

Day - 223

## Greedy Algorithm

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### Greedy Algorithm:

=>

It is a problem solving approach that makes a sequence of choice, each of which looks best at that moment.

=1

This methods aim to find global optimal solution by making series of locally optimal choice.

=>

Here, we do smaller choices that leads to the solution of our bigger problem.

=>

If the we have to find min or max in the question then it's a hint that here we can use greedy.

\*

### Min no. of coins:

=1

Here, we are given some coins i.e. 2000, 500, 200, 100, 50, 20, 10, 5, 2, 1

=1

$N = 143$ , we have to make 143.  
 $100 + 20 + 20 + 3 + 1$

- ⇒ Here, we will use greedy & find the max that is near to 143 the substrat that coin value from 143.
- ⇒ And again apply same process to the remaining amount.

$$\begin{aligned} \rightarrow 143 &\rightarrow 43 \rightarrow 23 \rightarrow 3 \rightarrow 1 \\ \rightarrow 100 &\rightarrow 20 \rightarrow 20 \rightarrow 2 \rightarrow 1 \end{aligned}$$

⇒ Greedy don't work everywhere.

⇒ We will divide the no. to check that coin can be used or not.

\* Shop in candy store

5	3	2	1	4
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$$N = 5, k = 2$$

⇒ We have to buy all the candies and the price are given in the array.

⇒ We also have an extra condition that if we buy a candy, we can buy extra  $k$  candy for free.

⇒ So, we will become greedy here, we will buy the min cost candy & for free, we will take max cost candy.

\* Assign mice to holes:

$$\begin{array}{l} M = \begin{array}{|c|c|c|} \hline 4 & -4 & 2 \\ \hline \end{array} \\ H = \begin{array}{|c|c|c|} \hline 4 & 0 & 5 \\ \hline \end{array} \end{array}$$

$$M \quad - + + \quad \Rightarrow$$

$$-4 \quad 2 \quad 4$$

$$H \quad - + + \quad \Rightarrow$$

$$0 \quad 4 \quad 5$$

$\Rightarrow$  So, we have to put mouse in the hole & return the max time taken.

$\Rightarrow$  So, time will be calculated as  $M[i] - H[i]$ .

$\Rightarrow$  We have to return the min time. So we will sort the arrays & calculate the time.

\* Min Rotation to unlock a circular lock:

$$R = 222$$

$$D = 333$$

$\Rightarrow$  We can rotate clockwise or anticlockwise.  
 $\Rightarrow$  So, we will do this —

$$\min(-3-2, 10-2) = \min(1, 8)$$

$$= 1$$

\* N-meeting in one Room:

Start → 

1	3	0	5	8	5
---	---	---	---	---	---

End → 

2	4	6	7	9	9
---	---	---	---	---	---

⇒ We can organize meetings in such a way that end time of previous meeting should be smaller than the start time of the next meeting.

- ⇒ We can't take start time to find this.
- ⇒ But we can end time to solve this problem.
- ⇒ So we will use the approach which meeting will end first.
- ⇒ So we will sort on the basis of end array.

\* Job Sequencing Problem:

Job id → Deadline → Profit

1	4	20	1 task =
2	1	10	1 unit of
3	1	40	time
4	1	30	

- ⇒ So, we have to maximize the profit.
- ⇒ We will make a deadline array to check if we have space on that to do that task. ⇒

1	2	3	4

- ⇒ We will select the max. profit job first. ⇒

$$T.C. \rightarrow O(n^2)$$

- ⇒ Now, how to do this  $O(n \log n)$  T.C.
- ⇒ For that we will use ~~an~~ a parent array that store the value of available space. ⇒
- ⇒ Also, we use recursion to update the values. ⇒

#### \* single Threaded CPU:

Enqueue time	1	2	Processing time
	2	4	
	3	2	
	4	1	

- ⇒ If more than one task are available at a given time then CPU will

Select the task that have least processing time.

- ⇒ We have to print the order of tasks.
- => We will start from timer = 0.
- ⇒ When there is no task available at a given time then CPU will do nothing.
- ⇒ So when we will get any task, we will execute it & increase the timer value.
- ⇒ We will take a min heap & before that we will sort the array based on enqueue time.
- After that start the timer value with first task.
- => Then push the tasks of that timer value in the min heap.
- => And select the min processing time task, & increase the timer value.
- able => If the queue is empty then init the value of timer to the next task.

\*

Fractional knapsack:

⇒

0	1	2
value: 60	100	120

Weight: 10	20	30
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$$w = 50 \\ (\text{max})$$

⇒

=)

=) we have to put the value items in knapsacks in this manner that the value will be max.

=) Also, only 'w' amount of item weights equivalent item can come.

=) Also, we can put items in fractional value.

=) First, we get the value by weight value and become greedy for this.

=) Select the max. value by weight item.

=) Sort on the basis of value by weight.

\*

Non-overlapping Intervals:

⇒

=)

=)

\*

$\Rightarrow [ [1, 2], [2, 3], [3, 4], [1, 3] ]$

$\Rightarrow$  ~~if~~  $\text{end} \leftarrow \text{start} \rightarrow$  non-overlapping  
 $[1, 3] \quad [4, 6]$  interval

$\Rightarrow$  Here we use the end time,  
 $\Rightarrow$  we will select the interval that have least end time and do this process and remove the overlapping interval & increase the count value.

#### \* Insert Interval:

$[ [1, 3], [6, 9], [10, 20] ] \quad [2, 5]$

$\nearrow \searrow \rightarrow$  overlapping then make

$\Rightarrow [ [1, 3], [2, 5] ]$  them one

$= [ [1, 5], [6, 9], [10, 20] ]$

$\Rightarrow$  If we get any overlapping interval then mix them.

#### \* Task Scheduler:

①

A A A B B C ,  $n=2$  $\Rightarrow$ 

If we schedule a task suppose A then we can't again schedule the same task A until 2 seconds get over completed.

 $\Rightarrow$ 

But we can execute other task in between them.

 $\Rightarrow$ 

We have to return the min time required to execute all the tasks.

 $\Rightarrow$ 

We will first execute the max frequency task first.

 $\Rightarrow$ 

So,  $\rightarrow$  A B C A B - A

 $\Rightarrow$ 

A B C A B - A  $\rightarrow$  7 cycles

 $\Rightarrow$ 

$$(count - 1) * (n + 1) + 1$$

max frequency  
 $\frac{3}{3} \bigcirc \frac{3}{3}$

 $\Rightarrow$ 

But, A A A B B B

$$A B - A B - A B \rightarrow 8$$

$$\text{But } \rightarrow (3-1) * (2+1) + 1 = 7$$

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$\Rightarrow$  We will add the no. of tasks that have same frequency i.e. max. frequency task.

$\Rightarrow \frac{\text{AAA}}{4} \quad \frac{\text{BBB}}{4} \quad \frac{\text{CCC}}{3} \quad \frac{\text{DDD}}{3} \quad \underline{\text{E}}, n=2$

$\Rightarrow \text{ABC } \underline{\text{ABC}} \quad \text{A } \underline{\text{BC}} \subseteq \text{AB}$

$\Rightarrow$  But now D & E are remaining.

me  $\Rightarrow \text{ABC } \underline{\text{DE}} \text{ A } \underline{\text{BCD}} \quad \text{ABC } \underline{\text{D}} \text{ A } \text{B} \rightarrow 1S$

$\Rightarrow (\text{count}-1) * (n+1)$

$\Rightarrow 3 \times 3 = 9 + 2 = 11 < 1S$

$\Rightarrow$  So, our answer will be  $\max(11, 1S) \rightarrow 1S$ .

\* Huffman Coding:

$\Rightarrow$  message: a6 b3 c4 d2 e1 f2

a = 6

b = 3

c = 4

d = 2

e = 1

f = 2

=> It is a very important compression algorithm.

=> Message will be send in this format -  
01100001 → 01100001  
 one char

=> So, ~~total~~ = total size will be -  
 800 bits

=> Usually, we follow ASCII values,  
 => But here, we will create our own.

=> So, we will give six diff. chars.  
 => To represent these six diff. chars,  
 we will require 3 bits.

01100001	a → 000	→ table
	b → 001	
	c → 010	
	d → 011	
	e → 100	
	f → 101	

=> So, now total size will be 300 bits.

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ion  $\Rightarrow$  we will also send a table to the receiver's side so that receiver will identify which type of conversion we have used.

$\Rightarrow$  So what will table size will be -

$$6 \times 8 + 6 \times 3 = 48 + 18 = 66$$

$$\Rightarrow \text{Total size} = 300 + 66 = 366$$

$\Rightarrow$  So can we further reduce the size?

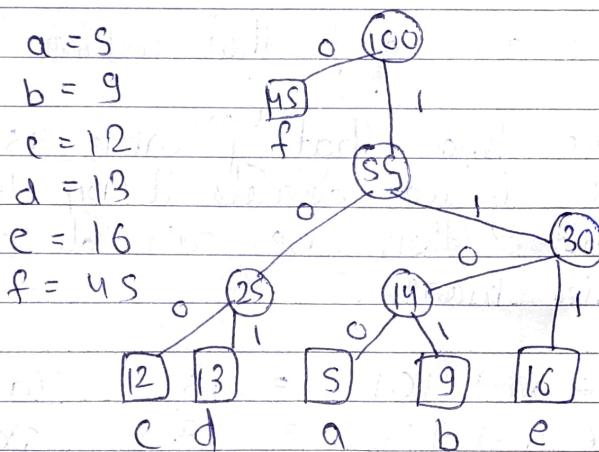
$\Rightarrow$  We know that 'f' came 4s times so if we denote it by least bit then we can decrease the size more.

$$\begin{array}{rcl} \Rightarrow s \leftarrow a \rightarrow 101 & = 1s & \text{Table} \\ 9 \leftarrow b \rightarrow 100 & = 27 & = 6 \times 8 + 12 \\ 12 \leftarrow c \rightarrow 11 & = 24 & = 60 \\ 13 \leftarrow d \rightarrow 10 & = 26 \\ 16 \leftarrow e \rightarrow 1 & = 16 \\ 4s \leftarrow f \rightarrow 0 & = +4s \\ & & \underline{153} \\ & & \underline{+60} \\ & & \underline{213} \end{array}$$

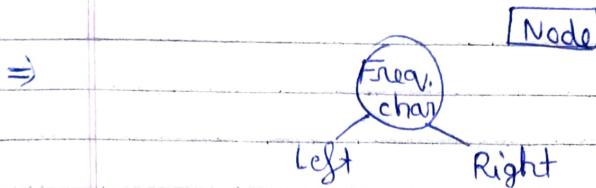
⇒ There is a problem in this →

⇒ It can be ee or c.

⇒ So, how Huffman solve this problem? ⇒



$\Rightarrow s \leftarrow a = 1100 \rightarrow 20$	<u>Table</u>
$\Rightarrow 9 \leftarrow b = 1101 \rightarrow 36$	$= 6 \times 8 + 18$
$\Rightarrow 12 \leftarrow c = 100 \rightarrow 36$	$= 66$
$\Rightarrow 13 \leftarrow d = 101 \rightarrow 39$	
$\Rightarrow 16 \leftarrow e = 111 \rightarrow 48$	
$\Rightarrow 45 \leftarrow f = 0 \rightarrow 45$	
	$\frac{224}{2} = 112$
	$\frac{112}{2} = 56$
	$\frac{56}{2} = 28$
	$\frac{28}{2} = 14$
	$\frac{14}{2} = 7$
	$\frac{7}{2} = 3.5$
	$\frac{3.5}{2} = 1.75$
	$\frac{1.75}{2} = 0.875$



⇒ If there is no char then use '\$'.

⇒ This is a greedy algo-question problem, because we are combining two min.

⇒ Also, we will use min-heap.

Table  
x8 + 18  
66