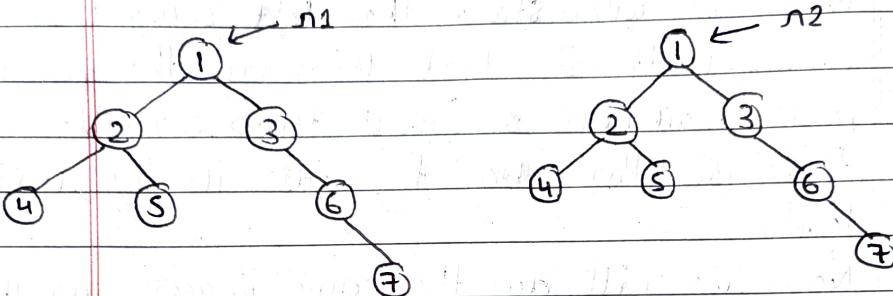


Day - 154Trees - 4

- \* Two trees are identical:



- ⇒ We will check every node of both trees one by one i.e. we will check left part of both the trees then check node then right part.
- ⇒ If all part are same then we can say, both trees are identical. and return 1.
- ⇒ Otherwise we will return 0.
- ⇒ We will first check node values then check left and right.
- ⇒ And return 1 if both left & right is equal.

Code

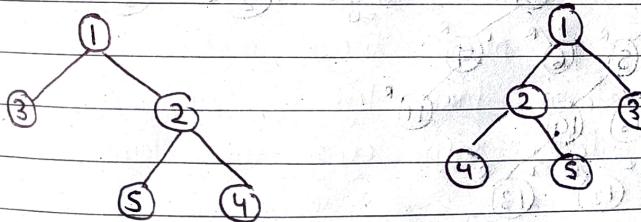
```

bool isIdentical(Node *n1, Node *n2){
    if(n1 == NULL && n2 == NULL)
        return 1;
    if(!n1 && !n2) || (n1 && !n2)
        return 0;
    if((n1->data) == (n2->data))
        return 0;
    return isIdentical(n1->left, n2->right) &&
           isIdentical(n2->left, n2->right);
}

```

T.C  $\rightarrow O(n)$ , S.C.  $\rightarrow O(n)$  or  $O(h)$

#### \* Mirror Tree:



- ‡ Here left part is becoming right part & vice versa.
- ‡ We will change the left part by right part and right part by left part.

#### Code

```
void mirror (Node *root){
```

```
    if(!root)
```

```
        return;
```

```
    Node *temp = root->left;
```

```
    root->left = root->right;
```

```
    root->right = temp;
```

```
    mirror (root->left);
```

```
    mirror (root->right);
```

```
}
```

\*

Check for Balanced Tree:

⇒ If the height from every node is equal to -1, 0 or 1.

Then that tree is called Balanced Tree.

$$-1 \leq \text{height}(L) - \text{height}(R) \leq 1$$

$$(-1, 0, 1)$$

⇒ So, we will take a valid variable and sets its value to 1.

- ⇒ So, that if we get any unbalanced node then we will change the value of valid to 0.
- ⇒ First, we have to find the height of the left side & height of right side.
- ⇒ Then, we will form balanced condition.
- ⇒ If the node is balanced then return the height to the above node.

Code

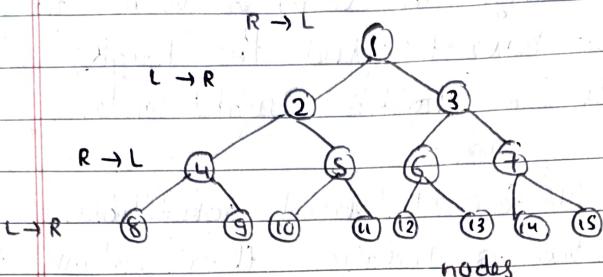
```

bool isBalance (Node *root) {
    bool valid;
    height (root, valid);
    return valid;
}

int height (Node *root, int &valid) {
    if (root == NULL)
        return 0;
    int L = height (root->left, valid);
    int R = height (root->right, valid);
    if (abs (L - R) > 1)
        valid = 0;
    else
        return 1 + max (L, R);
}

```

\* Level Order Traversal in spiral Form:



⇒ We have to print spiral in the form of spiral i.e S.

⇒ So, 1 2 3 7 6 5 4 8 9  
10 11 12 13 14 15 ...

⇒ 1st Approach

⇒ We can observe a pattern that we are printing root from right to left then next level from left to right and we will follow same cycle again and again.

⇒ So, we can use a queue and store the root in it.

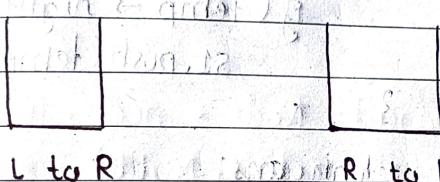
⇒ Then pop the root in front & push its children in the order of that level printing i.e L to R or R to L.

⇒ Now, we have to reverse the elements.  
So, we will use a stack to do this.

⇒ After that again we will follow all these steps.

2nd Approach

- ⇒ As we have noticed, we are doing reverse of queue by using stack again & again.
- ⇒ So, to don't do this, we can use stack.
- ⇒ We will use two stack, one for storing L to R & one for R to L elements.

Code

```

vector<int> levelOrder(Node *root){
    stack<Node *> s1; // R to L
    stack<Node *> s2; // L to R
    s1.push(root);
    vector<int> ans;
    while(!s1.empty() || !s2.empty()){
        if(!s1.empty()){
            while(!s1.empty()){
                Node *temp = s1.top();
                s1.pop();
                ans.push_back(temp->data);
                if(temp->right)
                    s2.push(temp->right);
                if(temp->left)
                    s2.push(temp->left);
            }
        }
    }
}
  
```

```
else {
```

```
    while (!s2.empty()) {
```

```
        Node *temp = s2.top();
```

```
        s2.pop();
```

```
        if (ans.push_back(temp->data);
```

```
            if (temp->left)
```

```
                s1.push(temp->left);
```

```
            if (temp->right)
```

```
                s1.push(temp->right);
```

```
}
```

```
}
```

3

(function starts) but not for this question

\* Check if 2 Nodes are cousin:

```

graph TD
    1((1)) --> 2((2))
    1((1)) --> 3((3))
    2((2)) --> 4((4))
    2((2)) --> 5((5))
    3((3)) --> 6((6))
    3((3)) --> 7((7))
    4((4)) --> 8((8))
    5((5)) --> 9((9))
    6((6)) --> 10((10))
    7((7)) --> 11((11))
  
```

$\Rightarrow$  Two nodes are cousin, if -

$\Rightarrow$  both the nodes are at same level  
but have different parents.

$\Rightarrow$  So here, we will use level order traversal  
for finding the levels.

- = After that when we find the levels we will stop finding the levels.
- = Now, we will find that they are children of same parent or different.
- = For that, we will ask every node that those nodes are your children.
- = In the end, if we get answer no then we can return 1 as our actual ans.

Code

```

bool isCousin(Node *root, int a, int b){
    queue<Node *> q;
    q.push(root);
    int l1 = -1, l2 = -1;
    int level = 0;
    while (!q.empty()) {
        int n = q.size();
        for (int i = 0; i < n; i++) {
            Node *temp = q.front();
            q.pop();
            if (temp->data == a)
                l1 = level;
            if (temp->data == b)
                l2 = level;
            if (temp->left)
                q.push(temp->left);
            if (temp->right)
                q.push(temp->right);
        }
        level++;
    }
    if (l1 != -1 && l2 != -1 && l1 != l2)
        return true;
    else
        return false;
}

```

```
    level++;
    if(l1 == l2)
        return 0;
    if(l1 == -1)
        break;
    ?
```

```
return !parent(root, a, b);
? }
```

```
bool parent(Node *root, int a, int b)?
```

```
if(root == NULL) return 0;
```

```
if(root->left && root->right)?
```

```
if((root->left->data == a && root->right->data == b))
```

```
return 1;
```

```
if((root->left->data == b && root->right->data == a))
```

```
return 1;
```

```
? }
```

```
return (parent(root->left, a, b) || parent(
    root->right, a, b));
```

```
? }
```