

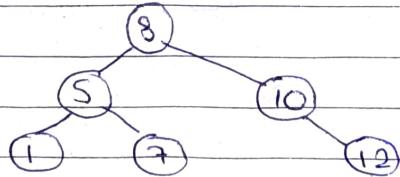
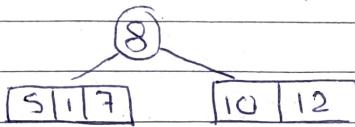
Day - 167

BST-3

- * Construct BST from Preorder Traversal:

0	1	2	3	4	5
8	5	1	7	10	12

- = Preorder is $\rightarrow N \ L \ R.$
- = So our first node will be root Node.
- = Now, how to find left & right nodes.
- = It's very simple, we only have to find largest nodes than root node, that will come in right side & smaller nodes goes to left side.



- = We can also create tree by using our BST tree creation method by using array.

⇒ This method will take $O(n^2)$. I.C..

⇒ For solving in $O(n)$ —

⇒ We will find a range for every element that can come in that side.

Ex: ? ?

For the right side of S —

Element should be —

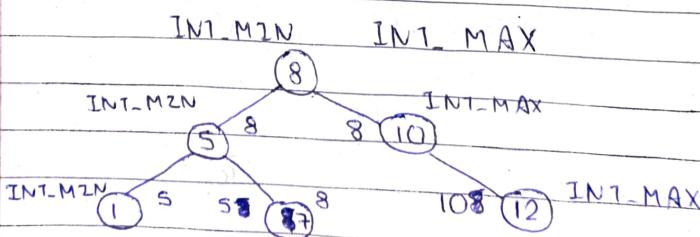
$$5 < \text{element} < 8$$

⇒ Now how to find the range.

⇒ So, we will start with a range —
 $\text{INT_MIN} < \text{element} < \text{INT_MAX}$

⇒ After that, for left $\text{INT_MIN} < \text{ele.} <$
 curr. node value.

⇒ For right, ~~INT~~ curr. node value $< \text{ele.} <$
 INT_MAX .



Code

```

Node * BST( vector<int>& preorder, int &index,
            int lower, int upper )
{
    if (index == preorder.size() ||

        preorder[index] < lower || preorder
        [index] > upper)
        return null NULL;
    
```

```

    Node * root = new Node (preorder
                           [index]);
    
```

```

    root->left = BST( preorder, index,
                        lower, root->data);
    
```

```

    root->right = BST( preorder, index,
                        root->data, upper);
    
```

```

    return root;
}

```

}

* Construct BST from post order:

0	1	2	3	4	5
1	7	5	50	40	10

= Here, we will do previous procedure in reverse.

= we will find a range.

= Then we will find or check for right side then left side by previous logic.

Code

```

Node * BST (int post[], int &index,
            int lower, int upper, int &size) {
    if (pos < index <= size || post[index] <
        lower || post[index] > upper)
        return NULL;
}

```

```

Node * root = new Node (post[index--]);
root->right = BST(post, index,
                    root->data, upper);
root->left = BST(post, index,
                   lower, root->data);
return root;
}

```

{}

* Preorder and BST:

2	4	3
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⇒ We have given a preorder.

⇒ But there is a twist here that

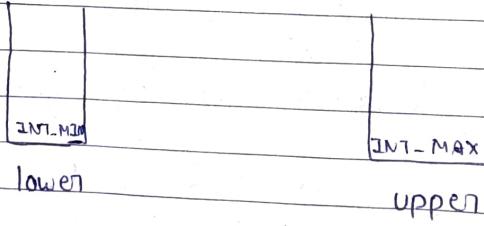
it can be of a BST tree or not.

⇒ So, if it will create a correct
BST tree then return 1 otherwise 0.

⇒ In the first approach, we can create
a BST tree from it then
find the preorder.

- => If both preorder are equal then we can return 1 otherwise 0.
- => But this will take $O(n^2)$ T.C.
- => Now we can use our previous logic of lower & upper.
- => If the preorder is correct then our index will complete the array.
- => If not that means preorder is wrong.
- => $\text{index} == \text{size} \rightarrow \text{return } 1$
 $\text{index} < \text{size} \rightarrow \text{return } 0$.
- => This approach will give segmentation fault in GFG.
- => This is due to the stack that used by GFG:
 - => That stack can't handle large test cases at a time.
 - => So, it will access a that memory location that we don't have the access to access.
 - => Hence, it will give us segmentation fault.
- => But if we solve it by using iterative approach that will use stack, it will pass all the test cases.

- ⇒ Here, we use stack that uses heap memory.
- ⇒ And heap memory can easily handle all that input test cases.
- ⇒ So, how to do iterative approach -
- ⇒ As we done previous, first we push root then right then left.
- ⇒ In the same way, we will do here.
- ⇒ We will take two stack i.e. lower & upper.
- ⇒ We will store INT_MIN in lower & INT_MAX in upper.



- ⇒ Then we will push lower & upper range according to right then left.

Pseudo code

- ① if ($arr[i] < \text{lower}$, $\text{top}()$)
 return 0;
- ② while ($arr[i] > \text{upper}$, $\text{top}()$)
 pop upper & lower;

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③.

left = lower

right = upper

lower, upper pop

lower, push: arr[i]

upper, push: right

lower, push: left

upper, push: arr[i]