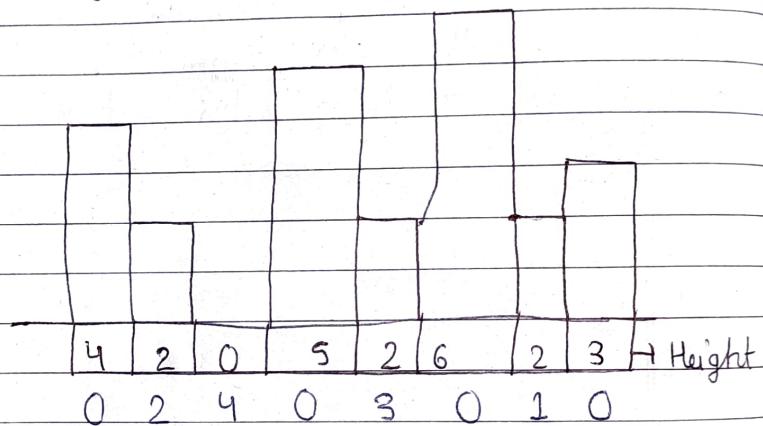


Day - 40

More ArrayImportant Array QuestionsTrapping Rain Water!

- = For trapping rain water, we the water should have support from the left & right.
- = So for calculating the trapped rain water at that building, we should do this-
- = we will check the left side bigger building & right side bigger building & select the min. from them.
And the minus with the building height.
- = At 4, there is no building at left, So here 0.
- = At 2, left side bigger building is — 4 & at right side — 6,

\Rightarrow min. is $\rightarrow 4$

$$\text{So, } 4 - 2 = \frac{2}{-}$$

\Rightarrow we will create maxleft & maxright —

maxleft [0 | 4 | 4 | 4 | 5 | 5 | 6 | 6]

maxright [6 | 6 | 6 | 6 | 6 | 3 | 3 | 0]

\Rightarrow At 4, min. of 0 & 6 $\rightarrow 0$

$$\text{So, } 0 - 4 = -1$$

\Rightarrow whenever you ~~get~~ ^{will} get -ve value that means 0 water is trapped in at that building.

Code

```
vector<int> height;
```

```
leftmax[n], rightmax[n];
```

```
leftmax[0] = 0
```

```
for (i = 1; i < n; i++)
```

```
    leftmax[i] = max(leftmax[i-1], height[i-1]);
```

```
rightmax = n-1
```

```
for (i = n-2; i >= 0; i--)
```

```
    rightmax[i] = max(rightmax[i+1], height[i+1]);
```

```
int water = 0;
```

```
for (i = 0; i < n; i++) {
```

```
    minheight = max(min(leftmax[i]),
```

```
                    rightmax[i]);
```

$\text{if } (\text{minheight} - \text{height}[i] > 0)$
 $\quad \text{water} += \text{minheight} - \text{height}[i];$

}

return water;

=> So, $O(N) \rightarrow \text{T.C.}$

$O(N) \rightarrow \text{S.C.}$

=> Can we solve this question ~~in~~ with
 $O(1) \rightarrow \text{S.C. ?}$

=> To solve this problem, we have to find
do something as we will ~~auto~~ know
what is the max in left & right.

=> First we calculate maxRight max building
and their index. So, now we will
know the maxRight to that max building.
That means we only have to check
maxLeft & check the water.

=> And we will use the same conditions as
we use in the above approach.

=> After that max building, we will
traverse from ending and here we will
calculate max Right & because maxLeft
is the max building.

Code

```

    ⇒ maxleft = 0, maxRight = 0, water;
    maxheight = height[0], index = 0;
    for (i=1; i<n; i++) {
        if (height[i] > maxheight) {
            maxheight = height[i];
            index = i;
        }
        for (i=0; i<index; i++) {
            if (leftmaxleft > height[i])
                water += leftmax - height[i];
            else {
                maxleft = height[i];
            }
        }
        for (i=n-1; i>index; i++) {
            if (maxright > height[i])
                water += maxRight - height[i];
            else
                maxRight = height[i];
        }
    }
    return water;
}

```

⇒ If we want to do this in one traversal
then with the help of two pointers
approach, we can do this.

*

3 Sum

1	4	ns	6	10	8	$x = 13$
					3	

=> Here, we have to find no. that sum is equal to the desired sum.

=> In Brute force approach, we will run three loop and find that three no. if we find the three no. then we will return 1 otherwise 0.

Code

```

for (i=0; i<n-2; i++) {
    for (j = i+1; j < n-1; j++) {
        for (k = j+1; k < n; k++) {
            if (arr[i] + arr[j] + arr[k] > x)
                return 1;
    }
}

```

return 0;

 $T.C = O(N^3)$ 2nd Approach

=> In this approach, we will use binary search to find the no..

Code

```

for(i=0; i<n-2; i++){
    for(j=i+1; j<n-1; j++){
        find = x - arr[i] - arr[j];
        start = j+1; end = n-1;
        Binary search → return1
    }
}
return 0;           T.C → O(N2 log N)

```

⇒ 3rd Approach

- ⇒ Here, we will convert our 3 sum problem into 2 sum problem.
- ⇒ ~~Exa~~ First, we select a no. then minus with X & the remaining no. ~~X~~ is our desired 2 sum that we will find by 2 sum approach.

↑ Here we will apply two sum to

1	4	6	8	10	45
↑					

find remaining sum, two no.

Code

```

for(i=0; i<n-2; i++){
    ans = x - arr[i];
    start = i+1; end = n-1;
}

```

```

while( start < end ){
    if (arr[start] + arr[end] == ans) {
        return 1;
    } else if (arr[start] + arr[end] > ans) {
        end--;
    } else {
        start++;
    }
}
3 return 0;

```

$\Rightarrow T.C \rightarrow O(N^2)$
 $S.C \rightarrow O(1)$

* 4 sum

1	5	1	0	6	0	$x = 7$
---	---	---	---	---	---	---------

- \Rightarrow First, we convert this ~~to~~ to three sum.
- \Rightarrow Then use three sum approach in this.