

Day - 143Queue - 2

\* Print all element in queue:

2	4	6	3	5
---	---	---	---	---

⇒ We have print all the elements.

⇒ So, first we will print the front element then pop it.

⇒ we will do this until queue becomes empty.

Code

```
while (!q.empty()) {
    cout << q.front();
    q.pop();
```

3

⇒ Now, if we want that the elements will not pop from the queue then —

⇒ Then we will store & print the elements.

⇒ After that, we will push all the elements again.

Code

```
vector<int> ans;
while (!q.empty()) {
    cout << q.front();
    ans.push_back(q.front());
    q.pop();
```

3

```
for( int i=0; i<ans.size(); i++ ) {
    q.push( ans[i] );
}
```

3

- ⇒ Now, if we want to solve it in  $O(1)$  S.C. then-
- ⇒ we can take a size variable.
- ⇒ After that, when we print the first element then we will push it into the queue at the same time.
- ⇒ And decrease the size by 1.

Code

```
int h = q.size();
while( n-- ) {
    cout << q.front();
    q.push( q.front() );
    q.pop();
}
```

3

\* Queue Reversal:

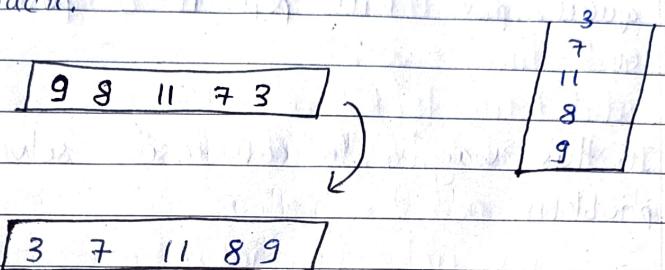
⇒

3	7	11	8	9
---	---	----	---	---

- ⇒ In brute force approach, we can pop all the elements & store in an array.
- ⇒ After that push all the elements into the queue from the end of array.

⇒ So, this is not the optimized approach.

⇒ For more optimized approach, we can use stack.



### Code

⇒ `stack<int> st;`

```
while(!q.empty()){
    st.push(q.front());
    q.pop();
```

3

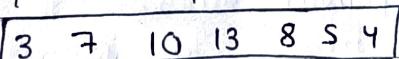
```
while(!st.empty()){
    q.push(st.top());
    st.pop();
```

3

\*

### Reverse First k elements of queue:

$k = 3$



⇒ First we store the  $k$  elements into the stack.

⇒ After that, we will store the no. of remaining elements  $\ell$  in queue.

- = Now, we will push the stack elements in queue.
- = Now, the no. of remaining elements in queue, we will pop it & push into the end.
- = In this way, we can easily solve our problem.

### Code

```
stack<int> st;
while(k--) {
    st.push(q.front());
    q.pop();
}
int n = q.size();
while(!st.empty()) {
    q.push(st.top());
    st.pop();
}
while(n--) {
    q.push(q.front());
    q.pop();
}
```

\* Time needed to buy Tickets:

0	1	2	3	4
Tickets →	1	5	2	3

⇒ According to question, we have a tickets array in which every value represents that the no. of tickets that person wants.

⇒ Also, any person can take only 1 ticket at a time.

⇒ If ~~they~~ <sup>he</sup> wants more tickets then he has to stand in the line again for tickets.

⇒ Also, 1 ticket takes 1sec.

⇒ We also given a 'k' value. So, we have to return the time taken or required for  $k^{\text{th}}$  person to buy all their tickets.

⇒ As we are seeing that a person will come and then go to back of the line.

⇒ So, here we will use queue DS.

⇒ We will store index of elements in queue.

⇒ If that person wants ticket we will increase value of time & push it again back to the queue.

⇒ And when the value of tickets of  $k^{\text{th}}$  person becomes 0 return the value of time.

Code

```

⇒ queue<int>q;
for(i=0;i<n;i++) {
    q.push(i);
}
int time = 0;
while(Tickets[q.front()] != 0) {
    Tickets[q.front()]--;
    if(Tickets[q.front()] == 0) {
        q.push(q.front());
        q.pop();
    }
    time++;
}
return time;

```

⇒ Worst case T.C. of above approach can be -  $O(n^2)$ .

⇒ When the tickets array like -

tickets → | 5 | 5 | 5 | 5 | 5 |

⇒ So, to optimize this approach, we will calculate time according to that required person time.

0	1	②	3	4
2	6	4	3	7

⇒

for  $0 \rightarrow k$

Time += min(Ticket[k], Ticket[i]);

for  $k+1 \rightarrow h$

Time += min(Ticket[k]-1, Ticket[i]);

\* Implement queue using stack:

→ Push

When we push elements into the queue, we will push it into the stack.

⇒ Pop

When we pop elements then we will use another stack and push all the elements of stack 1 into stack 2.

⇒ Then pop the top element & return it.

So,

for push → stack 1

for pop → stack 2

Code

```
class Queue {
```

```
    stack<int> st1;
```

```
    stack<int> st2;
```

```
public
```

```
    bool empty();
```

```
    return st1.empty() && st2.empty();
```

3/6/23 10:21 AM

```
void push( int x){
```

```
    st1.push(x);
```

```
}
```

```
int pop(){
```

```
    if( empty() )
```

```
        return 0;
```

```
    if( !st2.empty() ) {
```

```
        int element = st2.top();
```

```
        st2.pop();
```

```
        return element;
```

```
}
```

```
else{
```

```
    while( !st1.empty() ) {
```

```
        st2.push(st1.top());
```

```
        st1.pop();
```

```
}
```

```
int element = st2.top();
```

```
st2.pop();
```

```
return element;
```

```
}
```

```
int peek(){
```

```
    if( empty() )
```

```
        return 0;
```

```
    if( !st2.empty() )
```

```
        return st2.top();
```

```
else{
```

```
    while( !st1.empty() ) {
```

st2.push(st1.top());  
st1.pop();

3

( ) return st2.top();  
3

T.C.  $\rightarrow O(1)$

\* Implement Stack using queue

Push

- $\Rightarrow$  when we push elements into the stack, we will push in that queue that have elements.

Pop

- $\Rightarrow$  we will first push all the elements without the last element into the second queue.  
 $\Rightarrow$  Now, we will pop the element from the first queue.

Code

```
class stack{  
    queue<int> q1;  
    queue<int> q2;  
public:  
    bool empty(){  
        return q1.empty() && q2.empty();  
    }
```

```

void push( int x ){
    if (empty())
        q1.push(x);
    else if (q1.empty())
        q2.push(x);
    else
        q1.push(x);
}

```

3

```

void int pop(){
    if (empty())
        return 0;
    else if (q1.empty())
        while (q2.size() > 1)
            q1.push(q2.front());
    q2.pop();
}

```

```

int ele = q2.front();
q2.pop();
return ele;
}

```

3

```

else{
    while (q2.size() > 1)
        q2.push(q2.front());
    q1.push(q2.pop());
}

```

3

```

int ele = q2.front();
q2.pop();
return ele;
}

```

3 3