Classification Models on Our Dataset from the Previous Project

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Using the dataset from our previous project, we will first perform data preprocessing before moving on to apply the following classification models and measure their accuracy: Naïve Bayes, Decision Tree (DT), K-Nearest Neighbor (KNN), Support Vector Machines (SVM), and Logistic Regression (Logit).

The dataset we used in the last project (linear regression project) was a housing dataset that contained data consisting of house prices and factors that influenced house prices such as average area income, area population, and more.

Data Preprocessing - Rahul

Before applying the models, we need to preprocess the data and modify it so it will fit the classification models, since the housing data has mainly continuous data. We will need to perform standard preprocessing steps and then move on to converting from continuous to categorical.

Reading the Data

First we need to read the data and load it into a pandas dataframe so we can preprocess and then apply models.

```
In [1]: import numpy as np
   import matplotlib.pyplot as plt
   import pandas as pd

housing_df = pd.read_csv('./data/Housing.csv')
housing_df.head()
```

Out[1]:

0 79545.458574 5.682861 7.009188 4.09 23086.800503 1.059034e+06 208 Michael 674\r\nLau 1 79248.642455 6.002900 6.730821 3.09 40173.072174 1.505891e+06 188 Johnson \ 079\r\nLake k 2 61287.067179 5.865890 8.512727 5.13 36882.159400 1.058988e+06 Stravenue\r\nD 3 63345.240046 7.188236 5.586729 3.26 34310.242831 1.260617e+06 USS Barnett\ 4 59982.197226 5.040555 7.839388 4.23 26354.109472 6.309435e+05 USNS Raymo		Price	Area Population	Avg. Area Number of Bedrooms	Avg. Area Number of Rooms	Avg. Area House Age	Avg. Area Income	
1 79248.642455 6.002900 6.730821 3.09 40173.072174 1.505891e+06 079\r\nLake k 2 61287.067179 5.865890 8.512727 5.13 36882.159400 1.058988e+06 Stravenue\r\nD 3 63345.240046 7.188236 5.586729 3.26 34310.242831 1.260617e+06 USS Barnett\ 4 59982.197226 5.040555 7.839388 4.23 26354.109472 6.309435e+05 USNS Raymo		1.059034e+06	23086.800503	4.09	7.009188	5.682861	79545.458574	0
2 61287.067179 5.865890 8.512727 5.13 36882.159400 1.058988e+06 Stravenue\r\nD 3 63345.240046 7.188236 5.586729 3.26 34310.242831 1.260617e+06 USS Barnett\ 4 59982.197226 5.040555 7.839388 4.23 26354.109472 6.309435e+05 USNS Raymo		1.505891e+06	40173.072174	3.09	6.730821	6.002900	79248.642455	1
4 59982.197226 5.040555 7.839388 4.23 26354.109472 6.309435e+05 USNS Raymo		1.058988e+06	36882.159400	5.13	8.512727	5.865890	61287.067179	2
4 59982.197226 5.040555 7.839388 4.23 26354.109472 6.309435e+05	USS Barnett\	1.260617e+06	34310.242831	3.26	5.586729	7.188236	63345.240046	3
→	USNS Raymo	6.309435e+05	26354.109472	4.23	7.839388	5.040555	59982.197226	4
	•							4

Dropping Columns & Missing Values

In the last project using this dataset, we determined that house addresses would not have a significant influence on house prices and could be dropped, so we will be doing this again.

We will also check and deal with missing values. Just like last time, there are no missing values.

```
In [2]: # Drop column
        housing_df = housing_df.drop('Address', axis=1)
        # Check for missing values
        missing_values = housing_df.isna().sum()
        print(missing_values)
                                       0
       Avg. Area Income
       Avg. Area House Age
       Avg. Area Number of Rooms
                                       0
       Avg. Area Number of Bedrooms
                                       0
       Area Population
                                        0
       Price
       dtype: int64
```

Z-Score Normalization & Outliers

We will normalize the dataset and remove any outliers, turning values into z scores.

```
In [3]: # Normalize
    normal_df = (housing_df - housing_df.mean())/housing_df.std()
```

```
# Remove Outliers
normal_df = normal_df.loc[((normal_df > -3).sum(axis=1)==6) & ((normal_df <= 3).sum
print('Entries before outliers = %d' % (housing_df.shape[0]))
print('Entries after outliers = %d' % (normal_df.shape[0]))
print('Entries removed = %d' % (housing_df.shape[0] - normal_df.shape[0]))
Entries before outliers = 5000
Entries after outliers = 4943
Entries removed = 57</pre>
```

Discretization

In this step, we will use bins and labels to turn continuous data into categorical data so we can use it to fit the classification models. This will group continuous data into bins and assign that bin an appropriate label.

Training and Testing Split

We will split the data just like in the regression project. The price category is what we want to predict, hence why it is the y value. All other attributes, except for the actual price value, will be included as X.

```
In [5]: from sklearn.model_selection import train_test_split

X = normal_df[['Avg. Area Income', 'Avg. Area House Age', 'Avg. Area Number of Room
y = normal_df['Price Category']

X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_statest_split(X))

X_train.head()
```

Out[5]:		Avg. Area Income	Avg. Area House Age	Avg. Area Number of Rooms	Avg. Area Number of Bedrooms	Area Population
	4291	-0.501987	1.385214	0.273562	0.209596	-0.254448
	4004	0.683442	0.616873	-0.229666	-0.706024	-0.387276
	1178	1.167356	-0.181790	-0.271100	-1.564923	-1.040300
	4722	0.684353	-1.625994	-0.680797	0.177185	-0.004475
	4882	-0.596727	0.448013	-0.066086	-1.240810	-0.071830

Naïve Bayes Model - Rahul

Here, we will apply the Naïve Bayes model to the z-score normalized and discretized data and measure its accuracy.

```
In [6]: from sklearn.naive_bayes import GaussianNB
from sklearn.metrics import accuracy_score

naive_bayes = GaussianNB()
naive_bayes.fit(X_train, y_train)
naive_bayes_pred = naive_bayes.predict(X_test)

naive_bayes_acc = accuracy_score(y_test, naive_bayes_pred)
print('Naïve Bayes Accuracy: = %f%%' % (naive_bayes_acc * 100))
```

Naïve Bayes Accuracy: = 78.968655%

Decision Tree (DT) Classification Model - Rahul

We will use a decision tree model to predict the price category of the houses. Since we used bins to categorize the continuous data, we will not be using decision tree regressor and will instead use decision tree classifier.

```
In [7]: from sklearn.tree import DecisionTreeClassifier, plot_tree

dec_tree = DecisionTreeClassifier(criterion='entropy')
dec_tree = dec_tree.fit(X_train, y_train)

dec_tree_pred = dec_tree.predict(X_test)
dec_tree_acc = accuracy_score(y_test, dec_tree_pred)

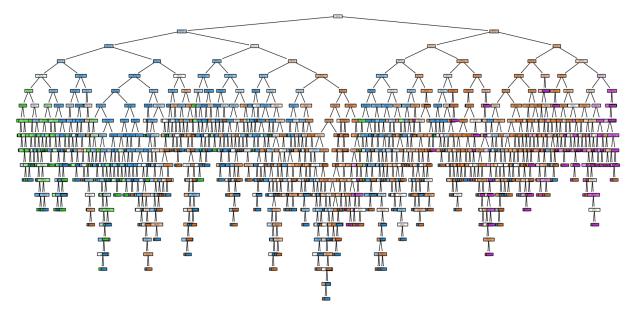
print('Decision Tree Accuracy: = %f%%' % (dec_tree_acc * 100))
```

Decision Tree Accuracy: = 73.407482%

Since we are using a decision tree, we can also display it, although the tree is quite large since we did not set a max tree length. Setting a max tree length results in a smaller tree,

however, a smaller tree can also be less accurate.

```
In [8]: plt.figure(figsize=(20,10))
    plot_tree(dec_tree, filled=True, feature_names=X_train.columns, class_names=labels)
    plt.show()
```

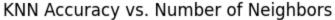


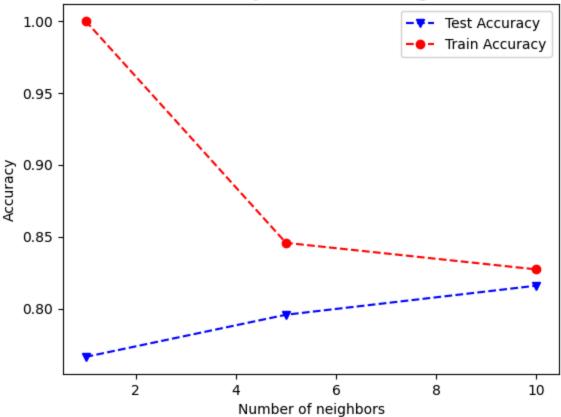
K-Nearest Neighbor (KNN) - Maddie

We use the K-Nearest Neighbor to calculate the distance between the input data point and all the training examples because it classifies data points based on the majority vote of their nearest neighbors.

```
In [9]: from sklearn.neighbors import KNeighborsClassifier
        from sklearn.metrics import accuracy_score
        import matplotlib.pyplot as plt
        numNeighbors = [1, 5, 10]
        testAcc = []
        trainAcc = []
        for k in numNeighbors:
            clf = KNeighborsClassifier(n_neighbors=k, metric='minkowski', p=2)
            clf.fit(X_train, y_train)
            knn_pred = clf.predict(X_test)
            knn_pred_train = clf.predict(X_train)
            testAcc.append(accuracy_score(y_test, knn_pred))
            trainAcc.append(accuracy_score(y_train, knn_pred_train))
        plt.plot(numNeighbors, testAcc, 'bv--', numNeighbors, trainAcc, 'ro--')
        plt.legend(['Test Accuracy', 'Train Accuracy'])
        plt.xlabel('Number of neighbors')
        plt.ylabel('Accuracy')
        plt.title('KNN Accuracy vs. Number of Neighbors')
        plt.show()
```

```
knn_acc = accuracy_score(y_test, knn_pred)
print('K-Nearest Neightbor (KNN): = %f%%' % (knn_acc * 100))
```





K-Nearest Neightbor (KNN): = 81.597573%

Support Vector Machines (SVM) - Maddie

We use SVM in high-dimensional spaces because of its ability to handle non-linear classification problems efficiently through kernel functions. It offers a strong theoretical guarantee and is memory-efficient due to use of the support vectors.

```
In [10]: from sklearn.svm import SVC
    from sklearn.metrics import accuracy_score
    import matplotlib.pyplot as plt

C = [0.01, 0.1, 0.2, 0.5, 0.8, 1, 5, 10, 20, 50]

SVMLtestAcc = []
SVMLtrainAcc = []

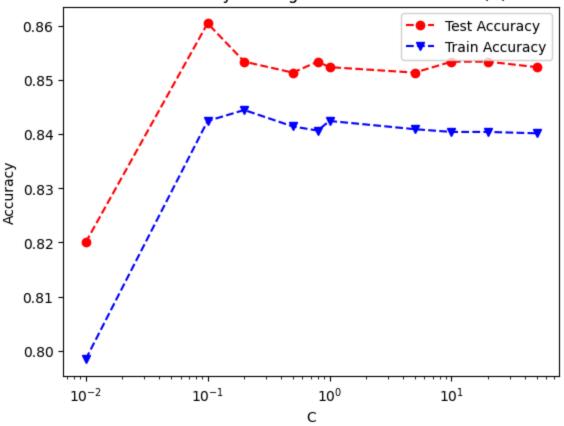
for param in C:
    clf = SVC(C=param, kernel='linear')
    clf.fit(X_train, y_train)
    svml_pred = clf.predict(X_test)
    svml_pred_train = clf.predict(X_train)
    SVMLtestAcc.append(accuracy_score(y_test, svml_pred))
```

```
SVMLtrainAcc.append(accuracy_score(y_train, svml_pred_train))

plt.plot(C, SVMLtestAcc, 'ro--', C, SVMLtrainAcc, 'bv--')
plt.legend(['Test Accuracy', 'Train Accuracy'])
plt.xlabel('C')
plt.xscale('log')
plt.ylabel('Accuracy')
plt.title('SVM Accuracy vs. Regularization Parameter (C)')
plt.show()

svm_acc = accuracy_score(y_test, svml_pred)
print('Support Vector Machines (SVM): = %f%%' % (svm_acc * 100))
```





Support Vector Machines (SVM): = 85.237614%

Logistic Regression (Logit) - Maddie

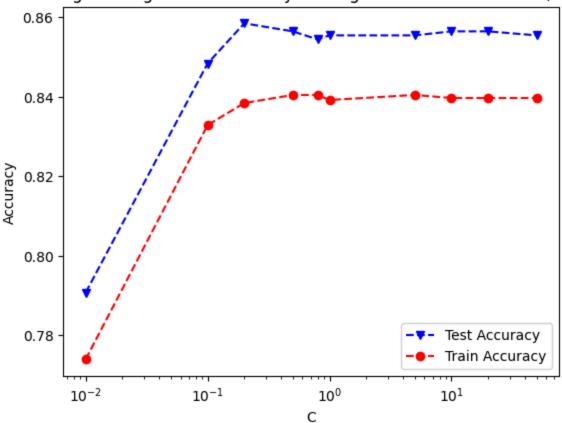
We use Logistic Regression for binary classification tasks. It's useful when the relationship between features and target is approximately linear and when probabilistic outputs are desired.

```
In [11]: from sklearn.linear_model import LogisticRegression
    from sklearn.metrics import accuracy_score
    import matplotlib.pyplot as plt

C = [0.01, 0.1, 0.2, 0.5, 0.8, 1, 5, 10, 20, 50]
```

```
LRtestAcc = []
LRtrainAcc = []
for param in C:
   clf = LogisticRegression(C=param)
   clf.fit(X_train, y_train)
   log_reg_pred = clf.predict(X_test)
   log_reg_pred_train = clf.predict(X_train)
   LRtestAcc.append(accuracy_score(y_test, log_reg_pred))
    LRtrainAcc.append(accuracy_score(y_train, log_reg_pred_train))
plt.plot(C, LRtestAcc, 'bv--', C, LRtrainAcc, 'ro--')
plt.legend(['Test Accuracy', 'Train Accuracy'])
plt.xlabel('C')
plt.xscale('log')
plt.ylabel('Accuracy')
plt.title('Logistic Regression Accuracy vs. Regularization Parameter (C)')
plt.show()
log_reg_acc = accuracy_score(y_test, log_reg_pred)
print('Logistic Regression (Logit): = %f%%' % (log_reg_acc * 100))
```

Logistic Regression Accuracy vs. Regularization Parameter (C)



Logistic Regression (Logit): = 85.540950%

Conclusion - Rahul

Here are all the accuracies of the models applied to the housing dataset so they can be compared.

```
In [12]: print('Naïve Bayes Accuracy: = %f%%' % (naive_bayes_acc * 100))
    print('Decision Tree Accuracy: = %f%%' % (dec_tree_acc * 100))
    print('K-Nearest Neightbor (KNN): = %f%%' % (knn_acc * 100))
    print('Support Vector Machines (SVM): = %f%%' % (svm_acc * 100))
    print('Logistic Regression (Logit): = %f%%' % (log_reg_acc * 100))

Naïve Bayes Accuracy: = 78.968655%
    Decision Tree Accuracy: = 73.407482%
    K-Nearest Neightbor (KNN): = 81.597573%
    Support Vector Machines (SVM): = 85.237614%
    Logistic Regression (Logit): = 85.540950%
```

We can see that logistic regression (logit) had the highest accuracy value. This is a little odd because logistic regression is designed for binary classification e.g. true or false classes.

Medium Price 2149
High Price 2146
Low Price 324
Very High Price 324
Name: count, dtype: int64

Upon further investigation, it seems that there are far more entries in the dataset that have a medium price and a high price as compared to the number of entries with a low price and very high price. This may have had some cause in giving the logistic regression a higher accuracy since most entries are either high price or medium price, potentially creating binary classification. To increase accuracy even further for other models, the way the bins are distributed would have to be altered to have a more even spread.