

Day - 148Queue - 4* Sliding Window Maximum: $k = 4$ Brute force

```

Code: vector<int> ans;
for(i=0; i<=n-k; i++){
    int total = INT-MIN;
    for(j = i; j < i+k; j++) {
        total = max(total, nums[i]);
    }
    ans.push_back(total);
}
return ans;
    
```

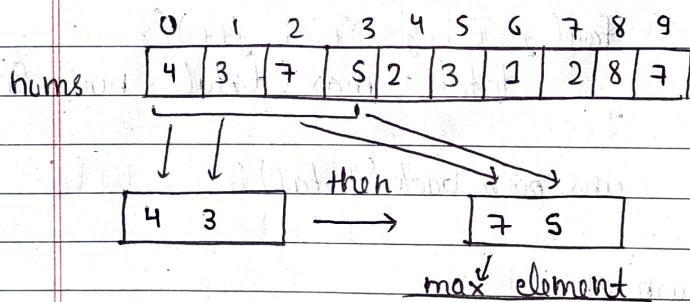
⇒ T.C. $\rightarrow O(nk)$

Optimized approach

⇒ To optimize the approach, we have to find a way so that we will get max. element in that window in $O(1)$ time.

⇒ So, we can make a approach just like that the max. element is present in the front of queue.

- ⇒ So, we will do that, we will use a queue and only store max. element in the queue as first max, second max, etc.
- ⇒ Now, we will pop from starting & ending too. So, we will use deque.
- ⇒ When the current ~~comming~~ coming element is greater than back element of deque, we will pop the back elements until we will get an element greater than current element.



- ⇒ We will store index instead of values.

Code :

```
deque<int> d;
vector<int> ans;
for(i=0; i<k-1; i+1){
    if(d.empty())
        d.push_back(i);
    else if(d.back() < i)
        d.push_back(i);
    else
        d.pop_back();
}
```

```

else { !d.empty() & &
      while (nums[i] > nums[d.back()])
          d.pop_back();
      d.push_back(i);
}

```

3

```

for (i = k - 1; i < n; i++) {
    while (!d.empty() & & nums[i] > nums[d.back()])
        d.pop_back();
    d.push_back(i);
    if (d.front() <= i - k)
        d.pop_front();
    ans.push_back(nums[d.front()]);
}

```

3

return ans;

* Min no. of k consecutive flip bits:

⇒ nums [0 | 0 | 1]

k = 2

⇒ we have to make this array 1 but
we have to do this by using windows
of size k.

⇒ And there is another condition that
for every window, we will make 0 to
1 & 1 to 0.

⇒ we have to return no. of flips required to make this array of 1s.

⇒ Also, flipping bits of window is consider as 1 flip.

⇒ $k=2$

0	1	0	1
---	---	---	---

1	0	0	1
---	---	---	---

 $1 \ 1 \ 1 \ 1 \rightarrow \text{result}$

$\text{flip} = 4/2 \rightarrow \text{ans}$

⇒ $k=3$

1	0	1	1	0
---	---	---	---	---

$\text{flip} = 6/2$

1	1	0	0	0
---	---	---	---	---

$\text{flip} = 2 \rightarrow \text{ans}$

$k=2$

1	1	0	1
---	---	---	---

1	1	1	0
---	---	---	---

$\rightarrow \times$

⇒ So, in this condition, we will return -1.

⇒ Brute force

⇒ This approach is very simple, we will find 0 then take window of k size & flip the bits.

⇒ After again, we will do this.

Code

```

int flip = 0;
for(i=0; i<n; i++){
    if(nums[i] == 0) {
        if(i+k-1 >= n)
            return -1;
        for(j=i; j <= i+k-1; j++) {
            nums[j] = !nums[j];
        }
        flip++;
    }
}
return flip;

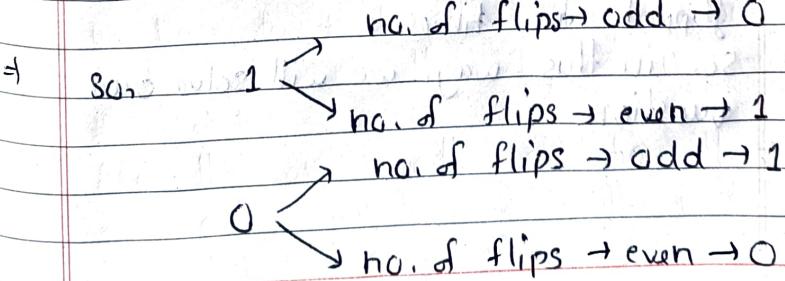
```

T.C. $\rightarrow O(nk)$

S.C. $\rightarrow O(1)$

Optimized approach

- \Rightarrow we will use an array that will store the flips for every element.
- \Rightarrow So, by using this, we don't have to traverse the window & flipping the bits.



⇒ This approach will also take $O(nk)$ time.

⇒ So, we have to find a way that we can know how much time n elements flip.

(last index of window)

⇒ For this, we will store the index, where the window flips the elements.

	0	1	2	3	4	5	6	7	8	9	
<u>k=4</u>	0	0	1	0	0	1	1	1	0	1	0
⇒	index										

for 0: 3 → This showing that upto 3 all the no. are flipped ($\text{size } k$) no. of times.

for 1: Here, we have 0 & it flipped one time. So, no flipping required.

for 2: Here, we have 1 & it flipped one time, so we have to flip it.

⇒ Therefore, 3,5 → it showing that from 2 to 5, all the elements flipped two times.

⇒ So, in this way, we will solve our question.

Code

```
queue <int> q;
int flip = 0;
for( i=0; i<n; i++){
    if(!q.empty() && q.front() < i)
        q.pop();
    if( num+q.size()%2 == nums[i]){
        if(i+k-1 >= n)
            return -1;
        q.push(i+k-1);
        flip++;
    }
}
return flip;
```