

FIT3031
Information & Network Security
Assignment 1 – Summer Semester-B 2017

Submission Guidelines

- **Deadline:** Assignment 1 due on Monday 16th January 2017, 4:00 PM
- **Submission format:** PDF only. You can use any freely available PDF converter to make PDF file from editable one.
- **Submission platform:**
 - Clayton - Softcopy submission on **Moodle**.
- PLEASE INCLUDE **YOUR NAME** AND **SUID** WITHIN THE MAIN PDF SUBMISSION
- Files to submit: *Assign-1_FirstName_LastName_SUID.pdf*
- **No late submissions ONLY** via [special consideration request](#)
- **Late submissions:** An assignment handed in late without prior permission will receive a late penalty of a 5% deduction per day (including Saturday and Sunday) or part thereof, after the due date and time.
- **Plagiarism:** *It is an academic requirement that your submitted work be original. Zero marks will be awarded for the whole submission if there is any evidence of copying, collaboration, pasting from websites, or copying from textbooks. –Plagiarism policy applies to all assessments*

Marks

- *This assignment is worth **20%** of the total unit marks.*
- *The assignment is marked out of **100** nominal marks.*

Assignment Questions

1. Question-1: [4+4+4+4+4] = 20 marks

- a. We consider the security services **(A) confidentiality, (B) integrity, (C) authenticity, and (D) non-repudiation**, for a variety of simple protocols. The input is always the plaintext **x**. **y** is the packet sent from Alice to Bob. **Describe which security services are achieved by the following protocols.**

1. $y = [h(x), x]$, where $h(x)$ denotes a (collision resistant etc.) hash function.
(4 marks)

2. $y = [MAC(x), x]$, where $MAC(x)$ denotes a secure message authentication code such as HMAC.
(4 marks)

3. $y = [encS(h(x)), x]$, where $encS()$ denotes a secure stream cipher.
(4 marks)

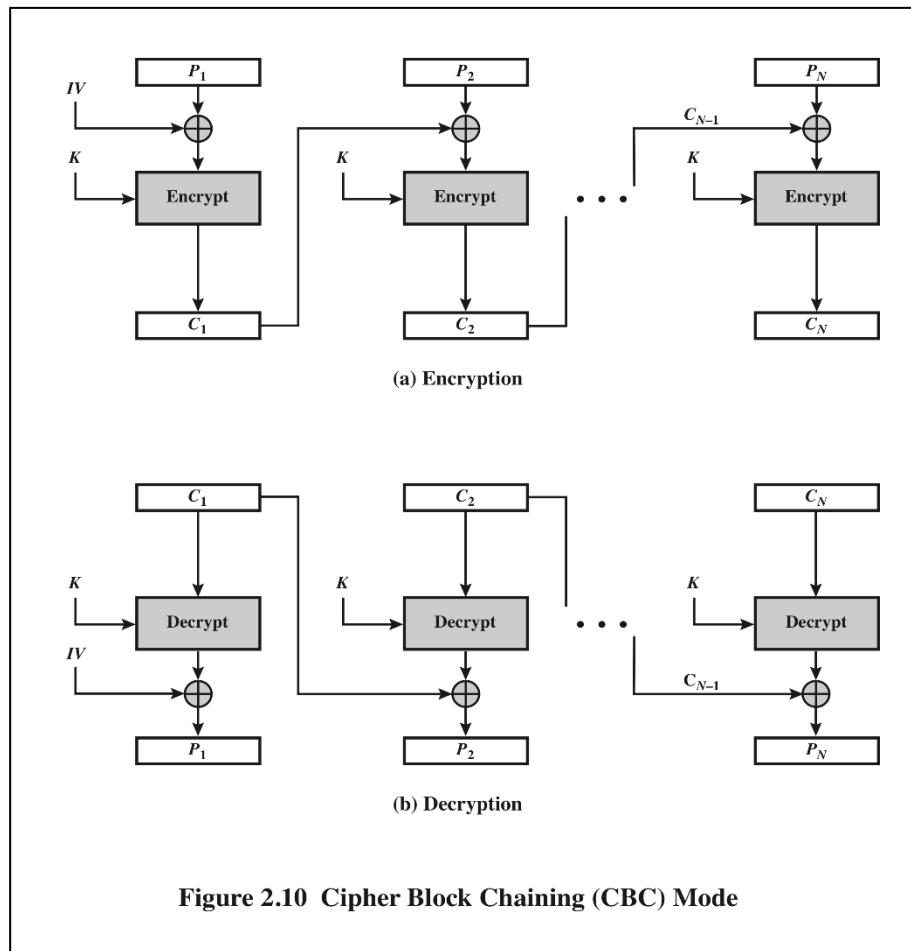
4. $y = encB(x, h(x))$, where $encB()$ denotes a secure block cipher.
(4 marks)

5. $y = encS(x, sig(xm))$, where xm is the last block of a long message x ; $encS()$ denotes a secure stream cipher and $sig(xm)$ is the signature of message x .
(4 marks)

2. Question-2: [6 + (3+5)] =14 marks

a. With respect to **symmetric key encryption**, explain the problems with key management and its effects. [6 marks]

b. In the Figure 2.10 ECB (Electronic Code Book) mode, if there is an error in a block of the transmitted ciphertext, only the corresponding plaintext block is affected. However, in the CBC (Cipher Block Chaining) mode, this error propagates. For example, an error in the transmitted C_2 obviously corrupts P_2 and P_3 . This is illustrated in the figure.



- i) Referring to Figure above; Are any blocks beyond P_3 affected?
[3 marks]
- ii) Referring to Figure 2.1 above; suppose that there is a bit error in the source block of P_1 . Through how many cipher text blocks is this error propagated? What is the effect at the receiver? [5 marks]

3. Question-3: [3+3+3 = 9 Marks]

Assuming you can do 2^{20} encryptions per second and **key size is 40 bits**:

- a. How long would a brute force attack take? (Both maximum and average values)
- b. Give a scenario where this would be practical and another where it wouldn't.
- c. What happens if you double the key size?

Show the working process of your work in few steps.

[3+3+3 = 9 Marks]

4. Question-4: [3+3+3 = 9 Marks]

User **A** and **B** use Diffie-Hellman algorithm to exchange a shared key and generate public keys of their own. Consider a common prime number $q=71$ and a (a primitive root of q) = 7. Determine the followings:

- If user **A** has private key=5, what is **A**'s public key?
- If user **B** has private key=12, what is **B**'s public key?
- What is the shared key?

Show the working process of your work in at least three steps. Consult lecture notes and the text book.

[3+3+3 = 9 Marks]

5. Question-5: [5+5+5 = 15 Marks]

Alice and Bob agree to communicate privately via email using a scheme based on RC4, but they want to avoid using a new secret key for each transmission. Alice and Bob privately agree on a 128-bit key k . To encrypt a message m consisting of a string of bits, the following procedure is used:

- Choose a random 80-bit value v
- Generate the ciphertext $c = RC4(v \parallel k) \oplus m$
- Send the bit string $(v \parallel c)$

Answer the following:

- Suppose Alice uses this procedure to send a message to Bob. Describe how Bob can recover the message m from $(v \parallel c)$ using k .
- If an adversary observes several values of $(v_1 \parallel c_1)$, $(v_2 \parallel c_2)$ Transmitted between Alice and Bob, how can he/she determine when the same key stream has been used to encrypt two messages?
- If Alice and Bob agree to use 16-bit Cipher Feedback (CFB) mode instead of RC4, and a bit error occurs in the transmission of a ciphertext; how far does the error propagate?

[5+5+5 = 15 Marks]

6. Question-6: [3+3 = 6 Marks]

- Is it possible to perform encryption operations in parallel on multiple blocks of plaintext in CBC mode? **Justify your answer.**
- How about decryption? **Justify your answer.**

[3+3 = 6 Marks]

7. Question-7: [4+4+4 = 12 Marks]

Consider $p=17$ and $q=31$ in the RSA encryption/decryption algorithm to be used to encrypt a message $M=15$. Using the algorithm, determine the followings:

- Generate a public-private key pair.
- Using the generated public key, encrypt the message to get the cipher text C .
- Apply the private key on C to decrypt the original message M .

Show the working process of your work in at least three steps in both encryption and decryption. **[4+4+4 = 12 Marks]**

8. Question-8: [3+3+3 = 9 Marks]

In this problem we shall compare the security services that are provided by digital signatures (DS) and message authentication codes (MAC). We assume that Oscar is able to observe all messages sent from Alice to Bob and vice versa. Oscar has no knowledge of any keys but the public one in case of DS. State whether and how DS and MAC protect against each attack. The value $auth(x)$ is computed with a DS or a MAC algorithm, respectively.

- (Message Integrity) Alice sends a message $x = \text{"Transfer \$1000 to Mark"}$ in the clear and also sends $auth(x)$ to Bob. Oscar intercepts the message and replaces **"Mark"** with **"Oscar"**. Will Bob detect this?
- (Replay) Alice sends a message $x = \text{"Transfer \$1000 to Oscar"}$ in the clear and also sends $auth(x)$ to Bob. Oscar observes the message and signature and sends them 100 times to Bob. Will Bob detect this?
- (Authentication with Bob cheating) Bob claims that he received a message x with a valid signature $auth(x)$ from Alice (e.g., **"Transfer \$1000 from Alice to Bob"**) but Alice claims she has never sent it. Can Alice clear this question **in either case?**

[3+3+3 = 9 Marks]

9. Question-9: [3+3 = 6 Marks]

For two large prime numbers:

$p=671998030559713968361666935769$ and $q=282174488599599500573849980909$ in RSA public key cryptosystem if the value of e is chosen as **65537**

- what is the value of the private key d ? Show the details of your work?
- If the cipher text C is...
 $C=49442491689030083792761934687076537130286999992268053086263$ what is the value of the plaintext M ?

Hint: These are calculated using the WolframAlpha web site (www.wolframalpha.com) and no programming is required! **[3+3 = 6 Marks]**