Suppose target → 12
- ⇒ So, 12 will burn their adjacent 7, 17, 18 nodes & will take 1 s.
- ⇒ we will do same until all the nodes burn.

- ⇒ we can easily calculate time for down nodes from any nodes.
- ⇒ The answer is the height.
- ⇒ Now, the question is that how to find the above adjacent nodes.
- ⇒ If in any way, we find the above node then time taken will be $1s + \text{height}$ from the above node.
- ⇒ So, we will create an array to store the path from node to target.
- ⇒ After that, we will create two more array for storing height of left side & right side.
- ⇒ So, now, how will we select the height.
- ⇒ For that we will see the previous node from the array.
- ⇒ If it is from left side select right subtree height otherwise left.

path

1	3	7	12
---	---	---	----

⇒ Another approach:

- ⇒ we will use recursion and everytime when any above node come, we will return $1 + \text{height}$ to the above node.

- ⇒ we will ask two questions —
- ⇒ If the burn is coming to that node then return the time.
- ⇒ If the burn is not coming then return the height.
- ⇒ we will ask same question to left & right to every node.
- ⇒ So, how will we know that the no. is coming is burn on height.
- ⇒ For that we will denote burn by -ve no.

Code

int target

```
int Burn(Node *root, int &timer){
    if(!root)
        return 0;
    if (root->data == target)
        return -1;
    int left = Burn(root->left, timer, target);
    int right = Burn(root->right, timer, target);
    if (left < 0){
        timer = max(timer, abs(left) + right);
        return left - 1;
    }
    else if
    if (right < 0){
        timer = max(timer, left + abs(right));
        return right - 1;
    }
}
```



```

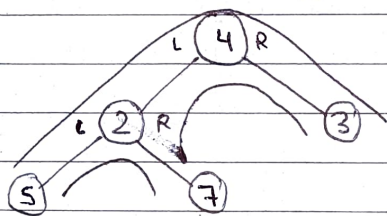
    return 1 + max(left, right);
}

```

* Max Path Sum Between two Nodes:

⇒ Find max possible path sum from one special node to another special node.

⇒ Special node is a node which is connected to exactly one different node.



⇒ special node is like leaf node.

⇒ So, $5 + 2 + 7 = 14 \rightarrow$

$5 + 2 + 4 + 3 = 14 \rightarrow$

$7 + 2 + 4 + 3 = 16 \rightarrow$

} 16

⇒ So, we can go upward easily but we can come down easily.

⇒ So, we can do that, we will find the max left side sum & right side sum.

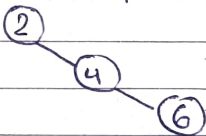
⇒ If there is only one left or one right then it is not special node.

Cases

- ⇒ If node doesn't exist return 0.
- ⇒ Leaf node then simply return data.
- ⇒ Left & right both exist —
 - ↳ $sum = \max(sum, data + left + right);$
 - ↳ $return data + \max(left, right);$
- ⇒ If one left only exist —
 $return data + left.$
- ⇒ If one right only exist —
 $return data + right.$

Edge Case

- ⇒ Root node can be special node.

Ex:

- ⇒ So we will store the value & then check if root node is our special node or not.
- ⇒ If yes then return this value.