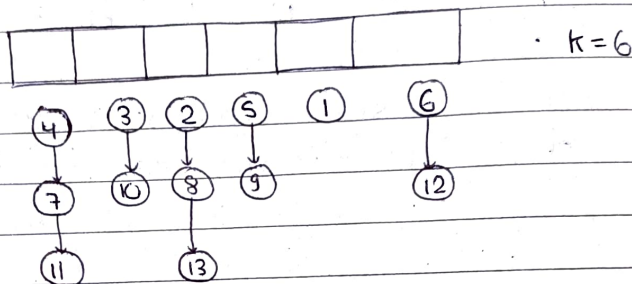


Day - 191Heap-6* Merge k Sorted LL:

- ⇒ We have given some LL & we have to merge all the LL.
- ⇒ we also solved this question previously ~~that~~ where we solved this question using approaches.
- ⇒ First, we will merge first two LL then next and so on.
- ⇒ Second, we will use merge sort here → $O(nk \log k)$
- ⇒ Now, in third approach, we will use heap.
- ⇒ So, we can do that insert all the data into the min heap then pop all the elements & create a LL.
- ⇒ T.C. → $nk \log nk$
S.C. → nk

⇒ This is not the most optimized approach.

⇒ Now, we can do that: we will store first elements of every LL then when any element popped, we will push their next element.

⇒ T.C. $\rightarrow O(nk \log k)$
S.C. $\rightarrow O(k)$

Code

```
⇒ class Node {  
    public:  
    int data;  
    Node *next;  
    Node(int x) {  
        data = x;  
        next = NULL;  
    }  
};
```

priority_queue < Node *, vector<Node *>, compare >

```
class compare {  
    public:  
    bool operator()(Node *a, Node *b) {  
        return a->data > b->data;  
    }  
}
```

→ for min heap

* Merge k sorted Array:

$k=4$	3	4	5	11
	1	6	7	14
	4	5	8	13
	6	9	10	12

⇒ We have to return a sorted array.

⇒ In the brute force approach, we can put all the elements inside a vector.

=> Then sort it —

→ if we use merge sort →

$$T.C. \rightarrow O(k^2 \log k)$$

$$S.C. \rightarrow O(k^2)$$

→ if we use heap sort →

$$T.C. \rightarrow O(k^2 \log k)$$

$$S.C. \rightarrow O(1)$$

⇒ In the next approach, we can use min heap & push all the elements —

⇒ Then pop elements & push into a array.

$$T.C. \rightarrow O(k^2 \log k)$$

$$S.C. \rightarrow O(k^2)$$

⇒ We can also use the previous day approach

⇒ Push first col then pop ~~min~~ top element from the min heap.

⇒ And push the adjacent element into the min heap.

$$T.C. \rightarrow k^2 \log k$$

$$S.C. \rightarrow k$$

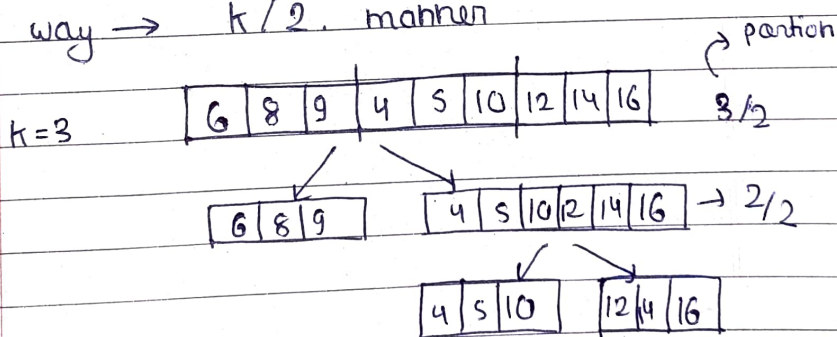
⇒ We can also solve this question by using merge sort.

⇒ We know that every row is sorted.

⇒ So, we can convert the matrix into single array then every k size window is sorted.

⇒ So, we can apply merge function of merge sort on these all ' k ' windows.

⇒ Now, when the value of k is odd then we will divide the portions in this way $\rightarrow k/2$ manner



⇒
$$\text{int mid} = \text{start} + (((\text{partition})/2) * k) - 1$$